

CS698O: Quiz-5

Name: _____ Roll No.: _____

1. For a first order HMM, consider transition probabilities at two different steps:

$$P(Y_{i+1} = c_j \mid Y_i = c_i) \text{ and } P(Y_{i+5} = c_j \mid Y_{i+4} = c_i).$$

Which of the following are (is) true? Fill all that you think are correct.

A: $P(Y_{i+1} = c_j \mid Y_i = c_i) > P(Y_{i+5} = c_j \mid Y_{i+4} = c_i)$

B: $P(Y_{i+1} = c_j \mid Y_i = c_i) < P(Y_{i+5} = c_j \mid Y_{i+4} = c_i)$

C: $P(Y_{i+1} = c_j \mid Y_i = c_i) = P(Y_{i+5} = c_j \mid Y_{i+4} = c_i)$

D: $P(Y_{i+1} = c_j \mid Y_i = c_i) = 5 * P(Y_{i+5} = c_j \mid Y_{i+4} = c_i)$

2. What is the decoding problem in case of HMMs? Fill all that you think are correct.

A: Give the parameters of the distribution what is the probability of the observed sequence?

B: Given the observations what is the most likely hidden states that explains the observation?

C: Given the HMM, what are transition and emission probability distributions?

D: $\operatorname{argmax}_{y_i \in \Lambda} P(Y_i = y_i \mid X_{1:N})$

3. For an HMM of sequence length N and K possible states. Approximately, what is the maximum number of sequences possible? Fill all that you think are correct.

A: $\sim K^N$

B: $\sim N^K$

C: $\sim K * N^2$

D: $\sim N * K^2$

4. Decoding in sequence models like HMM and MEMMs can be made efficient using which of the following techniques? Fill all that you think are correct.

A: Bayes Rule

B: Dynamic Programing

C: Kneser-Ney Smoothing

D: Forward-Backward Computations

5. Given only the observations, which of the following techniques can be used for estimating the hidden states of an HMM. Fill all that you think are correct.

A: Buam Welch Algorithm

B: Forward-Backward Algorithm

C: EM Algorithm

D: MLE Algorithm

6. What is the primary motivation for using Maximum Entropy Markov Models (MEMMs) as compared to HMMs? Fill all that you think are correct.

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| A: MEMMs allow efficient inference over hidden states | B: MEMMs allow to encode rich features into the model |
| C: MEMMs make use of maximum entropy assumption, so are true model of the sequence probability | D: MEMMs do not suffer from label bias problem |

7. Consider the probability distribution of a sequence of observed symbols $X_{1:N}$ with hidden state sequence $Y_{1:N}$.

$$P_A(Y_{1:N}) = \prod_{i=1}^{N+1} P(Y_i | Y_{i-1}) \times P(X_i | Y_i)$$

$$P_B(Y_{1:N}) = \prod_{i=1}^{N+1} P(Y_i | Y_{i-1}, X_{1:N})$$

Match above probability distributions with the model type. Fill all that you think are correct.

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|---------------------------------|--------------------------------|
| A: $P_A(Y_{1:N})$: MEMM | B: $P_A(Y_{1:N})$: HMM |
| C: $P_B(Y_{1:N})$: MEMM | D: $P_B(Y_{1:N})$: HMM |

8. Which of the following are the reason(s) for label-bias problem? Fill all that you think are correct.

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| A: Conservation of source probability mass | B: Local normalization |
| C: Hidden states with low entropy | D: Bias in the emission probabilities |

9. Which of the following are true about Conditional Random Field (CRF) model? Fill all that you think are correct.

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| A: CRF suffers from label bias problem | B: CRF does not suffers from label bias problem |
| C: CRF training does not scale well with data | D: CRF performs local normalization at each hidden state |

10. HMMs suffer from which of the following problems? Fill all that you think are correct.

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|--|---|
| A: Overfitting | B: Label Bias Problem |
| C: Inference algorithm grows exponentially with sequence length | D: Conservation of source probability mass |