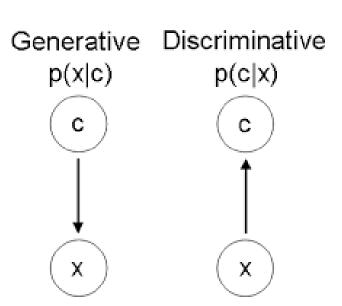
#### Two forms of Machine Learning

- Discriminative
- Generative





Counterfeiter



Fraud Detector



Counterfeiter

**Generator** 



Fraud Detector

**Discriminator** 



generates fake samples as real as possible and tries to fool the Discriminator

#### Generator



**Discriminator** 

tries to detect the fake samples generated by the **Generator** 



Generator



**Discriminator** 

They are trained in an adversarial setting to master each other's task.

#### Magic of GANs....



- Images generated using StyleGAN- a GAN variant
- These people don't exist in real!!!!!!
- Image from Paper 'A Style-Based
   Generator Architecture for Generative

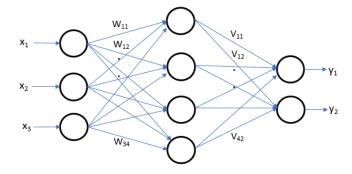
  Adversarial Networks'

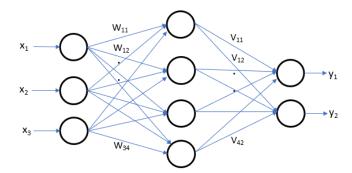


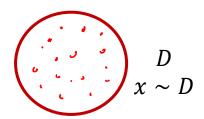
**Generator** 



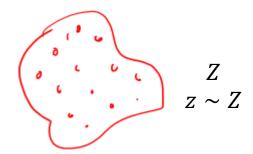
**Discriminator** 



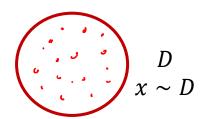




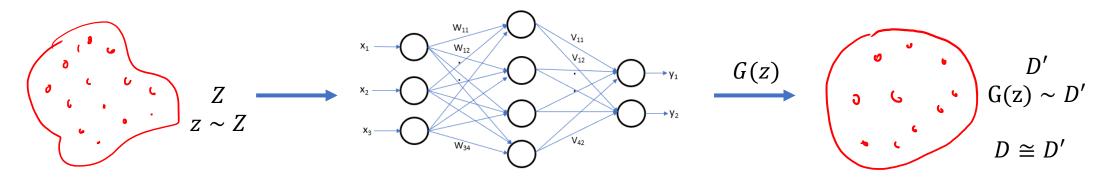
**Real Data Distribution** 



**Random Sample** 

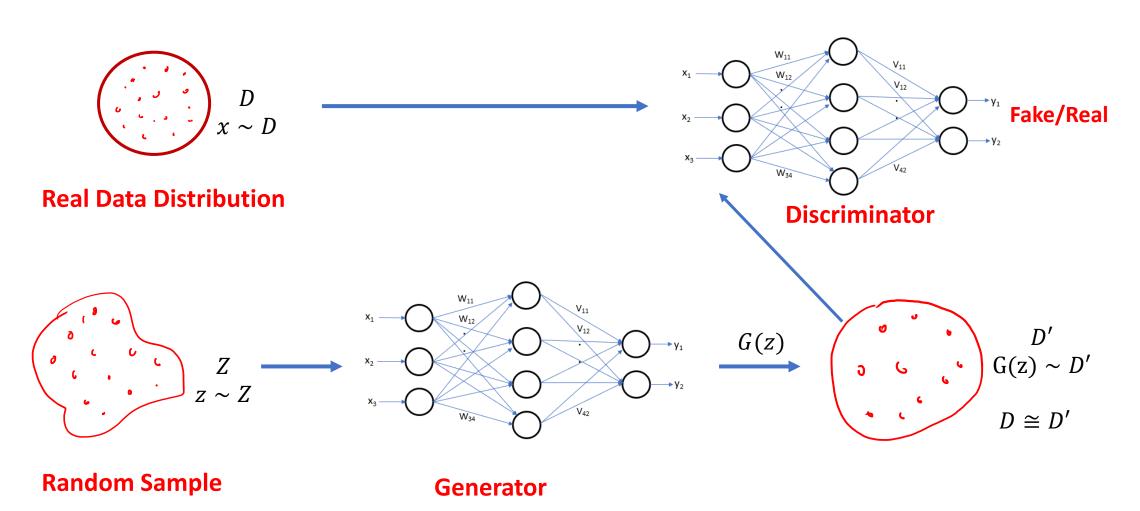


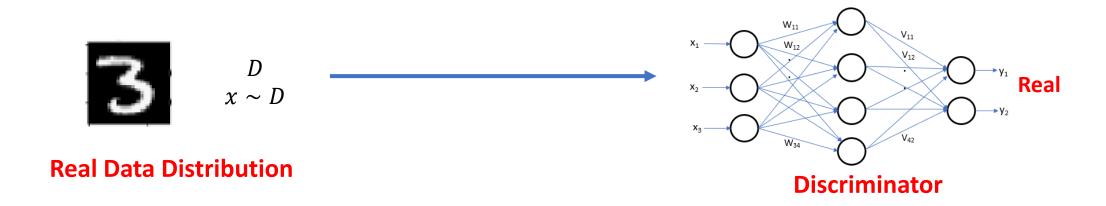
#### **Real Data Distribution**

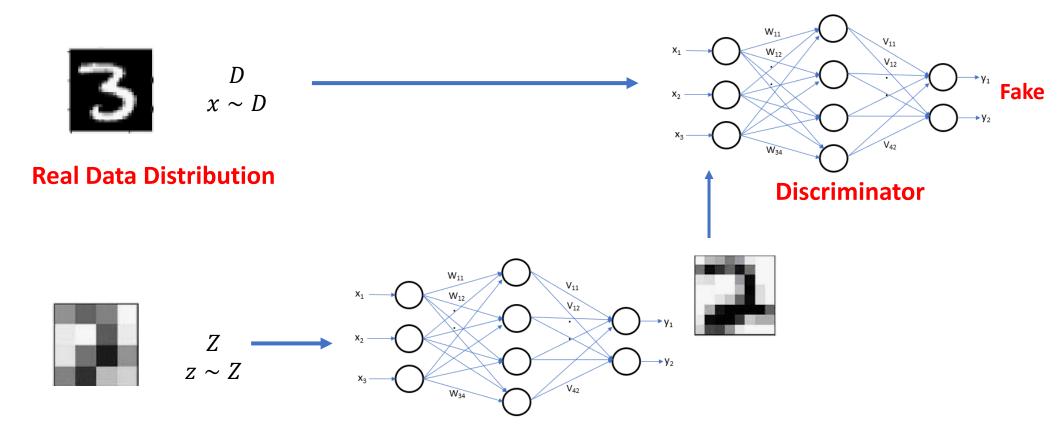


**Random Sample** 

**Generator** 

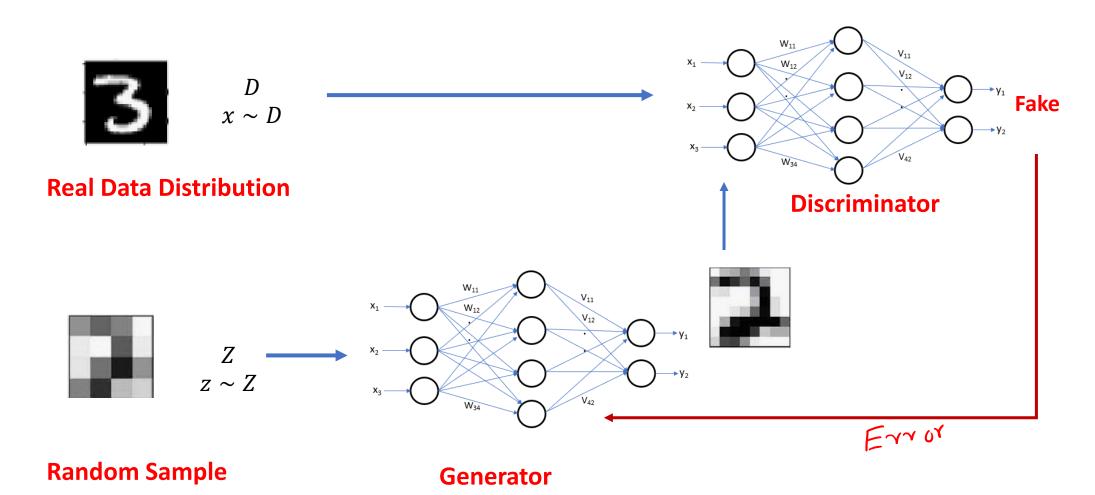


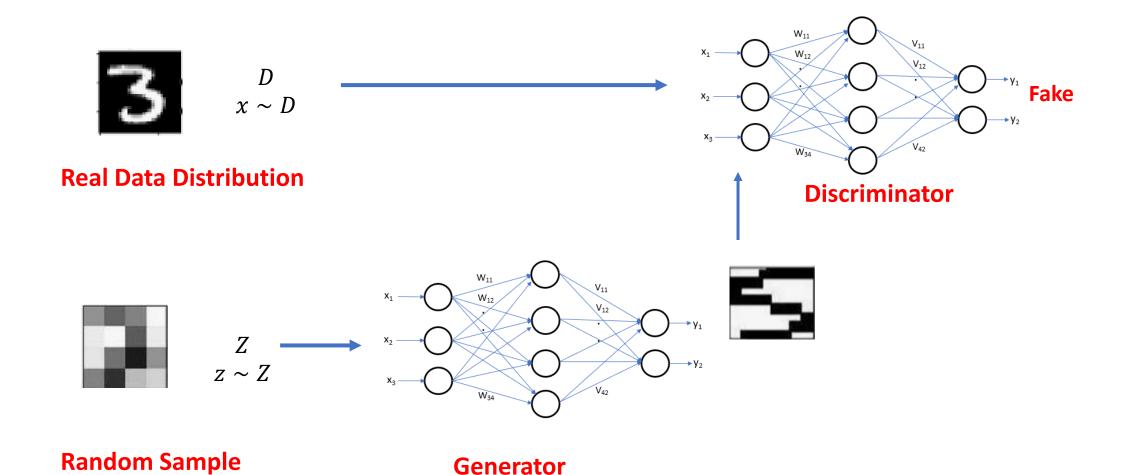


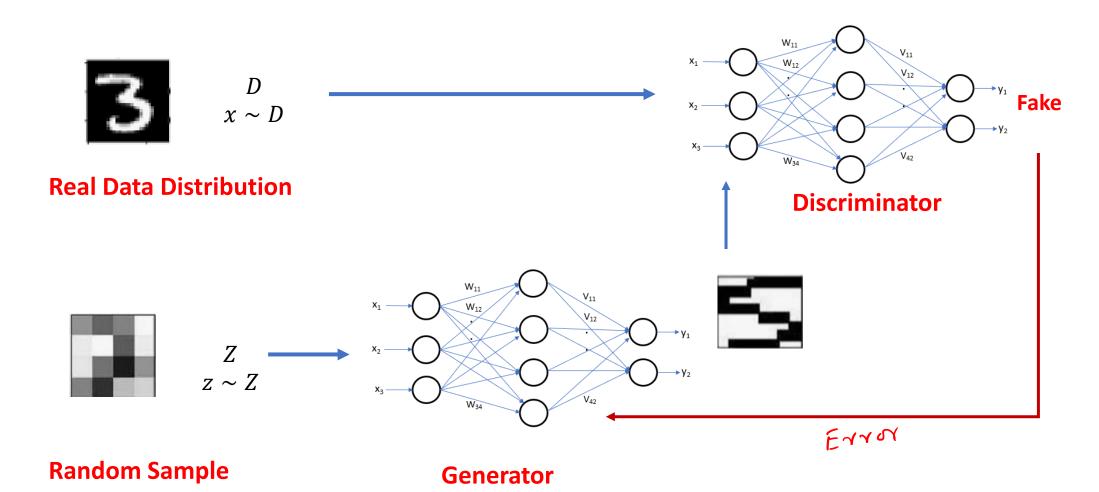


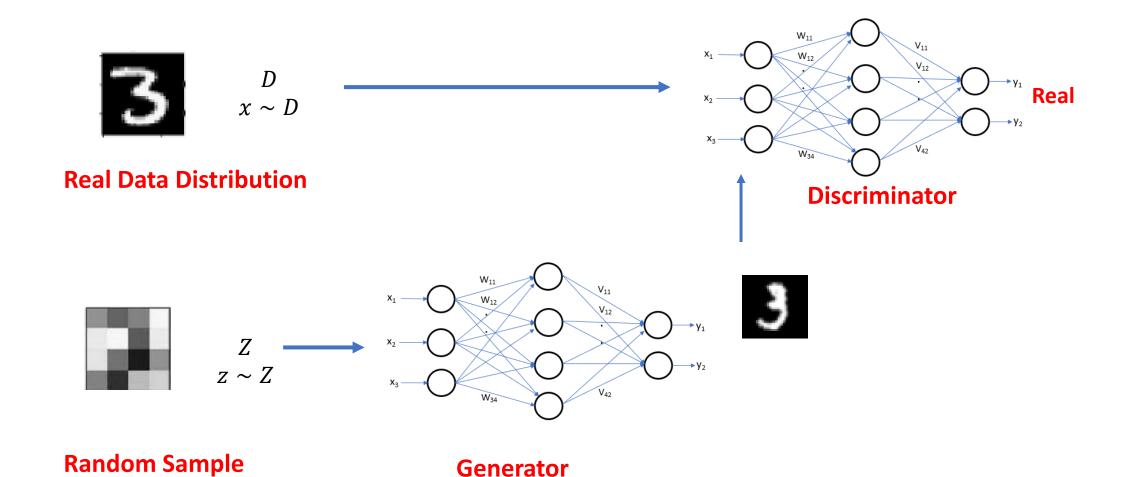
**Random Sample** 

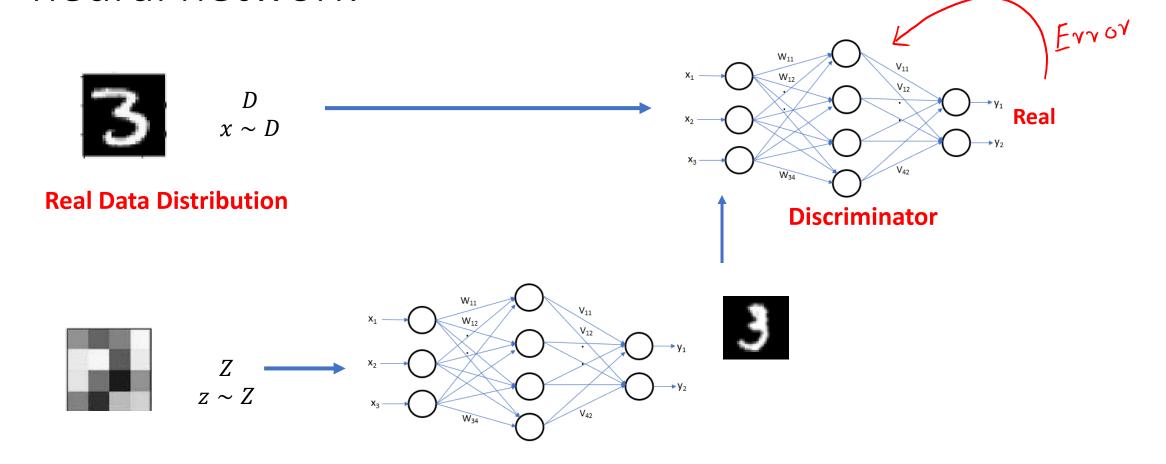
**Generator** 





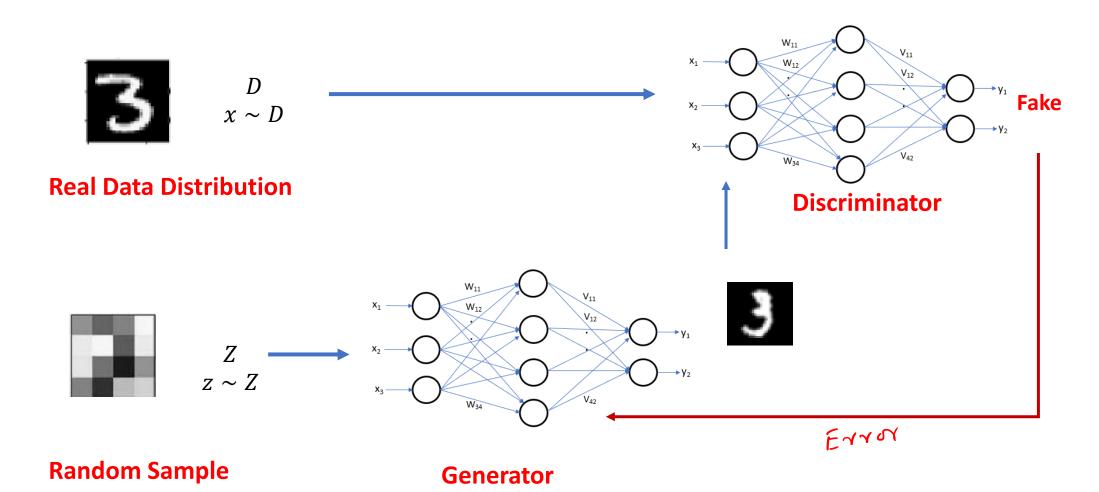


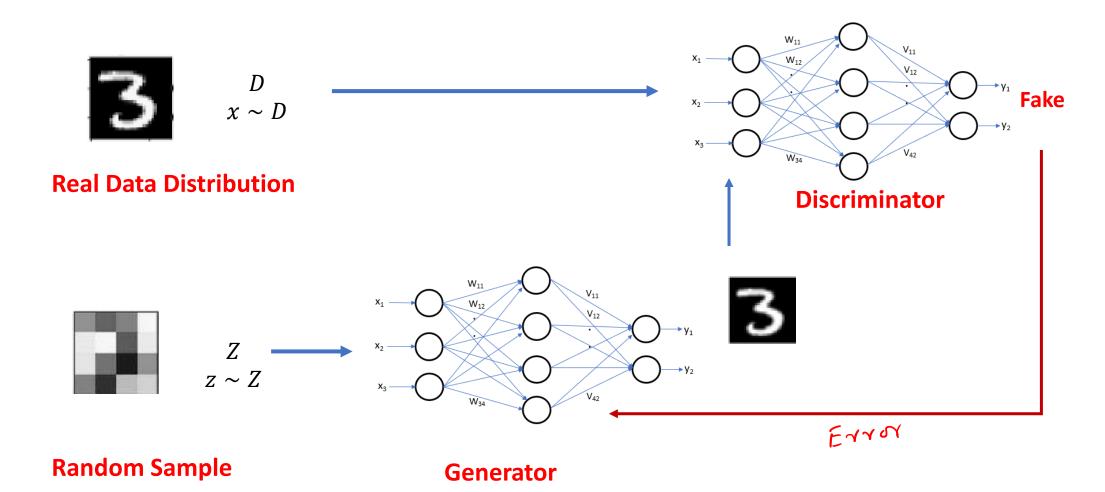


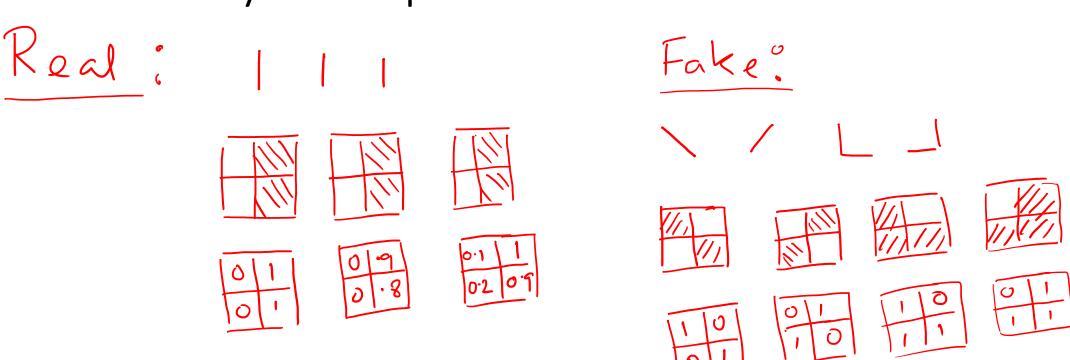


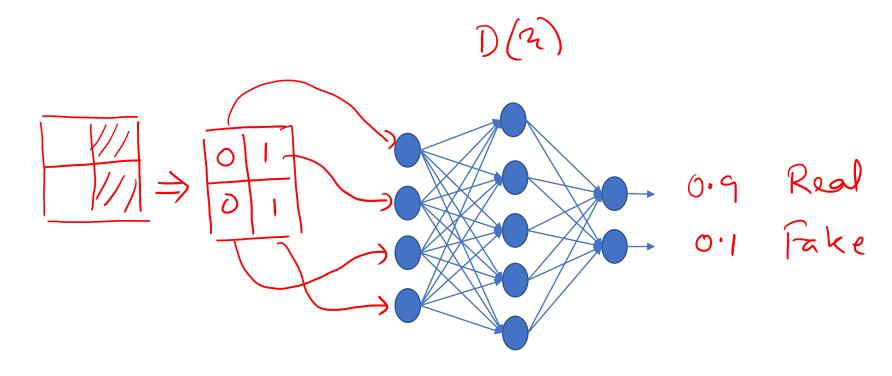
**Random Sample** 

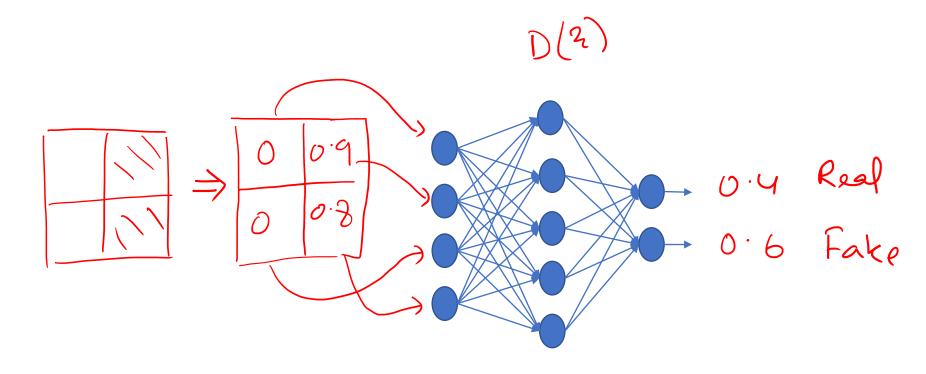
**Generator** 

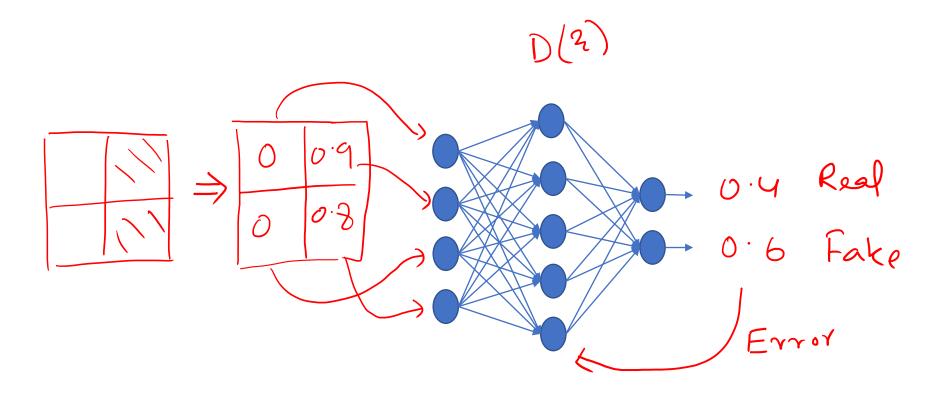


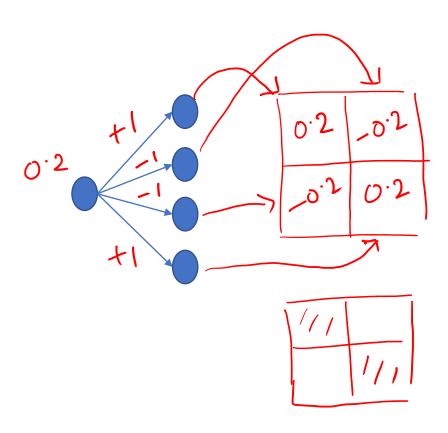


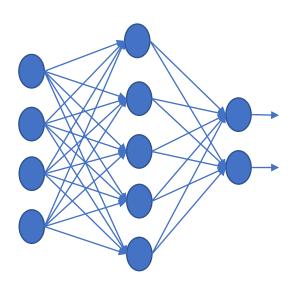


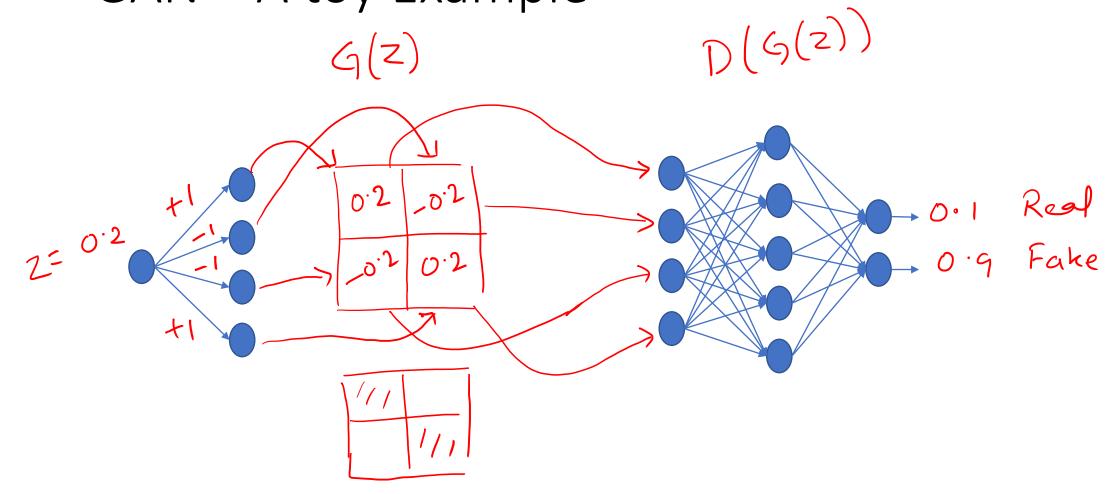


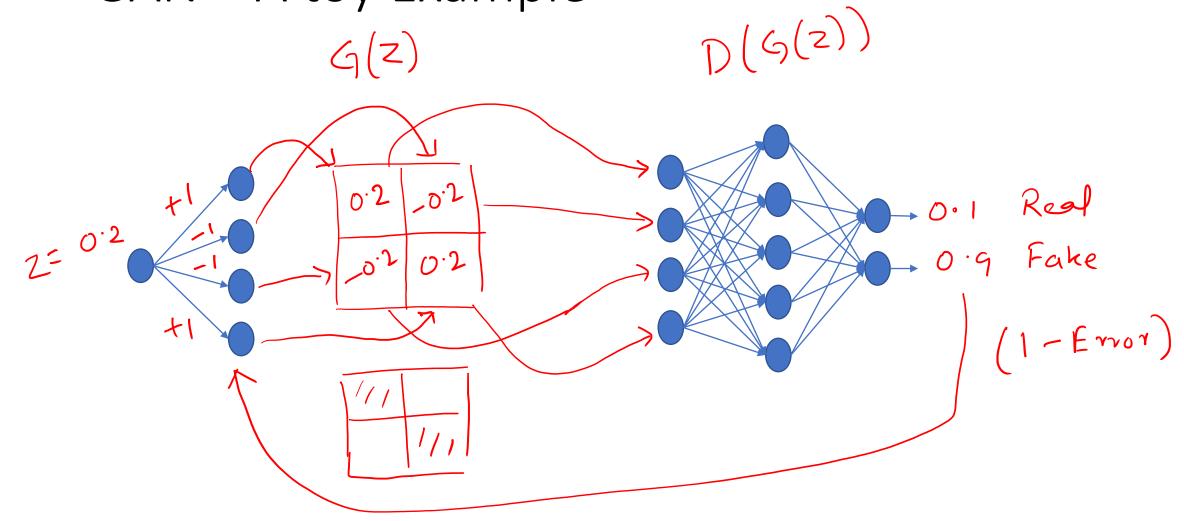


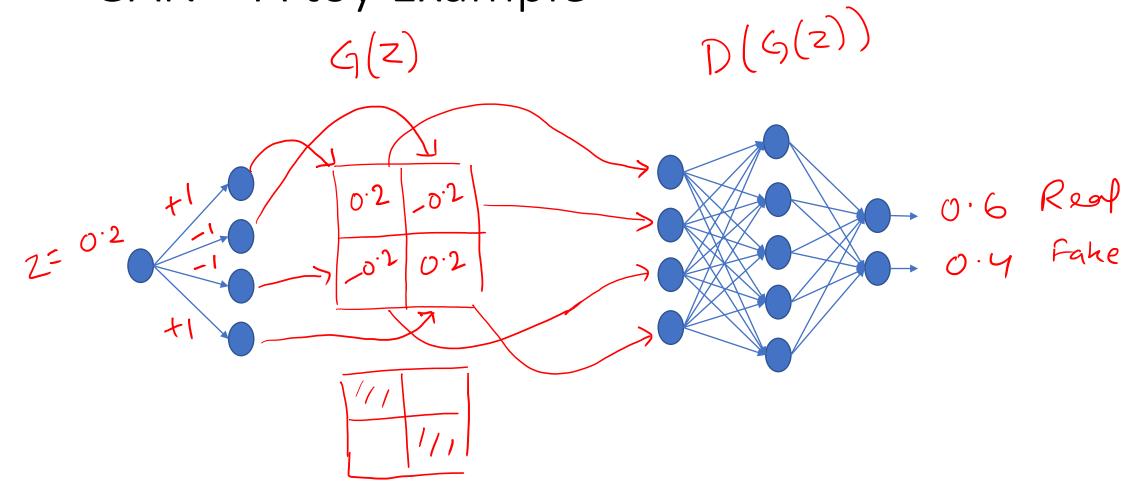


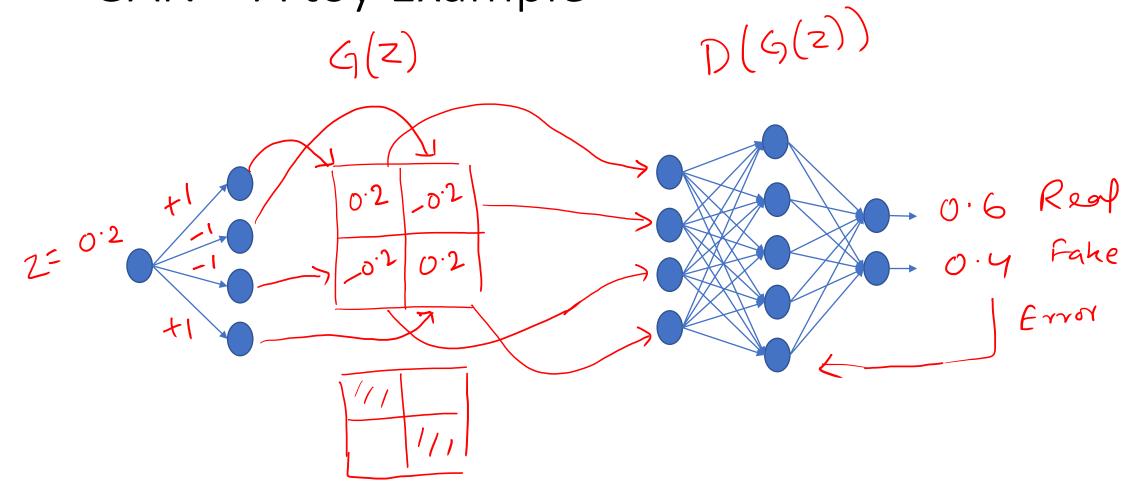




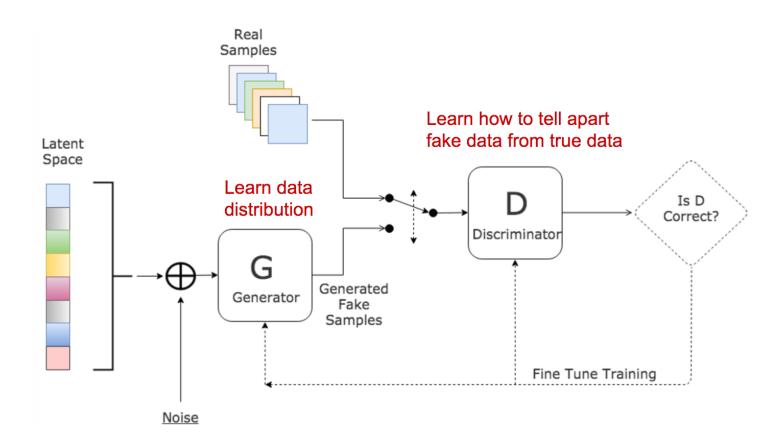








#### GAN Framework



- Generator + Discriminator = GAN
- The <u>latent vector</u> belongs to some random distribution (Uniform/Gaussian)
- Both the generator and discriminator network parameters are <u>updated during training</u>

#### GAN – Loss Function

- Discriminator's decision over real data should be accurate
  - Maximize  $\mathbb{E}_{x \sim p_r(x)}[\log D(x)]$
- Discriminator's decision over generated data should be considered fake
  - Maximize  $\mathbb{E}_{z \sim p_z(z)}[\log(1 D(G(z)))]$ .
- . Generator is trained to increase the chances of D producing a high probability for a fake sample

$$\min_{G} \max_{D} L(D,G) = \mathbb{E}_{x \sim p_r(x)}[\log D(x)] + \mathbb{E}_{z \sim p_z(z)}[\log(1 - D(G(z)))]$$