

Digital Electronics

Class 10

Lab 18







Lab Objectives:

- Number Complement
- 1's complement
- 2's complement

l's complement

1's complement of a binary number is another binary number obtained by toggling all bits in it, i.e., transforming the 0 bit to 1 and the 1 bit to 0.

One's Complement

Invert all bits. Each 1 becomes a 0, and each 0 becomes a 1.

Original Value	One's Complement
0	1
1	0
1010	0101
1111	0000
11110000	00001111
10100011	01011100
11110000 10100101 —	00001111 01011010







Examples:

Let numbers be stored using 4 bits

1's complement of 7 (0111) is 8 (1000) 1's complement of 12 (1100) is 3 (0011)

2's complement

2's complement of a binary number is 1 added to the 1's complement of the binary number.

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Example #1
5 = 00000101
\downarrow \downarrow \downarrow \downarrow \downarrow \downarrow \downarrow \downarrow
11111010
-5 = 11111011

Example #2
-13 = 11110011
\downarrow \downarrow \downarrow \downarrow \downarrow \downarrow \downarrow \downarrow
00001100
+1
13 = 00001101
Complement Digits
Add 1
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Let numbers be stored using 4 bits

2's complement of 7 (0111) is 9 (1001)

2's complement of 12 (1100) is 4 (0100)

Difference

These representations are used for signed numbers.

The main difference between 1's complement and 2's complement is that 1's complement has two representations of 0 (zero) – 00000000, which is positive zero (+0) and 11111111, which is negative zero (-0);

whereas in 2's complement, there is only one representation for zero – 00000000 (+0) because if we add 1 to 11111111 (-1), we get 00000000 (+0) which is the same as positive zero. This is the reason why 2's complement is generally used.

Another difference is that while adding numbers using 1's complement, we first do binary addition, then add in an end-around carry value. But, 2's complement has only one value for zero, and doesn't require carry values.



