X = iris.datay = iris.target In [6]: #create dataframe using X,y df = pd.DataFrame(X,columns=iris.feature_names) #check header of the created dataframe df.head() sepal length (cm) sepal width (cm) petal length (cm) petal width (cm) Out[6]: 0 5.1 3.5 0.2 1.4 3.0 1.4 0.2 2 4.7 3.2 1.3 0.2 3 4.6 3.1 1.5 0.2 4 0.2 5.0 3.6 1.4 In [7]: #append target into dataframe df['target'] = iris.target In [8]: df.columns=['sepal_length', 'sepal_width', 'petal_lenth', 'petal_width', 'target'] df.head() sepal_length sepal_width petal_lenth petal_width target Out[8]: 0 5.1 3.5 1.4 0.2 0 0.2 0 2 4.7 3.2 1.3 0.2 0 3 1.5 0 4 5.0 3.6 1.4 0.2 0 In [9]: sns.scatterplot(x = df.sepal length, y = df.sepal width, hue = df.target, style = df.target);4.5 target 4.0 3.5 sepal width 3.0 2.5 2.0 6.5 7.0 7.5 8.0 4.5 5.0 5.5 6.0 sepal length Standardize the Data In [10]: x temp = df.iloc[:, 0:4].values y_temp = df.target.values x_temp = StandardScaler().fit_transform(x_temp) 2D representation of the data In [11]: colors = cycle('rgb') target_ids = range(len(iris.target_names)) pl.figure() for i, c, label in zip(target_ids, colors, iris.target_names): pl.scatter(x_temp[iris.target == i, 0], x_temp[iris.target == i, 0], c=c, label=label) pl.legend() pl.show() setosa versicolor 2 virginica 1 0 -1Ó The three different types of Iris are still clustered pretty well. Compute the Eigenvectors and Eigenvalues In [12]: covariance matrix = np.cov(x temp.T) print("Covariance matrix:\n", covariance matrix) Covariance matrix: [[1.00671141 -0.11835884 0.87760447 0.82343066] $[-0.11835884 \quad 1.00671141 \quad -0.43131554 \quad -0.36858315]$ $\begin{bmatrix} 0.87760447 & -0.43131554 & 1.00671141 & 0.969327621 \end{bmatrix}$ $[\ 0.82343066 \ -0.36858315 \ \ 0.96932762 \ \ 1.00671141]]$ In [13]: eigen_values, eigen_vectors = np.linalg.eig(covariance_matrix) print("Eigenvectors:\n", eigen_vectors, "\n") print("Eigenvalues:\n", eigen_values) Eigenvectors: [[0.52106591 -0.37741762 -0.71956635 0.26128628] [-0.26934744 - 0.92329566 0.24438178 - 0.12350962] $[\ 0.5804131 \ \ -0.02449161 \ \ 0.14212637 \ \ -0.80144925]$ [0.56485654 -0.06694199 0.63427274 0.52359713]] Eigenvalues: [2.93808505 0.9201649 0.14774182 0.02085386] PCA for transformation into 2D data and visualization In [14]: #Apply PCA to transform iris dataset into 2D for visuallization pca2 = PCA(n_components=2) principalComponents2 = pca2.fit_transform(X) principalDf2 = pd.DataFrame(data = principalComponents2, columns = ['principal component 1', 'principal component finalDf2 = pd.concat([principalDf2, df[['target']]], axis = 1) finalDf2.head(5) Out[14]: principal component 1 principal component 2 target 0 -2.684126 0.319397 1 -2.714142 -0.177001 0 2 -0.144949 -2.888991 0 3 -2.745343 -0.318299 0 4 -2.728717 0.326755 0 In [15]: # check the statistical values of the model transformed from 4D to 2D $print(f"components_ in the data transformed to 2D : \n{pca2.components_}\n")$ print(f"explained variance in the data transformed to 2D : \n{pca2.explained variance }\n") print(f"score in the data transformed to 2D : \n{pca2.score(X)}") components in the data transformed to 2D : $[0.65658877 \quad 0.73016143 \quad -0.17337266 \quad -0.07548102]]$ explained variance in the data transformed to 2D: [4.22824171 0.24267075] score in the data transformed to 2D : -2.699796510675664 In [16]: #Visualize the data into 2D fig = plt.figure(figsize = (12,8)) $ax = fig.add_subplot(1,1,1)$ ax.set_xlabel('Principal Component 1', fontsize = 15) ax.set_ylabel('Principal Component 2', fontsize = 15) ax.set_title('2 Component PCA', fontsize = 20) #targets = ['Iris-setosa', 'Iris-versicolor', 'Iris-virginica'] targets = [0,1,2]colors = ['r', 'g', 'b'] for target, color in zip(targets, colors): indicesToKeep = finalDf2['target'] == target ax.scatter(finalDf2.loc[indicesToKeep, 'principal component 1'] , finalDf2.loc[indicesToKeep, 'principal component 2'] , c = color, s = 50)ax.legend(targets) ax.grid() 2 Component PCA 1.5 1.0 Principal Component 2 0.5 0.0 -0.5-1.0Principal Component 1 In [17]: #Apply PCA to transform iris dataset into 2D for visuallization pca2 = PCA(n components=3) principalComponents2 = pca2.fit_transform(X) principalDf2 = pd.DataFrame(data = principalComponents2, columns = ['principal component 1', 'principal component finalDf2 = pd.concat([principalDf2, df[['target']]], axis = 1) finalDf2.head(5) principal component 1 principal component 2 principal component 2 target Out[17]: 0 -2.684126 0.319397 0 -0.027915 1 -2.714142 -0.177001 -0.210464 0 2 -2.888991 -0.144949 0 0.017900 3 -0.318299 -2.745343 0.031559 0 4 -2.728717 0.326755 0.090079 0 In [18]: #check the statistical values of the model transformed from 4D to 2D print(f"components_ in the data transformed to 2D : \n{pca2.components_}\n") print(f"score in the data transformed to 2D : \n{pca2.score(X)}") components_ in the data transformed to 2D : [0.65658877 0.73016143 -0.17337266 -0.07548102] [-0.58202985 0.59791083 0.07623608 0.54583143]] $explained_variance_$ in the data transformed to 2D : [4.22824171 0.24267075 0.0782095] score in the data transformed to 2D : -2.5328088437833913 In [19]: $fig = px.scatter_3d($ principalComponents2, x=0, y=1, z=2, color=df['target'], labels={'0': 'PC 1', '1': 'PC 2', '2': 'PC 3'} fig.show() color 0.5 10/10

In [1]:

In [2]:

In [3]:

Out[3]:

In [4]:

Out[4]:

In [5]:

import numpy as np
import pandas as pd

from pylab import *
import pylab as pl
%matplotlib inline
import seaborn as sns

iris.feature names

['sepal length (cm)',

'sepal width (cm)',
'petal length (cm)',
'petal width (cm)']

iris.target names

import matplotlib.pyplot as plt
from sklearn import datasets
import plotly.express as px

from itertools import cycle

iris = datasets.load iris()

#features in the iris dataset

#target in the iris dataset

#update X,y from iris dataset

#import iris dataset from sklearn

from sklearn.decomposition import PCA

from sklearn.preprocessing import StandardScaler

array(['setosa', 'versicolor', 'virginica'], dtype='<U10')</pre>