
Algorithm 1 Learner. An observation consists of a list of values, with the format: (time,value). The behavior of an observation is expressed as a list of mathematical equations, which are afterwards incorporated to a graph model lm . All inputs are given by the user.

Inputs: Observed data $observation$, buffer size $bufferSize$, time step $timeStep$, empty learned model lm .

Output: Learned model lm

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1: procedure LEARNER( $observation$ )
2:    $trace \leftarrow \text{parseObservation}(observation)$ 
3:    $buffer \leftarrow \text{bufferInit}(timeStep, bufferSize, trace)$ 
4:    $equationTrace \leftarrow \text{fit}(timeStep, buffer, trace)$ 
5:   if  $lm.isEmpty()$  then
6:     for each  $equation \in equationTrace$  do
7:        $\text{addEquationToLearnedModel}(equation)$ 
8:     end for
9:   else
10:     $directSuccessors \leftarrow \text{getDirectSuccessors}(lm.initialLocation)$ 
11:    for each  $equation \in equationTrace$  do
12:       $directSuccessorsDistances \leftarrow \text{getDistances}(directSuccessors, equation)$ 
13:       $lastModifiedNode \leftarrow \text{addEquationToLearnedModel}(directSuccessorsDistances)$ 
14:       $directSuccessors \leftarrow \text{getDirectSuccessors}(lastModifiedNode)$ 
15:    end for
16:  end if
17: end procedure

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