

SOEN331: Introduction to Formal Methods
for Software Engineering
Assignment 2 on Extended Finite State Machines

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1 Driver-less car system formal specification

The EFSM of the driver-less car system is the tuple $S = (Q, \Sigma_1, \Sigma_2, q_0, V, \Lambda)$, where

$$Q = \{idle, parked\ mode, manual\ mode, cruise\ mode, panic\ mode, exit\}$$

$$\Sigma_1 = \{start\ car, cruise\ signal, drive\ signal, switch, arrived, unforeseen, panic\ on, parked\ mode\ signal, pan\}$$

$$\Sigma_2 = \{system\ start, engine\ idle, beep, system\ off, stop\ car, hazard\ signals\ on, hazard\ signals\ off\}$$

$$q_0 : idle$$

$$V : nav\ system : \{set, not\ set, engine\ idle, car\ stopped\}$$

Λ : Transition specifications

1. $\rightarrow idle$
2. $idle \xrightarrow{start/system\ start; engine\ idle} parked\ mode$
3. $parked\ mode \xrightarrow{engine\ off/system\ off} exit$
4. $parked\ mode \xrightarrow{cruise\ signal[not\ set]/beep} manual\ mode$
5. $parked\ mode \xrightarrow{cruise\ signal[set]/beep} cruise\ mode$
6. $parked\ mode \xrightarrow{drive\ signal[engine\ idle]} manual\ mode$
7. $manual\ mode \xrightarrow{switch[set]} cruise\ mode$
8. $cruise\ mode \xrightarrow{switch} manual\ mode$
9. $cruise\ mode \xrightarrow{arrived} parked\ mode$
9. $cruise\ mode \xrightarrow{unforeseen/stop\ car; hazard\ signals\ on} panic\ mode$
10. $manual\ mode \xrightarrow{parked\ mode\ signal[car\ stopped]} parked\ mode$
11. $panic\ mode \xrightarrow{panic\ off/hazard\ signals\ off} parked\ mode$
12. $manual\ mode \xrightarrow{panic\ on/stop\ car; hazard\ signals\ on} panic\ mode$

The UML state diagram is shown in Figure 1

As *manual* is a composite state, it is defined as the tuple $S = (Q, \Sigma_1, \Sigma_2, q_0, \Lambda)$, where

$$Q = \{running, fast, slower, break\ mode, parked\ mode, panic\ mode\}$$

$\Sigma_1 = \{accelerate, decelerate, break, parked\ mode\ signal, panic\ on, panic\ off\}$

$\Sigma_2 = \{increase\ speed, decrease\ speed, 0-speed, stop\ car, hazard\ signal\ on, hazard\ signal\ off\}$

$q_0 : running$

Λ : Transition specifications

1. $\rightarrow running$
2. $running \xrightarrow{accelerate/increase\ speed} faster$
3. $running \xrightarrow{decelerate/decrease\ speed} slower$
4. $running \xrightarrow{break/0-speed} break\ mode$
5. $break\ mode \xrightarrow{accelerate/increase\ speed} running$
6. $faster \xrightarrow{decelerate/decrease\ speed} slower$
7. $slower \xrightarrow{decelerate/decrease\ speed} slower$
8. $slower \xrightarrow{decelerate/decrease\ speed} break\ mode$
9. $break\ mode \xrightarrow{parked\ mode\ signal} parked\ mode$
10. $running \xrightarrow{panic\ on/stop\ car; hazard\ signal\ on} panic\ mode$
11. $panic\ mode \xrightarrow{panic\ off/hazard\ signal\ off} parked\ mode$

The UML state diagram is shown in Figure 2

As *cruise* is a composite state, it is defined as the tuple $S = (Q, \Sigma_1, \Sigma_2, q_0, V, \Lambda)$, where

$Q = \{tailing\ mode, changing\ lane\ mode, navigation\ mode\}$

$\Sigma_1 = \{i\ to\ c, t\ to\ c, c\ to\ t, c\ to\ n, n\ to\ c\}$

$q_0 : tailing\ mode$

Λ : Transition specifications

1. $\rightarrow tailing\ mode$
2. $\xrightarrow{i\ to\ c} changing\ lane\ mode$
3. $tailing\ mode \xrightarrow{t\ to\ c} changing\ lane\ mode$
4. $changing\ lane\ mode \xrightarrow{c\ to\ t} tailing\ mode$
5. $changing\ lane\ mode \xrightarrow{c\ to\ n} navigation\ mode$
6. $navigation\ mode \xrightarrow{n\ to\ c} changing\ lane\ mode$

The UML state diagram is shown in Figure 3

As *tailing* is a composite state of *cruise mode*, it is defined as the tuple $S = (Q, \Sigma_1, \Sigma_2, q_0, V, \Lambda)$, where

$$Q = \{tailing\ start, accelerate, decelerate, changing\ lane\ mode\}$$

$$\Sigma_1 = \{obstacle\}$$

$$\Sigma_2 = \{t\ to\ c, maintain\ speed, switch\ lane\}$$

$$q_0 : tailing\ start$$

$$V : speedOfCar : \{minSpeedRange, maxSpeedRange\}, \\ distanceOfCar, minSpeedRange, maxSpeedRange, minDistance : \mathbb{R}$$

Λ : Transition specifications

1. $\rightarrow tailing\ start$
2. $tailing\ start \xrightarrow{[s < minSpeedRange]} accelerate$
3. $tailing\ start \xrightarrow{[maxSpeedRange < s < minSpeedRange]/t\ to\ c; maintain\ speed} changing\ lane\ mode$
4. $tailing\ start \xrightarrow{obstacle[d < minDistance]/t\ to\ c; switch\ lane} changing\ lane\ mode$
5. $tailing\ start \xrightarrow{[s > minSpeedRange\ or\ d < minDistance]} decelerate$

The UML state diagram is shown in Figure 4

As *changing lane* is a composite state of *cruise mode*, it is defined as the tuple $S = (Q, \Sigma_1, \Sigma_2, q_0, V, \Lambda)$, where

$$Q = \{lane\ start, maintain\ car\ speed, tailing\ mode, change\ lane\ mode, cruise\ mode, panic\ mode\}$$

$$\Sigma_1 = \{maintain\ speed, switch\ lane, unforeseen\}$$

$$\Sigma_2 = \{c\ to\ t, stop\ car, hazard\ signal\ on\}$$

$$q_0 : lane\ start$$

$$V : targetLane : \{car\ in\ t, car\ not\ in\ t\}, \\ speedOfCar : \{minSpeedRange, maxSpeedRange\},$$

$distanceOfCar, minSpeedRange, maxSpeedRange, minDistance : \mathbb{R}$

Λ : Transition specifications

1. $\rightarrow lane\ start$
2. $lane\ start \xrightarrow{\text{maintain speed } [d \geq minDistance]} maintain\ car\ speed$
3. $maintain\ car\ speed \xrightarrow{[d \geq minDistance]} maintain\ car\ speed$
4. $maintain\ car\ speed \xrightarrow{[d < minDistance]/c\ to\ t} tailing\ mode$
5. $lane\ start \xrightarrow{\text{maintain speed } [d < minDistance]/c\ to\ t} tailing\ mode$
6. $lane\ start \xrightarrow{\text{maintain speed } [s > maxSpeedRange \ \& \ s < minSpeedRange]/c\ to\ t} tailing\ mode$
7. $lane\ start \xrightarrow{\text{switch lane}[car\ not\ in\ t]} change\ lane\ mode$
8. $lane\ start \xrightarrow{\text{switch lane}[car\ in\ t]/c\ to\ n} cruise\ mode$
9. $lane\ start \xrightarrow{\text{switch lane; unforeseen/stop car; hazard signal on}} panic\ mode$
10. $change\ lane\ mode \xrightarrow{[car\ not\ in\ t]} change\ lane\ mode$
11. $change\ lane\ mode \xrightarrow{[car\ in\ t]/c\ to\ n} cruise\ mode$
12. $change\ lane\ mode \xrightarrow{\text{unforeseen/stop car; hazard signal on}} panic\ mode$

The UML state diagram is shown in Figure 5

As *navigation* is a composite state of *cruise mode*, it is defined as the tuple $S = (Q, \Sigma_1, \Sigma_2, q_0, V, \Lambda)$,

where

$Q = \{navigation\ start, turn\ left, turn\ right, turn\ left\ ahead, turn\ right\ ahead, changing\ lane\ mode, desti$

$\Sigma_1 = \{d\ on\ left, d\ on\ right, TLA, TRA, d\ ahead, car\ at\ d\}$

$\Sigma_2 = \{turn\ left, turn\ right, dest\ ahead, car\ in\ t, n\ to\ c, switch\ lane, arrived\}$

$q_0 : navigation\ start$

$V : targetLane : \{car\ in\ t, car\ not\ in\ t\},$

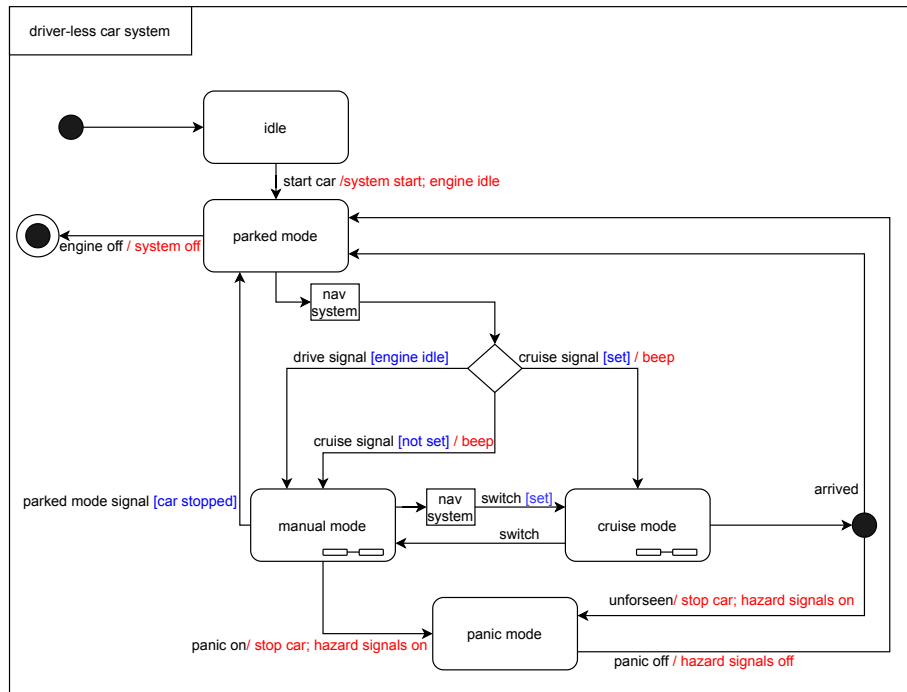
Λ : Transition specifications

1. $\rightarrow mavigation\ start$
2. $navigation\ start \xrightarrow{d\ on\ left/turn\ left} turn\ left$
3. $navigation\ start \xrightarrow{d\ on\ right/turn\ right} turn\ right$
4. $navigation\ start \xrightarrow{TLA[car\ not\ in\ t]} turn\ left\ ahead$

5. *navigation start* $\xrightarrow{\text{TRA}[\text{car not in t}]}$ *turn right ahead*
6. *navigation start* $\xrightarrow{\text{d ahead/dest ahead; car in t}}$ *turn left ahead*
7. *turn left ahead* $\xrightarrow{\text{/n to c; switch lane}}$ *changing lane mode*
8. *turn right ahead* $\xrightarrow{\text{/n to c; switch lane}}$ *changing lane mode*
9. *destination ahead* $\xrightarrow{\text{car at d/arrived}}$ *arrived destination*

The UML state diagram is shown in Figure 6

2 UML state diagrams



assuming engine idle != car stopped. because while the car is parked and on,
I can still press the gas pedal and make the engine run while the car is still stop/immobile

assuming while having unforseen event in cruise mode,
the car does not immediately stop/hit the breaks that might cause an accident, but gradually stops

Figure 1: Main System.

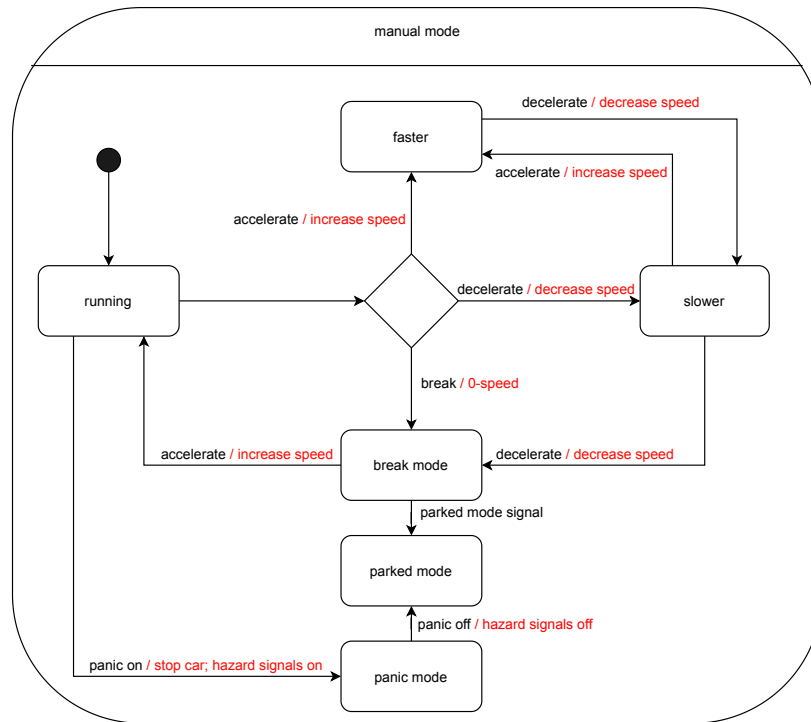


Figure 2: Manual Mode.

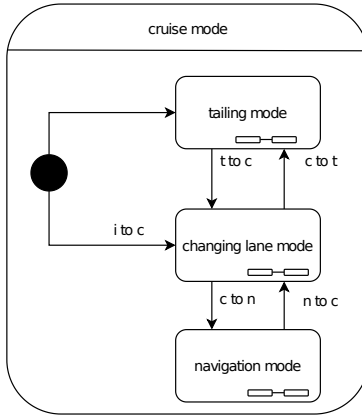


Figure 3: Cruise Mode.

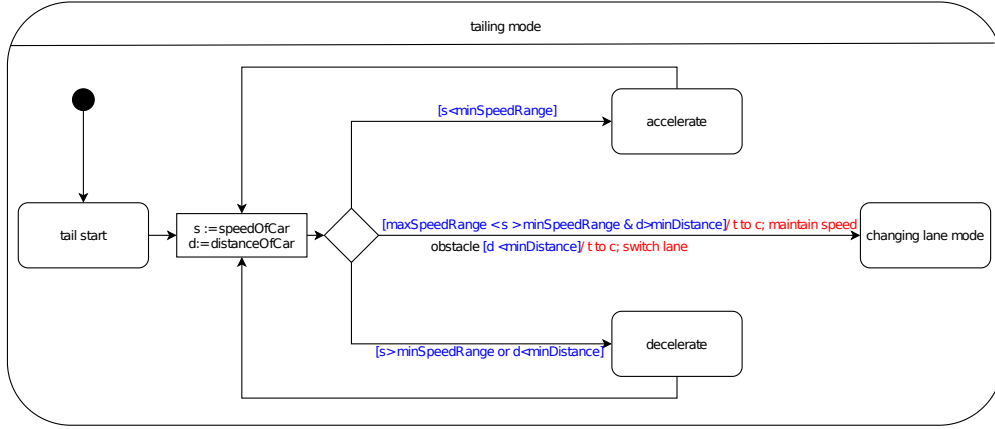


Figure 4: Tailing Mode.

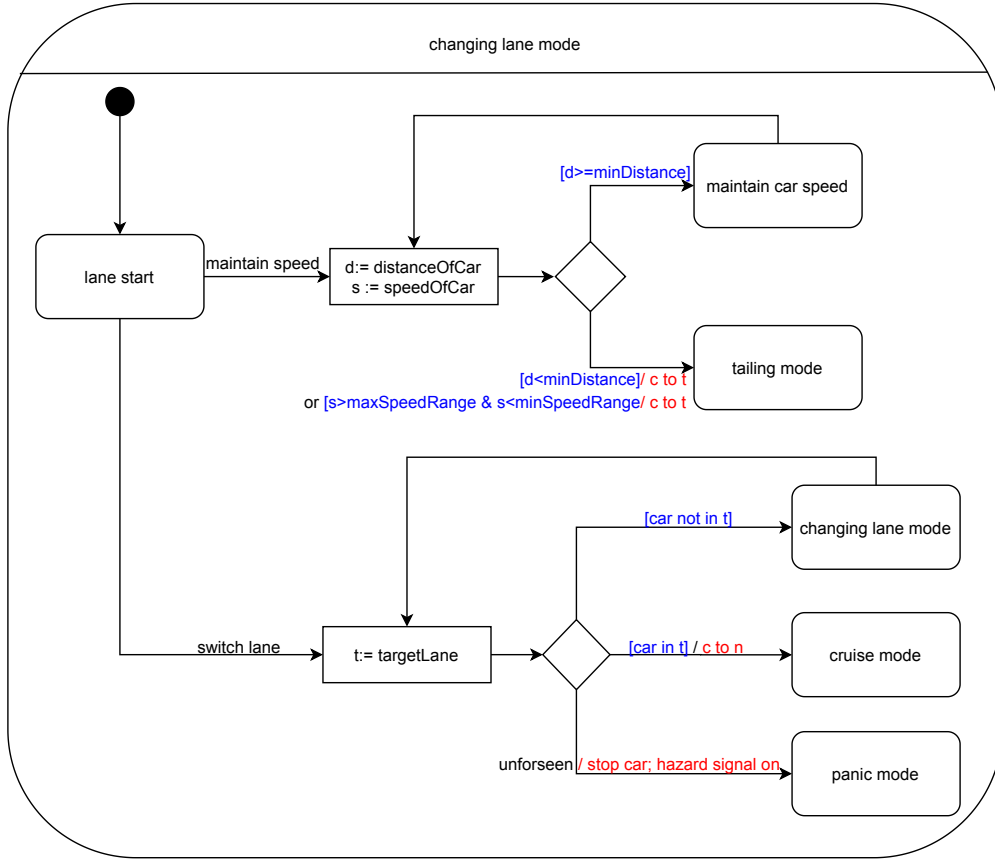


Figure 5: Changing Lane Mode.

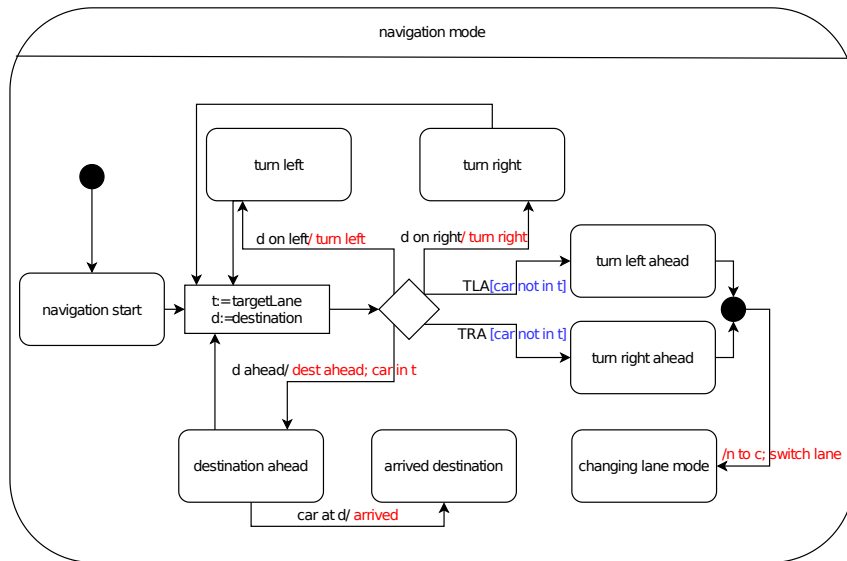


Figure 6: Navigation Mode.