

for (node = (struct node\*) malloc(sizeof(struct node))

↓  
It returns a  
struct node pointer

↓  
This assign  
a space  
Data Prop.  
STRUCTURE node

in heap memory

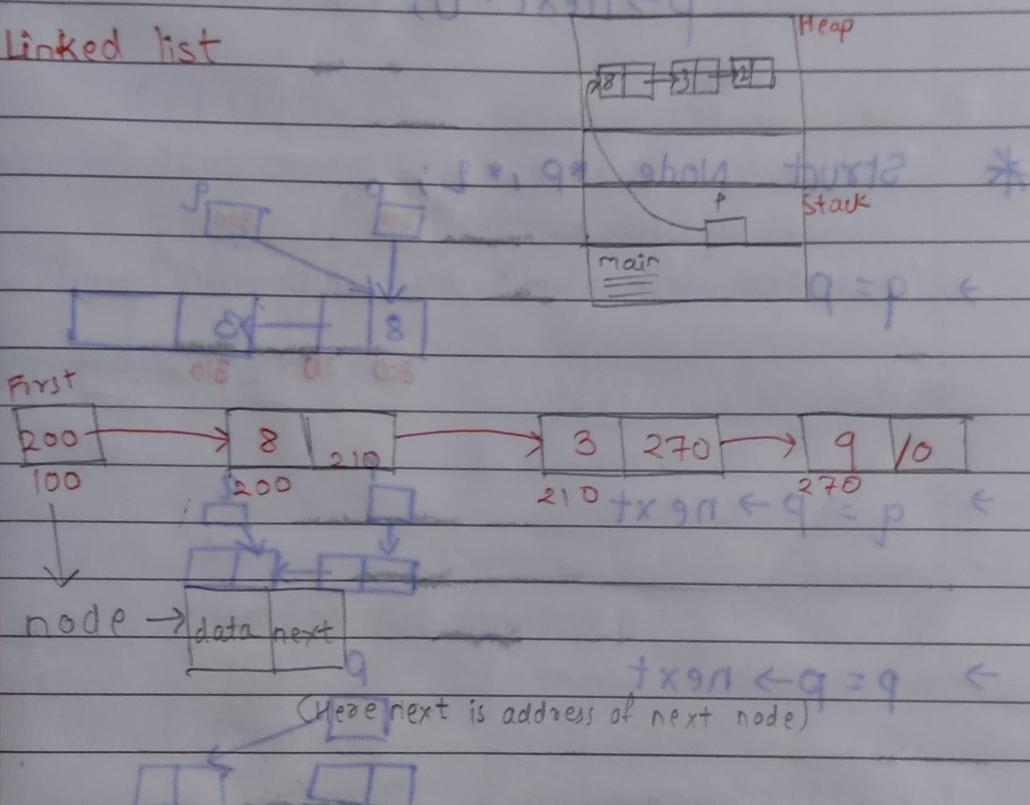
## Linked List

Q: why linked list  $q = \text{char*}$  shows trouble + hints at C

- As array is of fixed size during run time.
- So to get an array of

\* Array could only be created in heap as well as stack whereas linked list is only stored in heap memory;  $0 = \text{int} b < q$   
 $0 = \text{char} n < q$

## linked list



\* Struct node → self referential structure as it has pointers that point to same datatype structure

int data;

struct Node \*next;

};  $i = 0$ ;  $q = i$ ;  $q = (q)$

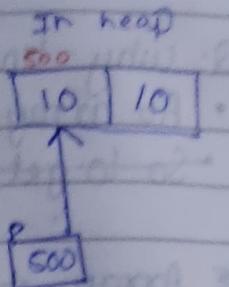
so q is now some other value

How to create node?

→ In stack : struct node \*p; tail

→ without p = new Node();

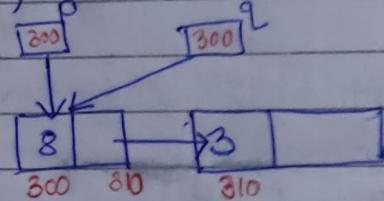
This makes a  
node space



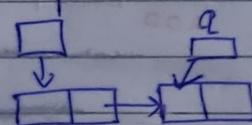
$p \rightarrow \text{data} = 10;$  } To process members  
 $p \rightarrow \text{next} = 0;$  } of node

\* Struct Node \*p, \*q;

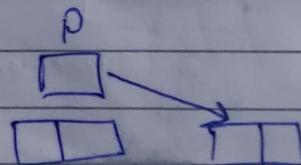
→ q = p



→ q = p → next

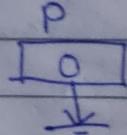


→ p = p → next



\* If pointer p is null i.e.

if ( $p == \text{NULL}$ )



if ( $p == 0$ )

if ( $\neg p$ ) → i.e. ( $\neg 0$ ) = ( $\neg 1$ )

also some check conditions

$\text{if } (p \rightarrow \text{next} == \text{NULL})$

$\text{if } (p \rightarrow \text{next}) == \text{NULL}$

\* Display linked list

```

while (p && p != 0) {
    printf("%d", p->data);
    p = p->next;
}

```

### Recursive Display linked list

```
void Display (struct node *p)
```

```

if (p == NULL)
    return;
printf ("%d", p->data);
Display (p->next);

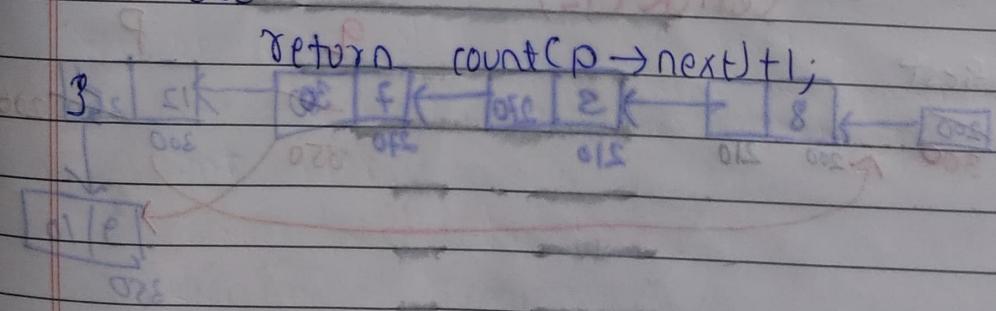
```

### Counting of nodes

```

int count (struct Node *p)
{
    if (p == 0)
        return 0;
    else
        return count (p->next) + 1;
}

```



INT32\_MIN  
INT32\_MAX

Date \_\_\_\_\_  
Page \_\_\_\_\_

\* Adding data of nodes in linked list

```
int Add (struct Node *p)
{
    int sum=0;
    while (p)
    {
        sum = sum + p->data;
        p = p->next;
    }
    return (sum);
}
```

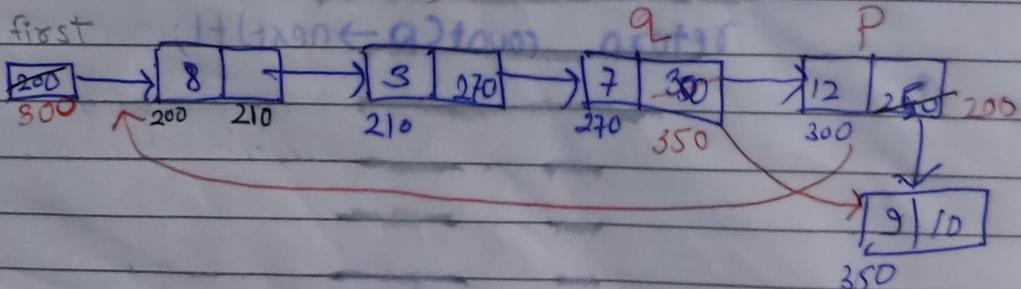
\* Max element in linked list ( $n=9$ )

- Define minimum as smallest number in integer (INT32\_MIN)
- Iterate through every element and compare.
- Also Recursively.

• Linear Search

- Iterate through each node and return if founded the element.

Improving linear search  
Search (12)



if(key == p->data)

{ q->next = p->next;

p->next = first;

first->= p;

}

### \* Insert

#### Before first node

Node \*t = new Node;

t->data = x

t->next = first

first = t

#### At some position

Alex position (x)

- iterate till position x (let it be p)  
~~x->next = node we want to insert (t)~~  
~~t->next = p~~

After position (x) insert (t) node

iterate till position x

t->next = x->next

x->next = t

- To iterate till position x is n

$\therefore$  Time =  $O(N)$

$\therefore$  minimum Time  $O(1)$

Max "  $O(n)$

- Create a linked list by inserting at last
- struct Node {  
 int data;  
 Node \*next; };

```
3 *First = NULL, *Last = NULL;
void InsertLast (int x)
```

```
{
```

```
Node *t = new Node;
```

```
t->data = x;
```

```
t->next = NULL;
```

```
if (first == NULL).
```

```
first = last = t;
```

```
else
```

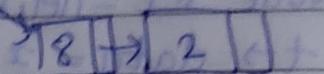
```
}
```

```
last->next = t;
```

```
t = last;
```

```
3
```

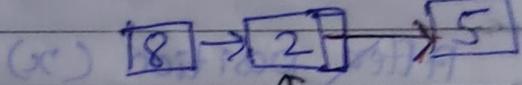
Before insert



~~first = t; last = t;~~

~~first = t; last = t;~~

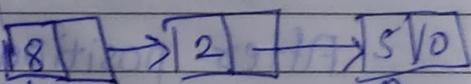
while executing insert last



~~adding x into tail list last = t;~~

~~(3) taking care of now new tail = tnext -> r~~

After executing



~~x is pointing to it; first = tnext -> r;~~

~~tnext -> r = tnext -> t;~~

~~t = tnext -> r;~~

~~n of x nullifying list starting at .~~

~~(n)0 = amT ;~~

Q10. amT minimum .

(n)0 n xDM

## \* Sorted list (Inserting in sorted list) [part 1]

- Compare value to be inserted with node data
- if value is less than a particular node data then insert (at position of)
- Cases to be consider
  - if it's the first element
  - if it is to be inserted in first position as the element to be inserted is smallest

## \* Deleting node

- case 1: deleting at first position or first node

• Node \*p = first; will deviate from:  
first = first → next; (if i am going to delete p;  
x = p → data; then i have to set  
delete p; (i will point next to p)

To make the first pointer to p's next.

Time  $\rightarrow O(1)$

Deleting at a particular position  
(2 pointers required)

Node \*p = first;

Node \*q = NULL;

for (i=0; i < pos-1; i++) {

    q = p

    p = p->next;

    q->next = p->next;

    x = p->data

    delete p

Time spent  $\rightarrow O(n)$  || as time depends on

position i.e. n

\* To check if sorted

- Iterate through linked list nodes
- compare with previous nodes data
- If current node is less than previous node then linked list is not sorted
- Else at the end node it will turn out to be sorted

\* Remove Duplicate from sorted linked list

- Iterate through each node
- If data at one node is similar to previous node
- then delete second duplicate node

Node \* p = first

Node \* q = first->next

while (q != Null)

}

if (p->data == q->data)

{  
    p = q;

    q = q->next;

    3

else

{  
    p->next = q->next;  
    q = p->next;

    delete q;

}

3

Time: O(n)

## \* Reverse linked list

- Reversing elements approach: ignore links
- Reversing links: show aim to mark 26
- Reversing elements: ignore links method
  - (1) iterate and copy element data in an array (auxiliary array)
  - decrement array pointer = and copy it in linked list

p = first

i = 0

while (p != null)

{

A[i] = p-&gt;data;

p = p-&gt;next; p = front-q

i++;

}

p = front; i--;

while (p != null)

{

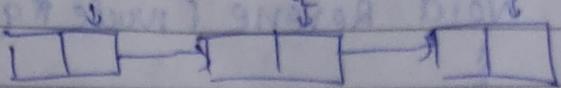
p-&gt;data = A[i - 1];

p = p-&gt;next;

}

Reversing links in a singly linked list

- Sliding pointer (3 pointers next to each other)



(Initial state)

- Iterate through pointers ( $P$ ) with pointer  $q$  and  $r$  as sliding pointers following next to it
- After every loop of  
 $\text{while } (P) \neq \text{Null}$

{

$x = q$

$q = p$

$p = p \rightarrow \text{next}$

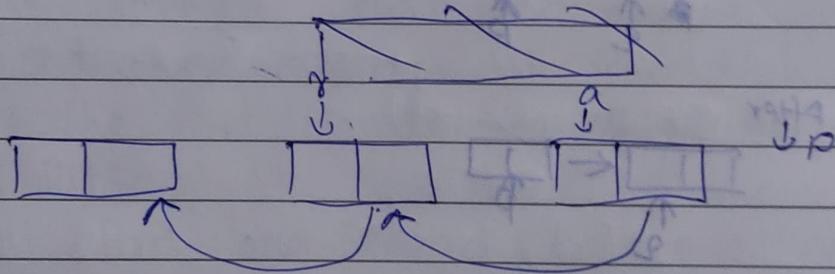
execute

(to reverse links)

}

- Make  $q$  the last node (last first approach)

$\text{first} = q$



Time :  $O(n)$  (+ to iterate)

- Recursive Reverse of linked list

void Reverse (Node \*q, Node \*p)

{

    if (p != Null)

    {

        Reverse (p, p->next);

        p->next = q; // while returning p.

    }

    else

    {

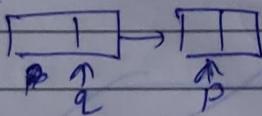
        first = q;

    }

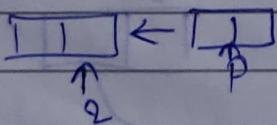
- First search till end of node using recursion then

- Reverse links

Before



After



(3 thoughts of) (no : smit)

## \* concatenation of 2 Linked List $\text{first} \neq \text{None}$

- Reach the end of first linked list node
- Make the next of last node of first linked list point to the beginning of second linked list

Time  $O(n)$   
 $p = \text{first}$   
 $\text{while } (p \neq \text{None})$   
 $\quad p = p \rightarrow \text{next}$

~~3 while to go after reaching out even~~  
 $p \rightarrow \text{next} = \text{second};$  ~~store it to write too~~

~~Second = Null; If As nothing need of this pointer anymore as p is sufficient~~

## \* Merging of 2 linked list in sorted way

- Iterate through first and second linked list and the smallest data should be made the first node of third (merged) linked list
- until first and second both are not Null
  - if first is less than second then
    - merge the link of third node to current node of first
    - make third's node the current node and  $p = \text{first}$
    - increment current Node
    - make  $\text{last} \rightarrow \text{next} = \text{Null}$
  - similarly if second is less than first then

if (first == NULL)

last->next = first

else till last->next != first break

till last->next = second & q->next = first

till last->next = p->next & p->next = first

Time  $\Theta(M+N)$

$\uparrow$  first & second  
no & first elements (number & nodes pointed by second pointer)

elements

by second pointer

first = q

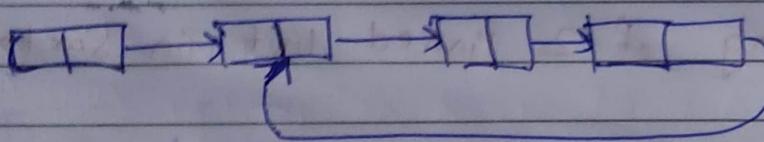
(q->next) = first

\* Check for loop in linked list

first = q

- Move two pointers with one at slow speed and other at greater speed: first = q

- If at any point they meet each other then there's a loop



break bridge long first & second start

set first = start & second = first

(loopexist(Node \*f)) { first = start;

{ Node \*p, \*q;

while (p != q || p->next != q->next) { first = start;

next = p->next; if (next == NULL) {

return bridge\_to\_start = q->next; } else {

p = p->next; if (p == NULL) {

next = q->next; if (next == NULL) {

q = q->next; if (q == NULL) {

q->next = NULL; } else { q = q->next; } } } }

} while (p != q || p->next != q->next);

first = start; if (bridge\_to\_start == NULL) {

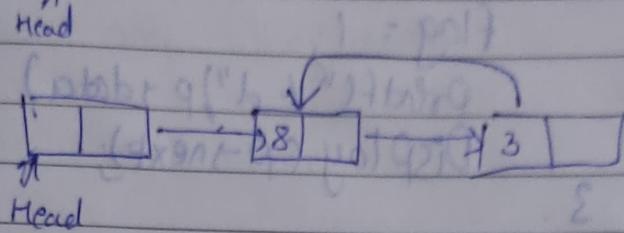
return  $p == q$ ? true : false;

if true then the return  
true false

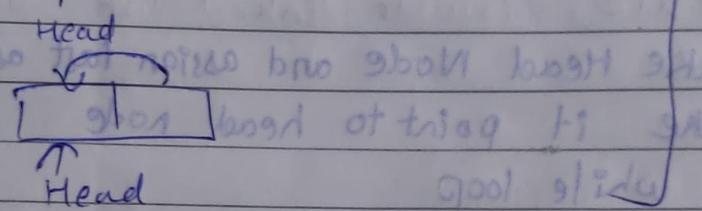
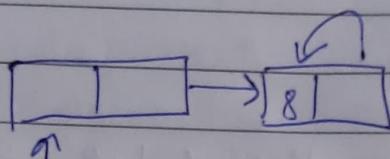
(Q + 9 points) for 19/20 marks

### \* Circular linked list

- last node is connected to first node.



ways to  
represent  
circular  
linked  
list



### \* Display a circular linked list from next <

then to p = begin over

void display(Node \*p)

begin then begin begin over

do

while ! (p->next == begin) print "%d", p->data;

$p = p \rightarrow next;$

end while (p->next == begin); print "%n";

3

begin display (begin); then begin isn't exclamation.

begin of block, then write here

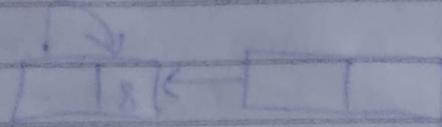
\* Display Circular linked list using recursion

void Display (Node \* p)

```

    {
        static int flag = 0;
        if (p == Head & flag == 0)
            flag = 1;
        cout << " " << p->data;
        Display (p->next);
    }
}

```



\* Create Circular linked list by

- make Head Node and assign last as head node
- make it point to head node
- in while loop
  - Assign address in heap to a node
  - Enter data
  - then make the node point to the node pointed by last node
  - Make last node point to current node
  - make current node last node

\* Inserting in circular linked list; Similar as normal linked list `list-> * h-> * ) + n`

\* Inserting after (last) node or before head node

- Iterate till last node  
then make the last node point to the new node



- make new node the head node based on case if the new node is to be inserted before head or after last condition

\* Deleting from circular linked list  
cases

- Deleting from Head node right burst
  - Deleting any other node ?

→ Deleting ang other node  
 $p = \text{Head}$   
 for ( $i=0$ ;  $i < \text{pos} - 2$ ;  $i++$ )  
 $p = p \rightarrow \text{next};$       → Reasons:  
 $q = p \rightarrow \text{next};$   
 $p \rightarrow \text{next} = q \rightarrow \text{next};$   
 $x = q \rightarrow \text{next};$   
 $\text{delete } q;$

→ Deleting head node

while ( $p \rightarrow next \neq Head$ )

$p = p \rightarrow \text{next};$

$p \rightarrow \text{next} = \text{head} \rightarrow \text{next};$

`x = Head[1] → data; global t1, x1, y1`

delete Head · noitizog xadta . yna ·

Head = p->next ;

Time  $O(n)$

9607 721 92099

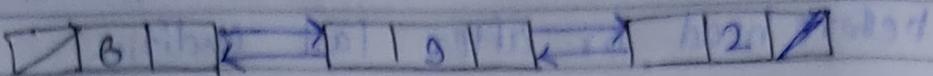
~~ghost was +\* than~~

R = 0.0654

Homework

~~10A & bag t+~~

~~Double linked list with show with print~~



Node		
Prev	Data	Next

struct Node

{

    struct Node \*prev;

    int data; // can also use int prev;

    struct Node \*next;

};

creating

Struct Node \*t

t = new Node; t->prev = NULL;

t->data = 10;

t->next = NULL;

\* Inserting in Doubly linked list

(1) Before 1st Node

• Cases

• Before 1st Node :  $t = \text{NULL}$  &  $\text{length} = 0$

• Any other position :  $t = \text{NULL}$  &  $\text{length} = 1$

• Before 1<sup>st</sup> node

Node \*t = new Node,

t->data = x

t->prev = NULL;

t->next = first

first->prev = t

first = t

• Any other position:

• After some position:

Node \* p = first

for ( $i=0; i < pos-1; i++$ )  $\rightarrow$  Time Depends on this

$p = p \rightarrow \text{next};$

Node \* t = NewNode;

$t \rightarrow \text{data} = x$

$t \rightarrow \text{next} = p \rightarrow \text{next};$

$t \rightarrow \text{prev} = p; q = t \rightarrow \text{next};$

if ( $p \rightarrow \text{next} \neq \text{NULL}$ )

$p \rightarrow \text{next} \rightarrow \text{prev} = t;$

$p \rightarrow \text{next} = t;$

Normal function to insert node at position  $i$  (Time  $O(n)$ )

\* Deleting a node in linked list  $x_9595+q = q$

• Cases how to delete node in linked list

1) Delete 1<sup>st</sup> Node  $11001 = 1q$  first node

2) Delete any other node.

Deleted 1<sup>st</sup> node

Node \* p = first;

first = first  $\rightarrow$  next;

$x = p \rightarrow \text{data};$

delete p;

if (first)

$\{ \text{first} \rightarrow \text{prev} = \text{NULL} \}$

Deleted 1<sup>st</sup> node

• Deleting any other node.

write for ( $i=0; i < pos-1; i++$ ) - Time  $O(n)$

$p = p \rightarrow \text{next};$

$p \rightarrow \text{prev} \rightarrow \text{next} = p \rightarrow \text{next};$

if ( $p \rightarrow \text{next}$ )  $p \rightarrow \text{next} \rightarrow \text{prev} = p \rightarrow \text{prev};$

Deleted p node

### X Reverse

$p = p_{\text{first}}$ ;

while( $p$ )

{ $t = \text{temp} = (\text{p}[\text{i}], \text{p}[\text{co}[\text{i}]], \text{p}[\text{c}])$  ; }  $\rightarrow$

$\text{temp} = p \rightarrow \text{next}$ ;  $\rightarrow \text{trans} = q = 9$

$p \rightarrow \text{next} = p \rightarrow p_{\text{prev}}$ ;  $\rightarrow \text{trans} = t = 9$

$p \rightarrow p_{\text{prev}} = \text{temp}$ ;  $\rightarrow \text{trans} = q = 9$

$p = p \rightarrow p_{\text{prev}}$ ;  $\rightarrow$  as  $p$  changes, removed forward

if ( $p \rightarrow \text{next} = \text{NULL}$ )  $\rightarrow$  if  $p$  is last node

$\text{first} = p$   $\rightarrow$  makes it first

3

$\rightarrow \text{trans} = q = 9$

$\rightarrow \text{trans} = q = 9$

condition ( $p = \text{NULL}$ ) is given bcz at last node  
 $p = p \rightarrow p_{\text{prev}}$  which will make the  $p$  NULL  
 and will make the first NULL; so to  
 avoid this  $p \neq \text{NULL}$  condition is given

### Types of linked list [Comparison]

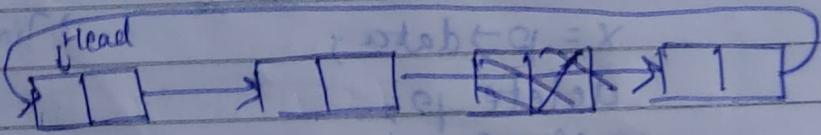
Head

$\rightarrow$  body (web or video 22m)

Linear  
singular



Non Circular  
singly



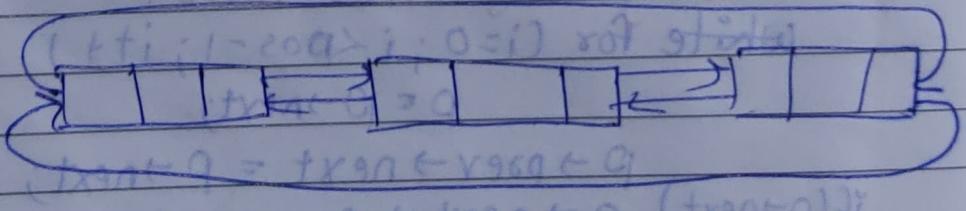
Doubly



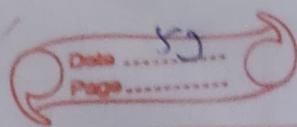
Both

$\rightarrow$   $t = t + 1 - \text{co} > i : 0 = i$  not stored

Doubly  
Circular



Doubly & Doubly Circular has ~~only~~ same  
space (or contains same space)



## \* Difference between Linked list & vs Array (web or video #225)

(Depends on situation, which is better)

## \* Find Middle node

- In 2 scans.

→ find length of list  $\rightarrow$  count of nodes  
→ Reach node  $[length/2]$

- In 1 scan

→ take two pointers p & q.  
• make q jump two nodes & p jump 1 node  
• when q reaches NULL p will be already  
at middle

$p = q;$   
while (q)

$trit = 0;$

{

$(q, l, k) \rightarrow q \rightarrow (q) \rightarrow l \rightarrow k$

$q = q \rightarrow next$

$if (q) q = q \rightarrow next$

$(q, l, k) \rightarrow q \rightarrow (q) \rightarrow l \rightarrow k$

$printf("%d", p \rightarrow data)$

}

- Using 1 scan on stack.

- Insert all linked list data in stack

- Then pop half the stack size the  
1st element in stack will be the  
address of middle element

## 7 Find intersection of two linked lists

(7.6.5 You have to draw)

- take pointer and start pushing the address of <sup>node</sup> stack of 1st linked list in stack.
- Do similar with second linked list
- Start popping out address
  - maintain its copy
- Once the addresses become uncommon  
when the last popped address is copied is the intersecting point

\* p = first

while (p) push (&stk1, p)

p = second;

while (p) push (&stk2, p)

while (stackTop(stk1) == stackTop(stk2))

{ p = pop (&stk1);

pop (&stk2); }

}

• Just no more i print  
data in stack till both are same  
out print data out from both  
out so like print in terminal  
terminal giving to user