To create a matrix of size 50×50 of numbers ranging from 0 to 9. Find the length of the largest sorted component horizontally.

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Introduction

Given a 2d array with n number of rows and m number of columns where n and m is less than 50. The elements of the array will range from 0 to 9. We have to print the length of largest sorted component of the array horizontally. We will discuss diffrent algorithm for this and the complexity of algorithms.

Example:

Input	Output:
3 4 5 6	4
4 3 1 5	
3 4 5 1	

Algorithm Design

We have designed three algorithm For finding the union of two sets of positive Integers.

1. Brute-force

In this algorithm we have checked for each row if the array is increasing or decreasing we have increased the cnt variable and else we have updated the max_cnt variable and make the cnt variable 0.

2. Searching and sorting

In this algorithm we are storing the length of the sorted subarrays of the array in a vector count using nested for loop. Then we are sorting it printing the largest length of the sorted subsequence.

1. Brute Force

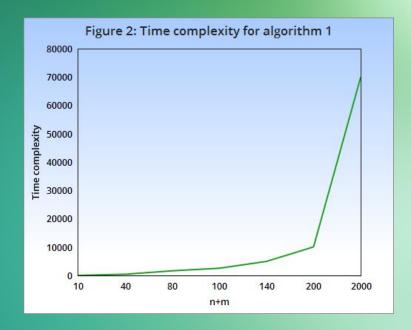
Time Complexity

Best case : $\Omega(n^2)$

Average case : $\theta(n^2)$

Worst case : $O(n^2)$

Space Complexity: n*m



Pseudo Code for Brute force

```
int Brute(int a[][], int n, int m)
  int max_cnt=0,cnt=1;
     for(i = 0 to n)
for (j=1 \text{ to } j=m)
          if(a[i][j]>a[i][j-1])
            cnt++;
         else{
          max_cnt=max(cnt,max_cnt);
          cnt=1;}
Return max_cnt;
```

```
Ex:
INPUT
3 4
1 2 3 4
9 8 6 5
0 6 7 1
OUTPUT:
4
```

2. Searching and Sorting

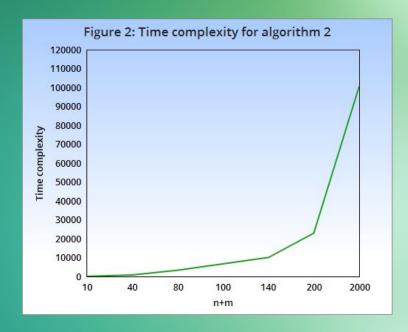
Time complexity

Best case : $\Omega(n^2)$

Average case : $\theta(n^2.logn)$

Worst case : O(n^2logn)

Space Complexity : O(n*m)

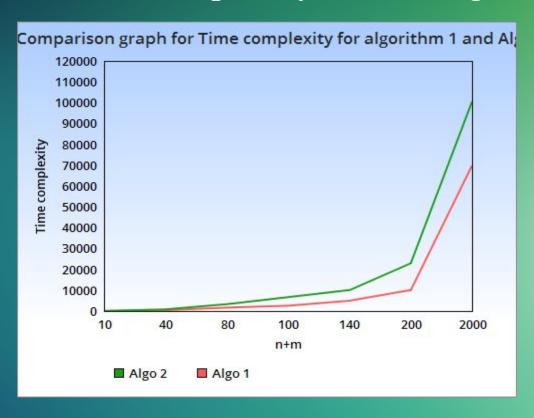


Pseudo code

```
int sorting_cnt(int a[][], int n, int m)
  int n, m;
  int max cnt=0,cnt=1;
  vector<int>count;
  for \overline{i=0} to \overline{i=n}
  for (j=1 \text{ to } m)
    if(a[i][j]>a[i][j-1]){
         cnt++;
        v.push_back(cnt);
  else
        cnt=1;
  }}
  sort(count.begin(), count.end());
         Return count[count.size()-1];
```

OUTPUT:

Comparison of time Complexity of two Algorithm



Conclusion

Time complexity for finding the length of the largest sorted subarray will be minimum in brute force which is $O(n^2)$ and for sorting count algorithm time complexity will be $O(n^2\log n)$.

References:

- 1. <u>https://www.quora.com/How-would-one-use-Arrays-sort-on-a-multidimensional-array-of-ints-by-the-fir-st-element-of-each-sub-array-in-Java</u>
- 2. https://www.geeksforgeeks.org/longest-increasing-path-matrix/