

10-04-2022

(5)

## Chapter 6 :

IC#12

ALU (Arithmetic Logic Unit)

IC#1  
N=0

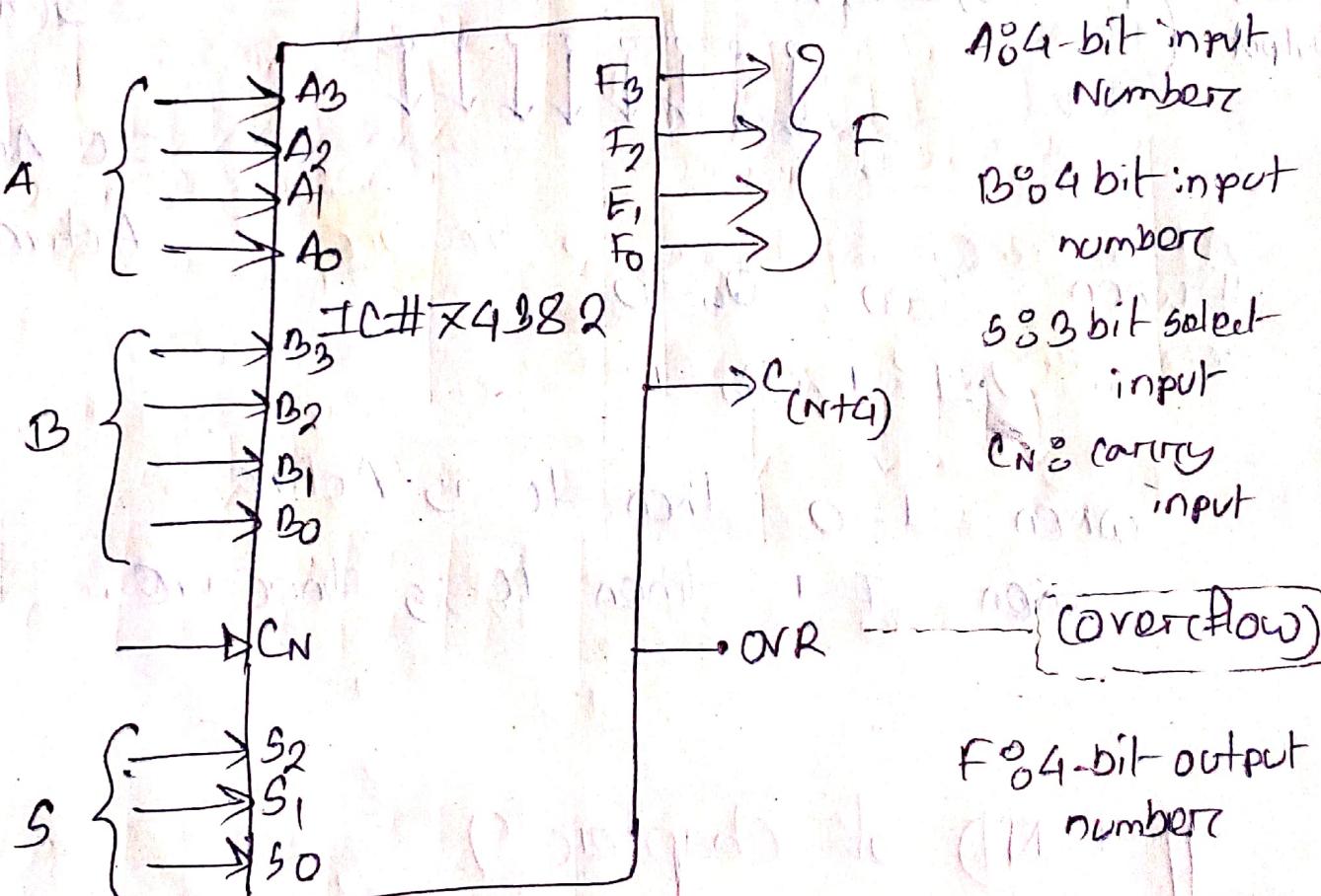
N=4

CA = Carry In

CB = Carry Out

IC# Z4382 (4 bit ALU)

Block Diagram:



A 4-bit input  
Number

B 4-bit input  
number

S 3-bit select  
input  
CN = carry  
input

{Overflow}

F 4-bit output  
number

C(N+4) = carry  
output

OVR = overflow

## Function Table

S <sub>2</sub> S <sub>1</sub> S <sub>0</sub>	operation	comments
0 0 0	CLEAR	F <sub>3</sub> F <sub>2</sub> F <sub>1</sub> F <sub>0</sub> = [0000]
0 0 1	B minus A	C <sub>N</sub> has to be 1 (ZTGT) subtraction CS ADDITION 1's COMPLEMENT NOT(CS)
0 1 0	A minus B	C <sub>N</sub> has to be 1; C <sub>N</sub> =1
0 1 1	A plus B	C <sub>N</sub> = 0
1 0 0	A XOR B (A⊕B)	Ex-OR operation
1 0 1	A OR B (A+B)	OR operation
1 1 0	AB (A and B)	AND operation
1 1 1	PRESET	F <sub>3</sub> F <sub>2</sub> F <sub>1</sub> F <sub>0</sub> = [1111]

$$\boxed{A_3 A_2 A_1 A_0 = [1011]} \rightarrow D S_2 S_1 S_0 = [100] \\ B_3 B_2 B_1 B_0 = [1101] \quad F_3 F_2 F_1 F_0 = [0110]$$

$$S_3 S_2 S_1 = [011] \quad C_N = 0$$

$$F_3 F_2 F_1 F_0 = [1000]$$

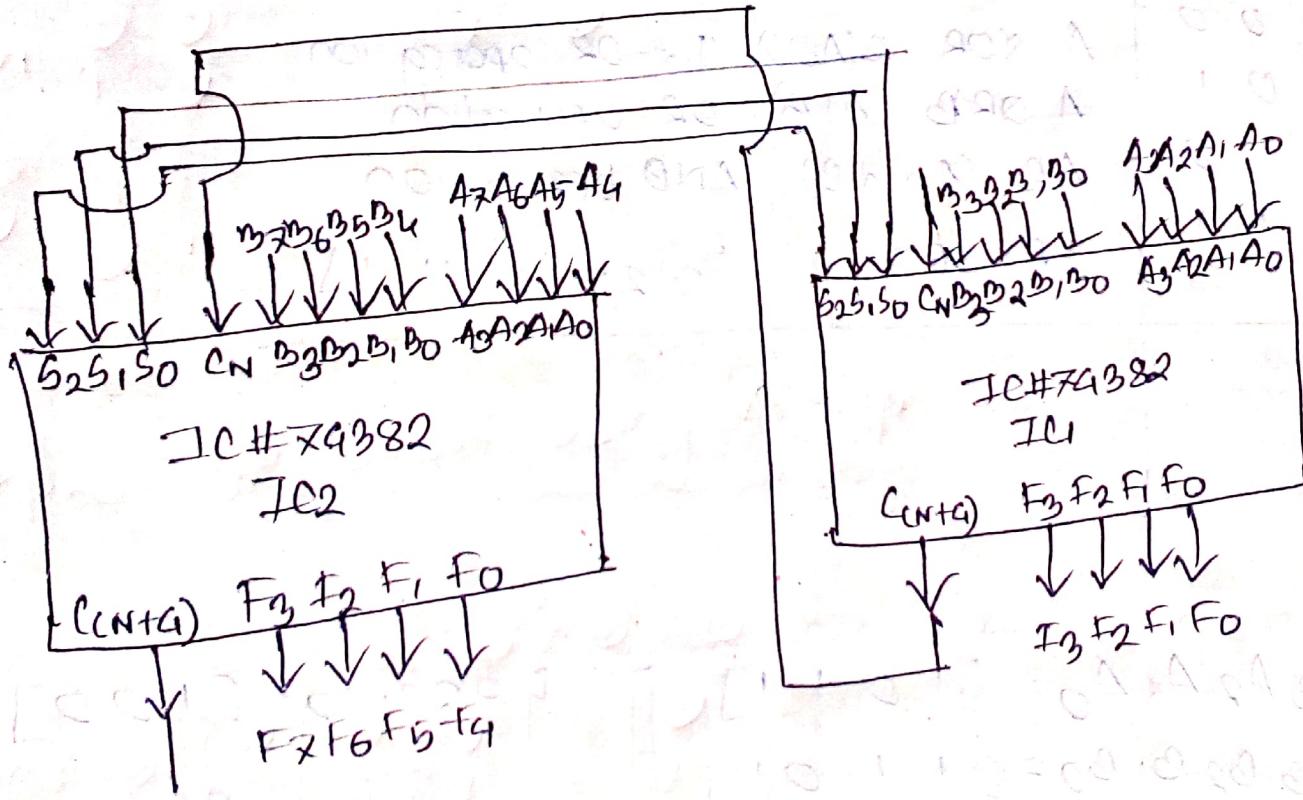
$$(N+q) = 1$$

Design 8 bit ALU using IC# 74382

$A_7 A_6 A_5 A_4 A_3 A_2 A_1 A_0$

$B_7 B_6 B_5 B_4 B_3 B_2 B_1 B_0$

$[F_7 F_6 F_5 F_4 F_3 F_2 F_1 F_0]$



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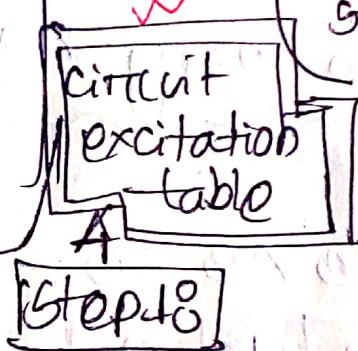
Ex-2000

Synchronous counter design for any random sequence

[Final Q পদকার্য মালিন্দা]  VVI

Ans [0, 1, 3, 5, 2], 0--

Before Pulse			After Pulse		
C	B	A	C	B	A
0	0	0	0	0	1
0	0	1	0	1	1
0	1	0	1	0	1
0	1	1	1	0	1
1	0	0	1	0	0
1	0	1	1	1	0
1	1	0	1	1	0
1	1	1	0	0	1



\* Undesired states

{ If undesired state comes then it starts from 000.

J	K	Clk	No change
0	0	↓	0
0	1	↓	1
1	0	↓	Toggle
1	1	↓	

Before Pulse | After Pulse

C	B	A	C	B	A	J <sub>C</sub>	K <sub>C</sub>	J <sub>B</sub>	K <sub>B</sub>	J <sub>A</sub>	K <sub>A</sub>
0	0	0	0	0	0	0	x	0	x	1	x
0	0	1	0	0	1	0	x	1	x	x	0
<del>*Q10</del>			<del>000</del>			<del>0</del>	x	<del>1</del>	<del>1</del>	<del>0</del>	<del>x</del>
0	1	1	1	0	1	1	x	1	x	x	0
<del>*100</del>			<del>000</del>			<del>x</del>	1	<del>0</del>	<del>x</del>	<del>0</del>	<del>x</del>
1	0	1	1	1	1	x	0	1	x	x	0
<del>*110</del>			<del>000</del>			<del>x</del>	1	<del>x</del>	<del>1</del>	<del>0</del>	<del>x</del>
1	1	1	0	0	0	x	1	x	1	x	1

Truth Table of JK:

	D	K	<del>Cb</del>	RJ	K'
0→0	0	0		0	x
	0	1			
0→1	1	0		1	x
	1	1			
1→0	0	0		x	0
	1	0			
1→1	1	1		x	1
	0	1			

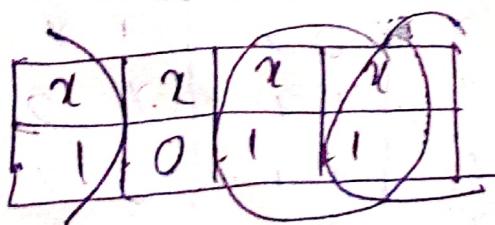
Step 2: Simplification using K-Map

A'B' A'B AB A'B

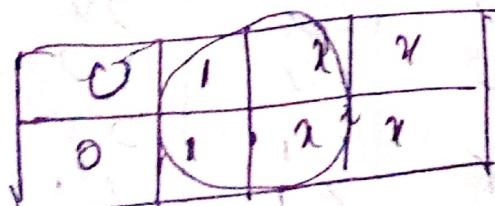
$$J_C = A'B; \quad \bar{C}D = 0$$

0	0	1	0
1	1	x	x

$$K_C = \bar{A} + B;$$



$$J_B = A;$$



$$K_0 = 1 ; \quad \begin{array}{c} \overline{AB} \quad A\bar{B} \quad AB \quad \bar{A}\bar{B} \\ \hline 1 & x & 1 & 1 \\ 1 & x & 1 & 1 \end{array}$$

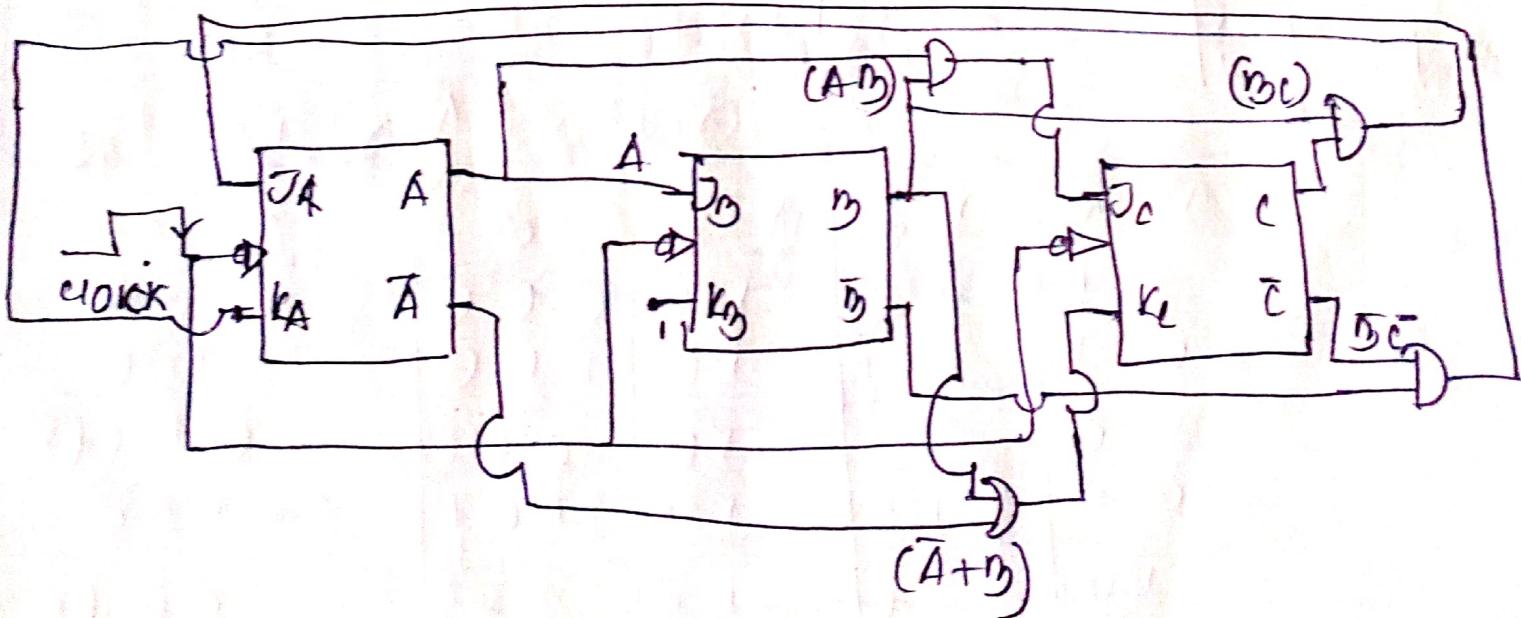
$$J_A = \overline{BC} ; \quad \begin{array}{c} 1 & 2 & x & 0 \\ \hline 0 & x & x & 0 \end{array}$$

$$K_A = BC ; \quad \begin{array}{c} 1 & 0 & 0 & x \\ \hline x & 0 & 1+x & \end{array}$$

Step 3 : Circuit Diagram

~~MOD8 =  $J_A K_A = 1$ ;  $J_B = K_0 = A$ ;  $J_C = K_1 = AB$~~  Instead of  $\rightarrow$

$$\begin{aligned} J_A &= \overline{BC}, K_A = BC \\ J_B &= A, K_B = 1 \\ J_C &= AB, K_C = \overline{A} + B \end{aligned}$$



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$$F(A, B, C) = \Sigma$$

Sequence:  $[0, 1, 4, 6, 7, 0, 1, \dots]$

Step-18 Circuit excitation table

before pulse	after pulse	$J_C$	$K_C$	$J_B$	$K_B$	$J_A$	$K_A$
000	0001	0x	0x	0x	0x	1x	
001	<del>00100</del>	1x	0x	0x	x1	x1	
<del>0010</del>	<del>000</del>	0x	x1	0x	0x		
<del>0011</del>	<del>0000</del>	0x	x1	0x	x1	x1	
100	110	x0	0x	0x	0x	0x	
<del>101</del>	<del>000</del>	x1	0x	0x	x1	x1	
110	111	x1	0x	0x	1x	1x	
<del>111</del>	<del>000</del>	x0	x1	x1	x1	x1	

Step 28 Simplification Using K-map

	$\bar{A}\bar{B}$	$A\bar{B}$	$AB$	$\bar{A}B$
$C$	0	1	0	0
	1	1	1	1

$$K_C = A$$

	$\bar{A}B$	$A\bar{B}$	$AB$	$\bar{A}\bar{B}$
T	x	x	x	x
C	0	1	1	0

$$J_B = \bar{A} C$$

	0	0	x	x
T	x	0	x	x

$$K_B = \bar{A} + A$$

	x	x	1	1
T	x	x	1	0

$$J_A = BT + BC$$

$$= \overline{B} \oplus C$$

	1	x	x	0
T	0	x	x	1

$$K_A = 1$$

	x	1	x	1	x
T	x	1	x	1	x

Sequence: 0, 1, 3, 5, 7, X, 0, 10, 13, 14, 15, 0, 1

### Step 10 Circuit Excitation Table

DC BA	DC BA	J <sub>D</sub> k <sub>D</sub>	J <sub>B<sub>D</sub></sub> k <sub>C</sub>	J <sub>B</sub> k <sub>B</sub> '	J <sub>A</sub> k <sub>A</sub>
before pulse	After pulse				
0000	0001	0 x	0 x	0 x	1 x
0001	0011	0 x	0 x	1 x	x 0
0010	<u>0000</u>	0 x	0 x	x 1	0 x
0011	0101	0 x	1 x	x 1	x 0
0100	<u>0000</u>	0 x	x 1	0 x	0 x
0101	0111	0 x	x 0	1 x	x 0
0110	<u>0000</u>	0 x	x 1	x 1	0 x
0111	1001	1 x	x 1	x 1	x 0
1000	<u>0000</u>	x 1	0 x	0 x	0 x
1001	1010	x 0	0 x	1 x	x 1
1010	<u>0000</u>	x 0	0 x	x 1	1 x
1011	0000	x 1	0 x	x 1	x 1
1100	<u>0000</u>	x 1	x 0	0 x	0 x
1101	1110	x 0	x 0	1 x	x 1
1110	<u>0000</u>	x 1	x 1	x 0	1 x
1111	<u>0000</u>	x 1	x 1	x 1	x 1

## Step 2: Simplification Using K-Map

$$J_D = ABC$$

	$\bar{A}\bar{B}$	$A\bar{B}$	$AB$	$A\bar{B}$
$\bar{C}\bar{D}$	0	0	0	0
$CD$	0	0	1	0
$C\bar{D}$	x	x	x	x
$\bar{C}D$	x	x	x	x

$$K_D = \bar{A}\bar{B} + AB$$

$$= \overline{A \oplus B}$$

x	x	x	x
x	x	x	x
1	0	1	0
1	0	1	0

$$J_C = \cancel{AB}$$

$$= A\bar{B}\bar{D} + \bar{A}BD$$

0	0	1	0
x	x	x	x
x	x	x	x
0	0	0	1

$$K_C = \bar{A}\bar{B} + AB + \bar{A}B$$

$$= \overline{A \oplus B} + AB$$

x	x	(x)	x
1	0	1	1
1	0	1	0
x	x	x	x

$$J_B = A$$

0	1	u	u
0	1	u	u
0	1	u	u
0	1	u	u

$$J_B = \overset{A}{D + A + \bar{C}}$$

u	1	u	1	1
u	1	u	1	1
u	1	u	1	0
x	u	1	1	1

$$J_A = DP + \overline{MC}D$$

1	u	1	u	0
0	u	1	u	0
0	u	1	1	1
0	u	1	1	1

$$K_A = D$$

x	0	0	1	u
u	0	0	u	u
x	1	1	1	u
u	1	1	1	u