## ML/DL for Everyone with PYTERCH

Lecture 6:





#### Call for Comments

Please feel free to add comments directly on these slides.

Other slides: <a href="http://bit.ly/PyTorchZeroAll">http://bit.ly/PyTorchZeroAll</a>



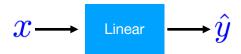
## ML/DL for Everyone with PYTERCH

Lecture 6:





#### Linear model



Hours (x)	Points
1	2
2	4
3	6
4	?

#### Binary prediction (0 or 1) is very useful!

- Spent Nhours for study, pass or fail?
- GPA and GRE scores for the HKUST PHD program, admit or not?
- Soccer game against Japan, win or lose?
- She/he looks good, propose or not?
- . . .



## Linear to binary (pass/fail, 0/1)



Hours (x)	Points	fail/pass
1	2	0
2	4	0
3	6	1
4	?	?

#### Logistic regression: pass/fail (0 or 1)

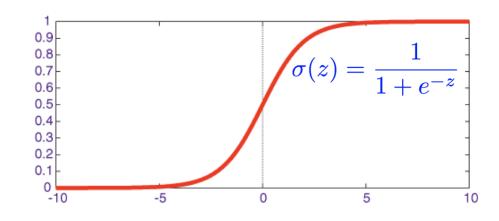


Hours (x)	Points	fail/pass
1	2	0
2	4	0
3	6	1
4	?	?

## Meet Sigmoid



Hours (x)	Points	fail/pass
1	2	0
2	4	0
3	6	1
4	?	?

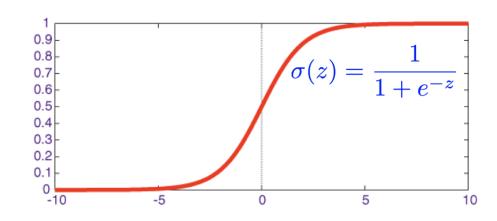


### Meet Sigmoid

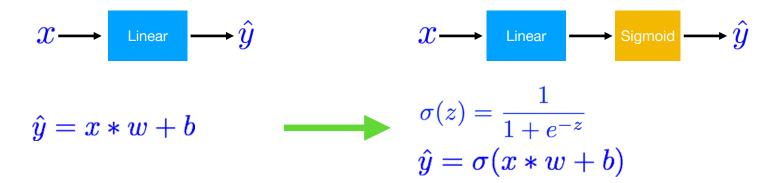
 $1: \hat{y} > 0.5$ 



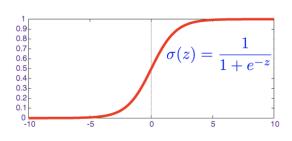
Hours (x)	Points	fail/pass
1	2	0
2	4	0
3	6	1
4	?	?



#### Meet sigmoid



Hours (x)	Points	fail/pass
1	2	0
2	4	0
3	6	1
4	?	?



#### Meet Cross Entropy Loss

$$x \longrightarrow {}$$
 Linear  $\longrightarrow \hat{y}$ 

$$x \longrightarrow$$
 Linear  $\longrightarrow$  Sigmoid  $\longrightarrow \hat{y}$ 

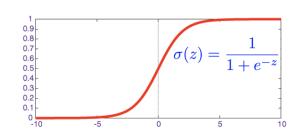
$$\hat{y} = x * w + b$$

$$\sigma(z) = rac{1}{1 + e^{-z}}$$
 $\hat{y} = \sigma(x * w + b)$ 

$$loss = \frac{1}{N} \sum_{n=1}^{N} (\hat{y_n} - y_n)^2$$

$$loss = -\frac{1}{N} \sum_{n=1}^{N} y_n \log \hat{y}_n + (1 - y_n) \log(1 - \hat{y}_n)$$

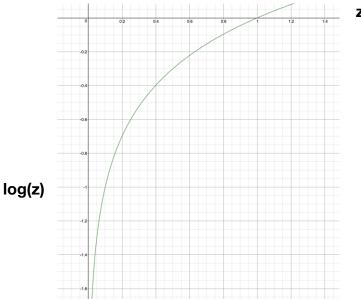
Hours (x)	Points	fail/pass
1	2	0
2	4	0
3	6	1
4	?	?



### (Binary) Cross Entropy Loss

$$loss = -\frac{1}{N} \sum_{n=1}^{N} y_n \log \hat{y}_n + (1 - y_n) \log(1 - \hat{y}_n)$$

у	y_pred	loss
1	0.2	
1	0.8	
0	0.1	
0	0.9	



Z

#### Logistic regression





$$\sigma(z) = \frac{1}{1 + e^{-z}}$$

$$\hat{y} = \sigma(x * w + b)$$

#### torch.nn.functional.sigmoid(input)

Applies the element-wise function f(x) = 1/(1 + exp(-x))

```
import torch.nn.functional as F

class Model(torch.nn.Module):

    def __init__(self):
        super(Model, self).__init__()
        self.linear = torch.nn.Linear(1, 1)

    def forward(self, x):
        y_pred = F.sigmoid(self.linear(x))
        return y_pred
```

#### Logistic regression





$$\sigma(z) = \frac{1}{1 + e^{-z}}$$

$$\hat{y} = \sigma(x * w + b)$$

class torch.nn.Sigmoid [source]

Applies the element-wise function f(x) = 1/(1 + exp(-x))

```
import torch.nn.functional as F

class Model(torch.nn.Module):

    def __init__(self):
        super(Model, self).__init__()
        self.linear = torch.nn.Linear(1, 1)

    def forward(self, x):
        y_pred = F.Sigmoid(self.linear(x))
        return y_pred
```

class torch.nn.BCELoss(weight=None, size\_average=True) [source

Creates a criterion that measures the Binary Cross Entropy between the target and the output:

$$loss(o, t) = -1/n \sum_{i} (t[i] * log(o[i]) + (1 - t[i]) * log(1 - o[i]))$$

criterion = torch.nn.BCELoss(size\_average=True)

$$loss = -\frac{1}{N} \sum_{n=1}^{N} y_n \log \hat{y}_n + (1 - y_n) \log(1 - \hat{y}_n)$$

```
y data = Variable(torch.Tensor([[0.], [0.], [1.], [1.]]))
class Model(torch.nn.Module):
   def init (self):
       super(Model, self). init ()
       self.linear = torch.nn.Linear(1, 1) # One in and one out
   def forward(self, x):
       y_pred = F.sigmoid(self.linear(x))
       return y pred
# our model
model = Model()
criterion = torch.nn.BCELoss(size average=True)
optimizer = torch.optim.SGD(model.parameters(), lr=0.01)
# Training Loop
for epoch in range(1000):
       # Forward pass: Compute predicted y by passing x to the model
   y pred = model(x data)
   # Compute and print loss
   loss = criterion(y pred, y data)
   print(epoch, loss.data[0])
   # Zero gradients, perform a backward pass, and update the weights.
   optimizer.zero_grad()
   loss.backward()
   optimizer.step()
# After training
hour var = Variable(torch.Tensor([[1.0]]))
print("predict 1 hour ", 1.0, model(hour var).data[0][0] > 0.5)
hour var = Variable(torch.Tensor([[7.0]]))
print("predict 7 hours", 7.0, model(hour var).data[0][0] > 0.5)
```

 $x_{data} = Variable(torch.Tensor([[1.0], [2.0], [3.0], [4.0]]))$ 

#### Logistic regression



```
class Model(torch.nn.Module):
  def init (self):
      super(Model, self). init ()
      self.linear = torch.nn.Linear(1, 1) # One in and one out
  def forward(self, x):
                                                          Design your model using class
      y pred = F.sigmoid(self.linear(x))
      return y pred
                                                                     Linear
# our model
model = Model()
criterion = torch.nn.BCELoss(size average=True)
optimizer = torch.optim.SGD(model.parameters(), lr=0.01)
# Training Loop
for epoch in range(1000):
      # Forward pass: Compute predicted y by passing x to the model
  y pred = model(x data)
  # Compute and print loss
  loss = criterion(y pred, y data)
  print(epoch, loss.data[0])
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  optimizer.zero_grad()
  loss.backward()
  optimizer.step()
# After training
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hour var = Variable(torch.Tensor([[7.0]]))
print("predict 7 hours", 7.0, model(hour var).data[0][0] > 0.5)
```

x data = Variable(torch.Tensor([[1.0], [2.0], [3.0], [4.0]]))y data = Variable(torch.Tensor([[0.], [0.], [1.], [1.]]))



Logistic regression

```
y data = Variable(torch.Tensor([[0.], [0.], [1.], [1.]]))
class Model(torch.nn.Module):
   def init (self):
       super(Model, self). init ()
      self.linear = torch.nn.Linear(1, 1) # One in and one out
   def forward(self, x):
                                                           Design your model using class
      y pred = F.sigmoid(self.linear(x))
      return y pred
# our model
model = Model()
criterion = torch.nn.BCELoss(size average=True)
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   # Compute and print loss
   loss = criterion(y pred, y data)
   print(epoch, loss.data[0])
   # Zero gradients, perform a backward pass, and update the weights.
   optimizer.zero grad()
   loss.backward()
   optimizer.step()
# After training
hour var = Variable(torch.Tensor([[1.0]]))
print("predict 1 hour ", 1.0, model(hour var).data[0][0] > 0.5)
hour var = Variable(torch.Tensor([[7.0]]))
print("predict 7 hours", 7.0, model(hour var).data[0][0] > 0.5)
```

x data = Variable(torch.Tensor([[1.0], [2.0], [3.0], [4.0]]))

## Logistic regression

Sigmoid

Construct loss and optimizer

(forward, backward, update)

(select from PyTorch API)

Linear

Training cycle



```
self.linear = torch.nn.Linear(1, 1) # One in and one out
criterion = torch.nn.BCELoss(size average=True)
optimizer = torch.optim.SGD(model.parameters(), lr=0.01)
       # Forward pass: Compute predicted y by passing x to the model
   # Zero gradients, perform a backward pass, and update the weights.
print("predict 1 hour ", 1.0, model(hour var).data[0][0] > 0.5)
print("predict 7 hours", 7.0, model(hour var).data[0][0] > 0.5)
```

x data = Variable(torch.Tensor([[1.0], [2.0], [3.0], [4.0]]))y data = Variable(torch.Tensor([[0.], [0.], [1.], [1.]]))

class Model(torch.nn.Module):

super(Model, self). init ()

y pred = F.sigmoid(self.linear(x))

def init (self):

def forward(self, x):

return y pred

for epoch in range(1000):

y pred = model(x data)

optimizer.zero grad()

loss.backward()

# After training

optimizer.step()

# Compute and print loss

print(epoch, loss.data[0])

loss = criterion(y pred, y data)

hour var = Variable(torch.Tensor([[1.0]]))

hour var = Variable(torch.Tensor([[7.0]]))

# our model

model = Model()

# Training Loop

#### Logistic regression

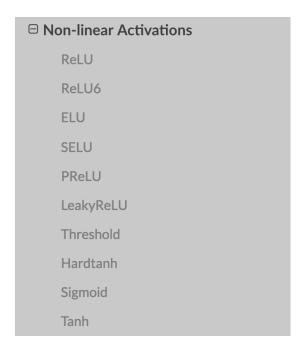
```
0 1.6369143724441528
1 1.6119738817214966
2 1.5872894525527954
3 1.5628681182861328
4 1.5387169122695923
5 1.514843225479126
6 1.4912540912628174
7 1.467956781387329
8 1.4449583292007446
9 1.4222657680511475
10 1.3998862504959106
988 0.39138174057006836
989 0.39128318428993225
990 0.39118456840515137
991 0.3910861015319824
992 0.39098766446113586
993 0.3908892273902893
994 0.39079099893569946
995 0.39069271087646484
996 0.3905944228172302
997 0.39049631357192993
998 0.39039820432662964
999 0.3903001546859741
predict 1 hour 1.0 False
```

predict 7 hours 7.0 True



#### Exercise 6-1: Try other activation functions







Lecture 7: Wide and Deep

## Backup slides

#### Building fun models

- Neural Net components
  - CNN
  - RNN
  - Activations
- Losses
- Optimizers

# □ Convolution Layers Conv1d Conv2d Conv3d ConvTranspose1d ConvTranspose2d

ConvTranspose3d

# RNN LSTM GRU RNNCell LSTMCell GRUCell

#### torch.nn

⊕ Containers
⊕ Convolution Layers
⊕ Pooling Layers
⊕ Padding Layers
⊕ Non-linear Activations
⊕ Normalization layers
⊕ Recurrent layers
⊕ Linear layers
⊕ Dropout layers
⊕ Sparse layers
⊕ Distance functions
⊕ Loss functions
⊕ Vision layers

**☐ Non-linear Activations** ReLU ReLU6 ELU SELU PReLU LeakyReLU Threshold Hardtanh Sigmoid Tanh LogSigmoid Softplus Softshrink Softsign Tanhshrink Softmin Softmax Softmax2d LogSoftmax

http://pytorch.org/docs/master/nn.htm

#### **□** Loss functions

L1Loss

MSELoss

CrossEntropyLoss

**NLLLoss** 

PoissonNLLLoss

NLLLoss2d

KLDivLoss

BCELoss

BCEWithLogitsLoss

MarginRankingLoss

HingeEmbeddingLoss

MultiLabelMarginLoss

SmoothL1Loss

SoftMarginLoss

MultiLabelSoftMarginLoss

CosineEmbeddingLoss

MultiMarginLoss

TripletMarginLoss

#### Loss functions

Table 1: List of losses analysed in this paper.  $\mathbf{y}$  is true label as one-hot encoding,  $\hat{\mathbf{y}}$  is true label as +1/-1 encoding,  $\mathbf{o}$  is the output of the last layer of the network,  $\cdot^{(j)}$  denotes jth dimension of a given vector, and  $\sigma(\cdot)$  denotes probability estimate.

symbol	name	equation
$\mathcal{L}_1$	$L_1$ loss	$\ \mathbf{y} - \mathbf{o}\ _1$
$\mathcal{L}_2$	$L_2$ loss	$\ \mathbf{y} - \mathbf{o}\ _2^2$
$\mathcal{L}_1\circ\sigma$	expectation loss	$\ \mathbf{y} - \sigma(\mathbf{o})\ _1$
$\mathcal{L}_2\circ\sigma$	regularised expectation loss <sup>1</sup>	$\ \mathbf{y} - \sigma(\mathbf{o})\ _2^2$
$\mathcal{L}_{\infty}\circ\sigma$	Chebyshev loss	$\max_j  \sigma(\mathbf{o})^{(j)} - \mathbf{y}^{(j)} $
hinge	hinge [13] (margin) loss	$\sum_{j} \max(0, rac{1}{2} - \mathbf{\hat{y}}^{(j)} \mathbf{o}^{(j)})$
${ m hinge}^2$	squared hinge (margin) loss	$\sum_{j}^{j} \max(0, rac{1}{2} - \mathbf{\hat{y}}^{(j)} \mathbf{o}^{(j)})^2$
$ m hinge^3$	cubed hinge (margin) loss	$\sum_{j}^{j} \max(0, rac{1}{2} - \mathbf{\hat{y}}^{(j)} \mathbf{o}^{(j)})^3$
$\log$	log (cross entropy) loss	$-\sum_{i}\mathbf{y}^{(j)}\log\sigma(\mathbf{o})^{(j)}$
$\log^2$	squared log loss	$-\sum_{j}^{j} [\mathbf{y}^{(j)} \log \sigma(\mathbf{o})^{(j)}]^2$
tan	Tanimoto loss	$\frac{-\sum_{j}\sigma(\mathbf{o})^{(j)}\mathbf{y}^{(j)}}{\ \sigma(\mathbf{o})\ _{2}^{2}+\ \mathbf{y}\ _{2}^{2}-\sum_{j,\sigma}\sigma(\mathbf{o})^{(j)}\mathbf{y}^{(j)}}$
$\mathrm{D}_{\mathrm{CS}}$	Cauchy-Schwarz Divergence [3]	$-\lograc{\sum_{j}\sigma(\mathbf{o})^{(j)}\mathbf{y}^{(j)}}{\ \sigma(\mathbf{o})\ _{2}\ \mathbf{y}\ _{2}}$

https://arxiv.org/pdf/1702.05659.pdf

#### torch.optim

- classtorch.optim.Adadelta
- classtorch.optim.Adagrad
- classtorch.optim.Adam
- classtorch.optim.Adamax
- classtorch.optim.ASGD
- classtorch.optim.RMSprop
- *class*torch.optim.Rprop
- classtorch.optim.SGD

#### Three simple steps

1 Design your model using class

Construct loss and optimizer (select from PyTorch API)

Training cycle (forward, backward, update)

#### Exercise 6-1

• Try different optimizers



Lecture 7: Wide and Deep