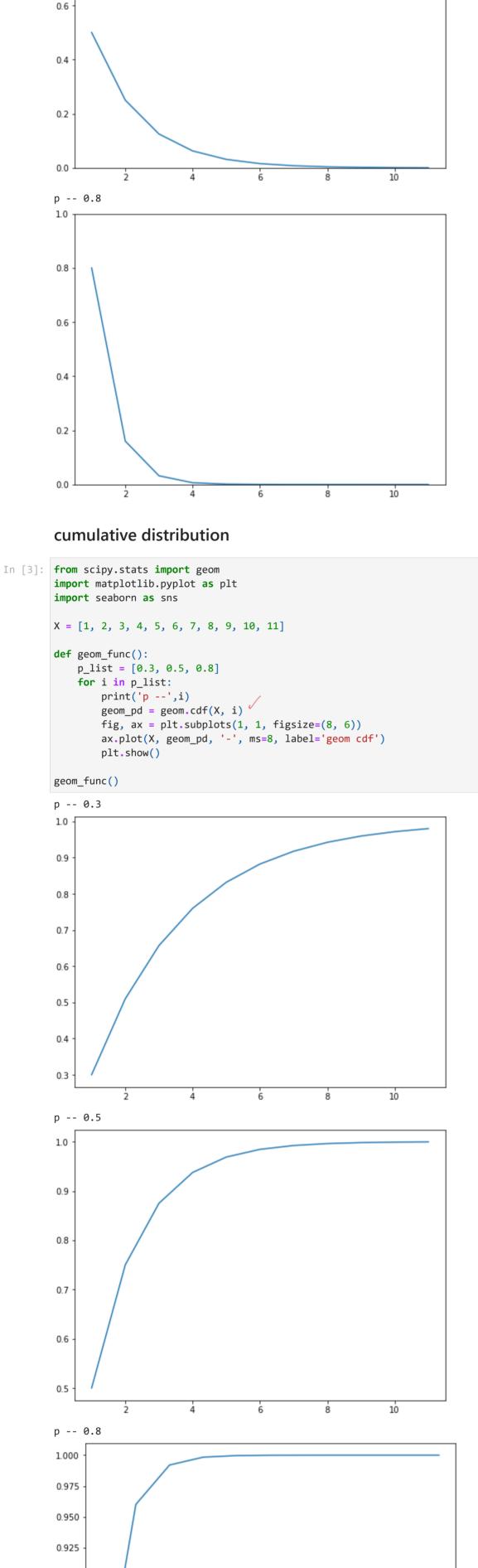
## **Exercise 3** Problem 3.1 In [1]: import numpy as np import seaborn as sns import matplotlib.pyplot as plt $\textbf{from} \ \texttt{scipy.stats} \ \textbf{import} \ \texttt{binom}$ %matplotlib inline def binomial\_func(): $p_list = [0.3, 0.5, 0.8]$ n\_list = [10, 50] for i in p\_list: for j in n\_list: print('p --',i,'-- n --',j) X = range(j+1)Y = binom.pmf(X, n = j, p = i) plt.plot(X,Y,'-') plt.ylim([0, 0.35]) plt.show() binomial\_func() p -- 0.3 -- n -- 10 missing x/y-labels 0.35 0.30 0.25 0.20 0.15 0.10 0.05 0.00 10 p -- 0.3 -- n -- 50 0.35 0.30 0.25 0.20 0.15 0.10 0.05 0.00 30 50 p -- 0.5 -- n -- 10 0.35 0.30 0.25 0.20 0.15 0.10 0.05 0.00 p -- 0.5 -- n -- 50 0.35 0.30 0.25 0.20 0.15 0.10 0.05 0.00 30 40 50 10 p -- 0.8 -- n -- 10 0.35 0.30 0.25 0.20 0.15 0.10 0.05 0.00 10 p -- 0.8 -- n -- 50 0.30 0.25 0.20 0.15 0.10 0.05 0.00 10 Problem 3.2 Geometric distribution In [2]: from scipy.stats import geom $\textbf{import} \ \texttt{matplotlib.pyplot} \ \textbf{as} \ \texttt{plt}$ import seaborn as sns X = [1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11]def geom\_distribution(): $p_list = [0.3, 0.5, 0.8]$ for i in p\_list: print('p --',i) geom\_pd = geom.pmf(X, i) fig, ax = plt.subplots(1, 1, figsize=(8, 6)) ax.plot(X, geom\_pd, '-', ms=8, label='geom cdf') plt.ylim([0, 1]) plt.show() geom\_distribution() p -- 0.3 0.8 0.6 0.4 0.2 0.0 p -- 0.5 1.0



0.8

## poisson\_func() Lambda -- 0.3

0.900

0.875

0.850

0.825

0.800

In [4]: import numpy as np

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Problem 3.3

import seaborn as sns

import matplotlib.pyplot as plt

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 $\textbf{from} \ \text{scipy.stats} \ \textbf{import} \ \text{poisson}$ %matplotlib inline X = [1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16]def poisson\_func(): lambdas = [0.3, 2, 6]for i in lambdas: print('Lambda --',i) Y = poisson.pmf(X, i)plt.plot(X,Y,'-') plt.ylim([0, 0.3]) plt.show() 0.30 0.25 0.20 0.15 0.10 0.05 0.00 16 Lambda -- 2 0.30 0.25 0.20 0.10 0.05 0.00 12 16 Lambda -- 6 0.30 0.25 0.20 0.15 0.10 0.05 0.00 12 10 8 6 16