Objective: To predict whether a patient will survive a breast cancer operation or not after 5 years of operation based on the features(age, operating year and number of positive axillary nodes)

```
In [ ]:
```

```
#### importing the packages needed
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
import warnings
warnings.filterwarnings("ignore")

# Loading Haberman's Cancer Survival Dataset
haberman = pd.read_csv('./haberman.csv')
```

#### In [ ]:

```
#### No.of data points and features
print(haberman.shape)
(306, 4)
```

#### (---)

#### In [ ]:

```
#### Column names in our dataset print(haberman.columns)
```

```
Index(['Age', 'Op_Year', 'Axil_Node', 'Surv_Status'], dtype='object')
```

This dataset has 4 columns.

#### In [ ]:

```
#viewing some datapoints
haberman.head(10)
```

#### Out[4]:

	Age	Op_Year	Axil_Node	Surv_Status
0	30	64	1	1
1	30	62	3	1
2	30	65	0	1
3	31	59	2	1
4	31	65	4	1
5	33	58	10	1
6	33	60	0	1
7	34	59	0	2
8	34	66	9	2
9	34	58	30	1

# In [ ]:

```
#Detailed information of Haberman Dataset
haberman.info()
```

```
In [ ]:
```

```
#More about the dataset
haberman.describe()
```

#### Out[6]:

	Age	Op_Year	Axil_Node	Surv_Status
count	306.000000	306.000000	306.000000	306.000000
mean	52.457516	62.852941	4.026144	1.264706
std	10.803452	3.249405	7.189654	0.441899
min	30.000000	58.000000	0.000000	1.000000
25%	44.000000	60.000000	0.000000	1.000000
50%	52.000000	63.000000	1.000000	1.000000
75%	60.750000	65.750000	4.000000	2.000000
max	83.000000	69.000000	52.000000	2.000000

#### **Explanation:**

## In [ ]:

```
#data points for each class
haberman["Surv_Status"].value_counts()
Out[7]:
```

out[/].

1 225 2 81

Name: Surv\_Status, dtype: int64

### Observations:

- 1. Haberman Survival Dataset is an imbalanced dataset.
- 2. There are 225 points (225 patients survived for 5 years or longer) under class 1, and 81 points (81 patients died within 5 years of operation) under class 2.

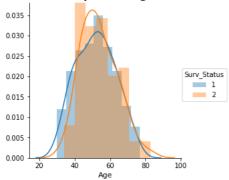
# 1 Univariate Analysis

### 1.1 PDF

```
In [ ]:
```

```
# PDF of age feature
sns.FacetGrid(haberman,hue='Surv_Status',size=4) \
    .map(sns.distplot,"Age") \
    .add_legend()
plt.title('Distribution plot for age feature', fontweight="bold", size="16")
plt.xlabel("Age",size=11)
plt.show()
```

## Distribution plot for age feature

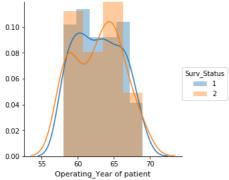


- 1. The histogram almost is overlapping each other, no must observations can be made.
- $2. \\ The people within range of 40-59 age is more likely to die.$
- 3.People less than age 40 are more likely to survive.
- 4. Within the age group 34-76 the patient have both the possibility.

### In [ ]:

```
# PDF of Operating year feature
sns.FacetGrid(haberman,hue='Surv_Status',size=4) \
    .map(sns.distplot,"Op_Year") \
    .add_legend()
plt.title("Distribution plot Operation year feature",fontweight="bold",size=16)
plt.xlabel('Operating_Year of patient',size=11)
plt.show()
```

# Distribution plot Operation year feature



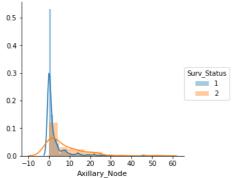
#### Observations:

- 1.Patients chances to survive for 5yrs or more is greater between 1958-62.
- 2.Large number of people died within the operating year 62-66.

### In [ ]:

```
# PDF of Axillary Node feature
sns.FacetGrid(haberman,hue='Surv_Status',size=4) \
    .map(sns.distplot,"Axil_Node") \
    .add_legend()
plt.title("Distribution plot for Axillary node", fontweight="bold", size=16)
plt.xlabel("Axillary_Node",size=11)
plt.show()
```

# Distribution plot for Axillary node



# Observations:

- 1.By observing the pdf of axilliary node, patients having zero(0) axil nodes are most likely to survive after operating.
- 2.Patients chances to survive is less if positive lymph nodes count is >3.

# 1.2 CDF

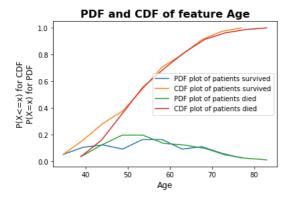
# In [ ]:

```
haberman_surv = haberman.loc[haberman["Surv_Status"] == 1]
haberman_died = haberman.loc[haberman["Surv_Status"] == 2]
```

```
###Plot of CDF & PDF of patients age
##For patients survived
print("\nFor patients survived:-")
counts, bin_edges = np.histogram(haberman_surv['Age'], bins=10,
                                 density = True)
#compute PDF
pdf = counts/(sum(counts))
print(pdf)
print(bin_edges)
#compute CDF
cdf = np.cumsum(pdf)
plt.plot(bin_edges[1:],pdf,label="PDF plot of patients survived")
plt.plot(bin_edges[1:], cdf,label="CDF plot of patients survived")
##For patients died
print("\nFor patients died:-")
counts, bin_edges = np.histogram(haberman_died['Age'], bins=10,
                                 density = True)
#compute PDF
pdf = counts/(sum(counts))
print(pdf)
print(bin_edges)
#compute CDF
cdf = np.cumsum(pdf)
plt.plot(bin_edges[1:],pdf,label="PDF plot of patients died")
plt.plot(bin_edges[1:], cdf,label="CDF plot of patients died")
##Title, label, legend
plt.title("PDF and CDF of feature Age",fontweight="bold",size=16)
plt.xlabel("Age", size=12)
plt.ylabel("P(X<=x) for CDF" + "\nP(X=x) for PDF", size=12)
plt.legend(loc="center right",frameon=True)
plt.show()
```

```
For patients survived:-
[0.05333333 0.10666667 0.124444444 0.09333333 0.164444444 0.164444444
0.09333333 0.11111111 0.06222222 0.02666667]
[30. 34.7 39.4 44.1 48.8 53.5 58.2 62.9 67.6 72.3 77. ]

For patients died:-
[0.03703704 0.12345679 0.19753086 0.19753086 0.13580247 0.12345679
0.09876543 0.04938272 0.02469136 0.01234568]
[34. 38.9 43.8 48.7 53.6 58.5 63.4 68.3 73.2 78.1 83. ]
```

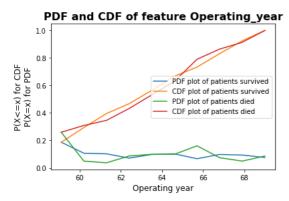


- 1. There is 40% of chance that Patients <49 yrs would be able to survive for 5 years or more.
- 2. There is 5%-38% of chance that patients between 39-49 yrs won't be able to survive for 5 years.

```
###Plot of CDF & PDF of patients operating year
##For patients survived
print("\nFor patients survived:-")
counts, bin_edges = np.histogram(haberman_surv['Op_Year'], bins=10,
                                  density = True)
#compute PDF
pdf = counts/(sum(counts))
print(pdf)
print(bin_edges)
#compute CDF
cdf = np.cumsum(pdf)
plt.plot(bin_edges[1:],pdf,label="PDF plot of patients survived")
plt.plot(bin_edges[1:], cdf,label="CDF plot of patients survived")
##For patients died
print("\nFor patients died:-")
counts, bin_edges = np.histogram(haberman_died['Op_Year'], bins=10,
                                  density = True)
#compute PDF
pdf = counts/(sum(counts))
print(pdf)
print(bin_edges)
#compute CDF
cdf = np.cumsum(pdf)
plt.plot(bin_edges[1:],pdf,label="PDF plot of patients died")
plt.plot(bin_edges[1:], cdf,label="CDF plot of patients died")
plt.title("PDF and CDF of feature Operating_year",fontweight="bold",size=16)
plt.xlabel("Operating year", size=12)
plt.ylabel("P(X<=x) for CDF" + "\nP(X=x) for PDF", size=12)
plt.legend(loc="center right",frameon=True)
plt.show()
```

```
For patients survived:-
[0.18666667 0.10666667 0.10222222 0.07111111 0.09777778 0.10222222 0.06666667 0.09777778 0.09333333 0.07555556]
[58. 59.1 60.2 61.3 62.4 63.5 64.6 65.7 66.8 67.9 69. ]

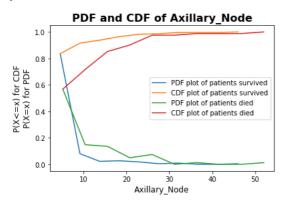
For patients died:-
[0.25925926 0.04938272 0.03703704 0.08641975 0.09876543 0.09876543 0.16049383 0.07407407 0.04938272 0.08641975]
[58. 59.1 60.2 61.3 62.4 63.5 64.6 65.7 66.8 67.9 69. ]
```



1.28% to 70% of patients undergone operation between year 1960-65 were able to survive for 5 years or longer.

2.71% to 90% of patients undergone operation between year 1965-67 were not able to survive for 5 years.

```
###Plot of CDF & PDF of patients Axillary Node
##For patients survived
print("\nFor patients survived:-")
counts, bin_edges = np.histogram(haberman_surv['Axil_Node'], bins=10,
                                    density = True)
#compute PDF
pdf = counts/(sum(counts))
print(pdf)
print(bin_edges)
#compute CDF
cdf = np.cumsum(pdf)
plt.plot(bin_edges[1:],pdf,label="PDF plot of patients survived")
plt.plot(bin_edges[1:], cdf,label="CDF plot of patients survived")
##For patients died
print("\nFor patients died:-")
counts, bin_edges = np.histogram(haberman_died['Axil_Node'], bins=10,
                                    density = True)
#compute PDF
pdf = counts/(sum(counts))
print(pdf)
print(bin_edges)
#compute CDF
cdf = np.cumsum(pdf)
plt.plot(bin_edges[1:],pdf,label="PDF plot of patients died")
plt.plot(bin_edges[1:], cdf,label="CDF plot of patients died")
plt.title("PDF and CDF of Axillary Node", fontweight="bold", size=16)
plt.xlabel("Axillary_Node",size=12)
plt.ylabel("P(X<=x) for CDF" + "\nP(X=x) for PDF",size=12)
plt.legend(loc="center right",frameon=True)
plt.show()
```

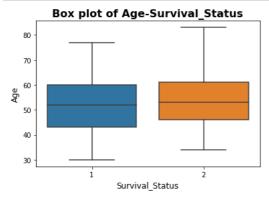


More than 80% of patients with 5 or less axillary nodes survived for 5 years or longer.

# 1.3 Box plot and Whiskers

# In [ ]:

```
sns.boxplot(x='Surv_Status',y='Age', data=haberman)
plt.title("Box plot of Age-Survival_Status",fontweight="bold",size=16)
plt.xlabel("Survival_Status",size=12)
plt.ylabel("Age",size=12)
plt.show()
```



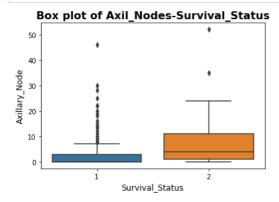
### Observations:

1.Age group 42-46 are likely to survive without any danger i.e.Most of the patients with age < 45 yrs are able to survive for 5 yrs or longer.

2.Almost 2% of Patients having age > 60 yrs were not able to survive for 5 yrs, however patients having age > 78 yrs are certainly not able to survive for 5 yrs.

#### In [ ]

```
sns.boxplot(x='Surv_Status',y='Axil_Node', data=haberman)
plt.title("Box plot of Axil_Nodes-Survival_Status",fontweight="bold",size=16)
plt.xlabel("Survival_Status",size=12)
plt.ylabel("Axillary_Node",size=12)
plt.show()
```

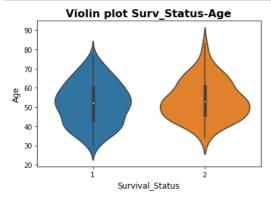


- 1.Patients having 0 nodes are more likely to survive.
- 2.25% of Patients with 3 axillary nodes were able to survive for 5 years.
- 3.More than 25% of Patients having >= 4 axillary nodes were not able to survive for 5 years.
- 4.As the no. of nodes increases the risk to death increases (less the no. of axil, less risk of death).

# 1.4 Violin plots

# In [ ]:

```
sns.violinplot(x="Surv_Status", y="Age", data=haberman, size=5)
plt.title("Violin plot Surv_Status-Age",fontweight="bold", size=16)
plt.xlabel("Survival_Status",size=12)
plt.ylabel("Age",size=12)
plt.show()
```

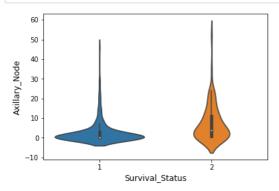


#### Observations:

Depending upon the age feature we cannot perfectly determine the survival status.

# In [ ]:

```
sns.violinplot(x="Surv_Status", y="Axil_Node", data=haberman, size=5)
plt.xlabel("Survival_Status", size=12)
plt.ylabel("Axillary_Node", size=12)
plt.show()
```



#### Observations:

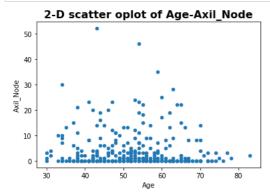
Depending upon the axil-node feature we can observe less the axil-nodes less the risk to death.

# 2 Bivariate Analysis

# 2.1 2-D Scatter Plot

#### In [ ]:

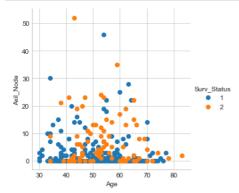
```
haberman.plot(kind='scatter',x="Age",y='Axil_Node')
plt.title("2-D scatter oplot of Age-Axil_Node",fontweight="bold",size=16)
plt.show()
```



We cannot distinguish between the points as both are of same colour so we will be using seaborn for differentiation.

#### In [ ]:

```
sns.set_style("whitegrid")
sns.FacetGrid(haberman, hue="Surv_Status", size=4) \
    .map(plt.scatter, "Age", "Axil_Node") \
    .add_legend()
plt.show()
```



### Observations:

We can roughly observe that most of the patients who survived 5years or longer have nearly 0 axil node irrespective of their ages (more blue points are concentrated on zero axil nodes).

# 2.2 Pairplot

#### In [ ]:

```
sns.set_style("whitegrid")
sns.pairplot(haberman,hue='Surv_Status',vars=['Age','Op_Year','Axil_Node'])
plt.show()
```



- 1.By observing the pair plots Age vs Axil\_Node which is plot3 or Axil\_Node vs Age which is plot7 gives a better understanding of survival status.
- 2. In other pair plots the points are overlapped and because of which they are not linerally seperable.

```
In [ ]:
```

```
#Mean
print("Means :")
print(np.mean(haberman_surv["Age"]))
#Mean with an outlier.
print(np.mean(np.append(haberman_surv["Age"],306)))
print(np.mean(haberman_died["Age"]))
#Standard deviation
print("\nStd-dev :");
print(np.std(haberman_surv["Age"]))
print(np.std(haberman_died["Age"]))
#Median
print("\nMedians:")
print(np.median(haberman_surv["Age"]))
print(np.median(haberman_died["Age"]))
print("\nQuantiles:")
print(np.percentile(haberman_surv["Age"],np.arange(0, 100, 25)))
print(np.percentile(haberman_died["Age"],np.arange(0, 100, 25)))
#Percentiles
print("\n90th Percentiles:")
print(np.percentile(haberman_surv["Age"],90))
print(np.percentile(haberman_died["Age"],90))
#IOR
from statsmodels import robust
print ("\nMedian Absolute Deviation")
print(robust.mad(haberman_surv["Age"]))
print(robust.mad(haberman_died["Age"]))
52.0177777777778
53.14159292035398
53.67901234567901
10.98765547510051
10.10418219303131
Medians:
53.0
Quantiles:
[30. 43. 52. 60.]
[34. 46. 53. 61.]
```

# 3 Overall Conclusions

# 3.1 From PDF and CDF:

90th Percentiles:

Median Absolute Deviation 13.343419966550417 11.860817748044816

67.0 67.0

- 1. The people within range of 40-59 age is more likely to die.
- 2. People less than age 40 are more likely to survive.
- 3. Within the age group 34-76 the patient have both the possibility.
- 4. Large number of people died within the operating year 62-66.
- 5. By observing the pdf of axilliary node, patients having zero(0) axil nodes are most likely to survive after operating.
- 6. Patients chances to survive is less if positive lymph nodes count is >3.
- 7. 28% to 70% of patients undergone operation between year 1960-65 were able to survive for 5 years or longer.
- 8. 71% to 90% of patients undergone operation between year 1965-67 were not able to survive for 5 years.

# 3.2 From Box plot and violin plot:

- 1. Age group 42-46 are likely to survive without any danger i.e. Most of the patients with age < 45 yrs are able to survive for 5 yrs or longer.
- 2. Almost 2% of Patients having age > 60 yrs were not able to survive for 5 yrs, however patients having age > 78 yrs are certainly not able to survive for 5 yrs.
- 3. Patients having 0 nodes are more likely to survive.
- 4. 25% of Patients with 3 axillary nodes were able to survive for 5 years.
- 5. More than 25% of Patients having >= 4 axillary nodes were not able to survive for 5 years.

6. As the no. of nodes increases the risk to death increases (less the no. of axil, less risk of death).

# 3.3 From Scatter plots and Pairplots:

- 1. We can roughly observe that most of the patients who survived 5 years or longer have nearly 0 axil node irrespective of their ages (more blue points are concentrated on zero axil nodes).
- 2. By observing the pair plots Age vs Axil\_Node which is plot3 or Axil\_Node vs Age which is plot7 gives a better understanding of survival status.
- 3. In other pair plots the points are overlapped and because of which they are not lineraly seperable.