## Banaras Hindu University Institute of Science Department of Computer Science



Assignment Title: "Push Down Automata"
Assignment No.: 4
Subject:

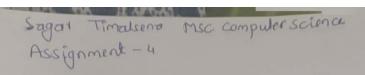
"Theory Of Computation (CS202)"

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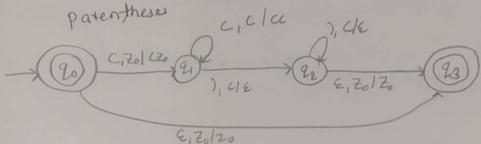
Date Of Submission 30 Nov. 24 Academic Year: 2024-2025



Q.N.1>

Design o PDA for the language L=donbm cmd1

L=d(^n)^n 1 n ≥ 04, which contains balanced parenthese



Q= d 20, 2,122, 235

E= 2 (, ).

20 = 20 (initial state) f = 23 (final states)

Transition steps:

$$8(90, (, 70) = (20, (70))$$
  $8(2, ), () = (22, 6)$ 

$$S(2, (, (, ()) = (2, (())) \delta(22, ), () = (22, E)$$

$$8(2_1, \xi, \xi_0) = (2_3, \xi_0)$$
  $8(2_0, \xi, \xi_0) = (2_3, \xi_0)$ 

(2) Design o DOA for language L=&WIW is a palindrome over the boalphrobet 20,699.

0,000

6,6166

a, blab

b, alb=

Q = 20,2,1225

20 = 20 (initial daks)

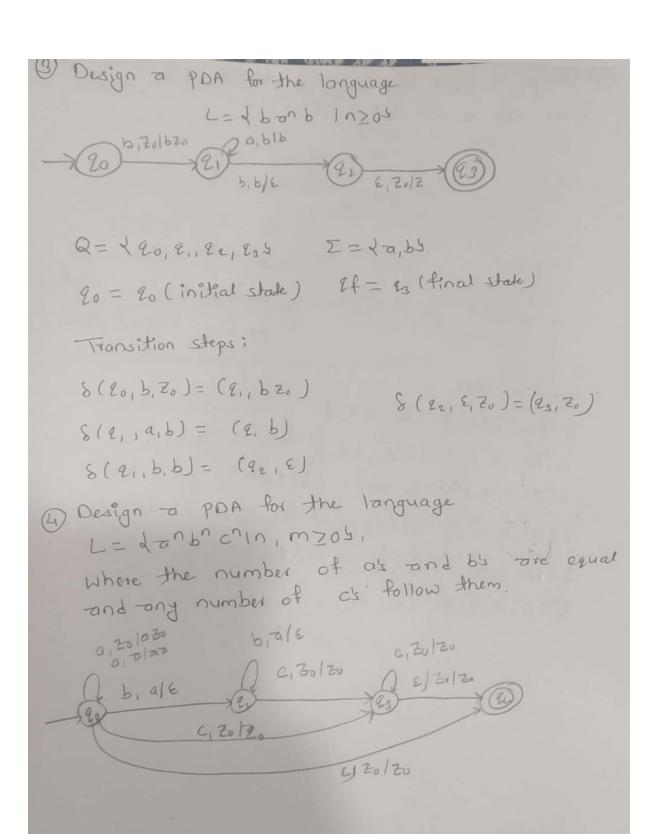
21 = 22 (final state)

Transition steps:

$$8(20, a, a) = (20, aa)$$
  $8(20, b, b) = (20, bb)$ 

$$8(20, a, b) = (20, ab)$$
  $8(20, b, a) = (20, ba)$ 

$$\delta(20, \overline{a}, \overline{a}) = (2, \varepsilon)$$
  $\delta(2, \overline{a}, \overline{a}) = (2, \varepsilon)$ 

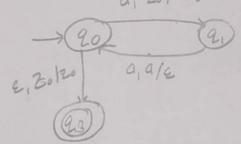


E=da,b,cy Q=d20,2,23,245 20 = 20 (initial state) 2f = 24 (final state)

Transition steps:

S(20, a, 20) = (20, a20) S(20, a, a) = (20, a) S(20, b, a) = (22, E) 8(22, b, a) = (22, E) 8(2, C, Z0) = (23, Z0) 8(23, C, Z0) = (23, Z0) 8(20, 2, 20) = (24, 20) 8(23, 20) = (24, 20)

Q.5) Design a PDA for L= dw/w contains on even a, 20/020 no. of asj



20/20 20/2

Transition steps S(20, 0, 7, 7) = (2, 0, 0, 0) S(20, 6, 7) = (23, 70)8(2, 4,4) = (20, 8)

$$Q = 20,21,22,23,249$$
  $E = 2 = 24$  (final state)  
 $20 = 20$  (initial state)  $2f = 24$  (final state)

## Transition steps:

$$\begin{aligned}
&\delta(\xi_0, \overline{\alpha}, \overline{\zeta}_0) = (\xi_0, \alpha \overline{\zeta}_0) &\delta(\xi_0, \overline{\zeta}, \overline{\alpha}) = (\xi_1, \overline{\zeta}_0) \\
&\delta(\xi_0, \overline{\zeta}, \overline{\zeta}_0) = (\xi_0, \alpha \overline{\zeta}_0) &\delta(\xi_0, \overline{\zeta}, \overline{\zeta}_0) = (\xi_1, \overline{\zeta}_0) \\
&\delta(\xi_1, \zeta_0, \overline{\zeta}_0) = (\xi_2, \xi) &\delta(\xi_1, \overline{\zeta}_0, \overline{\zeta}_0) = (\xi_3, \xi) \\
&\delta(\xi_1, \zeta_0, \overline{\zeta}_0) = (\xi_2, \xi) &\delta(\xi_3, \overline{\zeta}_0, \overline{\zeta}_0) = (\xi_3, \xi) \\
&\delta(\xi_1, \zeta_0, \overline{\zeta}_0) = (\xi_2, \xi) &\delta(\xi_3, \overline{\zeta}_0, \overline{\zeta}_0) = (\xi_3, \xi)
\end{aligned}$$

8(6,8,20) 2 (94,20)