

# Agenda

- ① Cars24 Data
- ② Data Notation
- ③ Goal of ML
- ④ Linear Regression Intuition
- ⑤ SKLearn Implementation
- ⑥ Loss function and Evaluation Metric

## Cars24 Dataset

- ① Goal : To build a ML Model that can predict price of used cars accurately

Target ① Sell\_Price

Features : 17

## Ordinal Encoding

OHE  $\Rightarrow$  X

## Target-Encoding

↓  
replace each of the category  
with its mean of that category  
↓  
(Target)

## Feature Scaling

① Min-max Scaler  $\Rightarrow [1, 1]$

② Standard Scaler  $\Rightarrow$    
mean = 0  
std = 1

① Feature Scaling make model training Faster

② Weights are more Interpretable

$$[10 \quad 20 \quad -5]$$

$$[-1, 1]$$

$$\begin{array}{l} \text{max\_val} = 20 \\ \text{min\_val} = -5 \end{array} \Rightarrow x_i = \frac{x_i - \text{min}}{\text{max} - \text{min}}$$

Target-Var : Selling-price

$$\downarrow$$

$$[a, b]$$

$$\downarrow$$

$$\mathbb{R}$$

Regression

# Data Annotation

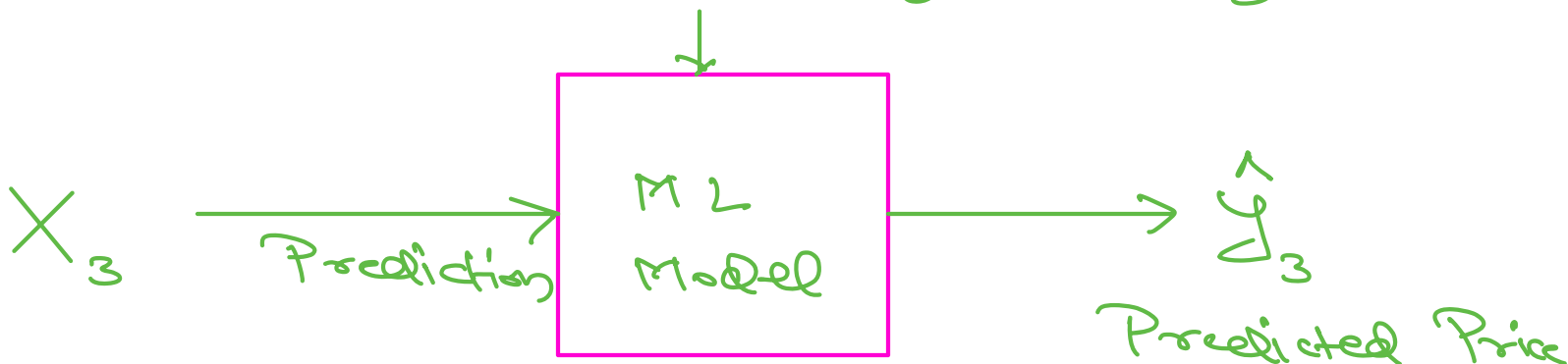
	$F_1$	$F_2$	$F_3$	$F_4$	...	$y$
1						
2						
3						
...						
$n$						

$x_i$

$x_3 \in \mathbb{R}^d$   
 $y_i = \text{Scalar}$   $y_3 = 1000 \text{ dollars}$



Training  $(X, Y)$





$$y_{\text{test}_2} - y_{\text{test}_\text{ref}}$$

1

## Linear Regression Intuition

### Linear Model

Linear Hyperplane



$$y = m x + c$$



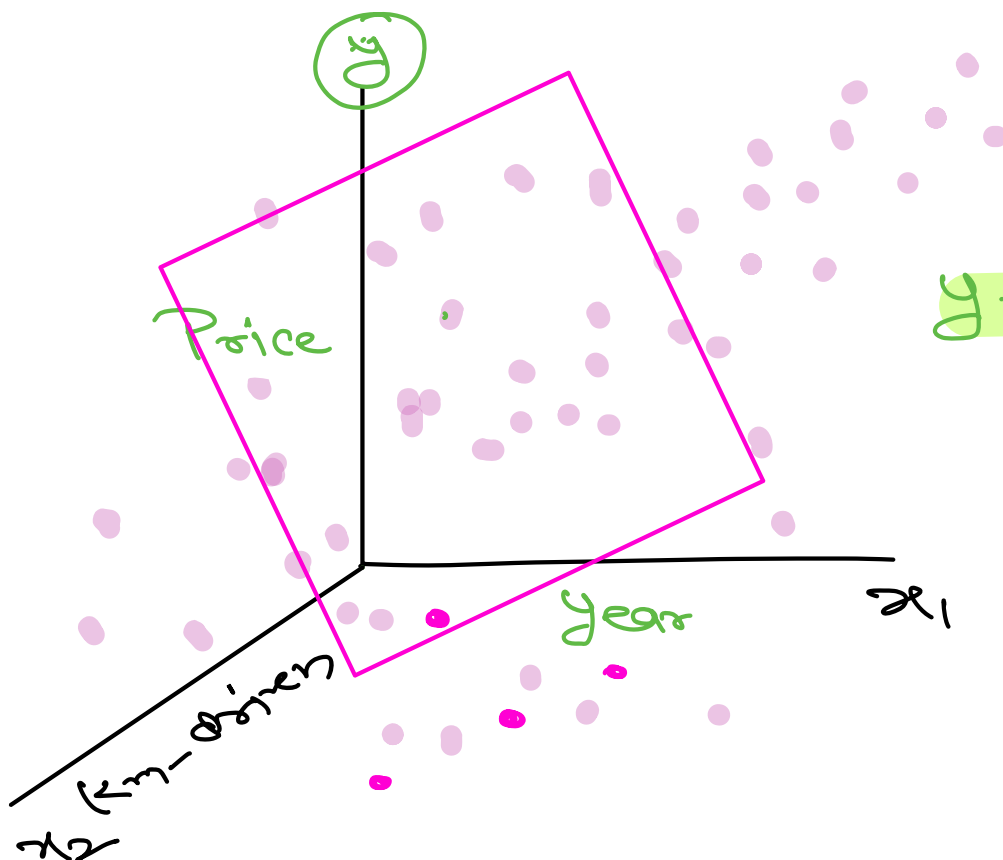
$$y = w_1 x + w_0$$

$w_1 = 2$   
 $w_0 = 5$  Σ Training  
 $y_i = 2x + 5$

$x = 2012$   $\Rightarrow$   $\hat{y} = 2 \times 2012 + 5 \Rightarrow 4029$  dollars

$y = 3500$

Diff  $\Rightarrow 4029 - 3500$   
 $\Rightarrow 529$



$y = w_1 x_1 + w_2 x_2 + w_0$

$$\left. \begin{array}{l} x_1 \\ x_2 \\ x_3 \end{array} \right\} \text{ Training } \begin{array}{l} 2 \\ 3 \\ -2 \end{array}$$

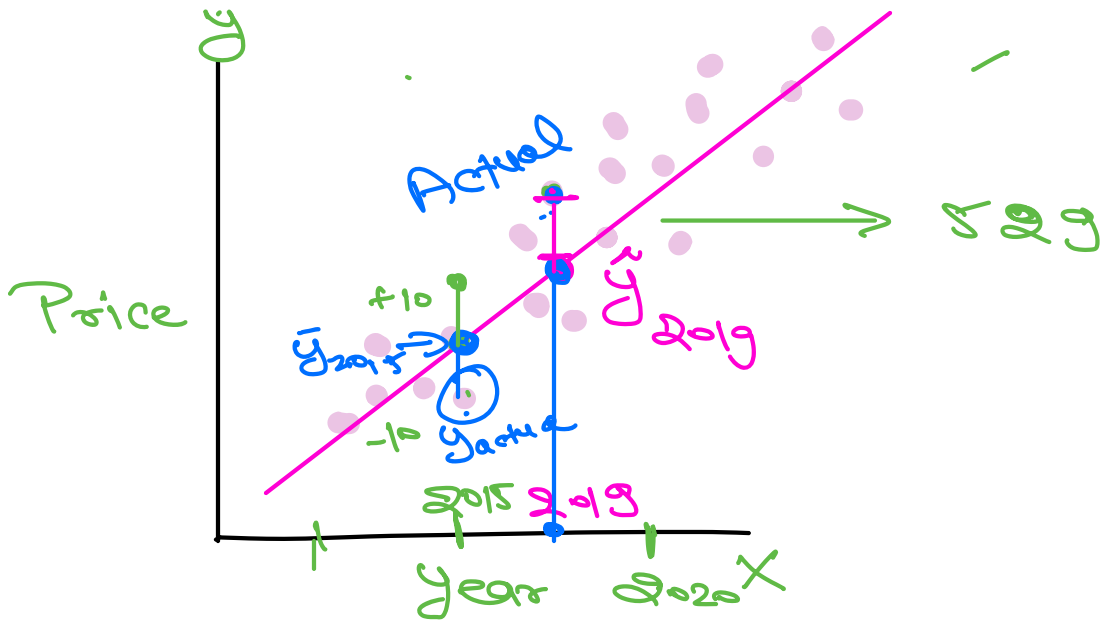
$$\begin{array}{ll} x_1 \in \mathbb{R}^{12} \\ x_2 \in \mathbb{R}^{1000} \end{array}$$

$$y = 2 \times 2012 + 3 \times 1000 - 2$$

2 features      1 target

How many parameters @ 3

Dimension of Hyperplane @  $2d$





Distance of Each of the prediction to their actual Values

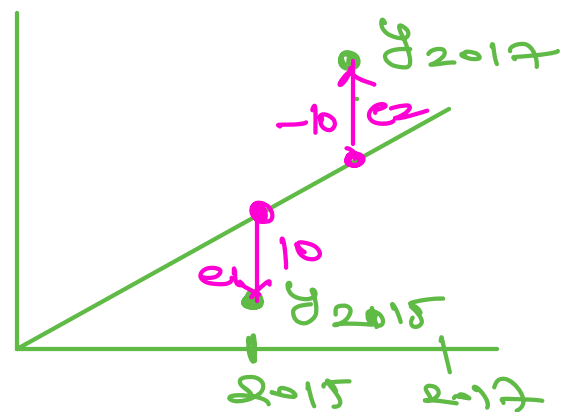
$$\textcircled{1} \begin{bmatrix} e_1 \\ e_2 \\ e_3 \\ \dots \end{bmatrix}$$

20% test-set

$$e_i \Rightarrow \hat{y}_i - y_i$$

~~Sum~~

$$e_1 + e_2 + e_3 + \dots$$



$$e_1 + e_2 \Rightarrow 0 \quad \times$$

② Sum of absolute

$$|e_1| + |e_2| + \dots$$

$$|e_1| + |e_2| + \dots$$

For a Good Model

min (Sum of absolute Error)



MAE is Mean Absolute Error

min

$$\frac{1}{n} \sum_{i=1}^n |e_i|$$

③  
✓

Sum of errors Square

$$\text{Total Error} = e_1^2 + e_2^2 + \dots$$



$$\text{MSE is } \frac{1}{n} \sum_{i=1}^n e_i^2$$

MAE	MSE

Fill this H.W

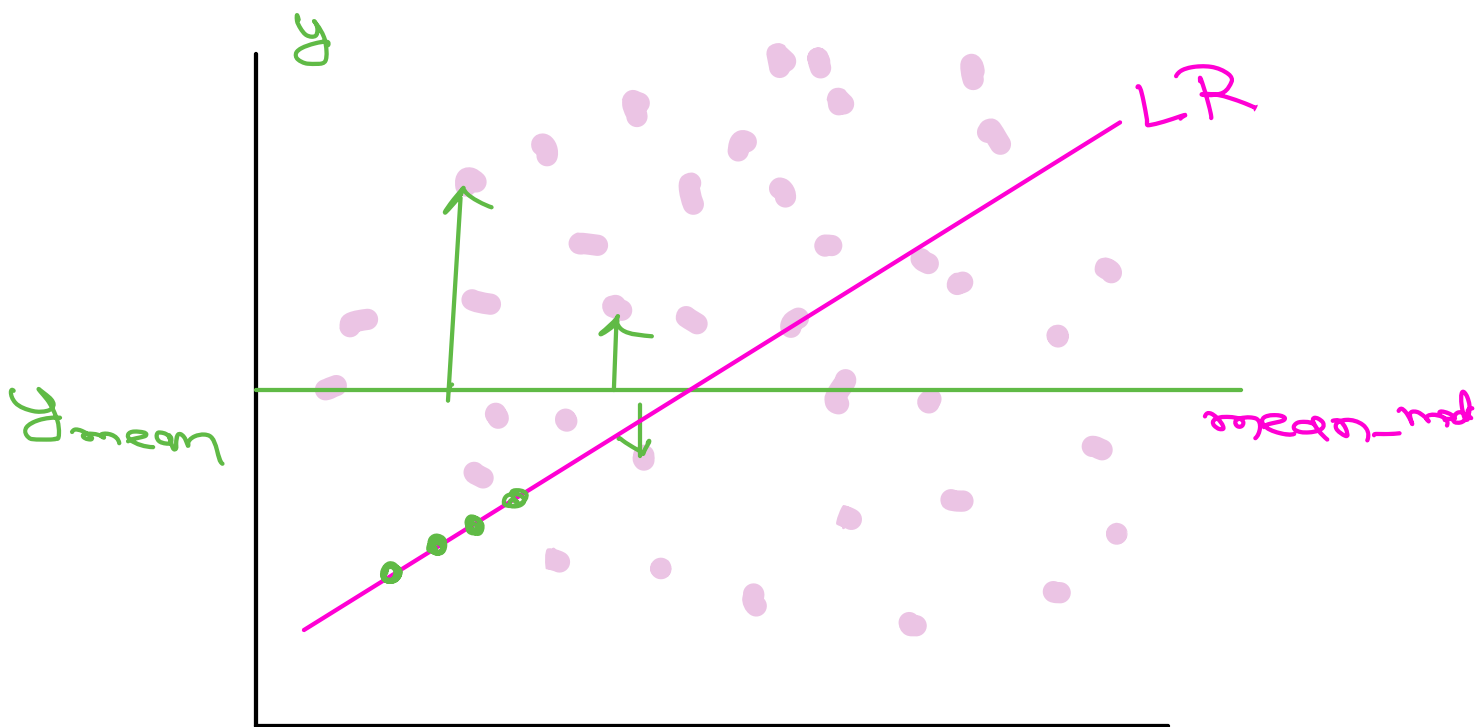
Q In Regression, Loss function itself can be used as Evaluation metric

MSE and MAE is minimum

$m_1$  2000  
MSE

$m_2$  1500

$m_2$  is better than  $m_1$



To compare any model with  
mean-model as Baseline

Error

$$SS_{\text{Total (mean)}} = \sum_{i=1}^n (y_i - y_{\text{mean}})^2$$

$$SS_{\text{res (LR)}} = \sum_{i=1}^n (y_i - \hat{y}_i)^2$$

$R^2$   
(R2-score)

$$1 - \frac{SS_{\text{reg}}}{SS_{\text{mean}}}$$

How well Linear Regression  
Model is doing compared  
to mean Model

Todo: Calculate R2-score

Case 1) LR Has Same Error  
as Mean

Case 2) LR Has 0 Error

Case 3) LR Has ∞ Error

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# ① Ordinal Encoding

Education-status

B.Tech  $\rightarrow$  3

12<sup>th</sup>  $\rightarrow$  2

10<sup>th</sup>  $\rightarrow$  1

## ② OHE

Make	Maruti	BMW	Ford
Maruti	1	0	0
BMW	0	1	0
Ford	0	0	1

## ③ Target Encoding

Make	
Maruti	Y <sub>mean</sub> of Maruti
BMW	Y <sub>mean</sub> of BMW
Ford	Y <sub>mean</sub> of Ford