

Fixed Point Method.

A fixed point for a function $f(x)$ is defined as

$$\text{Ex: } f(x) = \quad, \quad x = \quad \text{ is a fixed point} \\ = \quad = \quad \Rightarrow$$

Let $f(x)$ be a function with a
linear part () and nonlinear part ().

$$f(x) =$$

$$\text{Root: } f(x^*) = \quad = 0$$

$$\Rightarrow x^* =$$

Use this to create an iteration:

$$x_{n+1} =$$

Convergence occurs when

When does convergence occur?

Let x^* be the root such that $f(x^*) = 0$
and let (\quad)

Define $e_n =$
 $e_{n+1} = \quad = \quad =$

Then $\frac{e_{n+1}}{e_n} = \quad =$

Mean-Value Theorem of Calculus: If $g(x)$ is continuous
over $[x^*, x_n]$ there exists a \quad such
that

$\Rightarrow \frac{e_{n+1}}{e_n} = \quad = \quad \Rightarrow e_{n+1} =$

Convergence if

A more strict measure: Convergence if

What if you can not split $f(x) = ax + g(x)$?

$$f(x) =$$

$$= ? \quad =$$

$$x_{m1} =$$

At x^* :