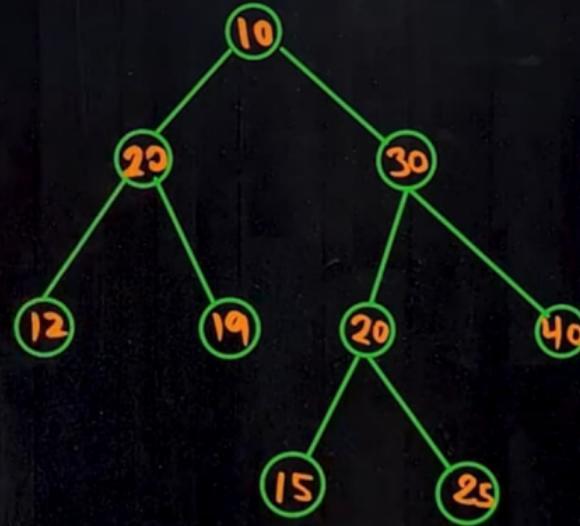


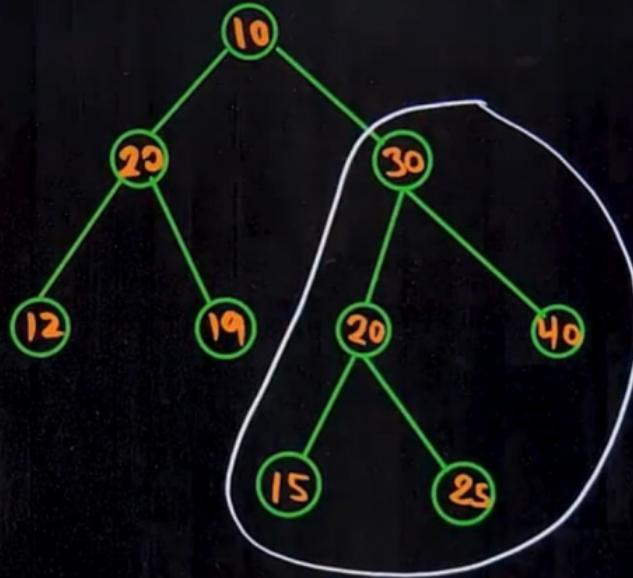
Largest BST



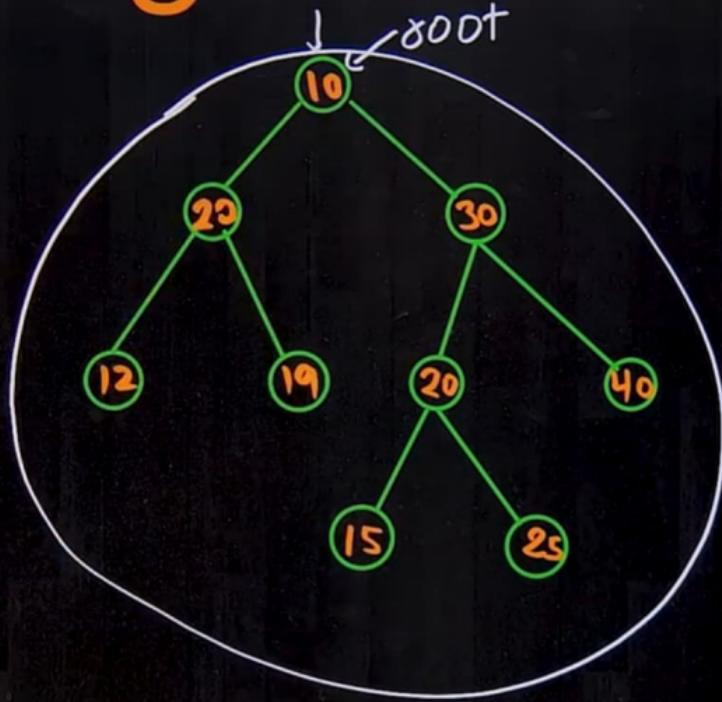


Largest BST

5

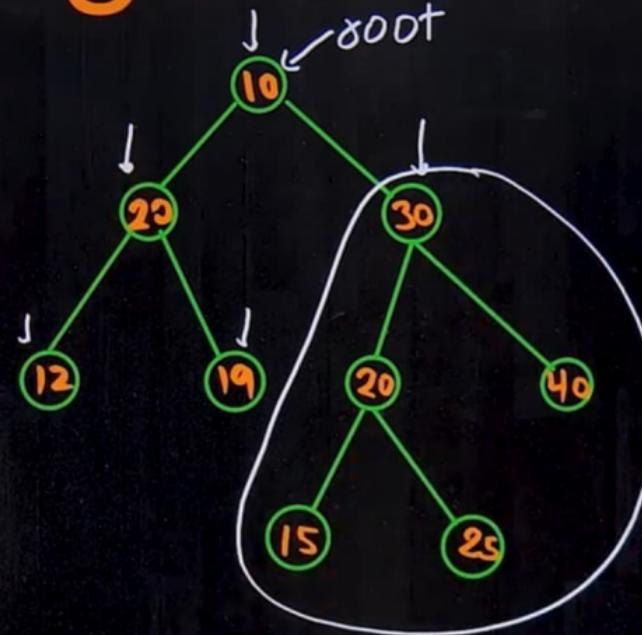


Largest BST

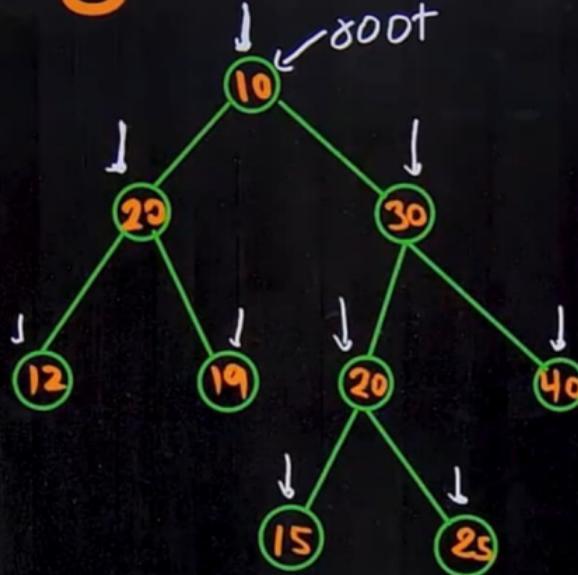


JS BST
no. of nodes

Largest BST



Largest BST

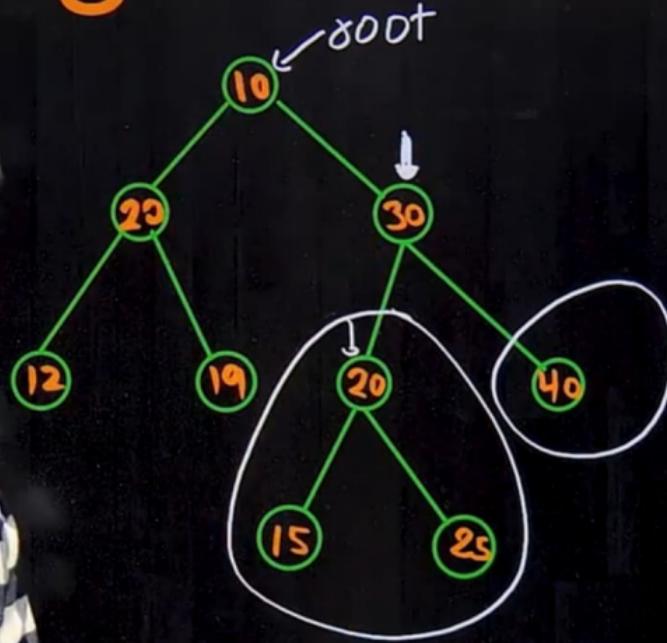


size = 5
IS BST
 $n \times O(n)$
 $O(n^2)$

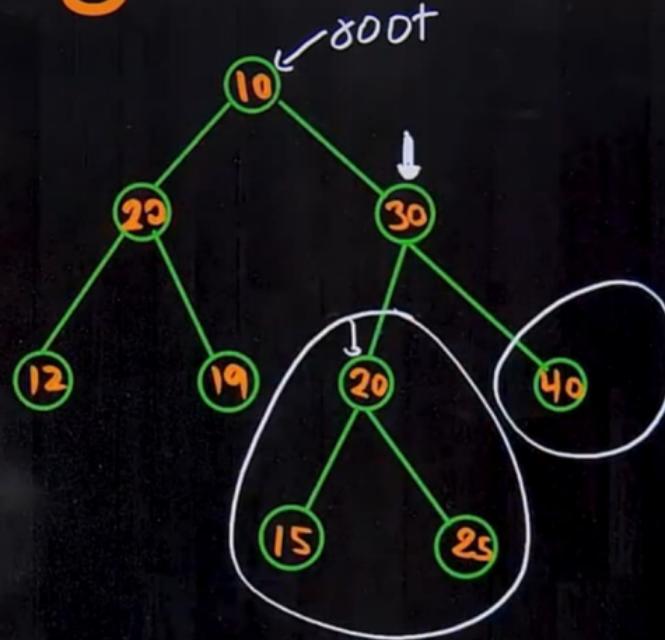
Largest BST

O(n)

- ① Left BST
- ② Right BST



Largest BST

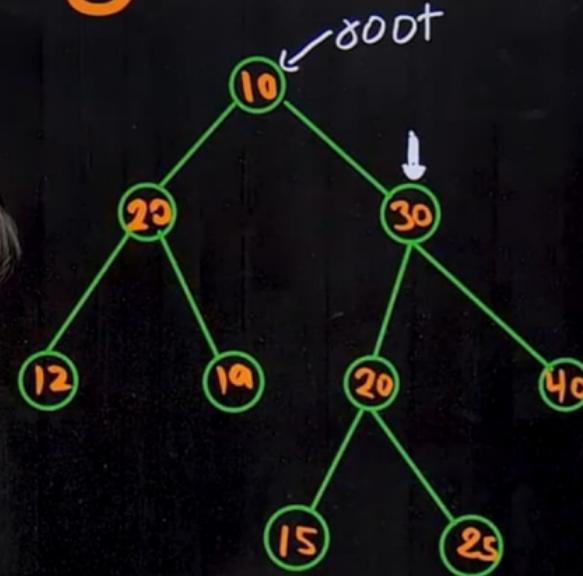


O(n)

- ① Left BST
- ② Right BST
- ③ Left side \rightarrow max
 $< 800t \rightarrow$ dr
- ④ Right side min $>$
 $800t \rightarrow$ dL

Largest BST

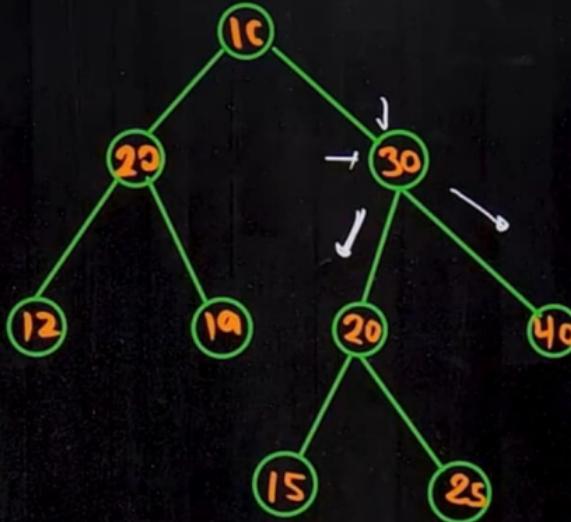
O(n)



- ① Left BST
- ② Right BST
- ③ Left side \rightarrow max
 $< \text{root} \rightarrow \text{dn}$
- ④ Right side $\min >$
- ⑤ Size: $\text{Left size} + \text{Right size} + 1$

Largest BST

O(n)



- ① BST \Rightarrow yes or no.
- ② size:
- ③ max:
- ④ min

- ① BST
- ② size
- ③ min
- ④ max

- ① Left BST
- ② Right BST
- ③ Left side \rightarrow max
 $< \text{root} \rightarrow \text{done}$
- ④ Right side $\min >$
- ⑤ Size: $\text{Left size} + \text{Right size} + 1$

Largest BST

Total size = 135 ✓

BST: 0

Size: 1

Min: 12

Max: 12

Class Box

12

BST: 1

Size: 3

Min: 15

Max: 25

BST: 0

BST = 1

Size: 4

Min: 15

Max: 40

BST: 1

Size: 1

Min: 40

Max: 40

BST: 1

Size: 1

Min: 15

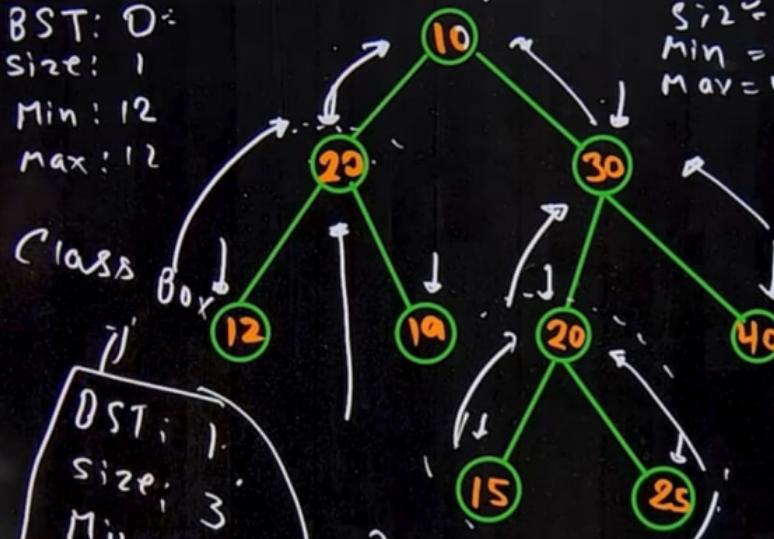
Max: 15

BST: 1

Size: 1

Min: 25

Max: 25



$O(n)$

① Left BST

② Right BST

③ Left side \rightarrow max
 $< \text{min} \rightarrow \text{dr}$

④ Right side min $>$

⑤ Size: $2^{\lfloor \log_2 n \rfloor}$
 $= \text{LeftSize} + \text{RightSize} + 1$

① BST

② Size

③ min

④ max

Class Box
{
 public:
 bool BST;
 int size;
 int min, max;
 Box (int data)
{

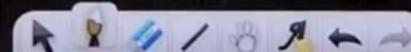
BST = 1

size =

min = data;

max = data;

} } }



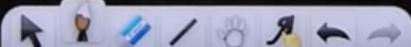
Box* Find (Node *root , int &TotalSize)

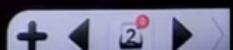
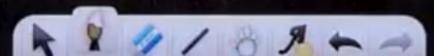
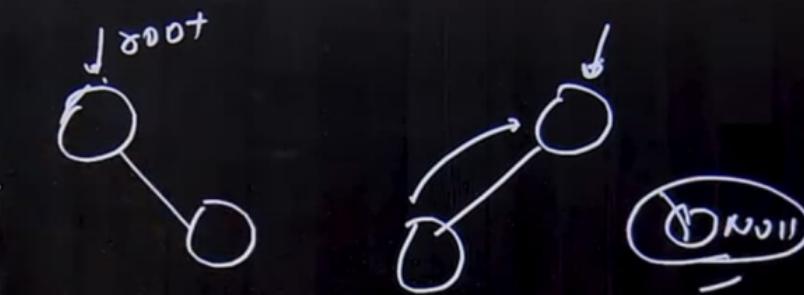
27

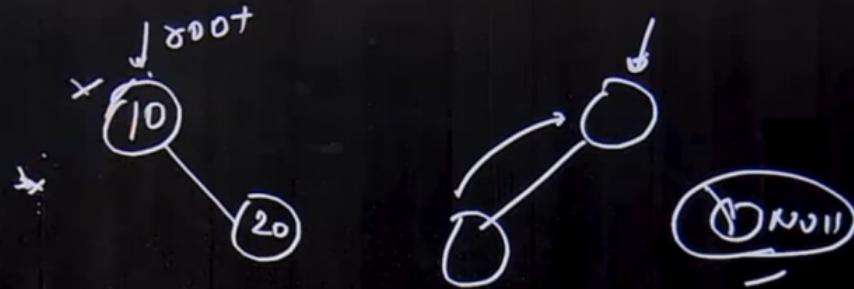
{



}

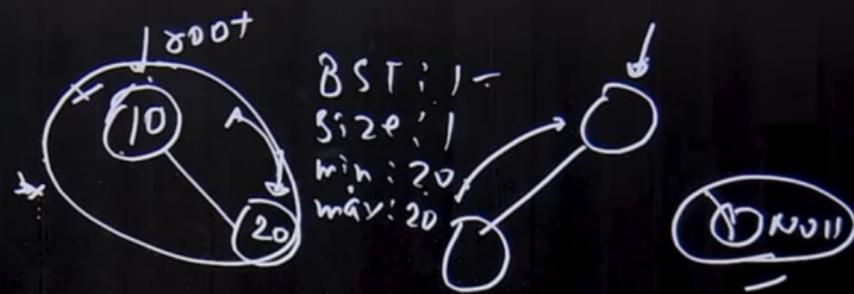






- ① Leaf node;
- ② Left side exist
- ③ Right side exist
- ④ Both sides jaunga;

BST: 1
Size: 2
Min: 10
Max: 20



- ① Leaf node;
- ② Left side exist
- ③ Right side exist
- ④ Both sides jaunga;



```

BOX* Find ( Node *root , int &TotalSize )
{
    if ( !root->left && !root->right )
        return new Box (root->data);

    else if ( !root->left && root->right )
        Box *head = Find (root->right, TotalSize);

    if ( head->BST && head->min > root->data )
    {
        head->size++;
        head->min = root->data;
        TotalSize = max (TotalSize, head->size);
        return head;
    }
    else
    {
        head->BST = 0;
        return head;
    }
}

```

```
else if ( root->left && !root->right )  
{  
    Box *head = find(root->left, TotalSize);
```

```
    if ( head->BST && head->max < root->data )  
    {
```

```
        head->size++;
```

```
        head->max = root->data;
```

```
TotalSize = max(TotalSize, head->size);
```

```
    return head;
```

```
} else
```

```
{  
    head->BST = 0;  
    return head;
```





C18C

$\text{Box} * \text{Lefthead} = \text{Find}(\text{root} \rightarrow \text{left}, \text{Total size})$

$\text{Box} * \text{Righthead} = \text{Find}(\text{root} \rightarrow \text{right}, \text{Total size})$

if ($\text{Lefthead} \rightarrow \text{BST} \& \& \text{Righthead} \rightarrow \text{BST}$)

$\text{Lefthead} \rightarrow \text{max} < \text{root} \rightarrow \text{data} \& \& \text{Righthead} \rightarrow \text{min}$
 $> \text{root} \rightarrow \text{data})$

$\text{Box} * \text{head} = \text{new Box}(\text{root} \rightarrow \text{data});$

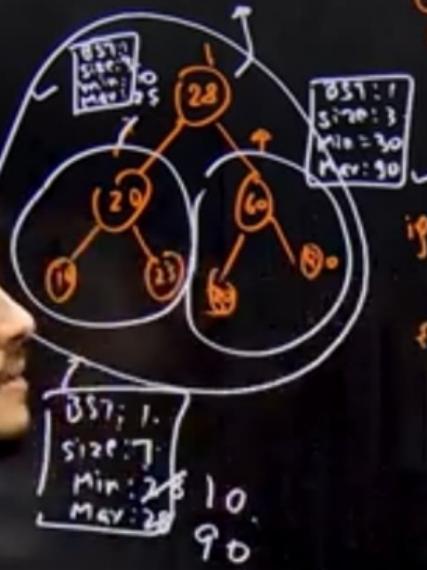
$\text{head} \rightarrow \text{size} += \text{Lefthead} \rightarrow \text{size} + \text{Righthead} \rightarrow \text{size}$

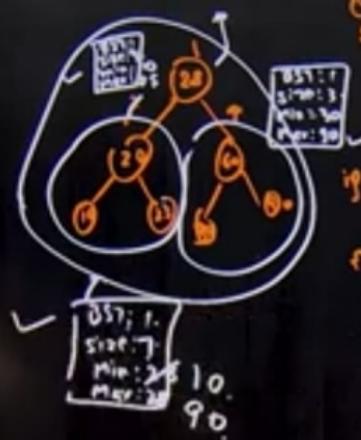
$\text{head} \rightarrow \text{min} = \text{Lefthead} \rightarrow \text{min};$

$\text{head} \rightarrow \text{max} = \text{Righthead} \rightarrow \text{max};$

$\text{Total size} = \text{max}(\text{Total size}, \text{head} \rightarrow \text{size});$

return head;





```

0180
{
    Box * Lefthead = find(800t->left, Totalsize);
    Box * Righthead = find(800t->right, Totalsize);
    if (Lefthead->BST && Righthead->BST) {
        Lefthead->max < root->data && Righthead->min
            > root->data)
        Box * head = new Box(800t->data);
        head->size += Lefthead->size + Righthead->size;
        head->min = Lefthead->min;
        head->max = Righthead->max;
        Totalsize = max(Totalsize, head->size);
        return head;
    }
}
0180

```

```

    Lefthead->BST = 0;
    return Lefthead;
}

```



4/8 Problem

Editorial

Submissions

Comments

C++ (gcc 5.4)

Average Time: 40m

Start Timer



Largest BST

Medium Accuracy: 29.73% Submissions: 111K+ Points: 4

Share your experience with the world! Submit your admission, interview, campus or any other experience and reach an audience of millions today!

Given a binary tree. Find the size of its largest subtree that is a Binary Search Tree.

Note: Here Size is equal to the number of nodes in the subtree.

Example 1:

Input:

```
1
 / \
4   4
 / \
6   8
```

Output: 1

Explanation: There's no sub-tree with size greater than 1 which forms a BST. All the leaf Nodes are the BSTs with size equal to 1.

Example 2:

107

LBBT, LBBX,

108

Box(int data)

109

{

110

BST = 1;

111

size = 1;

112

min = data;

113

max = data;

114

}

115

;

116

};

117

Box * find(Node *root, int &Totalsize)

118

{

119

// Leaf Node

120

// Only right side exist

121

// Only left side exist

122

// Both side exist

123

}

124

125

126

127

128

/*You are required to complete this method*/



Custom Input

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4/7 Problem

Editorial

Submissions

Comments

C++ (g++ 5.4)

Average Time: 40m

Start Timer



6 8

Output: 1

Explanation: There's no sub-tree with size greater than 1 which forms a BST. All the leaf Nodes are the BSTs with size equal to 1.

Example 2:

Input: 6 6 3 N 2 9 3 N 8 8 2



Output: 2

Explanation: The following sub-tree is a BST of size 2:



Your Task:

You don't need to read input or print anything. Your task is to complete the function `largestBst()` that takes the root node of the Binary Tree as its

```
120 // Leaf Node
121 if(!root->left&&!root->right)
122 {
123     return new Box(root->data);
124 }
125 // Only right side exist
126 else if(!root->left&&root->right)
127 {
128     Box *head = find(root->right,Totalsize);
129     // BST yes
130
131     // No
132 }
133 // Only left side exist
134 // Both side exist
135 }
136
137
138
139 /*You are required to complete this method */
140 // Return the size of the largest sub-tree which is
```

4/8 Problem

Editorial

Submissions

Comments

C++ (g++ 5.4)

Average Time: 40m

Start Timer

6 8

Output: 1

Explanation: There's no sub-tree with size greater than 1 which forms a BST. All the leaf Nodes are the BSTs with size equal to 1.

Example 2:

Input: 6 6 3 N 2 9 3 N 8 8 2



Output: 2

Explanation: The following sub-tree is a

BST of size 2:



Your Task:

You don't need to read input or print anything. Your task is to complete the function largestBst() that takes the root node of the Binary Tree as its

124 }
125 // Only right side exist
126 else if(!root->left&&root->right)
127 {
128 Box *head = find(root->right,Totalsize);
129 // BST yes
130 if(head->BST&&head->min>root->data)
131 {
132 head->size++;
133 head->min = root->data;
134 Totalsize = max(Totalsize,head->size);
135 return head;
136 }
137 // No
138 else
139 {
140 head->BST = 0;
141 return head;
142 }
143 }
144 // Only left side exist
145



Custom Input

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Given a binary tree. Find the size of its largest subtree that is a Binary Search Tree.

Note: Here Size is equal to the number of nodes in the subtree.

Example 1:

Input:



Output: 1

Explanation: There's no sub-tree with size greater than 1 which forms a BST. All the leaf Nodes are the BSTs with size equal to 1.

Example 2:

Input: 6 6 3 N 2 9 3 N 8 8 2



C++ (g++ 5.4) Average Time: 40m [Start Timer](#)

```
161 // BOTH size exist
162 else
163 {
164     Box * Lefthead = find(root->left,Totalsize);
165     Box * Righthead = find(root->right,Totalsize);
166
167     if(Lefthead->BST&&Righthead->BST&&Lefthead->max<root
168     {
169         Box *head = new Box(root->data);
170         head->size+= Lefthead->size+Righthead->size;
171         head->min = Lefthead->min;
172         head->max = Righthead->max;
173         Totalsize = max(Totalsize,head->size);
174         return head;
175     }
176     else
177     {
178         Lefthead->BST = 0;
179         return Lefthead;
180     }
181 }
182 }
```



Custom Input

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Problem

Editorial

Submissions

Comments

C++ (g++ 5.4)

Average Time: 40m

Start Timer



4 4

/ \

6 8

Output: 1

Explanation: There's no sub-tree with size greater than 1 which forms a BST. All the leaf Nodes are the BSTs with size equal to 1.

Example 2:

Input: 6 6 3 N 2 9 3 N 8 8 2

```
      6
     /   \
    6     3
   \   /   \
  2   9   3
  \ /   \
 8 8   2
```

Output: 2

Explanation: The following sub-tree is a BST of size 2:

```
      2
     /   \
    N   8
```

Your Task:

```
110
111         }
112     };
113
114 class Solution{
115     public:
116
117
118     Box * find(Node *root, int &Totalsize)
119     {
120         // root doesn't exist
121         i|
122
123         // Root exist
124     }
125
126
127
128
129     /*You are required to complete this method */
130     // Return the size of the largest sub-tree which is
131 }
```



Custom Input

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Problem

Editorial

Submissions

Comments

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Given a binary tree. Find the size of its largest subtree that is a Binary Search Tree.

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   / \
  4   4
 / \
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Example 2:

Input: 6 6 3 N 2 9 3 N 8 8 2

```
      6
     / \
    6   3
   \ / \
  2 9 3 N
```

C++ (g++ 5.4)

Average Time: 40m

Start Timer

```
89  /* Tree node structure used in the program
```

```
90
```

```
91 struct Node {
92     int data;
93     Node *left;
94     Node *right;
```

```
95
```

```
96     Node(int val) {
97         data = val;
98         left = right = NULL;
99     }
100 } */
```

```
101
```

```
102
```

```
103     1           1 BST
104     0           0 SIZe
```

```
105     min = INT_MAX.    min = INT_MAX
```

```
106     max = INT_MIN    max = INT_MIN
```

```
107
```

```
108 class Box{
109     public:
```



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Problem

Editorial

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Comments

C++ (g++ 5.4)

Average Time: 40m

Start Timer



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```
1
/
4   4
/
6   8
```

Output: 1

Explanation: There's no sub-tree with size greater than 1 which forms a BST. All the leaf Nodes are the BSTs with size equal to 1.

Example 2:

Input: 6 6 3 N 2 9 3 N 8 8 2

```
6
/
6   3
 \
 / \
```

99 }

100

101

102 } ; */

103

104 1

105 1

106 6

107 6

108

109 1

1 BST

110 0

0 SIZe

111 min = . INT_MAX.

min = . INT_MAX

112 max = INT_MIN

max = INT_MIN

113

114 class Box{

public:

116 bool BST;

int size;

118 int min, max;

119

120



Custom Input

Compile & Run

Submit

Maximum Sum BST in Binary Tree

27

