

## Faculty of Computing , Online Examinations 2022

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INDEX NUMBER (NSBM)	22795	YEAR OF STUDY AND SEMESTER	Year 1 Semester 2
MODULE NAME (As per the paper)	CS106.3- Data structures and Algorithms		
MODULE CODE	CS106.3		
MODULE LECTURER	Mrs. Manoja Weerasekara	DATE SUBMITTED	16.08.2022

For office purpose only:

GRADE/MARK	
COMMENTS	

## Declaration

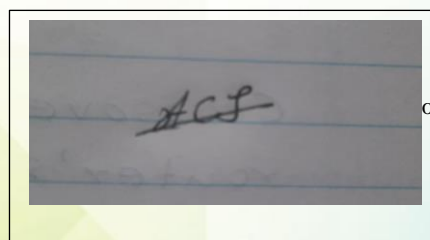
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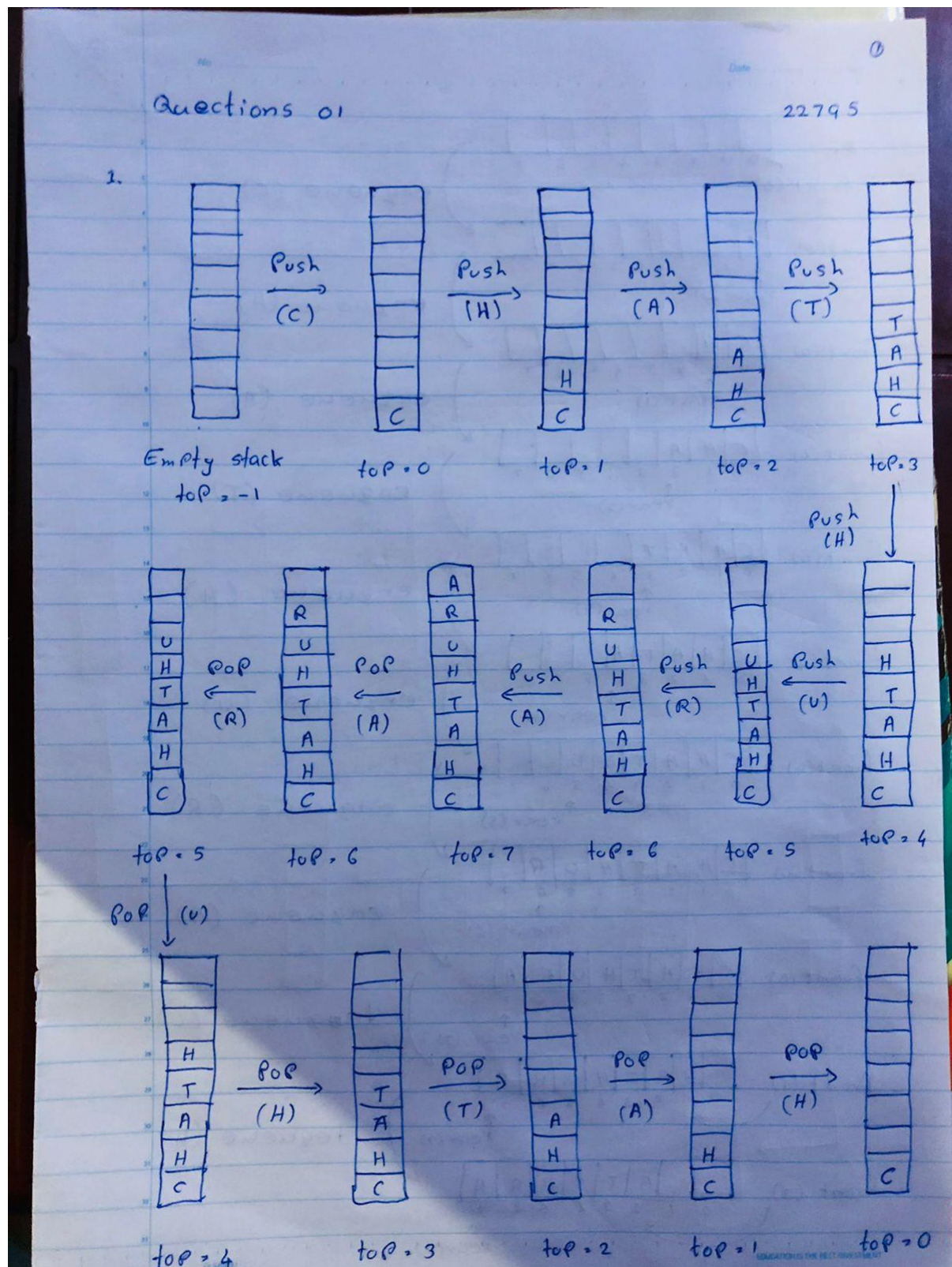
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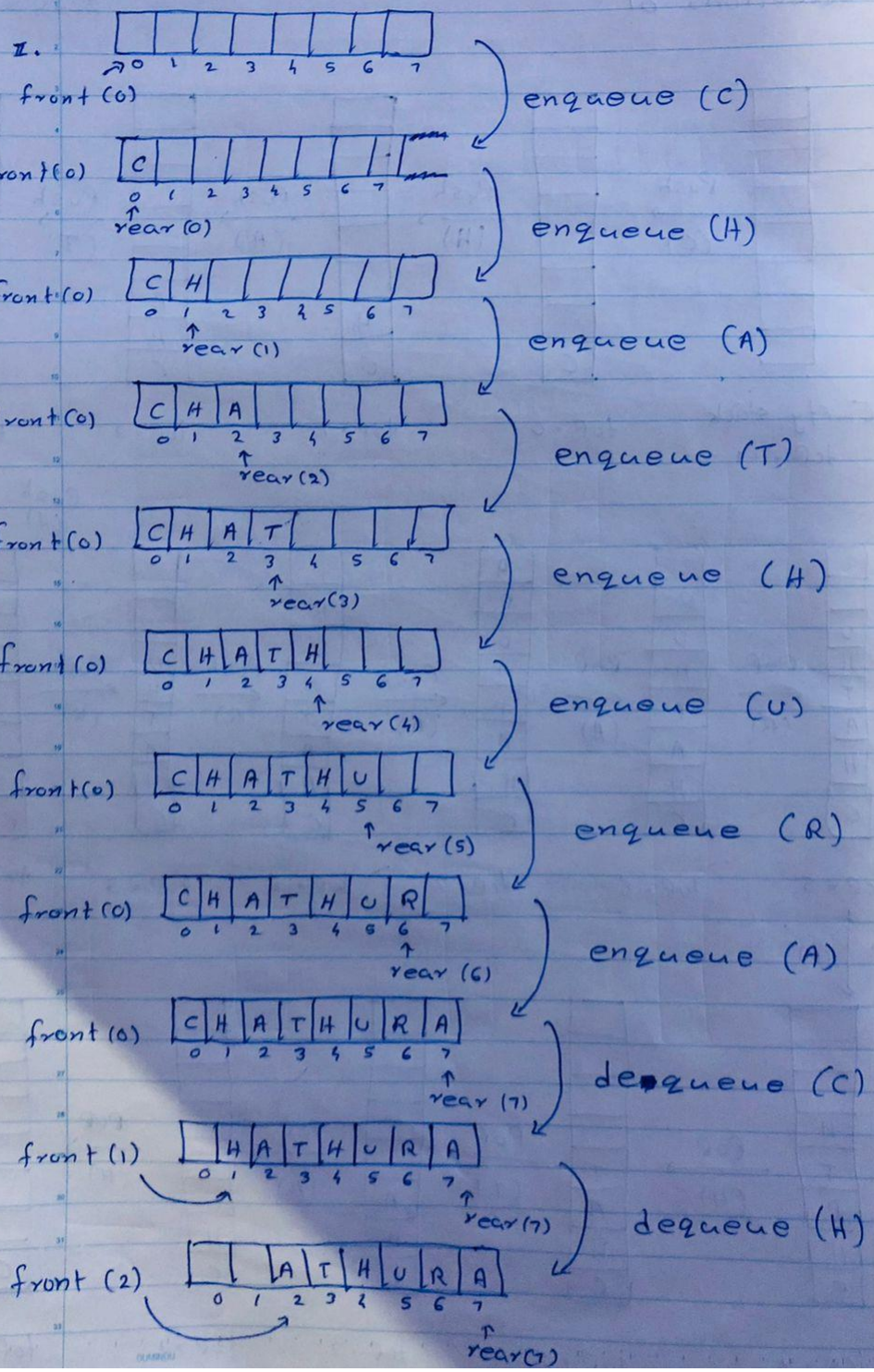
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# Question 1







2. struct queue {

int q [size];

int rear = -1;

int front = 0;

} st;

void enqueue (int item)

{

st.rear ++;

st.q [st.rear] = item;

}

struct stack {

int s [size];

int top;

} st;

void push (int item) {

st.top ++;

st.s [st.top] = item;

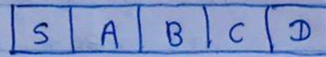
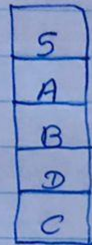
}



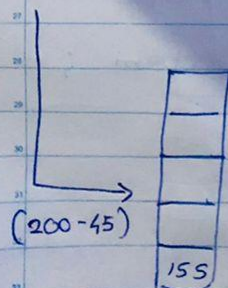
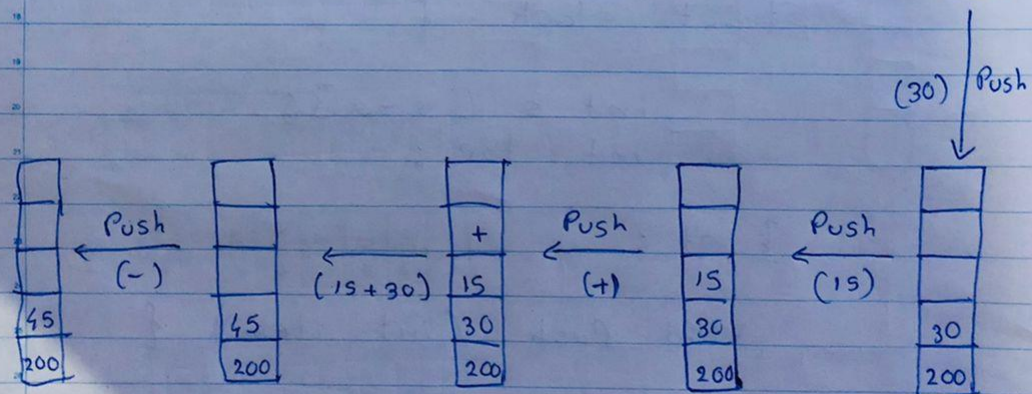
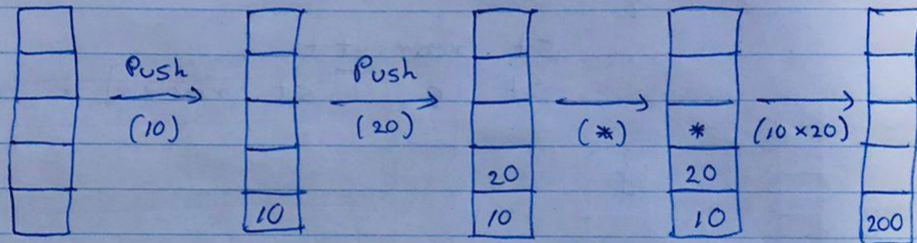
iv.

DFS

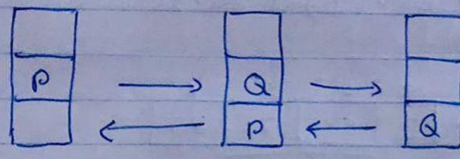
BFS



v.



vi.





## Questions 02

(6)

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2. Linear Search :

Search key (sk) = 8

let  $i = 0$

0	1	2	3	4	5	6
32	53	21	8	85	3	71

sk = 8

$arr[0] == sk$

False.

$i = 1$

$i++;$

32	53	21	8	85	3	71
----	----	----	---	----	---	----

$arr[1] == sk$

False

$i = 2$

$i++;$

32	53	21	8	85	3	71
----	----	----	---	----	---	----

$arr[2] == sk$

False

$i = 3$

$i++;$

32	53	21	8	85	3	71
----	----	----	---	----	---	----

$arr[3] == sk$

True.

$\therefore arr[3] = 8$

## Binary Search :-

\* for binary search, array must be sorted first.

0	1	2	3	4	5	6
32	53	21	8	85	3	71

after sorting :-

0	1	2	3	4	5	6
3	8	21	32	53	71	85

applying binary search :-

no. of elements = 7

mid value =  $\frac{0-6}{2} = 3$

Search key (sk) = 8

let  $i = \text{mid value}$ .

0	1	2	3	4	5	6
3	8	21	32	53	71	85

$i = 3$

$\text{arr}[3] == \text{sk}$

False.

$\text{sk} < \text{mid value}$ .

$\therefore i--$  ;

0	1	2	3	4	5	6
3	8	21	32	53	71	85

$i = 2$

$\text{arr}[2] == \text{sk}$

False.



$i--;$

0	1	2	3	4	5	6
3	8	21	32	53	71	85

$i = 1$

↑  
 $arr[1] == 8$   
True.

$\therefore arr[1] = 8 //$

ii. Application of bubble sort :

0	1	2	3	4	5	6
32	53	21	8	85	3	71

let  $i = 0, j = 0;$

$i = 0;$

0	1	2	3	4	5	6
32	53	21	8	85	3	71

Iteration = 1  
( $J = 0$ )

$arr[1] > arr[0];$  true.

$i = 1;$

0	1	2	3	4	5	6
32	53	21	8	85	3	71

$arr[2] > arr[1];$  False  
Swap

$i = 2;$

0	1	2	3	4	5	6
32	21	53	8	85	3	71

$arr[3] > arr[2];$  False  
Swap

$i = 3;$

0	1	2	3	4	5	6
32	21	8	53	85	3	71

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$\text{arr}[4] > \text{arr}[3] ; \text{True.}$

$i = 4 ;$ 

0	1	2	3	4	5	6
32	21	8	53	85	3	71

$\text{arr}[5] > \text{arr}[4] ; \text{false.}$   
Swap

$i = 5 ;$ 

0	1	2	3	4	5	6
32	21	8	53	3	85	71

$\text{arr}[6] > \text{arr}[5] ; \text{false.}$   
Swap

0	1	2	3	4	5	6
32	21	8	53	3	71	85

$i = 0 ;$ 

0	1	2	3	4	5	6
32	21	8	53	3	71	85

iteration = 2  
[j = 1]

$\text{arr}[1] > \text{arr}[0] ; \text{false}$   
Swap

$i = 1 ;$ 

0	1	2	3	4	5	6
21	32	8	53	3	71	85

$\text{arr}[2] > \text{arr}[1] ; \text{false}$   
Swap

$i = 2 ;$ 

0	1	2	3	4	5	6
21	8	32	53	3	71	85

$\text{arr}[3] > \text{arr}[2] ; \text{True.}$

$i = 3 ;$ 

0	1	2	3	4	5	6
21	8	32	53	3	71	85



$\text{arr}[4] > \text{arr}[3]$ ; False.

Swap.

$i = 4$ ;  

0	1	2	3	4	5	6
21	8	32	3	53	71	85

$\text{arr}[5] > \text{arr}[4]$ ; True.

$i = 5$ ;  

0	1	2	3	4	5	6
21	8	32	3	53	71	85

$\text{arr}[6] > \text{arr}[5]$ ; True.

$i = 0$ ;  

0	1	2	3	4	5	6
21	8	32	3	53	71	85

 iteration = 3  
( $i = 2$ )

$\text{arr}[1] > \text{arr}[0]$ ; False

Swap.

$i = 1$ ;  

0	1	2	3	4	5	6
8	21	32	3	53	71	85

$\text{arr}[2] > \text{arr}[1]$ ; True.

$i = 2$ ;  

0	1	2	3	4	5	6
8	21	32	3	53	71	85

$\text{arr}[3] > \text{arr}[2]$ ; False.

Swap.

$i = 3$ ;  

0	1	2	3	4	5	6
8	21	3	32	53	71	85

$\text{arr}[4] > \text{arr}[3]$ ; True.

$i = 4$ ;  

0	1	2	3	4	5	6
8	21	3	32	53	71	85

$\text{arr}[5] > \text{arr}[4]$ ; True.

(11)

$i = 5$  ; 

0	1	2	3	4	5	6
8	21	3	32	53	71	85

$arr[6] > arr[5]$  ; True.

$i = 0$  ; 

0	1	2	3	4	5	6
8	21	3	32	53	71	85

Iteration = 4  
( $j = 3$ )

$arr[1] > arr[0]$  ; True.

$i = 1$  ; 

0	1	2	3	4	5	6
8	21	3	32	53	71	85

$arr[2] > arr[1]$  ; False.  
Swap.

$i = 2$  ; 

0	1	2	3	4	5	6
8	3	21	32	53	71	85

$arr[3] > arr[2]$  ; True.

$i = 3$  ; 

0	1	2	3	4	5	6
8	3	21	32	53	71	85

$arr[4] > arr[3]$  ; True.

$i = 4$  ; 

0	1	2	3	4	5	6
8	3	21	32	53	71	85

$arr[5] > arr[4]$  ; True.

$i = 5$  ; 

0	1	2	3	4	5	6
8	3	21	32	53	71	85



Iteration = 5  
(j = 4)

i = 0; 

8	3	21	32	53	71	85
---	---	----	----	----	----	----

arr[1] > arr[0]; false.  
Swap

i = 1; 

3	8	21	32	53	71	85
---	---	----	----	----	----	----

Sorted ✓

Selection sort :-

0	1	2	3	4	5	6
32	53	21	8	85	3	71

min = 0; 

0	1	2	3	4	5	6
3	53	21	8	85	32	71

 Iteration = 1

if arr[min] < arr[i];  
Swap

0	1	2	3	4	5	6
3	8	21	53	85	32	71

 Iteration = 2

0	1	2	3	4	5	6
3	8	21	53	85	32	71

if arr[min] < arr[i];  
Swap

0	1	2	3	4	5	6
3	8	21	32	85	53	71

 Iteration = 3

0	1	2	3	4	5	6
3	8	21	32	53	85	71

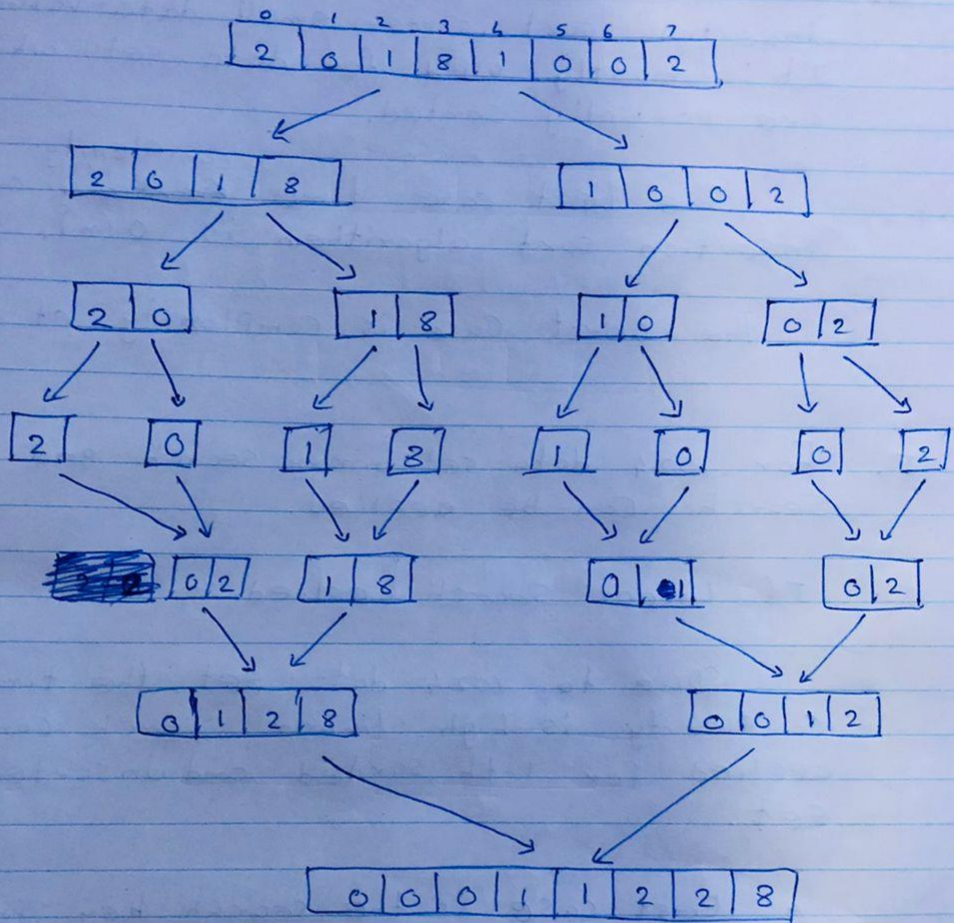
if arr[min] < arr[i];  
Swap

0	1	2	3	4	5	6
3	8	21	32	53	71	85

 Iteration = 4

Sorted ✓

iii. Merge Sort ;





iv. The best and most efficient to implement insertion sort is for small data values. It is mostly used for data sets which are partially sorted.

The best case time <sup>complexity</sup> ~~complexity~~ of insertion sort algorithm is  $O(n)$ .

The worst case is complexity of  $O(n^2)$ .

v. For 1024 data set binary search and linear search can be applied.

If linear search applied:-

Due to 1024 data set the time complexity is high. linear search can be applied for both sorted and unsorted data set.

\* Best case is the search key in first element. ~~of the data set.~~

\* Best case complexity is  $O(1)$ .

\* The worst case is the search key in last element of the data set.

Worst case complexity is  $O(n)$ .

If binary search is applied :-

In here binary search only can be applied to sorted data list.

∴ Applying binary search for sorted 1024 data set is more efficient than linear search.

\* Best case of the binary search for this 1024 data set is search key is in 512<sup>th</sup> data.

Best case =  $O(1)$ .

\* worst case scenario for the binary search for 1024 data set is search key is in 1024<sup>th</sup> or first data.

worst case =  $O(\log n)$ .



# Question 03

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x.

a. base case = A if  $(n < 2)$ .  
 recursive call = return fib  $(n-1)$  +  
 fib  $(n-2)$

b. 6

c. 5

II. Out Put 01 = 1 2 3 4 5 6 7 8 9 10

Out Put 2 = 10 9 8 7 6 5 4 3 2 1

III. function addupto  $(n)$  {

return  $n * (n+1) / 2$  → runs only one  
 time  
 }

∴ time complexity  $O(1)$ .

function addupto  $(n)$  {

let total = 0; ←  $C_1$

for (let i = 1; i <= n; i++) {

total += 1; ←  $C_6$

} ←  $C_5$   
 return total; ←  $C_7$ .

- $C_1 \rightarrow$  runs only one time
- $C_2 \rightarrow$  runs only one time.
- $C_3 \rightarrow$  runs  $(n+1)$
- $C_4 \rightarrow$  runs  $(n+1)$
- $C_5 \rightarrow$  runs  $(n)$  time
- $C_6 \rightarrow$  runs  $(n)$  time
- $C_7 \rightarrow$  runs  $(1)$  time.

time complexity =  $C_1 * 1 + C_2 * 1 + C_3 (n+1) + C_4 * (n+1) + C_5 * n + C_6 * n + C_7 * 1$

$= C_3 (n+1) + C_4 (n+1) + C_5 n + C_6 n$

IV.

a.  $5 + 0.001 n^3 + 0.025 n$   
 $O(n^3)$

b.  $500 n + 100 n^{1.5} + 50 n \log_{10} n$

c.  $0.3 n + 5 n^{1.5} + 2.5 n^{1.75}$   
 $O(n^{1.75})$

d.  $n^2 \log_2 n + n(\log_2 n)$   
 $O(n^2 \log n)$

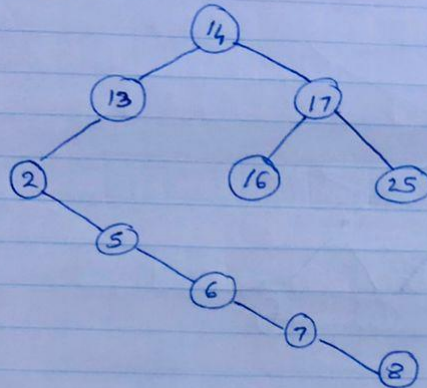
e.  $n \log_3 n + n \log_2 n$   
 $O(n \log n)$



# Questions 04

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(a)



(b) In Order = 2, 5, 6, 7, 8, 13, 14, 16, 17, 25

Pre Order = 14, 13, 2, 5, 6, 7, 8, 17, 16, 25

Post Order = 8, 7, 6, 5, 2, 13, 16, 25, 17, 14

(c) ~~2, 5, 6, 7, 8, 13, 14, 16, 17, 25~~ leaf Node. 8, 16, 25  
total value of I.V. = 49 //

(d) There is no node called 15 if we consider node 16 Path  
{ 14, 17, 16 }

(e) depth of 16 → 3 //

(f) 7

$$\begin{aligned} n &= 2^h - 1 \\ 16 &= 2^h - 1 \\ 17 &= 2^h // \end{aligned}$$

It's not a Perfect Binary tree.

$$\begin{aligned} n &= 2^h - 1 \\ 63 &= 2^h - 1 \\ 64 &= 2^h \\ 2^6 &= 2^h \end{aligned}$$

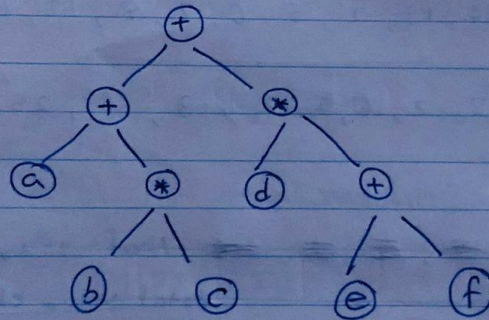
$h = 6 //$   
It's a Perfect Binary tree.

$$\begin{aligned} n &= 2^h - 1 \\ 127 &= 2^h - 1 \\ 128 &= 2^h \\ 2^7 &= 2^h \\ h &= 7 // \end{aligned}$$

It's a Perfect Binary tree.

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(h)  $a + (b * c) + d * (e + f)$



$(5 - x) * y + 6 / (x + z)$

