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## Assignment - 7A

Data	Time	load (kW)
01.09.2018	0.00	5551.822
01.09.2018	1.00	4983.172

Since, the load has to be predicted based on the same hour load in the previous day, the dataset has to be modified.

Day-1 (x)	Day-2 (y)
5551.82208	4931.26380
4983.17184	4775.53968

step 1:- Read dataset,  $\eta = 0.1$ , epochs = 2,  $m = 1$ ,  $c = -1$ ,  $V = 0.9$ ,  
 $V_m = 0$  &  $V_c = 0$

step 2:- set iteration = 1

step 3:- set sample  $i = 1$

step 4:-  $Y = (1)(5551.82208) - 1 = 5550.82208$

step 5:-  $\frac{\partial E}{\partial m} = -(4931.26380 - 1(5551.82208) + 1) 5551.82208$

$$\frac{\partial E}{\partial m} = 3439677.338750$$

$$\frac{\partial E}{\partial c} = -(4931.26380 - 1(5551.82208) + 1)$$

$$\frac{\partial E}{\partial c} = 619.55828$$

step 6:  $V_m = 0.9(0) - (0.1)(3439677.238750)$  (2)

$$V_m = -343967.733875$$

$$V_c = 0.9(0) - (0.1)(619.55828)$$

$$V_c = -61.95583$$

step 7:  $m = 1 + (-343967.733875) = -343966.733875$

$$C = -1 + (-61.95583) = -62.95583$$

step 8: sample  $i = i + 1 = 2$

step 9:  $Y = (-343966.734)(4983.17184) + (-62.95583)$

$$Y = -1714045405.72$$

step 10:  $\frac{\partial E}{\partial m} = -(4775.53968 - (-343966.734)(4983.17184) - (-62.95583))(4983.17184)$

$$\frac{\partial E}{\partial m} = -(4775.53968 + 1714045405.72)(4983.17184)$$

$$\frac{\partial E}{\partial m} = -8541406595607.112$$

$$\frac{\partial E}{\partial c} = -1714050181.261$$

step 11:  $V_m = 0.9(-343967.734) - (0.1)(-8541406595607.112)$

$$V_m = -854140969131.67$$

$$V_c = 0.9(-61.95583) - (0.1)(-1714050181.261)$$

$$V_c = -171405073.88634$$

step 12:  $m = -343966.734 - 854140969131.67$

$$m = -854141313098.4$$

$$C = -62.95583$$

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step 13: Iteration +1 = 2, sample = 1

step 14:  $Y = (-854141313098.4)(5551.82208) + (-62.95583)$

$$Y = -4.7420406014E15$$

$$\text{step 15: } \frac{\partial E}{\partial m} = -(4931.26380 + 4.7420406014E15) \\ (5551.82208)$$

$$= -2.63269657156E19$$

$$\frac{\partial E}{\partial c} = -4.74204060150E15$$

$$\text{step 16: } V_m = (0.9)(-854140969131.67) - (0.1) \\ (-2.63269657156E19) \\ = 2.6326958e18$$

$$V_c = (0.9)(-171405073.88634) - (0.1)(-4.74204060 \\ 150E15) \\ = 4.74203906E14$$

$$\text{step 17: } m = -854141313098.4 + 2.6326958E18 \\ = 2.63269495E18$$

$$c = -62.95583 + 4.74203906E14 \\ = 4.74203906e14$$

step 18: sample = it + 1 = 2

$$\text{step 19: } Y = (2.63269495E18)(4983.17184) + 4.74203906E14 \\ Y = 1.31191718E22$$

(4)

$$\text{step 20: } \frac{\partial E}{\partial m} = - (4775.53968 - (2.63269495E18)(4983.17184) - 4.74203906E14) (4983.17184)$$

$$= - (4775.53968 - 1.31191718E22) (4983.17184) \\ = - 653750875E25$$

$$\frac{\partial E}{\partial c} = - (4775.53968 - 1.31191718E22) \\ = - 1.31191718E22$$

$$\text{step 21: } V_m = (0.9)(2.6326958E18) - (0.1)(-6.53750875E25) \\ = 6.5375112E24$$

$$V_c = (0.9)(4.74203906E14) - (0.1)(-1.31191718E22) \\ = 1.31191761E21$$

$$\text{step 22: } m = 2.63269495E18 + 6.5375112E24$$

$$m = 6.53751375E24$$

$$c = 4.74203906E14 + 1.31191761E21$$

$$c = 1.31191808E21$$