

Statistics

Descriptive Stats vs Inferential Statistics.

- | | |
|----------------------------------|---------------------------------|
| 1. Measures of central tendency | 1. Hypothesis testing |
| 2. Measures of variability | 2. Confidence intervals |
| 3. Skewness - Symmetry | 3. Analysis of Variance (ANOVA) |
| 4. Kurtosis - | 4. Z test |
| 2) Variance, Standard deviation. | 5. T test. |

Sampling techniques

- Simple Random Sampling
- Stratified Sampling
- cluster sampling
- Systematic sampling
- Convenience Sampling

Types of Variables :-

1) Quantities - Measure of Numeric

- Continuous & discrete

2) Qualitative - Measure of Categories

Descriptive Statistics :-

1, Mean, 2, Mode, 3, Median,

$$\rightarrow \{2, 3, 2\} = \text{Mean} = \frac{2+3+2}{3} = 2.8$$

Median

$$\Rightarrow \{1, 2, \underline{3}, 4\}$$

if

$$= \frac{2+3}{2} = \frac{5}{2} = 2.5 \rightarrow \text{Median}$$

$$\text{if \#2} \Rightarrow \left\{ \underset{1}{1}, \underset{1}{2}, \underset{1}{3}, \underset{1}{4}, \underset{1}{5} \right\}$$

$$= \{3\} \rightarrow \text{Median}$$

Mode \rightarrow categorical data

Mode - Most repeated element
 $\{a, a, b, b, b, b, c\}$

$= \underline{b}$

* \rightarrow whenever we have out lies in data then we will go with Median.

* whenever i have categorical data we will use Mode.

- * Variance

$$V = \sum_{i=1}^n (x_i - \bar{x})^2$$

\downarrow
Mean of Sample

$$x = \{1, 2, 3, 4, 5\}$$

$$\bar{x} = \frac{(1+2+3+4+5)}{5}$$

$$V = \sum_{i=1}^n \frac{(x_i - \bar{x})^2}{n-1}$$

$$\bar{x} = 3$$

$$= \frac{(1-3)^2 + (2-3)^2 + (3-3)^2 + (4-3)^2 + (5-3)^2}{5-1}$$

$$= \frac{4 + 1 + 0 + 1 + 4}{5-1} = \frac{10}{4} = 2.5$$

$$V = \underline{2.5}$$

Standard deviation !

$$= \sqrt{V}$$

Skewness :-

Kurtosis :- Measures the peakedness or flatness of a distribution. It provides info about the presence of outliers or extreme values in dataset.

* Normal distribution :-

- when the data is symmetric to both sides then that distribution is called Normal distribution.

Standard Normal distribution !

if $\mu=0$; $SD=1$ then we can say that our data is Standard Normal distribution

Day - 15 - Python:

- 1) why numpy?
- 2) why pandas
- 3)

* Measure of central tendencies
↳ Mean, Median, Mode.

+ Percentile

- At what particular percentile my value is present at?

$$\text{Percentile} = \frac{(\#) \text{ Number of values below } x}{n} \times 100$$

$$\begin{aligned} \text{Ex 1 - } n &= \{1, 2, 5, 6, 10\} \\ &= \frac{6}{10} \\ &= \frac{3}{5} \times 100 = 60\% \end{aligned}$$

$$\text{percentile} = 0.6\%$$

- what if he gives percentile and we have to know the element.

Ex:- 75% ?

$$\{2, 5, 5, 7, 8, 9, 10\}$$

$$\text{Value} = \frac{\text{Percentile} \times (n+1)}{100}$$

$$= \frac{75}{100} \times (8) = 6$$

6 is index of given element

$$\frac{75}{100} \times 8 = \frac{9}{2} = 4.5 = 5$$

*

5- Number Summary:

{ 1 ^{25% Med} 5 7 8 9 }

1) Min - (1) minimum Value

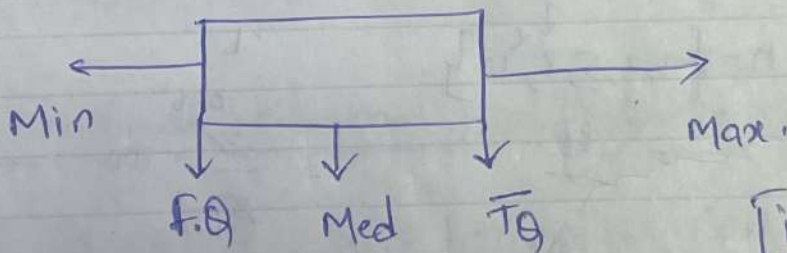
2) first quartile $\rightarrow 25\% - (2) \Rightarrow 5$

3) Median - 7

4) third quartile - 8.

5) Max - 9.

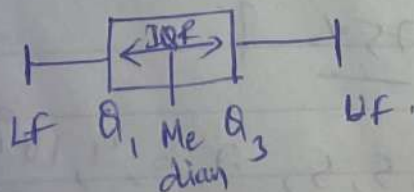
We will do our Box plot with this.



[iqr = Inter Quartile Range]

Lower fence $\Rightarrow Q_1 - 1.5 \times iqr$

Upper fence $\Rightarrow Q_3 + 1.5 \times iqr$. [$\because iqr = Q_3 - Q_1$]



Standard Normal Distribution.

$$Z = \frac{x_i - \mu(\text{Mean})}{\sigma \text{ (S.D.)}}$$

N.D \rightarrow S.N.D

Day - 17 - python

Questions :- How to choose Datastructures

\rightarrow lambda function

\rightarrow oops, class, object, Inheritance, polymorphism

Encapsulation

\rightarrow why numpy!

\rightarrow why panda!

* probability.

Empirical Rule

68	95	99.7
68% of data lies in 1st S.D	95% data lies in 2nd S.D	99.7% data lies in 3rd S.D
($\pm 1\sigma$)	S.D	S.D

Z Score

Probability - Measure of likelihood of an event

Ex:- Roll of Dice $\{1, 2, 3, 4, 5, 6\}$

$$P(4) = \frac{1}{6}$$

$$P(1) = \frac{1}{6}$$

Toss of a Coin $\{H, T\}$

$$P(H) = \frac{1}{2}, \quad P(T) = \frac{1}{2}$$

Additive Rule $P(A \text{ or } B)$

$$\{H, T\} \xRightarrow{\text{As we know}} P(H) \rightarrow \frac{1}{2}$$

$$P(T) = \frac{1}{2}$$

what is $P(H \text{ or } T) \Rightarrow P(H) + P(T)$

$$= \frac{1}{2} + \frac{1}{2}$$

$$P(H \text{ or } T) = 1$$

Mutually Exclusive Events:

In a Dice.

→ Is it possible to get 1 at the same time when we get 6?

→ Answer to this question is No wrong ×

for example we can take coin

- So what if we want to get H & T at same time?

- Answer would be No wrong × again

Non-Mutually Exclusive Events

for Example

Deck of cards [52]

$P(Q) \neq P(\heartsuit)$ i.e; $P(Q \neq \heartsuit)$?

is it possible to get both at same time?

→ Answer to this question is yes ✓ we can

this type of events are called Non Mutual Exclusion events.

for mutual Exclusive.

what is $P(Q) = \frac{4}{52}$

and $P(M) = \frac{13}{52}$

$P(Q \text{ or } M) = \frac{4}{52} + \frac{13}{52}$
 $= \frac{17}{52}$

and $P(Q \text{ and } M) = \frac{1}{52}$

Non-Mutual Exclusive

$$P(Q \text{ or } M) = P(Q) + P(M) - P(Q \text{ and } M)$$

$$= \frac{4}{52} + \frac{13}{52} - \frac{1}{52} = \frac{16}{52}$$

Conditional probability :-

Dependent event :-

Permutation of Combination

$${}^n P_r = \frac{n!}{(n-r)!}$$

$$n=6; r=3$$

(creating a pair of 3 elements)

$\{a, b, c, d, e, f\}$



$${}^n P_r = \frac{6 \times 5 \times 4 \times 3 \times 2 \times 1}{3 \times 2 \times 1}$$

$$= 120$$

So we can have 120 permutations from

Ex :- $\rightarrow abc$

cba

deb

aeb

\vdots

Combination :- The main difference b/w permutation of combination is there is no chance of repetition like what we see in permutations.

= {a, b, c, d, e, f}

$$\therefore nC_r = \frac{n!}{r!(n-r)!}$$

$$n=6; r=3 = \frac{\cancel{6} \times 5 \times 4 \times \cancel{3} \times \cancel{2} \times 1}{\cancel{3} \times \cancel{2} \times 1}$$

$$= 5 \times 4$$

$$= 20$$

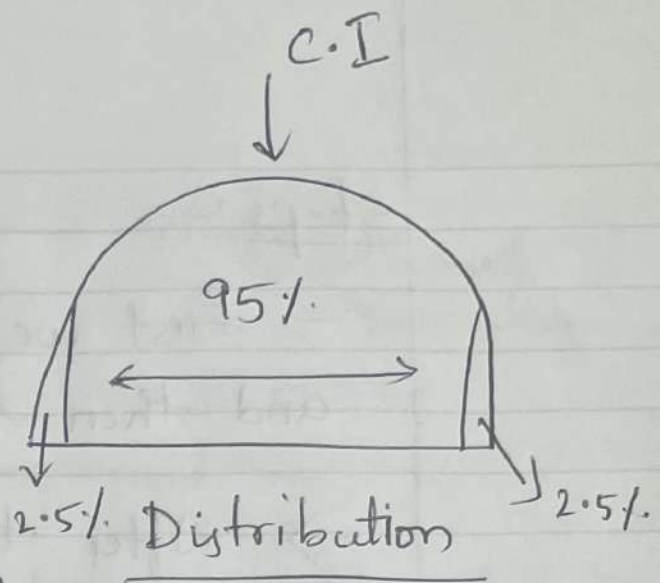
So we can get 20 combinations

Inferential Statistics :-

- Drawing conclusions or making predictions about larger dataset based on sample data.

Hypothesis testing :-

- Confidence Interval. (C.I)
- Significance value
- Null hypothesis $\Rightarrow H_0$
- Alternate Hypothesis $\Rightarrow H_A$
- P-value. C.I = 95%.



$$\text{Significance Value} = 1 - \frac{\text{C.I}}{100} \\ = 1 - 0.95 \\ \text{S.V } (\alpha) \text{ value} = 0.05$$

Next checking the P value

if probability of touching at 2.5% is 0.01

and the α value = 0.05

we will check $(P < \alpha)$ in our case.

$$0.01 < 0.05$$

it satisfies the condition.

then we will reject our Null hypothesis.

Steps:-

- first we create our Null Hypothesis and then Alternate Hypothesis.
- After that we will define our Significance Value. ~~and~~ and p value (after conducting some tests),
- And Based on that p value we will decide which one to choose.

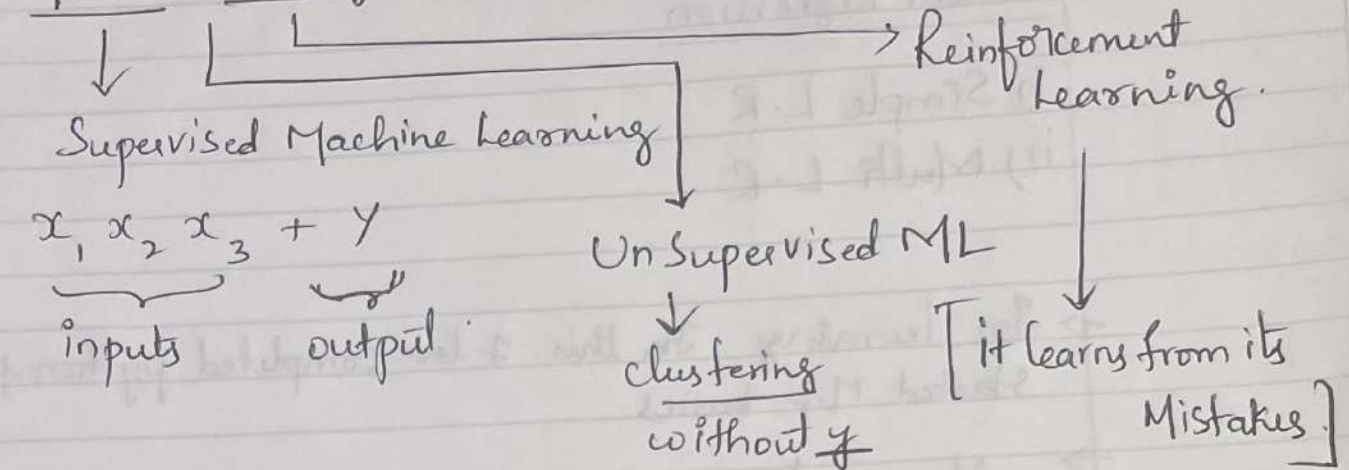
Different Kind of tests!

- 1) One Sample T-test
- 2) One Sample Z-test
- 3) One Sample proportion test.
- 4) Two Sample T-test
- 5) Two Sample Z-test
- 6) Two Sample proportion test.
- 7) paired-T test
- 8) Anova-test
- 9) Chi-Square test.
- 10) 1 tail & 2 tail test.

ML
Deep learning
At NLP

Day-18 :-

Machine Learning



Supervised M.L :-

- If my output ~~data~~ Variable is Continuous then it is Regression problem.
- If my O/p Variable is discrete then it is Classification problem.

- we have two different Models

- Parametric models
- Non parametric Models

i) P.M's

- Linear Regression $\rightarrow R$
- Logistic Regression $\rightarrow C$

ii) Non P.M's

- Decision tree (DT)
- Random forest (RF)
- Support Vector Machine (SVM)
- Ada Boost, Extra Variant boost