## Sets, ideals, and $\Pi_1^0$ classes

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## **Abstract**

The lattice of computably enumerable (c.e.) sets is a well-studied structure in logic, in particular with regard to its automorphisms and orbits.  $\Pi^0_1$  classes, most easily thought of as sets of infinite paths through computable binary-branching trees, entered the limelight more recently. In my dissertation, I constructed an isomorphism between the lattice of c.e. sets and a quotient substructure of the lattice of  $\Pi^0_1$  classes which as a consequence allows us to transfer information from the c.e. sets to the  $\Pi^0_1$  classes as a whole. My talk will discuss the results above in the context of c.e. substructures of computable structures and of effectively closed (that is,  $\Pi^0_1$ ) subsets of topological spaces. No knowledge of logic will be assumed for the talk.