

# Token-Specific Watermarking with Enhanced Detectability and Semantic Coherence for Large Language Models





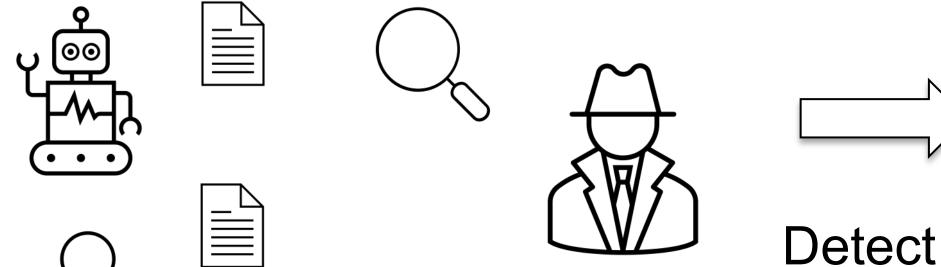
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\* Denotes equal contribution

## Motivation

Detect between human and machine generated texts



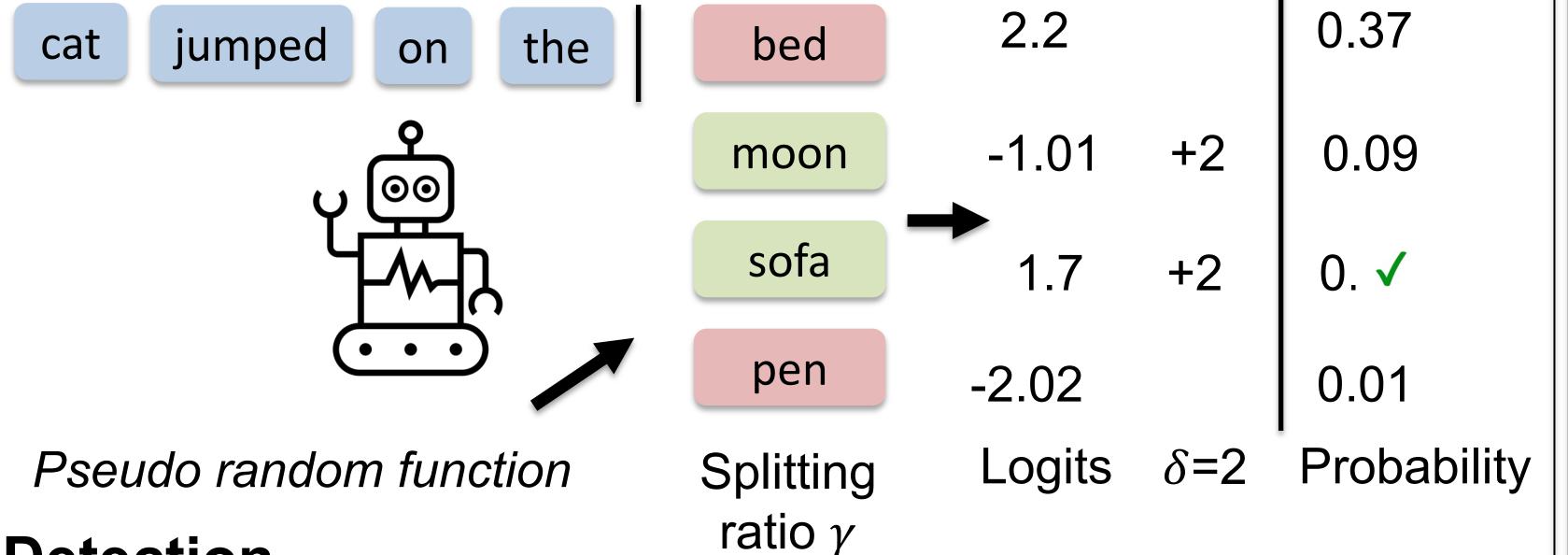
Academic dishonesty
Spam content
Misleading content
Training degeneration

## Prior Method

Distribution shift-based methods – KGW

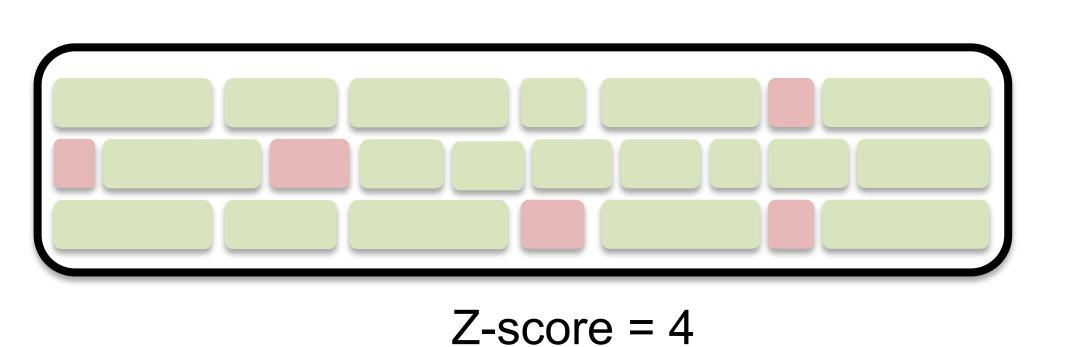
#### Generation

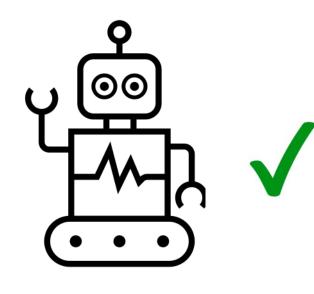
- Randomly split vocabulary into red-green list with splitting ratio γ
- Bias towards green list words by adding watermark logit  $\delta > 0$



#### Detection

- Count number of green tokens,  $|s|_G$ , in test sample of length T
- Estimate the Z-score =  $\frac{|s|_G T\gamma}{\sqrt{T\gamma(1-\gamma)}}$ ; Z-score >  $\tau \Rightarrow$  watermarked





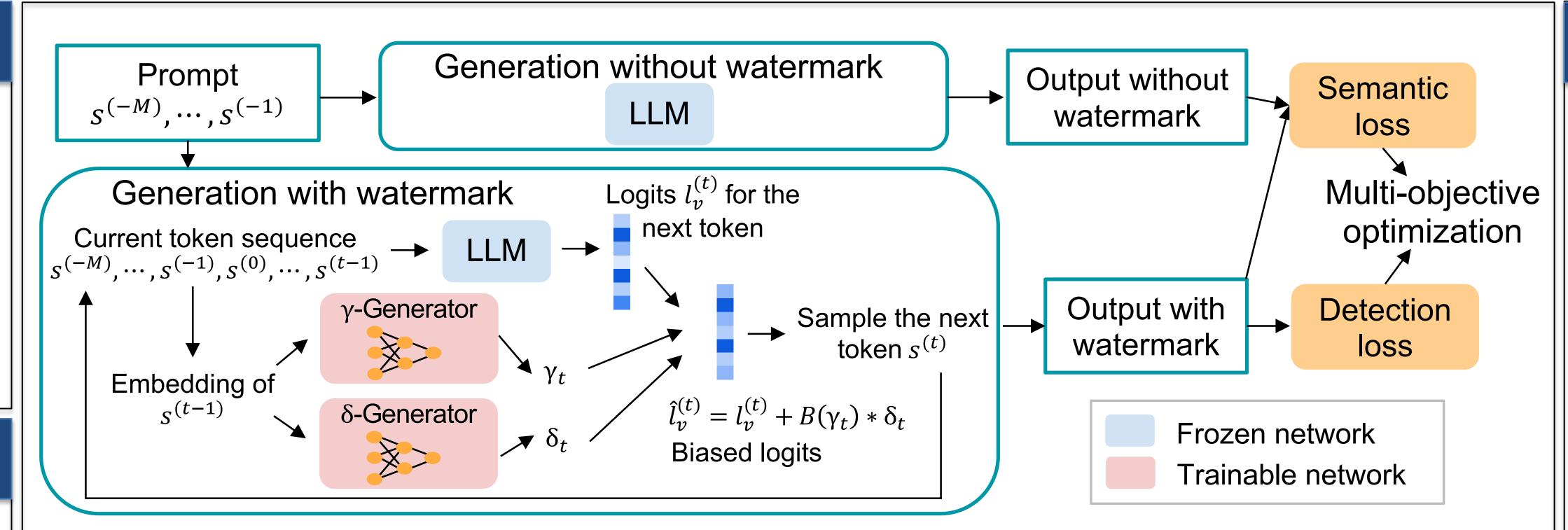
Z-score >  $\tau$  (say 3)

#### Limitations

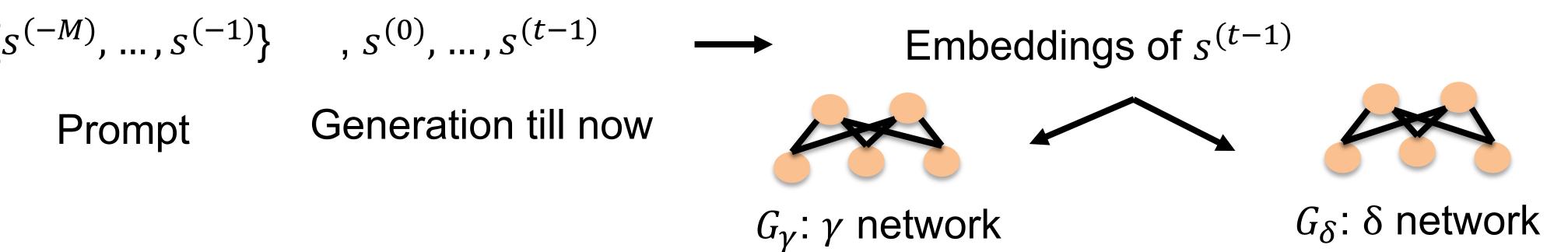
- Cannot simultaneously optimize semantics and detectability
- Lack adaptive mechanism to adjust  $\gamma$  and  $\delta$  appropriately
  - Sun rises in the \_\_\_ -> 'east'
  - High  $\delta$  and low  $\gamma$  might affect semantics

### **Proposed Method**

Propose learning token-specific splitting ratio and watermark logit, i.e.,  $\gamma_t$  and  $\delta_t$ 



## Determine $\gamma_t$ and $\delta_t$ based on the embeddings of previous token



#### Split the vocabulary (V) into red-green list

- For each token  $v \in V$ , sample  $y_v^{(t)} \sim B(\gamma_t)$ , Bernoulli distribution parameterized by  $\gamma_t$
- If  $y_v^{(t)} = 1$ , then v belongs to green list else red list
- Gumbel softmax trick makes sampling process differentiable

## Bias green list tokens

• Given logits  $l_v^{(t)}$ , modified logits for token v are:  $\hat{\pmb{l}}_v^{(t)} = l_v^{(t)} + y_v^{(t)} * \delta_t$ 

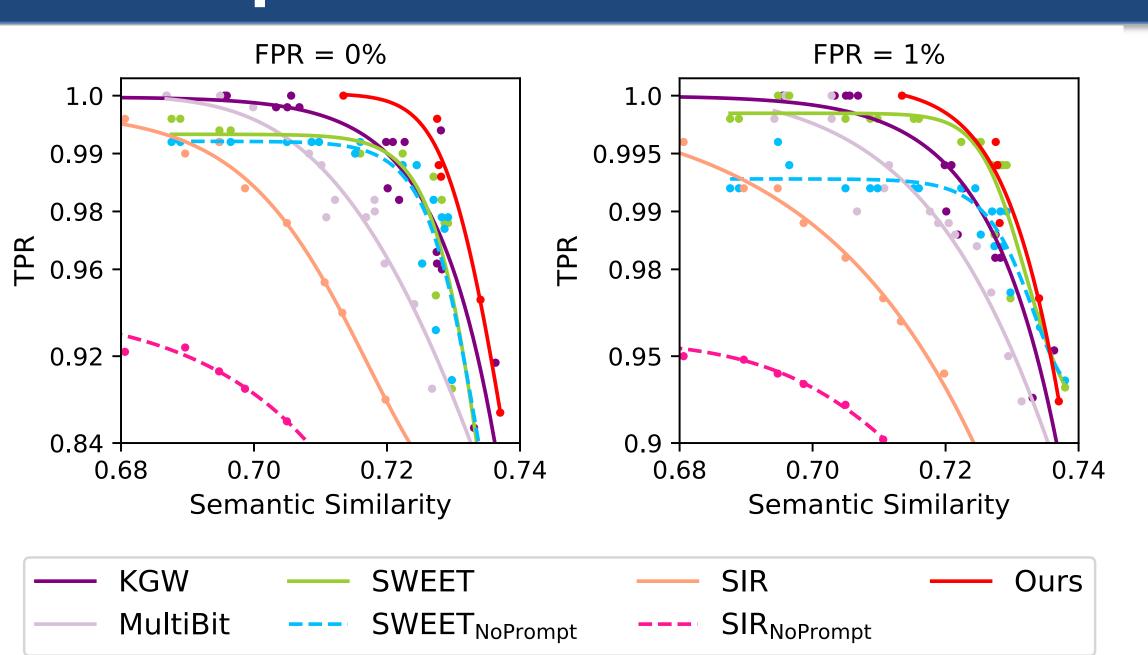
#### Training objectives

- Detection loss
  - Modified Z-score =  $\frac{|s|_G \sum_{t=1}^T \gamma_t}{\sqrt{\sum_{t=1}^T \gamma_t (1-\gamma_t)}}$  to account for varying  $\gamma_t$
  - Improve detectability by maximizing this objective
  - $|s|_G$ , count of green tokens, is non-differentiable w.r.t  $\gamma_t$  and  $\delta_t$
  - Propose differentiable surrogate  $\hat{z} = \frac{\sum_{t=1}^{T} p_{gr}^{(t)} \sum_{t=1}^{T} \gamma_t}{\sqrt{\sum_{t=1}^{T} \gamma_t (1-\gamma_t)}}$ , where  $p_{gr}^{(t)}$  is the probability of selecting a green token.
  - Maximize  $\hat{z}$  or minimize detection loss,  $L_D = -\hat{z}$
- Semantic loss
  - Generate sentence embeddings of texts before and after watermarking, i.e., s and  $s_w$  using the SimCSE model  $f_\theta$
  - Maximize the cosine similarity between them,  $\cos_{sim}(f_{\theta}(s), f_{\theta}(s_w))$
  - Thus, minimize semantic loss,  $L_S = -\cos_{sim}(f_{\theta}(s), f_{\theta}(s_w))$

#### Multi-objective optimization

- Optimizing for two competing loss functions  $L_D$  and  $L_S$  min  $L_D(G_V, G_{\delta})$  and min  $L_S(G_V, G_{\delta})$
- Estimate pareto optimal solutions using multiple-gradient descent algorithm (MGDA)

## **Experimental Results**

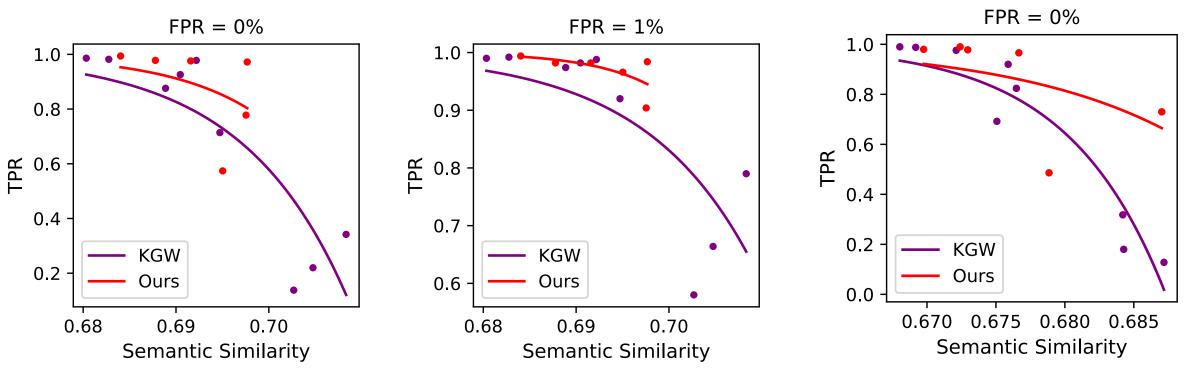


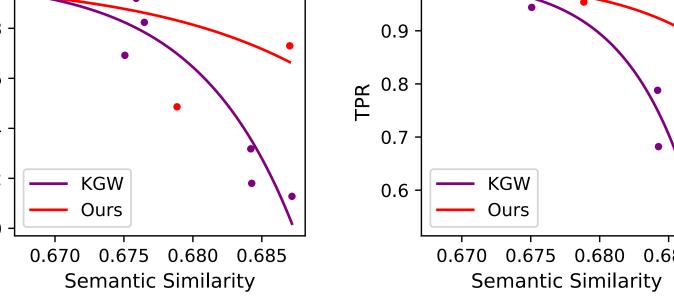
1. Trade-off curves for our method and other baselines applied to OPT-1.3B.

				Method	Generation (s)	Detection (s)
Method	<b>TPR</b> @ 0%	<b>TPR</b> @ 1%	<b>SimCSE</b>	No Watermark	3.220	<u> </u>
EXP-edit EXP-edit (Top- $k$ =50) Ours (Top- $k$ =50)	0.922 0.968 <b>1.000</b>	0.996 0.996 <b>1.000</b>	0.655 0.677 <b>0.713</b>	KGW SWEET EXP-edit SIR	3.827 4.030 24.693 8.420	0.067 0.127 155.045 0.337
2 Campariaan of aur mothod with				MultiBit Ours	6.500 3.946	0.610 0.166

2. Comparison of our method with indistinguishable method - EXP-edit

3. Generation and detection time.

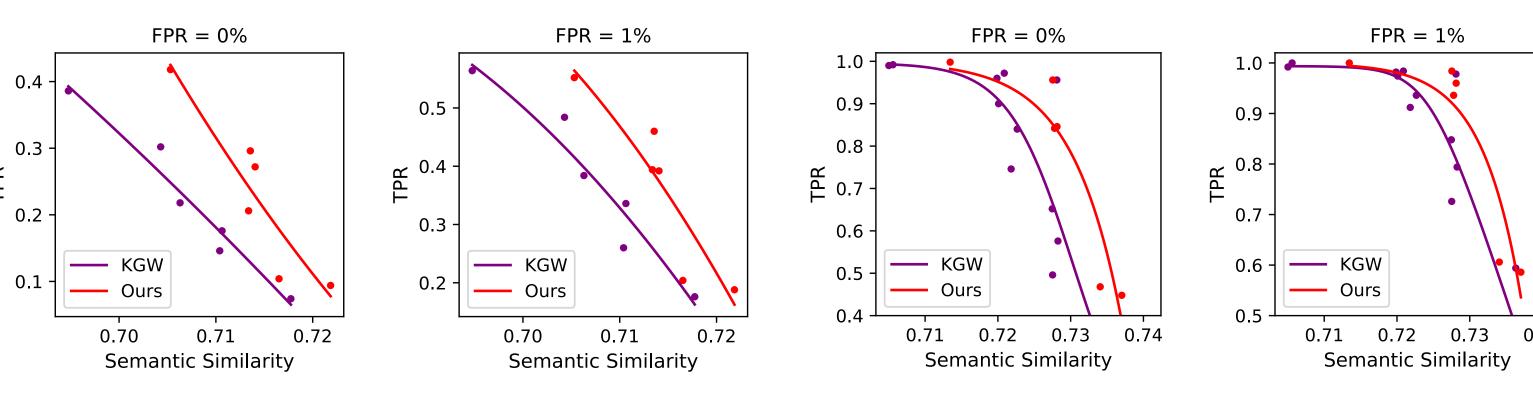




a. LLAMA2-13B

b. LLAMA2-70B

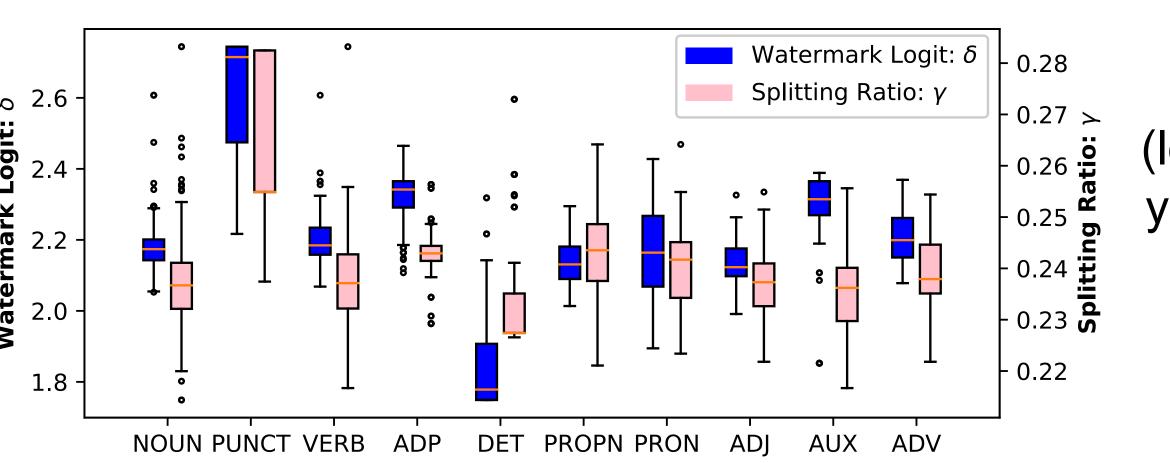
4. Performance of our model (trained on OPT-1.3B) and KGW when applied to LLAMA2-13B and 70B. Please refer to the paper for LLAMA2 7B results



a. Dipper paraphrase attack

b. Copy-paste-3 attack

5. Comparison of our method with KGW under dipper paraphrase attack (left) and copy-paste-3 attack (right). Please refer to the paper for other attack results.



6. Distribution of  $\delta$  (left y-axis) and  $\gamma$  (right y-axis) across different part-of-speech categories of the preceding token.