



Simulation of JT-60SA magnetic control and integration of CCS reconstruction code

Presented Doménica Corona³

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**DIPARTIMENTO DI INGEGNERIA ELETTRICA
E TECNOLOGIE DELL'INFORMAZIONE**



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Luigi Vanvitelli



This work has been carried out within the framework of the EUROfusion Consortium and has received funding from the European Union's Horizon 2020 research and innovation programme under grant agreement number 633053. The views and opinions expressed herein do not necessarily reflect those of the European Commission.



- **CCS reconstruction code**
- **Reference Scenario, Control Points and Disturbances**
- **XSC-like approach for as *Isoflux* plasma shape controller**
- **Isoflux controller implementation**
- **Simulation Results**



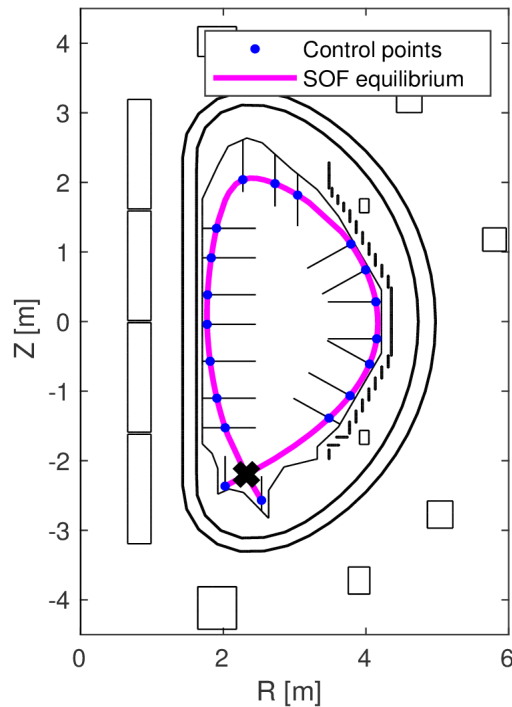
The Cauchy Condition Surface (**CCS**) method reconstructs the plasma Last Closed Flux Surface (LCFS), the poloidal magnetic fluxes at a set of selected control points and the flux at the X-point.

- Code provided by the JT60-SA team
- Inputs: Measured Poloidal Field (PF) Coil currents, Plasma current (I_p) and measurements at the 45 field sensors and 34 flux sensors
- Outputs: Magnetic fluxes at the selected control points (maximum of 19) and flux at the X-point.

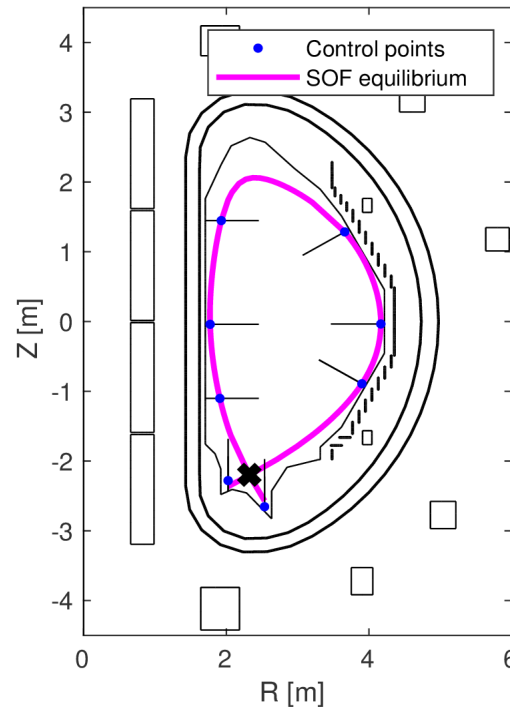
Reference Scenario and Control points



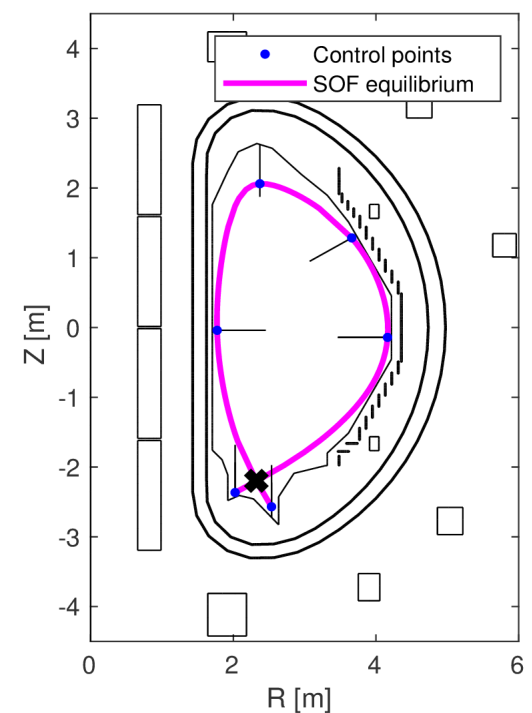
JT-60SA Scenario 2, $I_p = 5.5$ MA , Start Of Flat-top (SOF) $t=18.66$ [s]



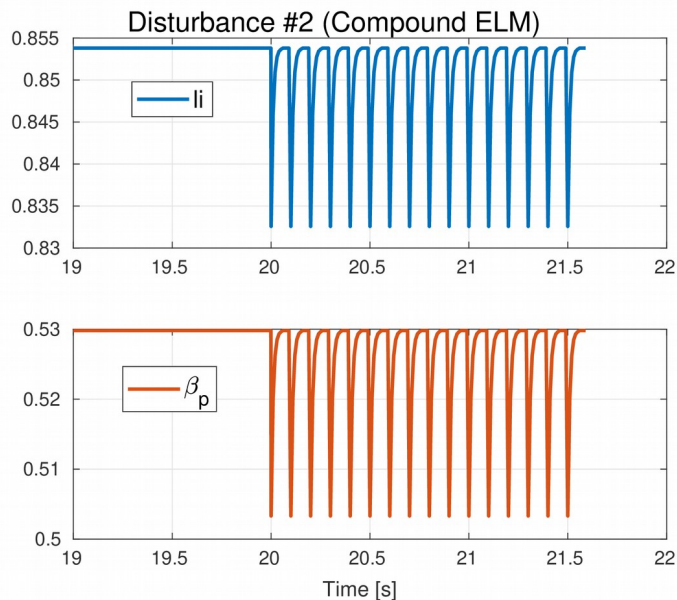
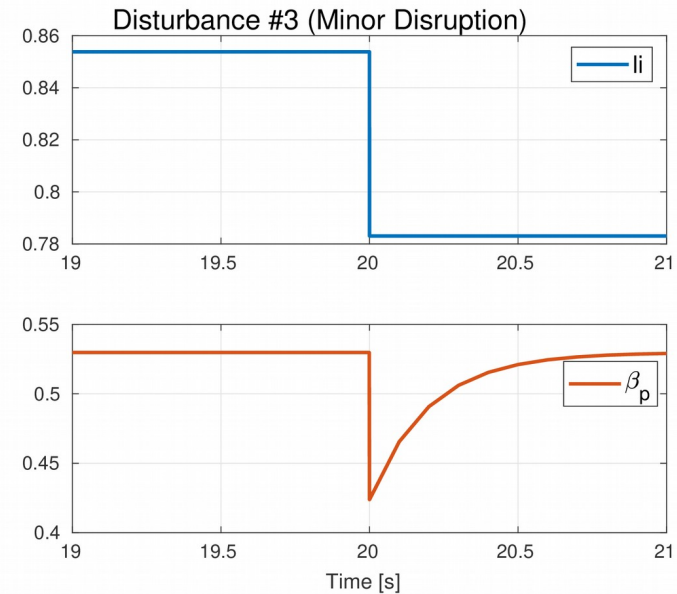
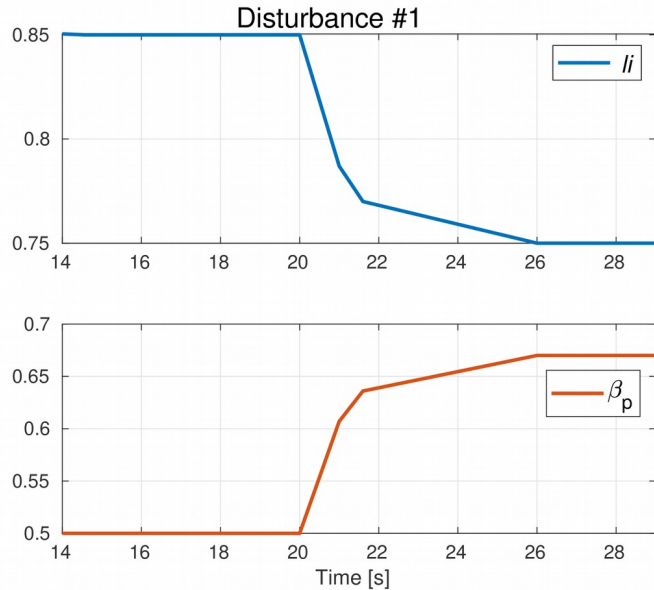
**18 equally spaced
control points + 2
strikes**



**6 control points + 2
strikes** (from *Miyata
et al., PFR 2014*)



**4 control points + 2
strikes** (from *Miyata et
al., PFR 2013*)



- Disturbance # 1 (*Urano et. al FED 2015*)
- Disturbance # 2 ,*Compound ELM (PID Technical report, p.34)*
- Disturbance # 3, *Minor Disruption(PID Technical report, p.34)*



- The proposed shape controller relies on the *XSC approach*, which was originally proposed for the JET tokamak (*Ariola and Pironti, IEEE CSM 2005*)
- **The XSC approach can be applied both to gap and isoflux control**
- Given a reference equilibrium, by adopting the correspondent plasma linear model, the **dynamic** of the variations of the n_Y shape descriptors (either flux differences or gaps) is given by

$$\delta Y(s) = C \cdot \frac{\delta I_{PF_{ref}}(s)}{1 + s\tau_{PF}}$$

It follows that the **static relationship** between the controlled variables and the PF currents is equal to

$$\delta Y(s) = C \cdot I_{PF_{ref}}(s) \quad (1)$$

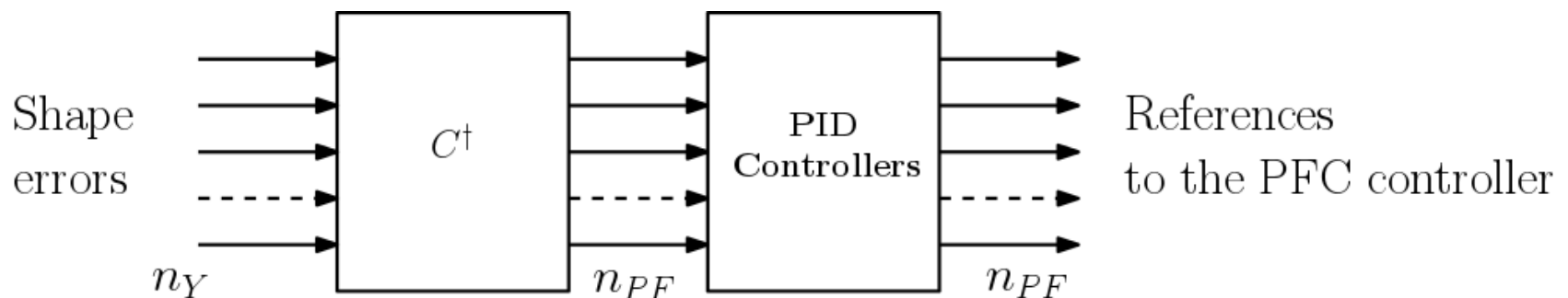


From (1) it follows that the PF currents needed to track the desired shape (in a **least-mean-square sense**) are given by

$$\delta I_{PF_{ref}} = C^{\dagger} \delta Y$$

Where C^{\dagger} the pseudo inverse of the C matrix, which can be computed using SVD

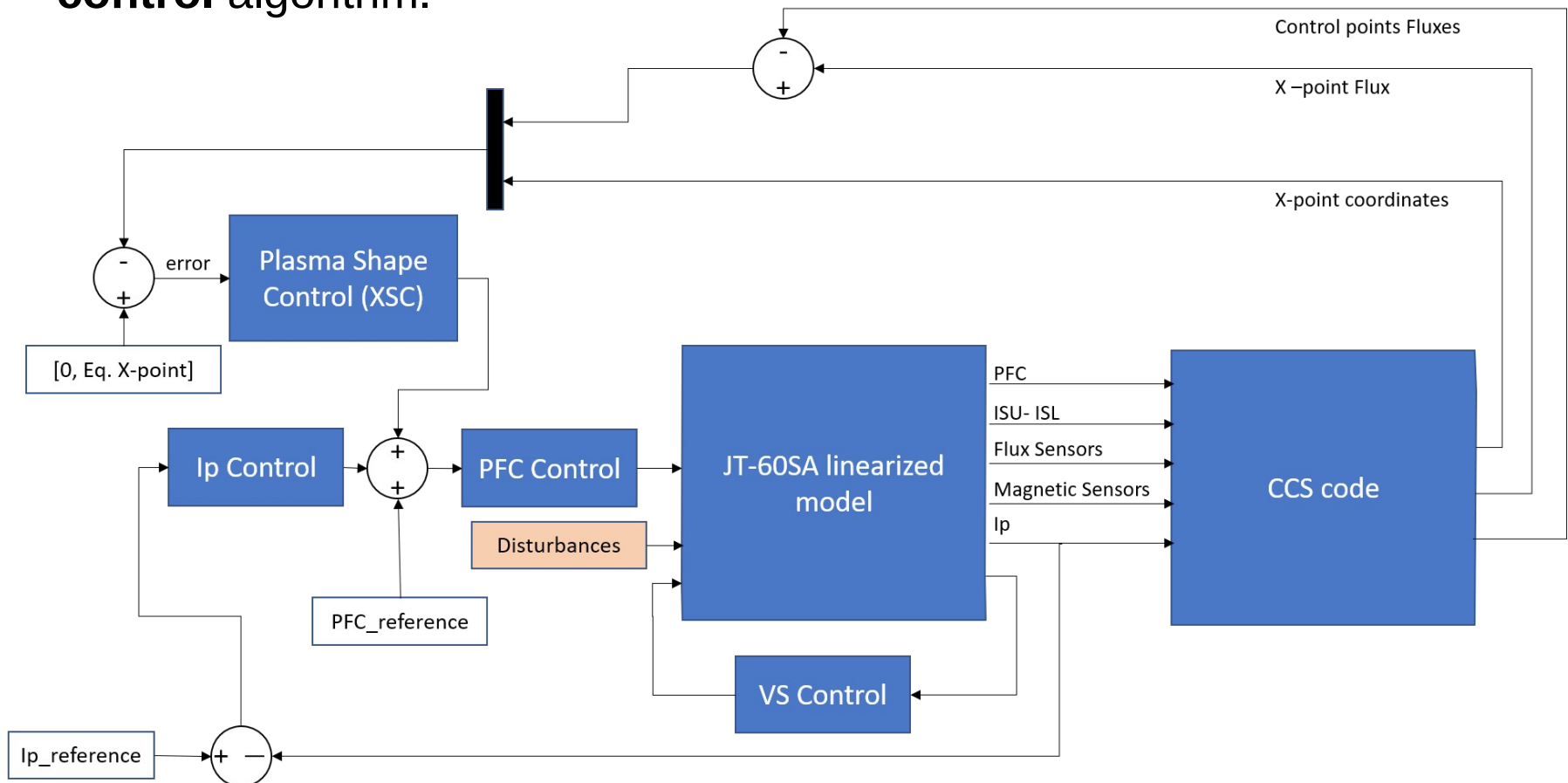
PIDs are added to improve the dynamic behavior of plasma shape control



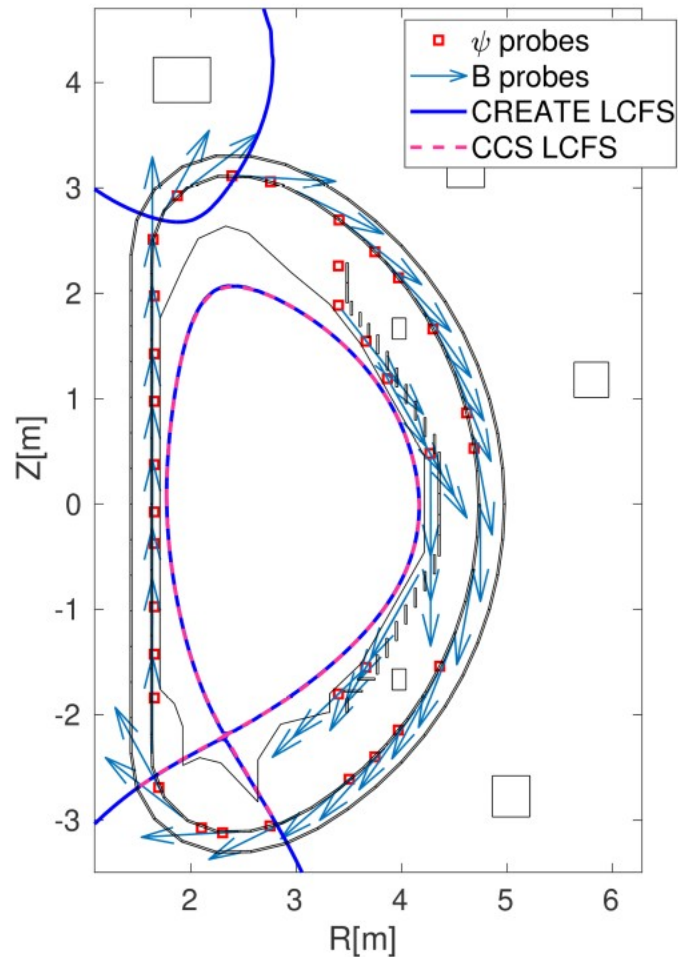
Integration of the CCS reconstruction code



The **fluxes** provided by the **CCS** reconstruction code at the selected control points are **fed back** to the eXtreme Shape Controller (**XSC**) in order to track the desired plasma shape by means of an **isoflux control** algorithm.



Simulation Results

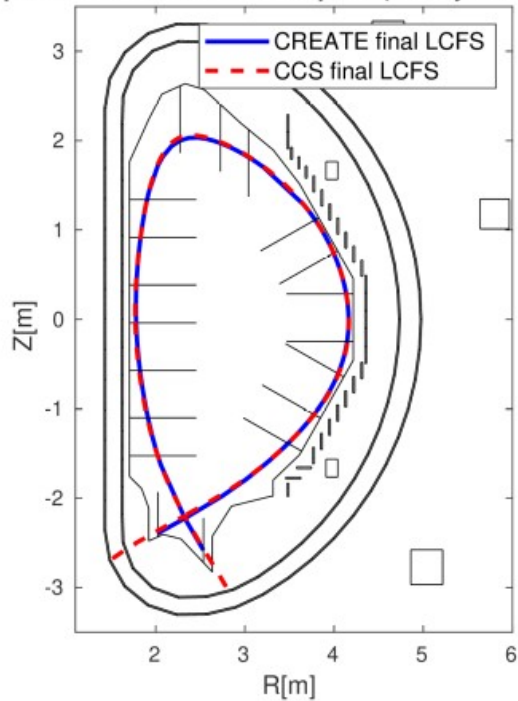


SOF equilibrium reconstructed from CREATE-NL modelling tool, CCS reconstruction code and locations of magnetic field and flux sensors.

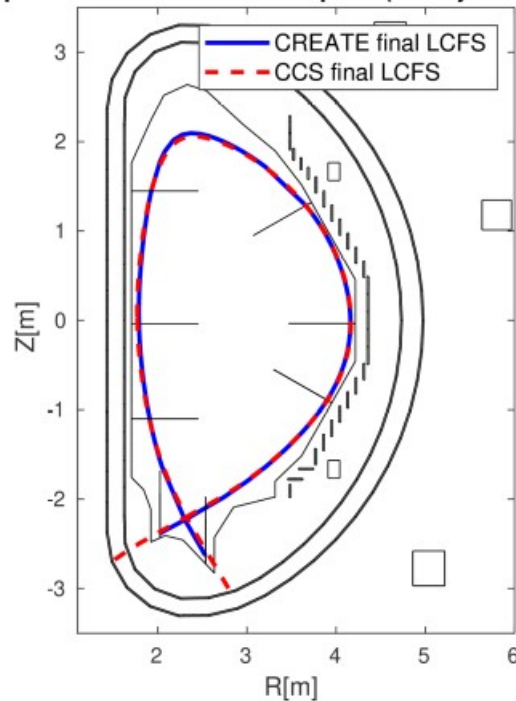
Simulation Results – LCFS comparison



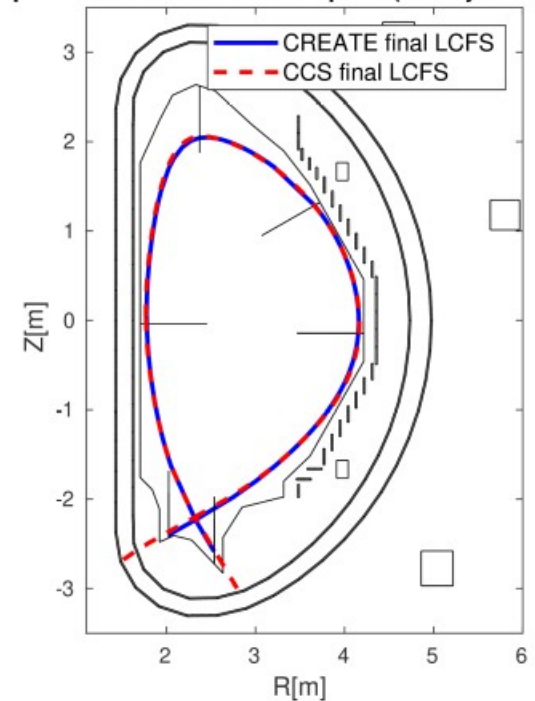
SOF equilibrium with a Minor Disruption (Steady State)



SOF equilibrium with a Minor Disruption (Steady State)



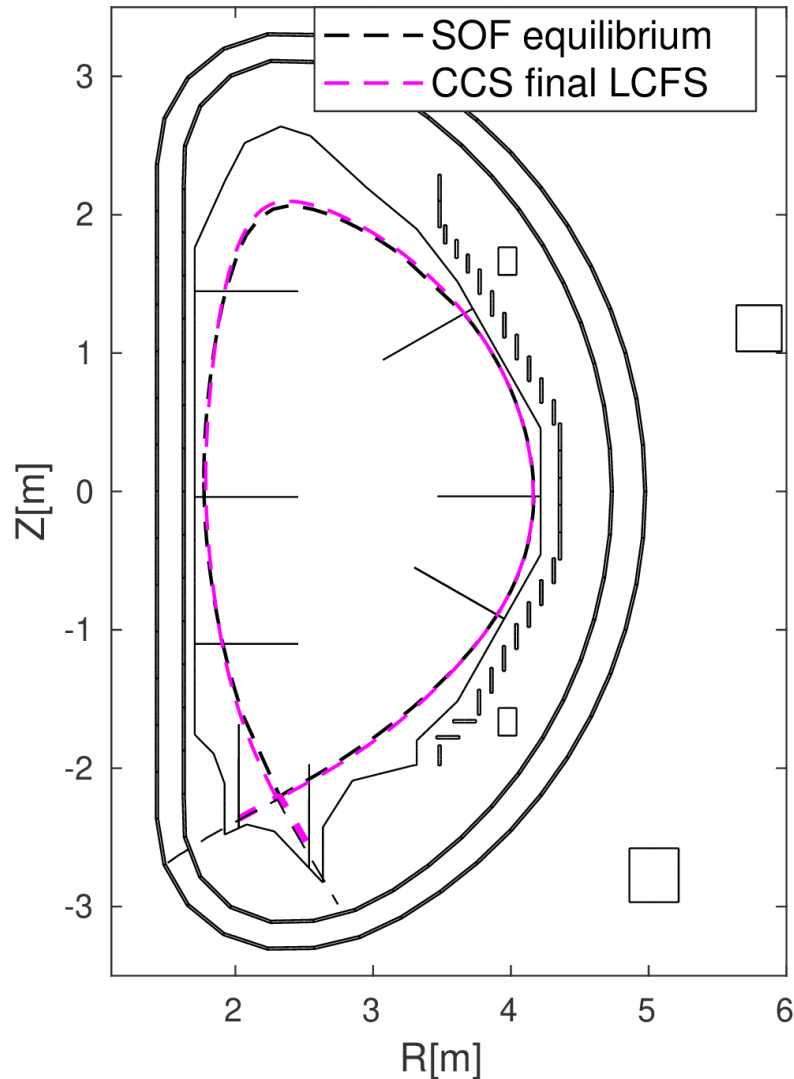
SOF equilibrium with a Minor Disruption (Steady State)



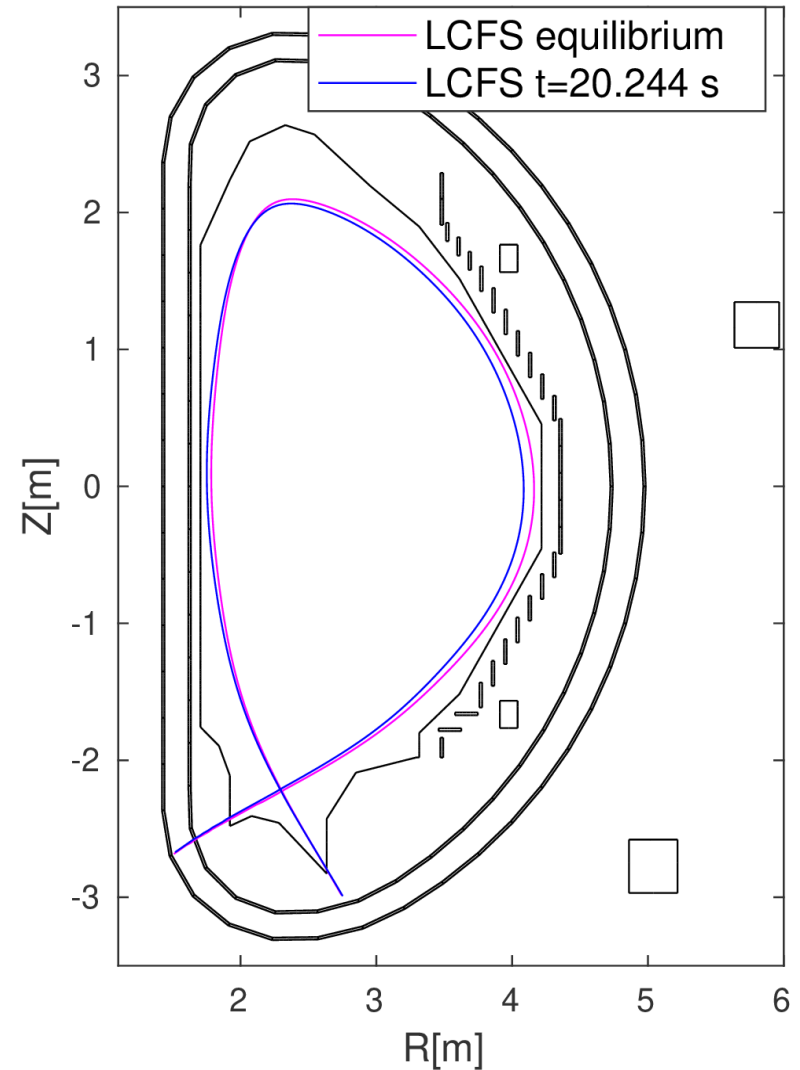
Isoflux Control Results



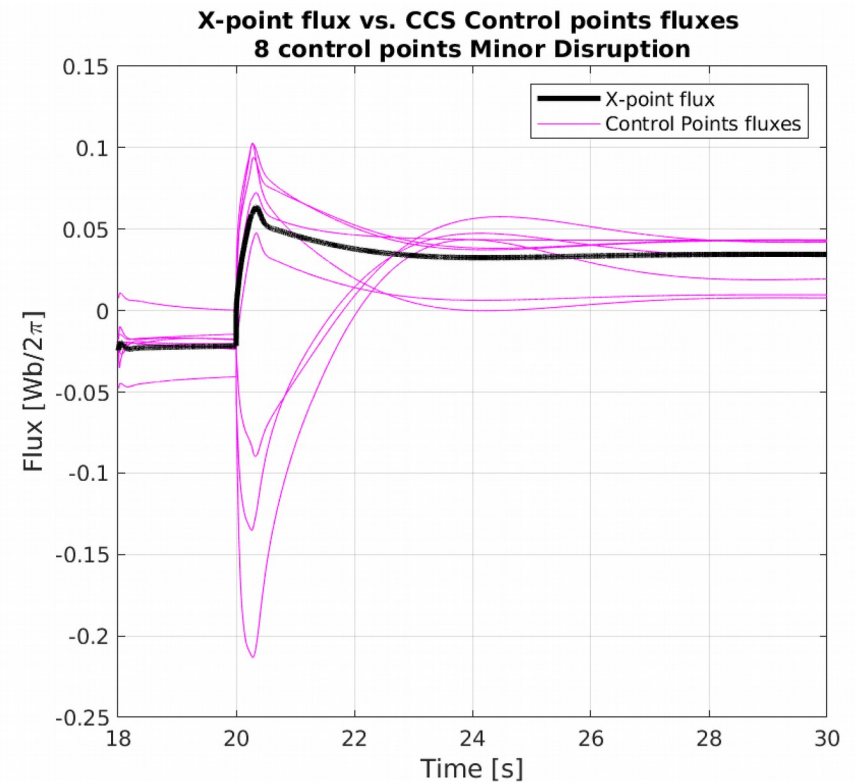
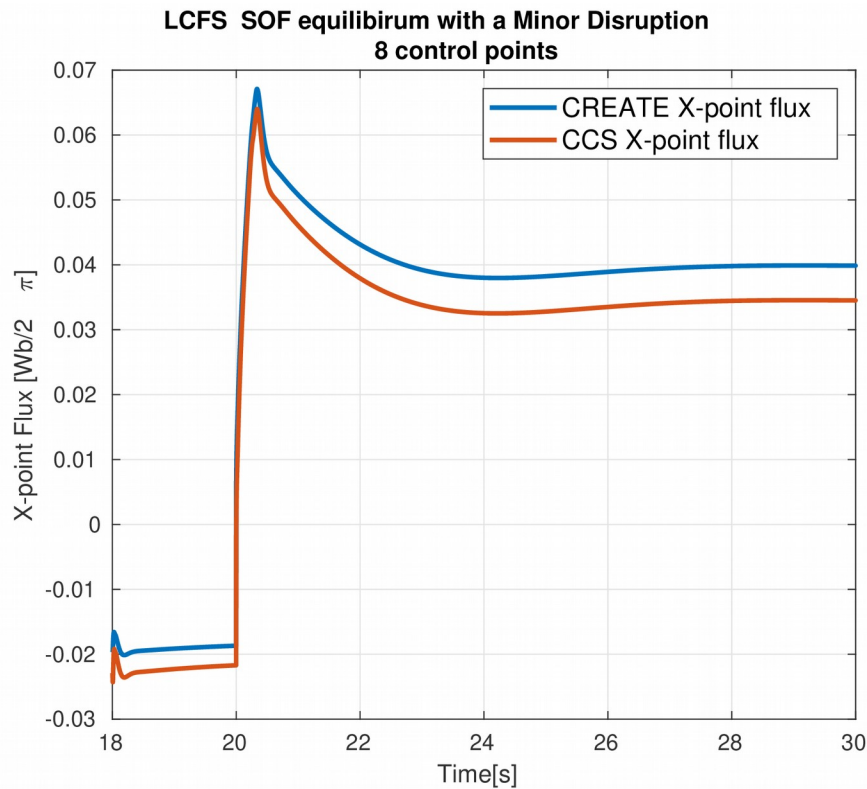
SOF equilibrium with a Minor Disruption



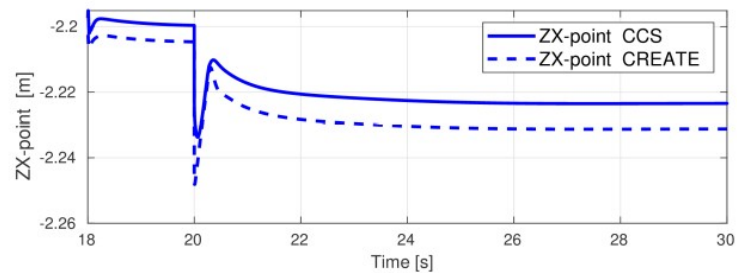
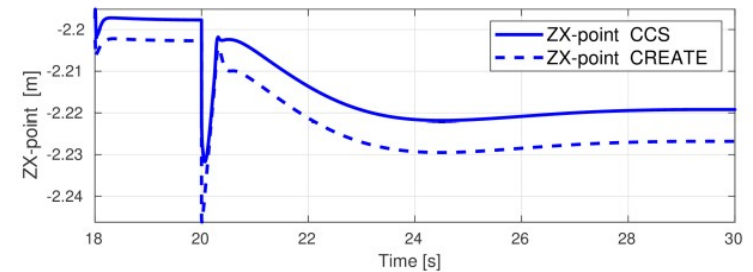
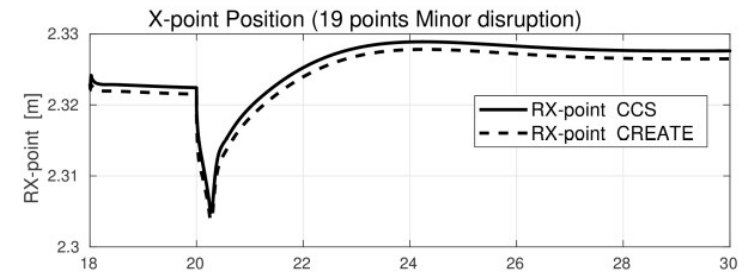
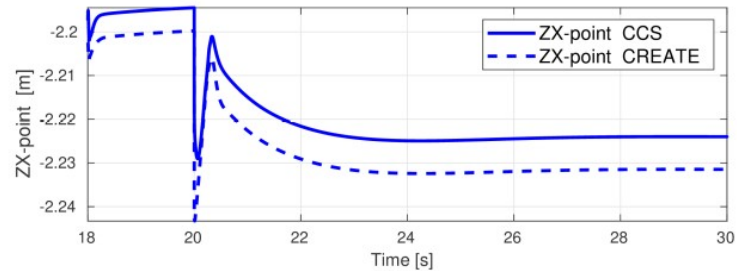
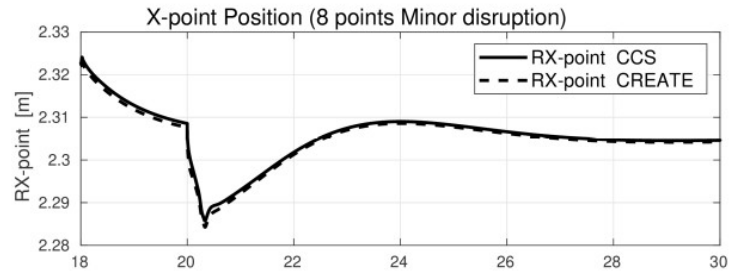
**SOF equilibrium with a Minor Disruption
8 control points**



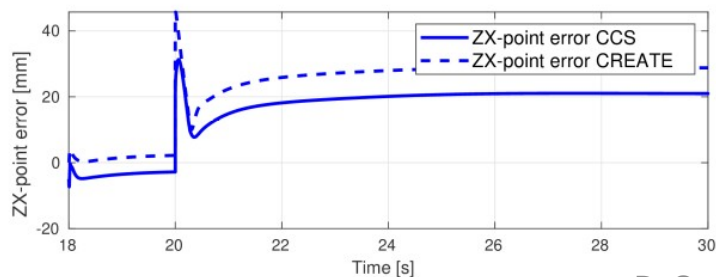
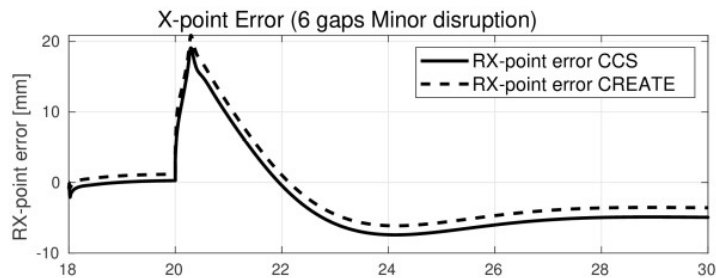
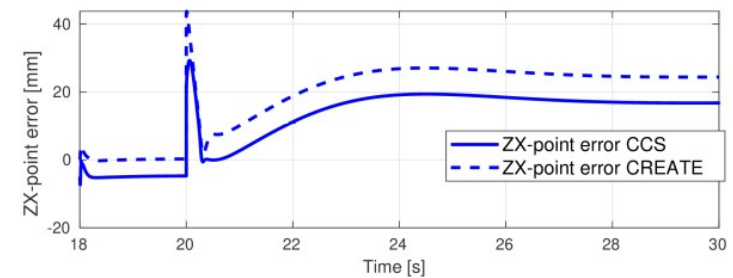
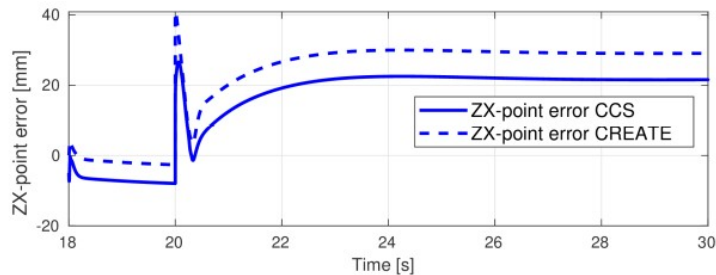
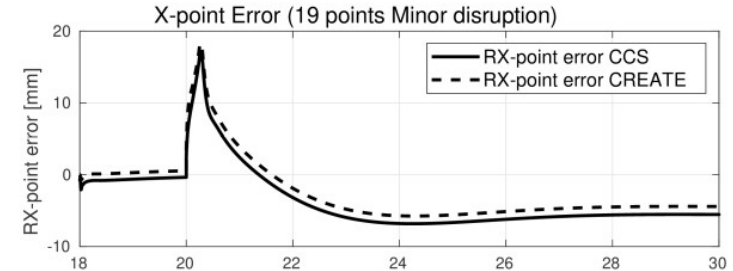
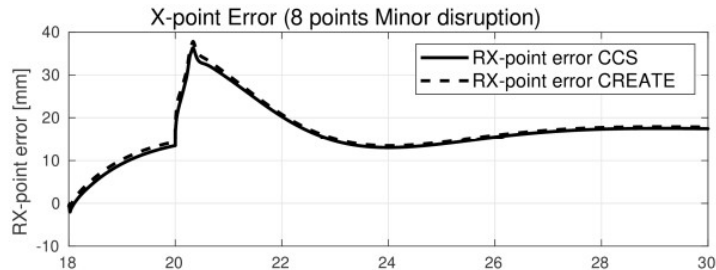
Simulation Results – LCFS flux



Simulation Results- X-point Position

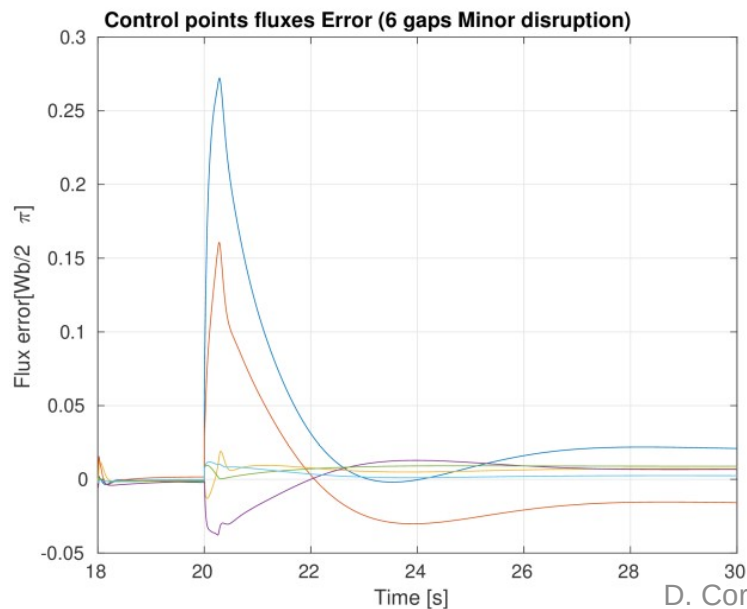
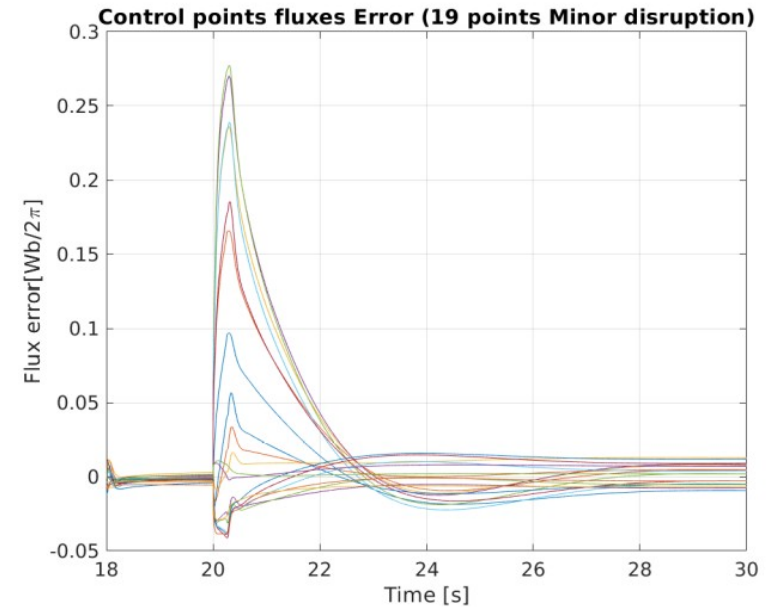
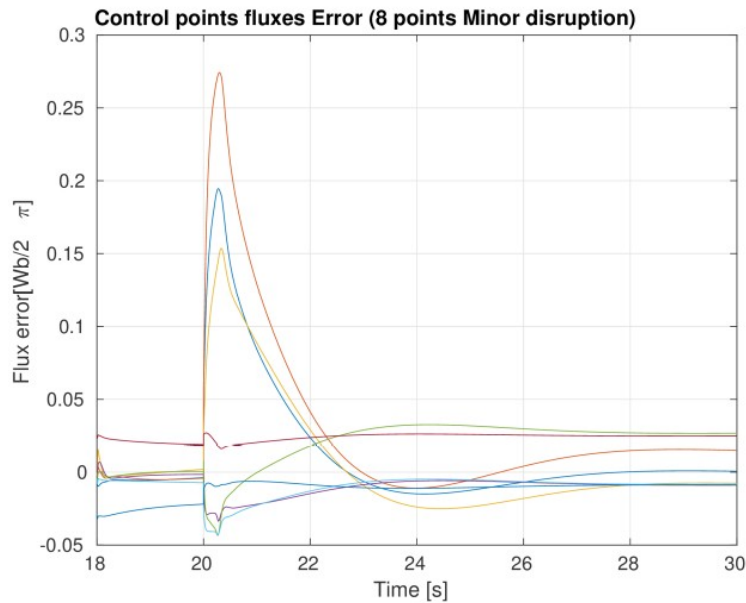


Simulation Results – X-point Error



| Steady State error [mm] | CCS reconstruction | | CREATE reconstruction | |
|-------------------------|--------------------|-------|-----------------------|-------|
| | RX | ZX | RX | ZX |
| 6 points | -4.92 | 20.9 | -3.57 | 28.8 |
| 8 points | 17.44 | 21.56 | 17.81 | 29.04 |
| 19 points | -5.54 | 16.78 | -4.42 | 24.41 |

Simulation Results – Fluxes Error



RMSE Steady State
[Wb/2 π]

CCS
reconstruction

6 points

0.0121

8 points

0.0152

19 points

0.0069



BACKUP SLIDES



- The design of the proposed PFC current control is based on a plasmaless model
- The following design approach already proposed for ITER tokamak has been adopted:
 - A modified version of the inductance matrix is calculated, by neglecting the effect of the passive structures and by
 - In order to minimize the control effort, for each circuit all the mutual inductances which are less than 10% of the circuit self-inductance have been neglected
☑ in this way the current in each circuit is controlled only by those circuits who are more coupled with it
 - The time constants are used to define the matrix

$$\Lambda = \begin{pmatrix} 1/\tau_{PF1} & 0 & \dots & 0 \\ 0 & 1/\tau_{PF2} & \dots & 0 \\ \dots & \dots & \dots & \dots \\ 0 & 0 & \dots & 1/\tau_{PF_n} \end{pmatrix}$$

- The controller is the

where

$$\mathbf{U}_{PF}(t) = \mathbf{K}_{PF} \cdot (\mathbf{I}_{PF_{ref}}(t) - \mathbf{I}_{PF}(t))$$

$$\mathbf{K}_{PF} = \mathbf{S}^{-1} \cdot \tilde{\mathbf{L}}_{PF} \cdot \Lambda$$