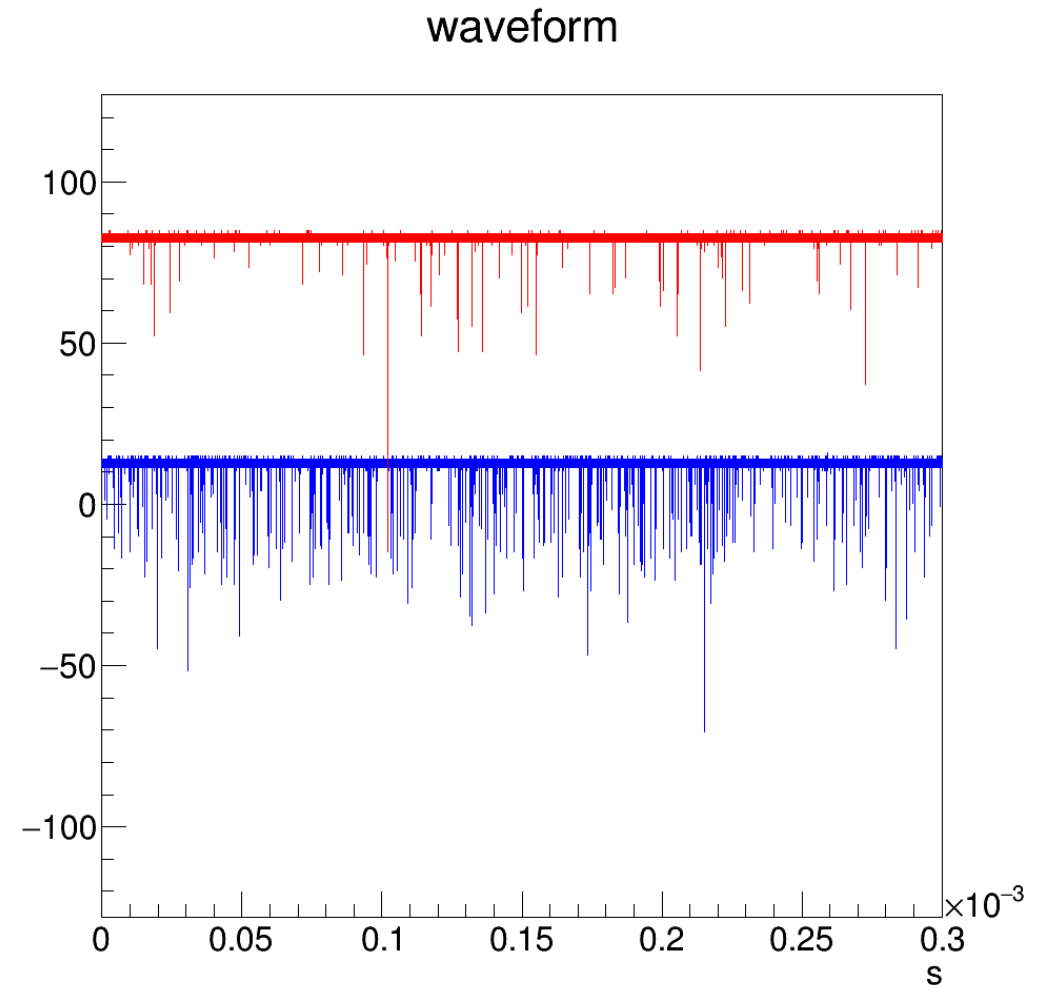
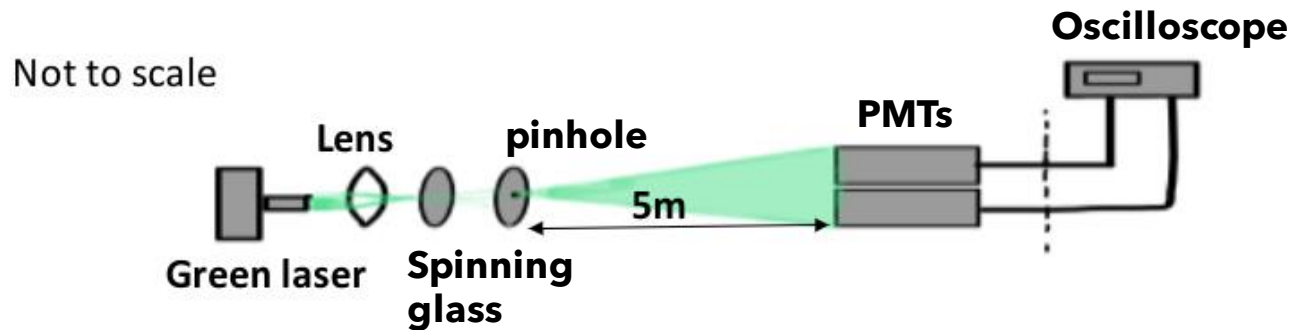




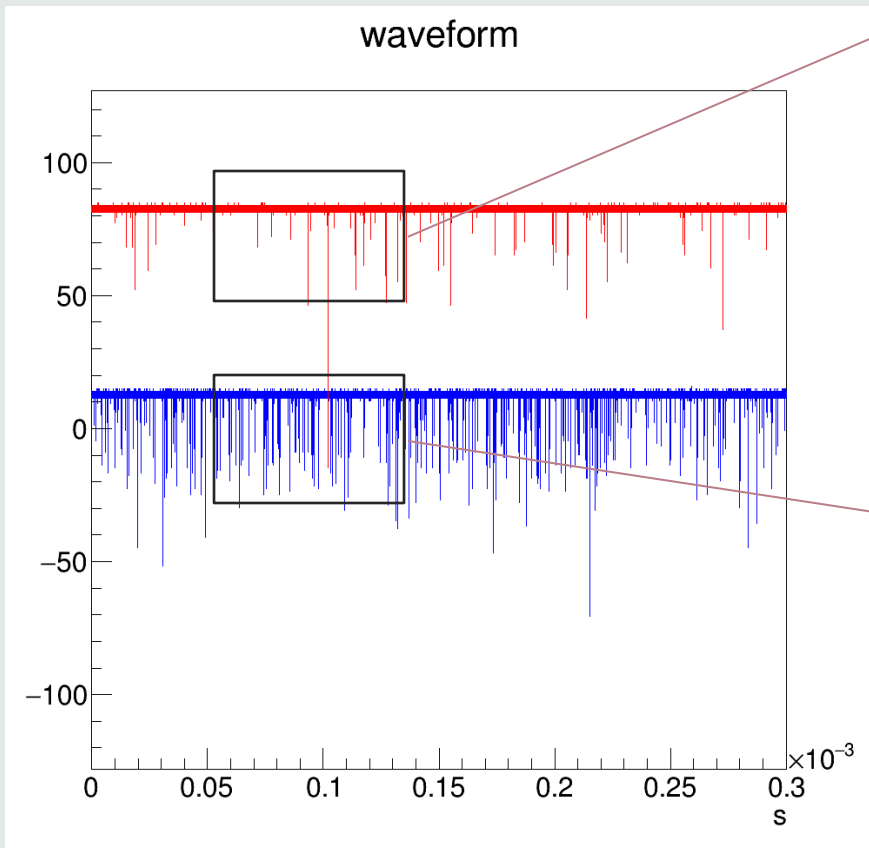
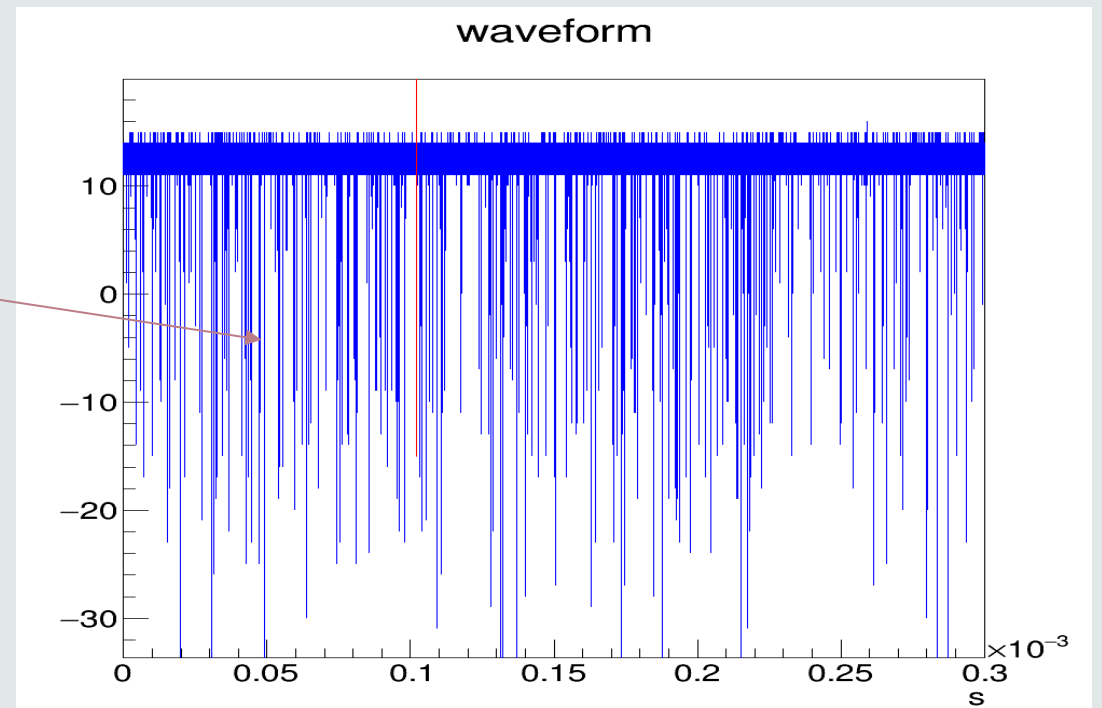
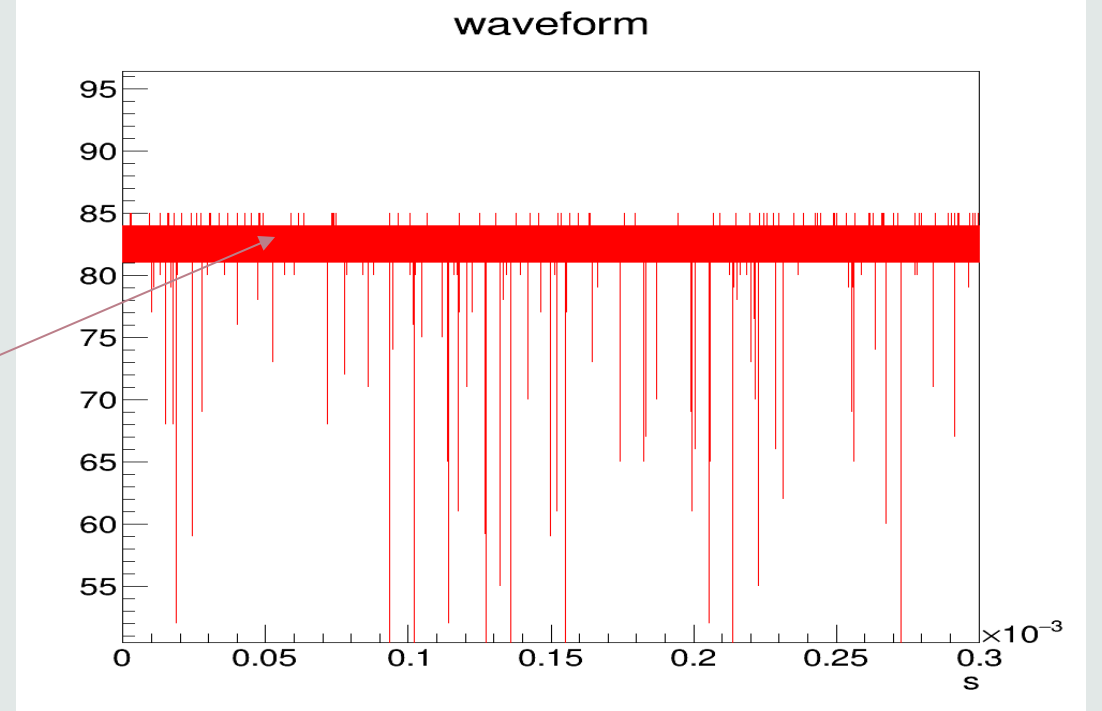
# Analyzing HBT interferometry in Lab

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The waveform that we  
get from PMTs and  
Oscilloscope

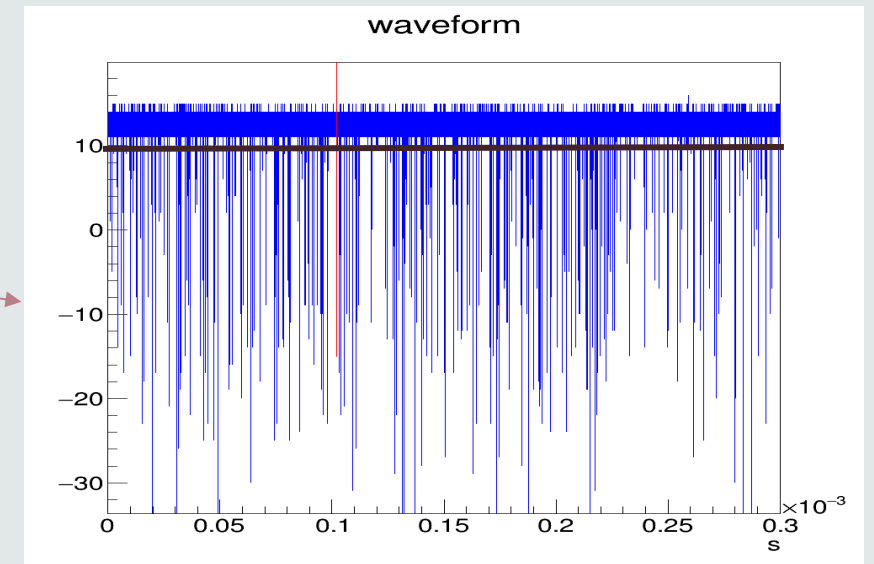
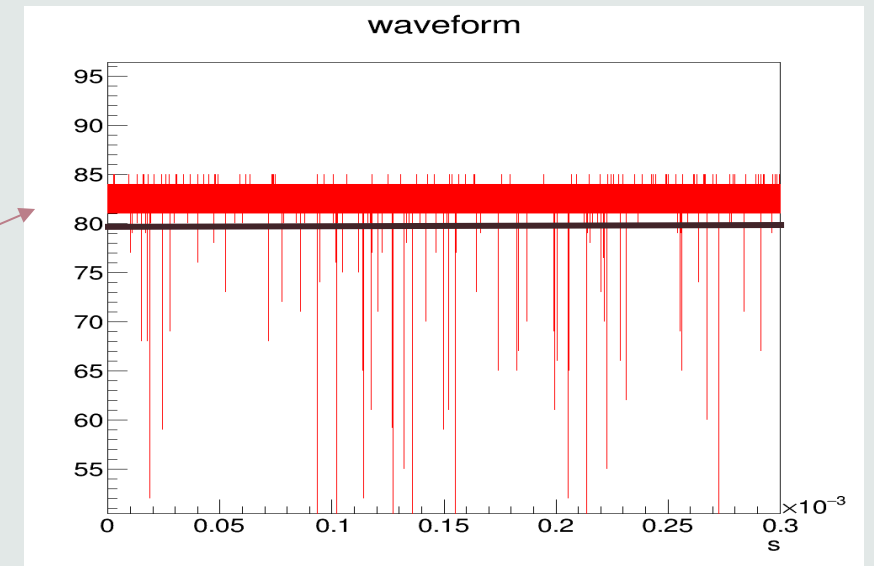
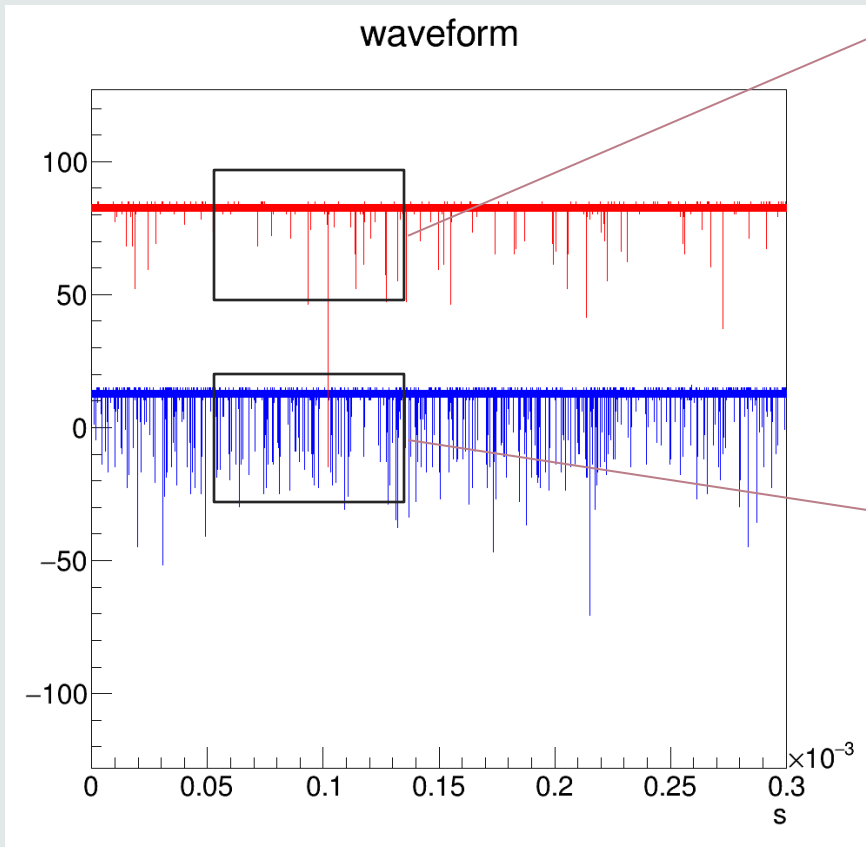


# Zooming in via Y axis

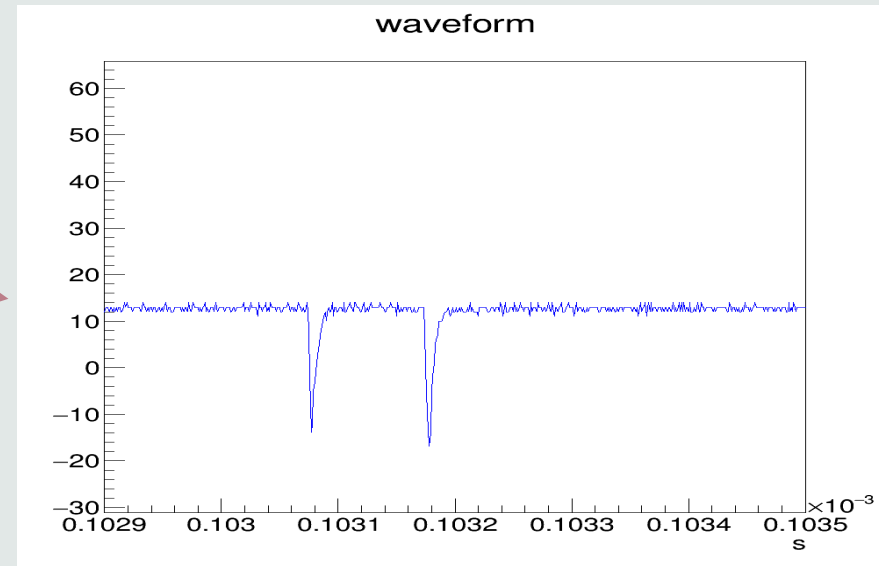
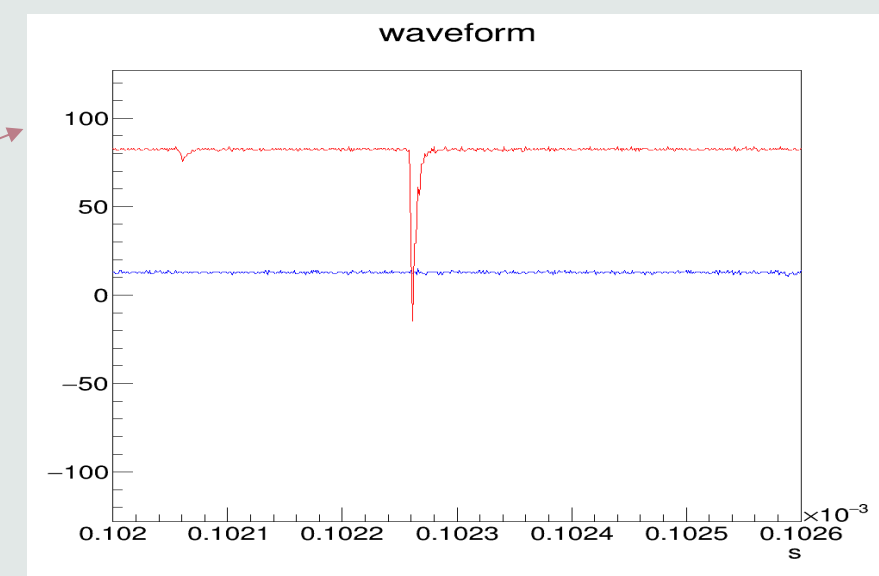
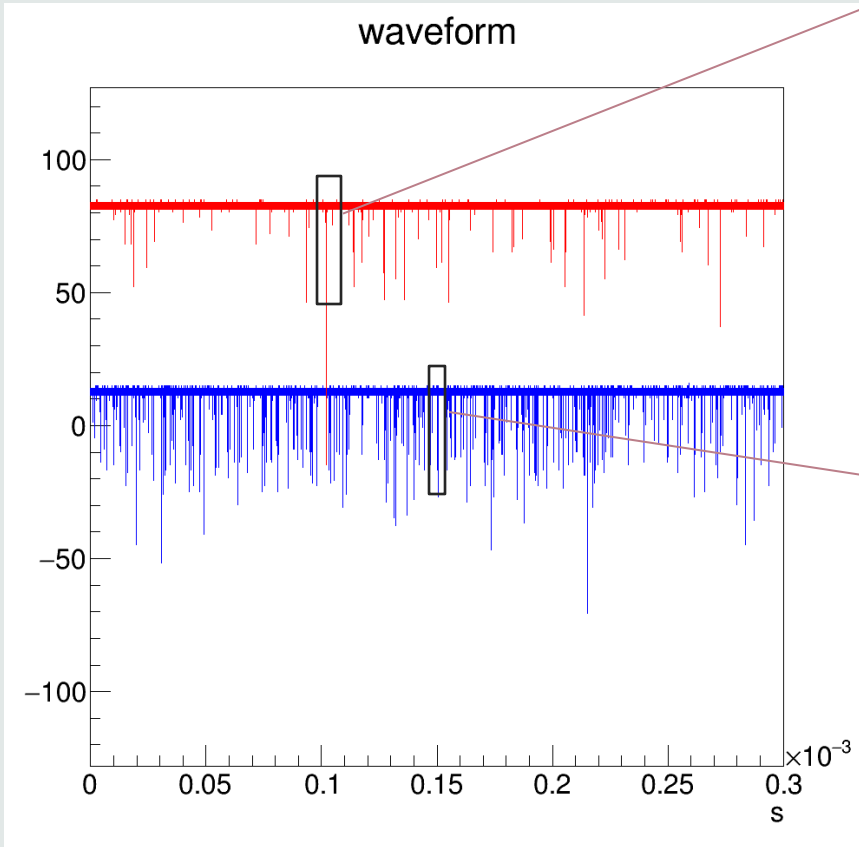


# How to solve the PMTs noise issue

- We set a threshold

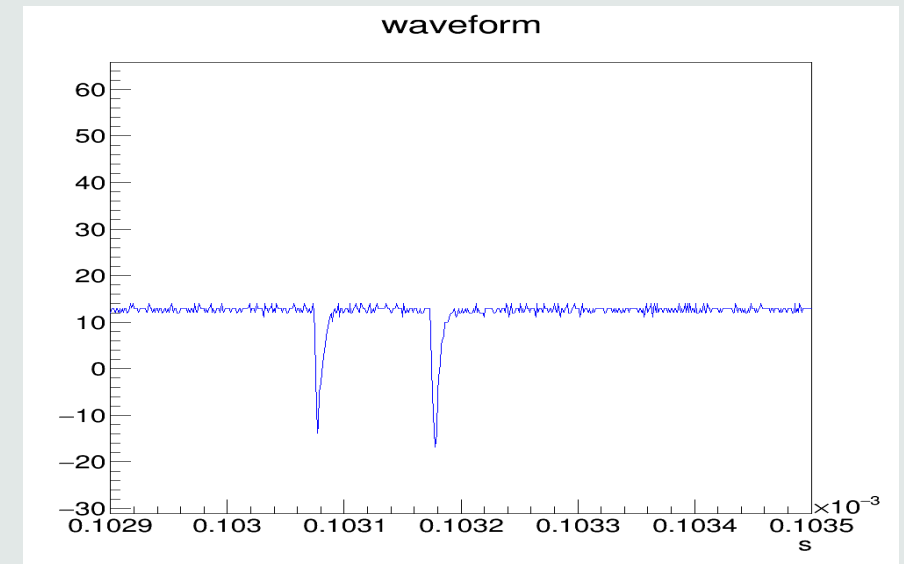
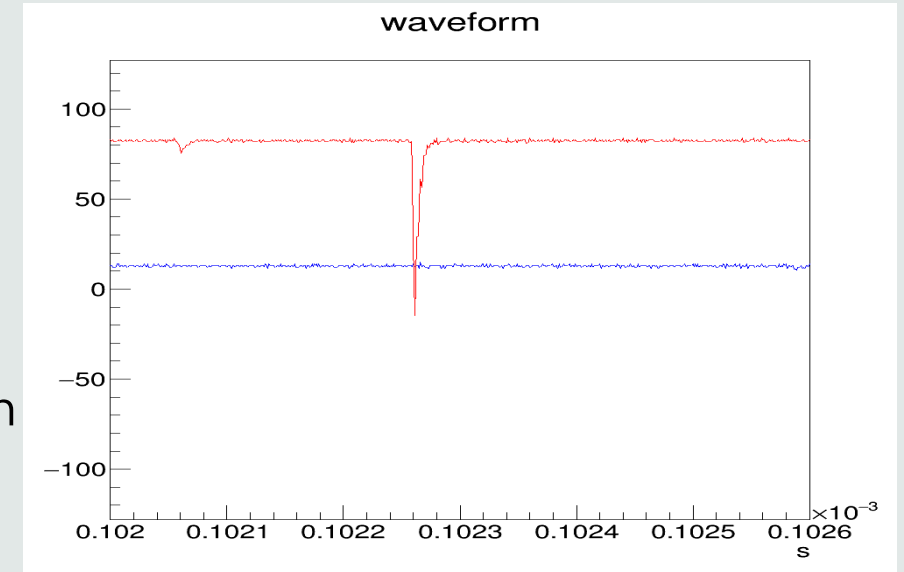


# Zooming in via X axis



# Deadtime

- The width of the signals are between 10 to 20 ns
- We skip 15 nanosecond the moment we find a sign



# Two ways of analyzing

## **A:**

Finding the position of peaks

And fill the histogram with

Fill CF  $\rightarrow (T[i]-T[j], 1.0)$

Where  $T$  is the position of  $n$ th signal in time.

## **B:**

Going over all the samples

And fill the histogram with

Fill CF  $\rightarrow ((i-j)*dt, W[i]W[j])$

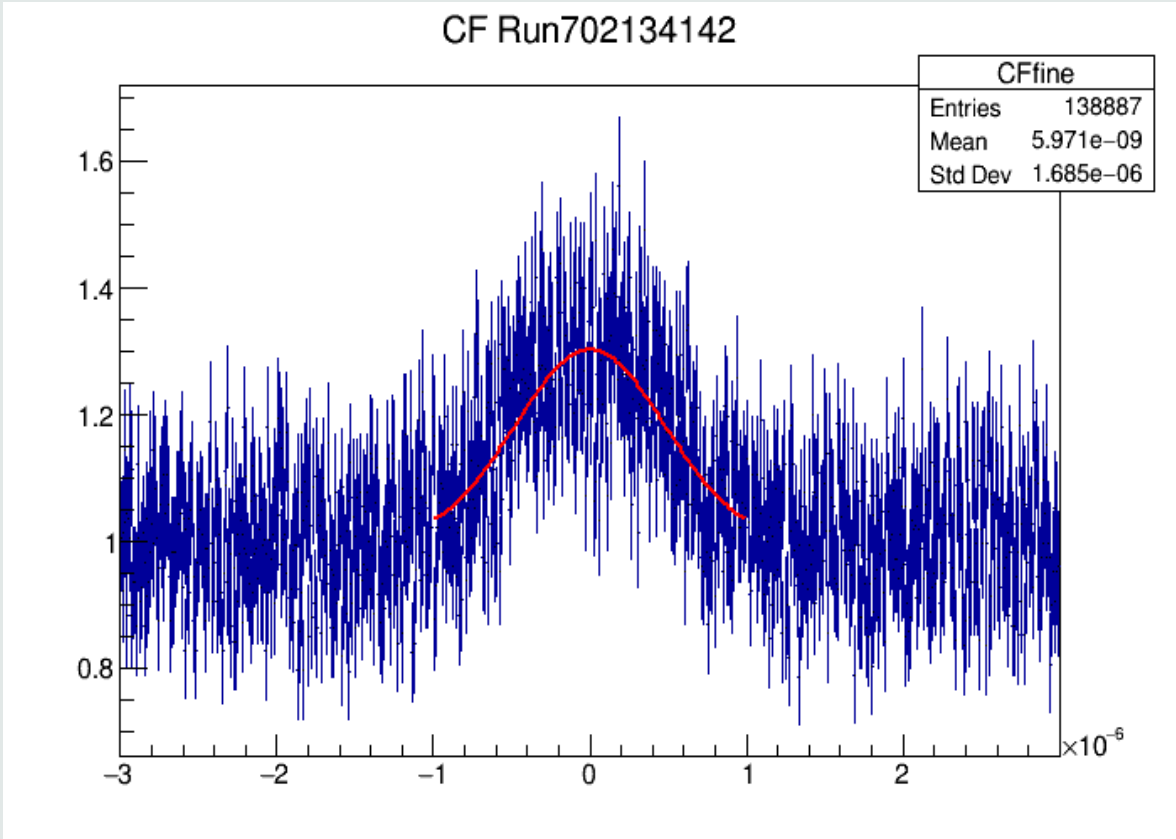
Where  $W$  is the value of waveform at a given time.

# Results

**A:** Finding the position of peaks

Fit Result:

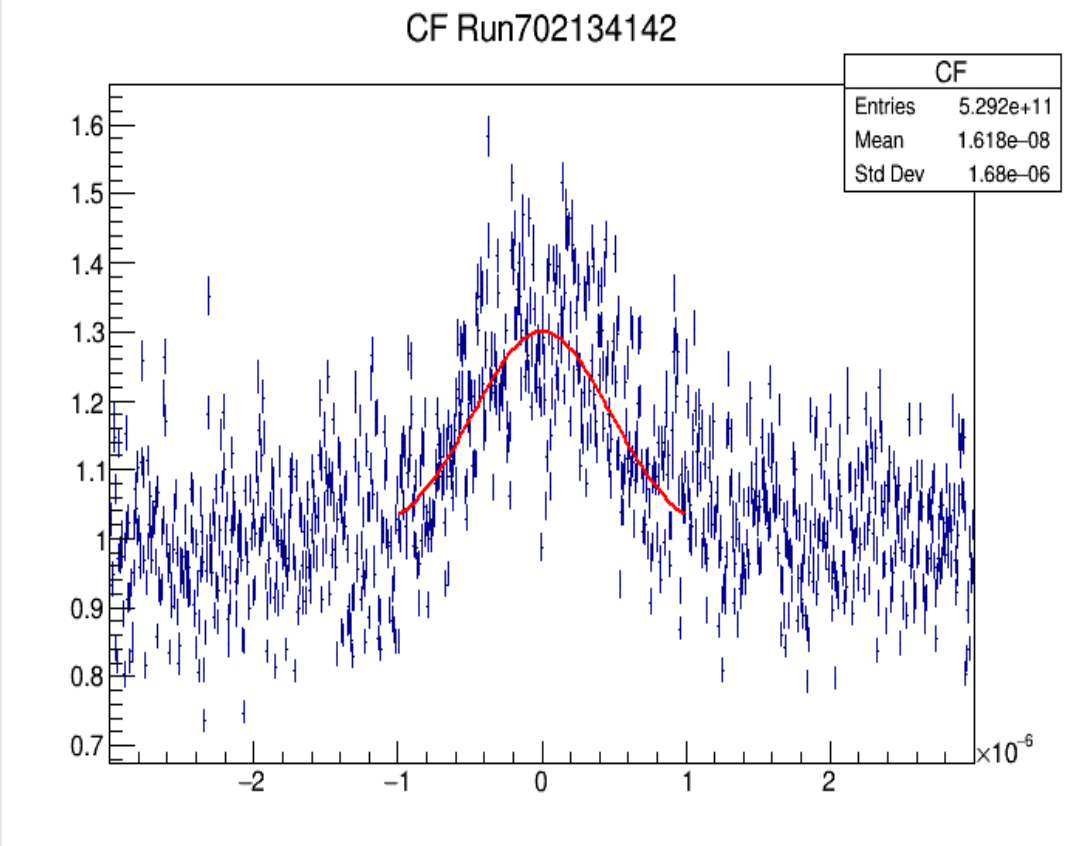
NO.	NAME	VALUE	ERROR	SIZE	DERIVATIVE
1	p0	3.03108e-01	1.00679e-02	7.44225e-05	1.46391e-02
2	p1	4.79481e-07	1.79728e-08	1.32878e-10	1.05035e+04



**B:** Going over all the samples

Fit Result:

NO.	NAME	VALUE	ERROR	SIZE	DERIVATIVE
1	p0	3.04333e-01	2.49310e-03	2.77251e-06	9.85127e-03
2	p1	4.69071e-07	4.36345e-09	-2.25553e-12	7.76005e+02





# Advantages of using method A for dim sources

- In our case:

There were 5 samples in each event and between 100-300 event in each run

This means  $9 \times 10^{10}$  operations on each event with method B.

There are between 70 to 300 signals in each event which makes it  $9 \times 10^4$  operation

That would be a save in time of analyzing and also the volume of data we record

Method	description	Time
A	Correlating the signal positions in time	23s
B	Correlating all the samples	359 m 41 s*

\* It is not doing all  $9 \times 10^{10}$  operation( but  $9 \times 10^8$  because of sliding window)