

# Python Code Documentation

## Function

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`admissible_subsets`

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## Description

Performs variable selection in the linear model setting. Can to handle both  $p \leq n$  and  $p > n$  situations. See the reference for further details.

## Usage

```
admissible_subsets(y, X, N, steps, burnin, po, PropWeights)
```

## Arguments

- y:** An  $n \times 1$  NumPy array of response data.
- X:** An  $n \times p$  NumPy array of predictors.
- N:** The number of importance samples used to estimate  $E(h(\beta_M))$  within the pseudo-marginal MCMC. Default is 100.
- steps:** The number of MCMC steps.
- burnin:** The number of initial *steps* to discard.
- po:** Belief about the number of predictors in the true model. Can be chosen via cross-validation with `admissible_subsets_cv`.
- PropWeights:** The weights used for proposing which predictors to add or drop as the MCMC samples index sets  $M \subset \{1, \dots, p\}$ . Default is to use squared coefficient estimates from elastic net, via the `ElasticNetCV` function from the ‘sklearn.linear\_model’ Python module, added by  $n^{-2}$ .

## Values

- chain:** A  $(steps - burnin) \times p$  NumPy array containing the MCMC sample path (or trace) over index sets  $M$ , after *burnin* number of steps.
- postSample:** A NumPy array containing the indices (in each row) for every  $M$  visited in the MCMC sample path.
- postProbs:** A list containing the relative frequencies for which each of the index sets  $M$  in *postSample* was visited in the MCMC sample path.

**AcceptRatio:** The number of MCMC steps in which a proposed index set  $M$  was accepted.

## References

J. P. Williams and J. Hannig (2017). Non-penalized variable selection in high-dimensional linear model settings via generalized fiducial inference. *Submitted*.

Supplement:

## Function

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`admissible_subsets_cv`

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## Description

Performs  $k$ -fold cross-validation to choose  $po$  in `admissible_subsets`, using an implementation of `admissible_subsets`. See the reference for further details.

## Usage

`admissible_subsets_cv(y, X, N, steps, burnin, grid, num_folds)`

## Arguments

<b>y:</b>	An $n \times 1$ NumPy array of response data.
<b>X:</b>	An $n \times p$ NumPy array of predictors.
<b>N:</b>	The number of importance samples used to estimate $E(h(\beta_M))$ within the pseudo-marginal MCMC, during the cross-validation procedure. Default is 30.
<b>steps:</b>	The number of MCMC steps, during the cross-validation procedure. Default is 200.
<b>burnin:</b>	The number of initial <i>steps</i> to discard, during the cross-validation procedure. Default is 100.
<b>grid:</b>	A list of $po$ values to perform cross-validation over. Default is $[1, 2, 3, 4, 5, 6, 7, 8, 9, 10]$ .
<b>num_folds:</b>	The number of folds to partition the data into for performing $k$ -fold cross-validation. Default is 10.

## Values

**po:** The optimal tuning parameter based on the implemented cross-validation.

## References

J. P. Williams and J. Hannig (2017). Non-penalized variable selection in high-dimensional linear model settings via generalized fiducial inference. *Submitted*.

Supplement: