

A. Problem Statement

We would like to test the following hypotheses:

$$H_0: p = 0.8$$

$$H_A: p \neq 0.8,$$

Where:

- p is the proportion of all former students of Dr. Difficult's Calculus class who got A's.

In order to test this, we need to know more about the sampling distribution of

(1) _____.

B. Actual Sampling Distribution Creation

If we wanted to create this sampling distribution by hand, that would help us test these hypotheses we would need to do the following.

1. Collect M random samples (2) _____ (WITH/WITHOUT) replacement from the population of all former Dr. Difficult calculus students.
2. Then calculate the (3) _____ of each of these random samples and put them in a list.

C. Theoretical Sampling Distribution

HOWEVER, we don't actually need to create this sampling distribution above, because we know the following things about this sampling distribution.

1. The mean of this sampling distribution is approximately (4) _____.
2. The standard deviation of this sampling distribution (aka the standard error) is approximately (5) _____.
3. Because the following (6) _____ Theorem conditions for (1) _____ below hold, then the distribution of (1) _____ is (7) _____.
 - a) _____.
 - b) _____.
 - c) _____.

D. What does a p-value really mean?

Because the sampling distribution of (1) _____ is (7) _____, we are able to calculate the p-value which represents

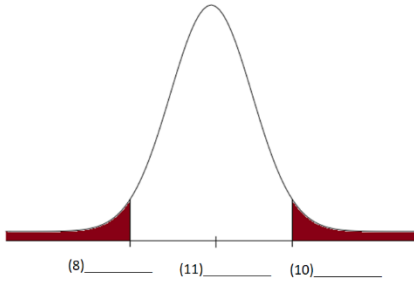
p-value = P ((1) _____ that are at least as suspicious (of the alternative hypothesis) as (8) _____ *assuming that* (9) _____)

For this problem, a (1) _____ that is at exactly as suspicious (of the alternative hypothesis) as (8) _____ is (10) _____.

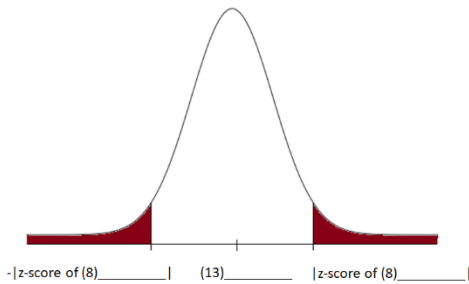
E. Calculating the p-value

We will assume $H_0: p = 0.8$ in this entire box.

Sampling Distribution of (1) _____



Distribution of the Z-scores of (1) _____



Furthermore, because the sampling distribution of
(1) _____ is (7) _____,
the distribution of the z-scores of the (1) _____
follows the (12) _____ distribution, which
we know has a mean of (13) _____ and a standard deviation of
(14) _____.

The z-score of (8) = (15) _____.

Interpreting the p-value

The p-value is the area represented in red (in all two plots to left).

Therefore, because our p-value that we calculated

(16) _____ (IS/IS NOT) smaller than $\alpha = 0.01$, it (17) _____
(DOES/DOESN'T) make us suspicious
enough of our *base assumption*, to make us claim that there is
sufficient evidence to suggest $H_A: p \neq 0.8$.