## Lecture 10

# Event Processing The Event Calculus

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## Aims and Objectives

#### Aims

 Introduce the Event Calculus, a(nother) logical formalism for reasoning about actions, events and change over time

## Objectives

- Understand the EC engine for reasoning about actions and events
- Able to formulate simple problems in EC
- See the relation between state spaces, possible worlds and local states



# The Yale Shooting Problem (YSP)

- A classic example, due to Steve Hanks and Drew McDermott in 1987
- One actor, Fred, who turns out to be a turkey, and a gun
- Two fluents (propositions whose values change over time)
  - One for the state of the gun, which can either be loaded or unloaded
  - One for the state of Fred, which can either be dead or alive
- Two actions
  - Load the gun, after which the gun is loaded
  - Shoot the gun, after which Fred is dead, and the gun unloaded



# Logical Formulation of the YSP

• A *naive* formulation

```
-\neg loaded(N) \wedge load(N) \rightarrow loaded(N+1)
```

- $alive(N) \wedge loaded(N) \wedge shoot(N) \rightarrow dead(N+1)$
- $loaded(N) \wedge shoot(N) \rightarrow \neg loaded(N+1)$



# Reasoning about YSP (1)

- Given:
  - $\{alive(1), \neg loaded(1), load(1), shoot(2)\}$
- We can build a model for (satisfy):
  - $alive(2) \wedge loaded(2) \wedge dead(3) \wedge \neg loaded(3)$
- But we can also build a model for (Fred 'as 'eart attack):
  - $dead(2) \wedge loaded(2) \wedge dead(3) \wedge \neg loaded(3)$
- Because we did not say:
  - $alive(N) \wedge load(N) \rightarrow alive(N+1)$

# Reasoning about YSP (2)

- Given:
  - $\{alive(1), \neg loaded(1), load(1), shoot(2), load(3), shoot(4)\}$
- We can build a model for (satisfy):
  - $alive(2) \land dead(3) \land dead(4) \land dead(5) \land loaded(2) \land \neg loaded(3) \land loaded(4) \land \neg loaded(5)$
- But we can also build a model for (Fatal Attraction Fred):
  - $alive(2) \land dead(3) \land alive(4) \land dead(5) \land loaded(2) \land \neg loaded(3) \land loaded(4) \land \neg loaded(5)$
- Because we did not say:
  - $-\neg alive(N) \wedge load(N) \rightarrow \neg alive(N+1)$

## The Frame Problem

- Do we have to do this for everything?!
  - Everything not explicitly changed stays the same?
  - That which is true does not 'spontaneously' become false
  - That which is false does not 'spontaneously' become true
- This is the **frame problem**
- (Note: adding  $alive(N) \leftrightarrow \neg dead(N)$  isn't going to help)



## The Event Calculus

- General purpose language for representing events, and for reasoning about effects of events
- ...to overcome the frame problem
- An(other) action language with a logical semantics. Therefore, there are links to:
  - Implementation directly in Prolog.
  - Implementation in other programming languages.
- Prolog:
  - Specification is its own implementation;
  - Hence: executable specification.



## Fluents and Events

Focus on events rather than situations; local rather than global states

#### Fluents

- A fluent is a proposition whose value changes over time
- A local state: period of time during which a fluent holds continuously

#### Events

- initiate and terminate ...
- ... a period of time during which a fluent holds continuously

## Example

- give(X, obj, Y) initiates has(Y, obj)
- give(X, obj, Y) terminates has(X, obj)
- A sequence of such events forms a narrative



# Simplified Event Calculus (SEC)

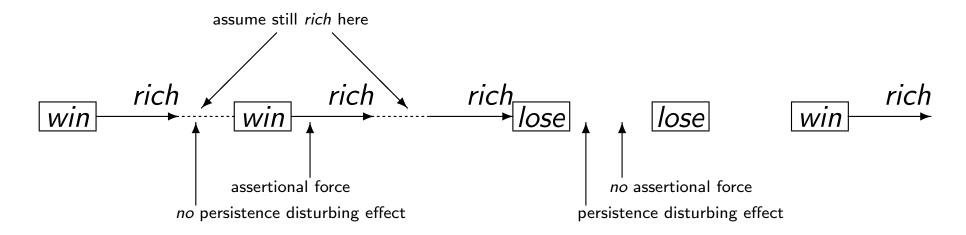
- Inertial fluents hold their values continuously
  - Values are assigned initially (at the start),
  - Values are given when asserted (initiated)
  - Values persist until disturbed (terminated)
  - Otherwise we have 'missing information'
- A formula of the form
  - Event terminates fluent
  - Has persistence disturbing effect, but no assertional force
- A formula of the form
  - Event initiates fluent
  - Has assertional force, but no persistence disturbing effect



## **Title**

#### Given

- win\_lottery initiates rich
  - \* Winning the lottery initiates rich (but you might be rich already)
- $lose\_wallet$  terminates rich
  - \* Losing your wallet terminates rich (but you might not be rich when you lose it)





### **Events and Narratives in SEC**

- Events occur at specific times (when they 'happen')
  - Assume that all events are instantaneous
  - Aside: there is a refinement of EC for events which have duration
- Here, we will use non-negative integer time-points
  - Does not mean we assume that time is discrete
  - Does not mean that time points have to be integers
  - We only need a relative/partial ordering for events
  - For non-negative integers, < will do</li>
  - Read < as 'earlier than' or 'before'</p>
- A set of events, each with a given time, is called a *narrative* 
  - Inference in the SEC is non-monotonic
  - Events in a narrative can be processed in a different order to that in which they occurred



## **General Formulation**

- The narrative (what happens when) is represented by:
  - initially F
    - \* Fluent F holds at the initial time point (usually 0)
  - -E happensat T
    - \* Event/action of type E occurred/happened at time T
- The effects of actions are represented by:
  - -E initiates F at T
    - st The occurrence of event of type E at time T starts a period of time for which fluent F holds
  - -E terminates F at T
    - \* The occurrence of event of type E at time T ends a period of time for which fluent F holds



# **General Query**

- The general query:
  - -F holdsat T
    - \* Fluent F holds at time T
  - -F holdsfor P
    - \* Fluent F holds for time period P
    - \* P is of the form  $(T_1, T_2]$
- Time comparisons are strict: therefore a fluent does *not* hold at the time point in which it is initiated
- Recall
  - Closed intervals [\_, \_] do include their end-points
  - Open intervals (-, -) do not include their end-points
  - Therefore interval during which a fluent holds is (open,closed)

# The SEC 'Engine'

```
F holdsat T \leftarrow
     0 \leq T \wedge
     initially F \wedge
     not (F \text{ brokenbetween } 0 \text{ and } T)
F holdsat T \leftarrow
     E happensat Te \wedge
     Te < T \wedge
     E initiates F at Te \wedge
     \quad \text{not} \ (F \ \text{brokenbetween} \ Te \ \text{and} \ T)
F brokenbetween Te and T \leftarrow
     E' happensat Ti \wedge
     Te \leq Ti \wedge
     Ti < T \land
     E' terminates F at Ti
```



## **Notes**

- Negation-as-failure (not(...)) ensures that inferences are non-monotonic
- Action pre-conditions can be expressed as integrity constraints
  - Some actions can't be performed at the same time
  - For example:  $give(X, obj, Y) \land give(X, obj, Z) \land not(Y = Z)$
  - Every time the narrative changes, query the integrity constraints to check consistency
- A simple extension allows many-valued (as well as boolean) fluents
  - Form is F = V: for boolean valued fluents,  $V \in \{true, false\}$
  - We need to add the following rule to the 'engine'

$$E \ \mbox{terminates} \ F = V1 \ \mbox{at} \ T \ \leftarrow \\ E \ \mbox{initiates} \ F = V2 \ \mbox{at} \ T \ \land \\ \mbox{not} \ \ (V1 = V2)$$

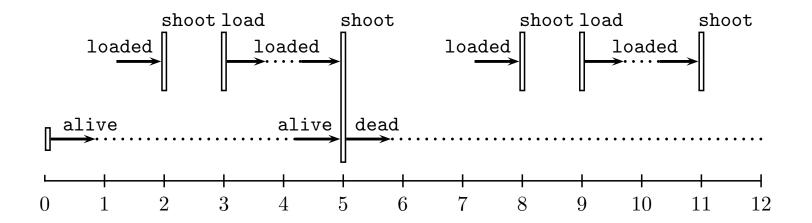


# Notes (2)

- There is a difference between:
  - eat(X) initiates have(X) = false at T
  - eat(X) terminates have(X) = true at T
- Suppose there was also the axiom:
  - regurge(X) initiates have(X) = true at T
- ullet Then, with this axiom for regurge and each alternative axiom for eat, think about the narratives
  - $happens\ eat(cake)\ at\ t_1$   $happens\ eat(cake)\ at\ t_1$
  - $happens \ regurge(cake) \ at \ t_1$  vs.  $happens \ regurge(cake) \ at \ t_2$
  - Disproving X = true doesn't (necessarily) mean proving X = false

# EC Formulation of YSP (due to Marek Sergot)

```
initiates(load,loaded,T).
initiates(shoot,dead,T) :- holds_at(loaded,T).
terminates(shoot,loaded,T).
terminates(shoot,alive,T) :- holds_at(loaded,T).
initially(alive).
happens(shoot,2).
happens(load,3).
happens(shoot,5).
happens(shoot,8).
happens(load,9).
happens(shoot,11).
```





## FWGC in EC

- We can specify the FWGC (farmer-wolf-goat-cabbage) problem in EC
- State representation:
  - Two values (l and r) suggests boolean fluents
  - Let f (is true) mean "the farmer is on the left bank"
  - So  $\neg f$  means "the farmer is on the left bank"
  - etc.
- So the initial state:

```
initially( f ).
initially( w ).
initially( g ).
initially( c ).
```



## **FWGC** in EC: Actions

- There are four possible actions (events)
  - The farmer moves on his own
  - The farmer takes the wolf
  - etc.



# **FWGC** in **EC**: Initiates/Terminates

- $\bullet$  The farmer moves on his own, so f 'toggles'
  - If f is false, initiate a period of time when f is true, and
  - If f is true, terminate a period of time when f is true
  - But: if the wolf is on the same bank as the farmer, then the goat had better be on the other bank
  - And, if the goat is on the same bank as the farmer, then the cabbage had better be on the other bank



## **FWGC** in **EC**: Narratives

• A sequence of events

```
/*
    ** with errors
    */
happens( moveFarmer, 1 ).
happens( moveFarmerGoat, 2 ).
happens( moveFarmerCabbage, 3 ).
happens( moveFarmer, 4 ).
happens( moveFarmerWolf, 5 ).
happens( moveFarmerGoat, 6 ).
happens( moveFarmerCabbage, 7 ).
happens( moveFarmerCabbage, 7 ).
happens( moveFarmer, 8 ).
happens( moveFarmerGoat, 9 ).
```



## FWGC in EC: Planning

- Assume: perform one action at each consecutive time point
- At each time point, select an action, add (assert) to database
- If it leads to a consistent narrative, create history and try another
- If if leads to a 'dead end', retract, backtrack and try another



# **Summary and Conclusions**

- The Event Calculus provides reasoning with fluents
- Planning and reasoning are important capabilities for implementing intelligent agents in multi-agent systems
- Symbolic reasoning is a necessary complement to sub-symbolic reasoning

