
Table of Contents

Exercise 8.1	1
Exercise 8.2	6
Exercise 8.3	10

Exercise 8.1

```
%a
fs = 8000;
tt = 0:1/fs:4.5;
x = cos(2*pi/20*fs*tt.^2);
figure;
spectrogram(x,512,256,512,fs,'yaxis');
%soundsc(x);

% The chirp sound is increasing in frequency, this is seen in the
% spectrogram as yellow line has a positive slope.

%b
% The resulting IIR filter has order 14
% transfer function
transfer_function = tf(b,a)
%pole zero plot
figure;
zplane(b,a);
%magnitude response
fvtool(b,a);

%c
figure;
xfiltered = filter(b,a,x);
spectrogram(xfiltered,512,256,512,fs,'yaxis');
%soundsc(xfiltered);

%The signal after the filter only plays the low frequency part of the
%signal loudly. This can be corelated to the magnitude response of
the
%signal as it can be seen that the magnitude response drops
dramatically
%after the lower frequency.

%d
% the fir filter coefficients are stored in "c" to preserve the
earlier a
% and b.

%The order of the fir filter is 474

%pole zero plot of fir filter
figure;
```

```

zplane(c);
%magnitude response
fvtool(c);

%c
figure;
xfiltered = conv(c,x);
spectrogram(xfiltered,512,256,512,fs,'yaxis');
%soundsc(xfiltered);

%The signal after the filter only plays the low frequency part of the
%signal loudly. This can be corelated to the magnitude response of
the
%signal as it can be seen that the magnitude response drops
dramatically
%after the lower frequency.

% The IIR filter has a lower computational complexity,as it is of a
much
% lower order. The fir filter has a more predictable audio quality, as
can
% be seen in it's Magnitude resp

```

```

transfer_function =

```

$$0.0007976 s^{14} - 0.009764 s^{13} + 0.05626 s^{12} - 0.2028 s^{11} + 0.5122 s^{10}$$

$$- 0.9618 s^9 + 1.388 s^8 - 1.565 s^7 + 1.388 s^6 - 0.9618 s^5$$

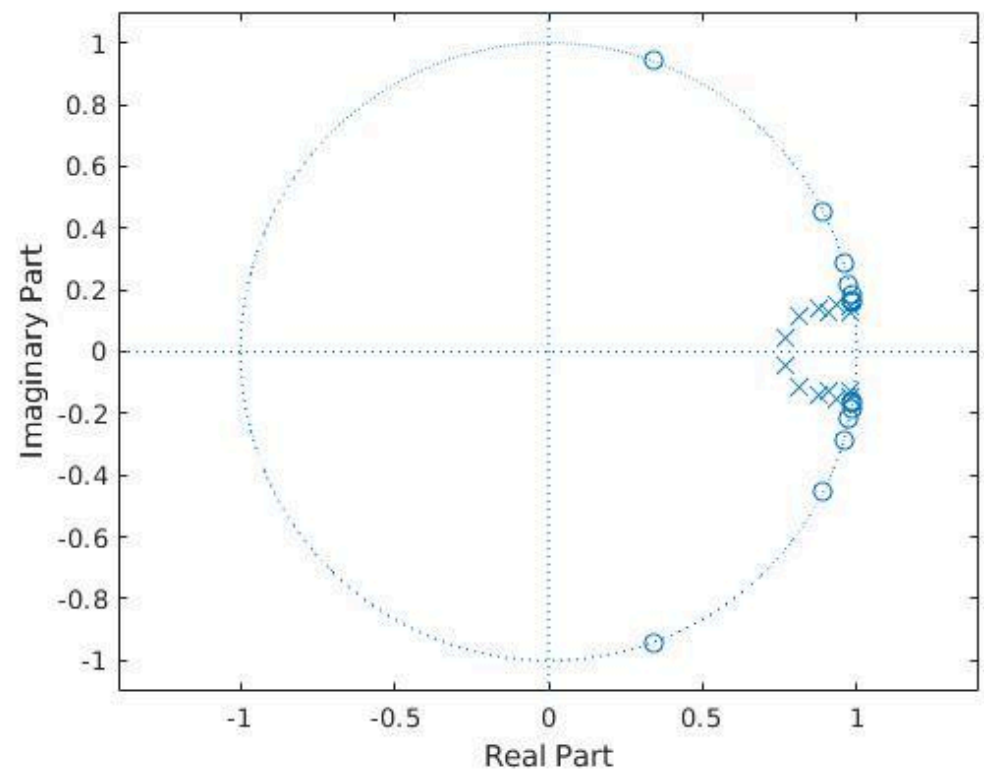
$$+ 0.5122 s^4 - 0.2028 s^3 + 0.05626 s^2 - 0.009764 s + 0.0007976$$

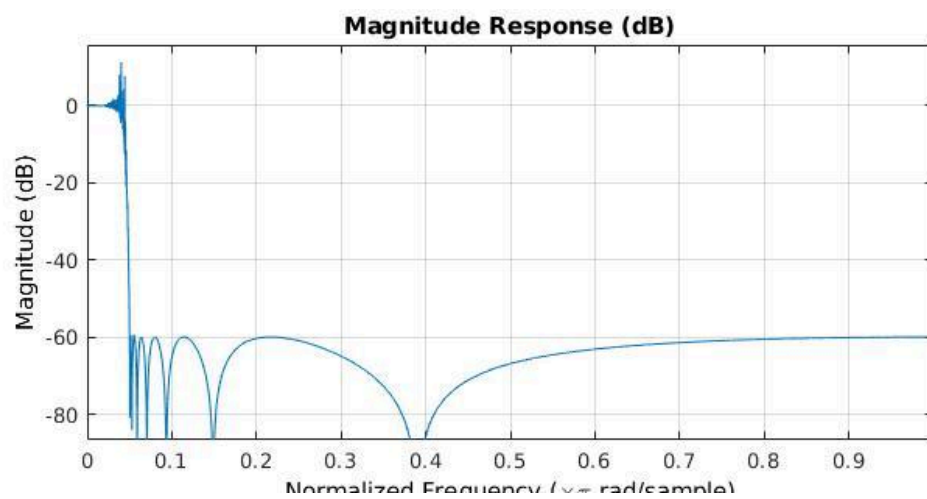
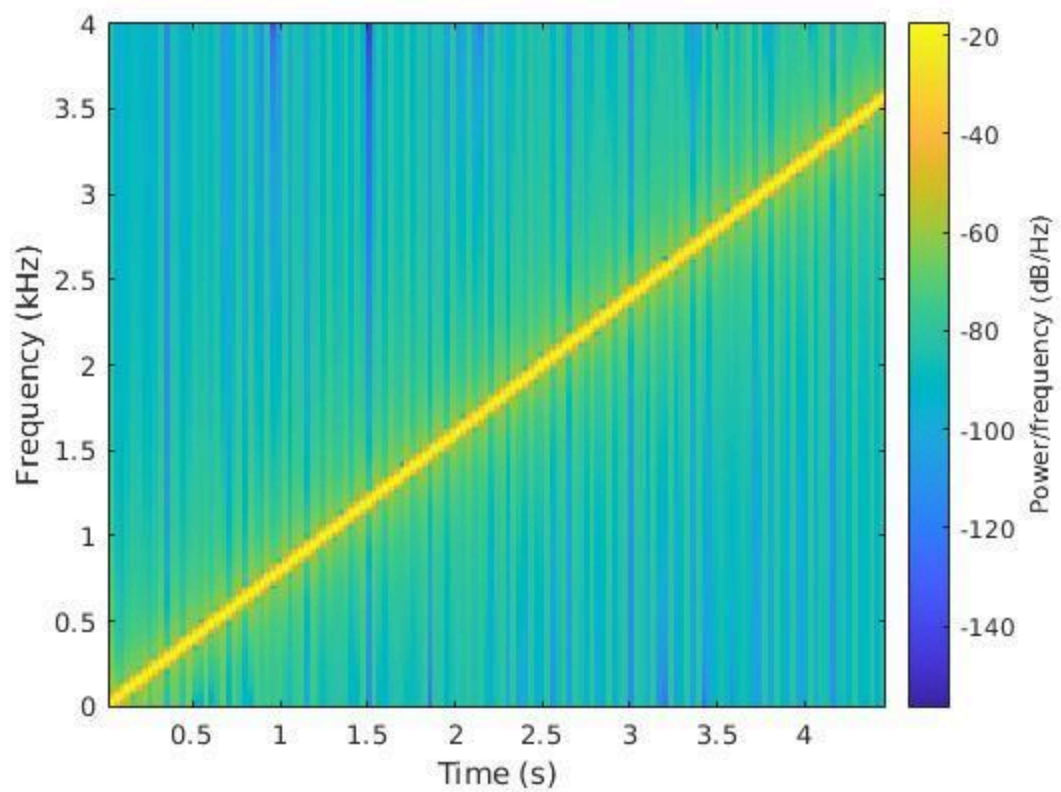
$$s^{14} - 12.52 s^{13} + 72.9 s^{12} - 261.4 s^{11} + 644.9 s^{10} - 1158 s^9$$

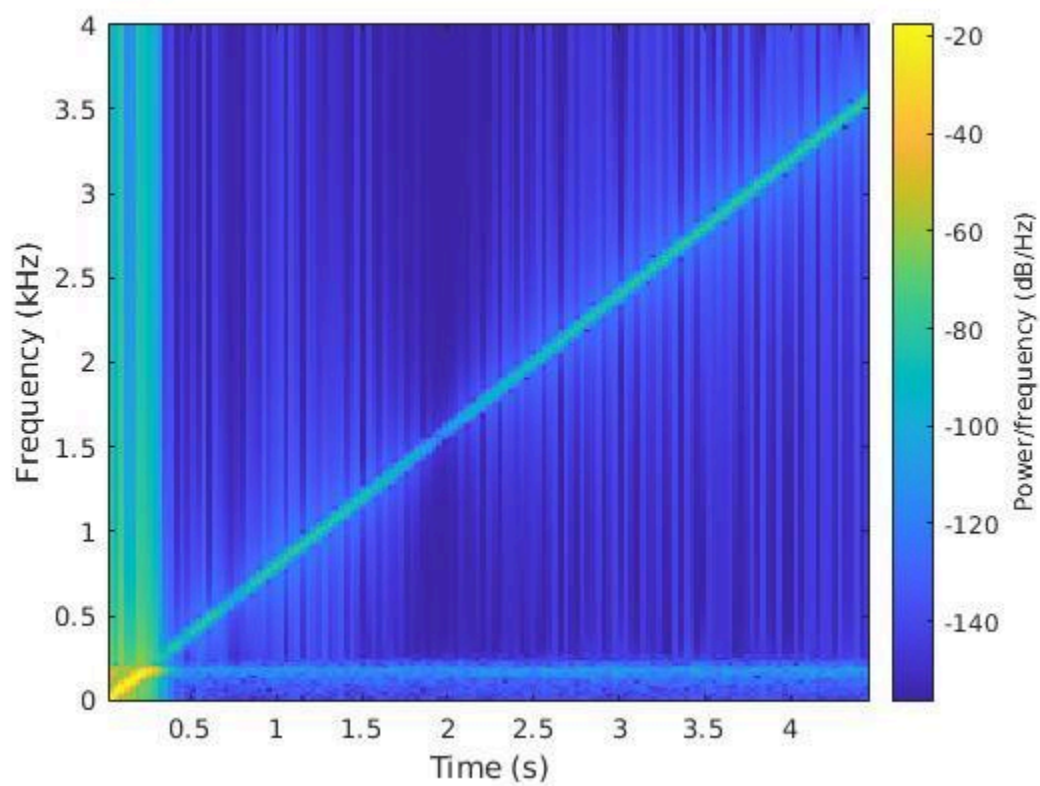
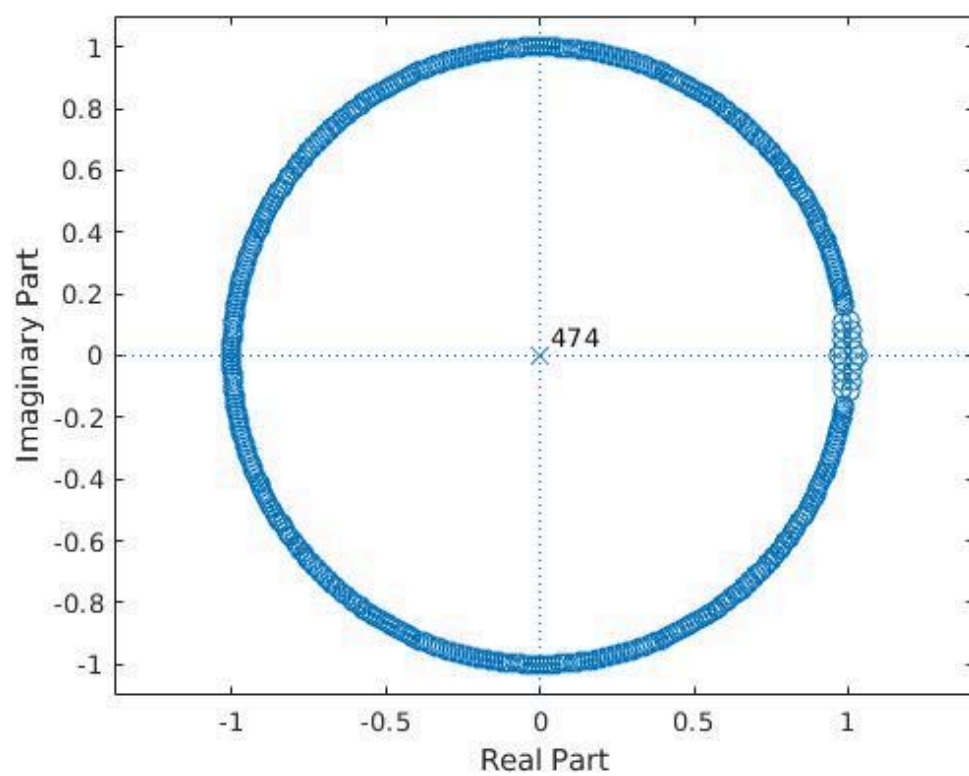
$$+ 1562 s^8 - 1606 s^7 + 1265 s^6 - 760 s^5 + 342.7 s^4$$

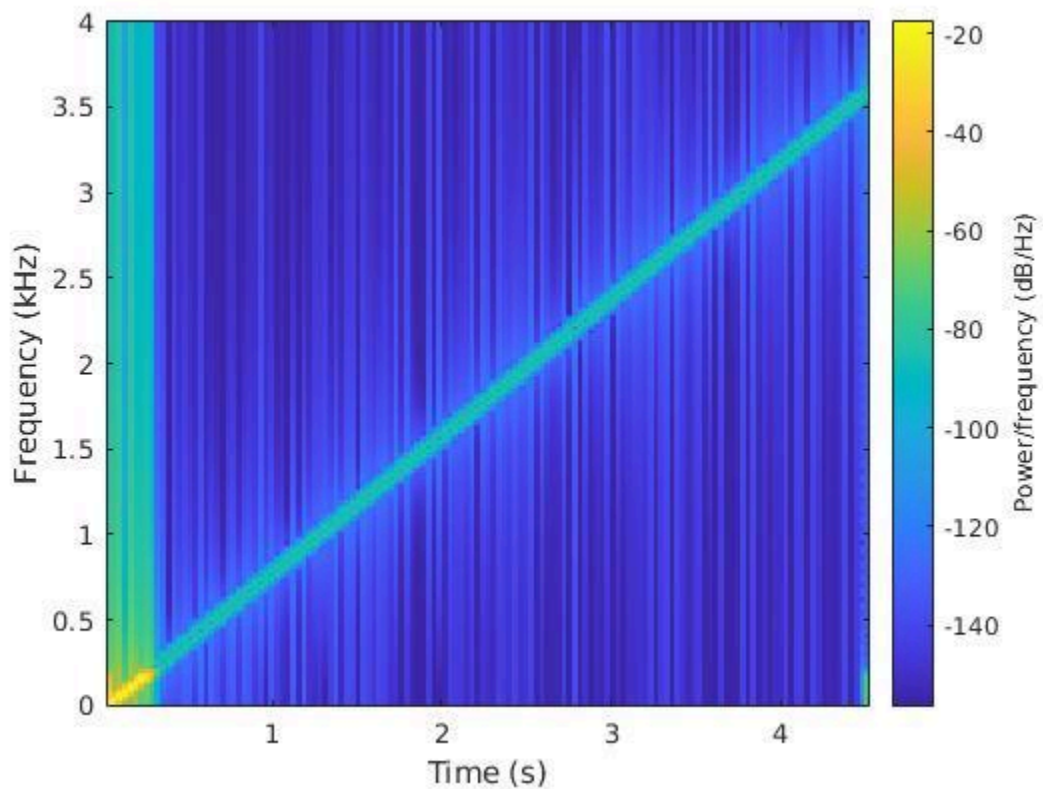
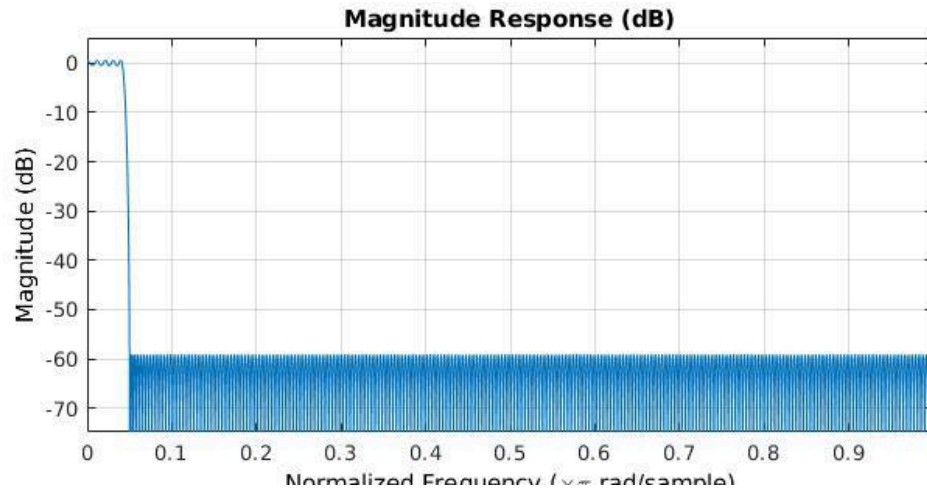
$$- 112.5 s^3 + 25.4 s^2 - 3.533 s + 0.2283$$

Continuous-time transfer function.









Exercise 8.2

```
[dnf,Fs] = audioread('noisy_drum_flute.wav');  
figure;  
spectrogram(dnf,512,256,512,fs,'yaxis');  
  
% From the spectrogram, it can be seen that the drum frequency peaks  
% at  
% about 1.5 kHz, and the flute frequency is localized above 2.5 kHz  
% both have a minimum db/Hz of about 60
```

```

% the b and a of this filter are stored as d and e respectivley.

filtered = filter(d,e,dnf);
audiowrite('drums.wav',filtered,Fs);

% I created a low-pass filter, because we need to pass low frequencies
%The filter is an IIR filter to minimize the order
% Impulse response
impulse = [ zeros(1,100) 1 zeros(1,100)];
impulse_resp = filter(d,e,impulse);
figure;
stem(impulse_resp);
title('filter impulse response plot');

%Magnitude response
%used fvtools but had to export the images for proper publishing
% They are included at the bottom of the published file

%transfer function
transfer_function = tf(d,e)

%poles and zeros
zplane(d,e);

%The poles correlate to the points where the magnitude response grows
or
%decays

% Dtft plot

w = -pi:pi/1000:pi;
input_dtft = dtft(dnf,w);
output_dtft = dtft(filtered,w);

figure;
subplot (2 , 1 , 1)
plot ((w/pi)*Fs/2,20*log10(abs(input_dtft)));
grid on ;
title ( 'Magnitude Response input dtft')
xlabel ( 'Frequency Hz' ) ;
ylabel ( ' Amplitude ' ) ;
subplot (2 , 1 , 2)
plot ((w/pi)*Fs/2,20*log10(abs(output_dtft))) ;
grid on ;
title ( 'Magnitude Response output dtft')
xlabel ( 'Frequency Hz' ) ;
ylabel ( ' Amplitude ' ) ;

```

% The magnitude response shows that the higher frequencies were removed

transfer_function =

$0.0008234 s^{15} - 0.009341 s^{14} + 0.04912 s^{13} - 0.1574 s^{12} + 0.3384 s^{11}$

$- 0.4996 s^{10} + 0.4791 s^9 - 0.201 s^8 - 0.201 s^7 + 0.4791 s^6$

$- 0.4996 s^5 + 0.3384 s^4 - 0.1574 s^3 + 0.04912 s^2 - 0.009341 s$

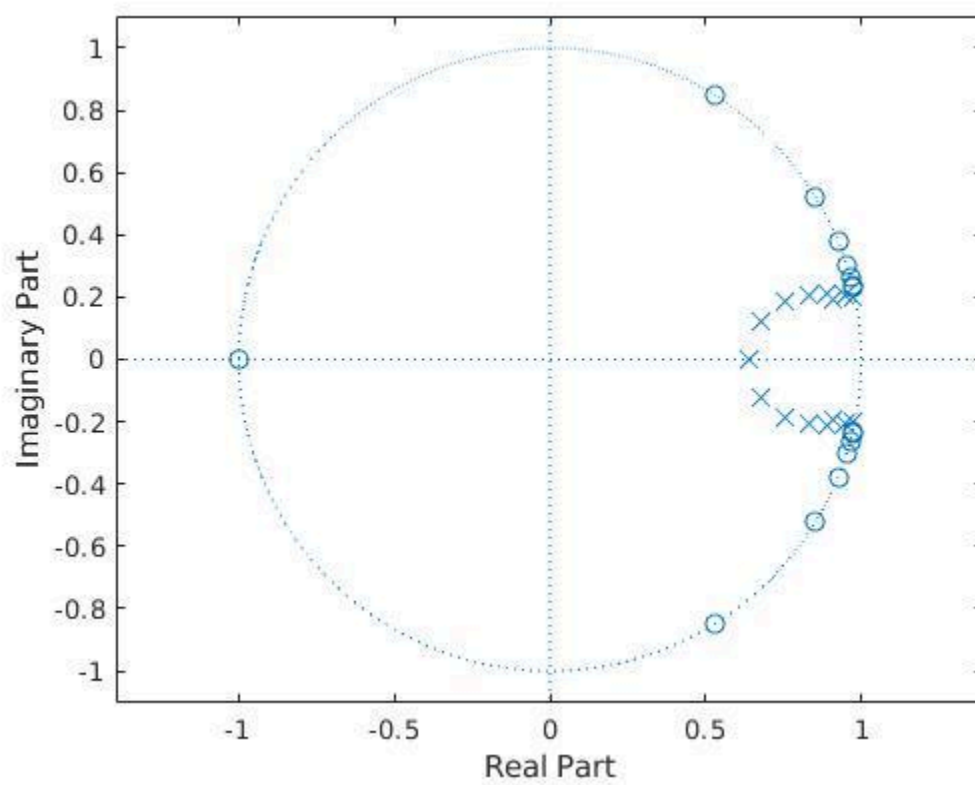
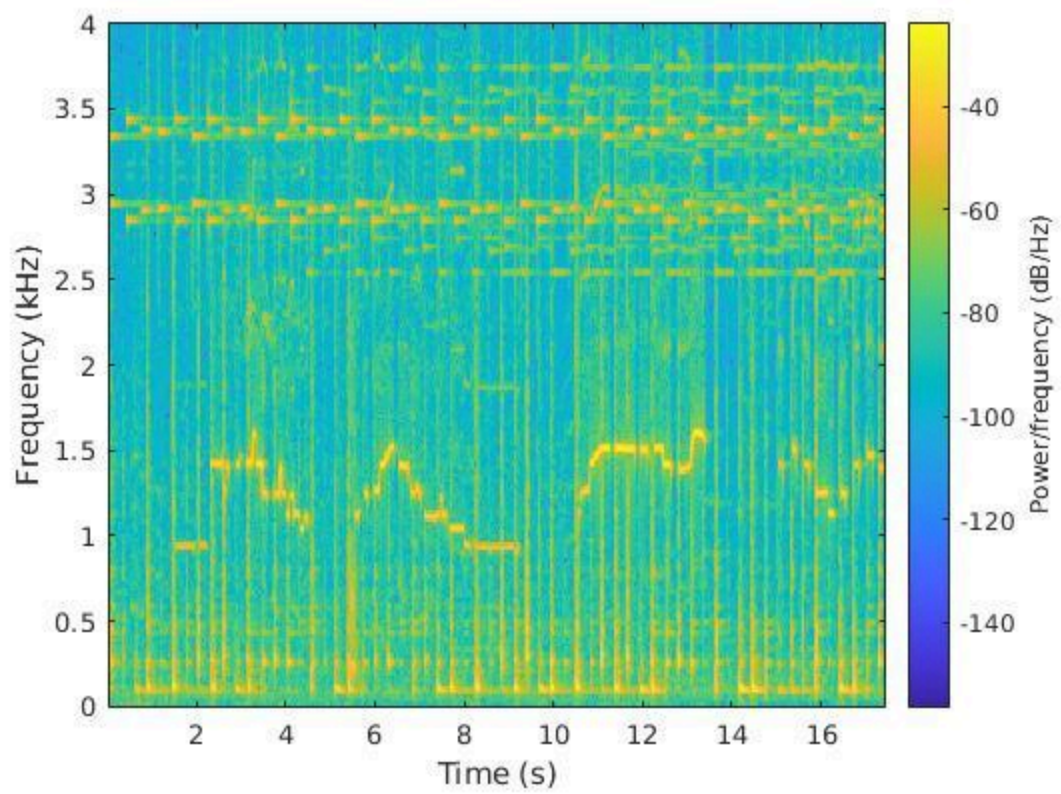
$+ 0.0008234$

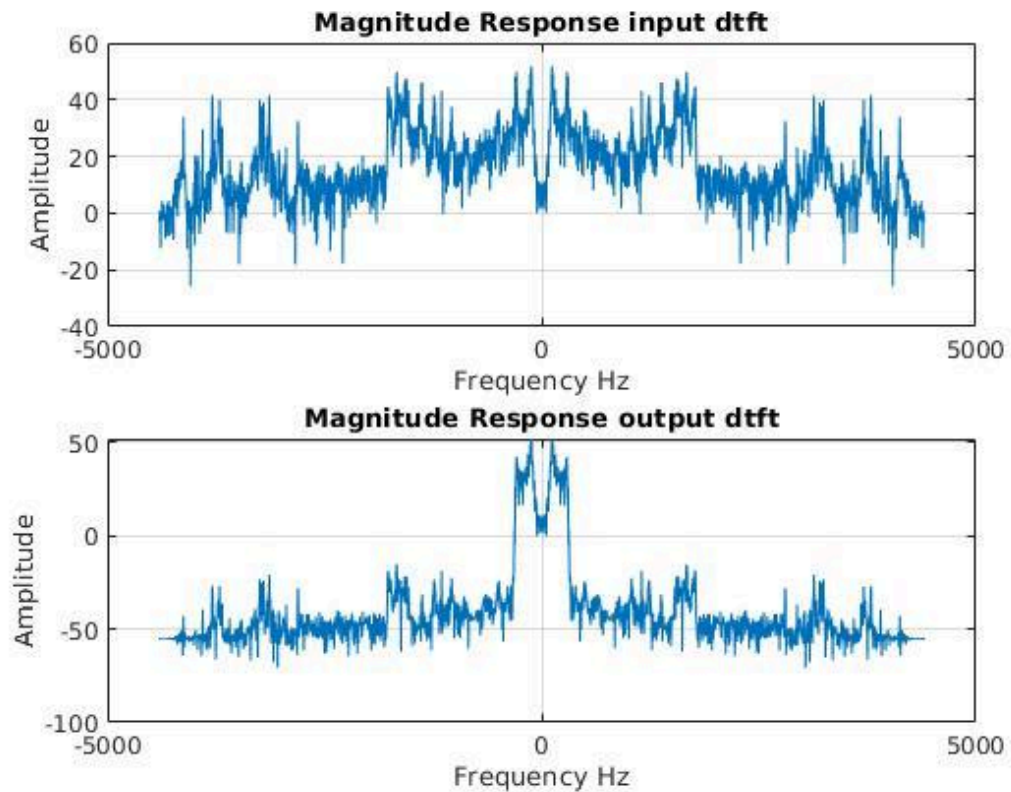
$s^{15} - 12.63 s^{14} + 74.56 s^{13} - 273.1 s^{12} + 694.2 s^{11} - 1297 s^{10}$

$+ 1838 s^9 - 2014 s^8 + 1719 s^7 - 1143 s^6 + 587.7 s^5$

$- 229.2 s^4 + 65.66 s^3 - 13.04 s^2 + 1.606 s - 0.09245$

Continuous-time transfer function.





Exercise 8.3

```
[dnf,Fs] = audioread('noisy_drum_flute.wav');
figure;
spectrogram(dnf,512,256,512,Fs,'yaxis');

% From the spectrogram, it can be seen that the drum frequency peaks
% at
% about 1.5 kHz, and the flute frequency is localized above 2.5 kHz
% both have a minimum db/Hz of about 60

% the b and a of this filter are stored as f and g respectively.

filtered = filter(f,g,dnf);
audiowrite('flutes.wav',filtered,Fs);

% I created a high-pass filter, because we need to pass high
% frequencies
%The filter is an IIR filter to minimize the order
% Impulse response
impulse = [ zeros(1,100) 1 zeros(1,100)];
impulse_resp = filter(f,g,impulse);
figure;
```

```

stem(impulse_resp);
title('filter impulse response plot');

%Magnitude response
%used fvtools but had to export the images for proper publishing
% They are included at the bottom of the published file
fvtool(f,g);

%transfer function
transfer_function = tf(f,g)

%poles and zeros
zplane(d,e);

%The poles correlate to the points where the magnitude response grows
or
%decays

% Dtft plot

w = -pi:pi/1000:pi;
input_dtft = dtft(dnf,w);
output_dtft = dtft(filtered,w);

figure;
subplot (2 , 1 , 1)
plot ((w/pi)*Fs/2,20*log10(abs(input_dtft)));
grid on ;
title ( 'Magnitude Response input dtft')
xlabel ( 'Frequency Hz' ) ;
ylabel ( ' Amplitude ' ) ;
subplot (2 , 1 , 2)
plot ((w/pi)*Fs/2,20*log10(abs(output_dtft))) ;
grid on ;
title ( 'Magnitude Response output dtft')
xlabel ( 'Frequency Hz' ) ;
ylabel ( ' Amplitude ' ) ;

% The magnitude response shows that the lower frequencies were removed

transfer_function =

0.3358 s^17 - 5.556 s^16 + 43.41 s^15 - 212.7 s^14 + 732 s^13

- 1878 s^12 + 3718 s^11 - 5803 s^10 + 7230 s^9 - 7230 s^8

```

$$+ 5803 s^7 - 3718 s^6 + 1878 s^5 - 732 s^4 + 212.7 s^3$$

$$- 43.41 s^2 + 5.556 s -$$

$$0.3358$$

$$s^{17} - 14.41 s^{16} + 98.18 s^{15} - 420.3 s^{14} + 1266 s^{13} - 2845 s^{12}$$

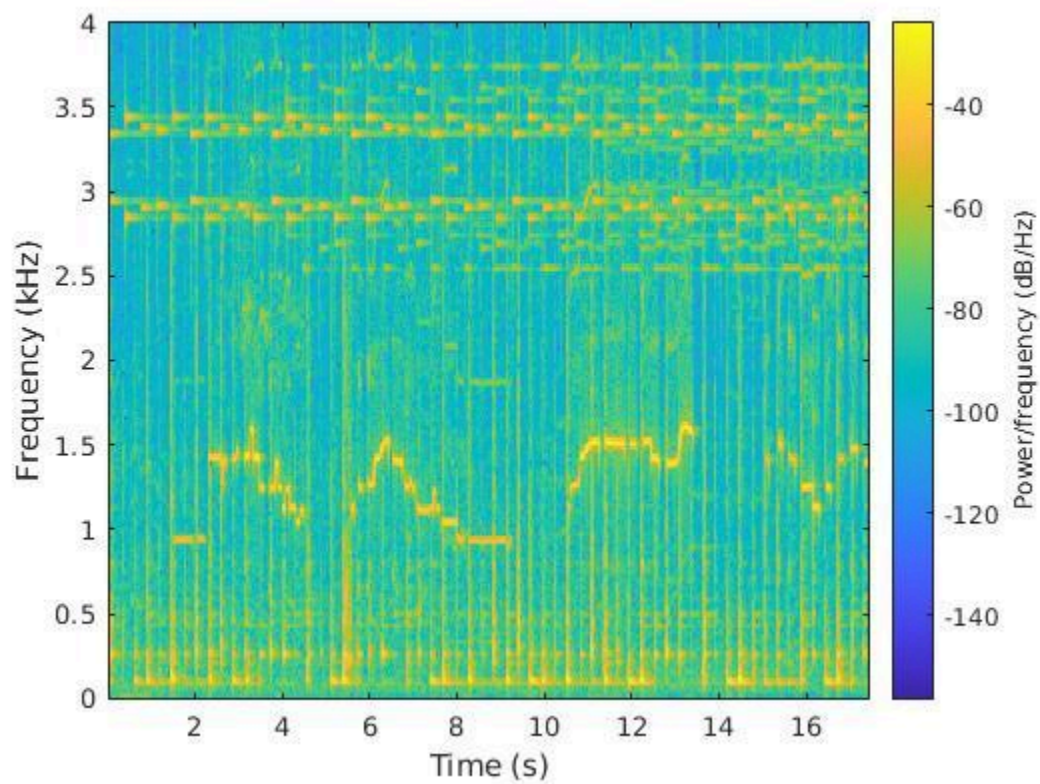
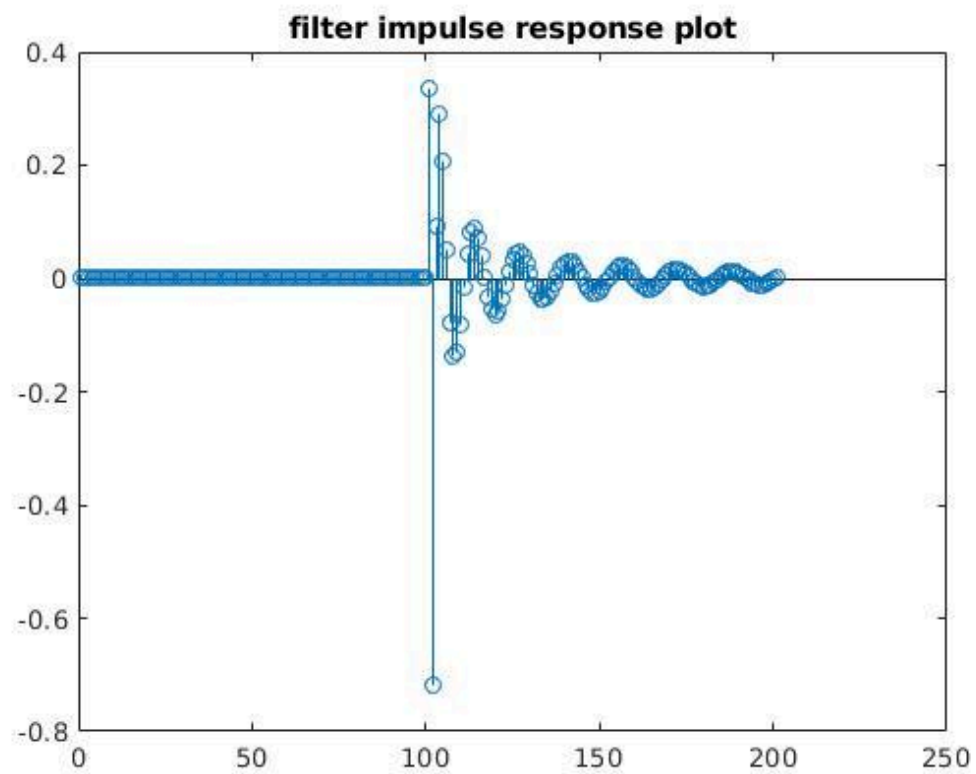
$$+ 4942 s^{11} - 6776 s^{10} + 7423 s^9 - 6535 s^8 + 4623 s^7$$

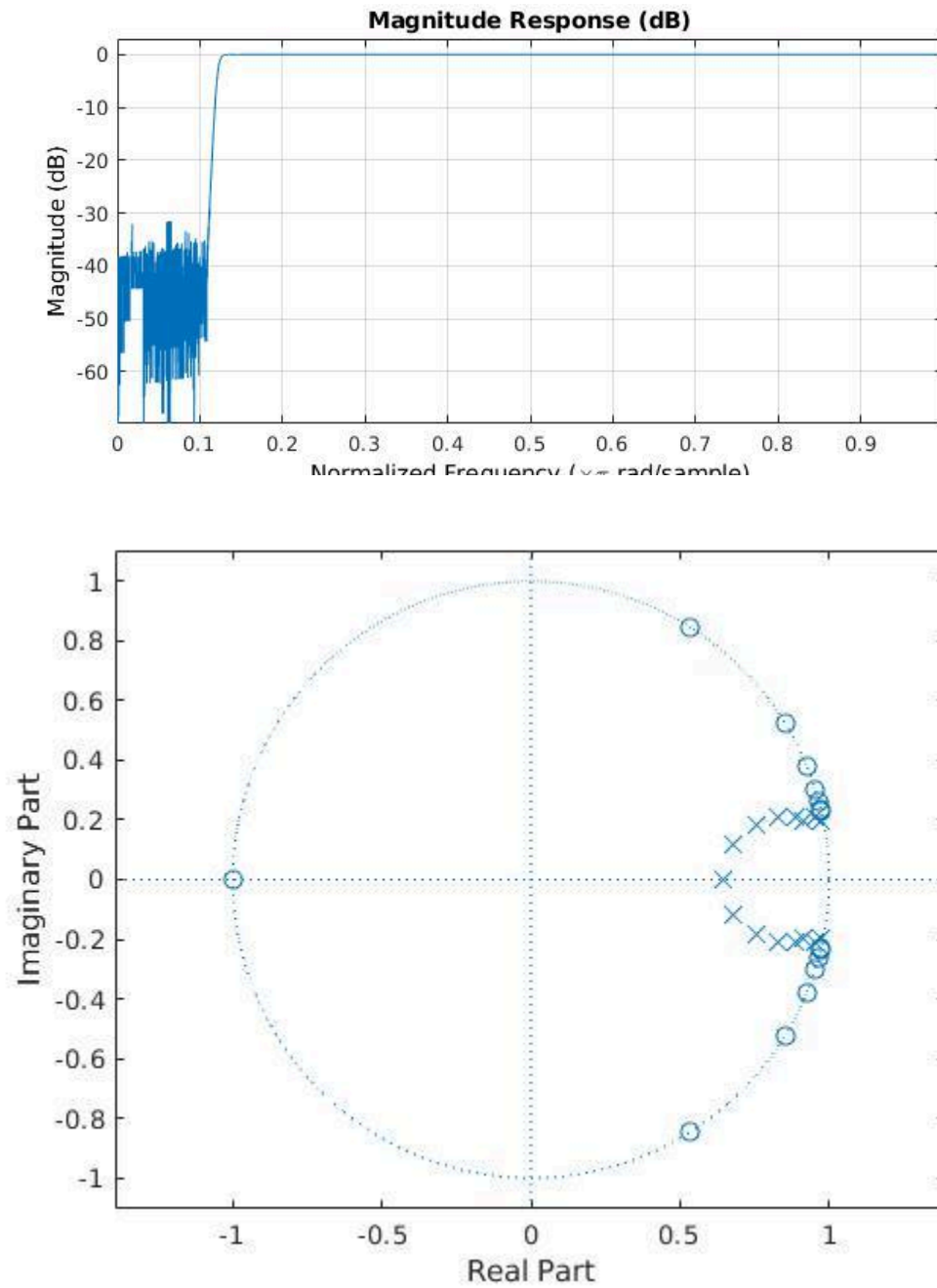
$$- 2612 s^6 + 1165 s^5 - 401.1 s^4 + 103 s^3 - 18.6 s^2$$

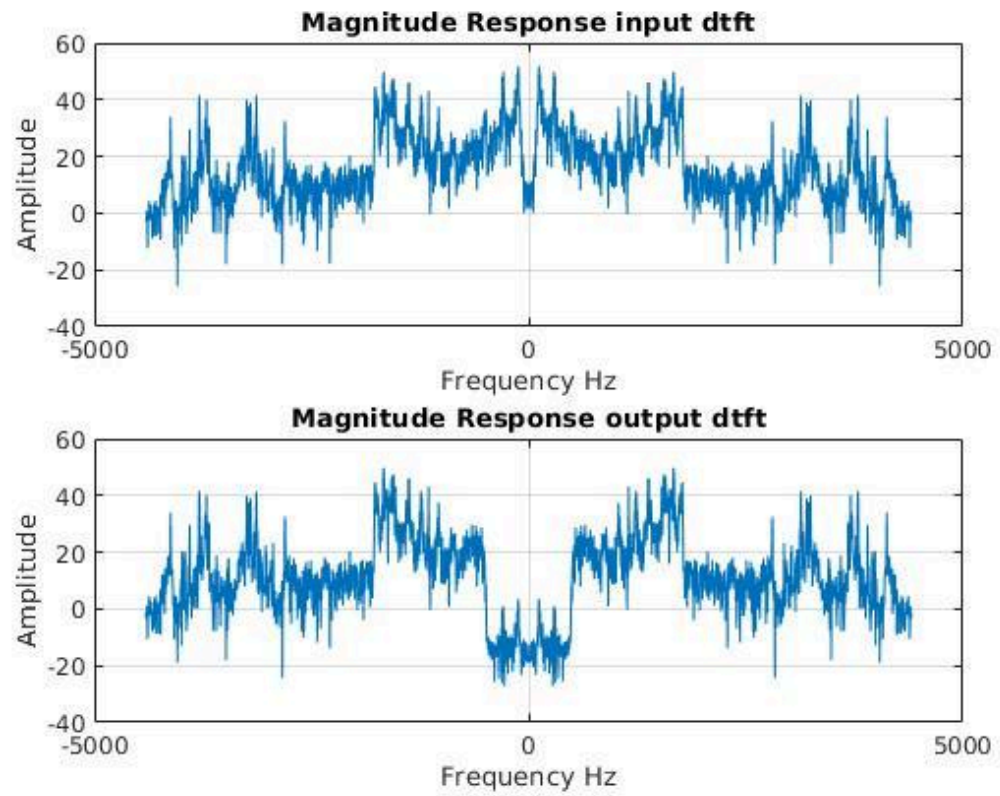
$$+ 2.107 s -$$

$$0.1128$$

Continuous-time transfer function.







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