Lab3

Group 8-lab 3

12/14/2017

LAB 3 BLOCK 1: KERNEL METHODS AND NEURAL NET-WORKS

1. KERNEL METHODS

In this assignment forecast consist of temperature from 4:00 to 24:00 in interval of 2 hours. We have implemented the three kernels to calculate

- 1. station point(lat,lng) from point of interest(lat,lng)
- 2. date distance from point of interest date
- 3. hour distance

we have make this three kernels function by setting the smoothing coeffcient or width for each kernel which involve most of the point to consider

- Distacne kernel (h_distance = 1000000)
- Date kernel (h_date = 12)
- Time kernel (h_time = 7)

The all these three kernels were built on Gaussian kernel which is expressed as

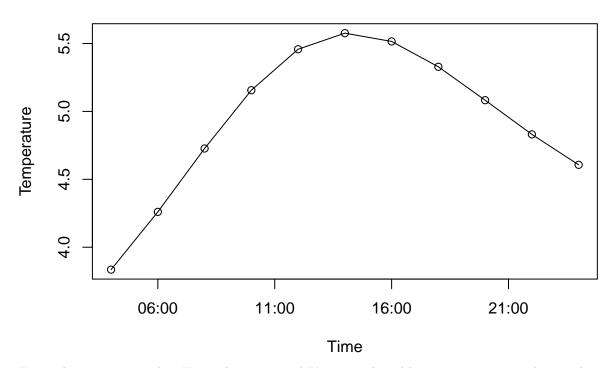
```
kernel = exp^{-\frac{(x-\bar{x})}{h}}
```

```
#temperature values after added a sum of kernel weights
temp
```

```
## [1] 3.835112 4.260383 4.727093 5.156020 5.457799 5.576042 5.515154
## [8] 5.328433 5.082580 4.830791 4.606805
```

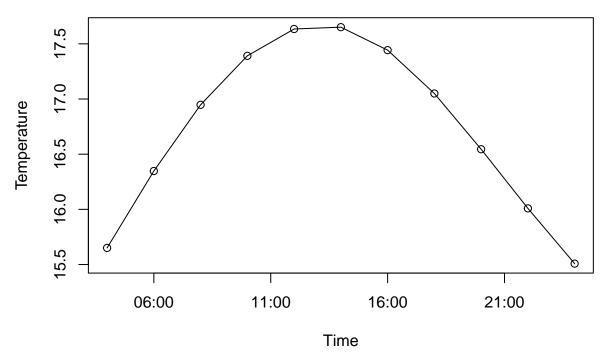
```
#plot of additive kernel
plot(x=times,y=temp, type = "o" ,
    main = "Temperature using Additive kernels" ,
    xlab = "Time" ,
    ylab = "Temperature")
```

Temperature using Additive kernels



From plot we can see that X-axis has time and Y-axis is the additive temperature values and it can be observed that maximum temperature will be at time 15:00 and temperature is 5.8 degree and minimum temperature is at some what 5:00 having a temperature 3.0 degree

Temperature using Multiplicative kernels

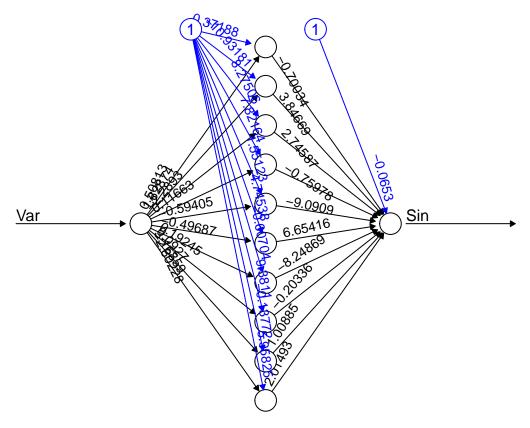


From plot we can see the that X-axis has times and Y-axis is the Multiplicative temperature values and it can be observed that maximum temperature will be at time 15:00 and temperature is 17.7 degree and minimum temperature is at some what 5:00 having a temperature 15.53 degree

2. NEURAL NETWORKS

Most Appropriate Threshold

#par(mar=c(2,2,2,2))
plot(nn, rep="best")

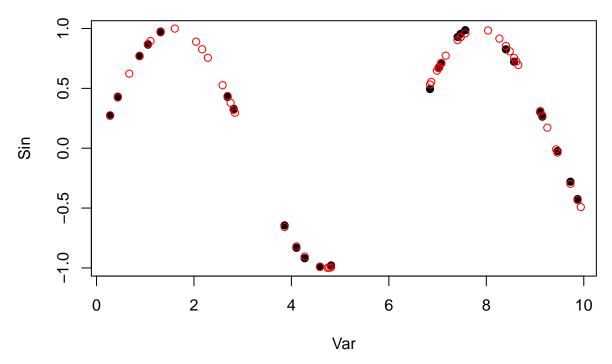


Frror: 0.003576 Stens: 23174

The final nerual network for trigonometric sine function learned at threshold 4/1000 which is 0.0004 Plot implies that the, model fitted well ,there is not much deviation.

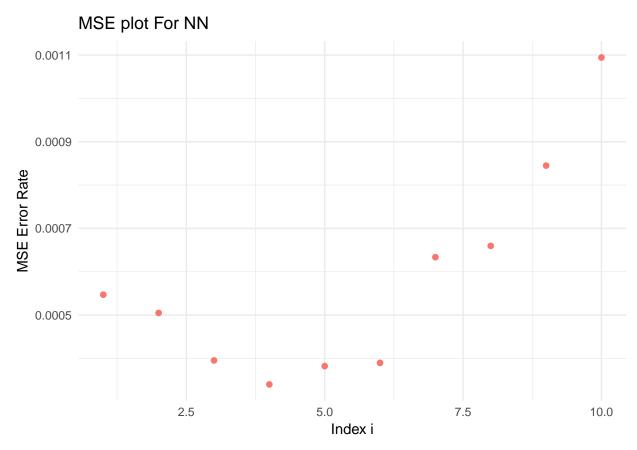
```
plot(prediction(nn)$rep1,pch=19, cex=1)

## Data Error: 0;
points(trva, col = "red")
```



This plot show the sinosedial sin waves with Sin function on Y-axis and Var on x-axis and the red dotted points curve show the original sinosedial sin waves and black dotted points curve show the predicted sin wave which is similar to the original one.

```
result <- data.frame(MSE=va_MSE, x=c(1:10))
ggplot(result, aes(x=x, y=MSE, color = "red")) +
  geom_point(shape = 16, size = 2, show.legend = FALSE) +
  theme_minimal() + ggtitle("MSE plot For NN") + xlab("Index i") +
  ylab("MSE Error Rate")</pre>
```



MSE plot show's that MSE error rate (Y-axis) on each threshold = i/1000 (X-axis) from plot it is clearly see that at index i = 4 the error rate is minimum so which give the optimal Neural Network

Appendix

1. KERNEL METHODS

```
library(neuralnet)
set.seed(1234567890)
library(geosphere)
stations <- read.csv("stations.csv",fileEncoding = "Latin1")</pre>
temps <- read.csv("temps50k.csv",fileEncoding = "Latin1")</pre>
st <- merge(stations,temps,by="station_number")</pre>
h_distance <- 1000000# These three values are up to the students
 h_date <- 12
 h_{time} < -7
  a <- 59.8586 # The point to predict (up to the students)
  b <- 17.6253
date <- "2015-07-12" # The date to predict (up to the students)
times <- c("04:00:00", "06:00:00", "08:00:00","10:00:00",
           "12:00:00" ,"14:00:00", "16:00:00","18:00:00",
            "20:00:00", "22:00:00", "24:00:00")
temp <- vector(length=length(times))</pre>
```

```
# Students' code here
#distance kernel
gaussion_distance <- function(db_point, point_intreset)</pre>
  #distance to the other point
  dist <- distHaversine(db_point, point_intreset)</pre>
 return (exp(-(dist / h_distance)^2)) #gaussian kernel
}
#qaussian date kernel
gaussian_date <- function(db_date, point_of_intreset_date)</pre>
  #date difference to other point
  diff_date <- as.numeric(difftime(point_of_intreset_date,db_date,unit = "days"))</pre>
 return (exp(-(diff_date / h_date)^2))
#gaussian time kernel
gaussian_hours <- function(db_time, point_of_intreset_date)</pre>
  #hours difference to other point
 diff_date <- as.numeric(difftime(point_of_intreset_date,db_time,unit = "hours"))</pre>
 return (exp(-(diff_date / h_time)^2))
point_intreset <- c(a,b) #point fo intreset</pre>
data_dist = st[,c("longitude", "latitude")]
#calculate gaussian distance
gaussion_distacne_v<- gaussion_distance(data_dist, point_intreset)</pre>
#calculate gaussian date distance
gaussion_date_v <- gaussian_date(st$date,date)</pre>
time_conv <- data.frame(time=as.POSIXct(paste(Sys.Date(), st$time),</pre>
                                           format="%Y-%m-%d %H:%M:%S"))
times <- strptime( paste( Sys.Date(),times), "%Y-%m-%d %H:%M:%S")
temp2 <- vector(length=length(times))</pre>
# temp_type <- vector(length=length(times))</pre>
# temp2_type <- vector(length=length(times))</pre>
for (i in 1:length(times))
  gausian_hours <- gaussian_hours(time_conv$time, times[i])</pre>
  #sum of all kernels
  sum_of_k <- (gaussion_distacne_v + gaussion_date_v + gausian_hours)</pre>
  temp[i] <- sum((st$air_temperature * sum_of_k)) / sum(sum_of_k)</pre>
  # temp_type[i] <- "kernel_sum"</pre>
  #multiplication of kernels
  multiply_of_k <- (gaussion_distacne_v * gaussion_date_v * gausian_hours)</pre>
```

```
temp2[i] <- sum((st$air_temperature * multiply_of_k)) / sum(multiply_of_k)
    # temp2_type[i] <- "kernel_mul"
}

#plot of additive kernels
plot(x=times,y=temp, type = "o",
    main = "Temperature using Additive kernels",
    xlab = "Time",
    ylab = "Temperature")

#plot of multiplicative kernels
plot(x=times,y=temp2, type = "o",
    main = "Temperature using Multiplicative kernels",
    xlab = "Time",
    ylab = "Temperature")

# result <- data.frame(kernel=c(temp,temp2) ,type=c(temp_type,temp2_type), x=times)
# library(ggplot2)
# ggplot(data=result, aes(x=x, y=kernel, colour=type)) + geom_line() + geom_point()</pre>
```

2. NEURAL NETWORKS

```
library(neuralnet)
library(ggplot2)
set.seed(1234567890)
Var <- runif(50, 0, 10)
trva <- data.frame(Var, Sin=sin(Var)) #</pre>
tr <- trva[1:25,] # Training
va <- trva[26:50,] # Validation</pre>
# Random initialization of the weights in the interval [-1, 1]
va MSE \leftarrow c()
tr_MSE <- c()</pre>
winit \leftarrow runif(31, -1, 1)
  for(i in 1:10) {
    nn <- neuralnet(formula = Sin~Var ,data = tr ,hidden = c(10),</pre>
                     threshold = i/1000, startweights= winit)
    va_predict <- compute(nn,va$Var)</pre>
    tr_predict <- compute(nn,tr$Var)</pre>
    va_MSE[i] <- sum( (va$Sin - va_predict$net.result[,1])^2)/ nrow(tr)</pre>
    tr_MSE[i] <- sum( (va$Sin - tr_predict$net.result[,1])^2)/ nrow(tr)</pre>
  }
  #comment
  #by visualizing the graph the thresshold value is 4/1000 which the stoping creteria
  #so NN model for such a thresshold is below
  #thresshold for stoping NN
  stoping_thresshold <- which.min(va_MSE)/1000
```