```
clc; clear all; close all;
filename='windedata.xlsx';
p=3430; q=4898;
                                      % number of experimental samples and total sample
                                      % mean of columns of experimental samples
  xbar=mean(wine);
  sigma=std(wine);
                                      % standard deviation of columns of experimental s
amples
                                     % get size of experimental samples
  [m,n]=size(wine);
                                     % mean shift
  NormA=wine-(ones(m,1)*xbar);
  NormA=NormA./(ones(m,1)*sigma);
                                     % scale by standard deviation
  X=NormA(1:p,[1:n-1]);
                                      % extract input experimental data
                                      % extract output experimental data
  Y=NormA(1:p,n);
  % actual values of test samples
  Y1=NormA(p+1:q,n);
  Y_O=NormA(p+1:q,[1:n-1])*alpha_O; % OLS model prediction for test samples
  \label{eq:rmsd_obj} {\tt RMSD_O} = {\tt sqrt} \left( ({\tt Y1-Y_O}) \cdot {\tt '*(Y1-Y_O)} / ({\tt q-p-1}) \right); \qquad {\tt %} \ \ {\tt root mean square deviation of OLS}
  Z = [X Y];
  S=Z.'*Z;
                                      % Covariance matrix
  [V,D]=eig(S);
                                     % V - eigen vector matrix, D- eigen values
  alpha_T=-V(:,1)/V(n,1) ;
                                     % TLS estimates
  alpha T(n) = [];
                                     % Remove the output vector
  Y T=NormA(p+1:q,1:n-1)*alpha T; % TLS model prediction for test samples
  RMSD T = sqrt((Y1-Y T).'*(Y1-Y T)/(q-p-1)); % root mean square deviation of TLS
fprintf('\n\n----\n')
fprintf('\n Root mean square deviation for OLS of White wine test samples \n')
fprintf('RMSD = %s\n', RMSD O)
fprintf('\n Root mean square deviation for TLS of White wine test samples \n')
fprintf('RMSD = %s\n', RMSD T)
fprintf('\n----\n')
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