## TASK 4 OPTIMIZATION MODEL

## SOLVE A BUSINESS PROBLEM USING OPTIMIZATION TECHNIQUES (E.G., LINEAR PROGRAMMING) AND PYTHON LIBRARIES LIKE PULP

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Project Title: Production Planning Optimization using Linear Programming
Problem Statement: A factory produces 2 products:
Product A
Product B
The factory has limited resources:
Resource — Available Hours
Machine - 1 40 hours
Machine - 2 50 hours
Product A requires:
1 hour on Machine 1
2 hours on Machine 2
Product B requires:
2 hours on Machine 1
1 hour on Machine 2
Profit per unit:
Product A = $30
Product B = $20
Goal: Maximize total profit while not exceeding machine capacities.
pip install pulp

→ Collecting pulp

       Downloading pulp-3.2.1-py3-none-any.whl.metadata (6.9 kB)
     Downloading pulp-3.2.1-py3-none-any.whl (16.4 MB)
                                                - 16.4/16.4 MB 91.7 MB/s eta 0:00:00
     Installing collected packages: pulp
     Successfully installed pulp-3.2.1
# ELiteTech Internship - Task 4: Optimization Model
# Production Planning using Linear Programming
import pulp
# Initialize LP problem: Maximize profit
model = pulp.LpProblem("Maximize_Profit", pulp.LpMaximize)
# Decision variables
A = pulp.LpVariable("Product_A", lowBound=0, cat='Integer')
B = pulp.LpVariable("Product B", lowBound=0, cat='Integer')
# Objective function (maximize profit)
model += 30*A + 20*B
# Constraints
model += 1*A + 2*B <= 40 # Machine 1 constraint
model += 2*A + 1*B <= 50 # Machine 2 constraint
# Solve the problem
model.solve()
# Results
print(f"Status: {pulp.LpStatus[model.status]}")
print(f"Produce {A.varValue} units of Product A")
print(f"Produce {B.varValue} units of Product B")
print(f"Maximum Profit: ${pulp.value(model.objective)}")
```

Status: Optimal
Produce 20.0 units of Product A
Produce 10.0 units of Product B

Maximum Profit: \$800.0

