## WorkShop No. 1 — The Old Times



### **Members:**

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### **Teacher:**

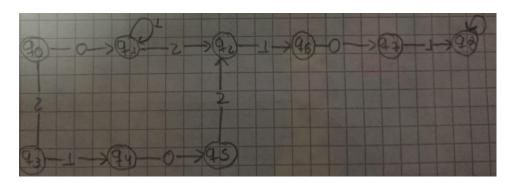
Carlos Andrés Sierra Virguez

Universidad Distrital Francisco José de Caldas
Faculty of Engineering
Computer Science III
Bogotá, 2024

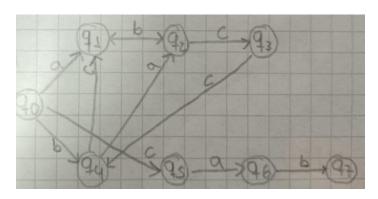
# **Exercices:**

### 1. For each of the following languages, define the corresponding finite-state machine:

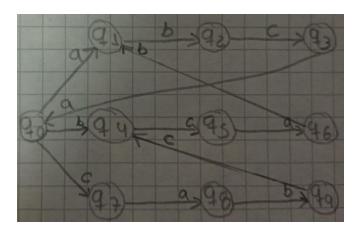
(i) 
$$\Sigma = \{0,\,1,\,2\}.$$
   
 L = (01\*2  $\cup$  2102)\*101(01  $\cup$  12  $\cup$  20)\* .



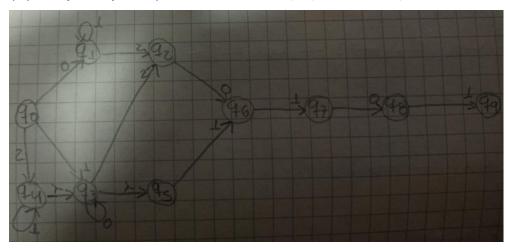
(ii)  $\Sigma = \{a, b, c\}$ .  $L = (abc \cup bca \cup cab)(abc \cup bca \cup cab) *$ .



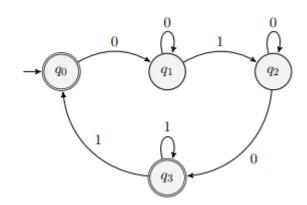
(iii)  $\Sigma = \{a, b, c\}$ .  $L = (abc \cup bca \cup cab) * (abc \cup bca \cup cab)$ .

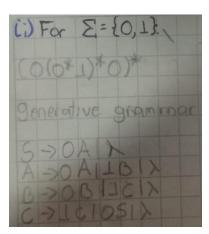


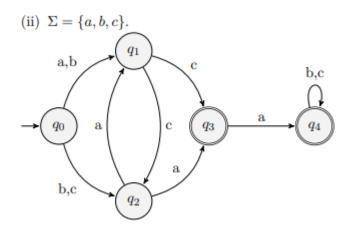
(iv)  $\Sigma = \{0, 1, 2\}$ . L =  $(01*2 \cup 10*2 \cup 21*0)*(01 \cup 12 \cup 20)*101$ .

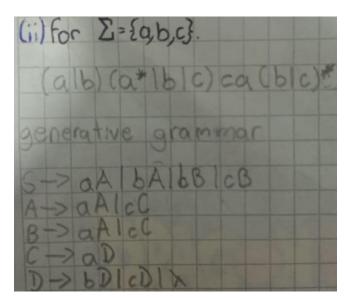


- 2. For each one of the following finite-state machines, define the corresponding regular expression and a generative grammar:
  - (i)  $\Sigma = \{0, 1\}.$



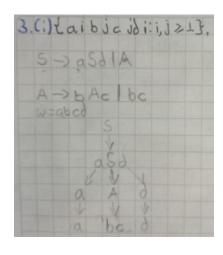






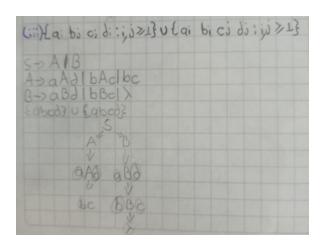
3. For each of the following regular expressions, define the corresponding generative grammar (all over the alphabet  $\Sigma = \{a, b, c, d\}$ ):

(i) 
$$\{a \ i \ b \ j \ c \ jd \ i : i, j \ge 1\}.$$

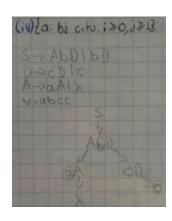


(ii)  $\{a \ i \ b \ i \ c \ jd \ j : i, j \ge 1\}.$ 

 $(iii) \; \{a\; i\; b\; j\; c\; jd\; i: i,j\geq 1\} \; \cup \; \{a\; i\; b\; i\; c\; jd\; j: i,j\geq 1\}.$ 



(iv)  $\{a \ i \ b \ j \ c \ i+j : i \ge 0, j \ge 1\}.$ 



4. Be G a context-free grammar with the following productions:

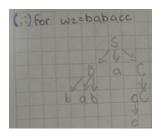
$$G = \left\{ \begin{array}{l} S \rightarrow ABC \mid BaC \mid aB \\ A \rightarrow Aa \mid a \\ B \rightarrow BAB \mid bab \\ C \rightarrow cC \mid \lambda \end{array} \right.$$

#### Found derivation trees for the following strings:

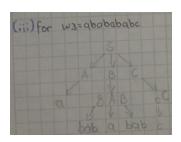
(i) 
$$w1 = abab$$
.



(ii) w2 = babacc.



(iii) w3 = ababababc.

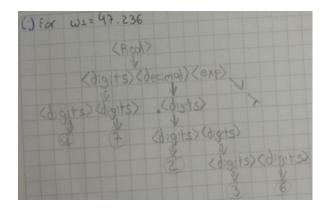


5. As follows there is a context-free grammar to generate real numbers without sign, the alphabet is  $\Sigma = \{0, 1, 2, 3, 4, 5, 6, 7, 8, 9, ., +, -, E\}$ :

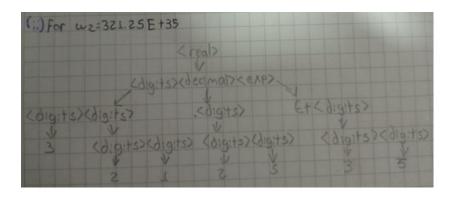
$$< real > \to < digits > < decimal > < exp > < digits > \to < digits > < digits > | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 < decimal > \to < digits > | \lambda$$
 
$$< exp > \to E < digits > | E + < digits > | E - < digits > | \lambda$$

Define the derivation tree for the following strings:

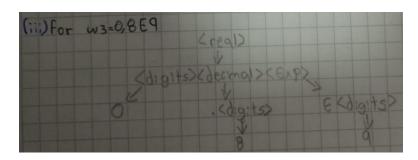
(i) 
$$w1 = 47.236$$



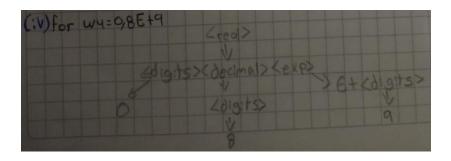
(ii) w2 = 321.25E + 35



(iii) w3 = 0.8E9



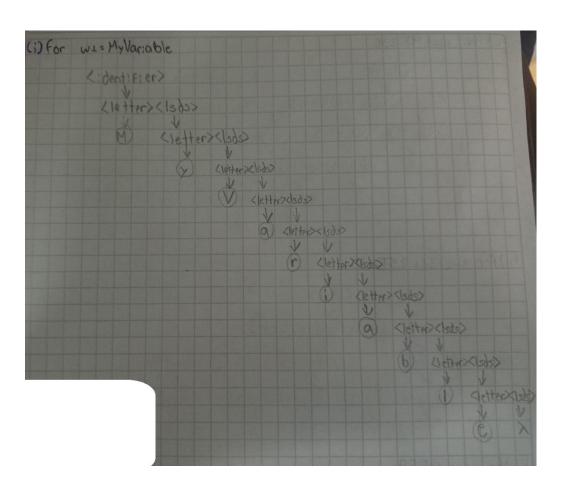
(iv) w4 = 0.8E + 9

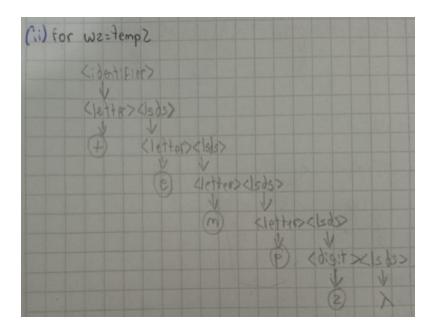


6. As follows there is a context-free grammar to generate identifiers, identifiers are strings of letters and digits, starting with a letter:

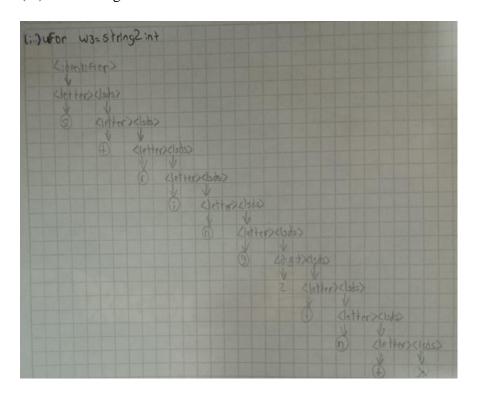
### Define the derivation tree for the following names:

(i) w1 = MyVariable





## (iii) w3 = string2int



(iv) w4 = 2NotAVariable

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V													
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