



# ALGORITHMS AND FLOWCHARTS

Revision with Some  
Examples

# Program Development Tools (Algorithm and flow charts )

## Algorithm

An algorithm is a finite set of instruction written in a sequence that should be followed to solve the given problem. It must satisfy the following criteria:

- **Input:**

One or more quantities are supplied for processing which is known as input.

- **Output:**

After inputs are processed, it must produce at least one quantity as output.

- **Unambiguous:**

Each instruction in the algorithm must be clear and it shouldn't have double meaning.

- **Finiteness:**

The algorithm should terminate after the finite number of steps.

# Flowchart

- A picture (graphical representation) of the problem solving process.
- Provides a step-by-step procedure for solution of a problem.







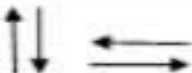
## Elements of a flowchart:

- Various geometrical shaped boxes represent the steps of the solution.
- The boxes are connected by directional arrows to show the flow of the solution.

## Uses of a flowchart:

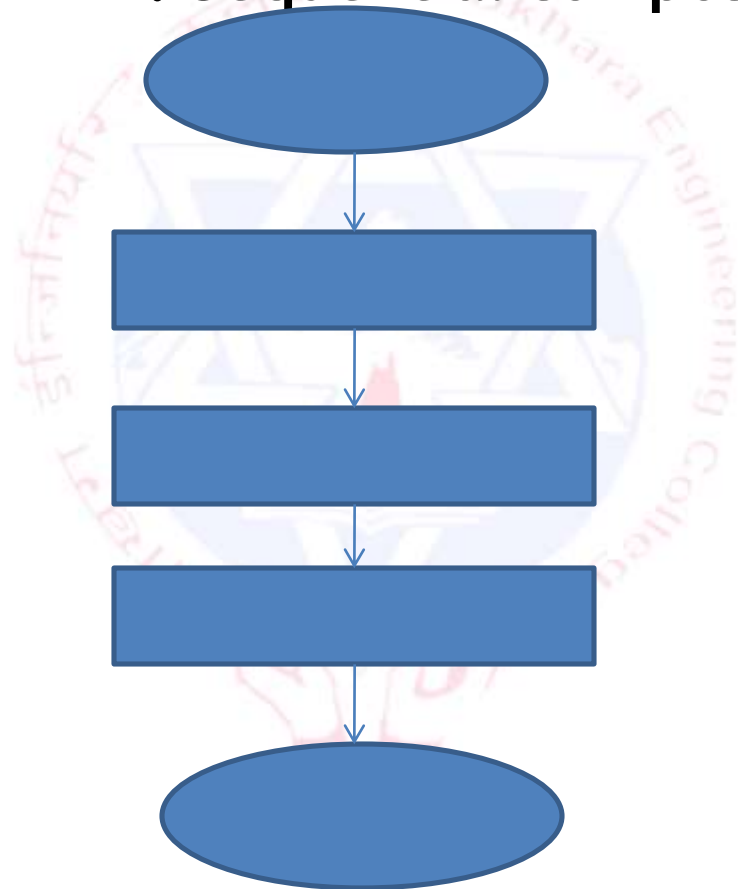
- To specify the method of solving a problem.
- To plan the sequence of a computer program.

# Symbols used in drawing flowchart

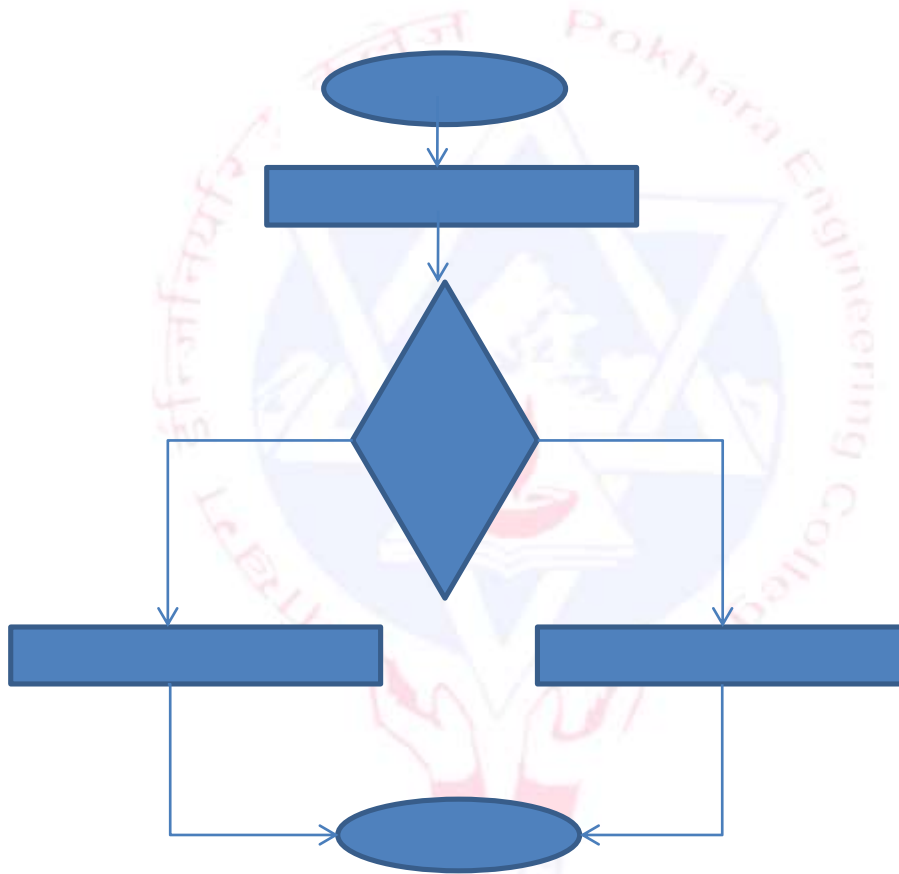
Symbol	Name	Function
	Process	Indicates any type of internal operation inside the Processor or Memory
	input/output	Used for any Input / Output (I/O) operation. Indicates that the computer is to obtain data or output results
	Decision	Used to ask a question that can be answered in a binary format (Yes/No, True/False)
	Connector	Allows the flowchart to be drawn without intersecting lines or without a reverse flow.
	Predefined Process	Used to invoke a subroutine or an Interrupt program.
	Terminal	Indicates the starting or ending of the program, process, or interrupt program
	Flow Lines	Shows direction of flow.

# Flowchart structure

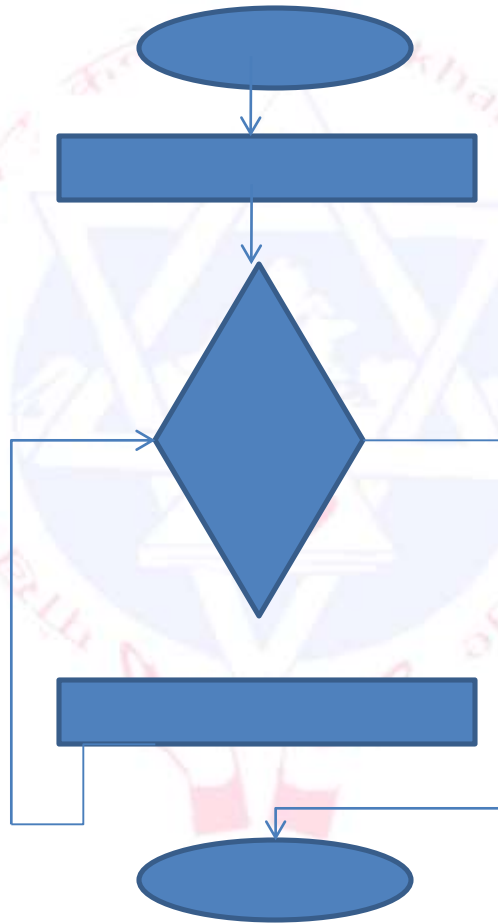
## 1. Sequential composition



## 2. Conditional structure



# 3. loop structure



# Some Examples of Algorithm & Flowchart

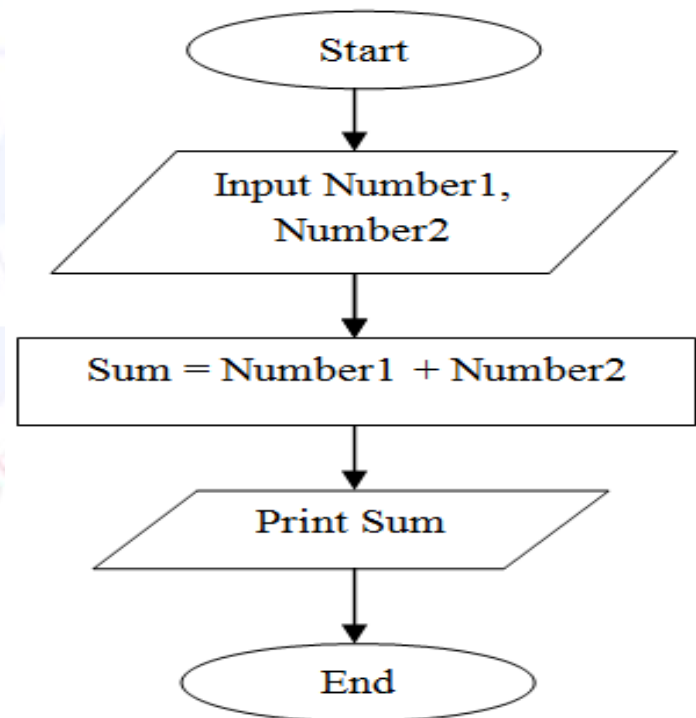


# 1. Sum of two numbers

## Algorithm

- Step 1: Start
- Step 2: Declare variables number1, number2 and sum.
- Step 3: Read values for number1, number2.
- Step 4: Add number1 and number2 and assign the result to a variable sum.
- Step 5: Display sum
- Step 6: Stop

## Flowchart



# Largest among two numbers

## Algorithm

Step 1: Start

Step 2: Read a, b

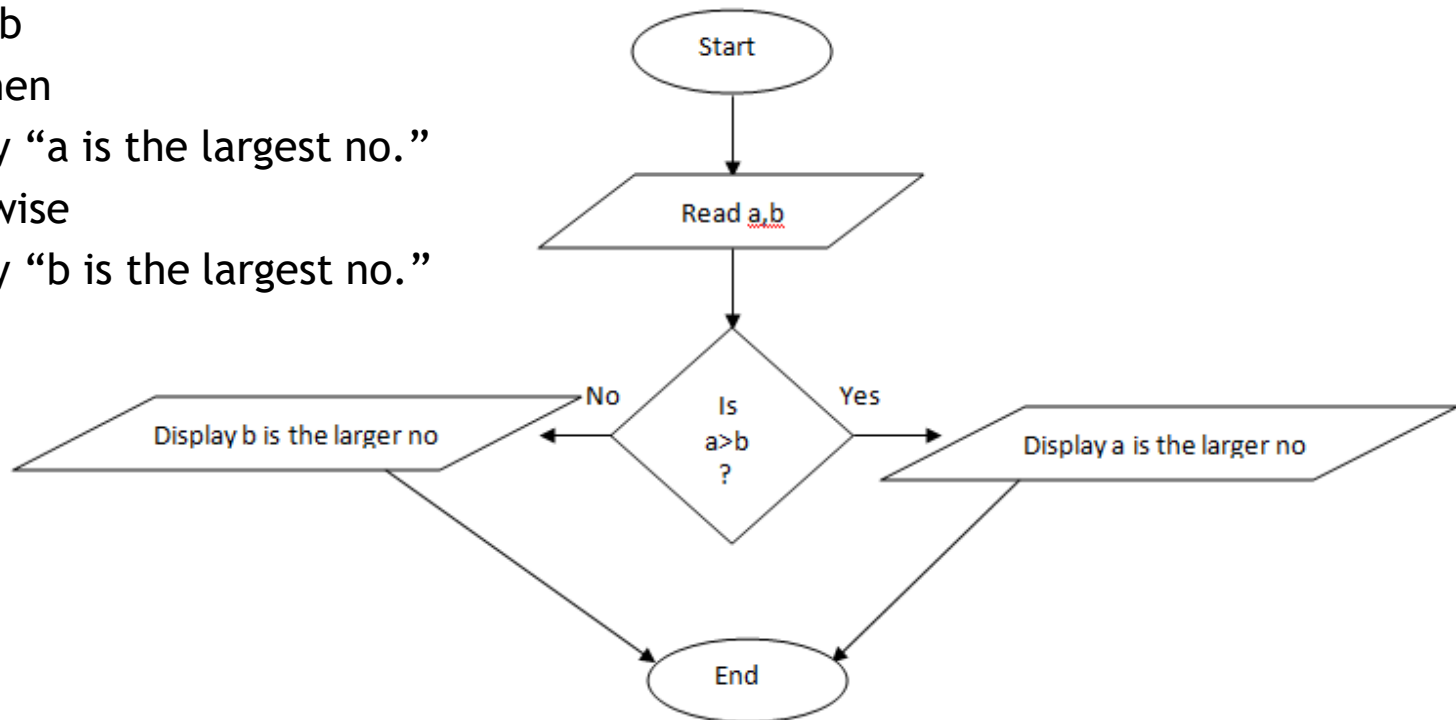
Step 3: If  $a > b$  then

Display “a is the largest no.”

Otherwise

Display “b is the largest no.”

Step 4: Stop



# Check the greatest among 3 numbers

## Algorithm

STEP 1: START

STEP 2: Read three numbers and store them in A , B, C

STEP 3: Is  $A > B$

    If Yes: Go to Step 6,

    If No: Go to Step 4

STEP 4: Is  $B > C$

    If Yes: Print B is greatest

    If No: Go to Step 5

STEP 5: Print C is greatest and Go to step 8

STEP 6: Is  $A > C$

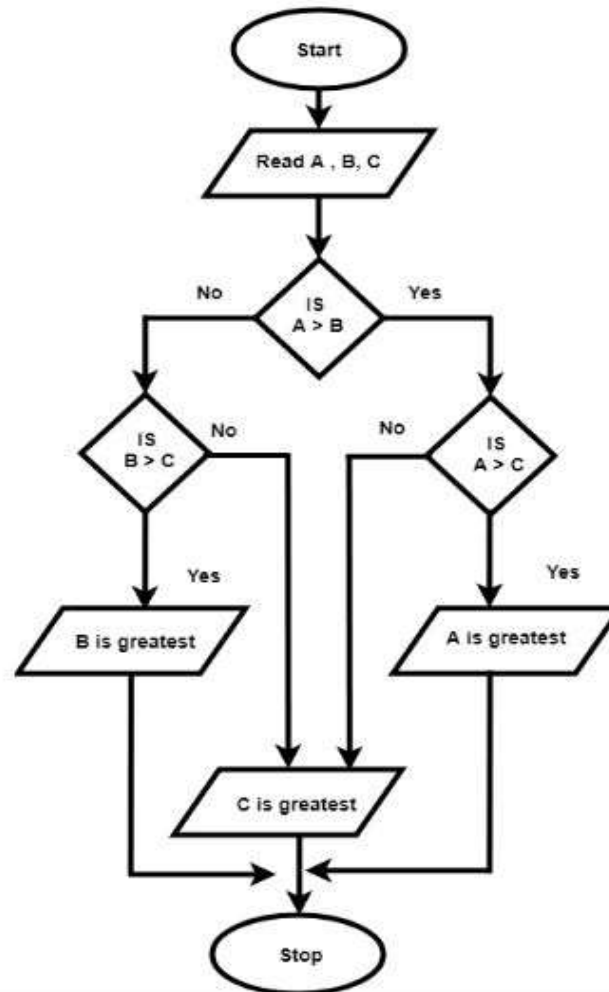
    If Yes: Print A is greatest

    If No: Go to Step 7

STEP 7: Print C is greatest and Go to Step 8

STEP 8: Stop

## Flowchart



## 4. Check whether a given number is negative or positive

### Algorithm

Step 1 → Start

Step 2 → Declare integer variable Num

Step 3 → Assign value to the Num

Step 4 → Check if Num is greater than 0

If true print *Num is Positive*

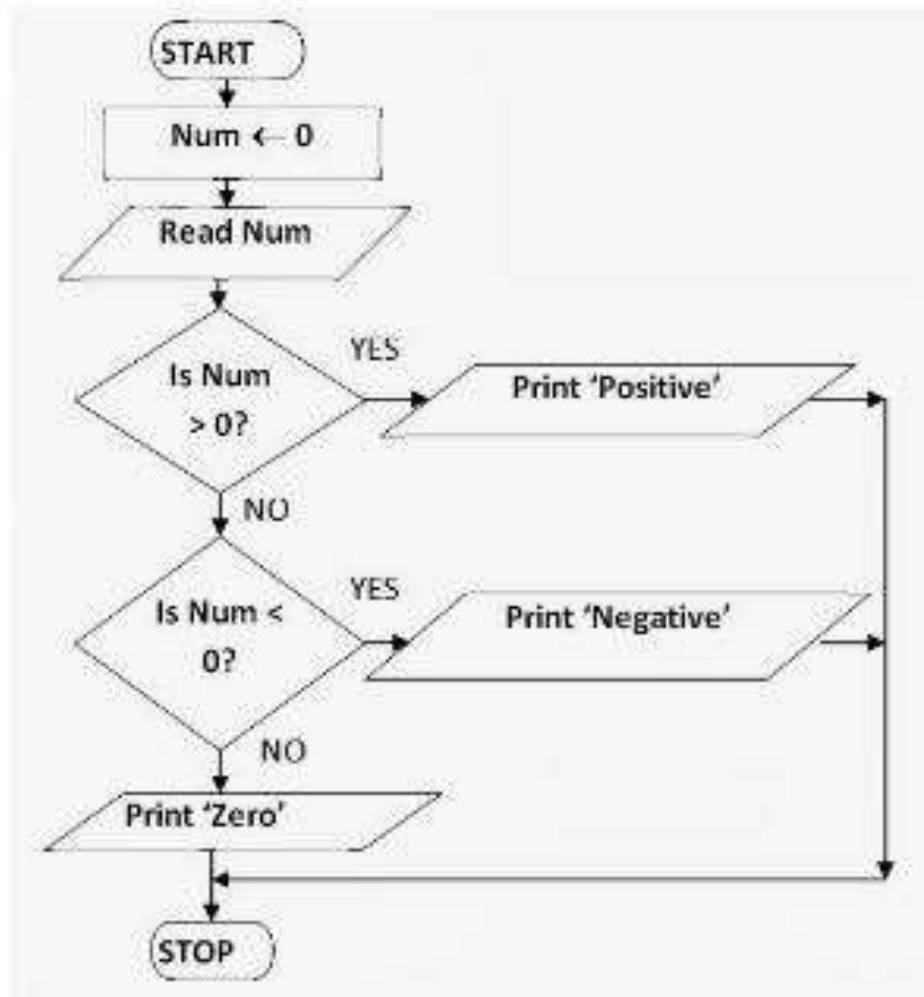
If false go to step 5

Step 5 → Check if Num is less than 0

If true print *Num is Negative*

If false print *Num is 0*

Step 6 → Stop



# 5. Check the given number is odd or even

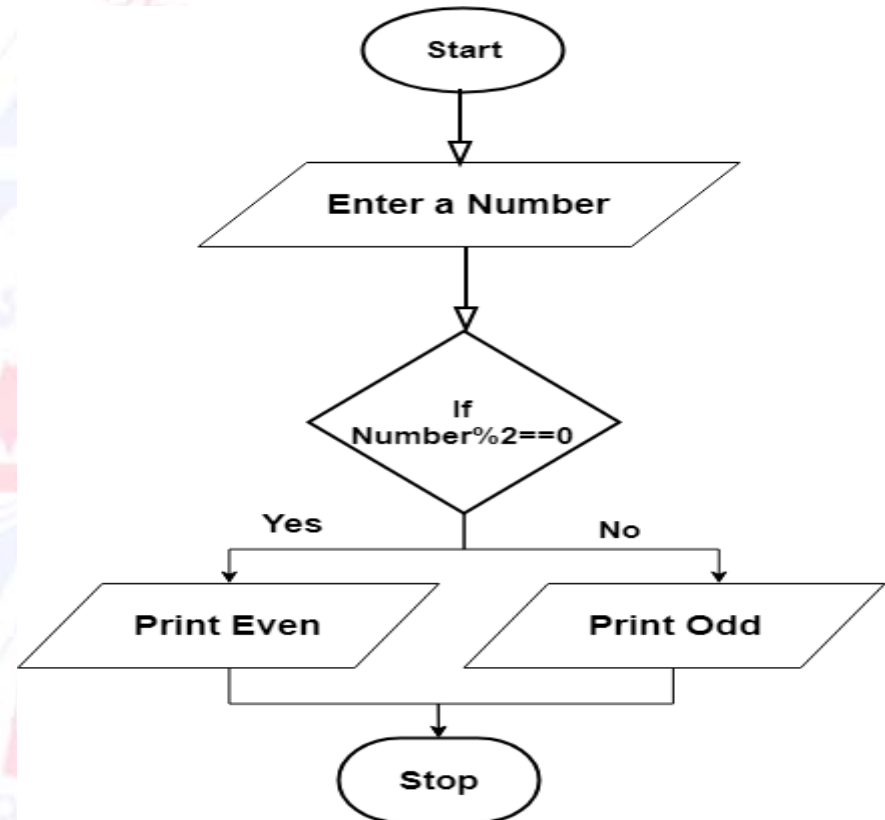
## Algorithm

Step 1 : Start

Step 2 : Enter a number

Step 3 : If (number%2 == 0),  
print " even " else print " odd "

Step 4 : Stop



## 6. Display the number from 1 to 10

### Algorithm

STEP 1: Start.

STEP 2: Initialize the variable count to one. (Declare variable count = 1)

STEP 3: Display (Print) the variable count .

STEP 4: Increase variable count by one. (count=count+1)

STEP 5: Check whether count variable exceeds 10. (count>10)

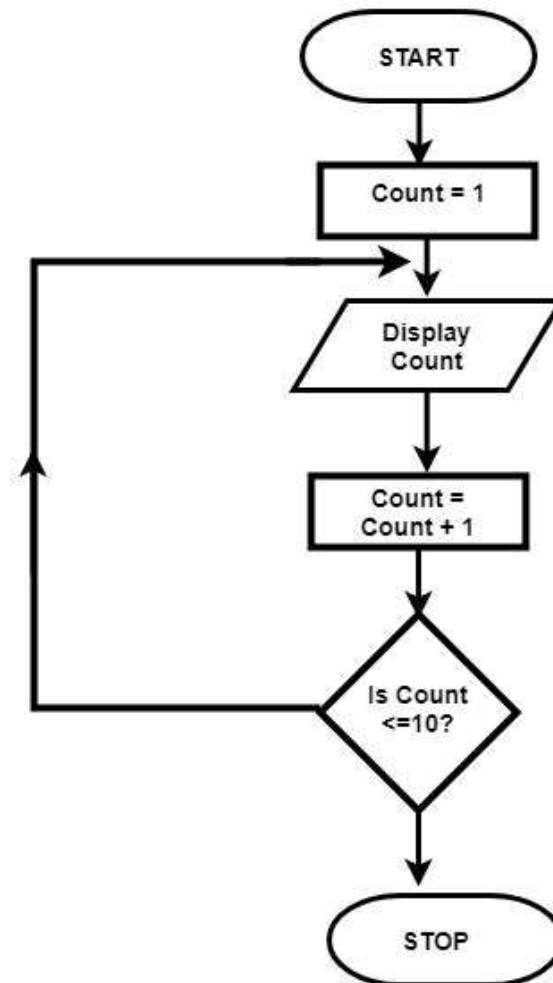
    If Yes, Go to Step 6

    If No Go to step 3

STEP 6: Stop



## Flowchart



# 7. Area of Circle

## Algorithm

STEP 1: Start

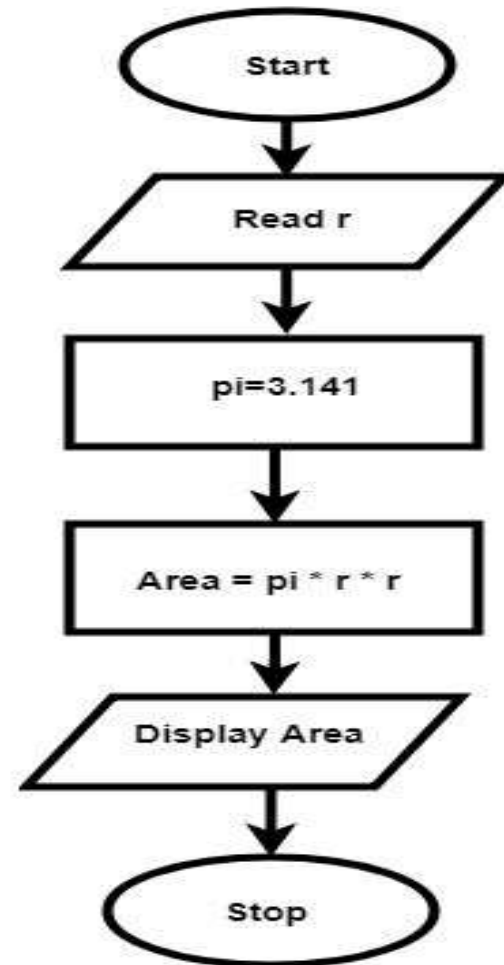
STEP 2: Read Radius 'r'.

STEP 3: Store 3.14 in the value of pi.

STEP 4: Find area of circle ( $\text{Area} = \pi * r * r$ )

STEP 5: Display Area.

STEP 6: Stop



# Simple Interest

## Algorithm

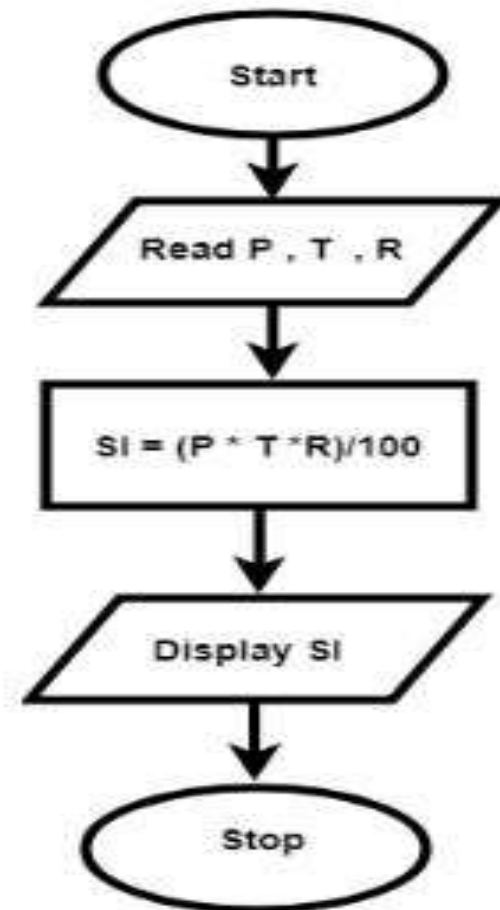
STEP 1: Start

STEP 2 : Read Principal, Time and Rate  
(P , T, R)

STEP 3: Calculate the Simple Interest:  
( $SI = P * T * R / 100$ )

STEP 4 : Display SI

STEP 5 : Stop



# Sum of first 50 natural numbers

## Algorithm

STEP 1: Start.

STEP 2: Initialize the variable  $n$  to 0 and  $sum$  to 0. ( $n=0$ ,  $sum=0$ )

STEP 3: Increase variable  $n$  by one. ( $n=n+1$ )

STEP 4: Add  $n$  to  $sum$  and store it on  $sum$  ( $sum=sum+n$ )

STEP 5: Check whether  $n$  variable exceeds 50. ( $n>50$ )

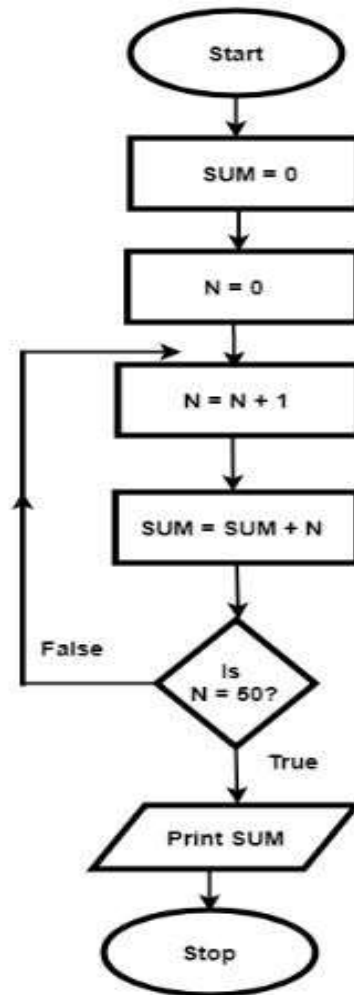
    If Yes, Go to Step 6,

    If No, Go to step 3

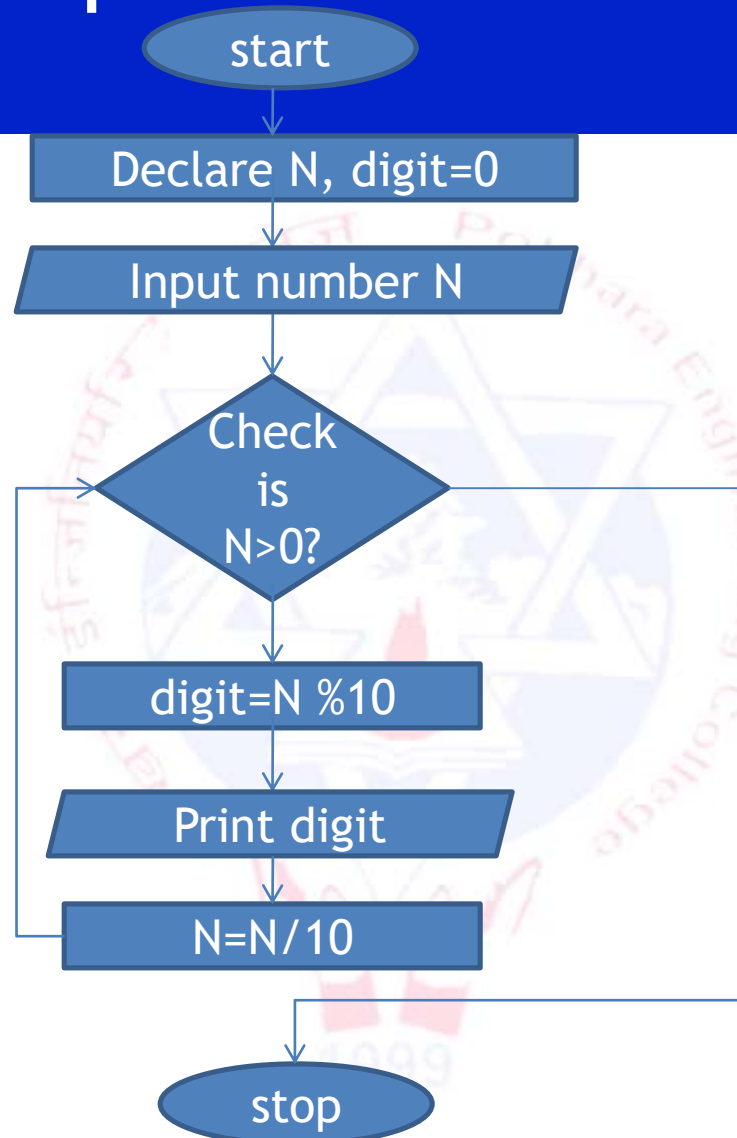
STEP 6: Print Sum

STEP 7: Stop

## Flowchart

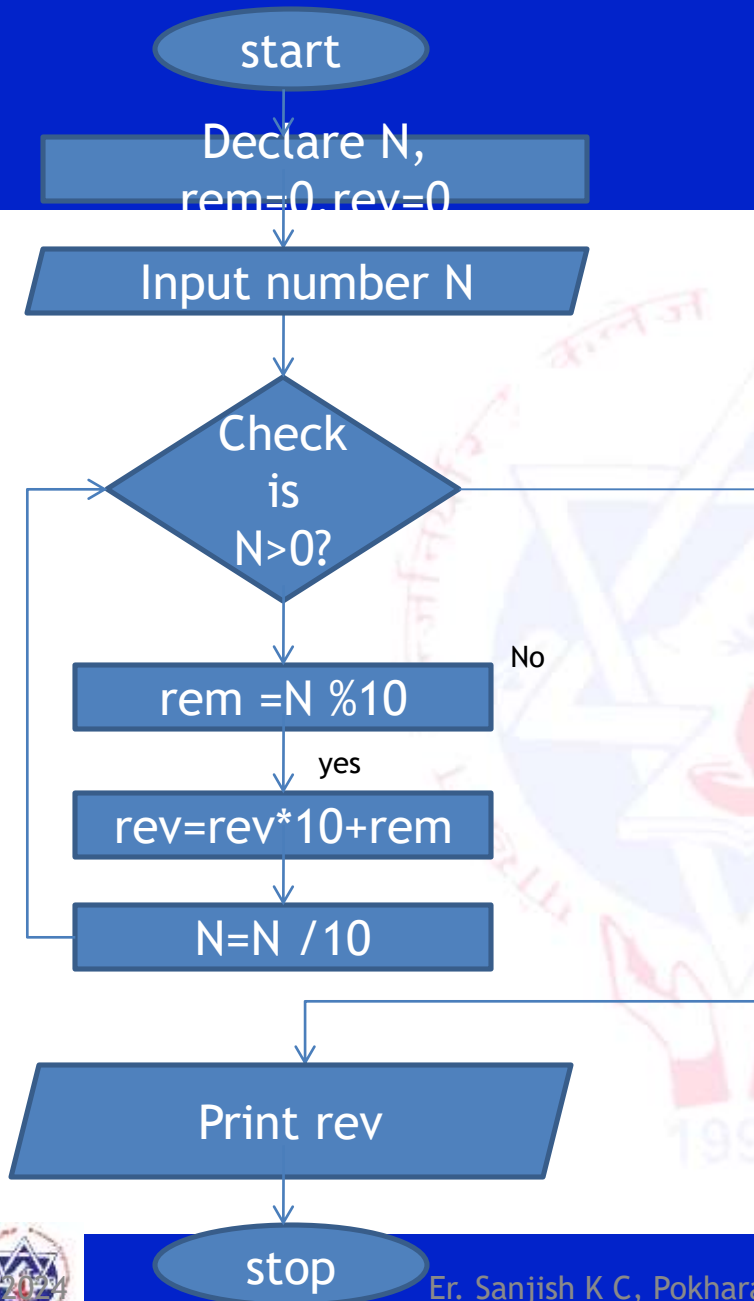


# Flowchart to print the individual digit of a given number



# 10. Reverse of a given number

- Step 1: Start
- Step 2: Read number  $N$
- Step 3: Set  $rev=0$
- Step 4: Check is  $N>0$ ?
  - If yes, go to step 5
  - if no, print  $rev$  and stop
- Step 5: Set  $rem = N \% 10$
- Step 6: Set  $rev=rev*10+rem$
- Step 7: Set  $N = N/10$
- Step 8: Print  $rev$
- Step 9: Stop



rem=0, rev=0  
N=2507

Is 2507>0? , yes  
rem= 2507%10= 7  
rev= 0\* 10+7=7  
N=2507/10=250

1<sup>st</sup> Iteration

Is 250>0? , yes  
rem= 250%10= 0  
rev= 7\* 10+0=70  
N=250/10=25

2<sup>nd</sup> Iteration

Is 25>0? , yes  
rem= 25%10= 5  
rev= 70\* 10+5=705  
Iteration  
N=25/10=2

3<sup>rd</sup>

Is 2>0? , yes  
rem= 2%10= 2  
rev= 705\* 10+2=7052  
N=2/10=0

4<sup>th</sup> Iteration

Is 0>0? , no  
rev= 7052 will be printed which is reverse of 2507.





# To check whether a given number is palindrome or not.

- **Step 1:** Start
- **Step 2:** Read number  $N$
- **Step 3:** Set  $rev=0$  ,  $rem= 0$ ,  $num=N$
- **Step 4:** Check is  $N>0$ ?  
    If yes, go to step 5  
    if no, go to step 8
- **Step 5:** Set  $rem =N \%10$
- **Step 6:** Set  $rev=rev*10+rem$
- **Step 7:** Set  $N =N/10$  and go to step 4
- **Step 8:** Check is  $num==rev$ ?  
    If yes, go to step 9  
    if no, go to step 10
- **Step 9:** Print 'The given number is palindrome' and go to 11
- **Step 10:** Print 'The given number is not palindrome' go to 11
- **Step 11:** Stop

start

Declare N, rem=0, rev=0,  
num=N

Input number N

Check  
is  
 $N > 0$ ?

$\text{rem} = N \% 10$

$\text{rev} = \text{rev} * 10 + \text{rem}$

$N = N / 10$

Print 'The given  
number is  
palindrome'

num=  
rev?

Print 'The given number is  
not palindrome'

stop

# To check whether a given number is Armstrong or not.

**Armstrong number** is a number that is equal to the sum of cubes of its digits.

Eg:  $(1=1^1)$      $(1634=1^4+6^4+3^4+4^4)$   
 $(371=3^3+7^3+1^3)$

1: Start

2: Declare num, n, no, sum, c, rem

3: Input number num

4: Set  $n=num$ ,  $no=num$ ,  $c=0$ ,  $sum=0$

5: Is  $no>0$

If yes, go to step 6

If no, go to step 8

6:  $no=no/10$

7:  $c=c+1$  and go to step 5

8: Is  $n>0$

If yes, go to step 9

If no, go to step 12

9:  $rem=n\%10$

10:  $sum=sum + rem^c$

11:  $n=n/10$  and go to step 8

12: Is  $sum==num$ ?

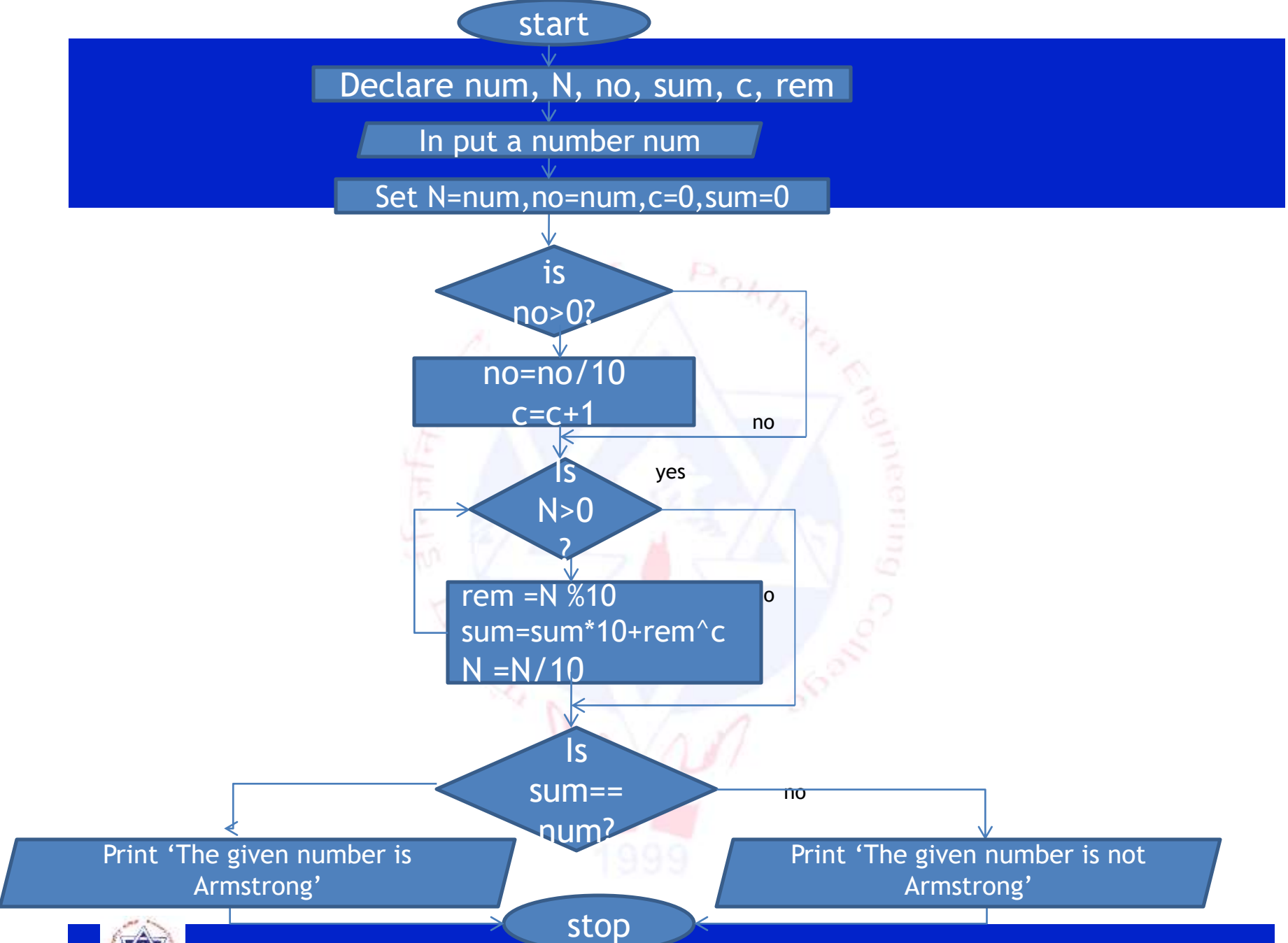
If yes, go to step 13

If no, go to step 14

13: Print 'The given number is Armstrong'  
and go to 15

14: Print 'The given number is not  
Armstrong' and go to 15

15: stop



# Quadratic Equation

The standard form of a quadratic equation is:

$$ax^2 + bx + c = 0, \text{ where}$$

$a, b$  and  $c$  are real numbers and  
 $a \neq 0$

The term  $b^2 - 4ac$  is known as the **discriminant** of a quadratic equation. It tells the nature of the roots.

- If the discriminant is greater than  $0$ , the roots are real and different.
- If the discriminant is equal to  $0$ , the roots are real and equal.
- If the discriminant is less than  $0$ , the roots are complex and different.



# Roots of Quadratic Equation

$$\text{root1} = \frac{-b + \sqrt{(b^2 - 4ac)}}{2a}$$

If the discriminant  $> 0$ ,

$$\text{root2} = \frac{-b - \sqrt{(b^2 - 4ac)}}{2a}$$

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If the discriminant  $= 0$ ,

$$\text{root1} = \text{root2} = \frac{-b}{2a}$$

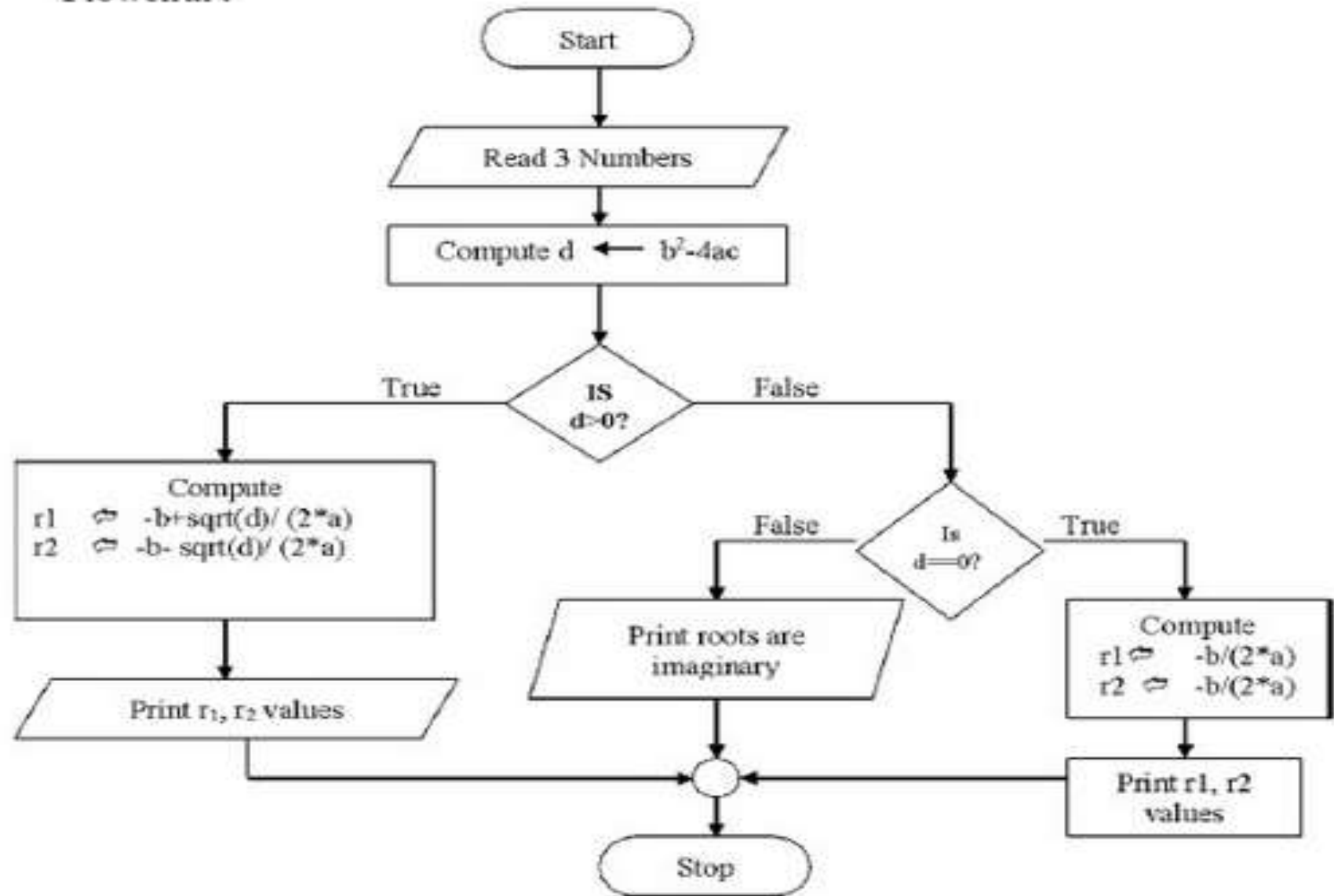
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If the discriminant  $< 0$ ,

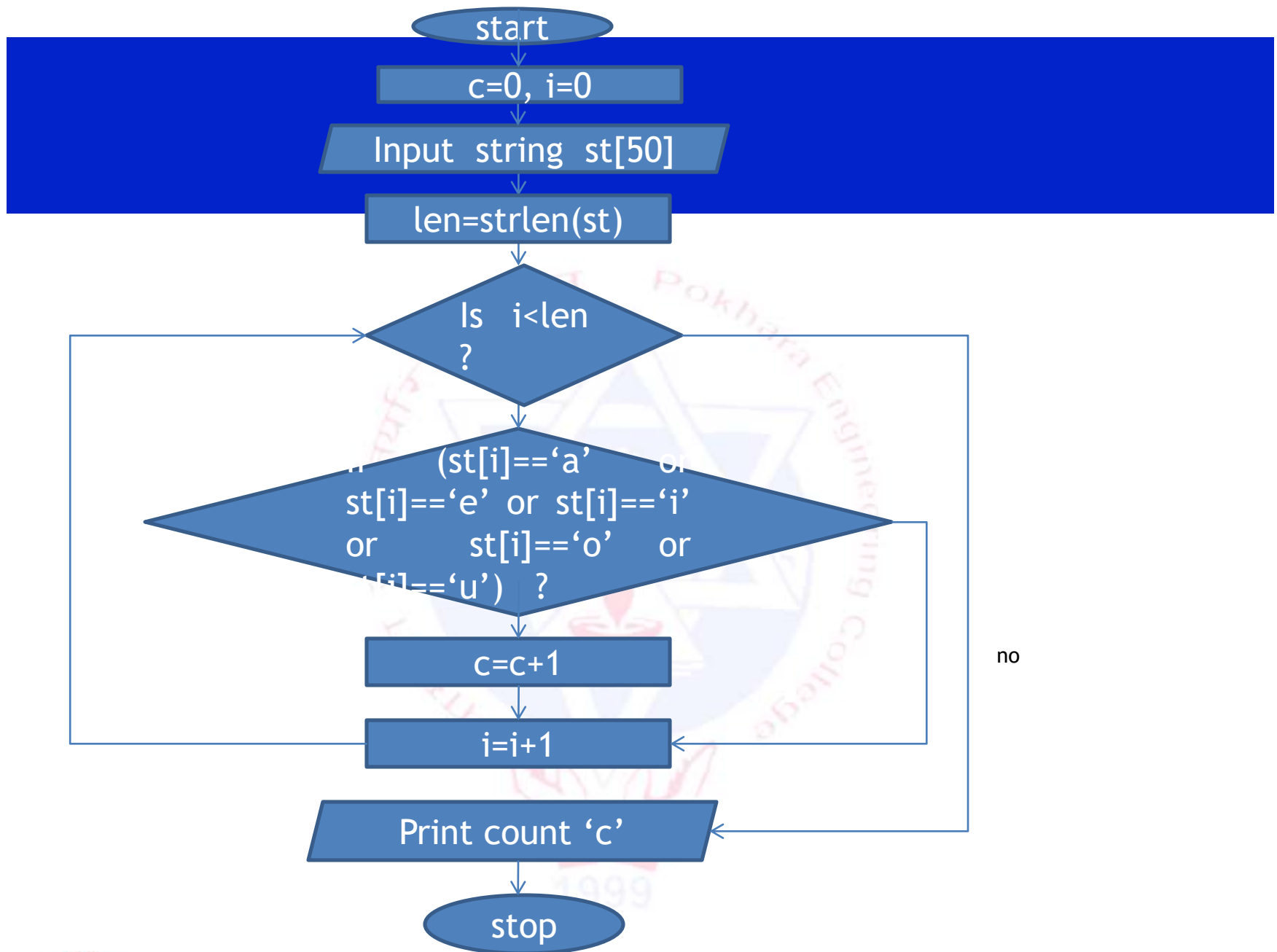
$$\text{root1} = \frac{-b}{2a} + \frac{i \sqrt{-(b^2 - 4ac)}}{2a}$$

$$\text{root2} = \frac{-b}{2a} - \frac{i \sqrt{-(b^2 - 4ac)}}{2a}$$

Figure: Roots of a Quadratic Equation

## Flowchart









# THANK YOU