

8_A

Importing libraries

```
In [1]: import numpy as np
import matplotlib.pyplot as plt
from sklearn.linear_model import SGDClassifier
from sklearn.linear_model import LogisticRegression
import pandas as pd
import numpy as np
from sklearn.preprocessing import StandardScaler, Normalizer
import matplotlib.pyplot as plt
from sklearn.svm import SVC
import warnings
warnings.filterwarnings("ignore")
from IPython.display import Image as img
```

```
In [2]: def draw_line(coef, intercept, mi, ma): # FUCTION TO DRAW SEPERATING PLA
NE
    points=np.array([((-coef[1]*mi - intercept)/coef[0]), mi],[(-coef
[1]*ma - intercept)/coef[0]), ma]])
    plt.plot(points[:,0], points[:,1])
```

Creating 2d imbalanced data points

```
In [3]: ratios = [(100,2), (100, 20), (100, 40), (100, 80)] #CREATING DATA BASE
D ON THESE TUPLE RATIOS
plt.figure(figsize=(20,5))
for j,i in enumerate(ratios):
    plt.subplot(1, 4, j+1)
    plt.title(str(i))
```

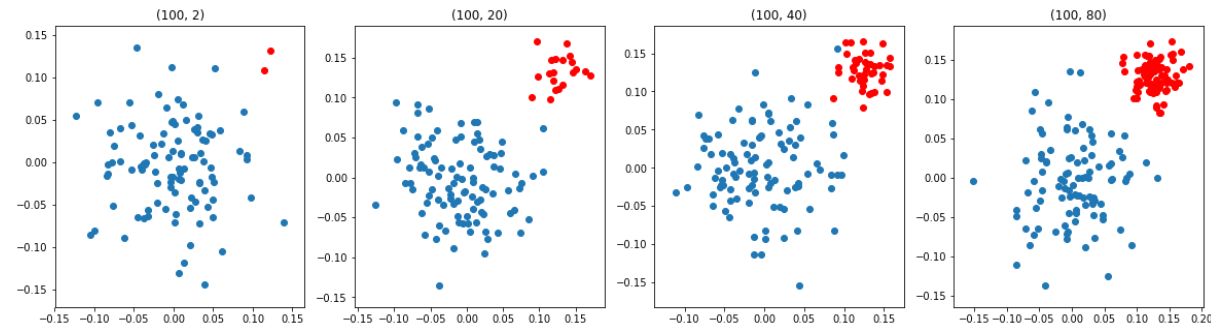
```

X_p=np.random.normal(0,0.05,size=(i[0],2))
X_n=np.random.normal(0.13,0.02,size=(i[1],2))
y_p=np.array([1]*i[0]).reshape(-1,1)
y_n=np.array([0]*i[1]).reshape(-1,1)
X=np.vstack((X_p,X_n))

y=np.vstack((y_p,y_n))
plt.scatter(X_p[:,0],X_p[:,1])
plt.scatter(X_n[:,0],X_n[:,1],color='red')

```

```
plt.show()
```



Task 1: Applying SVM

```

In [4]: np.random.seed(15)
s=0
ratios = [(100,2), (100, 20), (100, 40), (100, 80)]
rate= [0.001, 1, 100]
plt.figure(figsize=(24,20))
for j,i in enumerate(ratios):
    X_p=np.random.normal(0,0.05,size=(i[0],2))
    X_n=np.random.normal(0.13,0.02,size=(i[1],2))
    y_p=np.array([1]*i[0]).reshape(-1,1)
    y_n=np.array([0]*i[1]).reshape(-1,1)
    X=np.vstack((X_p,X_n))
    y=np.vstack((y_p,y_n))
    for k in range(3):

```

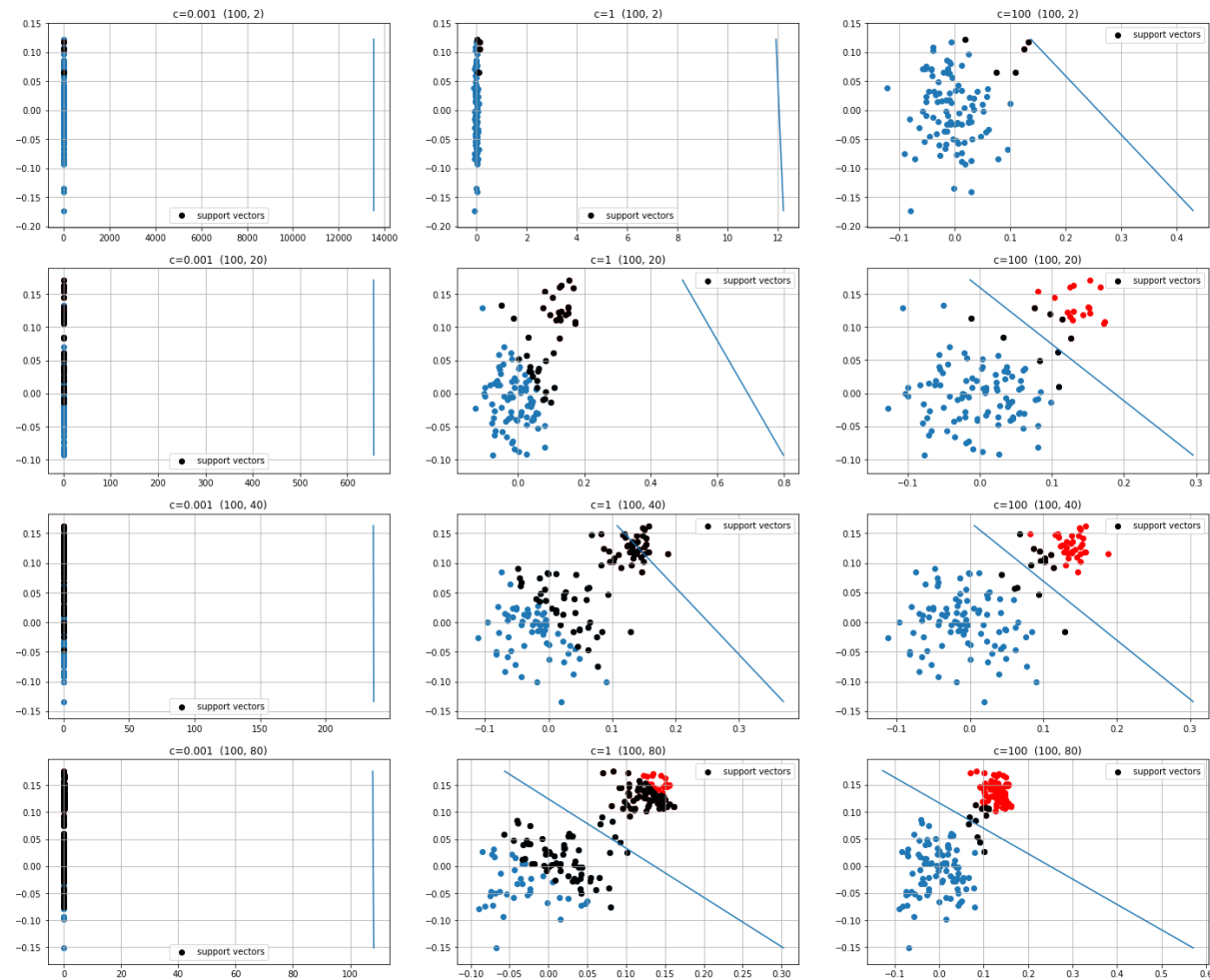
```

s=s+1
plt.subplot(4,3,s)
plt.title("c="+str(rate[k])+" "+str(i))
plt.grid()
plt.scatter(X_p[:,0],X_p[:,1])
plt.scatter(X_n[:,0],X_n[:,1],color='red')
clf=SVC(kernel="linear",C=rate[k],random_state=15)
clf.fit(X,y) # GETTING THE INTERCEPT AND WEIGHT COEFFICIENT
weight=clf.coef_
intercept=clf.intercept_
sv=clf.support_vectors_

plt.scatter(sv[:,0],sv[:,1],color="black",label='support vector
s')

plt.legend()
mi=min(X[:,1])
mx=max(X[:,1])
draw_line(weight[0],intercept,mi,mx)

```



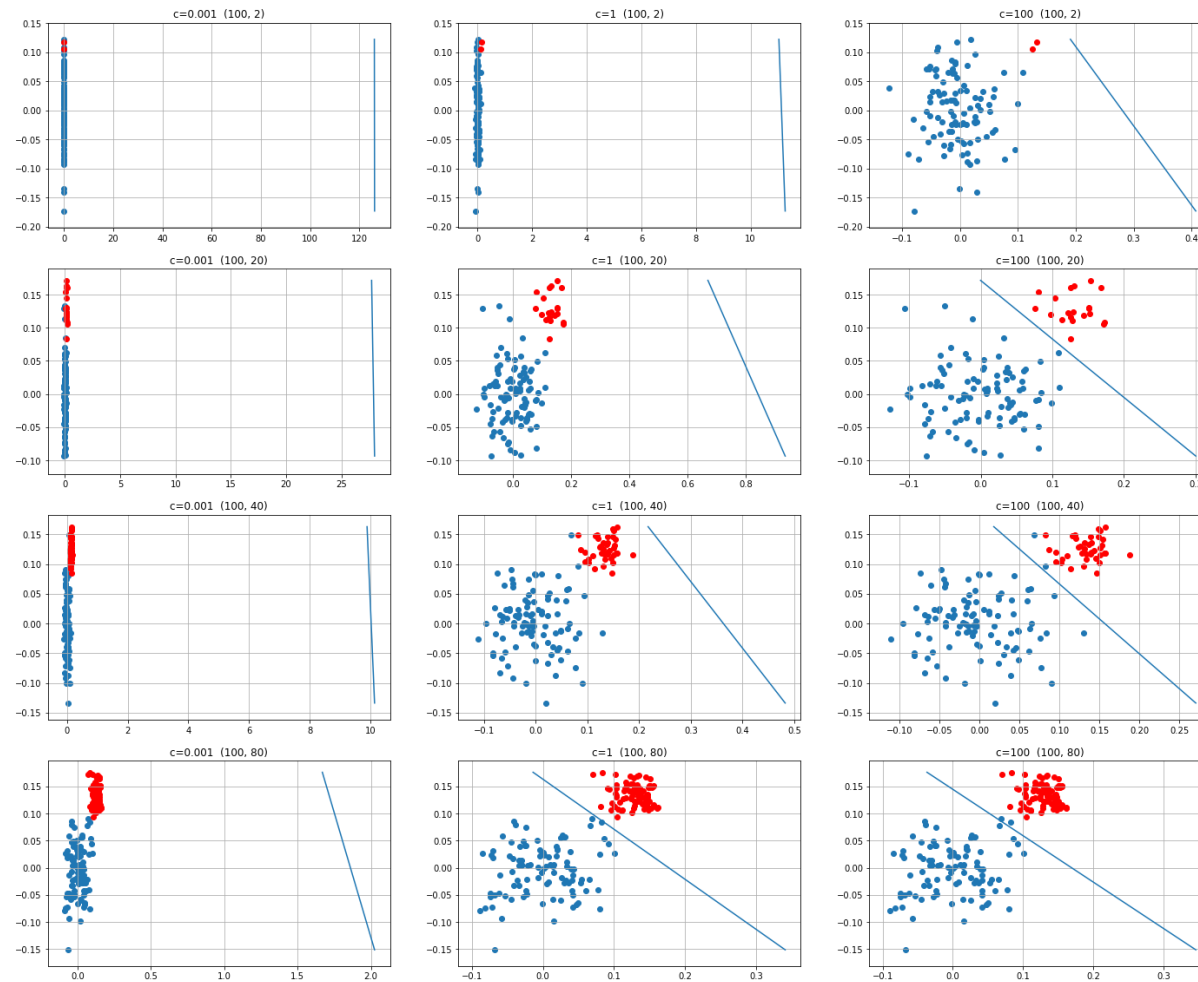
Task 2: Applying LR

```
In [17]: np.random.seed(15)
s=0
ratios = [(100,2), (100, 20), (100, 40), (100, 80)]
rate= [0.001, 1, 100]
plt.figure(figsize=(24,20))
```

```

for j,i in enumerate(ratios):
    X_p=np.random.normal(0,0.05,size=(i[0],2))
    X_n=np.random.normal(0.13,0.02,size=(i[1],2))
    y_p=np.array([1]*i[0]).reshape(-1,1)
    y_n=np.array([0]*i[1]).reshape(-1,1)
    X=np.vstack((X_p,X_n))
    y=np.vstack((y_p,y_n))
    for k in range(3):
        s=s+1
        plt.subplot(4,3,s)
        plt.title("c="+str(rate[k])+" "+str(i))
        plt.grid()
        plt.scatter(X_p[:,0],X_p[:,1])
        plt.scatter(X_n[:,0],X_n[:,1],color='red')
        clf = LogisticRegression(C=rate[k],random_state=15)
        clf.fit(X,y)
        weight=clf.coef_
        intercept=clf.intercept_
        mi=min(X[:,1])
        mx=max(X[:,1])
        draw_line(weight[0],intercept,mi,mx)

```



Observations

- Both svm and lr c is a hyper parameter which is inverse of regularization strength.
- so the regularization discourages learning complex functions ,to avoid the risk of overfitting
- as c decreases regularization strength increases and it moves to underfit ,it will consider all points as single class

- as c increases regularization strength decreases it tries to reduce underfitting and it tries to recognize dataset has 2 classes
- at larger c ($c=100$) regularization has only small effect, it will do correct fitting and leads to overfitting

Sum Explanation

$$w^* b^* = \arg \min_{w, b} \frac{\|w\|}{2} + C \times \frac{1}{n} \sum_{i=1}^n \xi_i$$

1) as $C \uparrow$ (increases)



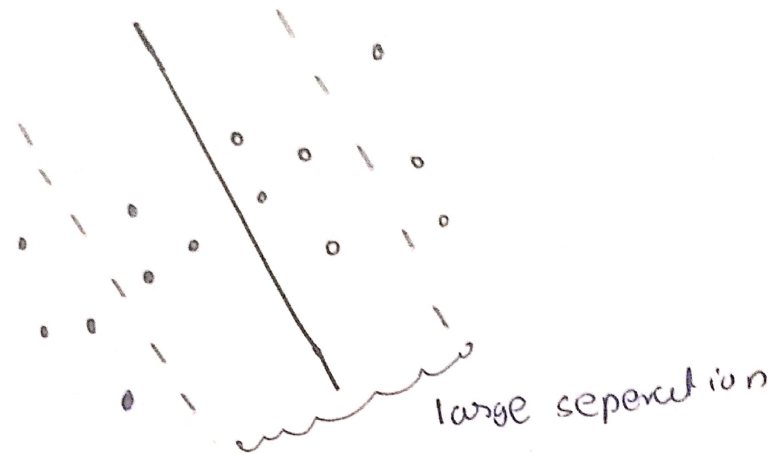
- the separation b/w the plane decreases, average distance of mis-classification decreases

as a result

- works very well in Train data
- leads to overfit.
- not a smooth decision curve.



② as $c \downarrow$ (decreases)



- as c decreases more preference to $\frac{\|w\|^2}{2}$ term and separation b/w the plane increases.

- As a result

- moves to under fit
- smooth decision curve.

