

```
In [62]: import pandas as pd
import seaborn as sns
import numpy as np
import scipy.stats as st
```

```
In [63]: import warnings
warnings.filterwarnings('ignore')
```

```
In [64]: df = pd.read_excel("D:\BPC\Python\Credit card project\default_of_credit_card_clients_0.xlsx")
df = pd.DataFrame(df)
df
```

Out[64]:

	ID	LIMIT_BAL	SEX	EDUCATION	MARRIAGE	AGE	PAY_0	PAY_2	PAY_3	PAY_4	...	BILL_AMT4	BILL_AMT5	BILL_AMT6	PAY_AMT1	PAY_AMT2
0	1	20000	2	2	1	24	2	2	0	0	...	0	0	0	0	689
1	2	120000	2	2	2	26	0	2	0	0	...	3272	3455	3261	0	1000
2	3	90000	2	2	2	34	0	0	0	0	...	14331	14948	15549	1518	1500
3	4	50000	2	2	1	37	0	0	0	0	...	28314	28959	29547	2000	2019
4	5	50000	1	2	1	57	0	0	0	0	...	20940	19146	19131	2000	36681
...	...	...	...	...	...	...	...	...	...	...	...	...	...	...	...	...
29995	29996	220000	1	3	1	39	0	0	0	0	...	88004	31237	15980	8500	20000
29996	29997	150000	1	3	2	43	0	0	0	0	...	8979	5190	0	1837	3526
29997	29998	30000	1	2	2	37	4	3	2	0	...	20878	20582	19357	0	0
29998	29999	80000	1	3	1	41	1	0	0	0	...	52774	11855	48944	85900	3409
29999	30000	50000	1	2	1	46	0	0	0	0	...	36535	32428	15313	2078	1800

30000 rows × 25 columns

```
In [65]: df.describe()
```

Out[65]:

	ID	LIMIT_BAL	SEX	EDUCATION	MARRIAGE	AGE	PAY_0	PAY_2	PAY_3	PAY_4	...	
count	30000.000000	30000.000000	30000.000000	30000.000000	30000.000000	30000.000000	30000.000000	30000.000000	30000.000000	30000.000000	...	30000.000000
mean	15000.500000	167484.322667	1.603733	1.853133	1.551867	35.485500	0.356767	0.320033	0.304067	0.258767	...	40000.000000
std	8660.398374	129747.661567	0.489129	0.790349	0.521970	9.217904	0.760594	0.801727	0.790589	0.761113	...	60000.000000
min	1.000000	10000.000000	1.000000	0.000000	0.000000	21.000000	0.000000	0.000000	0.000000	0.000000	...	-170000.000000
25%	7500.750000	50000.000000	1.000000	1.000000	1.000000	28.000000	0.000000	0.000000	0.000000	0.000000	...	10000.000000
50%	15000.500000	140000.000000	2.000000	2.000000	2.000000	34.000000	0.000000	0.000000	0.000000	0.000000	...	100000.000000
75%	22500.250000	240000.000000	2.000000	2.000000	2.000000	41.000000	0.000000	0.000000	0.000000	0.000000	...	500000.000000
max	30000.000000	1000000.000000	2.000000	6.000000	3.000000	79.000000	8.000000	8.000000	8.000000	8.000000	...	890000.000000

8 rows × 25 columns

```
In [66]: #Dropping the rows with 0, 5, 6 values in EDUCATION and 0 in MARRIAGE columns
df = df[df['MARRIAGE'] != 0]
df = df.query('EDUCATION != 0 and EDUCATION != 5 and EDUCATION != 6')

# Print modified DataFrame
print("\nModified DataFrame:")
df
```

Modified DataFrame:

Out[66]:

	ID	LIMIT_BAL	SEX	EDUCATION	MARRIAGE	AGE	PAY_0	PAY_2	PAY_3	PAY_4	...	BILL_AMT4	BILL_AMT5	BILL_AMT6	PAY_AMT1	PAY_AMT2
0	1	20000	2	2	1	24	2	2	0	0	...	0	0	0	0	689
1	2	120000	2	2	2	26	0	2	0	0	...	3272	3455	3261	0	1000
2	3	90000	2	2	2	34	0	0	0	0	...	14331	14948	15549	1518	1500
3	4	50000	2	2	1	37	0	0	0	0	...	28314	28959	29547	2000	2019
4	5	50000	1	2	1	57	0	0	0	0	...	20940	19146	19131	2000	36681
...	...	...	...	...	...	...	...	...	...	...	...	...	...	...	...	...
29995	29996	220000	1	3	1	39	0	0	0	0	...	88004	31237	15980	8500	20000
29996	29997	150000	1	3	2	43	0	0	0	0	...	8979	5190	0	1837	3526
29997	29998	30000	1	2	2	37	4	3	2	0	...	20878	20582	19357	0	0
29998	29999	80000	1	3	1	41	1	0	0	0	...	52774	11855	48944	85900	3409
29999	30000	50000	1	2	1	46	0	0	0	0	...	36535	32428	15313	2078	1800

29601 rows × 25 columns

```
In [67]: #dropping unnecessary columns
df = df.drop(columns=['LIMIT_BAL', 'EDUCATION', 'PAY_0', 'PAY_2', 'PAY_3', 'PAY_4', 'PAY_5', 'PAY_6',
                      'default payment next month'])
df
```

Out[67]:

	ID	SEX	MARRIAGE	AGE	BILL_AMT1	BILL_AMT2	BILL_AMT3	BILL_AMT4	BILL_AMT5	BILL_AMT6	PAY_AMT1	PAY_AMT2	PAY_AMT3	PAY_AMT
0	1	2	1	24	3913	3102	689	0	0	0	0	689	0	
1	2	2	2	26	2682	1725	2682	3272	3455	3261	0	1000	1000	100
2	3	2	2	34	29239	14027	13559	14331	14948	15549	1518	1500	1000	100
3	4	2	1	37	46990	48233	49291	28314	28959	29547	2000	2019	1200	110
4	5	1	1	57	8617	5670	35835	20940	19146	19131	2000	36681	10000	900
...	...	...	...	...	...	...	...	...	...	...	...	...	...	.
29995	29996	1	1	39	188948	192815	208365	88004	31237	15980	8500	20000	5003	304
29996	29997	1	2	43	1683	1828	3502	8979	5190	0	1837	3526	8998	12
29997	29998	1	2	37	3565	3356	2758	20878	20582	19357	0	0	22000	420
29998	29999	1	1	41	-1645	78379	76304	52774	11855	48944	85900	3409	1178	192
29999	30000	1	1	46	47929	48905	49764	36535	32428	15313	2078	1800	1430	100

29601 rows × 16 columns

```
In [68]: #Calculating the total bill amount, total pay amount, total outstanding amount after 6 months for each row
df['TOT_BILL_AMT'] = df[['BILL_AMT1', 'BILL_AMT2', 'BILL_AMT3', 'BILL_AMT4', 'BILL_AMT5', 'BILL_AMT6']].sum(axis=1)
df['TOT_PAY_AMT'] = df[['PAY_AMT1', 'PAY_AMT2', 'PAY_AMT3', 'PAY_AMT4', 'PAY_AMT5', 'PAY_AMT6']].sum(axis=1)
df['OUTS_AMT'] = df['TOT_BILL_AMT'] - df['TOT_PAY_AMT']
df
```

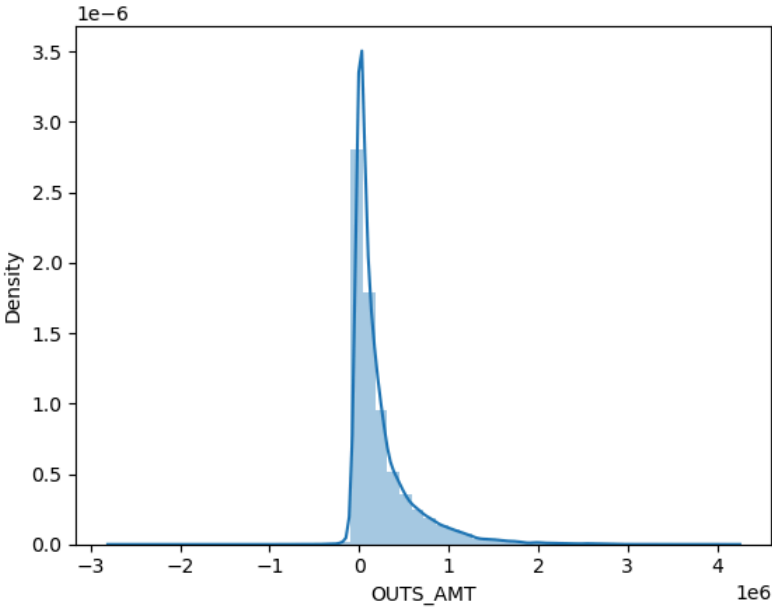
Out[68]:

	ID	SEX	MARRIAGE	AGE	BILL_AMT1	BILL_AMT2	BILL_AMT3	BILL_AMT4	BILL_AMT5	BILL_AMT6	PAY_AMT1	PAY_AMT2	PAY_AMT3	PAY_AMT
0	1	2	1	24	3913	3102	689	0	0	0	0	689	0	
1	2	2	2	26	2682	1725	2682	3272	3455	3261	0	1000	1000	100
2	3	2	2	34	29239	14027	13559	14331	14948	15549	1518	1500	1000	100
3	4	2	1	37	46990	48233	49291	28314	28959	29547	2000	2019	1200	110
4	5	1	1	57	8617	5670	35835	20940	19146	19131	2000	36681	10000	900
...	...	...	...	...	...	...	...	...	...	...	...	...	...	.
29995	29996	1	1	39	188948	192815	208365	88004	31237	15980	8500	20000	5003	304
29996	29997	1	2	43	1683	1828	3502	8979	5190	0	1837	3526	8998	12
29997	29998	1	2	37	3565	3356	2758	20878	20582	19357	0	0	22000	420
29998	29999	1	1	41	-1645	78379	76304	52774	11855	48944	85900	3409	1178	192
29999	30000	1	1	46	47929	48905	49764	36535	32428	15313	2078	1800	1430	100

29601 rows × 19 columns

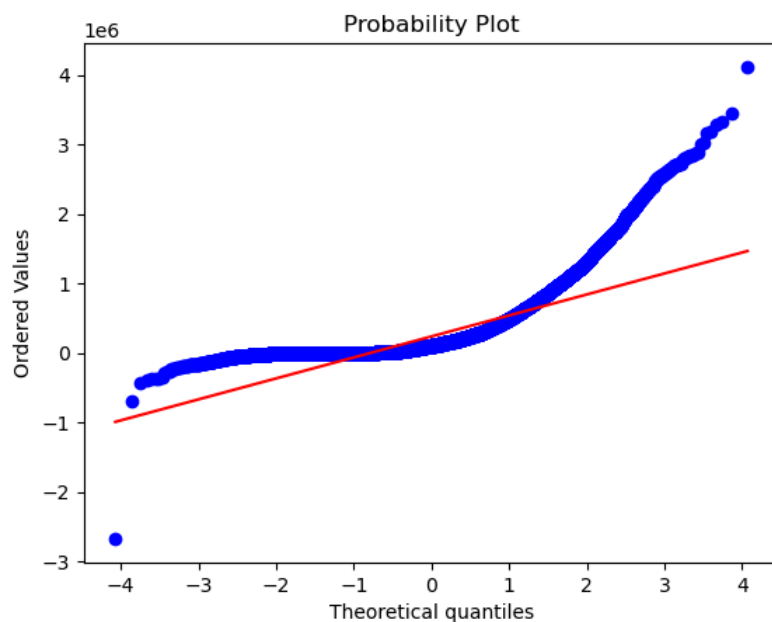
```
In [69]: sns.distplot(df['OUTS_AMT'])
df['OUTS_AMT'].mean()
```

Out[69]: 237371.5910611128



In [83]: *#Checking normal distribution with Q-Q plot*

```
import matplotlib.pyplot as plt
st.probplot(df['OUTS_AMT'], dist = "norm", plot = plt)
plt.show()
```



In [84]: 

```
median_value = np.median(df['OUTS_AMT'])
mode_value = st.mode(df['OUTS_AMT'])
print('Median: ', median_value)
print('Mode: ', mode_value)
```

Median: 101445.0  
Mode: ModeResult(mode=0, count=1382)

The dataset is related to the finance sector and it is very common to find outliers in the financial data. Removing those data points from the dataset, sometimes, erases important insights. Therefore, all 30,000 data points, in the dataset given, have been taken into account for the analysis. That has been considered to be the population size. From the above histogram, it is evident that the dataset does not follow the normal distribution. Sampling distribution of the mean with the sample size of 30 is to be considered, as per the central limit theorem, for further analyses.

In [85]: *#Selecting the required columns:*  

```
df1 = df.drop(columns=['BILL_AMT1', 'BILL_AMT2', 'BILL_AMT3', 'BILL_AMT4', 'BILL_AMT5', 'BILL_AMT6', 'PAY_AMT1', 'PAY_AMT2',  
                      'PAY_AMT3', 'PAY_AMT4', 'PAY_AMT5', 'PAY_AMT6', 'TOT_BILL_AMT', 'TOT_PAY_AMT'])
```

  
df1

Out[85]:

	ID	SEX	MARRIAGE	AGE	OUTS_AMT
0	1	2	1	24	7015
1	2	2	2	26	12077
2	3	2	2	34	90635
3	4	2	1	37	222946
4	5	1	1	57	50290
...	...	...	...	...	...
29995	29996	1	1	39	682799
29996	29997	1	2	43	6692
29997	29998	1	2	37	39196
29998	29999	1	1	41	119430
29999	30000	1	1	46	222566

29601 rows × 5 columns

```
In [86]: # Create a List to store the sampled DataFrames
sampled_dfs = []

# Loop to create 30 random samples of 1000 data points each with different random states
for i in range(30):
    sample = df1.sample(1000, replace = False, random_state = i)
    sampled_dfs.append(sample)

# Access individual DataFrames
sample_1 = sampled_dfs[0]
sample_2 = sampled_dfs[1]
sample_3 = sampled_dfs[2]
sample_4 = sampled_dfs[3]
sample_5 = sampled_dfs[4]
sample_6 = sampled_dfs[5]
sample_7 = sampled_dfs[6]
sample_8 = sampled_dfs[7]
sample_9 = sampled_dfs[8]
sample_10 = sampled_dfs[9]
sample_11 = sampled_dfs[10]
sample_12 = sampled_dfs[11]
sample_13 = sampled_dfs[12]
sample_14 = sampled_dfs[13]
sample_15 = sampled_dfs[14]
sample_16 = sampled_dfs[15]
sample_17 = sampled_dfs[16]
sample_18 = sampled_dfs[17]
sample_19 = sampled_dfs[18]
sample_20 = sampled_dfs[19]
sample_21 = sampled_dfs[20]
sample_22 = sampled_dfs[21]
sample_23 = sampled_dfs[22]
sample_24 = sampled_dfs[23]
sample_25 = sampled_dfs[24]
sample_26 = sampled_dfs[25]
sample_27 = sampled_dfs[26]
sample_28 = sampled_dfs[27]
sample_29 = sampled_dfs[28]
sample_30 = sampled_dfs[29]
```

```
In [87]: # Calculate the mean of the 'OUTS_AMT' column for each DataFrame in the List
means_OUTS_AMT = [sample_df['OUTS_AMT'].mean() for sample_df in sampled_dfs]

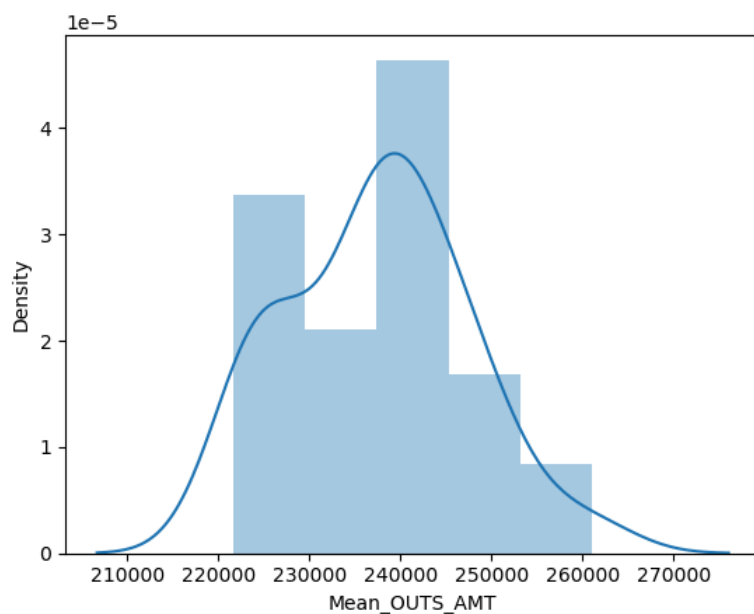
# Convert the List of means into a DataFrame
means_df = pd.DataFrame(means_OUTS_AMT, columns=['Mean_OUTS_AMT'])
means_df
```

Out[87]:

	Mean_OUTS_AMT
0	253688.460
1	240514.577
2	227829.955
3	224694.957
4	224479.294
5	223568.011
6	261116.397
7	238857.360
8	232892.483
9	238127.193
10	224889.958
11	243942.185
12	239269.395
13	237741.867
14	247268.326
15	240079.546
16	246726.758
17	234025.231
18	234817.365
19	221618.543
20	239334.356
21	244823.585
22	234688.100
23	225124.022
24	225502.796
25	243177.934
26	236977.487
27	249185.335
28	248928.618
29	240125.772

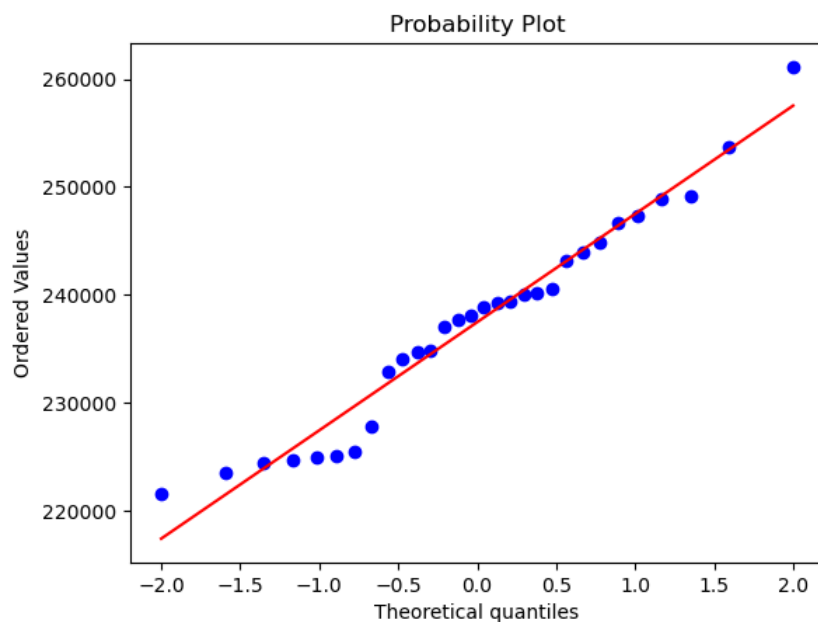
```
In [88]: sns.distplot(means_df['Mean_OUTS_AMT'])
```

Out[88]: <Axes: xlabel='Mean\_OUTS\_AMT', ylabel='Density'>



```
In [89]: #Proving normal distribution with Q-Q plot
```

```
import matplotlib.pyplot as plt
st.probplot(means_df['Mean_OUTS_AMT'], dist = "norm", plot = plt)
plt.show()
```



Therefore, the data got a normal distribution and it has been used for further analyses using z-statistic. The mean of sampling distribution infers that the customers have positive outstanding amount i.e. they have more credits rather than debits.

## CI of the Outstanding Amount

```
In [76]: CI1 = st.norm.interval(confidence=0.95,
                                loc=np.mean(means_df['Mean_OUTS_AMT']))
print('Confidence Interval: ')
print(CI1)
```

```
Confidence Interval:
(237465.2355693488, 237469.15549731784)
```

It can be said from CI1, with 95% confidence level, that the outstanding amount of the debtors has a narrow margin of USD 233345.41 and USD 233349.33. Therefore, the chance to default in paying the credit back will increase if the outstanding amount of a debtor enters this interval.

Since the sampling distribution of the mean is normal z-statistic is used for analyses.

## CI of the outstanding amount of male and female customers

```
In [77]: #Taking 10% random samples each for male and female customers
male_samples = df1[df1['SEX'] == 1]
female_samples = df1[df1['SEX'] == 2]
rand_male = male_samples.sample(frac = 0.1, replace = False, random_state = i)
rand_female = female_samples.sample(frac = 0.1, replace = False, random_state = i)

print('10% random sampling of male population:')
print(rand_male)
print('***100')
print('10% random sampling of female population:')
print(rand_female)
print('***100')

#Confidence Interval
CI_male = st.norm.interval(confidence=0.95,
                           loc=np.mean(rand_male['OUTS_AMT']))
print('Confidence Interval for male sample: ')
print(CI_male)

CI_female = st.norm.interval(confidence=0.95,
                             loc=np.mean(rand_female['OUTS_AMT']))
print('Confidence Interval for female sample: ')
print(CI_female)
```

```
10% random sampling of male population:
   ID  SEX  MARRIAGE  AGE  OUTS_AMT
21029 21030     1      1    35   251195
13692 13693     1      1    47   301546
13803 13804     1      2    39   109566
23856 23857     1      2    31   285668
11688 11689     1      2    42   234467
...    ...    ...    ...    ...
16907 16908     1      1    35    -830
23929 23930     1      2    23   63011
8253   8254     1      1    45  786329
29597 29598     1      2    44  653400
27196 27197     1      1    48   4376
```

[1175 rows x 5 columns]

\*\*\*\*\*

```
10% random sampling of female population:
   ID  SEX  MARRIAGE  AGE  OUTS_AMT
25747 25748     2      1    28   504263
2142   2143     2      3    49   363482
19034 19035     2      1    42  149838
10041 10042     2      1    39   -2719
28752 28753     2      3    41   563952
...    ...    ...    ...    ...
14578 14579     2      2    22   18356
9882   9883     2      1    47  132139
21951 21952     2      2    27    106
14102 14103     2      2    39    464
10090 10091     2      2    26  459703
```

[1786 rows x 5 columns]

\*\*\*\*\*

```
Confidence Interval for male sample:
(252704.42982324952, 252708.34975121857)
Confidence Interval for female sample:
(221627.9666877512, 221631.88661572026)
```

## CI of the outstanding amount of married and single customers



```
In [78]: #Taking 10% random samples each for married and single customers
mar_samples = df1[df1['MARRIAGE'] == 1]
sing_samples = df1[df1['MARRIAGE'] == 2]
rand_mar = mar_samples.sample(frac = 0.1, replace = False, random_state = i)
rand_sing = sing_samples.sample(frac = 0.1, replace = False, random_state = i)

print('10% random sampling of married population:')
print(rand_mar)
print('***100')
print('10% random sampling of sing population:')
print(rand_sing)
print('***100')

#Confidence Interval
CI_mar = st.norm.interval(confidence=0.95,
                          loc=np.mean(rand_mar['OUTS_AMT']))
print('Confidence Interval for married sample: ')
print(CI_mar)

CI_sing = st.norm.interval(confidence=0.95,
                          loc=np.mean(rand_sing['OUTS_AMT']))
print('Confidence Interval for single sample: ')
print(CI_sing)
```

10% random sampling of married population:

	ID	SEX	MARRIAGE	AGE	OUTS_AMT
5097	5098	2	1	31	466257
17656	17657	2	1	44	91863
29541	29542	1	1	47	22410
7981	7982	2	1	40	303020
1262	1263	1	1	44	195261
...	...	...	...	...	...
5810	5811	2	1	33	-896
21731	21732	2	1	26	1928
196	197	2	1	34	0
1775	1776	2	1	37	96904
8069	8070	1	1	47	5390

[1348 rows x 5 columns]

\*\*\*\*\*

10% random sampling of sing population:

	ID	SEX	MARRIAGE	AGE	OUTS_AMT
7069	7070	1	2	38	298799
7702	7703	1	2	38	4756
2189	2190	2	2	22	109925
13001	13002	2	2	26	-2160
9293	9294	1	2	40	-6154
...	...	...	...	...	...
16446	16447	2	2	54	96530
14478	14479	2	2	23	163979
21934	21935	2	2	27	-350
21810	21811	2	2	26	823243
19208	19209	2	2	30	596326

[1581 rows x 5 columns]

\*\*\*\*\*

Confidence Interval for married sample:

(234010.18766212824, 234014.1075900973)

Confidence Interval for single sample:

(227217.61056099966, 227221.5304889687)

## CI of the outstanding amount based on age

```
In [79]: #2 age groups are considered based on the age range between 21 and 79:
#Age interval: (79 - 21)/2 = 29
#2 age classes are: 21 - 50 and >50.
```

```
In [80]: #Taking 10% random samples each for 21 - 50 and >50 yr old customers
young_samples = df1[df1['AGE'] <= 50]
old_samples = df1[df1['AGE'] >50]
rand_young = young_samples.sample(frac = 0.1, replace = False, random_state = i)
rand_old = old_samples.sample(frac = 0.1, replace = False, random_state = i)

print('10% random sampling of population aged between 21 and 50 yr:')
print(rand_young)
print('***100)
print('10% random sampling of population aged above 50 yr:')
print(rand_old)
print('***100)

#Confidence Interval
CI_young = st.norm.interval(confidence=0.95,
                             loc=np.mean(rand_young['OUTS_AMT']))
print('Confidence Interval for young sample: ')
print(CI_young)

CI_old = st.norm.interval(confidence=0.95,
                             loc=np.mean(rand_old['OUTS_AMT']))
print('Confidence Interval for old sample: ')
print(CI_old)
```

10% random sampling of population aged between 21 and 50 yr:

	ID	SEX	MARRIAGE	AGE	OUTS_AMT
11326	11327	2	2	29	374133
27453	27454	1	1	49	105505
29027	29028	2	2	41	-406
16982	16983	2	2	28	25855
1765	1766	2	2	27	143765
...	...	...	...	...	...
17365	17366	2	2	33	1432948
11786	11787	1	2	27	32396
2186	2187	2	1	39	29871
4618	4619	1	2	29	331656
13698	13699	2	2	31	21830

[2737 rows x 5 columns]

\*\*\*\*\*

10% random sampling of population aged above 50 yr:

	ID	SEX	MARRIAGE	AGE	OUTS_AMT
7445	7446	2	2	51	117030
25144	25145	1	1	55	125848
20227	20228	2	1	51	196036
11063	11064	2	1	52	0
18238	18239	1	1	52	143676
...	...	...	...	...	...
14096	14097	1	1	61	79315
7932	7933	1	1	70	0
15128	15129	1	2	52	85792
8563	8564	1	1	52	20474
26564	26565	2	1	55	947168

[223 rows x 5 columns]

\*\*\*\*\*

Confidence Interval for young sample:

(221602.84602797747, 221606.76595594652)

Confidence Interval for old sample:

(269463.20147099305, 269467.12139896216)