import pandas as pd
import numpy as np
import seaborn as sns
import matplotlib.pyplot as plt
from sklearn.preprocessing import LabelEncoder
from scipy.stats import zscore

df = pd.read\_csv('/content/synthetic\_wire\_quality\_dataset.csv', encoding='ISO-8859-1')
df.head(5)

	Temperature (°C)	Tension $(N/m^2)$	Diameter (MM)	Wire_Quality	$\blacksquare$
0	232.322026	246.712088	1.248268	Defective	ıl.
1	257.278405	219.049672	0.680203	Defective	
2	240.414506	127.439836	0.889023	Good	
3	231.732477	241.011013	0.537600	Defective	
4	213.548220	192.878419	0.511788	Good	

We remove the degree symbol in our temperature column

```
df = df.replace('o', '', regex=True)
#save the new dataset without the symbol
df.to_csv('/content/sample_data/synthetic_wire_quality_dataset.csv', index=False)
df.head(5)
```

	Temperature (°C)	Tension (N/m²)	Diameter (MM)	Wire_Quality	$\blacksquare$
0	232.322026	246.712088	1.248268	Defective	ıl.
1	257.278405	219.049672	0.680203	Defective	
2	240.414506	127.439836	0.889023	Good	
3	231.732477	241.011013	0.537600	Defective	
4	213.548220	192.878419	0.511788	Good	

#finding null values
df.isnull()

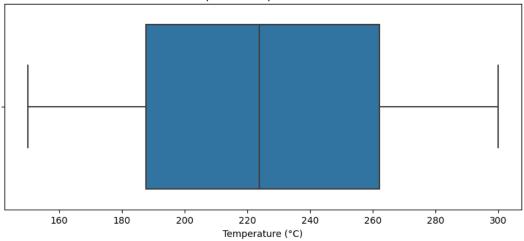
#here we fill the missing values (numerical) with the mean of respective columns
df.fillna(df.mean(numeric\_only=True), inplace=True)

#finding whether there are null values in the table after filling with default mean of that column
df.isnull()

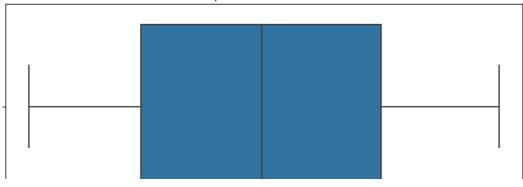
	Temperature (°C)	Tension $(N/m^2)$	Diameter (MM)	Wire_Quality	-
0	False	False	False	False	ılı
1	False	False	False	False	
2	False	False	False	False	
3	False	False	False	False	
4	False	False	False	False	
4995	False	False	False	False	
4996	False	False	False	False	
4997	False	False	False	False	
4998	False	False	False	False	
4999	False	False	False	False	
E000	41				

```
#Data transformaton using minMax scaler(first we encode categorical data)
from sklearn.preprocessing import MinMaxScaler
le = LabelEncoder()
df['Wire_Quality'] = le.fit_transform(df['Wire_Quality'])
scaler = MinMaxScaler()
df_scaled = pd.DataFrame(scaler.fit_transform(df), columns=df.columns)
#check for outliers
df_zscore = df.apply(zscore)
outliers = df_zscore[(df_zscore > 3).any(axis=1)]
print(outliers)
    Empty DataFrame
    Columns: [Temperature (°C), Tension (N/m²), Diameter (MM), Wire_Quality]
    Index: []
#Box plot to show outliers
for column in df.columns:
   plt.figure(figsize=(10, 4))
    sns.boxplot(x=df[column])
    plt.title(f'Boxplot of {column}')
    plt.show()
```

## Boxplot of Temperature (°C)



## Boxplot of Tension (N/m2)



Describing the properties of the table

df.describe()

E	Wire_Quality	Diameter (MM)	Tension (N/m²)	Temperature (°C)	
	5000.000000	5000.000000	5000.000000	5000.000000	count
	0.493000	0.990627	298.378756	224.545634	mean
	0.500001	0.288774	116.038883	43.371185	std
	0.000000	0.500166	100.060152	150.010867	min
	0.000000	0.743306	195.461207	187.639905	25%
	0.000000	0.988506	298.014497	223.859457	50%
	1.000000	1.241497	399.555646	262.109600	75%
	1.000000	1.499962	499.991181	299.994603	max
					1

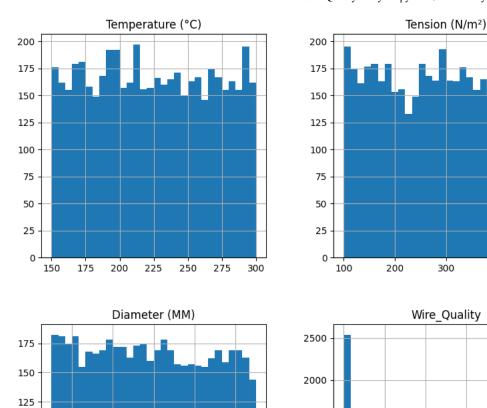
#plotting the histogram for each colmn in the dataset
import matplotlib.pyplot as plt

df.hist(bins=30, figsize=(10, 10))
plt.show()

300

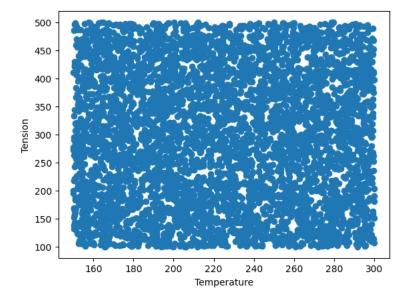
400

500



1500

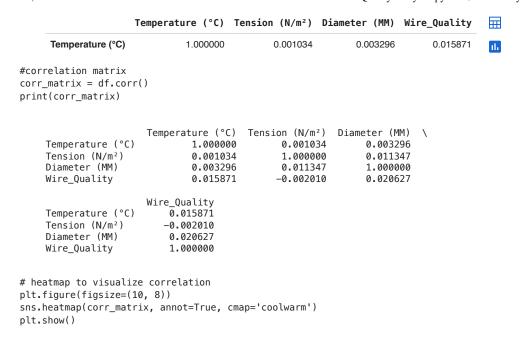
#graph plot between temperature and tension plt.scatter(df['Temperature (°C)'], df['Tension  $(N/m^2)$ ']) plt.xlabel('Temperature')
plt.ylabel('Tension') plt.show()

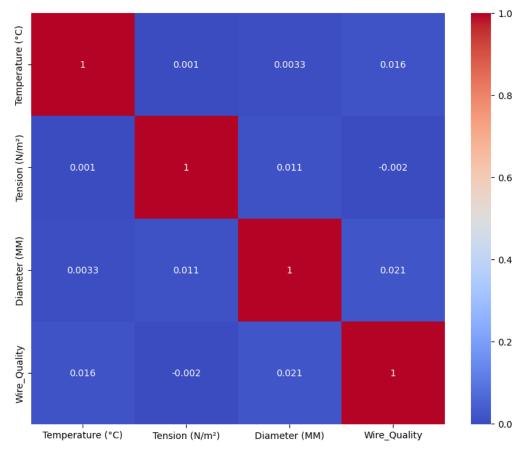


### Feature Engineering

100

#finding the relation between each coulmn in the column df.corr()





## Model selection

Splitting the training(80%) and testing(20%) data

```
from sklearn.model_selection import train_test_split
X = df.drop('Wire_Quality', axis=1)
y = df['Wire_Quality']

X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)
x1=X_train.head(20)
```

```
yı=y_traın.nead(20)
print(y1,x1)
     4227
     4676
             0
     800
             0
     3671
             0
     4193
             1
     2968
             0
     4793
             0
     4368
             1
     2776
             0
     2970
             1
     3867
             1
     1743
             0
     3948
             1
     3802
             0
     2024
             0
     2274
             0
     99
             1
     4921
             1
     3407
             1
     4245
           Wire_Quality, dtype: int64
                                              Temperature (°C) Tension (N/m²) Diameter (MM)
     Name:
                 257.246449
                                  415.629548
                                                    1.015412
     4227
     4676
                 156.370380
                                  321.538336
                                                    0.523348
     800
                 155.998920
                                  474.963029
                                                    0.770570
     3671
                 296.370553
                                  420.126227
                                                    0.575700
     4193
                 238,663794
                                  349.802856
                                                    1.437958
     2968
                 170.219245
                                  191.798939
                                                    1.028894
     4793
                 188.598705
                                  266.625353
                                                    1.001927
     4368
                 213.408329
                                  466.449689
                                                    1.283015
                                  480.665142
     2776
                 265.671915
                                                    0.653538
     2970
                 202.655205
                                  142.655860
                                                    0.659007
     3867
                 231.123828
                                  245.070997
                                                    1.169638
     1743
                 264.288977
                                  387.063571
                                                    0.671866
     3948
                 167.567680
                                  366.715601
                                                    0.819517
     3802
                 200.126640
                                  220.786503
                                                    1.413968
                                                    1.269066
     2024
                 277,910424
                                  436.565044
     2274
                 191.951820
                                  435.749146
                                                    1.397072
     99
                 150.704321
                                  242.613810
                                                    1.351593
     4921
                 280.242059
                                  467.846519
                                                    0.701786
                                  364.890963
     3407
                 212.818273
                                                    0.559498
     4245
                 172.775741
                                  391,003260
                                                    0.864542
```

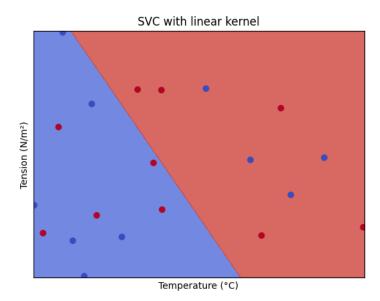
# Support Vector Machine

```
from sklearn.svm import SVC
#SVM model
svm = SVC()
# Train the model
svm.fit(X_train, y_train)
# Make predictions on the test set
y_pred_svm = svm.predict(X_test)
Metrics for the Support Vector Machine model
from sklearn.metrics import accuracy_score, precision_score, recall_score, f1_score
# Calculate metrics for the SVM model
accuracy_svm = accuracy_score(y_test, y_pred_svm)
precision_svm = precision_score(y_test, y_pred_svm)
recall_svm = recall_score(y_test, y_pred_svm)
f1_svm = f1_score(y_test, y_pred_svm)
print('Support vector machine:')
print('Accuracy=',accuracy_svm)
print('Precision=',precision_svm)
print('Recall=',recall_svm)
print('F1 Score=',f1_svm)
```

```
Support vector machine:
Accuracy= 0.514
Precision= 0.4891304347826087
Recall= 0.18672199170124482
F1 Score= 0.2702702702703
```

SVC with linear kernel decision boundary plotting

```
from sklearn.decomposition import PCA
from sklearn.svm import SVC
#SVM model
svm = SVC(kernel='linear', C=1.0)
pca = PCA(n_components=2)
X_train_pca = pca.fit_transform(x1)
#X_train_pca with features reduced to 2 dimensions
svm.fit(X_train_pca, y1)
h = .02 #mesh step size
#here we create a mesh to plot in
x_min, x_max = X_train_pca[:, 0].min() - 1, X_train_pca[:, 0].max() + 1
y_{min}, y_{max} = X_{train_pca}[:, 1].min() - 1, X_{train_pca}[:, 1].max() + 1
xx, yy = np.meshgrid(np.arange(x_min, x_max, h), np.arange(y_min, y_max, h))
#point in the mesh [x_min, x_max]x[y_min, y_max].
Z = svm.predict(np.c_[xx.ravel(), yy.ravel()])
#place result into a color plot
Z = Z.reshape(xx.shape)
plt.contourf(xx, yy, Z, cmap=plt.cm.coolwarm, alpha=0.8)
#Plot also the training points
plt.scatter(X_train_pca[:, 0], X_train_pca[:, 1], c=y1, cmap=plt.cm.coolwarm)
plt.xlabel('Temperature (°C)')
plt.ylabel('Tension (N/m²)')
plt.xlim(xx.min(), xx.max())
plt.ylim(yy.min(), yy.max())
plt.xticks(())
plt.yticks(())
plt.title('SVC with linear kernel')
plt.show()
```

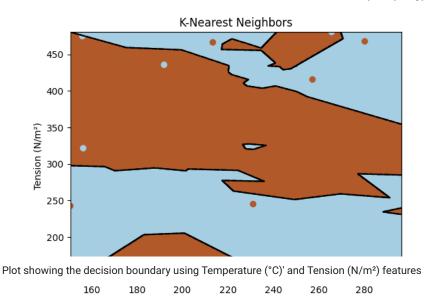


Plot showing the decision boundary using Temperature (°C)' and Tension (N/m²) features

```
K-Nearest Neighbors (K-NN):
from sklearn.neighbors import KNeighborsClassifier
#K-NN model
knn = KNeighborsClassifier()
# Train the model
knn.fit(X_train, y_train)
# Make predictions on the test set
y pred knn = knn.predict(X test)
print(y_pred_knn)
Metrics for the KNN model
# Calculate metrics for the K-NN model
accuracy_knn = accuracy_score(y_test, y_pred_knn)
precision_knn = precision_score(y_test, y_pred_knn)
recall_knn = recall_score(y_test, y_pred_knn)
f1_knn = f1_score(y_test, y_pred_knn)
print('KNN:')
print('Accuracy=',accuracy_knn)
print('Precision=',precision_knn)
print('Recall=',recall_knn)
print('F1 Score=',f1_knn)
    KNN:
    Accuracy= 0.497
    Precision= 0.47904191616766467
    Recall= 0.4979253112033195
    F1 Score= 0.4883011190233978
KNN decision boundary plotting
from sklearn.neighbors import KNeighborsClassifier
# Initialize a K-NN classifier
knn = KNeighborsClassifier()
# Train the classifier using the original features and feature names
knn.fit(x1, y1)
h=0.2
# Use original feature names when creating the meshgrid
l = ['Temperature (°C)', 'Tension (N/m²)', 'Diameter (MM)']
xx, yy = np.meshgrid(np.arange(x1[l[0]].min(), x1[l[0]].max(), h),
                     np.arange(x1[l[1]].min(), x1[l[1]].max(), h))
# Create a DataFrame for the meshgrid with appropriate feature names
meshgrid_df = pd.DataFrame({'Temperature (°C)': xx.ravel(), 'Tension (N/m²)': yy.ravel(), 'Diameter (MM)': 0})
# Plot the decision boundary
Z = knn.predict(meshgrid_df)
Z = Z.reshape(xx.shape)
plt.pcolormesh(xx, yy, Z > 0, cmap=plt.cm.Paired)
plt.contour(xx, yy, Z, colors=['k', 'k', 'k'], linestyles=['--', '-', '--'], levels=[-.5, 0, .5])
# Plot training points
plt.scatter(x1['Temperature (°C)'], x1['Tension (N/m²)'], c=y1, cmap=plt.cm.Paired)
plt.xlabel('Temperature (°C)')
plt.ylabel('Tension (N/m²)')
plt.xlim(xx.min(), xx.max())
plt.ylim(yy.min(), yy.max())
```

plt.title('K-Nearest Neighbors')

plt.show()



## Random Forest:

```
from sklearn.ensemble import RandomForestClassifier
```

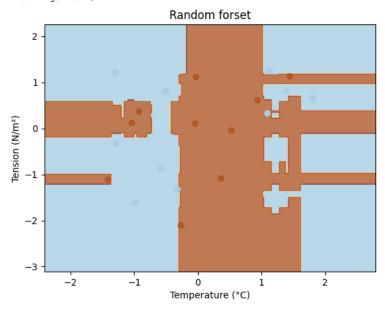
```
# Random Forest model
rf = RandomForestClassifier()
# Train the model
rf.fit(X_train, y_train)
# Make predictions on the test set
y_pred_rf = rf.predict(X_test)
```

#### Metrics for the Random forest model

Random forest decision boundary plotting

```
from sklearn.ensemble import RandomForestClassifier
from sklearn.preprocessing import StandardScaler
# Standardize the features
scaler = StandardScaler()
x1 scaled = scaler.fit transform(x1)
# Initialize random forest model
nb = RandomForestClassifier()
# Train the model
nb.fit(x1_scaled, y1)
# Create a meshgrid for visualization
h = .02 # mesh step size
x_{min}, x_{max} = x1_{scaled}[:, 0].min() - 1, <math>x1_{scaled}[:, 0].max() + 1
y_{min}, y_{max} = x1_{scaled}[:, 1].min() - 1, <math>x1_{scaled}[:, 1].max() + 1
xx, yy = np.meshgrid(np.arange(x_min, x_max, h), np.arange(y_min, y_max, h))
# Explicitly set the feature names
feature_names = ['Temperature (°C)', 'Tension (N/m²)', 'Diameter (MM)']
meshgrid\_df = pd.DataFrame(np.c\_[xx.ravel(), yy.ravel(), np.zeros\_like(xx.ravel())], columns=feature\_names)
# Predict on the meshgrid
Z = nb.predict(meshgrid_df[feature_names])
Z = Z.reshape(xx.shape)
# Plot decision boundary
plt.contourf(xx, yy, Z, cmap=plt.cm.Paired, alpha=0.8)
# Plot training points
plt.scatter(x1_scaled[:, 0], x1_scaled[:, 1], c=y1, cmap=plt.cm.Paired)
plt.xlabel('Temperature (°C)')
plt.ylabel('Tension (N/m²)')
plt.title('Random forset')
plt.show()
```

/usr/local/lib/python3.10/dist-packages/sklearn/base.py:432: UserWarning: X has warnings.warn(

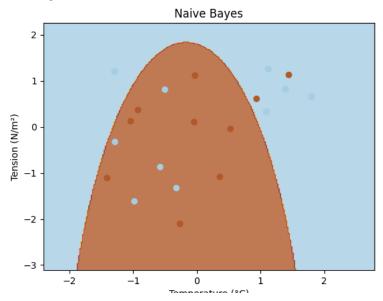


Plot showing the decision boundary using Temperature (°C)' and Tension (N/m²) features

# Naive Bayes

```
from sklearn.naive_bayes import GaussianNB
#Naive Bayes model
nb = GaussianNB()
# Train the model
nb.fit(X_train, y_train)
# Make predictions on the test set
y_pred_nb = nb.predict(X_test)
Metrics for the Naive Bayes model
#here we calculate metrics for the Naive Bayes model
accuracy_nb = accuracy_score(y_test, y_pred_nb)
precision_nb = precision_score(y_test, y_pred_nb)
recall_nb = recall_score(y_test, y_pred_nb)
f1_nb = f1_score(y_test, y_pred_nb)
print('Naive Bayes:')
print('Accuracy=',accuracy_nb)
print('Precision=',precision_nb)
print('Recall=',recall_nb)
print('F1 Score=',f1_nb)
    Naive Bayes:
    Accuracy= 0.52
    Precision= 0.5026178010471204
    Recall= 0.3983402489626556
    Naves bayes decision boundary plotting
from sklearn.naive_bayes import GaussianNB
from sklearn.preprocessing import StandardScaler
# Standardize the features
scaler = StandardScaler()
x1_scaled = scaler.fit_transform(x1)
# Initialize Naive Bayes model
nb = GaussianNB()
# Train the model
nb.fit(x1_scaled, y1)
# Create a meshgrid for visualization
h = .02 # mesh step size
x_{min}, x_{max} = x1_{scaled}[:, 0].min() - 1, <math>x1_{scaled}[:, 0].max() + 1
y_min, y_max = x1_scaled[:, 1].min() - 1, x1_scaled[:, 1].max() + 1
xx, yy = np.meshgrid(np.arange(x_min, x_max, h), np.arange(y_min, y_max, h))
# Explicitly set the feature names
feature_names = ['Temperature (°C)', 'Tension (N/m²)', 'Diameter (MM)']
meshgrid_df = pd.DataFrame(np.c_[xx.ravel(), yy.ravel(), np.zeros_like(xx.ravel())], columns=feature_names)
# Predict on the meshgrid
Z = nb.predict(meshgrid_df[feature_names])
Z = Z.reshape(xx.shape)
# Plot decision boundary
plt.contourf(xx, yy, Z, cmap=plt.cm.Paired, alpha=0.8)
# Plot training points
plt.scatter(x1_scaled[:, 0], x1_scaled[:, 1], c=y1, cmap=plt.cm.Paired)
plt.xlabel('Temperature (°C)')
plt.ylabel('Tension (N/m²)')
plt.title('Naive Bayes')
plt.show()
```

/usr/local/lib/python3.10/dist-packages/sklearn/base.py:432: UserWarning: X has warnings.warn(



Plot showing the decision boundary using Temperature (°C)' and Tension (N/m²) features

### Conclusion:

Machine learning model are successfully built to predict whether wire quality is good or defective. From the proposed models SVM(0.514), KNN(0.497), random forest(0.504) and navies bayes we have achieved highest accuracy using Navies bayes model with 0.52.