

Language: Python3.8.3

Modules: OpenCV(cv2), numPy

## Step.1 Binarize the image and downsample it

### Algorithm:

Traverse the topmost-left pixel as the downsampled data (use double for-loop to find the target pixel, and more double for-loop to downsampling its 8x8 neighbor according to the threshold)

## Step.2 Count the Yokoi connectivity number using 4-connected

### Algorithm:

Make a copy (**lena2**) of the original downsampling image(**lena1**), **lena1** is simply binary for input, and **lena2** is for labeling. For each pixel in **lena1**, define its  $x_0 \sim x_8$ , if some orientation is out of range, let it be 0. Compute the 4 values determined from the h-function, which are actually  $h(x_0, x_1, x_6, x_2)$ ,  $h(x_0, x_2, x_7, x_3)$ ,  $h(x_0, x_3, x_8, x_4)$ ,  $h(x_0, x_4, x_5, x_1)$  respectively. (counter-clockwise circle according the order  $x_1, x_2, x_3, x_4$ ).

#### ● h-function definition:

If the first two parameters are not equal, return s.

Otherwise, if any of the third and fourth parameters are not equal to the first two, return q

Otherwise, they are all equal, return r.

After gaining the 4 h-function values, we follow this rule to determine the kind of label and put it on **lena2**: If they are all 'r', the label is 5, otherwise, the label is the number of 'q'. The meaning of the label is: in the 3 by 3 box of the target, how many components we will get if we remove the target. (in 4-connected, and the exception is the target is fully surrounded by eight same value pixels.)

### Step.3 Print it

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11111111 121111111111122322221 1111111111111 11555555555511 21 11 11555555555511
155555551 1 2115555112 21112221 1555555555551 21
155555551 1 2 155112 22221511 15555555555511 1
155555551 22 2112 22 121 15555555555511
155555551 1 2 21 2 1 1555555555551
155555551 12 1 121111 1321 15555555555511
15111551 1322 1155551111 1555555555551
111 1551 1 121555555511 15555555555511
11 1551 21155555511 15511155555511
21 1551 2 15555555111 1551 11555511
1 1551 2 15555555511 1551 115551
1551 112115555555551 1551 15511 12
1551 1555555555555511 1551 1111 111
1551 1 222115555555555511 1151 11 1151
1551 2 22 1 1555555555555511 151 11111 1551
1551 2 1 11555555555555551 151 115551 11551
1551 2 1155555555555555111511155511 115551
1551 12 11555555555555555555555555551 155551
1551 11 2215555555555555555555555555112 1155551
1551 111 22 155555555555555555555555551 1 1555551
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1551 15521 1 121 1 11 1 15555555111 1555551
1551 1151 132 2 11555555111 115555551
1551 151 322 115555111 121 155555551
1551 1221 2 1555551 131 115555551
1551 2 1 115555551 1 115555551
1551 2 1155555551 1 155555551
1551 2 11555555551 21155555551
1551 1 115555555551 15555555551
1551 1 115111115555521 1 115555555551
1551 1 11111 1155511 2 155555555551
1551 131 111 15111 2 155555555551
1551 121 1121 1 111 1 2 1155555555551
1551 11 111 1 221 11 1 2 1555555555551
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1551 2 22 12555551 15551 1 1555555555551
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1551 2 15555112 151 2 155555555555551
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1551 1111 121 155555551 1555551
1551 115551 155555551 1555551
1551 15551 211111111 155511
11521 1 12 122155511 2 11 115511
1 151 1 155555111 2111 15511
22 1511 1 15555555111 155111 1511
22 1511 1 15555555551 155551 1151
2 151 1 11555555555511 155511 1511
2 1521 1 1555555555555511 15551 12151
2 151 121 155555555555551 155511 1551
2 1511 15555555555555551 115551 1511
21 1511 11 15555555555555551 111111151
11 151 115555555555555511 111511
11 151 15555555555555551 151
11 151 1155555555555555551 211
11 151 11555555555555555511 1
11 151 1555555555555555551
11 111 1211111111111111111111111
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