1.4 4.  $A_{X} = \overline{L_{5}^{8}} = \overline{L_$ 10. X,[\$] + x2[=3] = [4], and [\$=3] [ x2] = [4] 14. No. The equation Ax=u has no solution 15. The equation is not consistent when 3 bitbz is not zero. The set of b for which the equation is consistent is a line through the orgin the set of all paints (b, bz) sortisfying b2=-3b, (3 points) (0) True see 1.4 Theorem 3 (b) Time. Example 2 (C) True. Theorem 3 (d) True See the box before example 2 (E) False. See "warning" that follows theorem 4 (1) True. See Theorem 4. 1.5 6 X= X3 [3]

(3 points)  $X = \begin{bmatrix} 3 \\ 3 \end{bmatrix} + 13 \begin{bmatrix} 3 \\ 3 \end{bmatrix} = p + 12 q$ . The solution set is the line through p, parakol to q.

(2 points) (9) False. A nontrivial solution of Ax=0 is any nonzero x that satisfied the equation

(b) True. see example 2.

anost people (b) True. If the zero wester is a solution, then b = A X = A U=0 got this wond (b) True. See the paragraph following example 3.

\*(e) Folse. Theorem 6 applies only to a consistent system.

1.6	11 14=20-43 Since X1 is nonnegative, the largest value of X3 is 20.
1.6	14 = 60
L3	points + bonus 2 pts) (a) $\chi_1 = 100 + \chi_3 - \chi_5$ (b) $\chi_2 = 160 + \chi_3$ (c) Minimum value of $\chi_1$
	X3 is free X3 is tree is 40 cars/minute.
	X4 = 60 - X5
<u></u>	
17	in Linearly independent
1.1	Vinearly independent.
	a limit don doub are those and the court for a
31	8. linearly dependent and there we mure variables than equations.
	10 11 +1 > 2 1
	spoint)(a). [1-2 2] as any mented matrix is in what sist out.
	Thus no h sutisfies the requirement.
	w). All h gatisfy the requirement.
	V1. AU 12 JUINI Of the requirements.
	22
	Spaints) (1) True - see fig/
	(b) False. see naming "after theorem 8.
	(c) True. see "remark" after Example 4.
	(d). Folse, see example 3(a)
1.8	8. 4 columns and 5 novs.
<i>i</i> . <i>I</i>	2 points) Year, because the system represented by TA b] is consistent.
	12 TU) - TUW)
	18 2 Points) Note that W=2V+U (X1 T(u)=2T(V)+T(u)
	Tru)

(A)