# Digital Signal Processing

Lab6: Exercises

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Github Repo: <a href="https://github.com/SamarShabanCS/DSP">https://github.com/SamarShabanCS/DSP</a>

Slack workspace: <a href="https://fayoum-university-fci.slack.com">https://fayoum-university-fci.slack.com</a>

## **Exercise One**

Implement a generic function that can generate both

Unit sample sequence:

$$\delta(n - n_0) = \begin{cases} 1, & n = n_0 \\ 0, & n \neq n_0 \end{cases}$$

and Unit step sequence:

$$u(n-n_0) = \begin{cases} 1, & n \ge n_0 \\ 0, & n < n_0 \end{cases}$$

over the  $n1 \le n0 \le n2$  interval.

• function [x,n] = imp step seq(n0,n1,n2,funcName)

## **Exercise One cont...**

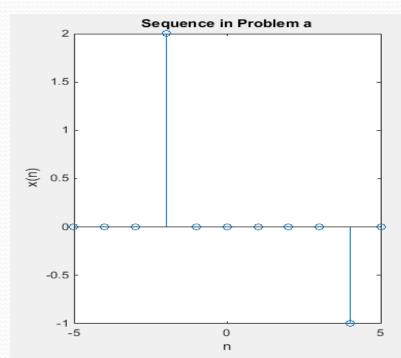
```
function [x,n] = imp_step_seq(n0,n1,n2,funcName)
  n = n1:n2;
if(strcmp(funcName,'impluse'))
  x = ( n - n0) == 0;
elseif(strcmp(funcName,'step'))
  x = (n - n0) >= 0;
end
end
```

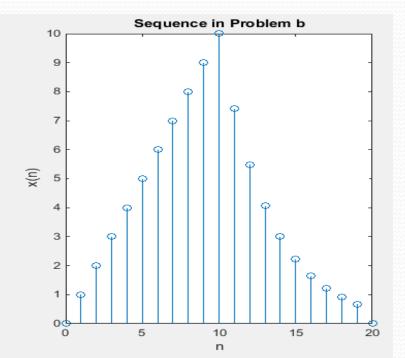
#### **Exercise Two**

 Test the previous function by generating and plotting each of the following sequences over the indicated interval:

**a.** 
$$x(n) = 2\delta(n+2) - \delta(n-4), -5 \le n \le 5.$$

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$$x(n) = 2\delta(n+2) - \delta(n-4), -5 \le n \le 5.$$
  
b.  $x(n) = n[u(n) - u(n-10)] + 10e^{-0.3(n-10)}[u(n-10) - u(n-20)], 0 \le n \le 20.$ 





## **Exercise Two cont...**

```
% x(n) = 2 \cdot delta(n + 2) - \cdot delta(n - 4), -5 <= n <= 5
x = 2*imp step seq(-2, -5, 5, 'impluse') - imp step seq(4, -5, 5, 'impluse');
n = -5:5;
subplot(1,2,1);
stem(n,x);
title ('Sequence in Problem a')
xlabel('n');
vlabel('x(n)');
% x(n) = n [u(n) - u(n - 10)] + 10e^{(0.3(n-10))} [u(n - 10) - u(n - 20)], 0 <= n <= 20
n = 0:20;
x1 = n \cdot *(imp step seq(0,0,20,'step') - imp step seq(10,0,20,'step'));
x2 = 10*exp(-0.3*(n-10)).*(imp step seq(10,0,20,'step')-imp step seq(20,0,20,'step'));
x = x1 + x2;
subplot(1,2,2);
stem(n,x);
title ('Sequence in Problem b')
xlabel('n');
ylabel('x(n)');
```

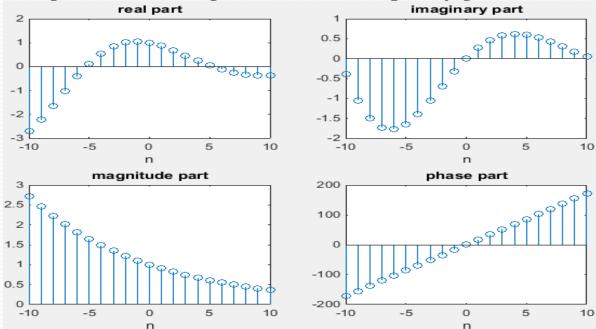
# **Exercise Three**

Generate the complex-valued signal

$$x(n) = e^{(-0.1+j0.3)n}, -10 \le n \le 10$$

and plot its magnitude, phase, the real part, and the imaginary part in four

separate subplots.



# **Exercise Three cont...**

```
n = -10:1:10;
alpha = -0.1+0.3j;
x = \exp(alpha*n);
subplot(2,2,1);
stem(n, real(x));
title('real part');
xlabel('n')
subplot(2,2,2);
stem(n, imag(x));
title('imaginary part');
xlabel('n')
subplot(2,2,3);
stem(n, abs(x));
title('magnitude part');
xlabel('n')
subplot(2,2,4);
stem(n, (180/pi)*angle(x));
title('phase part');
xlabel('n')
```

#### **Exercise Four**

• A real-valued sequence  $x_e(n)$  is called even (symmetric) if  $x_e(-n) = x_e(n)$ 

Similarly, a real-valued sequence  $x_o(n)$  is called odd (antisymmetric) if  $x_o(-n) = -x_o(n)$ 

Then any arbitrary real-valued sequence x(n) can be decomposed into its even and odd components  $x(n) = x_e(n) + x_o(n)$ 

where the even and odd parts are given by

$$x_e(n) = \frac{1}{2} [x(n) + x(-n)]$$
 and  $x_o(n) = \frac{1}{2} [x(n) - x(-n)]$ 

• Generate a function that decomposes a signal into its even and odd components

## **Exercise Four cont...**

```
function [xe, xo, m] = evenodd(x,n)
% Real signal decomposition into even and odd parts ि . . . %।
if any(imag(x) \sim= 0)
error('x is not a real sequence')
end
subplot (2,2,1);
stem(n , x);
m = -fliplr(n);
m1 = min([m,n]);
m2 = max([m,n]);
m = m1:m2:
nm = n(1) - m(1);
n1 = 1:length(n);
x1 = zeros(1, length(m));
x1(n1+nm) = x;
x = x1;
xe = 0.5*(x + fliplr(x));
xo = 0.5*(x - fliplr(x));
subplot (2,2,2);
stem(m, xe);
subplot (2,2,4);
stem(m,xo);
```

## **Exercise Four cont...**

• Let x(n) = u(n) - u(n - 10). Decompose x(n) into even and odd components

