

# Computer Vision

**CSC-455**

## Some Post Segmentation Operations using Morphological Operations

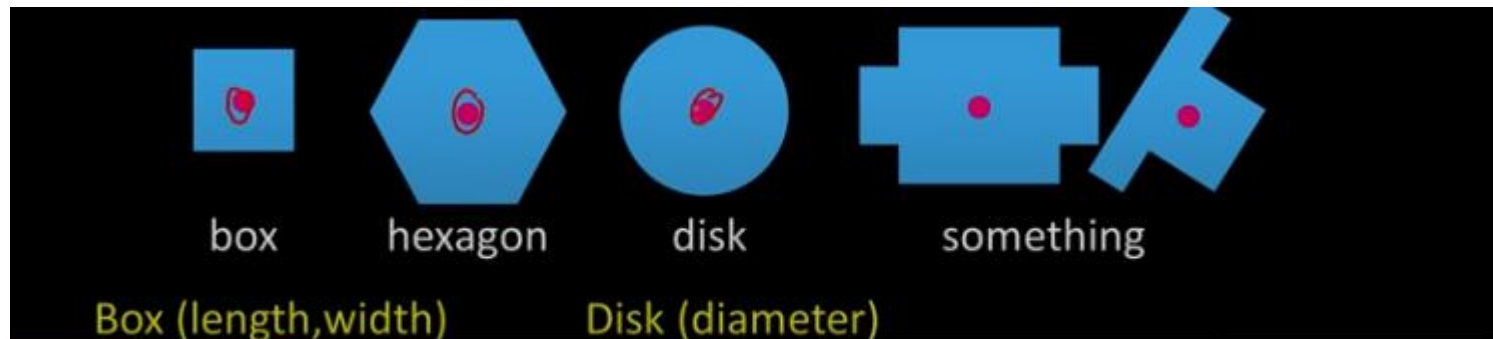
# Morphological Operations

**Morphological Operations.** **Morphology** is a broad set of image processing **operations** that process images based on shapes. In a **morphological operation**, each pixel in the image is adjusted based on the value of other pixels in its neighborhood

# Structuring Element

A shape mask used in the morphological operations

- Any shape ,size that is digitally representable
- With a defined **origin**



# Morphology: Quick Example



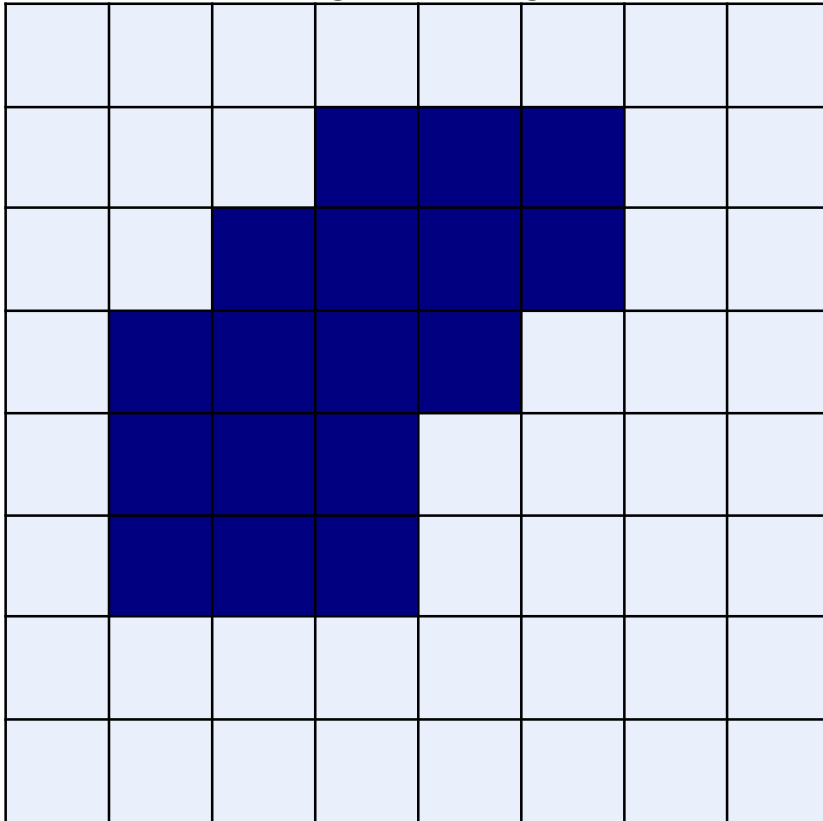
Image after segmentation



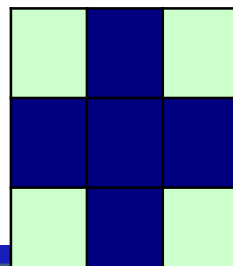
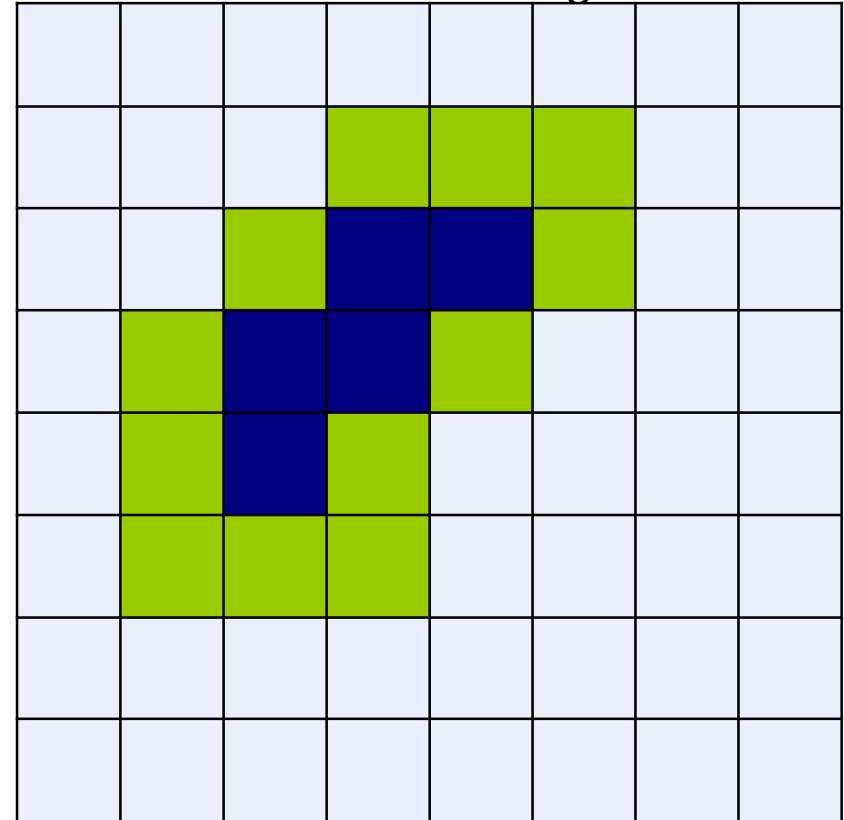
Image after segmentation and  
morphological processing

# Erosion: Example

Original Image



Processed Image



Structuring Element

# Erosion

- ◆ Effects

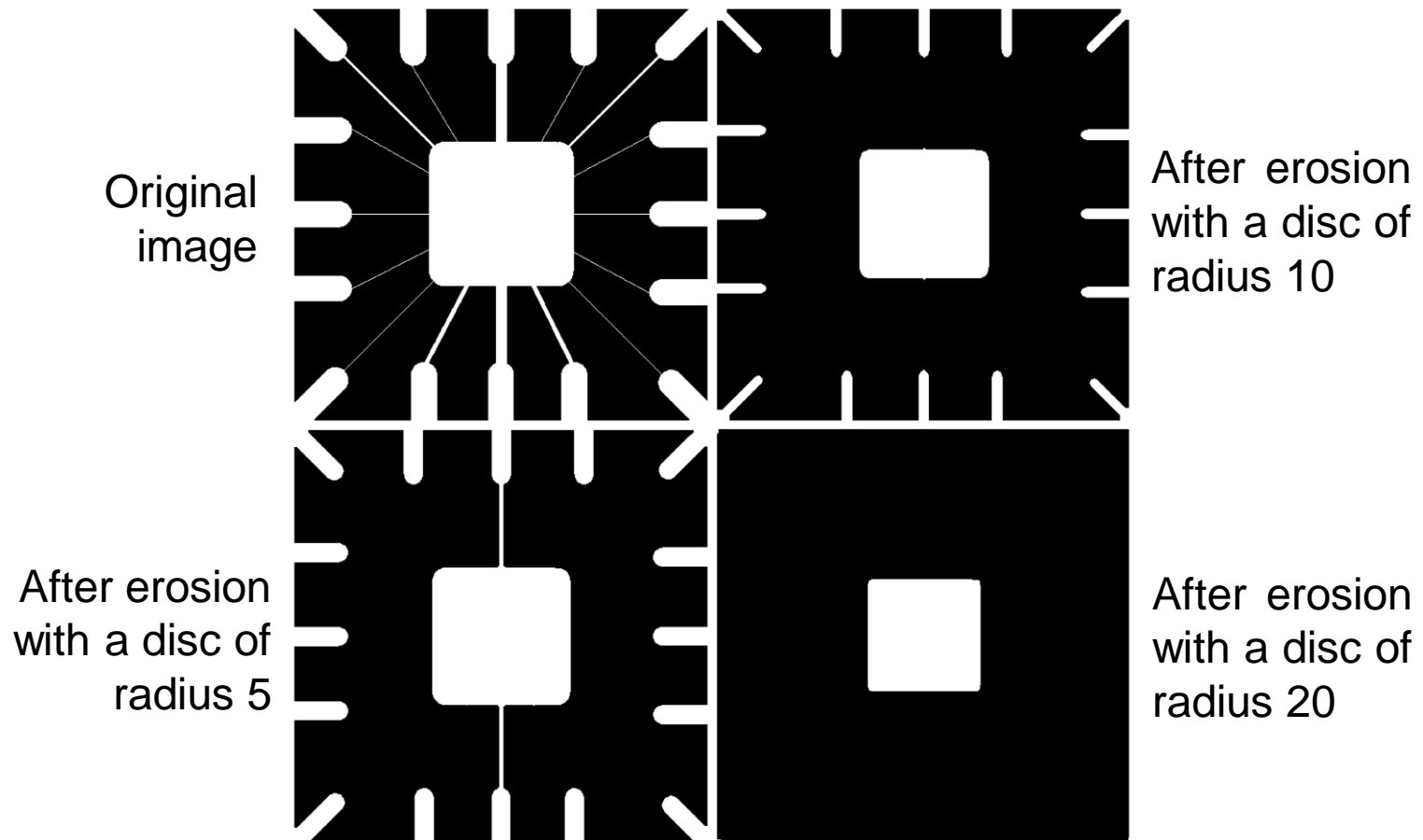
- Shrinks the size of foreground (1-valued) objects
- Smooths object boundaries
- Removes small objects

- ◆ Rule for Erosion

In a binary image, if any of the pixel (in the neighborhood defined by structuring element) is 0, then output is 0

$$g(x, y) = \begin{cases} 1 & \text{if } s \text{ fits } f \\ 0 & \text{otherwise} \end{cases}$$

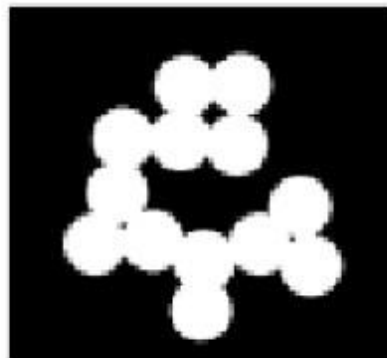
# Erosion: Example 1



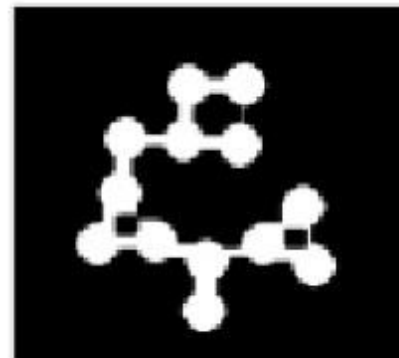


# Erosion: Example 2

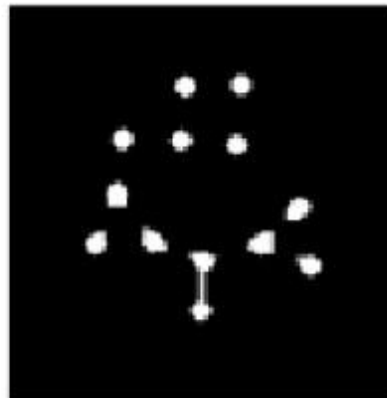
Original  
binary  
image  
*circles*



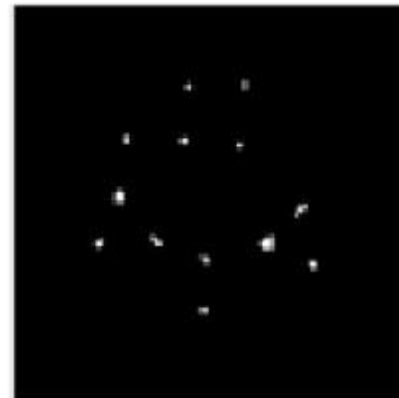
Erosion  
by 11x11  
structuring  
element



Erosion  
by 21x21  
structuring  
element



Erosion  
by 27x27  
structuring  
element

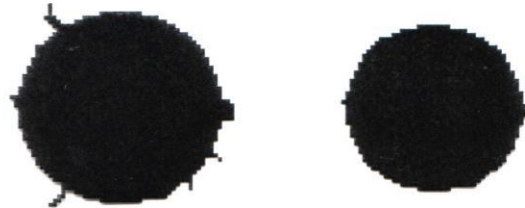


# Erosion

Erosion can split apart joined objects



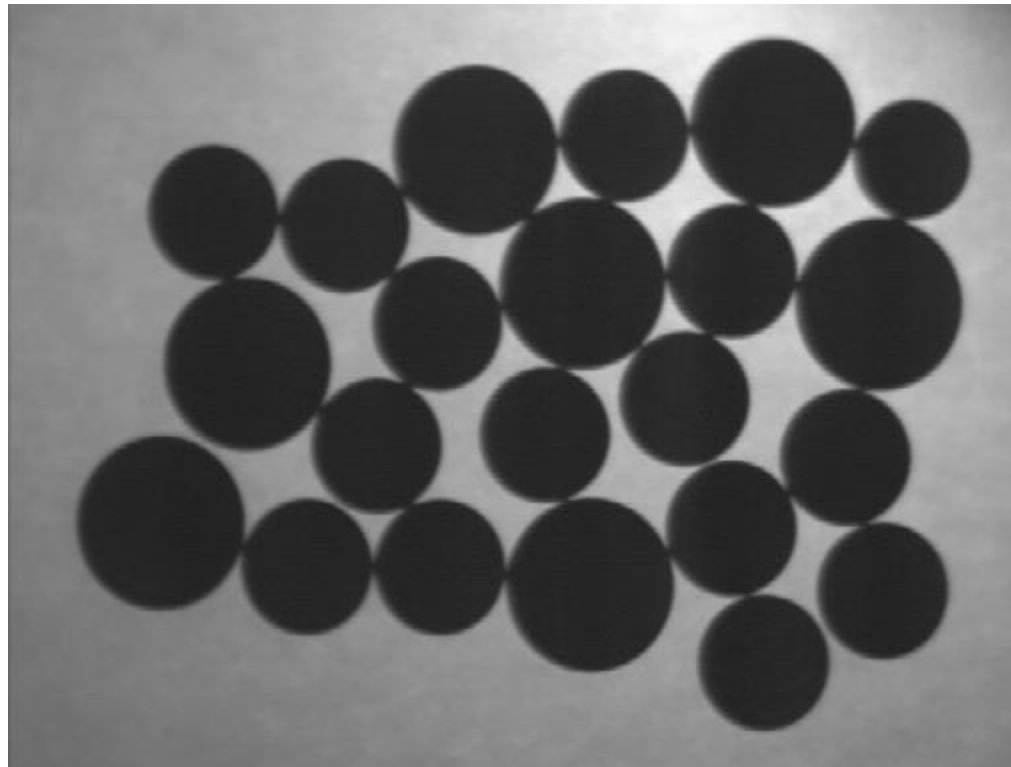
Erosion can strip away extrusions



**Watch out:** Erosion shrinks objects

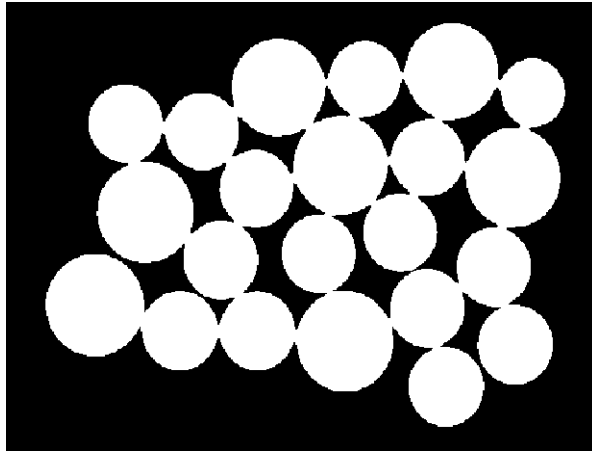
# Exercise

Count the number of coins in the given image

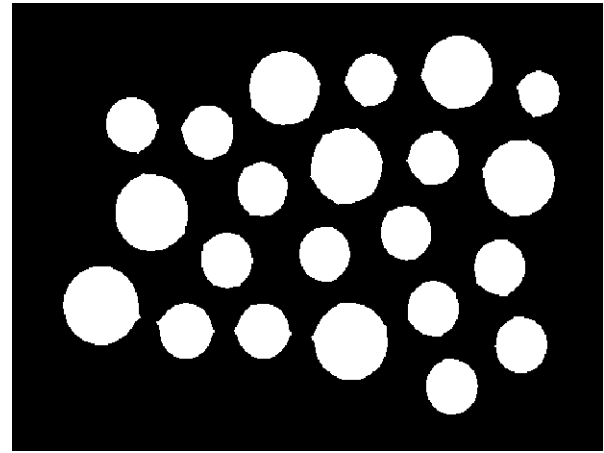


# Exercise: Solution

Binarize the image



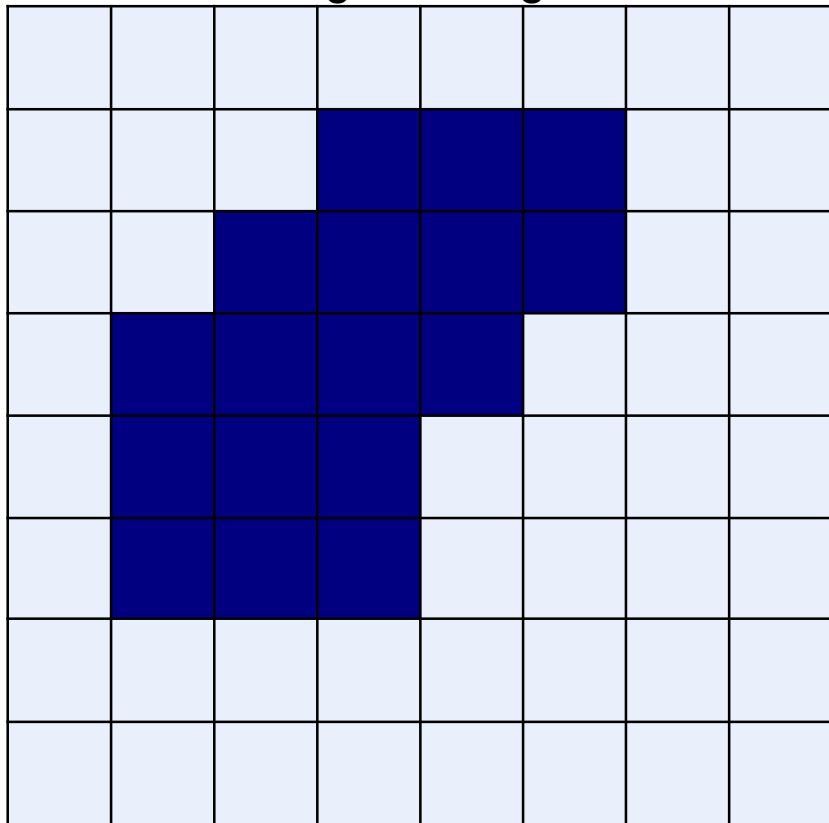
Perform Erosion



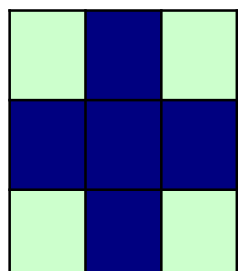
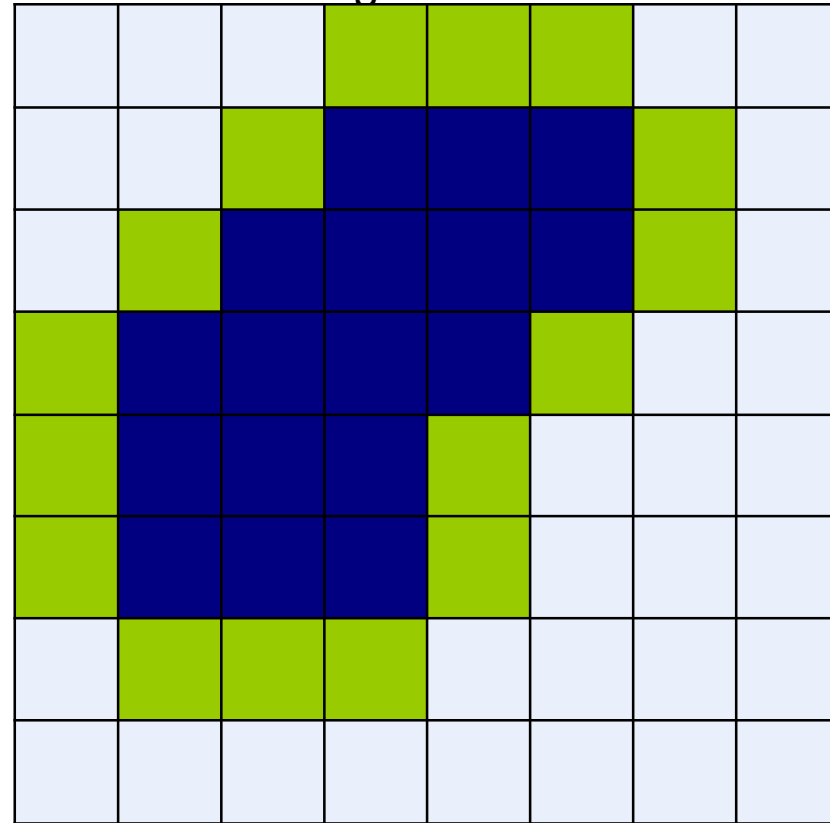
Use connected component labeling to count the number of coins

# Dilation: Example

Original Image



Processed Image With Dilated Pixels



Structuring Element

# Dilation

## ◆ Effects

- Expands the size of foreground(1-valued) objects
- Smooths object boundaries
- Closes holes and gaps

## ◆ Rule for Dilation

In a binary image, if any of the pixel (in the neighborhood defined by structuring element) is 1, then output is 1

$$g(x, y) = \begin{cases} 1 & \text{if } s \text{ hits } f \\ 0 & \text{otherwise} \end{cases}$$

# Dilation: Example 1



Original image



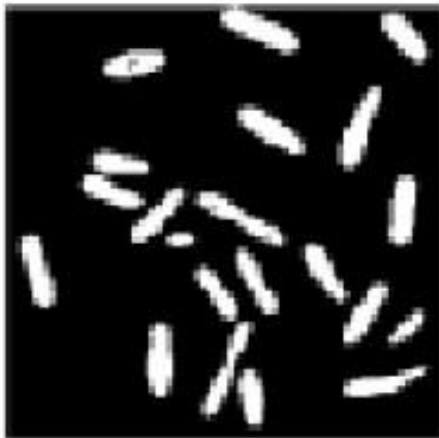
Dilation by 3\*3  
square structuring  
element



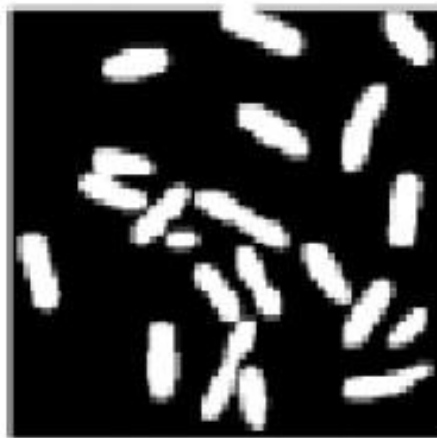
Dilation by 5\*5  
square structuring  
element

**Note:** In these examples a 1 refers to a black pixel!

# Dilation: Example 2



Original (178x178)



dilation with  
3x3 structuring element



dilation with  
7x7 structuring element

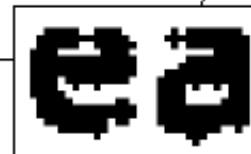


# Dilation: Example 3

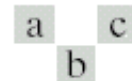
Historically, certain computer programs were written using only two digits rather than four to define the applicable year. Accordingly, the company's software may recognize a date using "00" as 1900 rather than the year 2000.



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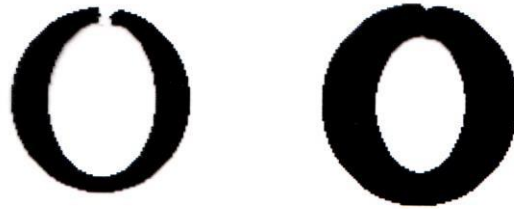
0	1	0
1	1	1
0	1	0



**FIGURE 9.5**  
(a) Sample text of poor resolution with broken characters (magnified view).  
(b) Structuring element.  
(c) Dilation of (a) by (b). Broken segments were joined.

# Dilation

Dilation can repair breaks



Dilation can repair intrusions



**Watch out:** Dilation enlarges objects

# Example

Segment A

0	0	0	0	0
0	1	1	1	0
0	1	1	1	0
0	1	1	1	0
0	0	0	0	0

Image Segment

0	1	0
1	1	1
0	1	0

Segment B

Structuring Element

Erosion A - B

0	0	0	0	0
0	0	0	0	0
0	0	1	0	0
0	0	0	0	0
0	0	0	0	0

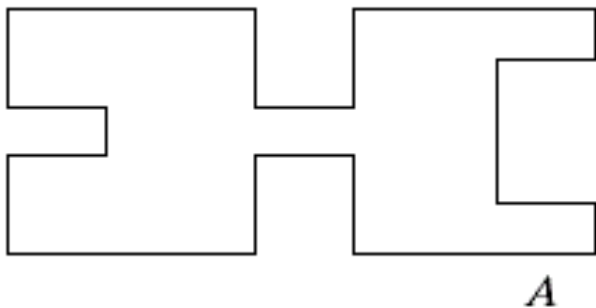
Dilation A + B

0	1	1	1	0
1	1	1	1	1
1	1	1	1	1
1	1	1	1	1
0	1	1	1	0

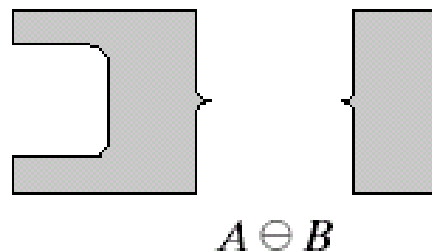
# Opening

The opening of image  $f$  by structuring element  $s$ , denoted by  $f \circ s$  is simply an erosion followed by a dilation

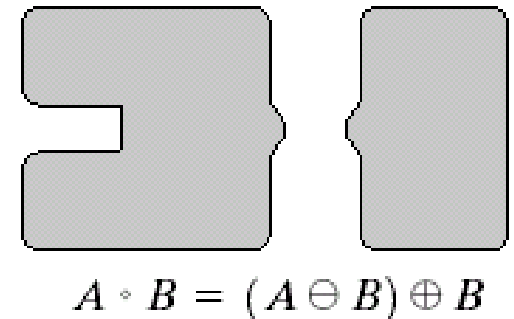
$$f \circ s = (f \ominus s) \oplus s$$



Original shape



After erosion



After dilation  
(opening)

# Opening: Example

Original  
Image

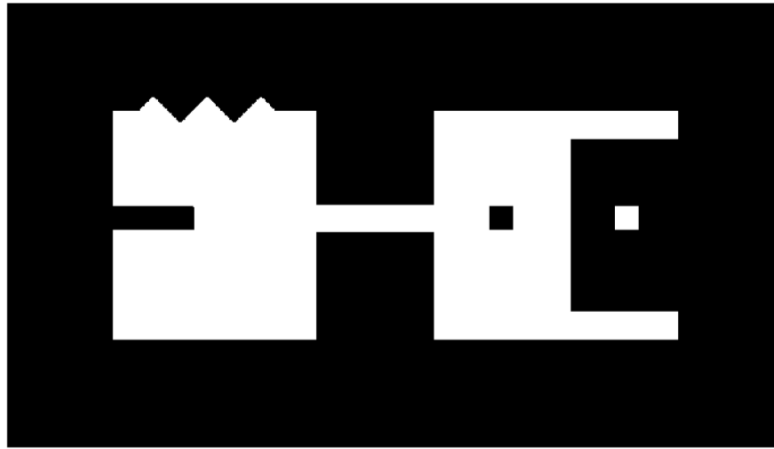


Image  
After  
Opening

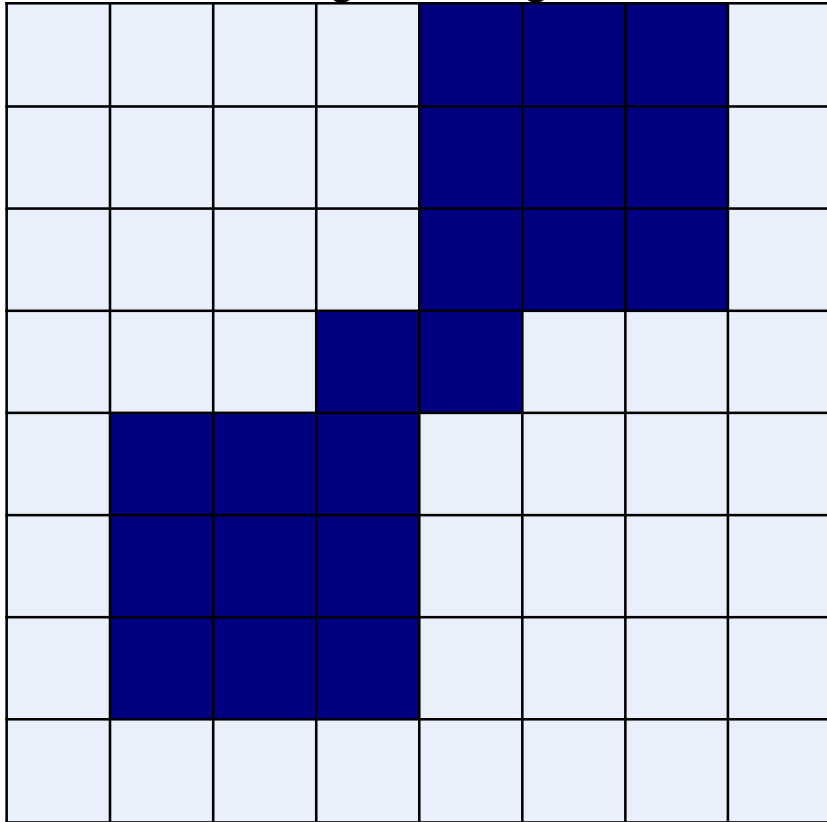


Opening

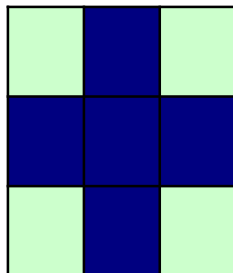
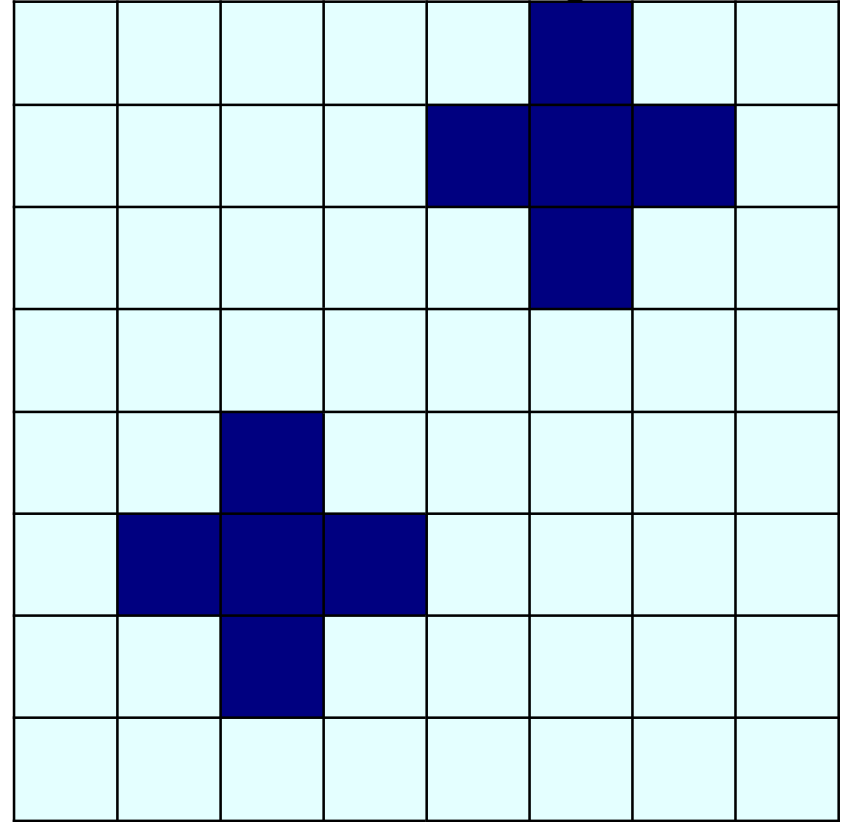
Breaks narrow joints  
Removes 'Salt' noise

# Opening: Example

Original Image



Processed Image

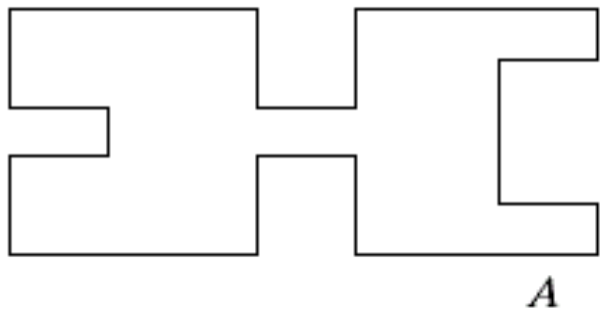


Structuring Element

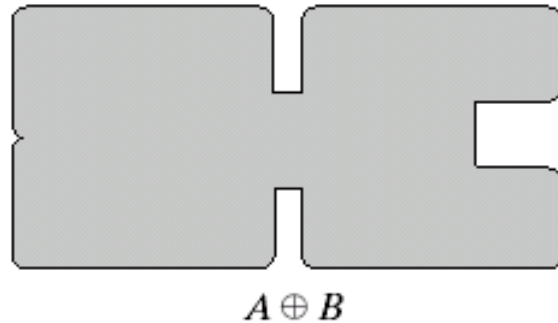
# Closing

The closing of image  $f$  by structuring element  $s$ , denoted by  $f \bullet s$  is simply a dilation followed by an erosion

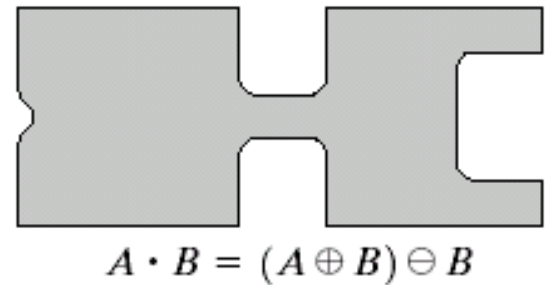
$$f \bullet s = (f \oplus s) \ominus s$$



Original shape



After dilation



After erosion  
(closing)

# Closing: Example

Original  
Image



Image  
After  
Closing



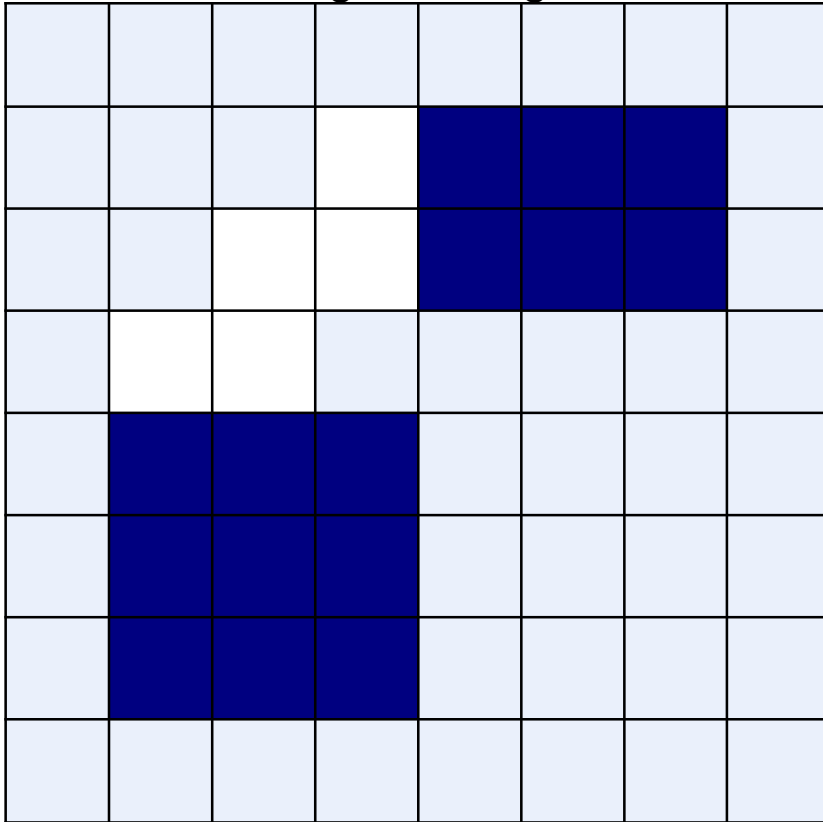
Closing

Eliminates small holes  
Fills gaps  
Removes 'Pepper' noise

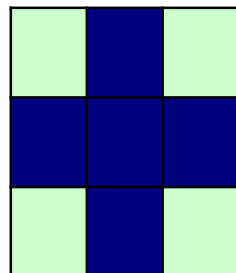
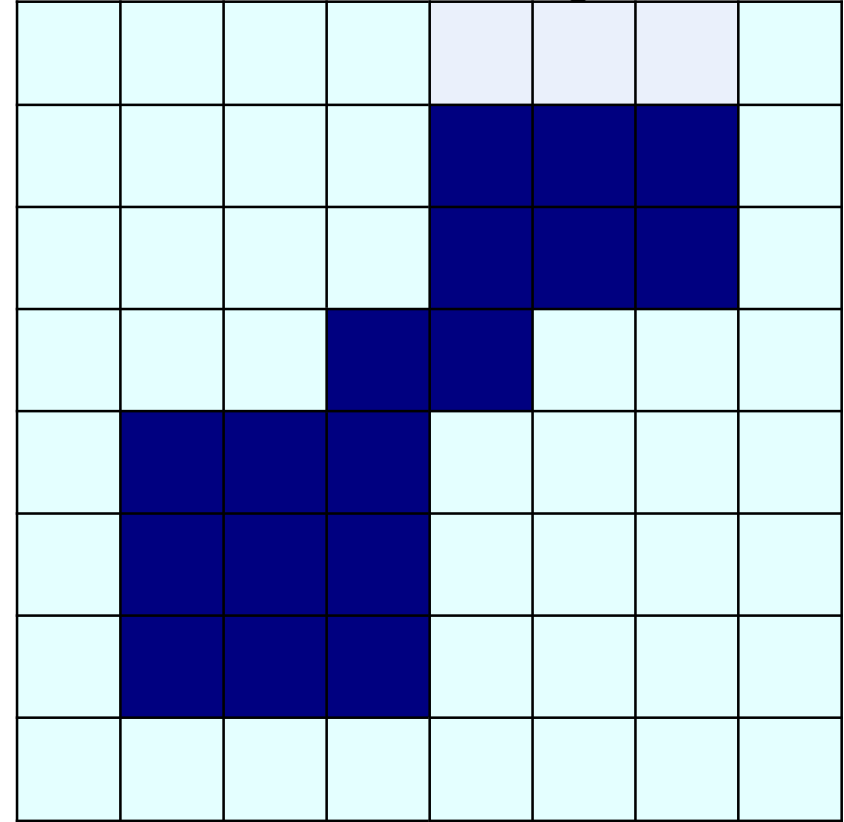


# Closing: Example

Original Image



Processed Image



Structuring Element

# References

- ◆ Some Slide material has been taken from Dr M. Usman Akram Computer Vision Lectures
- ◆ CSCI 1430: Introduction to Computer Vision by [James Tompkin](#)
- ◆ Statistical Pattern Recognition: A Review – A.K Jain et al., PAMI (22) 2000
- ◆ Pattern Recognition and Analysis Course – A.K. Jain, MSU
- ◆ *Pattern Classification*” by Duda et al., John Wiley & Sons.
- ◆ Digital Image Processing”, Rafael C. Gonzalez & Richard E. Woods, Addison-Wesley, 2002
- ◆ Machine Vision: Automated Visual Inspection and Robot Vision”, David Vernon, Prentice Hall, 1991
- ◆ [www.eu.aibo.com/](http://www.eu.aibo.com/)
- ◆ Advances in Human Computer Interaction, Shane Pinder, InTech, Austria, October 2008
- ◆ Computer Vision A modern Approach by Frosyth
- ◆ <http://www.cs.cmu.edu/~16385/s18/>