# Exp 4:

Aim:Implementation of Statistical Hypothesis Test using Scipy and Sci-kit learn.

Theory and Output:

# 1.Loading dataset:

Data loading is the first step in data analysis. The dataset is stored in a CSV file and read using pandas.read\_csv().

The first few rows are displayed to understand the dataset structure



#### 2.Pearson's Correlation Coefficient:

Pearson's Correlation Coefficient (denoted as r) measures the linear relationship between two continuous variables.

Values range from -1 to +1:

- +1: Perfect positive correlation
- 0: No correlation
- -1: Perfect negative correlation

The formula for Pearson's Correlation Coefficient is:

$$r = rac{\sum (X_i - ar{X})(Y_i - ar{Y})}{\sqrt{\sum (X_i - ar{X})^2 \sum (Y_i - ar{Y})^2}}$$

```
pearson_corr, pearson_p = stats.pearsonr(df['Age'], df['Monthly_Salary'])
print(f"Pearson's Correlation Coefficient: {pearson_corr}")
print(f"P-value: {pearson_p}")
Pearson's Correlation Coefficient: 0.04287327221666302
```

### 3. Spearman's Rank Correlation

- Spearman's Rank Correlation (denoted as  $\rho$ , rho) measures the monotonic relationship between two variables.
- It does not require normally distributed data.
- If ranks of two variables are related, it indicates correlation.
- The formula is:

$$ho=1-rac{6\sum d_i^2}{n(n^2-1)}$$

P-value: 0.4239519272951198

```
spearman_corr, spearman_p = stats.spearmanr(df['Experience_Years'], df['Performance_Score'])
print(f"Spearman's Rank Correlation: {spearman_corr}")
print(f"P-value: {spearman_p}")

Spearman's Rank Correlation: 0.02681458037717826
P-value: 0.6171101462207367
```

#### 4.Kendall's Rank Correlation

# Theory:

- Kendall's Tau  $(\tau)$  measures the ordinal association between two variables.
- It counts concordant and discordant pairs:
  - Concordant pairs: If one variable increases, the other also increases.
  - Discordant pairs: One increases while the other decreases.
- The formula is:

$$au = rac{(C-D)}{rac{1}{2}n(n-1)}$$

```
kendall_corr, kendall_p = stats.kendalltau(df['Hours_Worked_Week'], df['Projects_Completed'])
print(f"Kendall's Rank Correlation: {kendall_corr}")
print(f"P-value: {kendall_p}")
```

Evaluation: -0.013818340859064245 P-valuation: -0.013818340859064245

# 5. Chi-Squared Test

- The Chi-Squared Test is used for categorical data to check if two variables are independent.
- It compares observed and expected frequencies.
- The formula is:

$$\chi^2 = \sum rac{(O_i - E_i)^2}{E_i}$$

[ 0.96629213 15.78277154 19.16479401 7.08614232] [ 0.8988764 14.68164794 17.82771536 6.5917603 ] [ 2.04494382 33.40674906 40.55805243 14.99625468] [ 2.08988764 34.13483146 41.4494382 15.3258427 ]]

```
df['Experience_Category'] = pd.cut(df['Experience_Years'], bins=[0, 5, 10, 20, 30], labels=['0-5', '6-10', '11-20', '21-30'])

df['Performance_Category'] = pd.cut(df['Performance_Score'], bins=[0, 50, 70, 90, 100], labels=['Low', 'Medium', 'High', 'Very High'])

contingency_table = pd.crosstab(df['Experience_Category'], df['Performance_Category'])

chi2_stat, p_val, dof, expected = stats.chi2_contingency(contingency_table)

print(f"Chi-Squared Statistic: {chi2_stat}")

print(f"P-value: {p_val}")

print(f"Performance_Category']

**This is a print of the prin
```

### Conclusion

- 1. Pearson's Correlation: Measures linear relationship between numerical variables. If p < 0.05, the correlation is significant.
- 2. Spearman's Correlation: Checks for monotonic relationship. If p < 0.05, variables move together in a ranked order.
- 3. Kendall's Correlation: Identifies ordinal association. A small p-value means a strong relationship.
- 4. Chi-Square Test: Determines independence of categorical variables. If p < 0.05, variables are dependent; otherwise, they are independent.

# Final Summary:

- If p < 0.05, the test indicates a significant relationship.
- If p > 0.05, no strong relationship exists.

These tests help understand associations in the dataset for data-driven decisions.