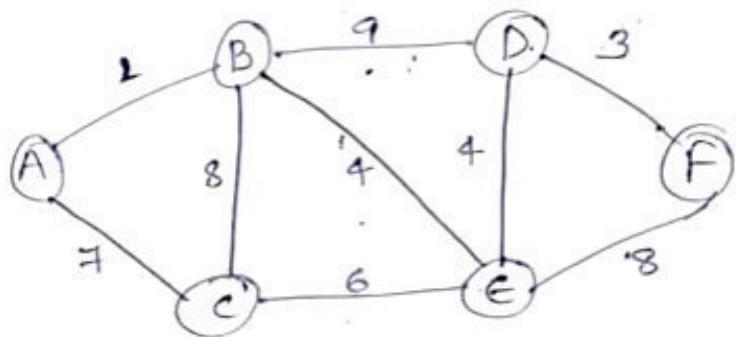
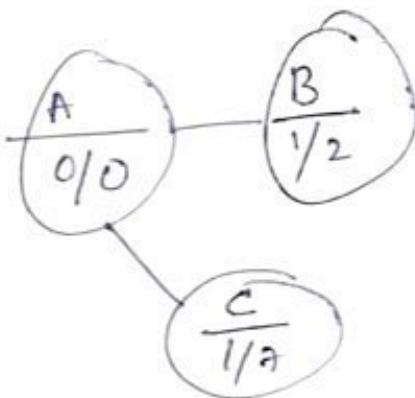


Task 1



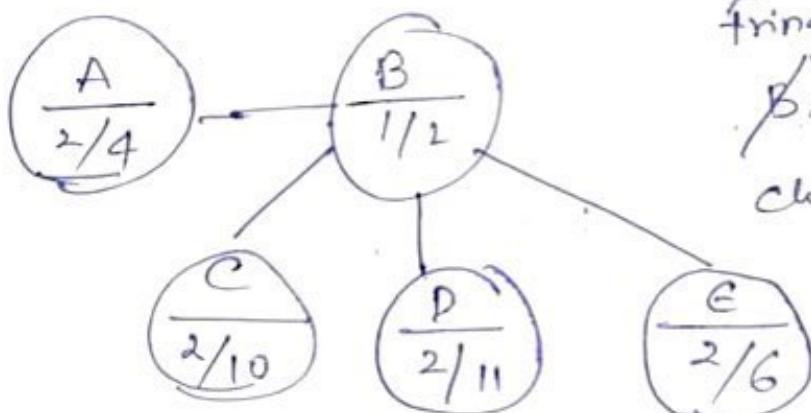
Breadth first Search

Expand node A \Rightarrow



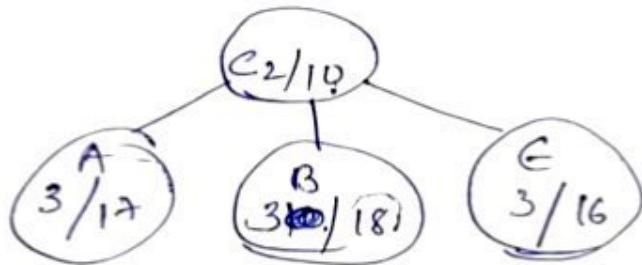
Fringe: - A, B, C
closed set - A

\Rightarrow Next expand B as the element is present in fringe



Fringe:-
B, C, A, C, E | D
closed set: A, B,

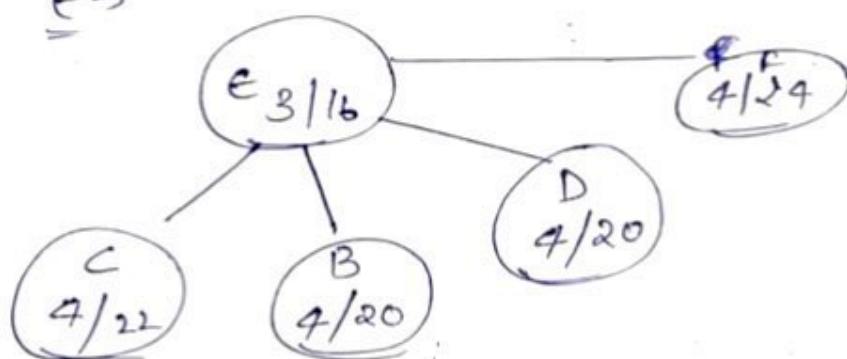
C →



fringe :-
~~A, B, C~~, E, D, A, B - E

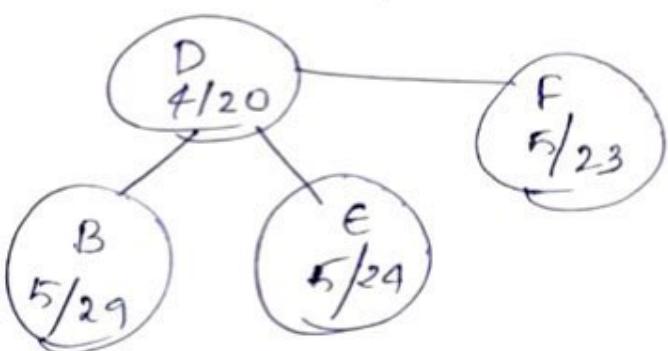
closed set - A, B, C

E →



fringe
~~A, B, C, E~~, D, E, F.

closed set
~~A, B, C, E~~.

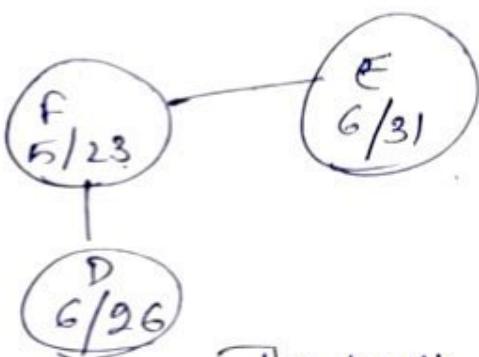


fringe

~~A, B, C, E, F~~, D, E, F.

closed set

D, B, C, E, F,



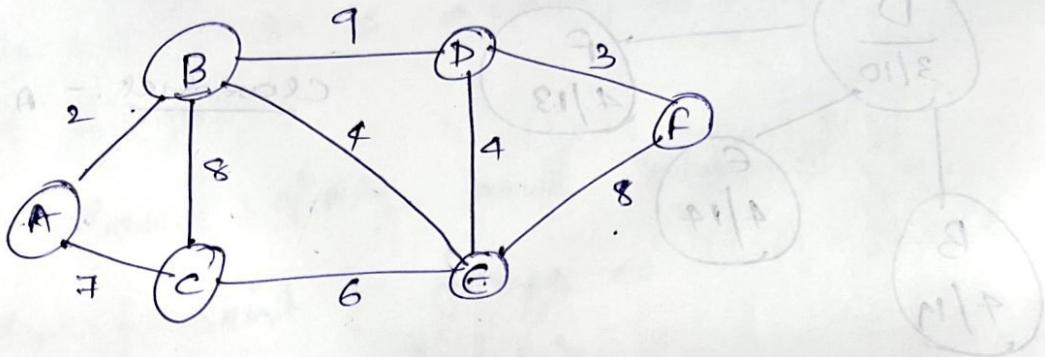
fringe

~~A, B, C, E, F~~, D

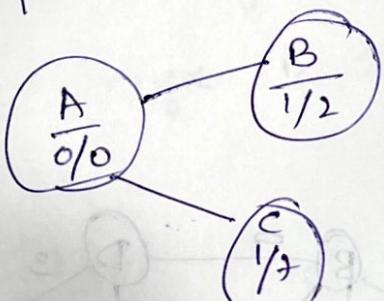
closed set \Rightarrow A, B, C, E, D, F.

The path from start \rightarrow A to end F is
 $A \rightarrow B \rightarrow C \rightarrow E \rightarrow D \rightarrow F$.

depth-first-search [LIFO]



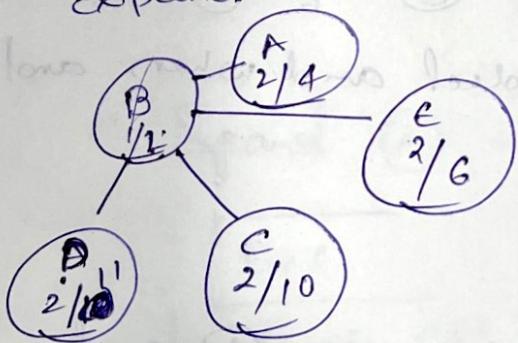
Expand node A :-



Fringe:- B,C

closed set :- A

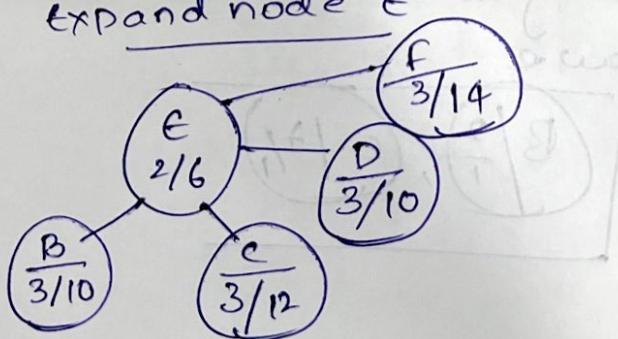
Expand node B :-



Fringe:- E,A,C,B,C,F

closed set :- A,B

expand node E :-



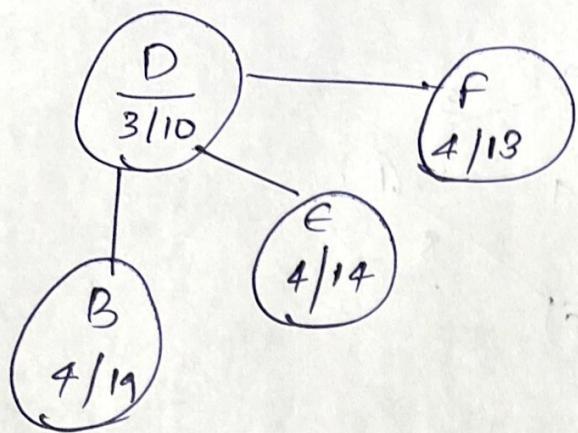
Fringe :- F,F,B,C,F,A,C,D,B,C

closed set :- A,B,E,D.

Expand node D

Fringe:-

F, E, B, D, F, B, C, A C D B C A

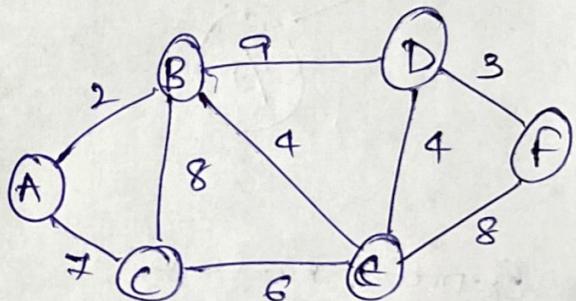
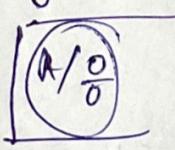


Closed list :- A, B, E, D, F.

The DFS Path is A B E D F

• Iterative deepening search.

Add A to fringe

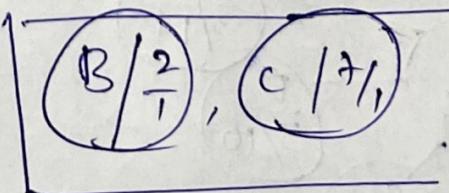


on the graph
pop A and nothing is added and when and
the fringe is empty at 0.

It!

Add A

As we visited A we need to pop A and
then write the connecting nodes to A so
now in fringe we have



Now we expand C.

So while we take C and we add nothing to fringe

Closed : {A} and Expand (B)

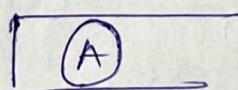
Now B also present in fringe as it is already visited by A and closed : {A}.

Fringe is empty and search failed.

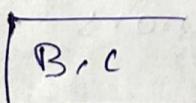
It 2:-

For the iterative deepening search

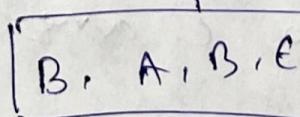
Add (A) to fringe



Expand (A) and successors to fringe and



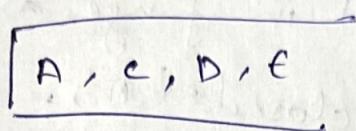
and B, C are connected to A and expand
① so on Expand and then add its successors



Closed set : {A, C}

expand E, expand B expand A and then
is added to fringe.

Expand B and now we need to add its
successors.

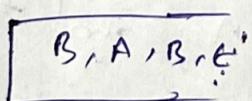


Expand E, expand D, expand C expand A,
in in in in
and add nothing to fringe.

on the 2^t 3:-

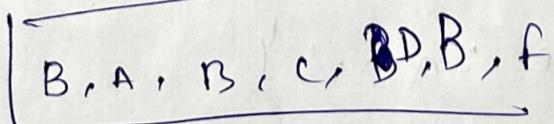
Add A and add the successors of A to
fringe
c.s.m = q(A)

Expand C and add its successors to fringe



where we add ~~(A, C)~~ (A, C)

we have the nodes to C are B, A, E

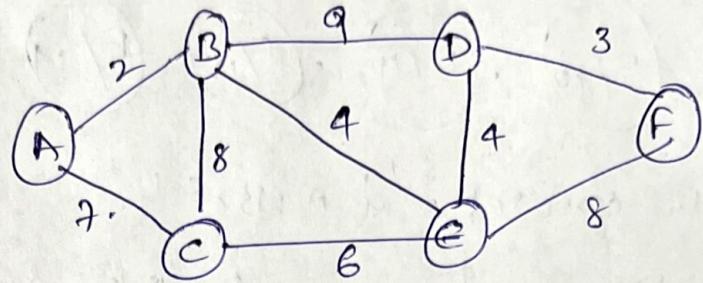


c.s.m = q(A, C, E)

the final F is the goal state

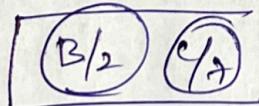
$$A \rightarrow C \rightarrow E \rightarrow F$$

④ uniform cost search



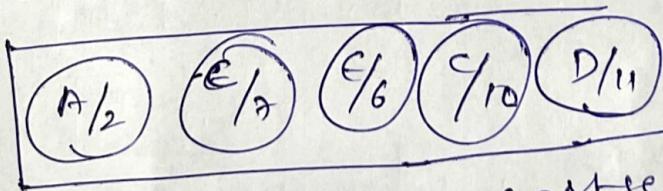
For the given graph of uniform cost search, the fringe is sorted based on the cumulative cost we will start A as it is the start point Add A to fringe and we just connect the joints or linking to nodes that are B and C.

On expanded A



and now the cost set B/A

Now we expand B and add successors so we have B and C will go with B. to B



cost set is d A, B's.

~~as~~ as the A is already in fringe we need to pop A. cost set d A, B's

Now expand E and add the successors.



Now the cost set = {A, B, E, G}.

Pop E/7 and generate its successors.

C/10, D/11, C/12, D/10, F/14, A/14, B/15, G/13

and the cost set = {A, B, E, G}.

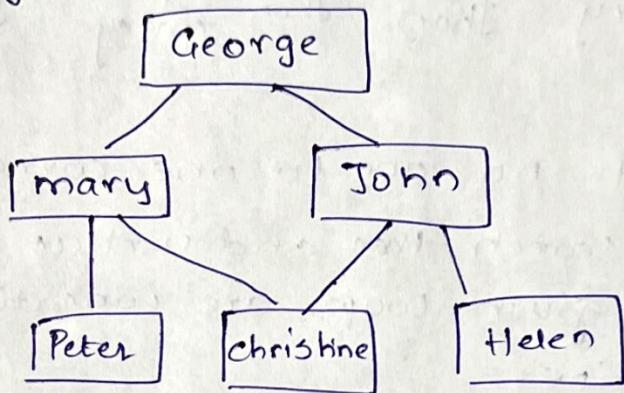
and we need to pop the elements in fringe
pop C/10, D/11, C/12, E/13, F/14 and we know

the final goal is F.

The order is A → B → E → D → F.

Task-2

Given a Social network graph (SNG) is a graph where each vertex is a person and each edge represents an acquaintance and the given graph is

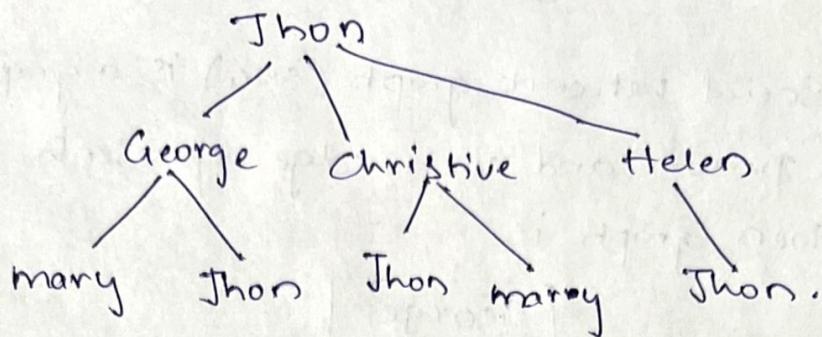


i) from the among general tree search tree, using breadth first search, depth-first search, iterative deepening search. The degree of separation between connected two people can found by Breadth-first Search, as this search results in optimal solution path towards the goal. We cannot guarantee the finding correct number of degree of separation of any two people, By using depth-first search. The DFS will loop infinitely to searching goal node so, we cannot use DFS.

By using Iterative deepening Search, we can find the correct number of degree of separation, because the iterative will search for the shortest path which will lead to optimal solution.

If we use uniform cost search, we can find the number of separation because of its optimal solution by searching shortest node.

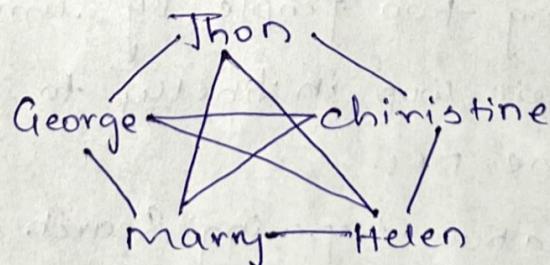
ii) let us take Jhon as starting point,



iii) No, there is no one-to-one correspondence between nodes in the search tree and vertices in the SNA. The reason is the given loops are connecting i.e., Jhon, mary, christine.

iv) An SNA containing exactly 5 people, where at least two people have 4-degree of separation between them is
Jhon — George — christine — mary — Helen.

v) An SNA containing 5 people, where all people have 1 degree of separation between them is

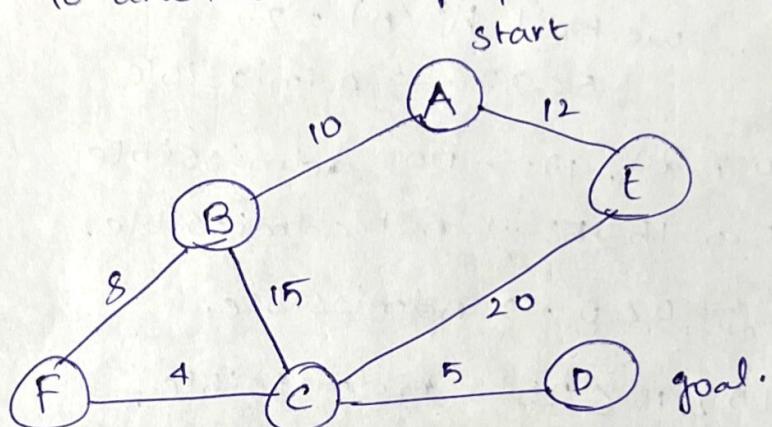


vi) In an implementation of breadth-first tree search for finding degree of separation, suppose that every node in the search tree takes of 1KB of memory at each node and there are millions and millions of people. This leads to much memory constraint.

BFS will avoid nodes that visited previously, then it can be retrieved in closed set to achieve one to one correspondance goal node.

Task-3

A search problem showing states and costs of moving from one state to another. the graph is



By modifying heuristic we can admissible for given fig

$$h^*(A)$$

$$A \rightarrow B \rightarrow F \rightarrow C \rightarrow D \\ 10 + 8 + 4 + 5 = 27$$

$$h^*(E)$$

$$E \rightarrow C \rightarrow D \\ 20 + 5 = 25$$

$$h^*(B)$$

$$B \rightarrow F \rightarrow C \rightarrow D \\ 8 + 4 + 5 = 17$$

$$h^*(F)$$

$$F \rightarrow C \rightarrow D \\ 4 + 5 = 9$$

$$h^*(C)$$

$$C \rightarrow D \\ 5 = 5$$

$h(n)$ is admissible if
 $h(n) \leq h^*(n)$

$$h^*(D) = 0$$

Heuristic 1:

$$h(A) = 5$$

$$h(B) = 20$$

$$h(C) = 15$$

$$h(D) = 0$$

$$h(E) = 10$$

$$h(F) = 0$$

$$h(A) = 5, \text{ we had } h^*(A) = 27$$

$$5 \leq 27 \rightarrow \text{Admissible}$$

$$h(B) = 20; 20 \geq 17 \rightarrow \text{not admissible.}$$

$$h(C) = 15; 15 \geq 15 \rightarrow \text{not admissible.}$$

$$h(D) = 0; 0 \leq 0 \rightarrow \text{Admissible.}$$

$$h(E) = 10; 10 \leq 25 \rightarrow \text{Admissible.}$$

$$h(F) = 0; 0 \leq 9 \rightarrow \text{Admissible.}$$

In heuristic 1. $h(C)$ is not admissible because of Over cost estimation.

Heuristic 2:-

$$h(A) = 45$$

$$h(B) = 45$$

$$h(C) = 45$$

$$h(D) = 45$$

$$h(E) = 45$$

$$h(F) = 45$$

$$h(A) = 45 \geq 27$$

$$h(B) = 45 \geq 17$$

$$h(C) = 45 \geq 5$$

$$h(D) = 45 \geq 0$$

$$h(E) = 45 \geq 25$$

$$h(F) = 45 \geq 9$$

not admissible because of over cost Estimate.

Heuristic-3

$$h(A) = 10$$

$$h(B) = 15$$

$$h(C) = 0$$

$$h(D) = 0$$

$$h(E) = 25$$

$$h(F) = 5.$$

Solution

$$h(A) = 10 \leq 27$$

$$h(B) = 15 \leq 17$$

$$h(C) = 0 \leq 5$$

$$h(D) = 0 \leq 0$$

$$h(E) = 25 \leq 25$$

$$h(F) = 5 \leq 9.$$

Heuristic-3 is admissible as it satisfy

$$h(n) \leq h^*(n)$$

Heuristic-4 :-

$$h(A) = 0$$

$$h(B) = 0$$

$$h(C) = 0$$

$$h(D) = 0$$

$$h(E) = 0$$

$$h(F) = 0$$

Sol

$$h(A) = 0 \leq 27$$

$$h(B) = 0 \leq 17$$

$$h(C) = 0 \leq 5$$

$$h(D) = 0 \leq 0$$

$$h(E) = 0 \leq 25$$

$$h(F) = 0 \leq 9$$

This is admissible as it satisfy $h(n) \leq h^*(n)$.

Task- 4

Consider a search space, according to given conditions

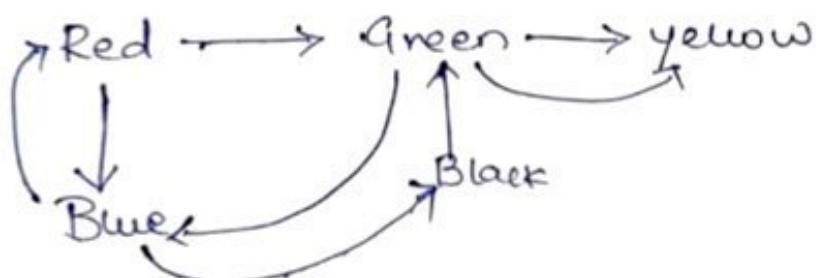
Red states can only have green or blue children

Blue states can only have red or black children

Green states can only have blue or yellow children

Yellow states can only have yellow or red children

Black states can only have green or black children.



Heuristic will be as

$$h(\text{Red}) = 2$$

$$h(\text{Blue}) = 1$$

$$h(\text{Green}) = 2$$

$$h(\text{Yellow}) = 3$$

$$h(\text{Black}) = 0.$$

Task . 5

According to given maps where all towns are on a grid and on each town T has coordinates where we have t_i and t_j and it follows as

and now for A^* we can search $f(n)$ and it will be addition of $g(n)$ and $h(n)$ where

$f(n) = g(n) + h(n)$ and now we have figure 4 and figure 5 so, let us take figure 4.

when source and destination that are irregular and A^* will expand more number of nodes when than greedy on same case.

Source \rightarrow destination so,
 $(3,3)$

greedy $\Rightarrow (1,1), (1,2), (2,2), (3,2), (3,3)$ where as we take $A^* \Rightarrow (1,1), (1,2), (2,1), (2,2), (2,3)$ and $(3,2), (3,3)$. where in some as A^*

now the greedy always performs more or equal as A^* search.

Figure - 5

From the given map either and on partially connected grid. and we can tell that greedy is abnormal. well and the condition it gone perform sometimes and same as. If source is (3,1) and destination as (3,3). In this case greedy will take much longer time and A^* because of it gone perform loop and In other case, let take (3,6) and (5,8) as source & destination here the things will expand more number of nodes and than greedy. Here will expand more number of nodes than greedy. so, greedy is better than A^* in this case. In other case consider (0,4) as source & (0,7) as destination. In this case both will perform same. So, based on source and destination it varies between A^* and greedy search.