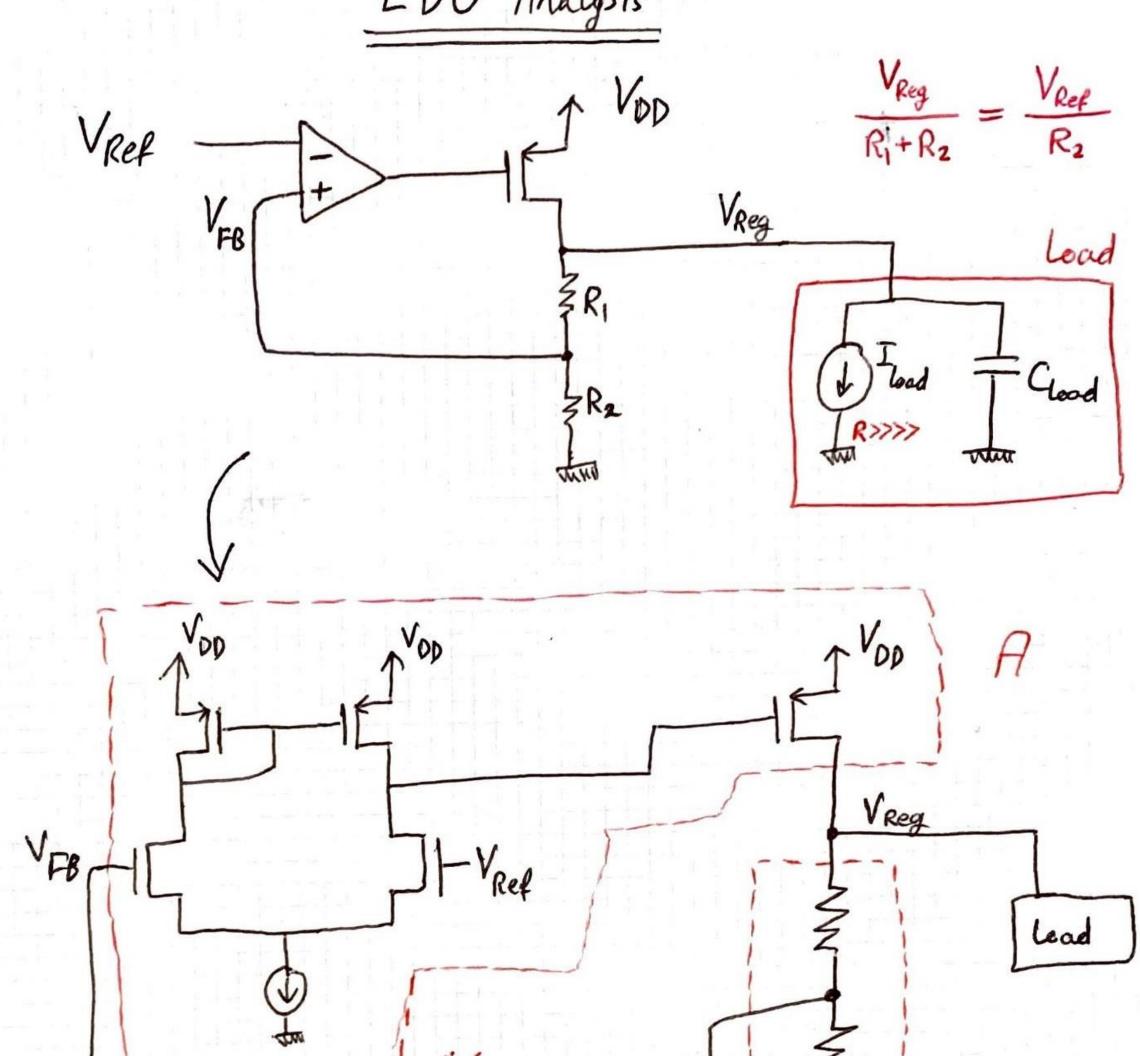
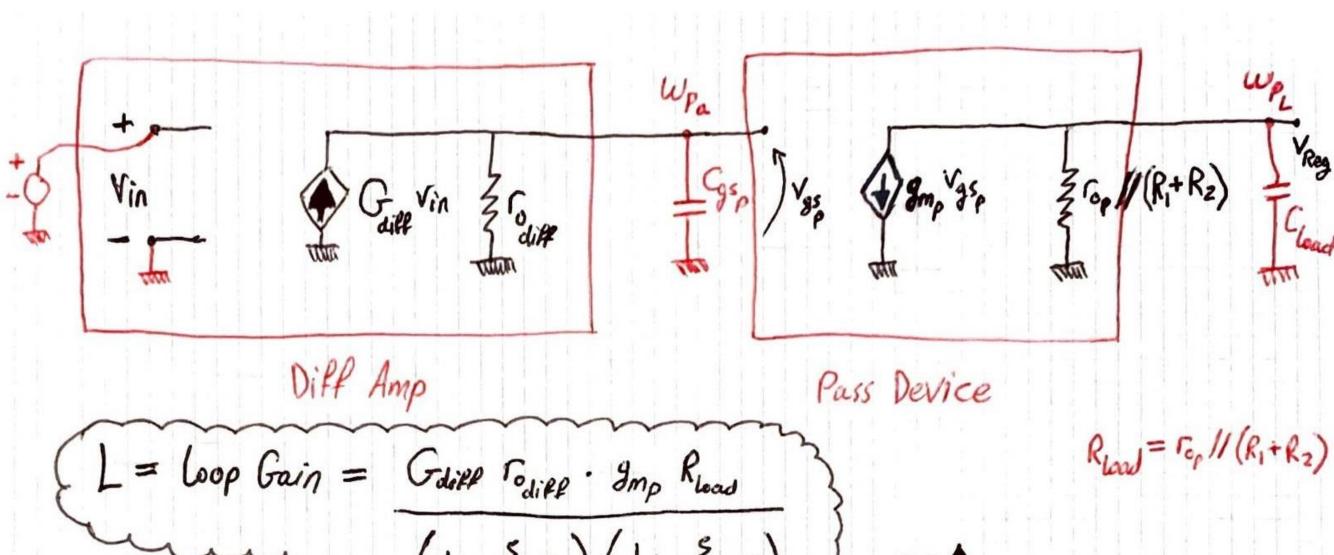
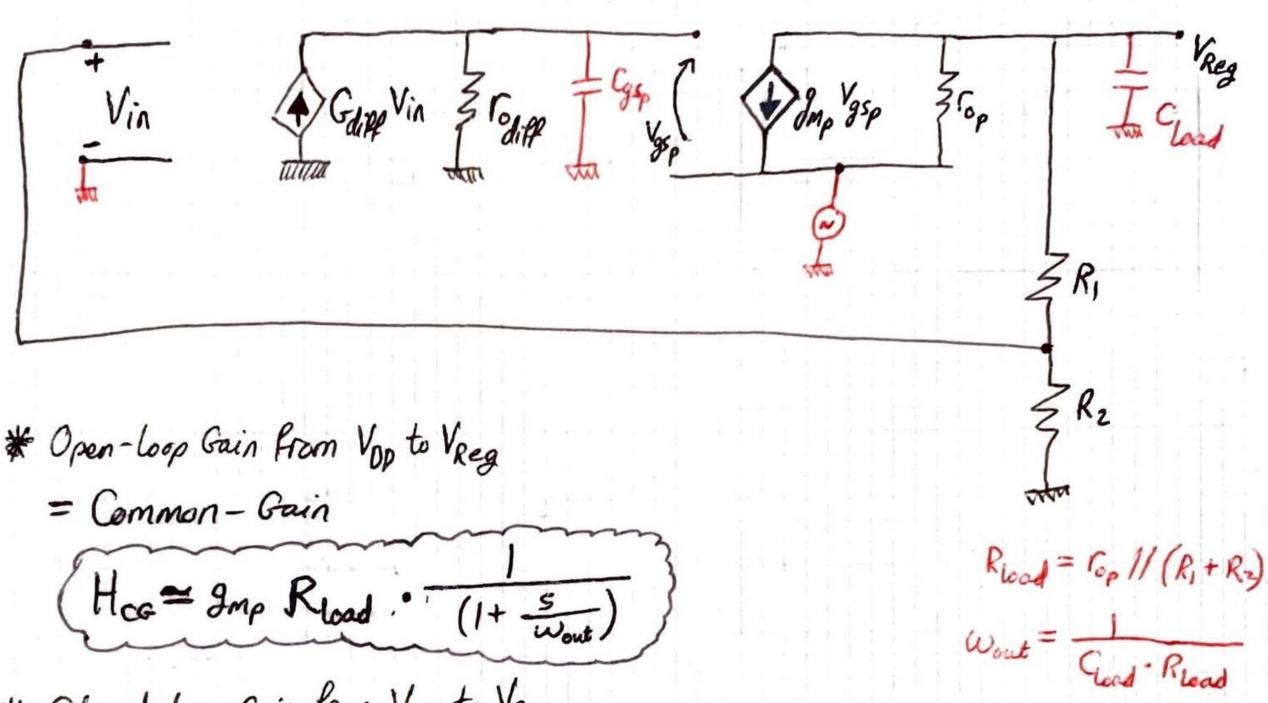
LDO Analysis



$$A_{CL} = \frac{A}{1+AB} = \frac{A}{1+L}$$



For PM



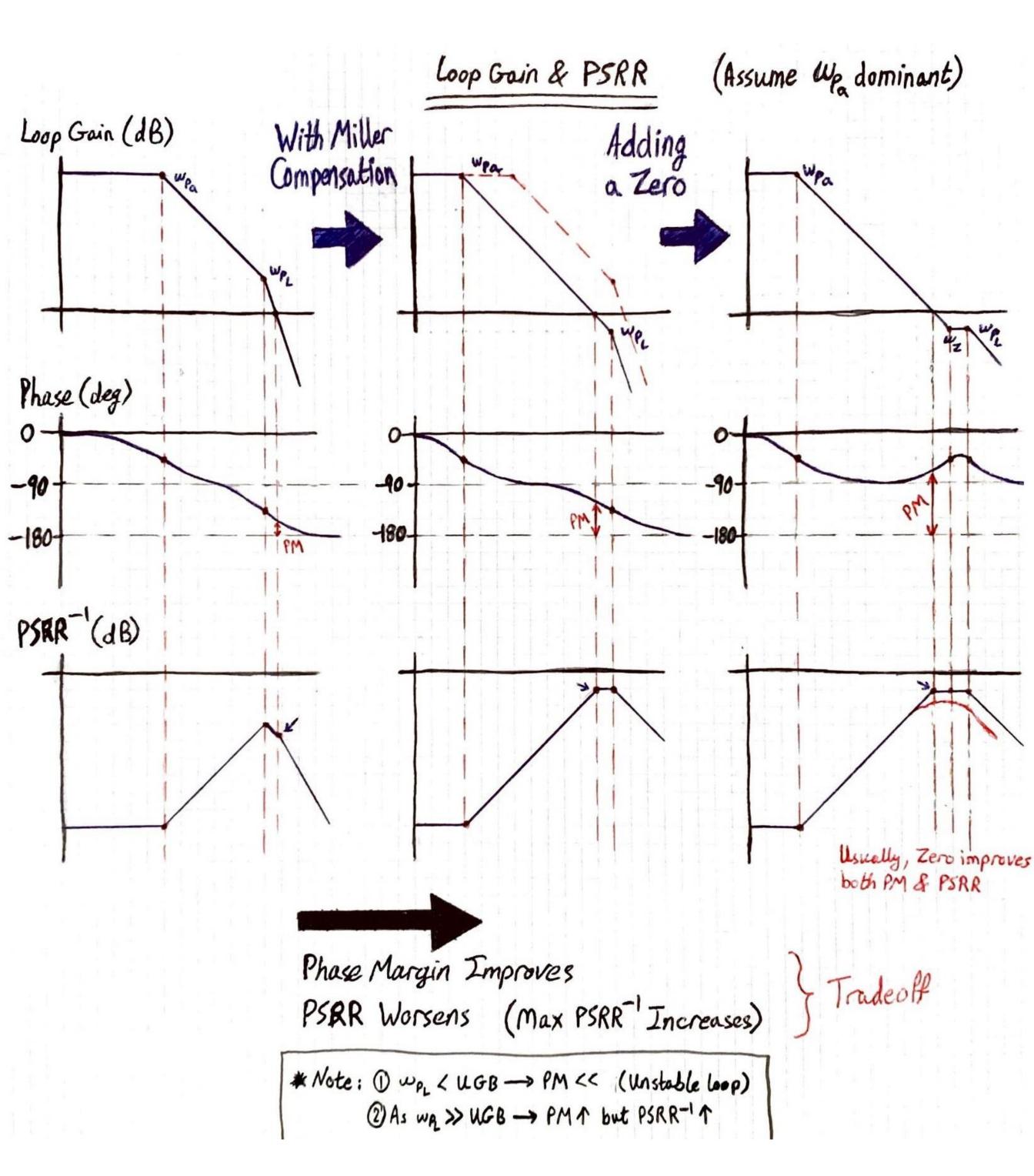
* Closed-Loop Gain from VDD to VREG

$$H = \frac{V_{Reg}}{V_{DD}} = PSRR^{-1} = \frac{H_{CG}(s)}{1 + L(s)}$$



For PSRR

* Usually: @ low Iwad > PM min @ high Iwad > PSRR min



(LDO Compensation)

O Miller Compensation:

1 dominant pole

$$w_{pa} = \frac{1}{\Gamma_{odiPP}(g_{mp}R_L)C_c + G_{Bp})}$$

2) Non dominant pole

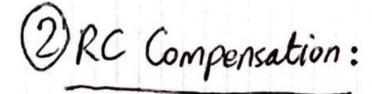
$$\omega_{p} = \frac{g_{mp}}{C_{gsp} + C_{L}}$$

RHP zero, reduces PM (undesirable)

$$UGB = W_0 = \frac{Gaippedighter Gaippedighter Gaippedighter$$

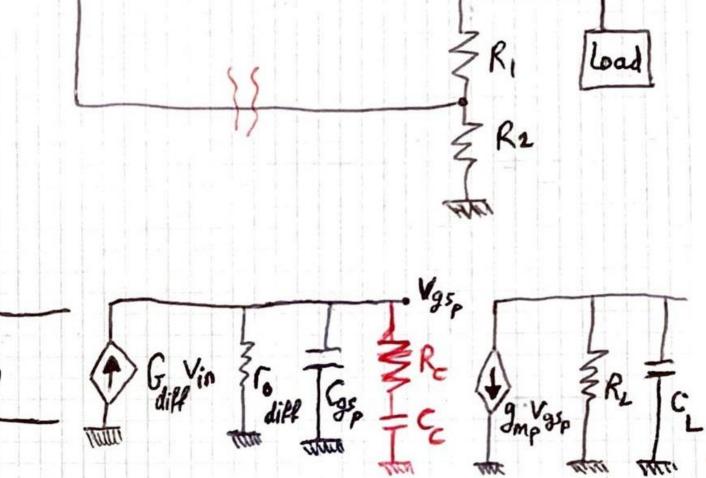
$$w_z = \frac{1}{C_c \left(\frac{1}{g_{mp}} - R_e\right)}$$

$$\searrow R_c > \frac{1}{g_{mp}}$$
to give phase lead
(improve PM)



Ly To find the zero, find the condition where Vgsp = 0:

$$\frac{\Gamma_0 \cdot \left(R_c + \frac{1}{sC_c}\right)}{\Gamma_0 + R_c + \frac{1}{sC_c}} = 0$$



$$\omega_{P_1} = \frac{1}{(r_0 + R_c)C_c}$$

$$\frac{2}{w_z} = \frac{1}{R_c C_c}$$

$$\omega_2 = \frac{1}{G_{gsp}(r_0 // R_c)}$$

$$w_3 = \frac{1}{C_L R_L}$$

at higher frequencies, Cc ~ as a short