

```
1. myfamily = { "child1": { "name": "Emil",  
                           "year": 2004 } ,
```

```
          "child2": { "name": "Robian",  
                           "year": 2011 }  
        }
```

```
print (myfamily["child2"]["year"])
```

```
# similar like print 000 -
```

```
2. string print (a = """Lorem ipsum dolor sit amet""")
```

```
3. index print - a = "Learn teach!"
```

```
- print(a[1]) = e
```

```
- print(a[-1]) = ! # (0) (0) first index
```

```
- print(a[1:8]) = earn te # 1 index (0) 7 max
```

```
- print(a[1:8:2]) = eke
```

```
- print(a[8:1:-2]) = ece
```

```
4. list print (revers -
```

```
a = "Hello, World!"
```

```
b = a[::-1] = !d!l!oW, olleH
```

```
5. a = input()
```

```
b = a[:-1] # b(0) print over
```

```
if a == b:
```

```
    print("Yes")
```

```
else: print("No")
```

Python file Open

1. `f = open("demofile.txt")`

2. '`r'` = read file

'`w'` = write

'`X'` = create - the specified file, returns error if the file not exist

'`a'` = append - open a file for appending .

'`t'` = text - Default value , Text Model

'`b'` = binary - model .

3. read file - `f = open("file1.txt", "r")`

`print(f.read(5))`

4. read line -

`f = open("file1.txt", "r")`

`a = f.readlines()`

`print(a)`

`f.close()`

5. delete file -

`import os`

`os.remove("demofile.txt")`

Folder delete -

`import os`

`os.rmdir("myfolder")`

Class and Objects

1. Create a class -

class MyClass:

- class <classname>

2. Object create -

<object-name> = <class-name>(<argument>)

msg1 = MyClass("good")

3. __init__() function use -

= init() method, we can implement constructor to initialize the object or to assign values for object properties(name).

class Person :

def __init__(self, name, age):

 self.name = name

 self.age = age

p1 = Person("Asa", 23)

print(p1.name)

print(p1.age)

<class name declare >

<define init() method >

for object >

<variable declaration key >

<value print >

4. Object methods = can also contain methods. Methods in objects are functions they belong to the object.

def myfunc(self):

 print("Name : " + self.name)

p1 = Person("Asa", 23)

p1.myfunc()

= Name : Asa

5. del p1.age <for delete object Properties>

6. pass is a Null statement. nothing happen when pass statement is executed. - class Person:

pass

function - a block of code which only runs when it is called.

01. Creating - a function is defined using 'def' keyword.

```
def my_function():
```

02. calling -

```
def my_function():
```

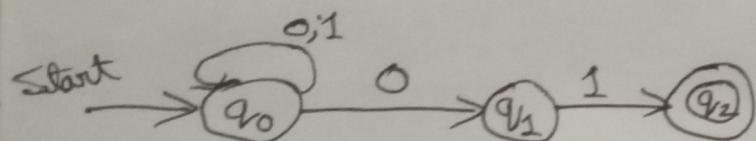
```
    print("Hi")
```

```
my_function() <call function>
```

~~Noddz~~ CSE 307

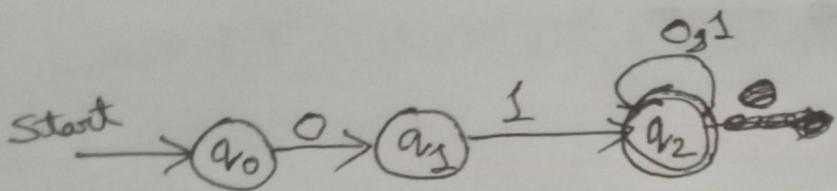
* ২টি Finite automata \rightarrow Equivalent হবে যদি,
১) for automata \Rightarrow Accepting আৰু Rejecting
string same হ'লো।

An NFA accepting all strings that end
in 01.

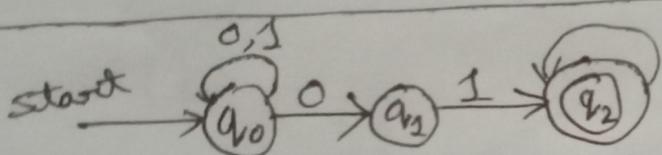


Accepting strings $\rightarrow \{01\}$
 $\{001\}$
 $\{0101001101\}$
 $\{001010101\}$

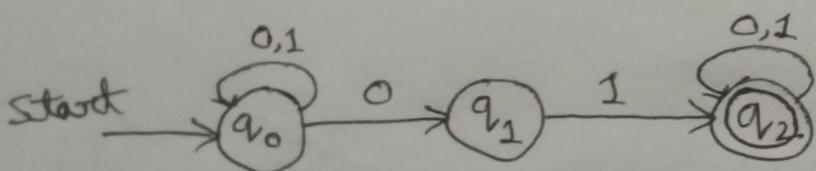
ii) # Am NFA accepting all starting with 01
has a substring 01.



iii) substring 01



string: 0111



2.9Transition Table:

	0	1
$\rightarrow \{q_0\}$ A	$\{q_0, q_1\}$ B	$\{q_0\}$ A
$\{q_0, q_1\}$ B	$\{q_0, q_1\}$ B	$\{q_0, q_2\}$ C
* $\{q_0, q_2\}$ C	$\{q_0, q_1\}$ B	$\{q_0\}$ A

$$S(\{q_0, q_1\}, 1)$$

$$= S(q_0, 1) \cup S(q_1, 1)$$

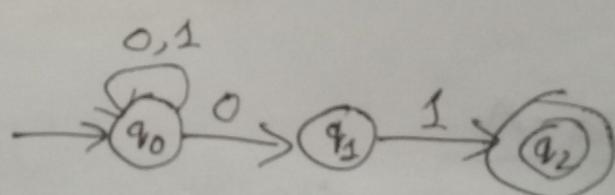
$$= \{q_0\} \cup \{q_2\}$$

$$= \{q_0, q_2\}$$

$$\text{Let, } \{q_0\} = A$$

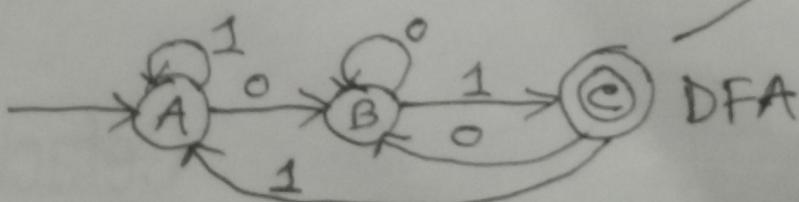
$$\{q_0, q_1\} = B$$

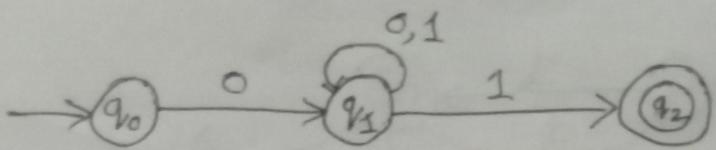
$$\{q_0, q_2\} = C$$



↓

Equivalent





Transition Table

	0	1
$\rightarrow \{q_0\}_A$	$\{q_1\}_B$	$\{\}$
$\{q_1\}_B$	$\{q_1\}_B$	$\{q_1, q_2\}_C$
$* \{q_1, q_2\}_C$	$\{q_1\}_B$	$\{q_1, q_2\}_C$
$\{q_2\}_D$	$\{\}$	$\{\}$

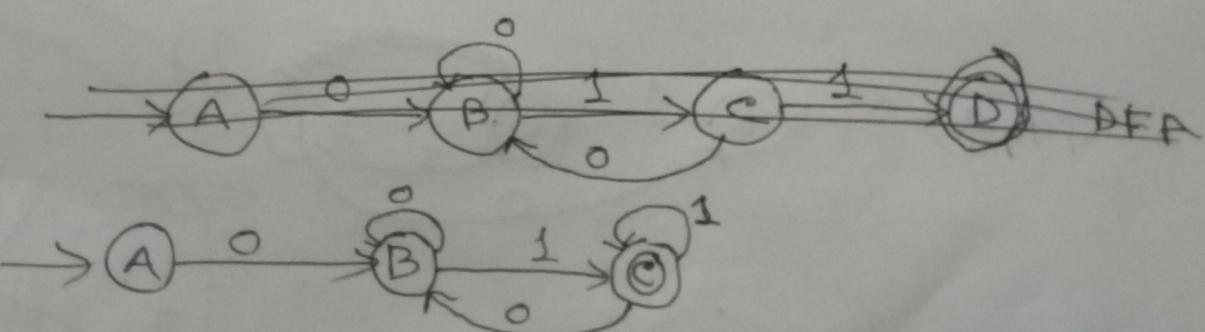
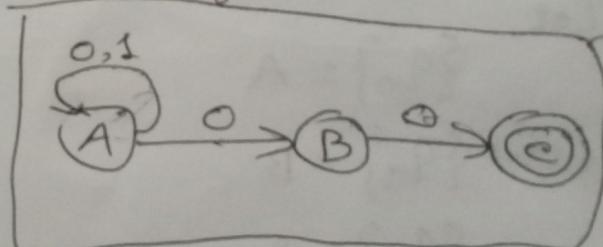
0111001101100

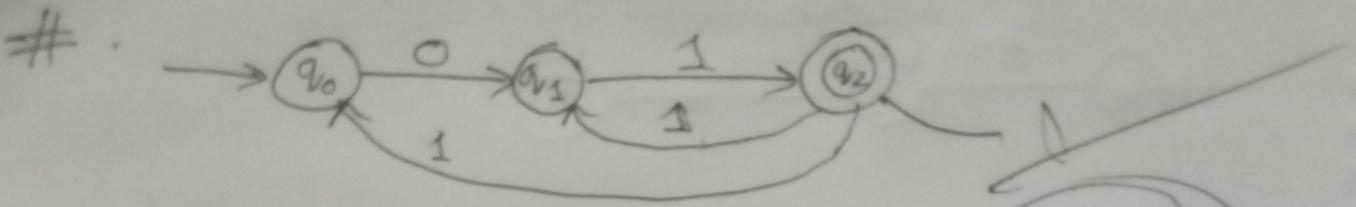
Let, $\{q_0\} = A$

$\{q_1\} = B$

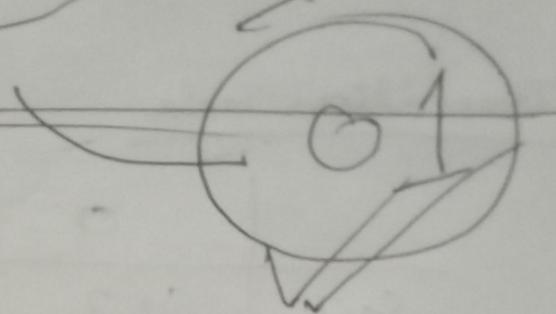
$\{q_1, q_2\} = C$

~~$\{q_2\}$~~





	0	1
$\rightarrow \{q_0\}$	$\{q_1\}_B$	$\{\}_{C}$
$\{q_1\}_B$	$\{\}_{C}$	$\{q_2\}_C$
$* \{q_2\}_C$	$\{\}_{C}$	$\{q_1, q_0\}_D$
$\{q_1, q_0\}_D$	$\{q_1\}_B$	$\{q_2\}_C$ q2



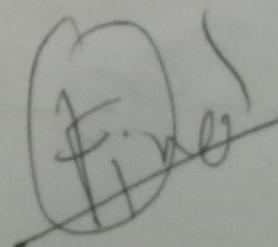
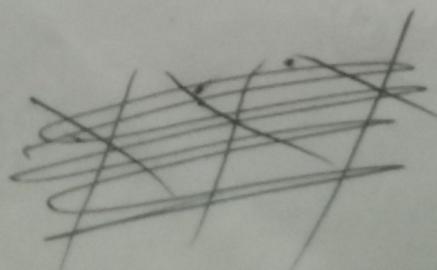
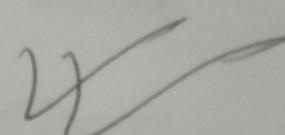
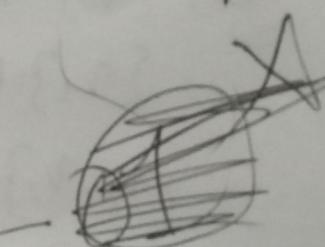
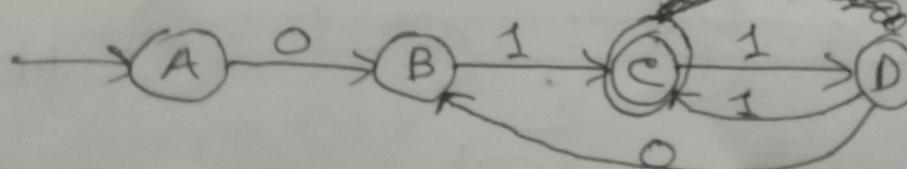
Let,

$$\{q_0\} = A$$

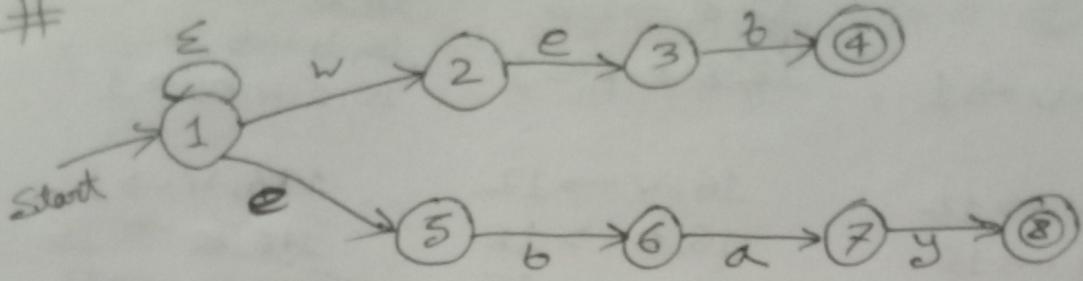
$$\{q_1\} = B$$

$$\{q_2\} = C$$

$$\{q_1, q_0\} = D$$



#



DFA

$$1, w \rightarrow 1, 2$$

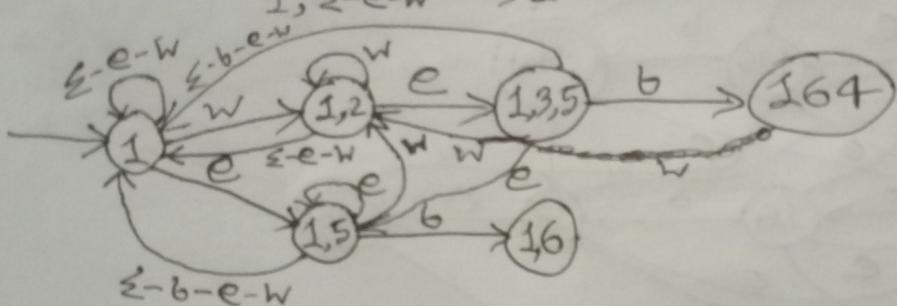
$$1, e \rightarrow 1, 5$$

$$1, \xi - e - w \rightarrow 1$$

$$12, e \rightarrow 1, 5, 3$$

$$12, w \rightarrow 1, 2$$

$$12, \xi - e - w \rightarrow 1$$



$$16, a \rightarrow 17$$

$$1, 5, w \rightarrow 1, 2$$

$$1, 5, e \rightarrow 1, 5$$

$$1, 5, b \rightarrow 16$$

$$1, 5, b \xi - b - e - w \rightarrow 1$$

$$1, 3, 5, b \rightarrow 1, 6, 4$$

$$1, 3, 5, w \rightarrow 1, 2$$

$$1, 3, 5, e \rightarrow 1, 5$$

$$1, 3, 5, \xi - b - e - w \rightarrow 1$$

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1, W → 12

1, e → 15

1, Σ-e-W → 1

135, W → 12

135, e → 15

135, b → 146

135, Σ-W-e-b → 1

12, W → 12

12, e → 15

12, Σ-e-W → 1

16, W → 12

16, e → 15

16, a → 17

16, Σ-W-e-a → 1

15, W → 12

15, e → 15

15, b → 16

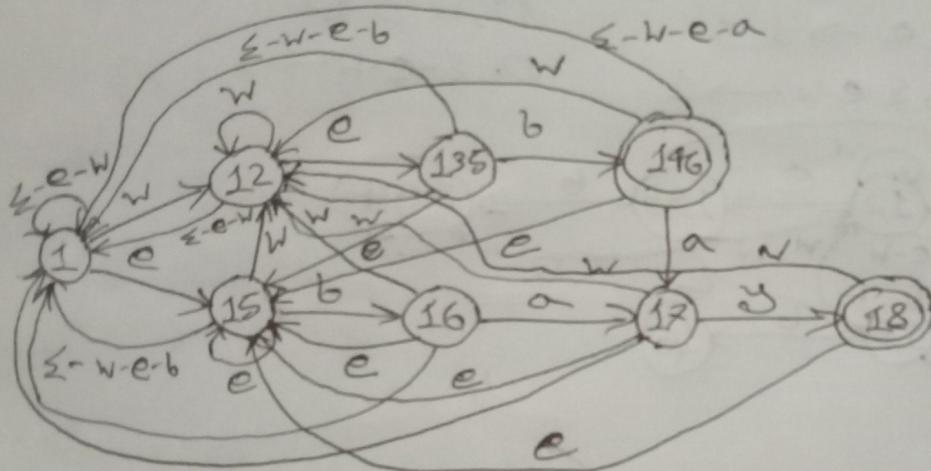
15, Σ-W-e-b → 1

146, W → 12

146, e → 15

146, a → 17

146, Σ-W-e-a → 1



17, e → 15

17, W → 12

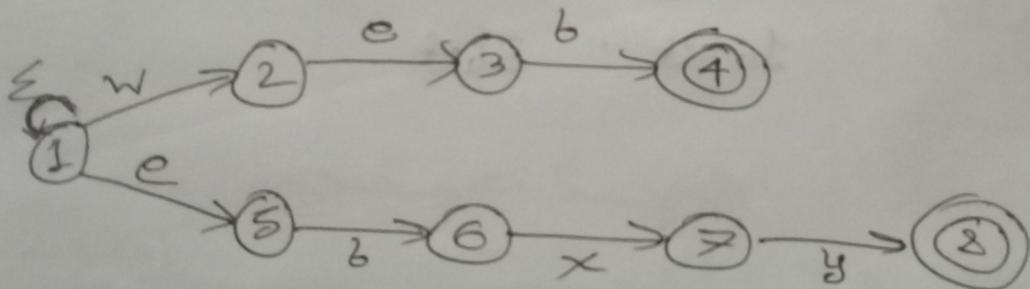
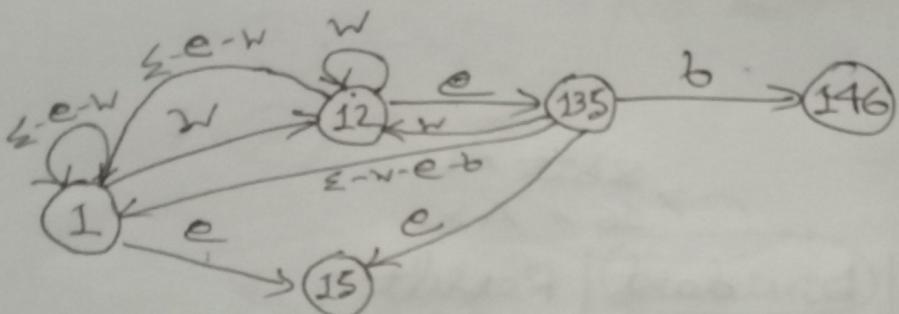
17, y → 18

17, Σ-e-W-y → 1

18, e → 15

18, W → 12

18, Σ-e-W → 1

$1, w \rightarrow 12$ $12, w \rightarrow 12$ $15, w \rightarrow 12$ $1, e \rightarrow 15$ $12, e \rightarrow 135$ $15, e \rightarrow 15$ $1, \xi-e-w \rightarrow 1$ $12, \xi-e-w \rightarrow 1$ $135, w \rightarrow 12$ $135, e \rightarrow 15$ $135, b \rightarrow 146$ $135, \xi-w-e-b \rightarrow 1$ 

$$\begin{matrix} w, e & b & b \\ \uparrow & \uparrow & \uparrow \\ 1 & 3 & 5 \end{matrix}$$
 w, e, b

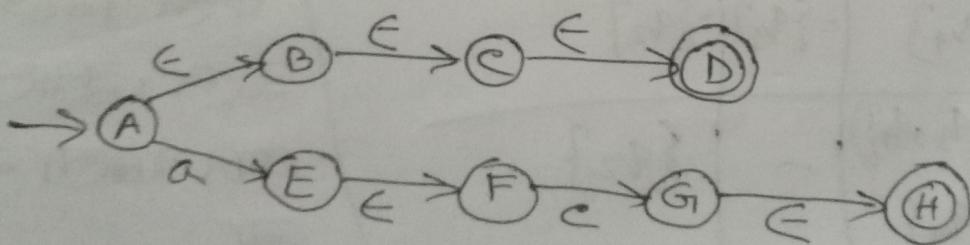
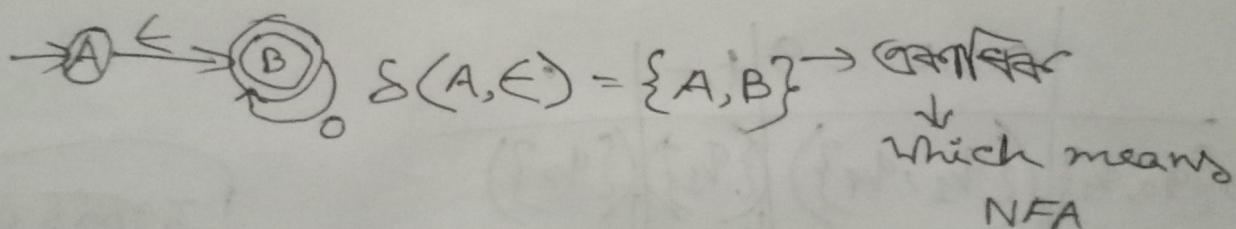
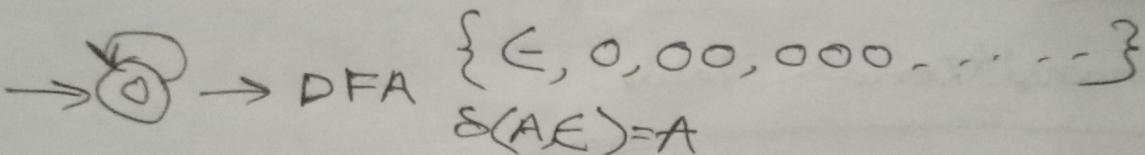
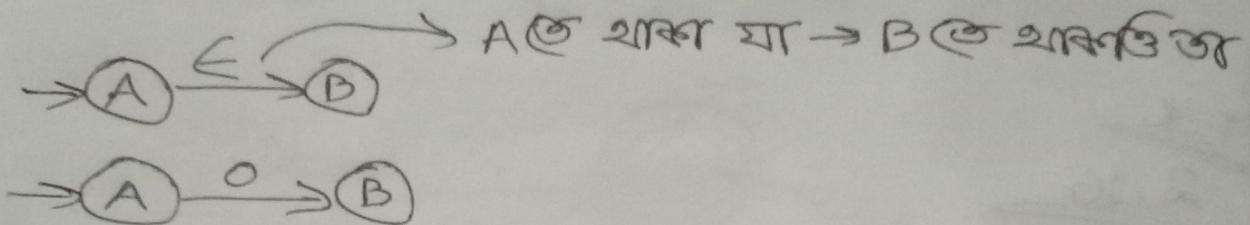
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\Leftarrow -NFA \rightarrow DFA

NFA

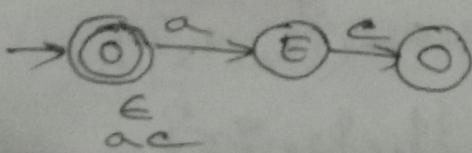
DFA

ϵ -transition



$$a \epsilon c \epsilon = ac$$

\downarrow concatenated



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$$ECLOSE(A) = \{A, B, C, D\}$$

$$ECLOSE(B) = \{B, C, D\}$$

$$ECLOSE(C) = \{C, D\}$$

$$ECLOSE(D) = \{D\}$$

$$ECLOSE(E) = \{E, F\}$$

$$ECLOSE(F) = \{F\}$$

$$ECLOSE(G) = \{G, H\}$$

$$ECLOSE(H) = \{H\}$$

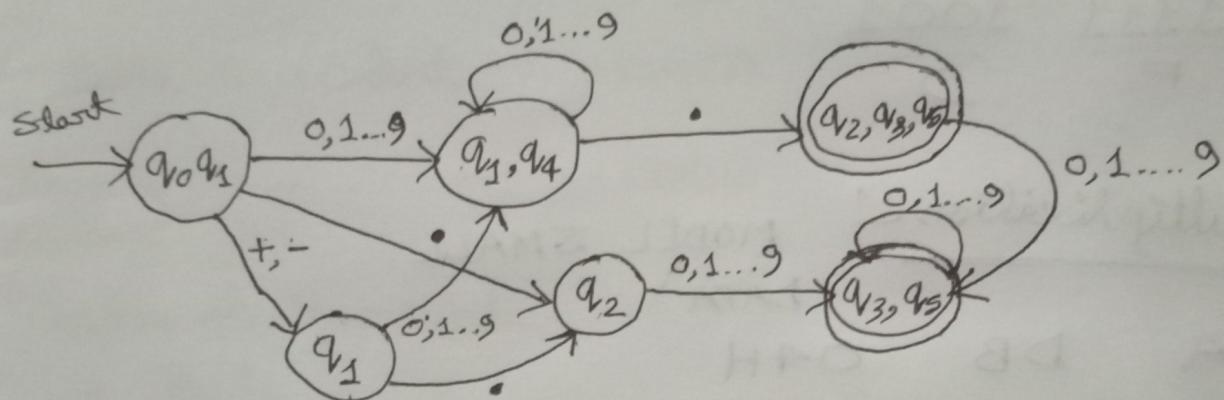
E.K
2.16
DFA

Transitional Table:

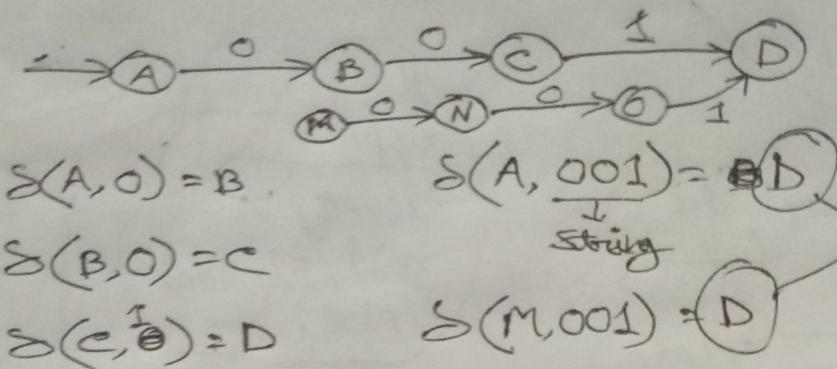
	0, 1, 2, ..., 9	t, -	.
$\rightarrow \{q_0, q_1\}$	$(\{q_1, q_4\})$ ECLOSE $= \{q_1, q_4\}$	$(\{q_1\})$ ECLOSE $= \{q_1\}$	$(\{q_2\})$ ECLOSE $= \{q_2\}$
$\{q_1\}$	$ECLOSE(\{q_1, q_4\})$ $= \{q_1, q_4\}$	-	$\{q_2\}$
$\{q_2\}$	$ECLOSE(\{q_3\})$ $= \{q_3, q_6\}$	-	-
$\{q_1, q_4\}$	$\{q_1, q_4\}$	-	$ECLOSE(\{q_2, q_3\})$ $= \{q_2, q_3, q_5\}$

মুক্ত স্থান
করে নিতে
ইবে, কুল
আর বদলা নাহি
না,

	$0, 1, \dots, 9$	$+, -$.
$*\{q_3, q_5\}$	$\{q_3, q_5\}$	-	-
$*\{q_2, q_3, q_5\}$	$\{q_3, q_5\}$	-	-



DFA

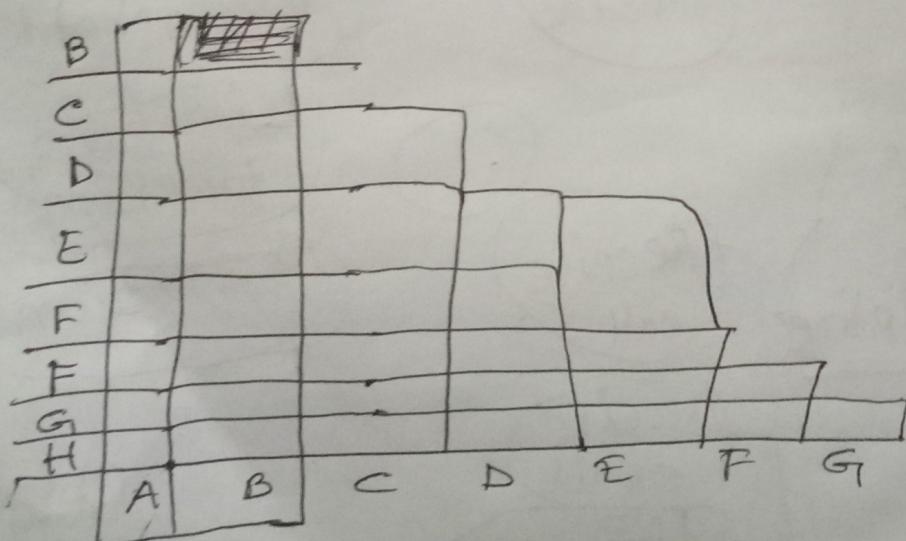
Equivalent and minimization

Equivalent
for A, M

Final State, Final State } \Rightarrow Equivalent

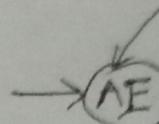
Non "", Non "" } \Rightarrow "

Non "", Final " } " হবে না



B
a
D
E
F
G
H

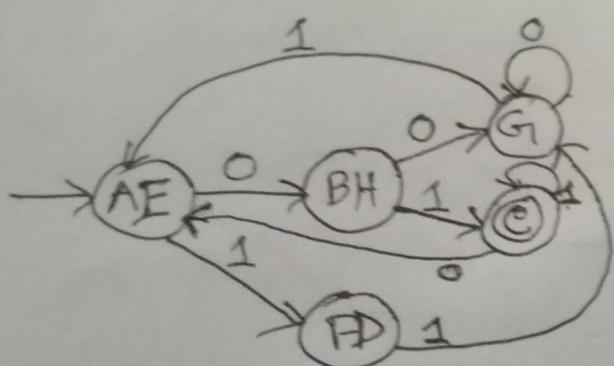
Q10



	B	C	D	E	F	G
B	X					
C	X	X				
D	X		X			
E		X	X	X		
F	X	X	X		X	
G	X	X	X	X	X	X
H	X		X	X	X	X
A						

छाणे DFA:

$$\begin{array}{ll}
 A, 0 \rightarrow B & A, 1 \rightarrow F \\
 E, 0 \rightarrow H & E, 1 \rightarrow F \\
 B, 0 \rightarrow G & B, 1 \rightarrow C \\
 H, 0 \rightarrow G & H, 1 \rightarrow G
 \end{array}$$



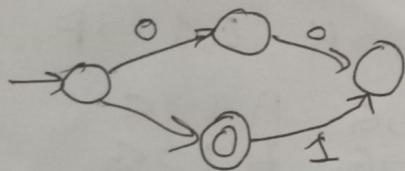
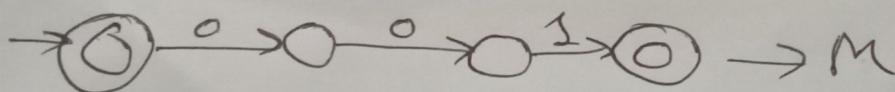
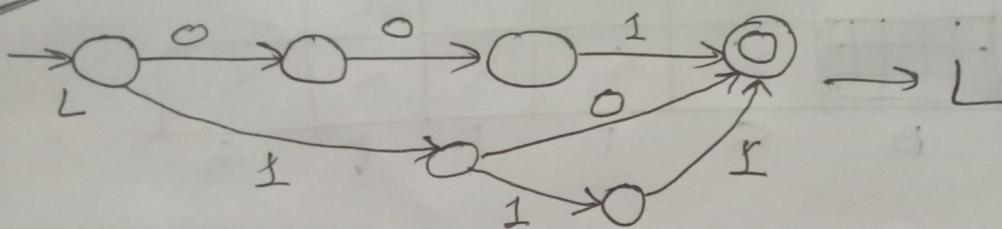
28.08.22 CSE 307

Finite Automata \equiv Regular Expression

$L = \{001, 10, 111\}$

$M = \{\epsilon, 001\}$ $L \cup M = \{001, 10, \epsilon, 111\}$

Union:



Concatenation

$L \cdot M = LM \neq ML$

001 ϵ
 001001
 10 ϵ
 10001
 111 ϵ
 111001

CLOSURE

$$L = \{0, 11\}$$

$$L^2 = L \cdot L = \{00, 011, 110, 1111\}$$

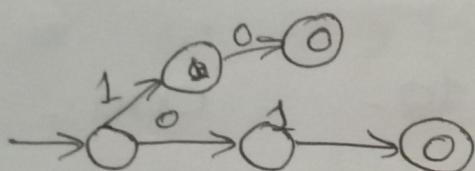
$$L^0 = \{\epsilon\}$$

$$L^1 = L = \{0, 11\}$$

~~L²~~

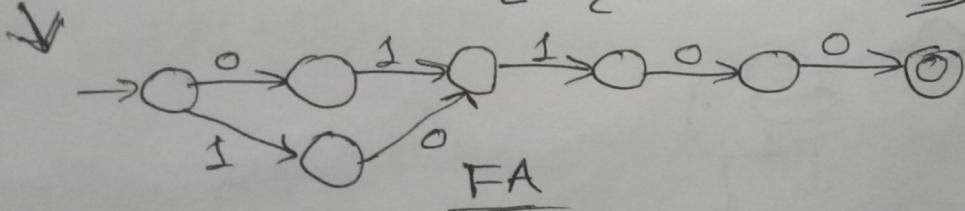
$$L^* = L^0 \cup L^1 \cup L^2 \cup L^3$$

$$\rightarrow RE = 001 + 10 + 111 + \epsilon$$



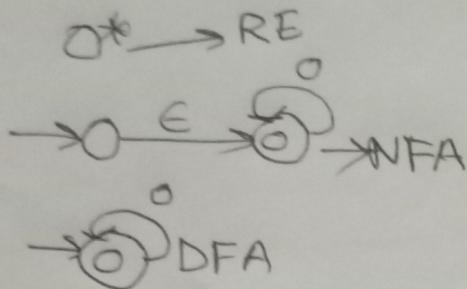
$$RE = 01 + 10$$

$$\# RE = (01 + 10)100 \quad L = \{01100, 10100\}$$

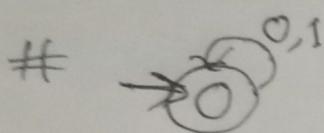


$RE = a^*$

String: $\epsilon, a, aa, aaa \dots$

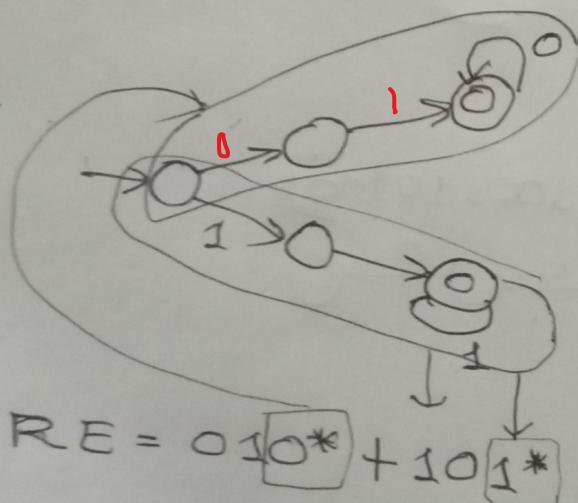


| String: $\epsilon, 0, 00, \dots$



String: $\epsilon, 0, 1, 00, 01, 10 \dots \dots 000 \dots$

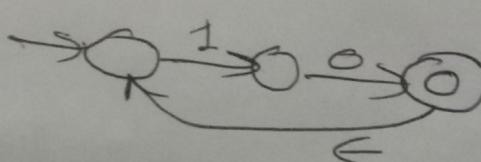
$RE = (0+1)^*$



$RE = 0 \boxed{1} 0^* + 1 \boxed{0} 1^*$

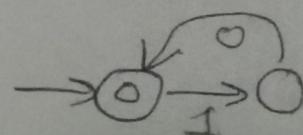
$RE = (10)^*$

$[a=10]$

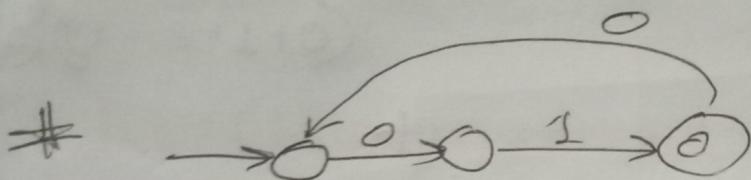
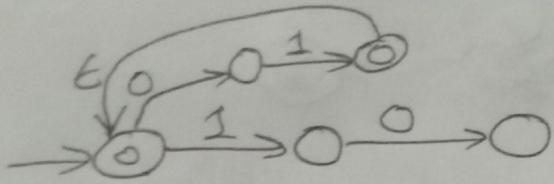


$10 \in 10 \in 10$

String: $\epsilon, 10, 1010, 101010 \dots$



$$\# RE = (10)^* + (01)^*$$

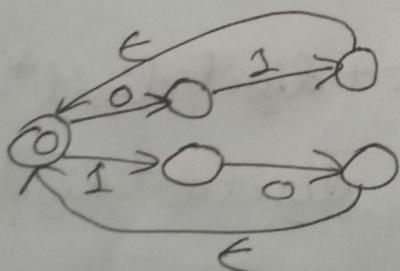


string \rightarrow

01
01001
01001001

$$RE = 01(001)^*$$

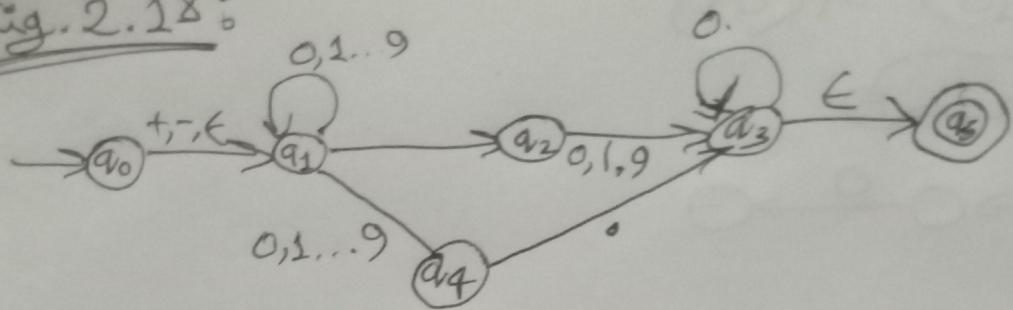
$L = (01+10)^*$



* $a^* = aa^* = a, aa, aaa$

* $a? = \epsilon + a$

Fig. 2.18:



$$\begin{aligned}
 RE = & (\epsilon + '+' + '-') (0+1+2+\dots+9)^* ('.' (0+1+2+\dots+9) \\
 & (0+1+2+\dots+9)^*)^* \epsilon \\
 & + \\
 & (0+1+\dots+9)^* ('.' (0+1+\dots+9)^*)^* \epsilon
 \end{aligned}$$

प्रूफः

$$\text{symbol} = ('+' + '-')$$

$$\text{digit} = (0+1+\dots+9)$$

$$\text{dot} = \cdot$$

$$\begin{aligned}
 RE = & (\epsilon + \text{symbol}) \text{digit}^* (\text{dot} + \text{digit} \text{digit}^* + \\
 & \text{digit dot digit}^*)
 \end{aligned}$$

3.ii)

	q_1				
	q_2		q_3		
	q_3				
	q_4				
		q_0	q_1	q_2	q_3

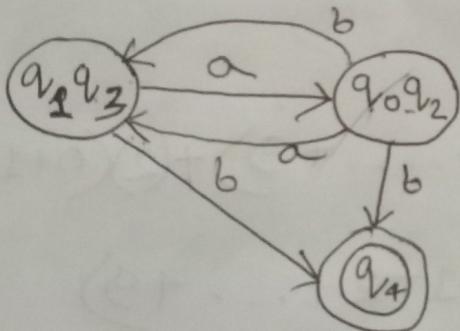
A transition matrix diagram showing states q_0, q_1, q_2, q_3 on the horizontal axis and q_1, q_2, q_3, q_4 on the vertical axis. Transitions are marked with 'x' in the grid cells:

- $q_0 \rightarrow q_1$: row q_1 , column q_0
- $q_0 \rightarrow q_2$: row q_2 , column q_0
- $q_0 \rightarrow q_3$: row q_3 , column q_0
- $q_1 \rightarrow q_2$: row q_2 , column q_1
- $q_1 \rightarrow q_3$: row q_3 , column q_1
- $q_2 \rightarrow q_3$: row q_3 , column q_2
- $q_2 \rightarrow q_4$: row q_4 , column q_2
- $q_3 \rightarrow q_4$: row q_4 , column q_3

STG DFA:

$$q_1, a = q_2 \quad q_1, b = q_4$$

$$q_3, a = q_2 \quad q_3, b = q_4$$



$$q_0, a = q_1$$

$$q_2, a = q_1$$

$$q_0, b = \cancel{q_2} q_3$$

$$q_2, b = q_4$$

1.b) $\Sigma = \{a, t, i, k\}$

