

Empirical Finance: A Review

For Personal Reference

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Inspired by the Course *Empirical Finance* at
London Business School by *Dr. Svetlana Bryzgalova*

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HERE WE GO!

Empirical finance is an absolutely fascinating field, with some of the most cutting-edge methodologies and the most exploratory techniques. Although it is not my speciality, I am always interested in this literature. During my pre-doc research fellowship at London Business School, I have had the privilege to study in the course *Financial Economics II: Empirical Finance*. The course instructor Dr. Svetlana Bryzgalova is absolutely one of the most brilliant scholars I have encountered. Thanks to her, I have got to understand this literature more systematically. In this (personal) review, I summarize the most influential and inspirational works in this field and organize them by different topics. The structure of this review resembles the structure of Dr. Bryzgalova's course, while adjusted according to my personal research interest. I intend to review classic works and discuss some potential directions of future study regarding my personal interest in Behavioral Economics, Game Theory and Network.

Since this review is tailored according to my own research interest and experience, I will not only summarize the theoretical perspectives of the studies, present their findings and discuss how they fit into the literature, but document my replication attempts and pseudo codes as well. All the codes related to this review can be found on [my Github page](#).

I thank Dr. Svetlana Bryzgalova for her valuable intuitions and impressive knowledge of the empirical finance literature. Building this review is truly a memorable journey for me. I would love to share this review and all the related materials to anyone that finds them useful. And unavoidably, I would make some typos and other minor mistakes (hopefully not big ones). So I'd really appreciate any correction. If you find any mistakes, please either set up a branch on Github or send the mistakes to this email address saizhang.econ@gmail.com, BIG thanks in advance!

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CHAPTER 1

TIME-SERIES PREDICTABILITY

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Every investor knows that trading in financial markets is to play games with time itself. Daily trades determine asset prices at every date and hence influence the random distribution of future prices as well as the initial level of prices. One would need "much more careful attention to the process by which both expected payoffs and required rates of return determine asset prices"¹.

¹See [Campbell \(2017, p. 121\)](#)

In this chapter, I first, following [Campbell \(2017, Chapter 5\)](#), summarize models mapping cash flows and discount rates into prices using present value relations in Section 1.1. Then I discuss the early evidence for mean reversion in returns in Section 1.2. In Section 1.3, I examine the excess volatility puzzle in the predictability debate. To accomodate the stylized facts of time-series predictability, Section 1.4 presents two of the most influential approaches to decompose prices. In Section 1.5, I selectively summarize some researches from the so-called "Prediction Zoo", which satirically describes the floods of price predictors. Finally, I discuss the issues and extensions of time-series predictability in Section 1.6.

1.1 Concepts and models

In this section, I follow [Campbell \(2017, Chapter 5\)](#) and discuss some of the conceptual building blocks for the strand of time-series empirical finance literature.

1.1.1 Market Efficiency

An intuitive way of explaining *market efficiency* is that efficient markets are competitive and allow no easy ways to make economic profit. A more useful and testable definition was given by [Malkiel \(1989, p. 127\)](#):

The market is said to be efficient with respect to some information set ϕ , if security prices would be unaffected by revealing that information to all participants.

Some event studies that measure market responses to news announcements can be interpreted as tests of market efficiency regarding the announced information, but in general, this definition is not easy to test. On the other hand, [Malkiel \(1989\)](#) gives a more testable alternative:

Efficiency with respect to an information set ϕ implies that it is impossible to make economic profits by trading on the basis of ϕ .

This is the idea behind an enormous literature in empirical asset pricing: if an economic model defines the equilibrium return as $\Theta_{i,t}$, then the null hypothesis is

$$R_{i,t+1} = \Theta_{i,t} + U_{i,t+1} \quad (1.1)$$

where $U_{i,t+1}$ is a FAIR game regarding the information set at t , or $\mathbb{E}(U_{i,t+1}|\phi_t) = 0$. Notice that market efficiency is equivalent to rational expectations, one must test a model of expected returns as well when testing market efficiency. After defining a model of expected returns, the variables to be included in the information set must be specified. [Malkiel and Fama \(1970\)](#) define three forms of efficient market hypothesis and the corresponding information sets:

- the *weak form*: past returns

- the **semi-strong form**: publicly available information such as stock splits, dividends, or earnings
- the **strong form**: information available to some market participants, but NOT necessarily to all participants.

← this could be tested by using measurable actions (trades or portfolio holdings) of the potentially better informed agents

In the time-series literature, the simplest economic model is constant return: $\Theta_{i,t} = \Theta$. In Section 1.2, I summarize the early literature focusing on this model.

Market efficiency has been widely tested and debated, now the most accepted view of market efficiency hypothesis is that it is a useful benchmark but does not hold perfectly. The debates between long-term versus short-term efficiency, micro versus macro efficiency are still and will continue to be heated. Some noticeable alternative hypotheses are:

- **High-frequency noise**: market prices are contaminated by short-term noise, which can be caused by measurement errors or illiquidity (bid-ask bounce).
- **Imperfect information processing**: the market reacts sluggishly to information after its releasing
- **Persistent mispricing**: market prices deviate substantially from efficient levels in a LONG time
- **Disposition effect**: individual investors are more willing to sell winning stocks than losing stocks, see [Shefrin and Statman \(1985\)](#) for details.

1.1.2 Model: autocorrelation of returns

The most basic time-series test of market efficiency is to test "whether past deviations of returns from model-implied expected returns predict future return deviations" (See [Campbell, 2017](#), p. 124). The leading approach to do so is to test the autocorrelations.

Starting points:

1. The null hypothesis H_0 : the stock returns are i.i.d.
2. The standard error for any single sample autocorrelation equals asymptotically $1/\sqrt{T}$, see [Box and Pierce \(1970\)](#) for a detailed discussion.
3. The standard error would be large, (0.1 if $T = 100$), not so easy to detect small autocorrelation

Any autocorrelation test would have to solve these issues.

1.1.2.1 Q-statistics

Because the stock returns are i.i.d. (H_0), different autocorrelations are uncorrelated with one another. [Box and Pierce \(1970\)](#) calculates a sum of K squared sample autocorrelations:

$$Q_K = T \sum_{j=1}^K \hat{\rho}_j^2 \quad (1.2)$$

where $\hat{\rho}_j = \text{Corr}(r_t, r_{t-j})$. Q is asymptotically distributed χ^2 with K degrees of freedom.

Pros: It solves the problem of the large standard errors.

Cons: It does NOT use the sign of the autocorrelations (squared). What could happen is that the expected reutrns are not constant, instead, they are each individually small but all have the same sign.

1.1.2.2 Variance ratio

One way to take the sign of autocorrelations into consideration is the variance ratio statistic. This statistic was introduced to the finance literature by [Lo and MacKinlay \(1988\)](#) and [Poterba and Summers \(1988\)](#).

The basic setting is: for a holding period K , the log return of this entire period $r_t(K)$ is the sum of all the one-period returns r_{t+i} :

$$r_t(K) \equiv r_t + r_{t+1} + \cdots + r_{t+K-1}$$

and the variance ratio over the period K would be defined as:

$$VR(K) = \frac{Var(r_t(K))}{K \cdot Var(r_t)}$$

If there are not autocorrelations, then the i.i.d. returns would have identical variance in each period from t to $t + K$, and $Var(r_t(K)) = Var(r_t + \cdots + r_{t+K-1}) = Var(r_t) + \cdots + Var(r_{t+K-1}) = K \cdot Var(r_t)$. Thus, $VR(K) = 1$. If we rewrite the definition of the variance ratio as:

$$VR(K) = \frac{Var(r_t(K))}{K \cdot Var(r_t)} = 1 + \underbrace{2 \sum_{j=1}^{K-1} \left(1 - \frac{j}{K}\right) \hat{\rho}_j}_{\text{weighted average of the first } K-1 \text{ sample autocorrelations}} \quad (1.3)$$

Then by comparing $VR(K)$ with 1, we can deduct the direction of the autocorrelations:

| | |
|-------------|--|
| $VR(K) > 1$ | predominantly positive autocorrelations |
| $VR(K) = 1$ | no autocorrelations |
| $VR(K) < 1$ | predominantly negative autocorrelations: mean reversion |

Notice that the weight term $1 - \frac{j}{K}$ increases as j approaches K^2 .

The asymptotic variance of the variance-ratio statistic, under H_0 (i.i.d. returns), is:

$$Var(\hat{VR}(K)) = \frac{4}{T} \sum_{j=1}^{K-1} \left(1 - \frac{j}{K}\right)^2 = \frac{2(2K-1)(K-1)}{3KT} \xrightarrow{K \rightarrow \infty} \frac{4K}{3T} \quad (1.4)$$

²[Cochrane \(1988\)](#) showed that the estimator of $VR(K)$ can be interpreted in terms of the frequency domain. It is asymptotically equivalent to 2π times the normalized spectral density estimator at the zero frequency, which uses the Bartlett kernel.

When $K \rightarrow \infty$, $T \rightarrow \infty$, and $K/T \rightarrow 0$ (Priestley, 1981, p. 463), the true return process can be serially correlated and heteroskedastic, but the variance of the variance-ratio is still given as:

$$Var(\hat{VR}(K)) = \frac{4K}{3T} \cdot VR(K)^2 \quad (1.5)$$

Notice that this can be quite large with a large $VR(K)$. This is due to the fact that $K/T \rightarrow 0$ is a dangerous assumption because in practice K is often large relative to the sample size. To tackle this, Lo and MacKinlay (1988) develop alternative asymptotics assuming $K/T \rightarrow \delta$ where $\delta > 0$. Through Monte Carlo simulations, they demonstrated that this new distribution is a more robust approximation to the small-sample distribution of the VR statistic. Most current applications of the VR statistic cite $K/T \rightarrow \delta > 0$ as the justification for using Monte Carlo distributions (i.e. set at $K = \delta T$) as representative of the VR statistic's sampling distribution. Some recent challenges of this result are discussed in Section 1.1.3.

To accommodate r_t 's exhibiting conditional heteroskedasticity, Lo and MacKinlay (1988) proposed a heteroskedasticity-robust variance estimation of $VR(K)$ as:

$$Var^*(\hat{VR}(K)) = 4 \sum_{j=1}^{K-1} \left(1 - \frac{j}{K}\right)^2 \cdot \frac{\sum_{t=j+1}^T (r_t - \bar{r})^2 (r_{t-j} - \bar{r})^2}{\left[\sum_{t=1}^T (r_t - \bar{r})^2\right]^2}$$

where $\bar{r} = \frac{1}{T} \sum_{t=1}^T r_t$ is the estimated mean of returns.

1.1.2.3 Regression approach

Fama and French (1988) established a regression approach to test $AR(K)$. The basic idea is to regress the K -period return on the lagged K -period return:

$$r_t(K) = \alpha_K + \beta_K r_{t-K}(K) + \epsilon_t^K$$

The coefficient β_K would then be:

$$\beta_K = \frac{Cov[r_t(K), r_{t-K}(K)]}{Var[r_{t-K}(K)]} = 2 \left[\frac{VR(2K)}{VR(K)} - 1 \right] = \frac{2 \sum_{j=1}^{K-1} \left(\frac{\min(j, 2K-j)}{K} \right) \rho_j}{VR(K)} \quad (1.6)$$

It is clear to see that:

| | |
|---------------|--|
| $\beta_K > 0$ | predominantly positive autocorrelations |
| $\beta_K = 0$ | no autocorrelations |
| $\beta_K < 0$ | predominantly negative autocorrelations: mean reversion |

1.1.3 Extension: Other variance-ratio tests

As summarized by Charles and Darné (2009), the intuition behind the VR test is rather simple, but conducting a statistical inference using the VR test is less straightforward. In this bonus subsection, I briefly summarize some recent development of individual VR tests, multiple VR tests and bootstrapping VR tests. For more detailed discussion, see Charles and Darné (2009) for a review.

1.1.3.1 Individual VR tests

Conventional VR tests, such as the **Lo and MacKinlay** test, are asymptotic tests: their sampling distributions are approximated by their limiting distributions. In practice, the asymptotic theory provides a poor approximation to the small-sample distribution of the VR statistic, which impeded the use of the statistic. In general, the ability of the asymptotic distribution to approximate the finite-sample distribution depends crucially on the value of K . For a large K relative to T , **Lo and MacKinlay (1990)** have proved that the VR statistics are severely biased and right skewed. Several alternative tests try to tackle this issue.

Chen and Deo (2006) Test: they suggested a simple power transformation of the VR statistic when K is NOT too large. This transformation is able to solve the right-skewness problem and robust to conditional heteroskedasticity. They showed that the transformed VR statistic leads to significant gain in power against mean reverting alternative. They define the VR statistic based on the periodogram and this new statistic is precisely the normalized discrete periodogram average estimate of the spectral density of a stationary process at the origin.

Wright (2000) Test: they proposed a non-parametric alternative using signs and ranks. This test outperforms the **Lo and MacKinlay** test in 2 ways:

- (1) As the rank and sign tests have an exact sampling distribution, there is no need to resort to asymptotic distribution approximation.
- (2) The tests may be more powerful against a wide range of models displaying serial correlation, including fractionally integrated alternatives.

The rank-based tests display low-size distortions under conditional heteroskedasticity. One thing to notice is that the sign test assumes a zero drift value, **Luger (2003)** extended this test with unknown drift.

Choi (1999) Test: To overcome the issue that the arbitrary and *ad hoc* choice of K , **Choi (1999)** proposed a data-dependent procedure to determine the optimal value of K . This test is based on frequency domain following **Cochrane (1988)**. However, instead of using Bartlett kernel as **Cochrane**, **Choi** employed the quadratic spectral kernel since it's optimal in estimating the spectral density at the zero frequency.

1.1.3.2 Multiple VR tests

All the tests above are individual tests, where the null hypothesis is tested for an individual value of K . However, to determine whether a time series is a random walk, we need to rule out all possibilities, meaning that for all values of K , the null hypothesis can not be rejected. It is necessary to conduct a joint test where a multiple comparison of VRs over a set of different time horizons is made. However, conducting separate individual tests for a number of K values may lead to over rejection of the null hypothesis. Several tests have been developed for this problem, with the joint null hypothesis $H_0 : \forall K_i, V(K_i) = 1$ against the alternative $H_1 : \exists K_i, V(K_i) \neq 1$

Chow and Denning (1993) Test: This test statistic is defined as

$$MVR_1 = \sqrt{T} \max_{1 \leq i \leq m} |M_1(K_i)|$$

where $M_1(K_i) = \frac{VR(K_i)-1}{\sqrt{2(2K-1)(K-1)/3KT}}$. This is based on the idea that the decision regarding the null hypothesis can be obtained from the maximum absolute value of the individual VR statistics. Then, they applied the Sidak probability inequality and give an upper bound to the critical values taken in the studentized maximum modulus (SMM) distribution. The statistic follows the SMM distribution with m and T degrees of freedom, where m is the number of K values. To accommodate heteroskedasticity, one can change $M_1(K_i)$ into a heteroskedasticity-robust individual VR test.

Whang and Kim (2003) Test: They use a subsampling technique to develop a multiple VR test. When sample size (T) is relatively small, this test outperforms the conventional VR tests, and shows little to no serious size distortions. The statistic is:

$$MVR_T = \sqrt{T} \max_{1 \leq i \leq m} |VR(K_i) - 1|$$

and the sampling distribution function for the MVR_T statistic is asymptotically a maximum of a multivariate normal vector with an unknown covariance matrix, which would be complicated to estimate. Therefore, they proposed to approximate the null distribution by means of the subsampling approach.

For a subsample of size b : (x_t, \dots, x_{t-b+1}) where $t = 1, \dots, T - b + 1$. The statistic MVR s calculated from all individual subsamples would generate a $(1 - \alpha)$ th percentile for the $100(1 - \alpha)\%$ critical value. To implement this subsampling technique, a choice of block length b must be made. **Whang and Kim (2003)** recommended the interval of $(2.5T^{0.3}, 3.5T^{0.6})$, but they also found that the size and power properties of their test are not sensitive to b .

1.2 Autocorrelations in returns: empirical evidence

With the models introduced in Section 1.1.2, the mean reversion in stock returns has been examined empirically over the years. The common ground is that there are autocorrelations, but the directions of autocorrelations are indefinite across different settings.

A brief summary is listed below, and the details are discussed in the corresponding sub-sections.

1.2.1 Positive autocorrelations

Due to the positive cross-autocorrelations among individual stocks, **Stock indexes** have predominantly positive high-frequency autocorrelations.

Lo and MacKinlay (1988, 1990) found that returns on larger and more liquid stocks and subsequent returns on smaller and less liquid stocks are positively cross-autocorrelated.

1.2.2 Negative autocorrelations

1.3 Excess volatility puzzle

[insert text]

1.4 Decomposing prices

[insert text]

1.4.1 Campbell-Schiller decomposition

[insert text]

1.4.2 Lettau-Ludvigson decomposition

[insert text]

1.5 Prediction zoo

[insert text]

1.6 Issues and extensions

[insert text]

1.6.1 Persistency of most regressors

[insert text]

1.6.2 Aggregate predictors without ex-ante choice

[insert text]

1.6.3 Instability in the prediction relation

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In this chapter, I summarize the stylized facts and models of interest rates, and, combining with the time-series and cross-sectional properties of equities, discuss how the term structure of equity can be incorporated into the asset pricing dynamic. Instead of assuming the risk-free rate to be one period, as classic asset pricing models implying in the Euler equations and SDFs, one would expect that an ideal asset pricing model could not only explain the dynamic of equity, but reconcile the property of the term structure of interest rates as well.

The first part of this chapter summarizes studies of risk free bonds and the term structure of this asset class.

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In this chapter, I summarize the learning in empirical finance. This is one of the most cutting-edge research area now.

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In this chapter, I summarize the

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BIBLIOGRAPHY

- George EP Box and David A Pierce. Distribution of residual autocorrelations in autoregressive-integrated moving average time series models. *Journal of the American statistical Association*, 65(332):1509–1526, 1970.
- John Y Campbell. *Financial decisions and markets: a course in asset pricing*. Princeton University Press, 2017.
- Amélie Charles and Olivier Darné. Variance-ratio tests of random walk: an overview. *Journal of Economic Surveys*, 23(3):503–527, 2009.
- Willa W Chen and Rohit S Deo. The variance ratio statistic at large horizons. *Econometric Theory*, pages 206–234, 2006.
- In Choi. Testing the random walk hypothesis for real exchange rates. *Journal of Applied Econometrics*, 14(3):293–308, 1999.
- K Victor Chow and Karen C Denning. A simple multiple variance ratio test. *Journal of Econometrics*, 58(3):385–401, 1993.
- John H Cochrane. How big is the random walk in gnp? *Journal of political economy*, 96(5):893–920, 1988.
- Eugene F Fama and Kenneth R French. Permanent and temporary components of stock prices. *Journal of political Economy*, 96(2):246–273, 1988.
- Andrew W Lo and A Craig MacKinlay. Stock market prices do not follow random walks: Evidence from a simple specification test. *The review of financial studies*, 1(1): 41–66, 1988.
- Andrew W Lo and A Craig MacKinlay. When are contrarian profits due to stock market overreaction? *The review of financial studies*, 3(2):175–205, 1990.
- Richard Luger. Exact non-parametric tests for a random walk with unknown drift under conditional heteroscedasticity. *Journal of Econometrics*, 115(2):259–276, 2003.

- Burton G Malkiel. Efficient market hypothesis. In *Finance*, pages 127–134. Springer, 1989.
- Burton G Malkiel and Eugene F Fama. Efficient capital markets: A review of theory and empirical work. *The journal of Finance*, 25(2):383–417, 1970.
- James M Poterba and Lawrence H Summers. Mean reversion in stock prices: Evidence and implications. *Journal of financial economics*, 22(1):27–59, 1988.
- Maurice Bertram Priestley. *Spectral analysis and time series: probability and mathematical statistics*. Number 04; QA280, P7. 1981.
- Hersh Shefrin and Meir Statman. The disposition to sell winners too early and ride losers too long: Theory and evidence. *The Journal of finance*, 40(3):777–790, 1985.
- Yoon-Jae Whang and Jinho Kim. A multiple variance ratio test using subsampling. *Economics Letters*, 79(2):225–230, 2003.
- Jonathan H Wright. Alternative variance-ratio tests using ranks and signs. *Journal of Business & Economic Statistics*, 18(1):1–9, 2000.