

# Some more Patterns

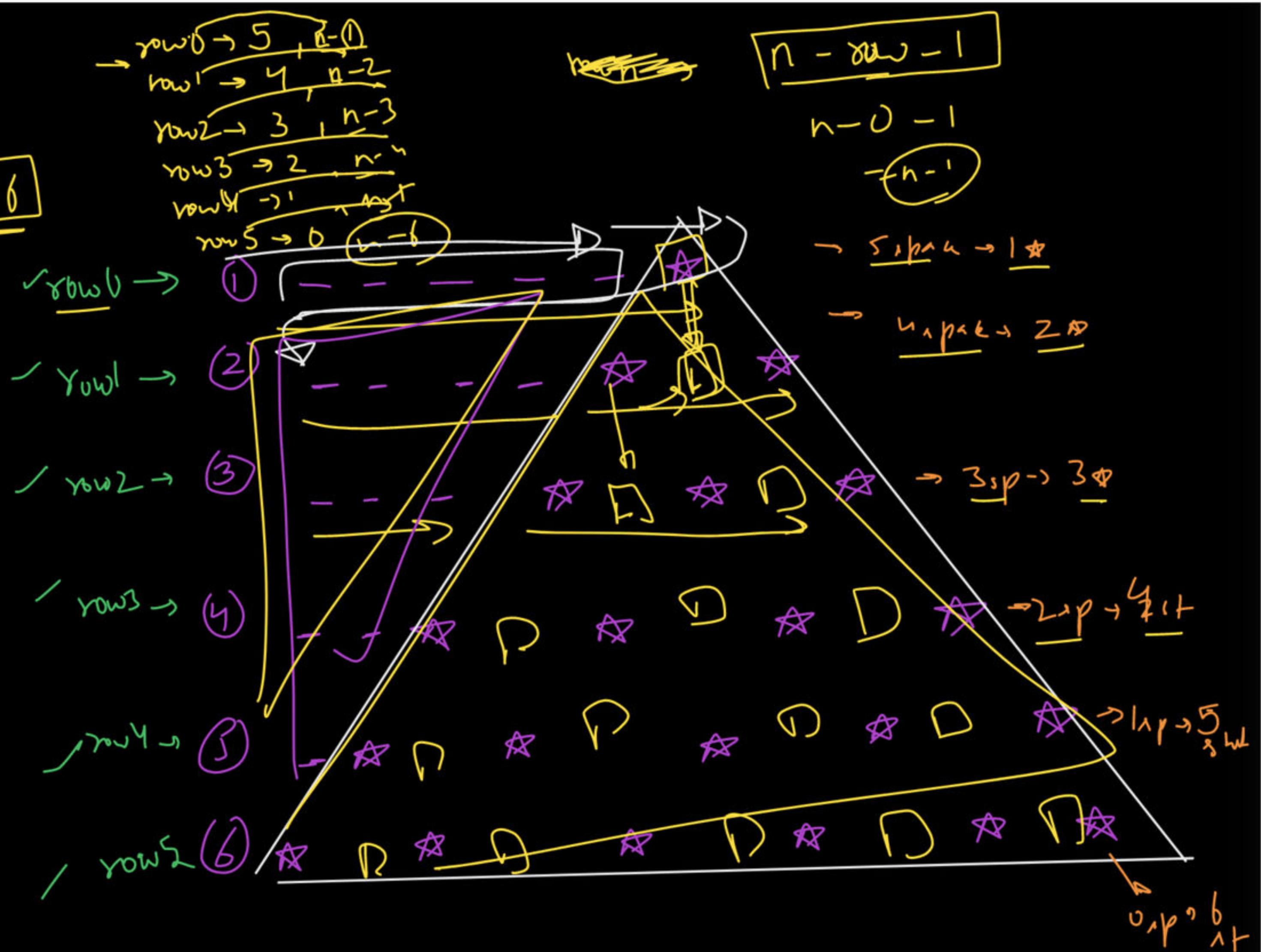
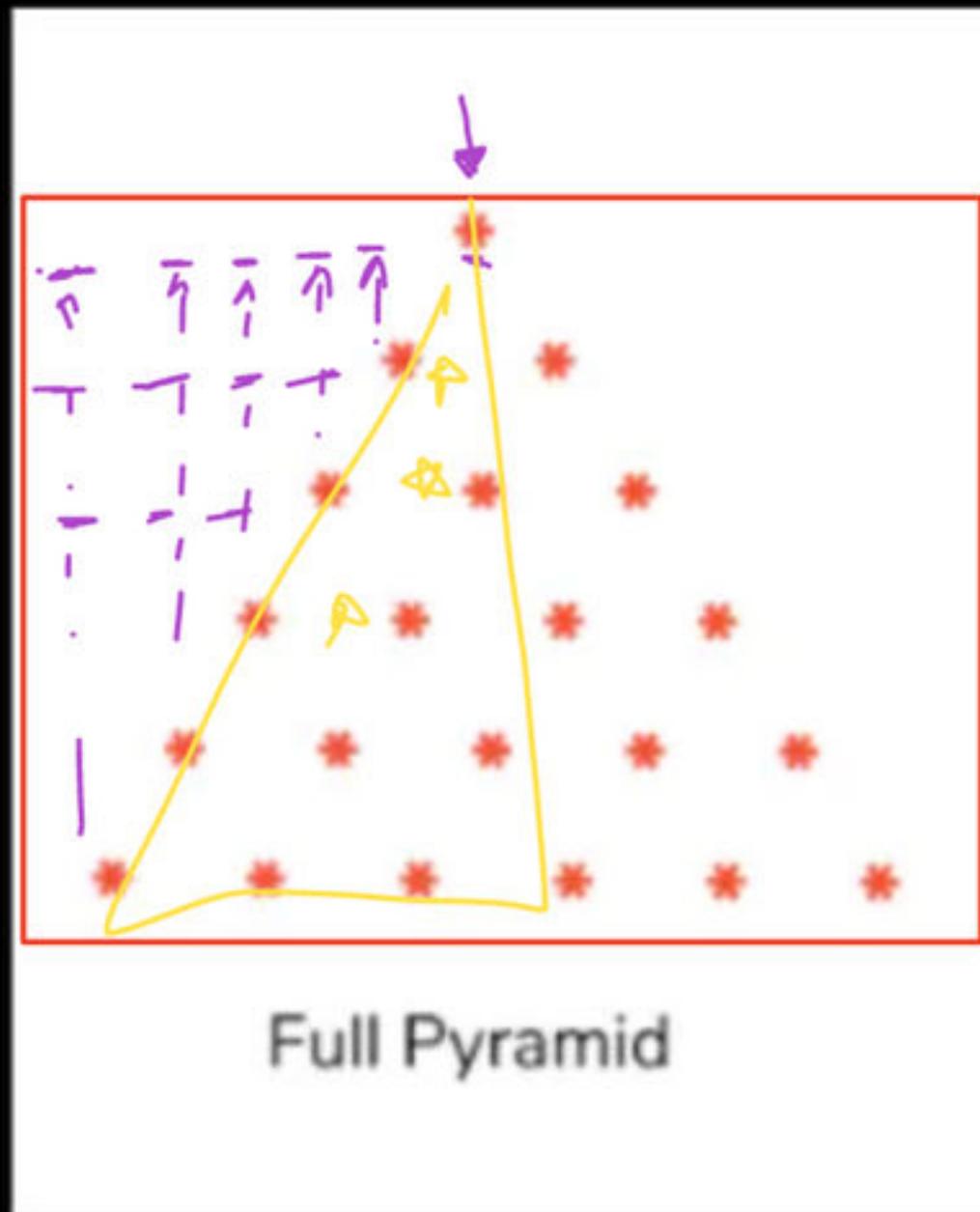


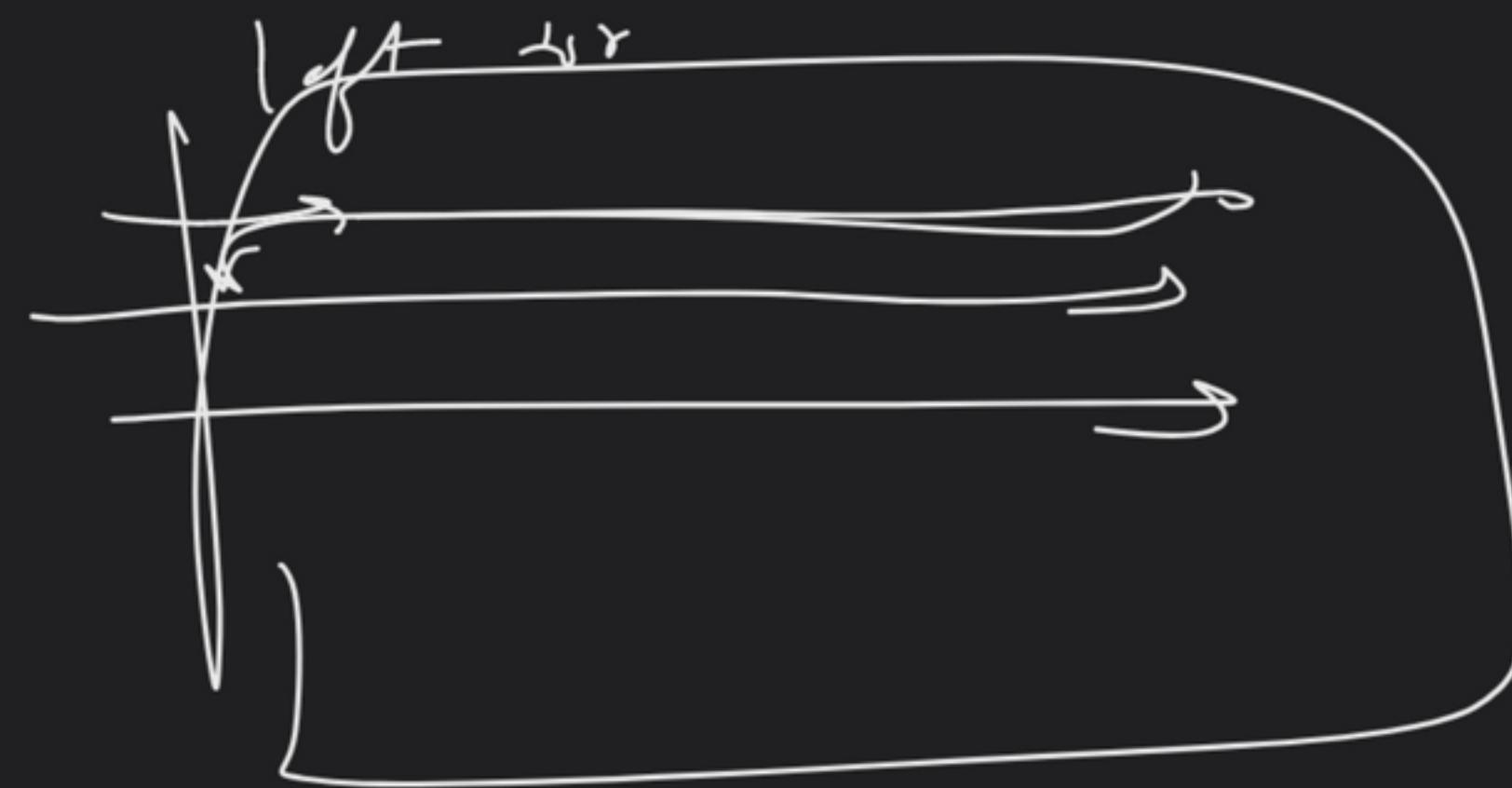
Instructor: Love Babbar

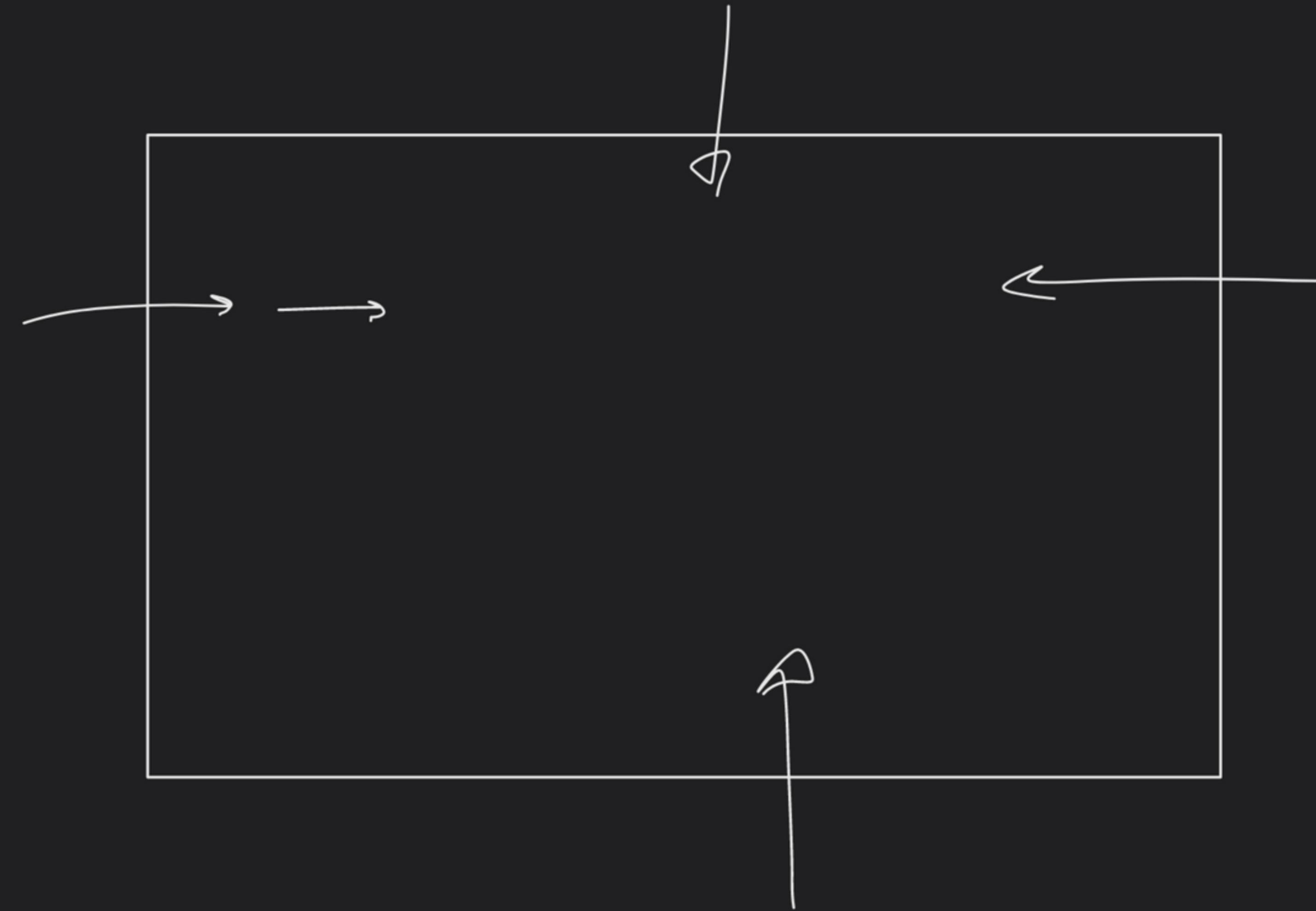
# Full Pyramid

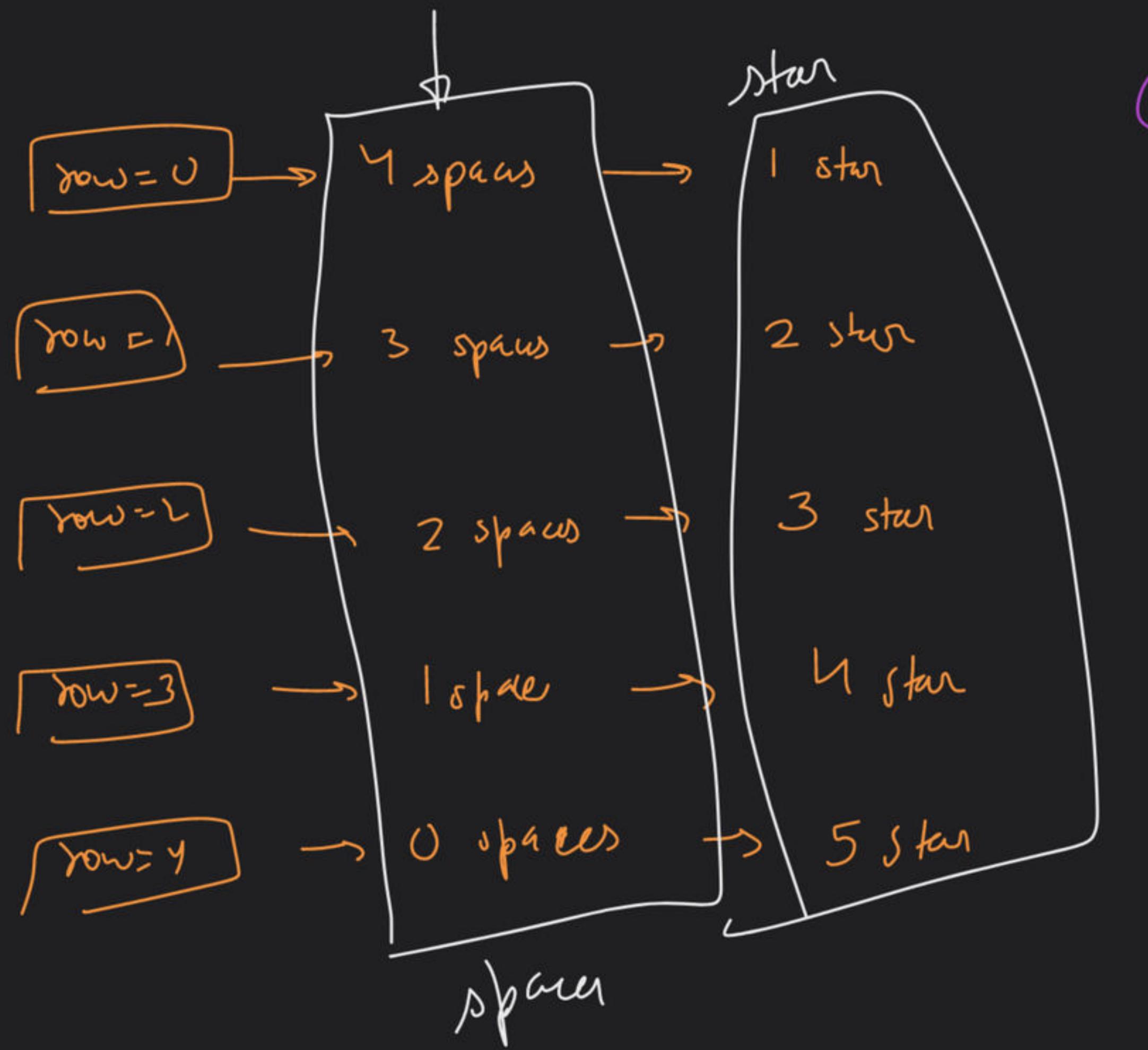
Total no  
of row

$$\boxed{n=6}$$









$r=5$



$$1 + \gamma_{\text{row}} = 3 + 1$$

$$1 + \gamma_{\text{row}} - 1$$

$$1 + \gamma_{\text{row}} = 2 + 1$$

$$1 + \gamma_{\text{row}}$$

③

$$1 + \gamma_{\text{row}} = 0 + 1 = 1$$
$$\gamma_{\text{row}} = 1$$

$$\gamma_{\text{row}} = 2$$

$$\gamma_{\text{row}} = 3$$

$$\gamma_{\text{row}} = 4$$

$$\gamma_{\text{row}} = 0$$
$$\gamma_{\text{row}} = 0 + 1 = 1$$
$$\gamma_{\text{row}} = 1$$

L

↓怕乱

$$1 \rightarrow n - \boxed{1}$$
$$3 \rightarrow n - [\gamma_{\text{row}} + 1]$$
$$n - \gamma_{\text{row}} - 1$$
$$2 \rightarrow n - \boxed{2}$$
$$1 \rightarrow n - \boxed{3}$$
$$0 \rightarrow n - (\gamma_{\text{row}} + 1)$$
$$n - \gamma_{\text{row}} - 1$$

$$\boxed{n = 5}$$

$$n = 5$$

$$(5-3) \rightarrow n-3$$

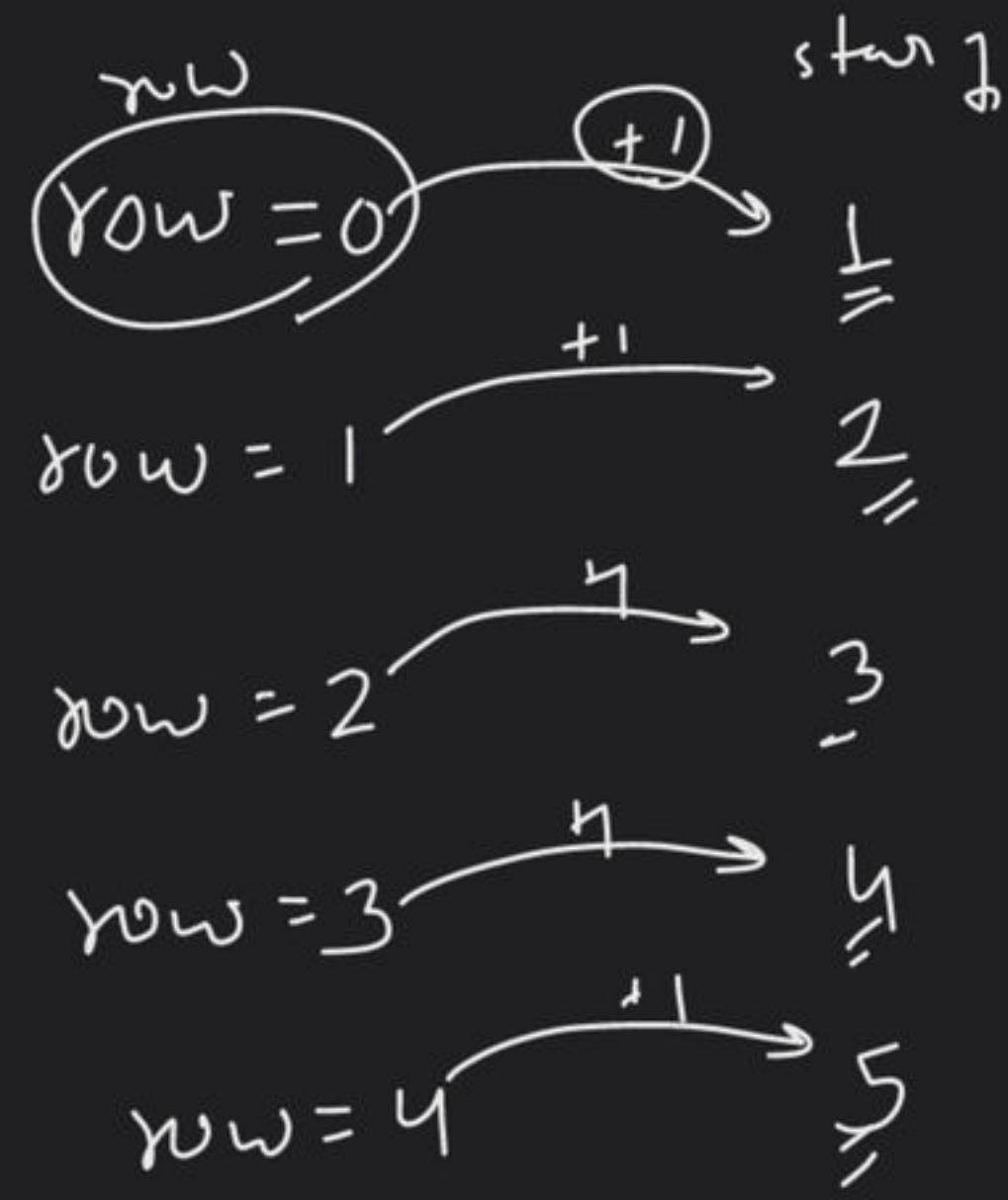
②

$$n = 5$$

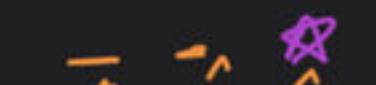
$$\boxed{n-1} = 5 - 1 = 4$$

$$\boxed{n-1} = 5 - 1 = 4$$
$$0/p \rightarrow 4$$

I



$yow + 1$

row 0 →   
 row 1 →   
 row 2 →   
 row 3 → 

$n=4$

(3)

$n=4$  → total no. of

```

Outer loop
for (int row = 0; row < n; row = row + 1)
{
    // spaces
    for (int col = 0; col < n - row - 1; )
    {
        // stars
        for (int row = 0; row < n - row - 1; )
    }
}
    
```

row 0 → 3 spaces → 1 star  
 row 1 → 2 spaces → 2 stars  
 row 2 → 1 space → 3 stars  
 row 3 → 0 spaces → 4 stars

$n-1$

$n - [row+1]$   
 $n - row - 1$

$n-2$

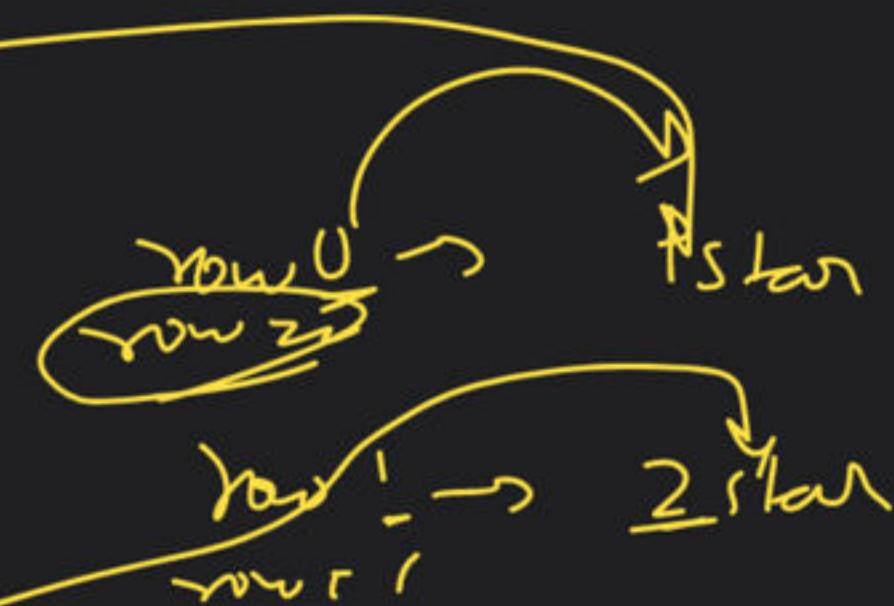
$n - [row + 1]$   
 $n - row - 1$

row 0 → 3 sp  
 row 1 → 2 sp  
 row 2 → 1 sp

$n=4$   
 row 1 → 2 sp  
 row 2 → 1 sp

$n - [row+1]$   
 $n - row - 1$

$$\text{row} + 1 \\ = 0 + 1 = 1$$



$$\text{row } n \\ = 1 + 1 = 2$$

$$\text{row } 2 \rightarrow 2 \text{ start} \\ \text{row } 3 \rightarrow 4 \text{ start}$$

$$\text{row } n+1 \\ = 2 + 1 = 3$$

$$V - [v\omega \pm 1]$$

$$+ \times - = \odot$$

$$h - v\omega - 1$$



row 0 → 5 s<sub>1/2</sub>

row 1 → 4 s<sub>1/2</sub>

row 2 → 3 s<sub>1/2</sub>

row 3 → 2 s<sub>1/2</sub>

row 4 → 1 s<sub>1/2</sub>

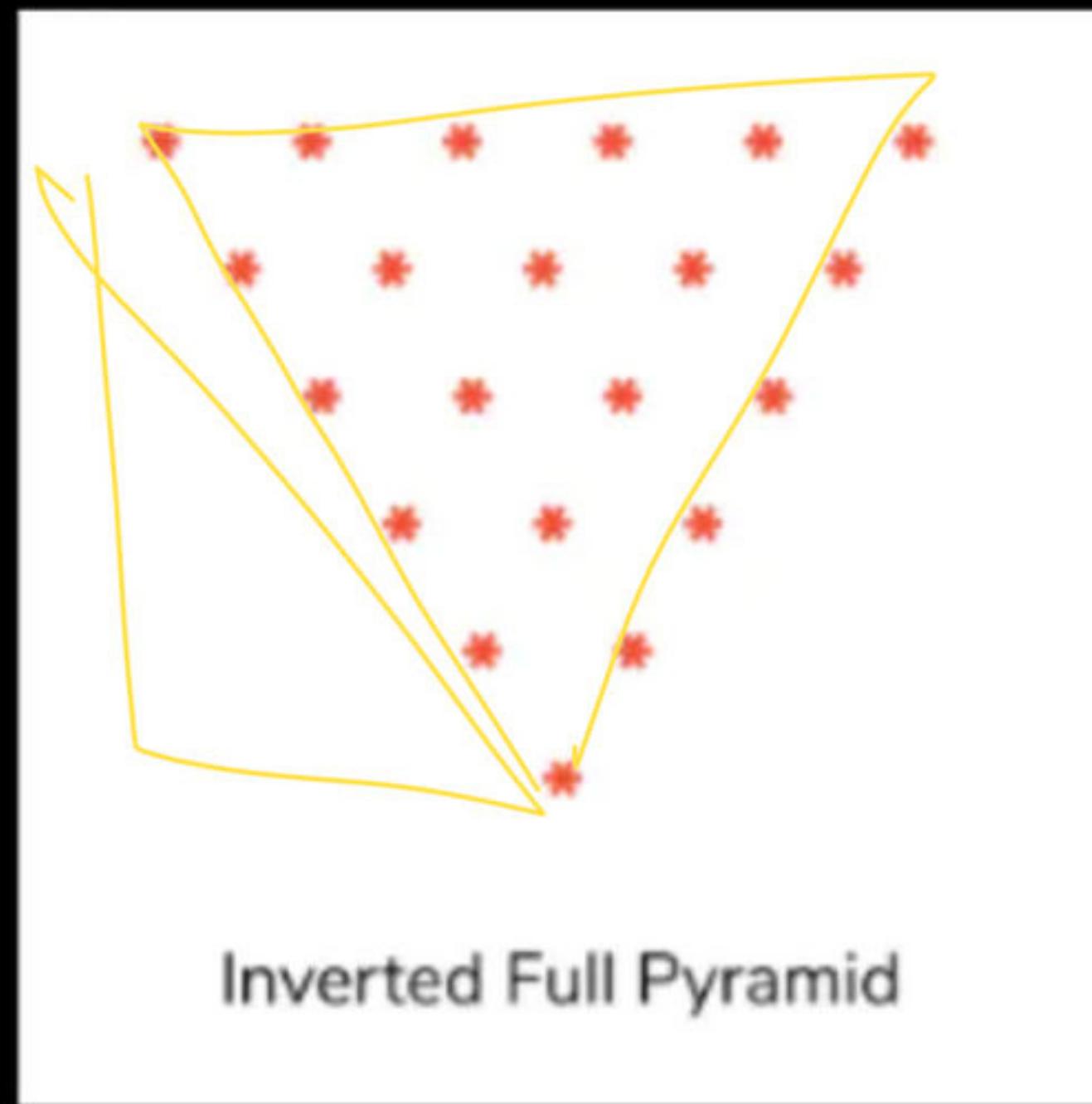
row 5 → 0 s<sub>1/2</sub>



Outer loop

```
for (int row = 0; row < 6; row++)  
{  
    inner  
    loop  
    {  
        for (  
        {  
            } )   ↴ space  
            ) ↴ stars  
        for (  
        {  
            }  
    }  
    cout << endl;  
}
```

# Inverted Full Pyramid



$n=7$

Outer Loop

```
for (int row=0; row<n; row++)  
{  
    // space  
    for (  
        {  
            // star  
            for (  
                }  
            }  
        }  
    }  
}
```

row 0 → \* \* \* \*  
row 1 → - \* \* \*  
row 2 → -- \* \*  
row 3 → --- \*



$$now = 4$$

$$1 + now = 1 + 4$$

$$1 + now = 5$$

$$n = 5$$

$$n - 3 = 5 - 3$$

$$n - 3 = 2$$

2

$$n = 5$$

$$n - 5 = 5 - 1$$

$$n - 5 = 0$$

0

$$now = 0$$

$$now = 1$$

$$now = 2$$

$$now = 3$$

$$now = 4$$

$$now = 2$$

$$1 + now = 2 + 1$$

$$1 + now = 3$$

start

$$n = 5$$

$$\cancel{\leq} \ n - \boxed{1}$$

$$3 \quad n - [1 + now] = n - 1 - now$$

$$\cancel{\leq} \ n - \boxed{2}$$

$$n = 5$$

$$n - 1 = 5 - 1$$

$$\cancel{\leq} \ n - \boxed{3}$$

$$\underline{n - 1} = \boxed{4}$$

$$\cancel{\leq} \ n - \boxed{4}$$

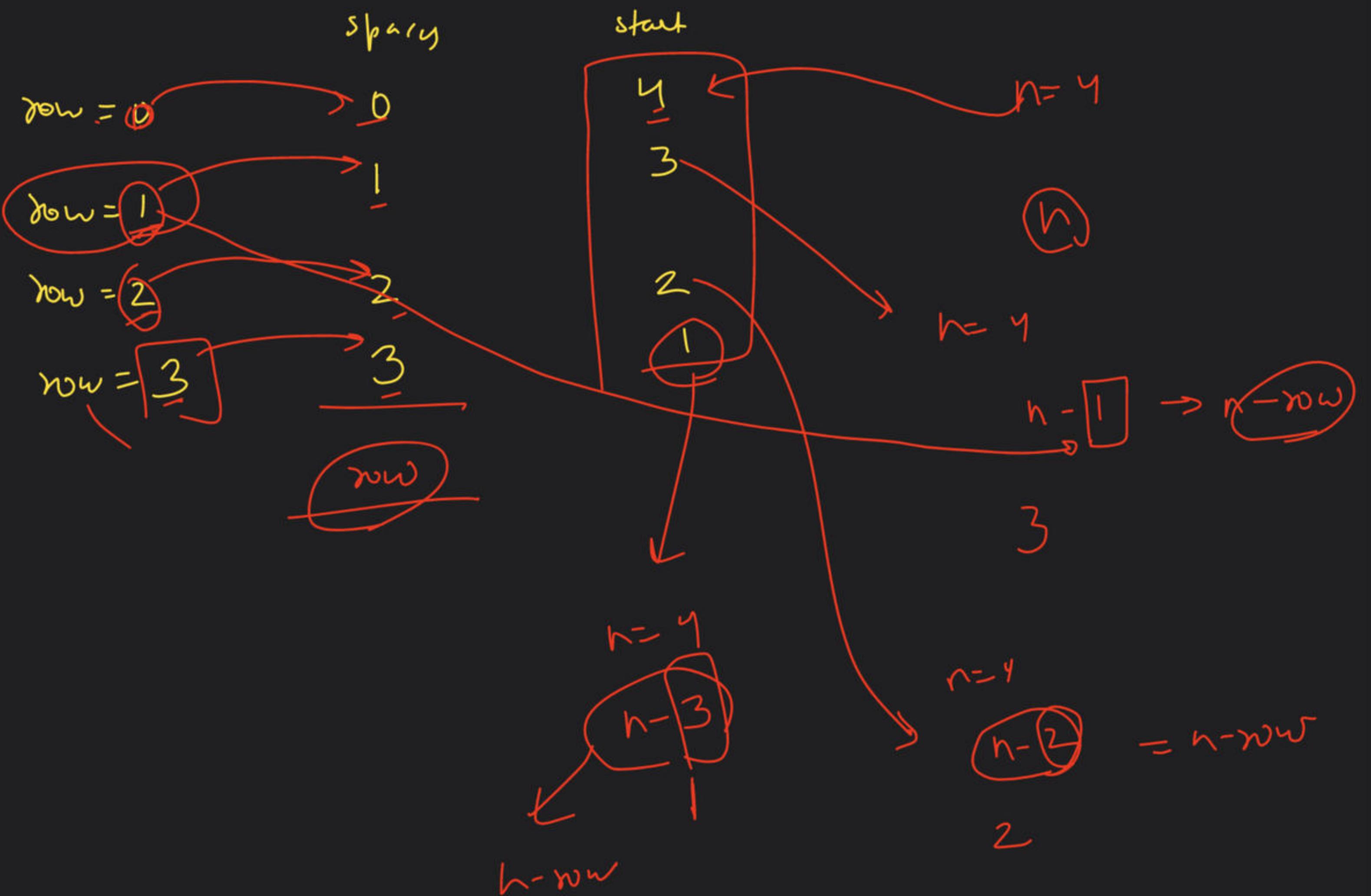
$$1 - [1 + now] = 1 - 1 - 1$$

$$now = 0$$

$$1 + now = 0 + 1$$

$$1 + now = 1$$





# Numeric Full Pyramid

1
2 3 2
3 4 5 4 3
4 5 6 7 6 5 4
5 6 7 8 9 8 7 6 5

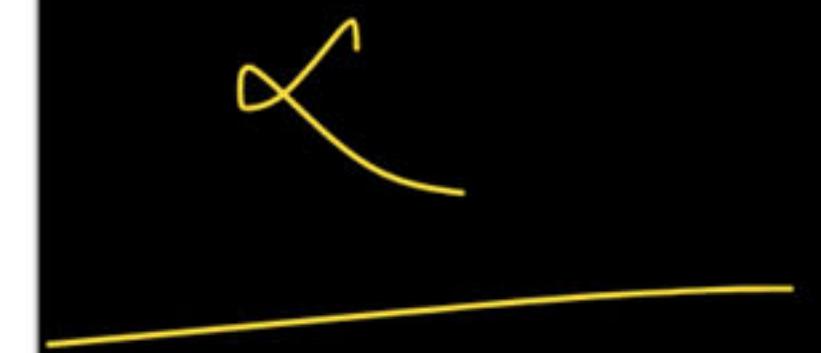
Full Pyramid



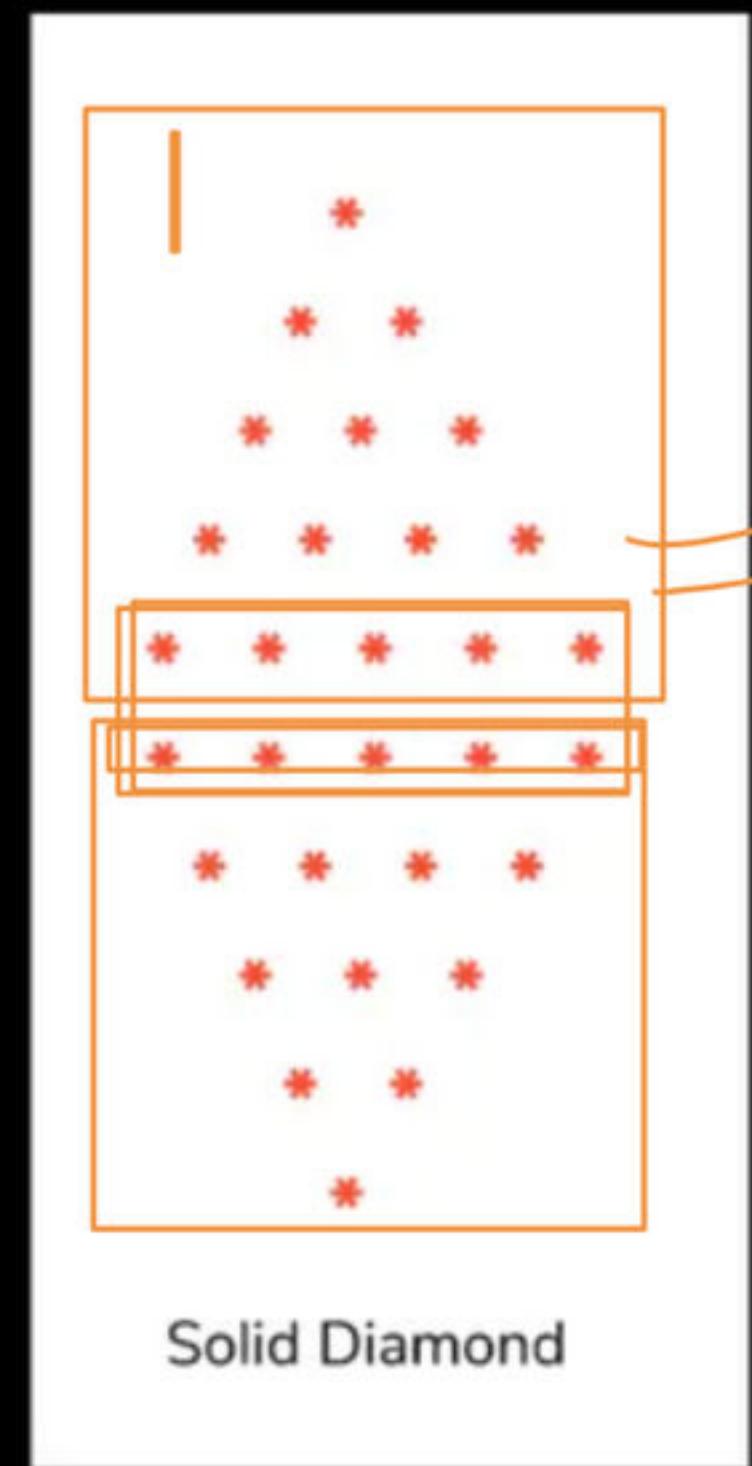
# Numeric Hollow Pyramid

		1		
	1		2	
1			3	
1				4
1	2	3	4	5

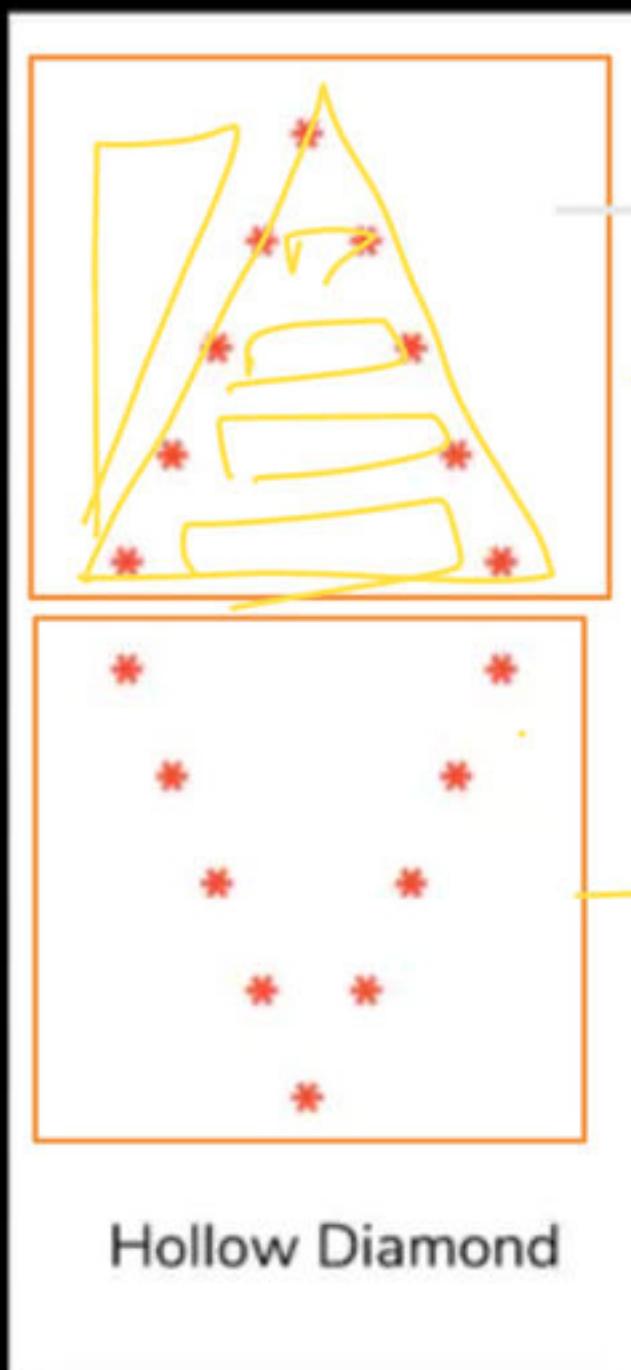
Hollow Full Pyramid



# Solid Diamond



# Hollow Diamond



row 0 →

row 1 →

row 2 →

row 3 →

row = 0

row = 1

row = 2

row = 3

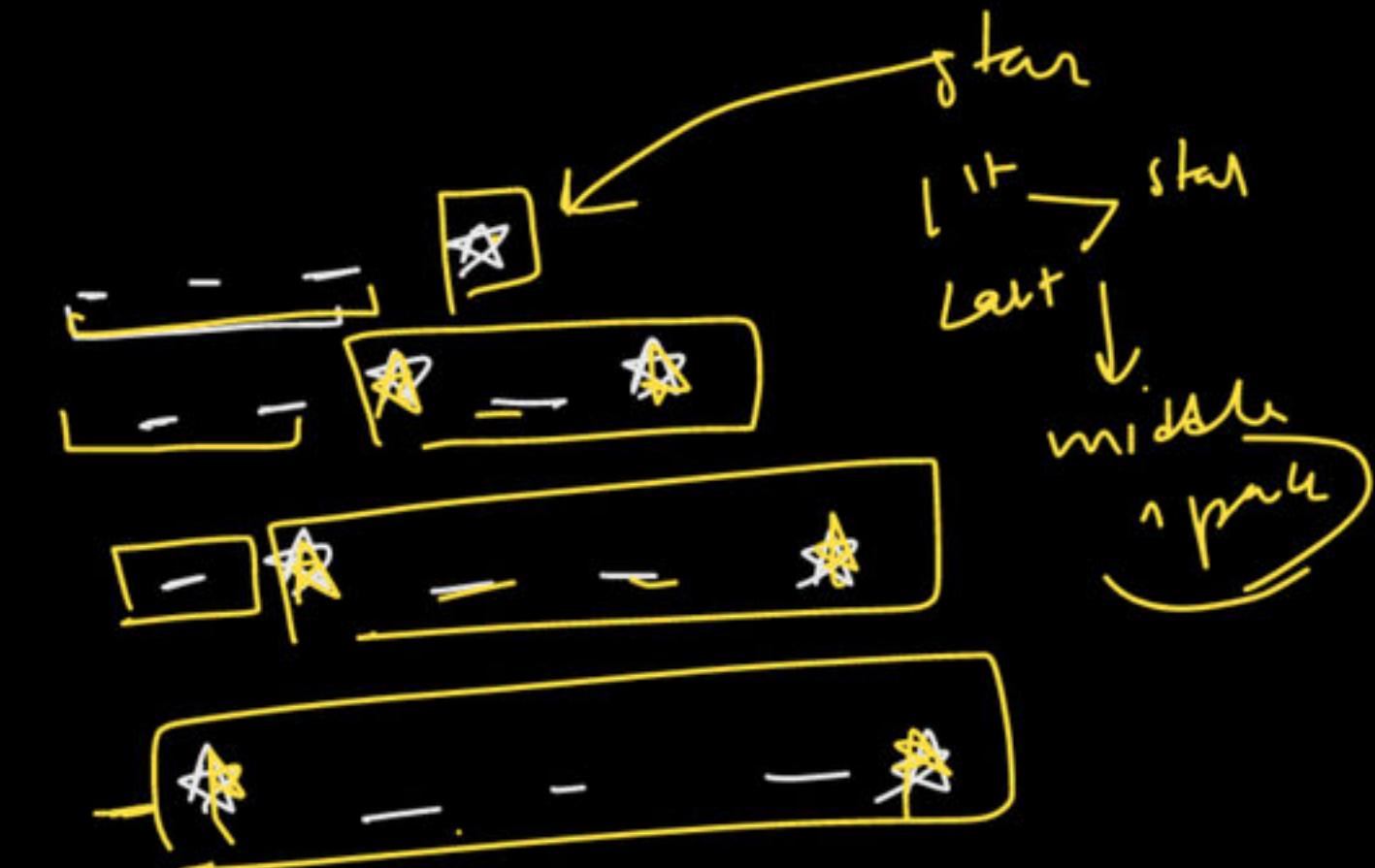
shape

2

2

1

0



$n=4$

$$\begin{aligned} n-1 &= 4-1 \\ n-1 &= 3 \end{aligned}$$

3

$$\begin{aligned} n-1 &= 0 \\ n-1 &= 1 \end{aligned}$$

formula

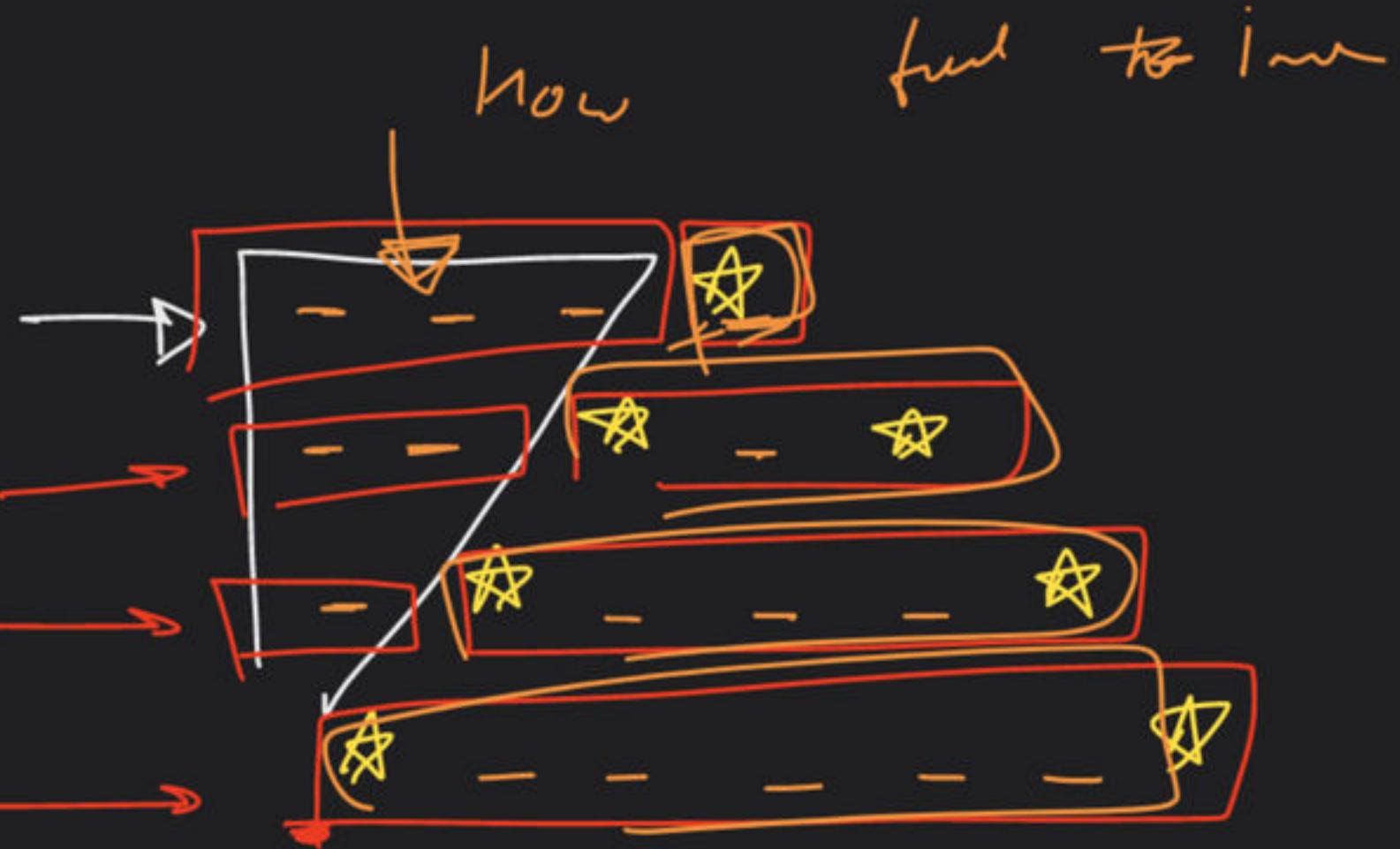
$$2 \times 0 - 1 = \textcircled{-1}$$

$now = 0$

Outer loop

```
for (int now=0; now < n; now=now+1)
{
    // spaces
    |
    3
    7
    11
    // star
    2 * now *
}
```

2 \* now \*  
7 \* now \* - 1



$now = 0$ ,  $now = 0 + 1$ ,  $now = 0$

why

$now = 1$

$now = 2$

$now = 3$

3 ←

2

1

0

$n = 4$

$n - 1 = 4 - 1$

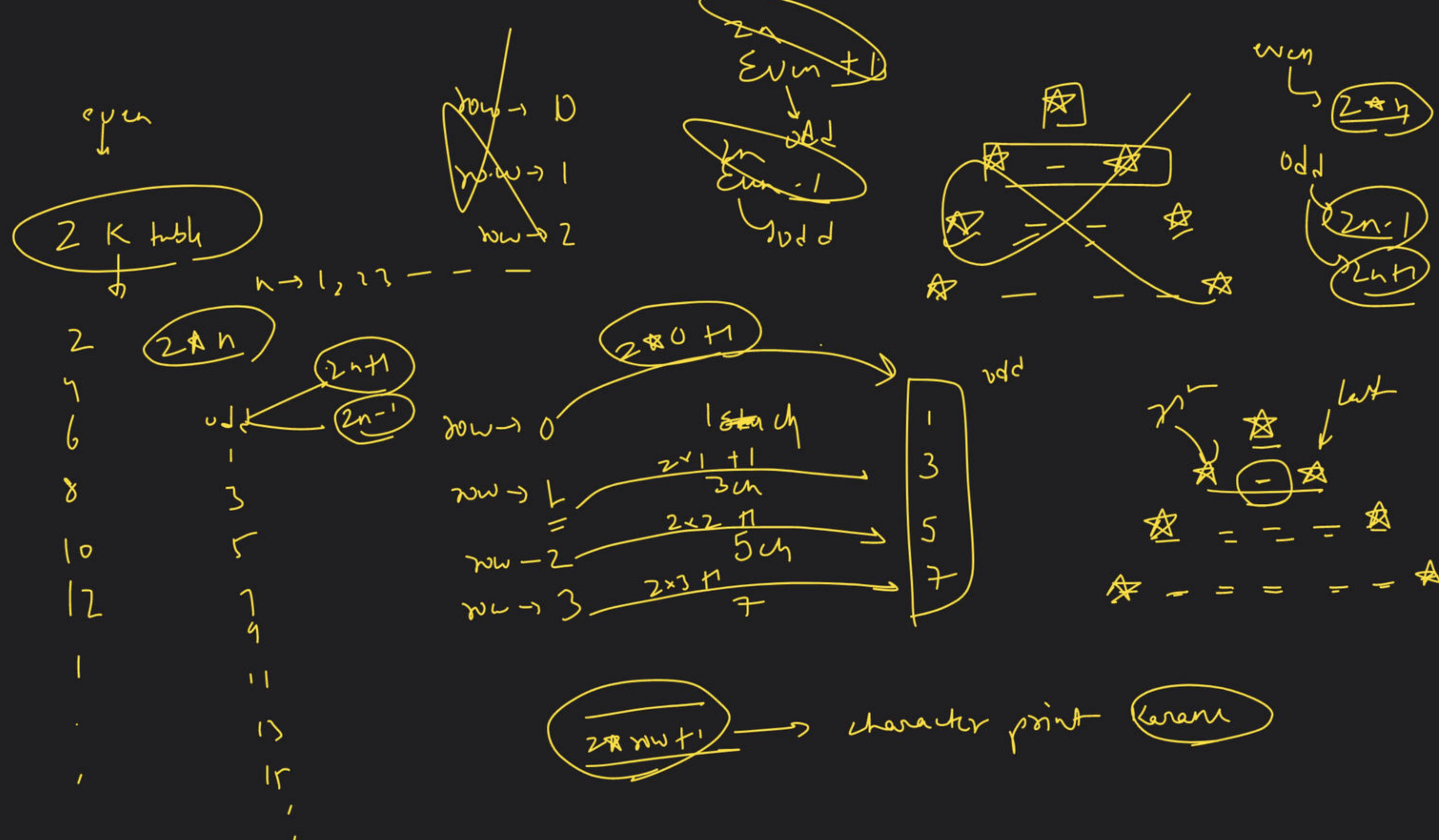
$n - [1 now] = 3$

$n - [1 now]$

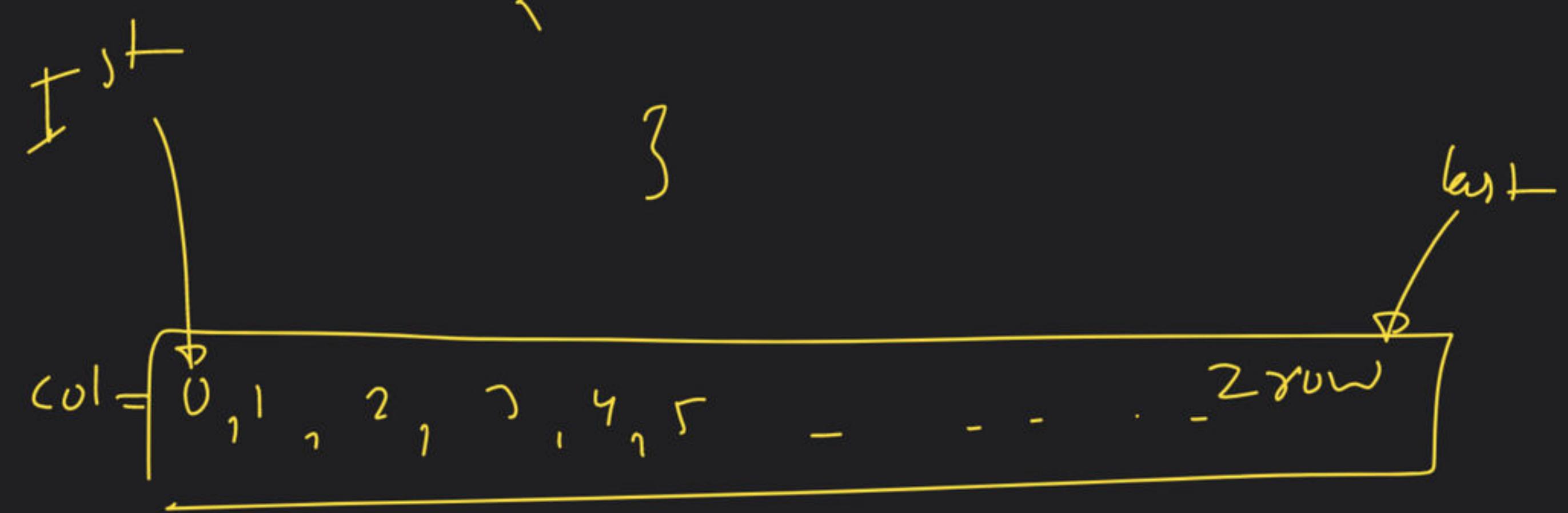
$n - 1 - now$

}





```
for ( int col = 0; col < 2 * row + 1; col = col + 1 )
```



$$\frac{2yw}{2yw+1}$$

$\star$   
 $\langle 2^{\omega\omega+2}$

$\langle 2^{\omega\omega+3}$

| —————→  $\langle \delta$

$\boxed{1 + 2, 3, 4, 5}$

$\langle 2^{\omega\omega+1}$   
 $2^{\omega\omega}$   
 $\langle 2^{\omega\omega+2}$   
 $2^{\omega\omega+1}$

3 char

a      b      c  
0      1      2

n = 1

n<sup>2</sup> play

7-1

n=1  
n=2  
n=3  
n=4  
n=5  
n=6  
n=7  
n=8

7-1 +1

< 7  
< m

m-1

n=7

```

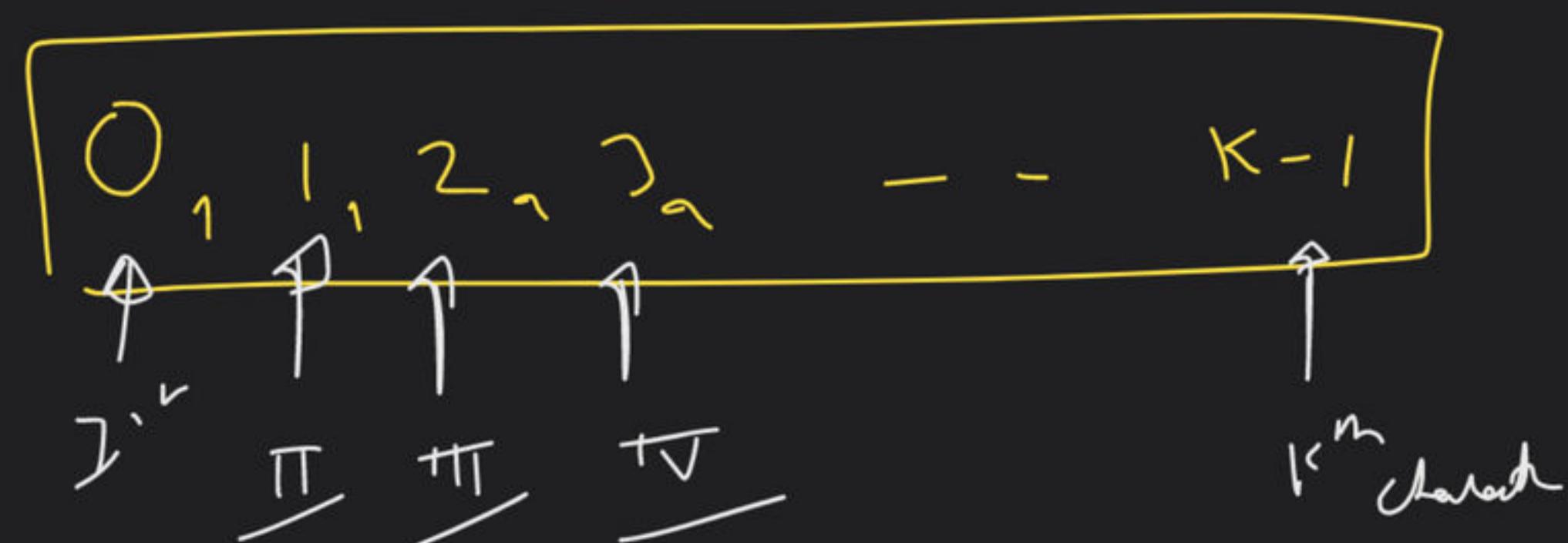
if (< 1st star)
{
    if (curr star)
    {
        do {
    }
}

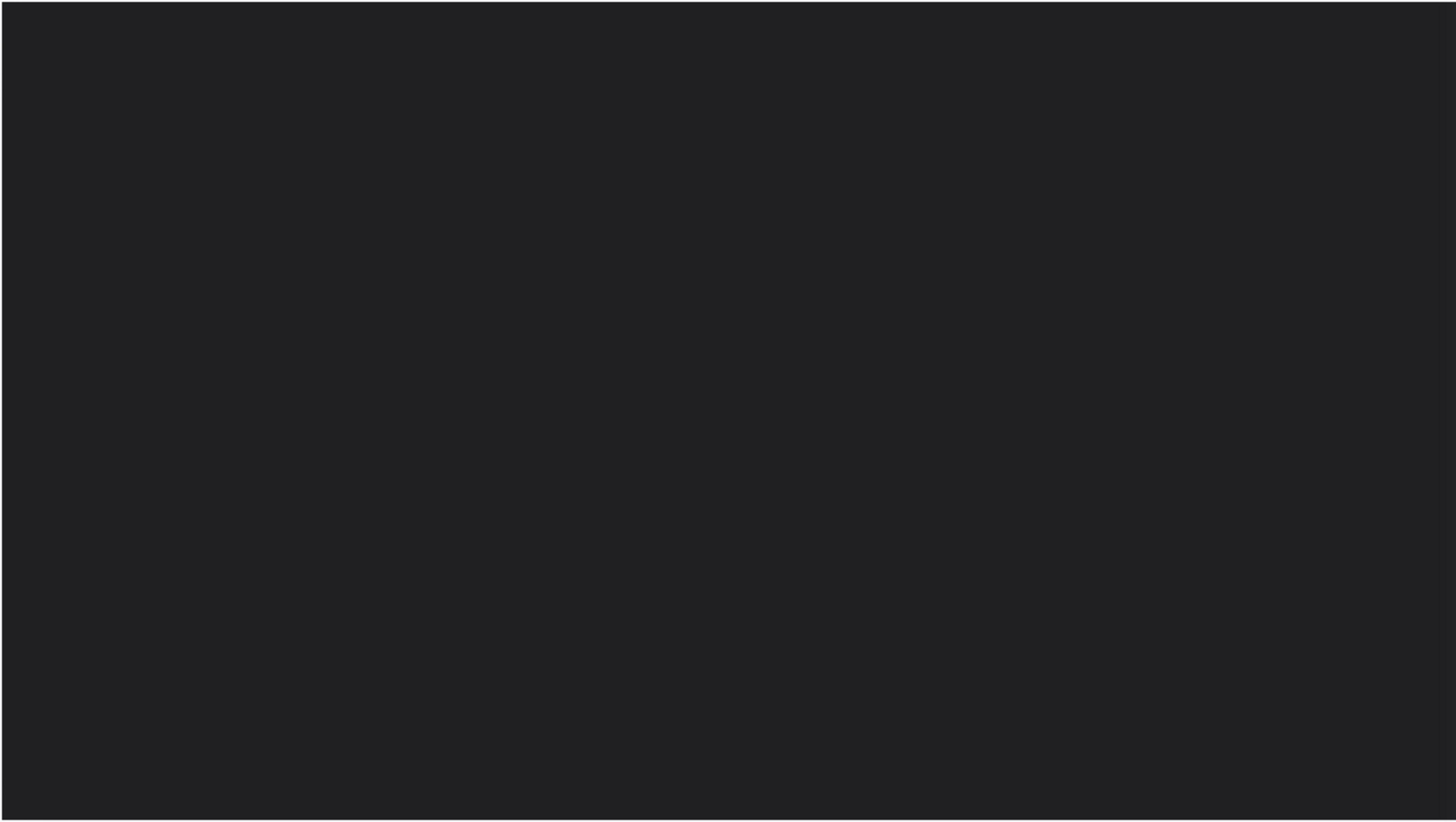
```

~~for~~  
 $\sum L_{sh}$

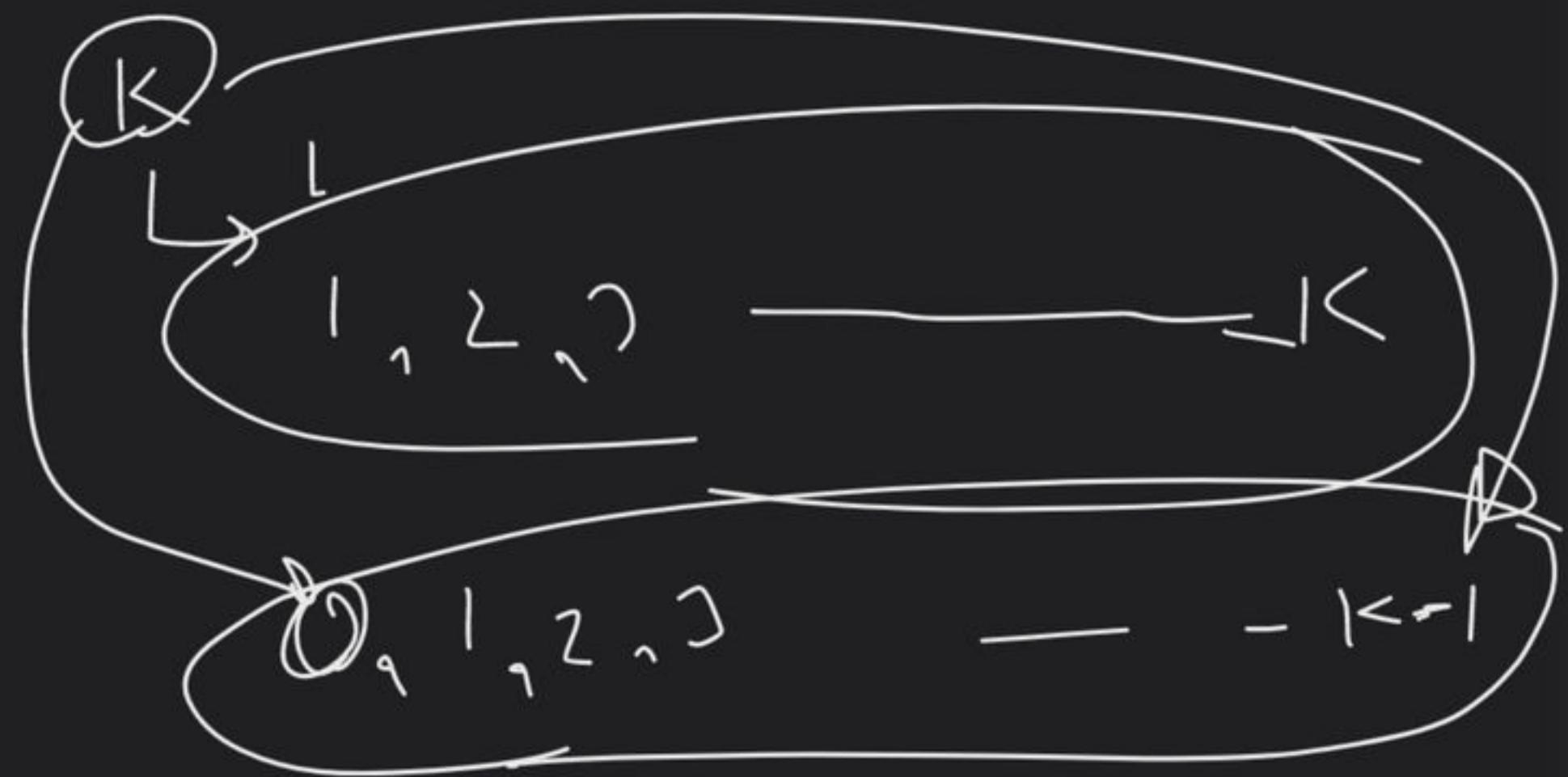
$$K = 2nw + 1$$

Total "K" characters





1, 2, 3, 4, 5  
0, 1, 2, 3, 4



first star



if ( first star )  
{



else =

else if ( last star )  
{



else  
{  
    root | ~~middle~~ middle space  
    space  
}

$$2n - 2\text{nw} - 1$$

$$2 \times 7 - 2 \times 3 - 1$$

$$8 - 6 - 1 = 8 - 7 = 1$$

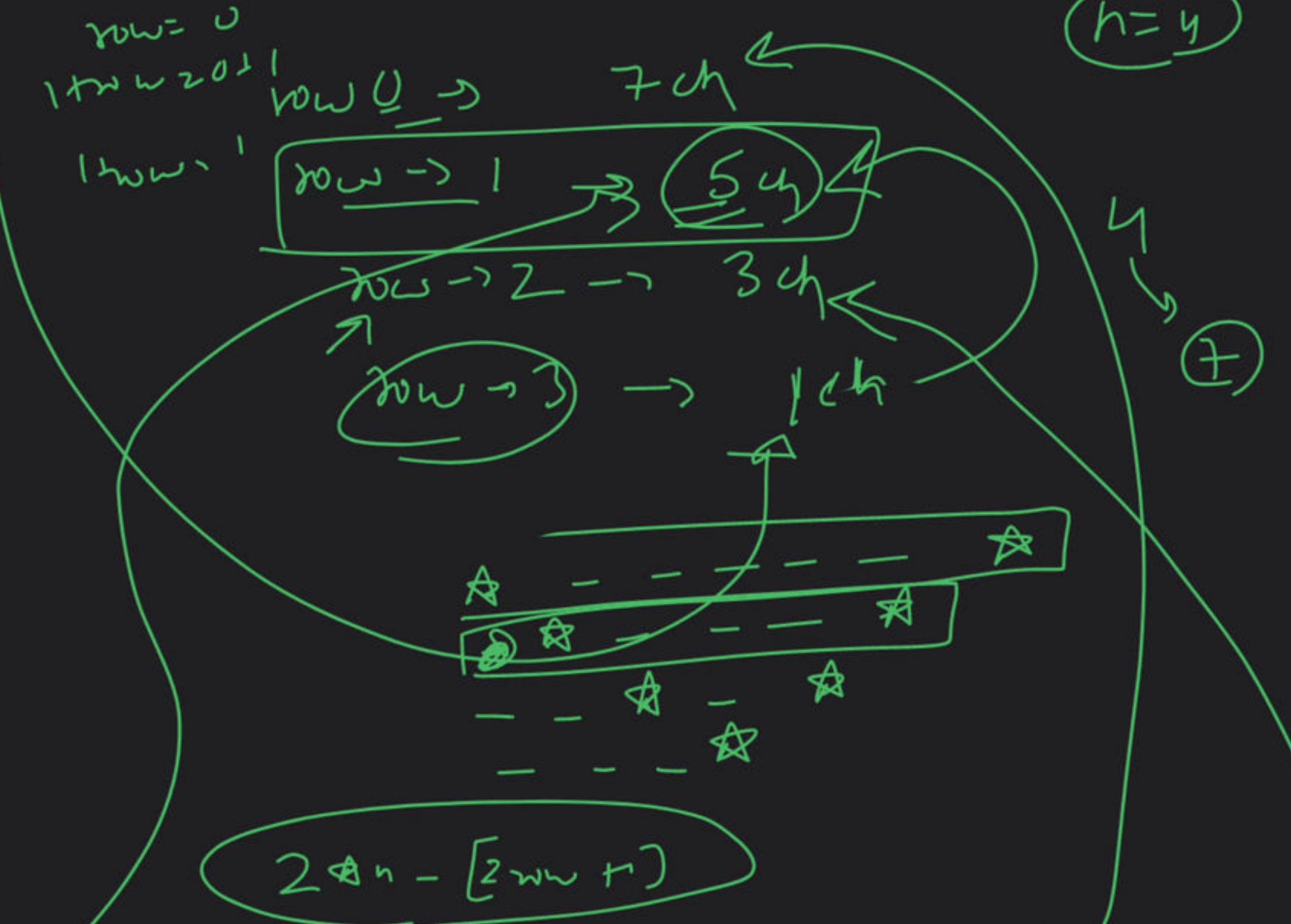
$\text{nw} \rightarrow 0-$  0, p

$\text{nw} = 1$  1s $p$

$\text{nw} = 2$  2s $p$

$\text{nw} = 3$  3s $p$

$2\text{nw}$



$$2n - 2\text{nw} - 1$$

$$2 \times 7 - 2 \times 2 - 1 = 8 - 4 - 1 = 3$$

Total K character



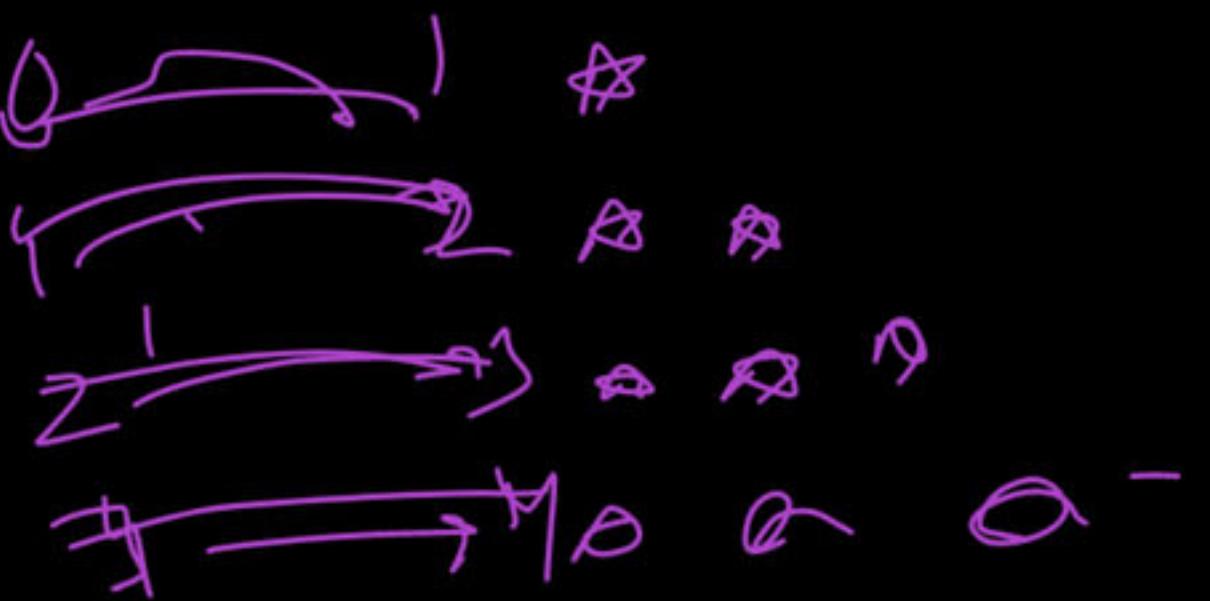
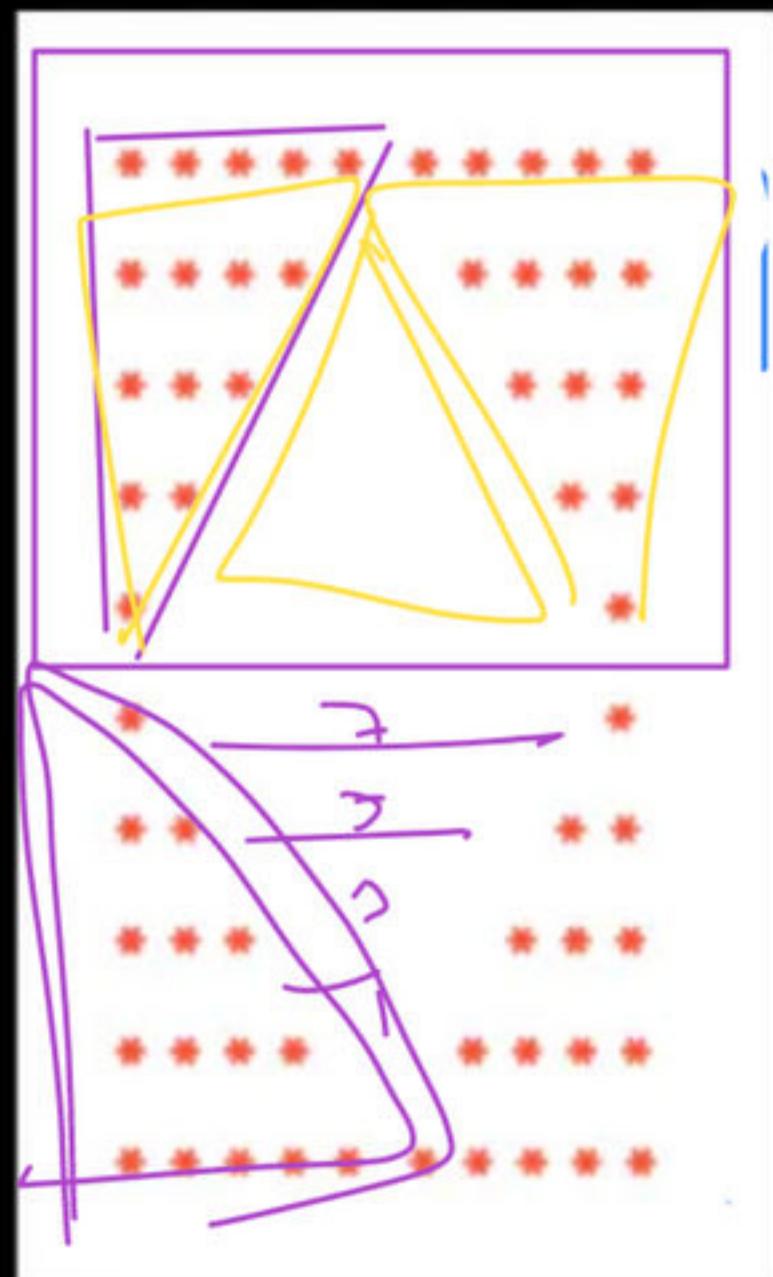
$$\text{Total} \rightarrow 2n - 2ww - 1$$

$$\text{last} \rightarrow 2n - 2ww - 1 - 1$$

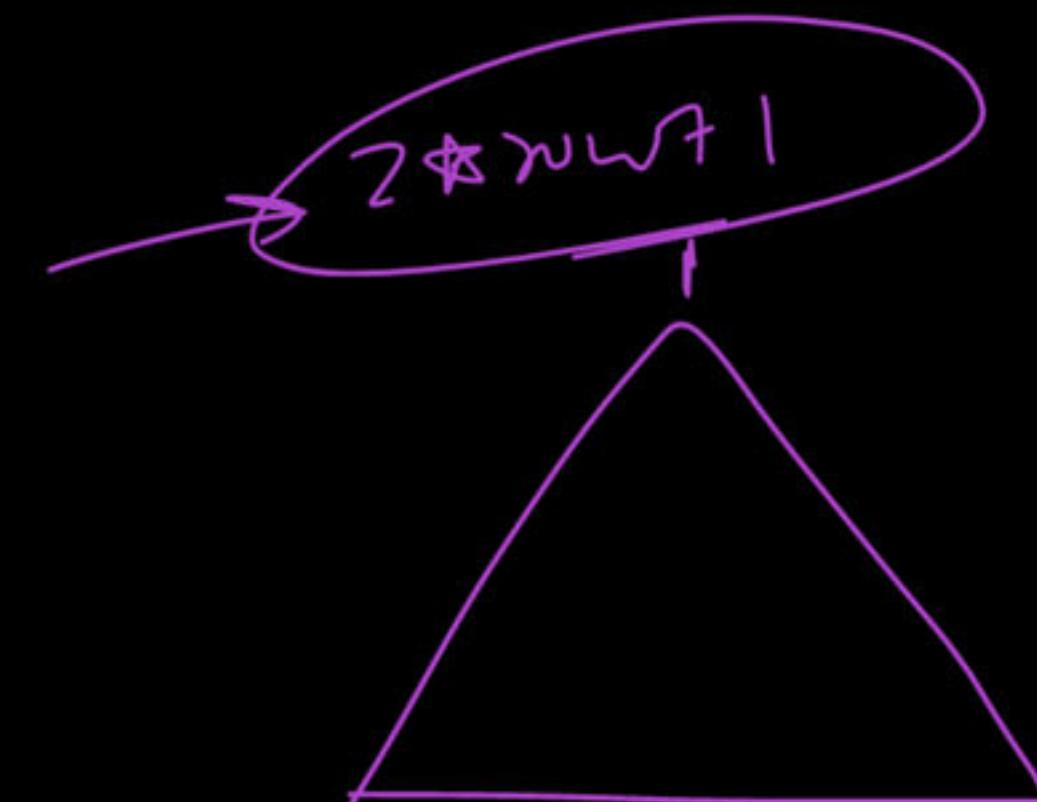
$$\approx 2n - 2ww - 2$$

J

# Flipped Solid Diamond



$2n - 2vw - 1$



$2vw + 1$

$vw0 \rightarrow 4$

$vw1 \rightarrow 3$

$vw2 \rightarrow 2$

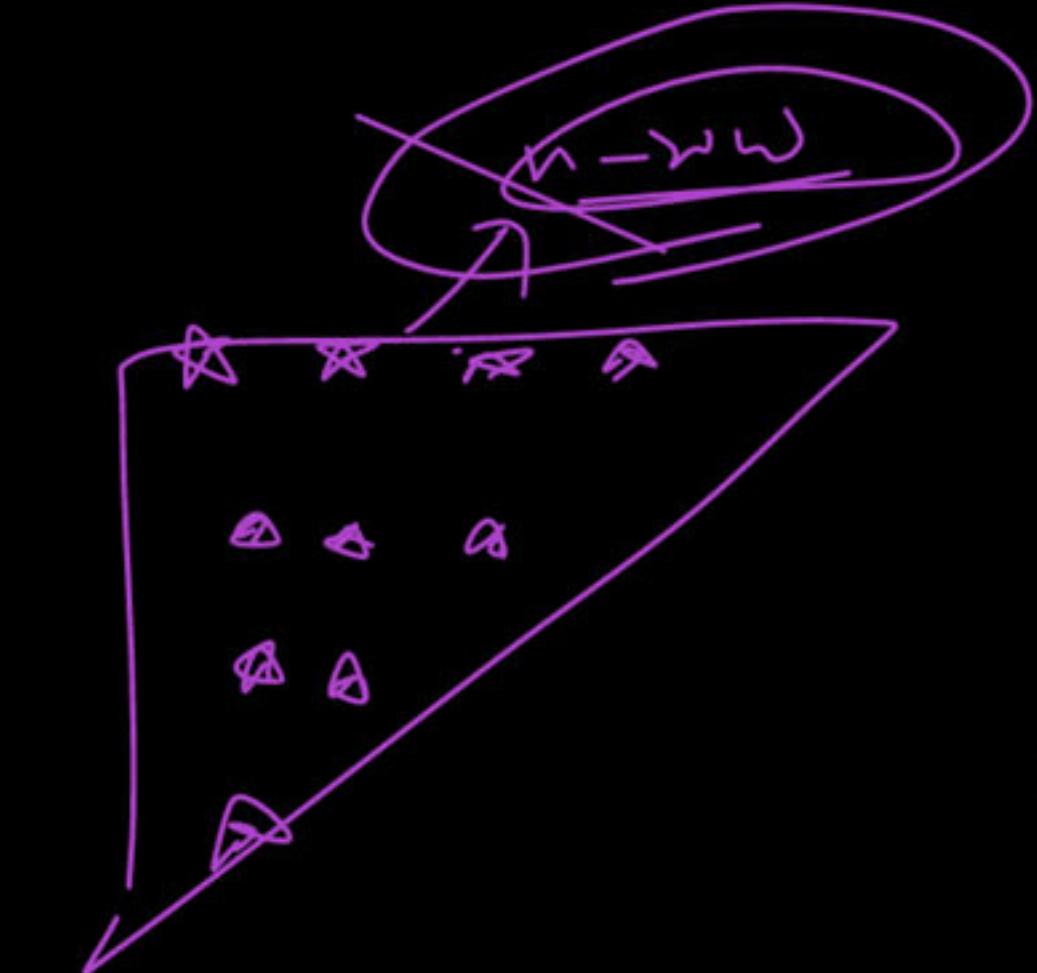
$vw3 \rightarrow 1$

(n)

$n-1 = 9-1$

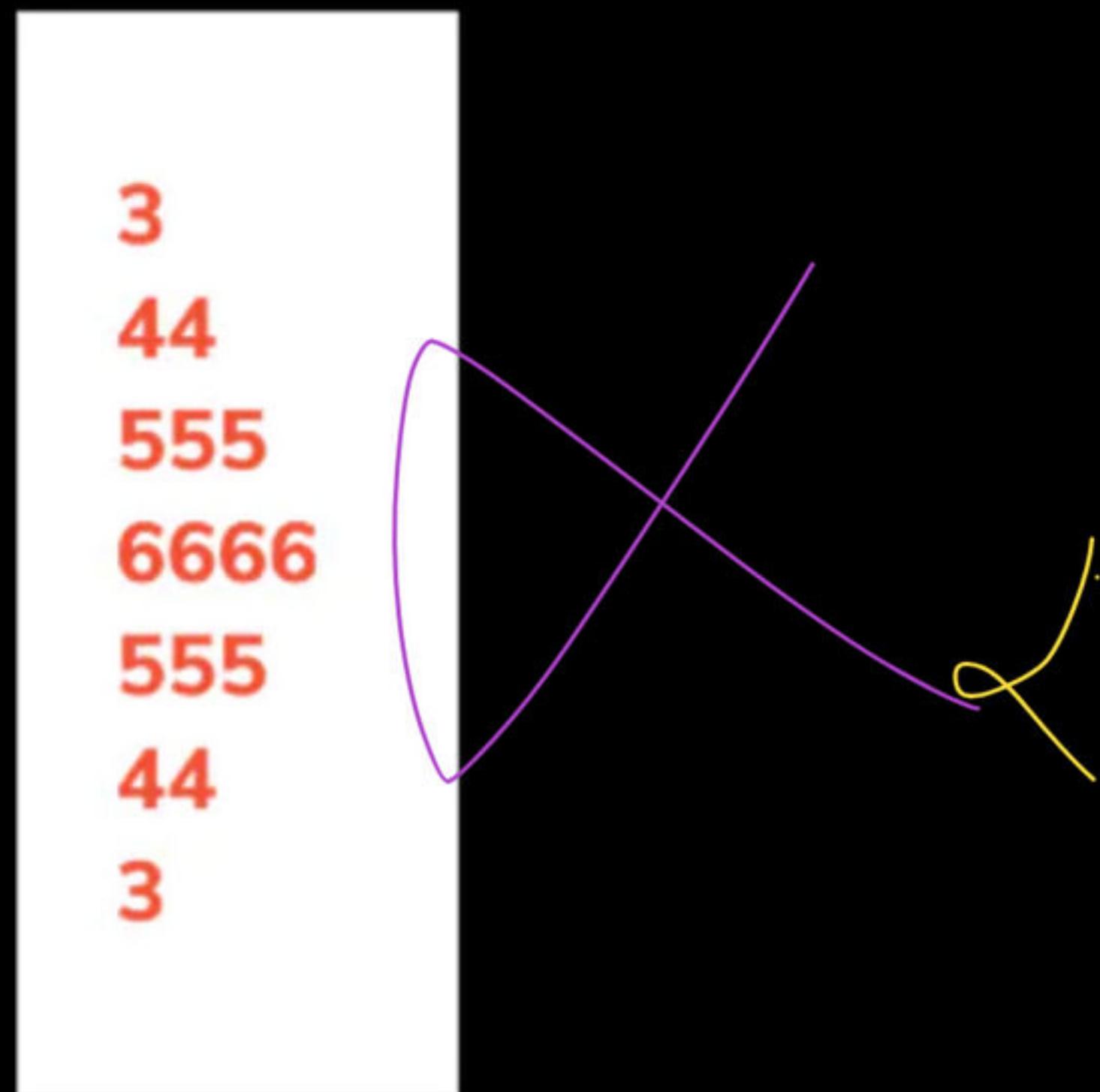
$n-1 = 3$

$h-vw$

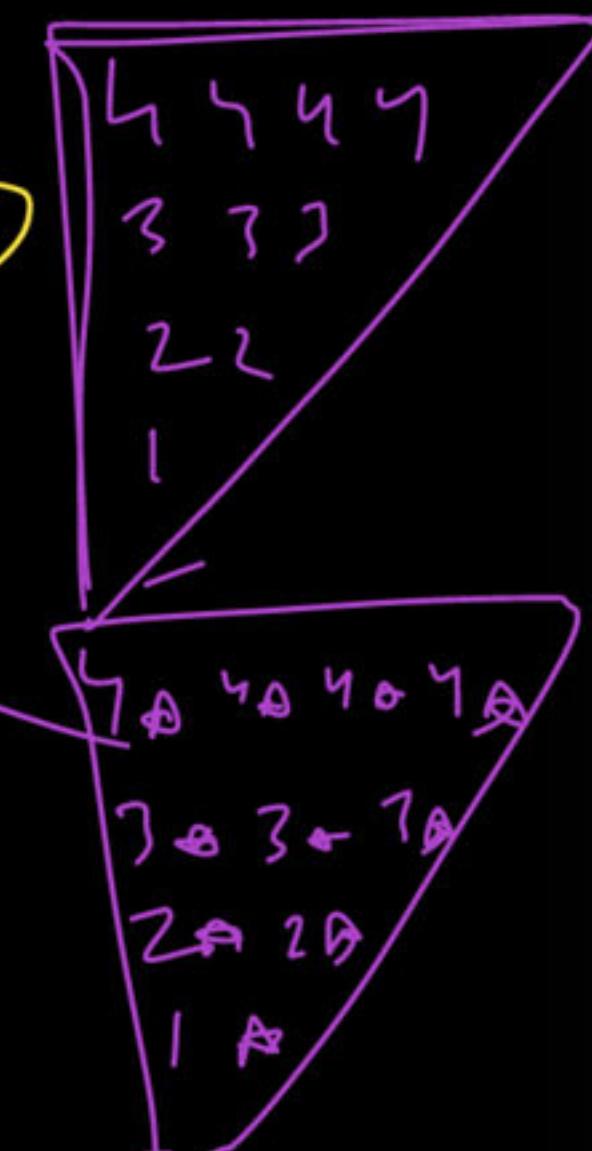
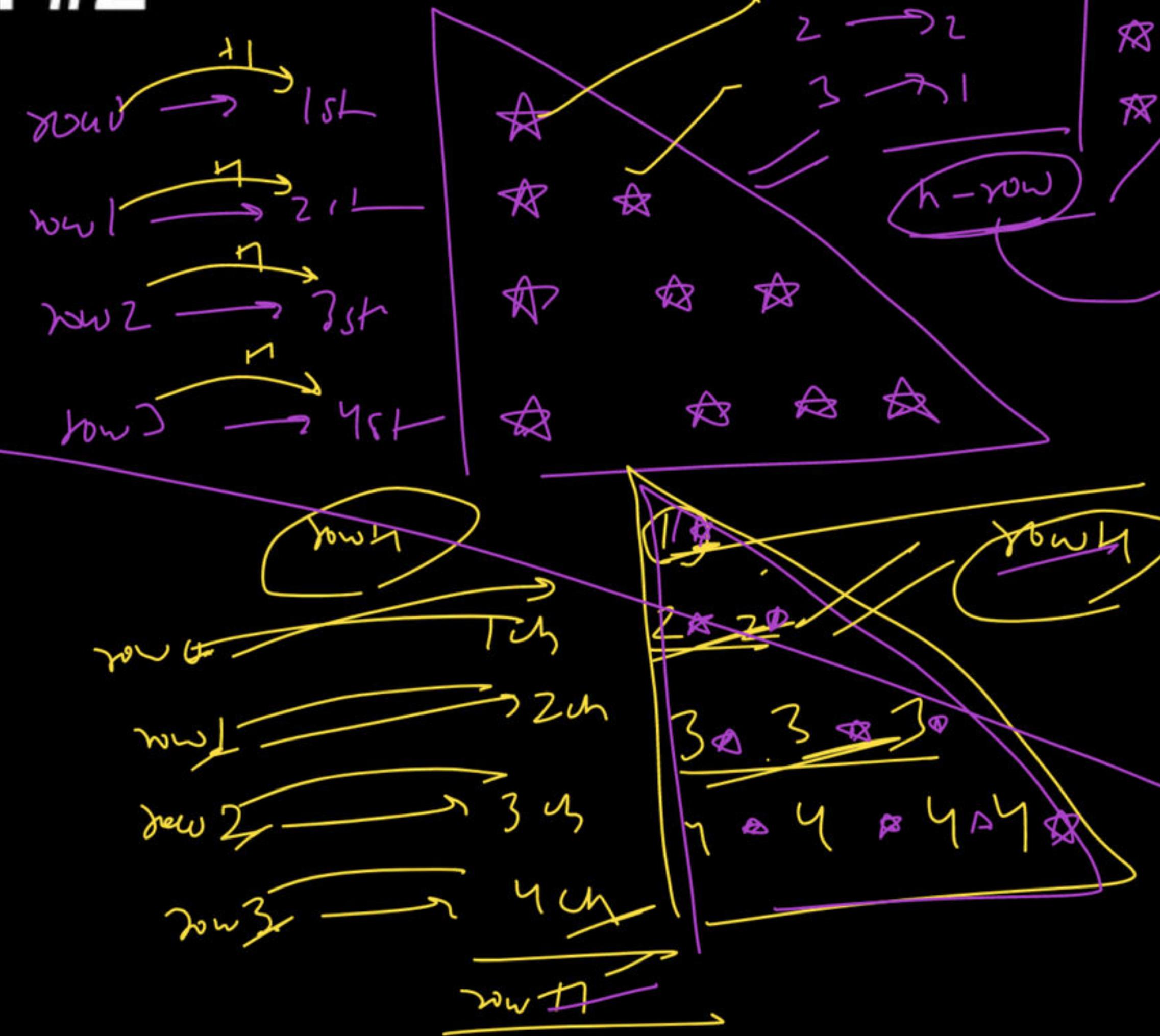
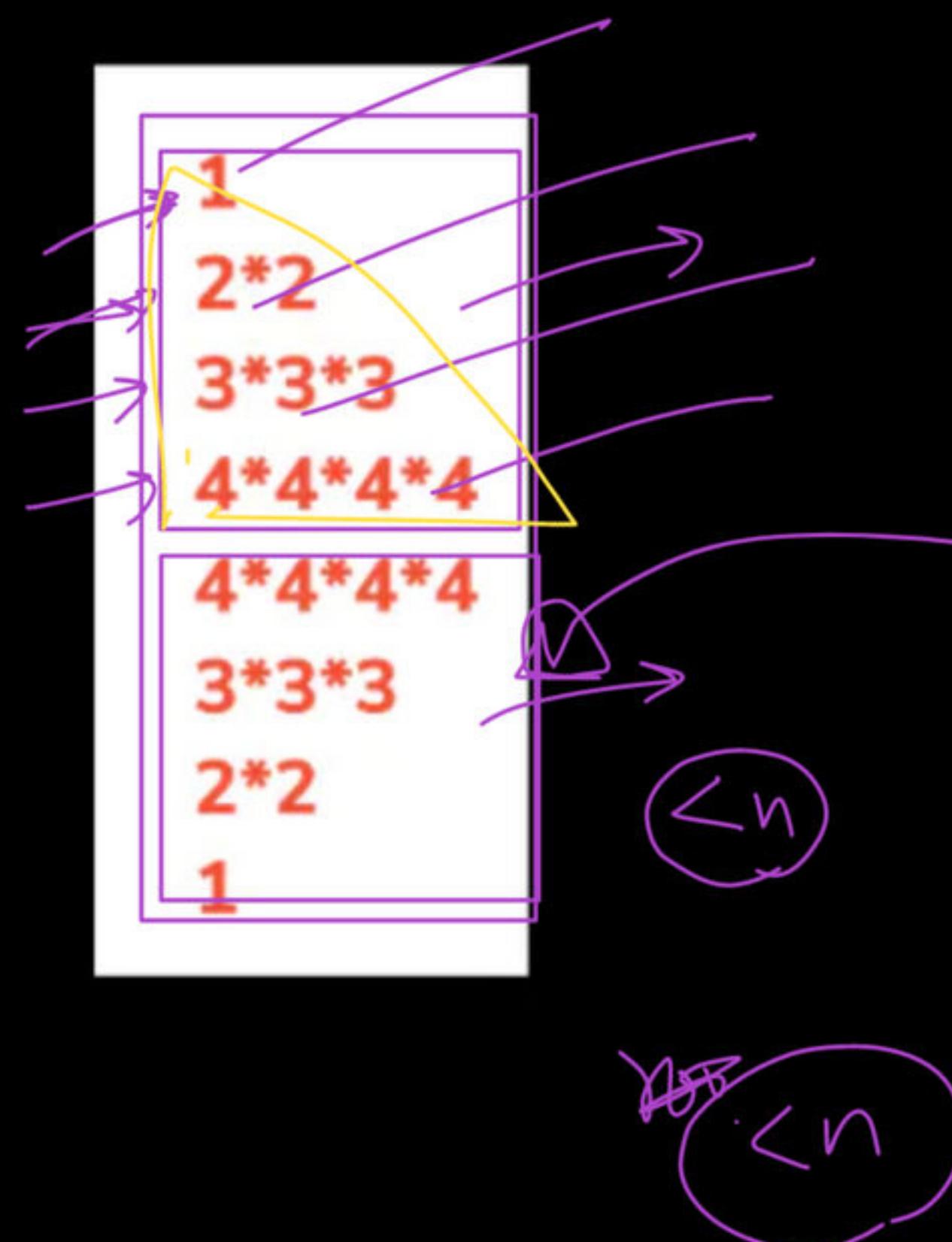


$n = 4$

# Fancy Pattern #1



# Fancy Pattern #2



Counting  $\rightarrow$   $m^{th}$  numbers  
 Last no.

1 start  $\rightarrow$

$1, 2, 3, 4, \dots, m-1, m$

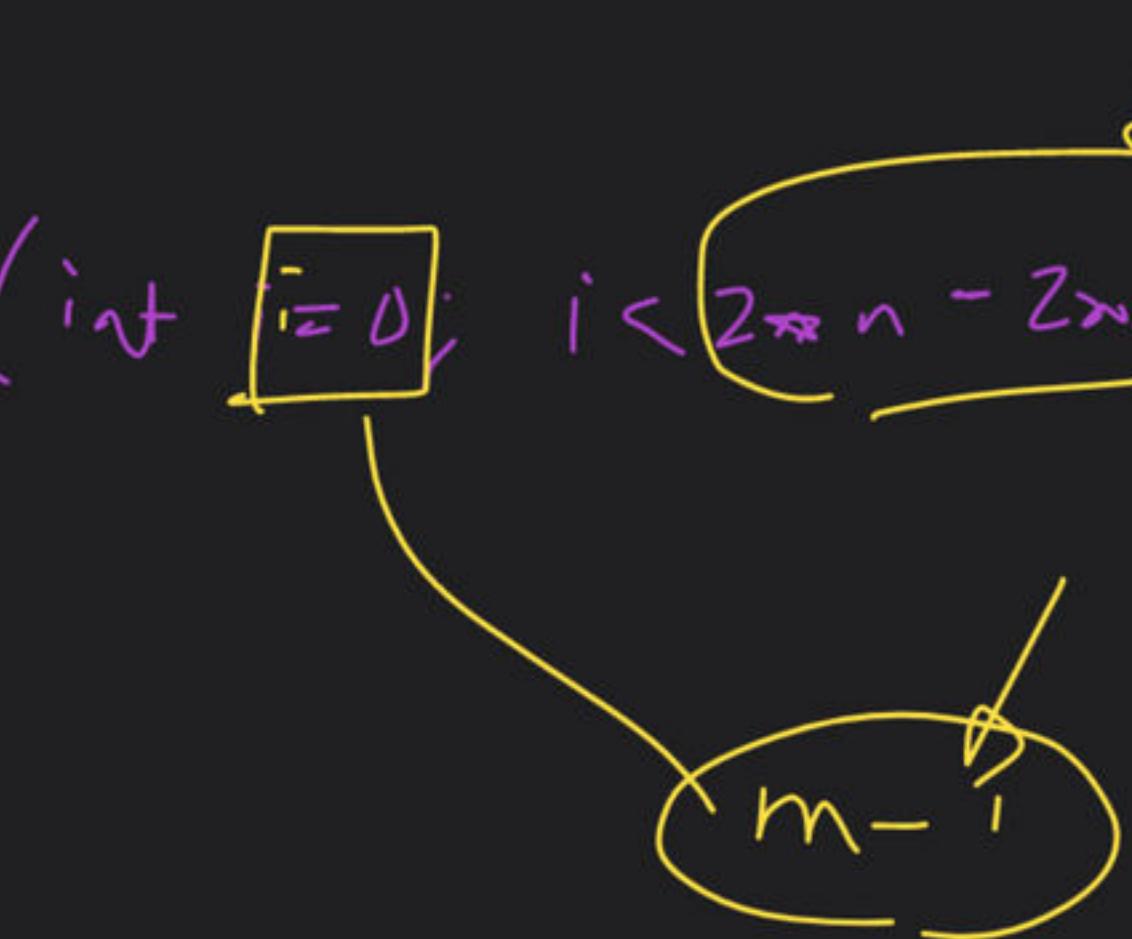
0 start  $\rightarrow$

$0, 1, 2, 3, 4, \dots, m-1$

for ( int col = 0; col <  $n - \text{row}$ ; col++ )

Last  $\rightarrow$   $n - \text{row} - 1$

for (int  $i = 0$ ;  $i < 2n - 2m - 1$ ;  $i + +$ )



$$2n - 2m - 1 - 1$$

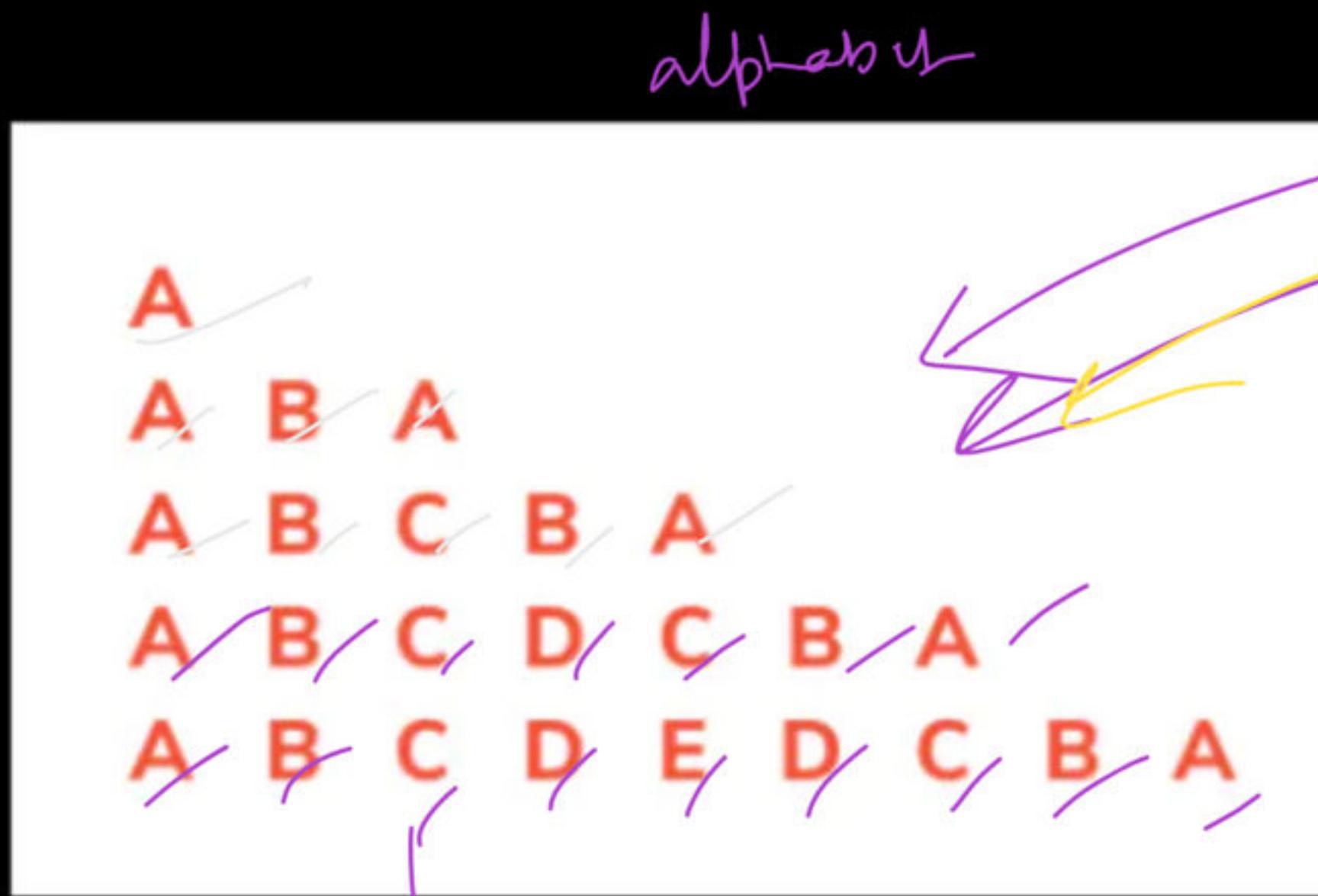
Let  $i \leftarrow n$   $\rightarrow$   $2n - 2m - 2$

for (  $i \in \perp$      $(\text{col} = 0;$      $(\text{col} < \underbrace{n - \text{row} - 1}_{m};$      $(\text{col} = \text{col} + 1)$  )

last ns ->  $\text{m} - 1$   
 $n - \text{row} - 1 - 1$

$n - \text{row} - 2$

# Alphabet Palindrome Pyramid



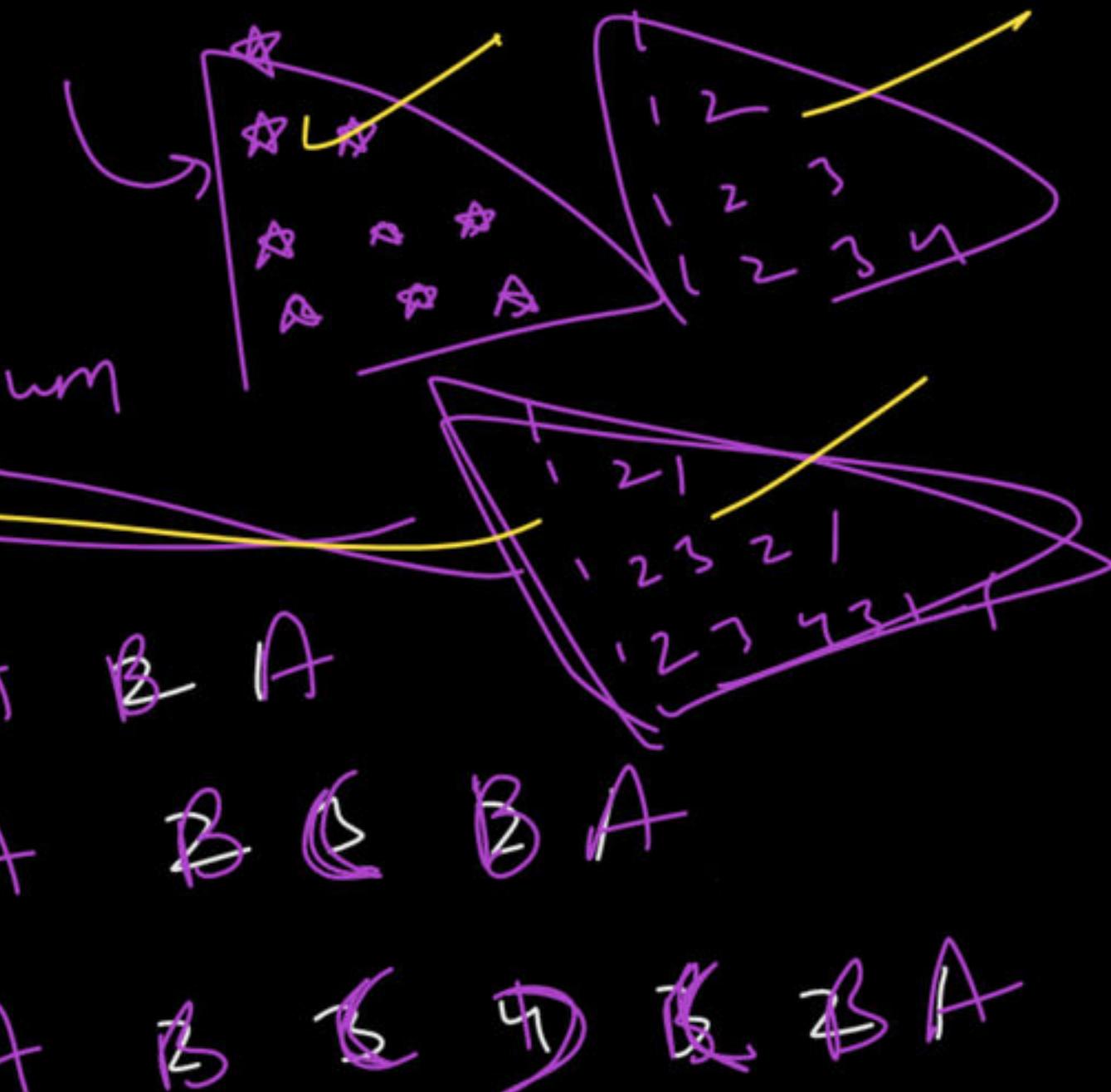
$$ch = m + "A" - 1$$

1 → A  
2 → B  
3 → C  
4 → D

int \*m = 1

char ch =

~~m + "A"~~



$n^z$

l

for (int i = n; i >= l; if (i == l - 1)  
  cout << i;  
}

# Homework:

Let's start with Simple Stuff

Solid Square Pattern[on the LEFT] && Hollow Square Pattern[on the RIGHT]

solid square

*	*	*	*	*	*	*
*	*	*	*	*	*	*
*	*	*	*	*	*	*
*	*	*	*	*	*	*
*	*	*	*	*	*	*
*	*	*	*	*	*	*
*	*	*	*	*	*	*



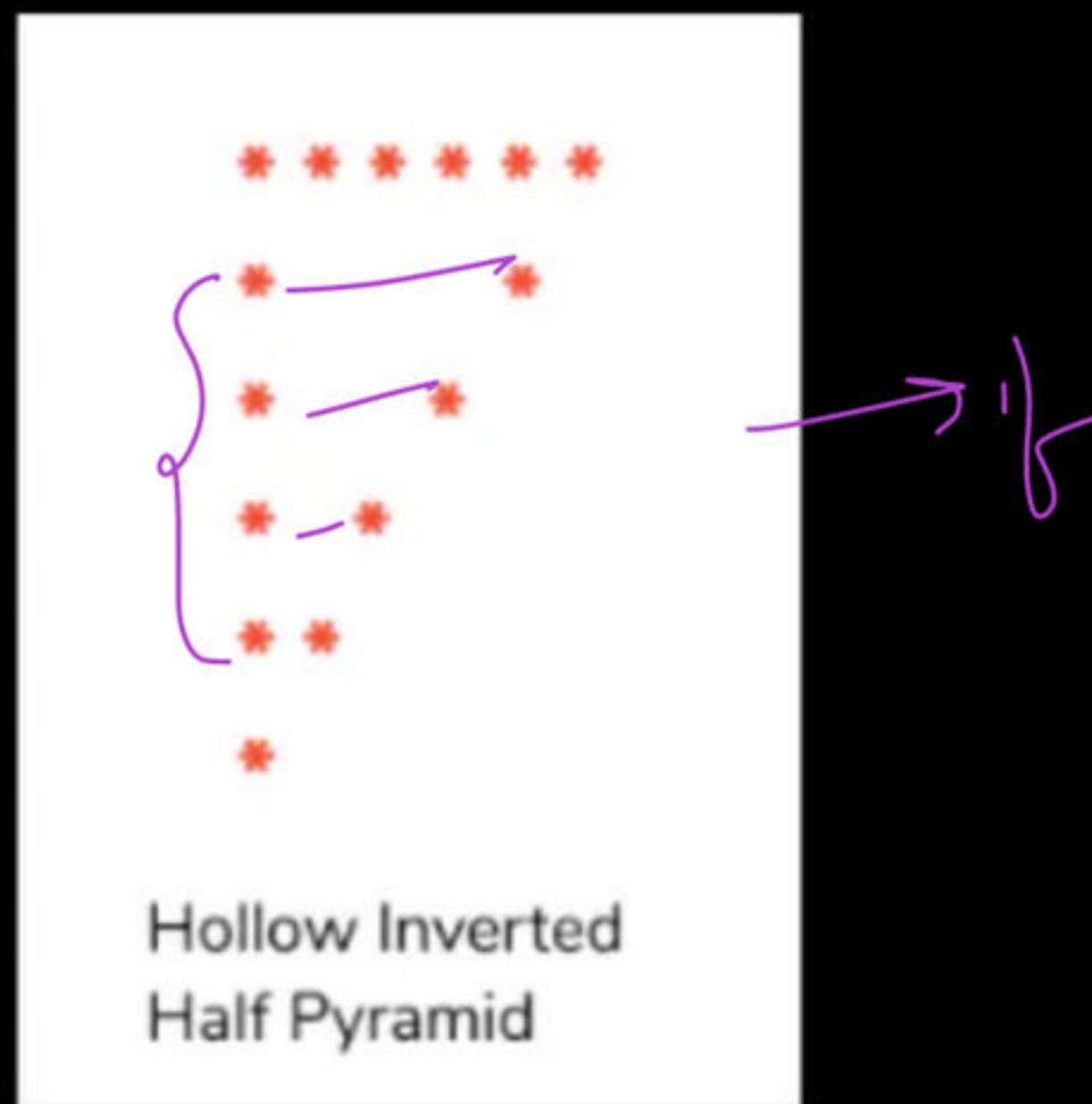
hollow square

*	*	*	*	*	*	*
*						*
*						*
*						*
*						*
*	*	*	*	*	*	*

<  
n

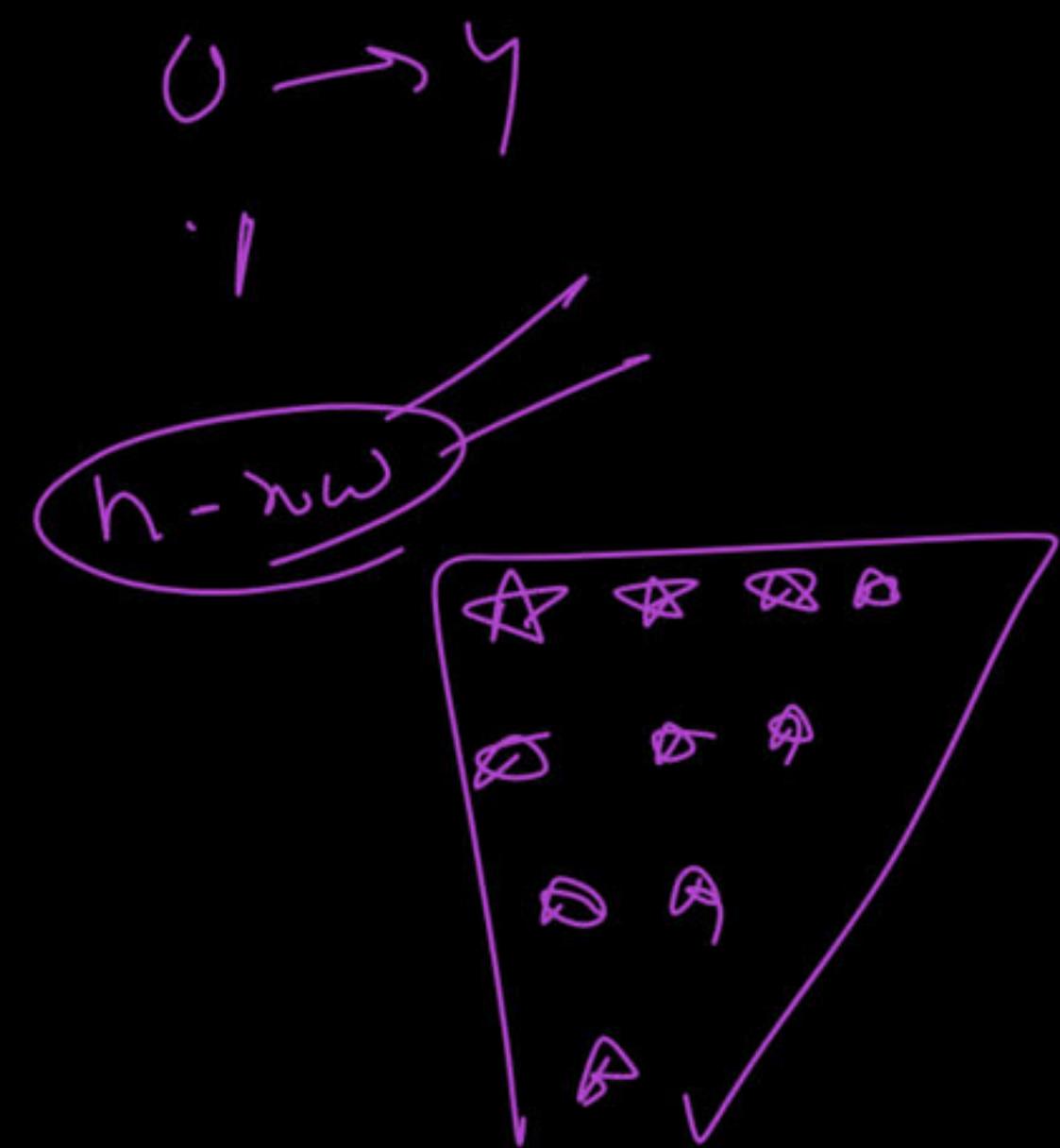
<  
n  
if ( )

# Hollow Inverted half Pyramid

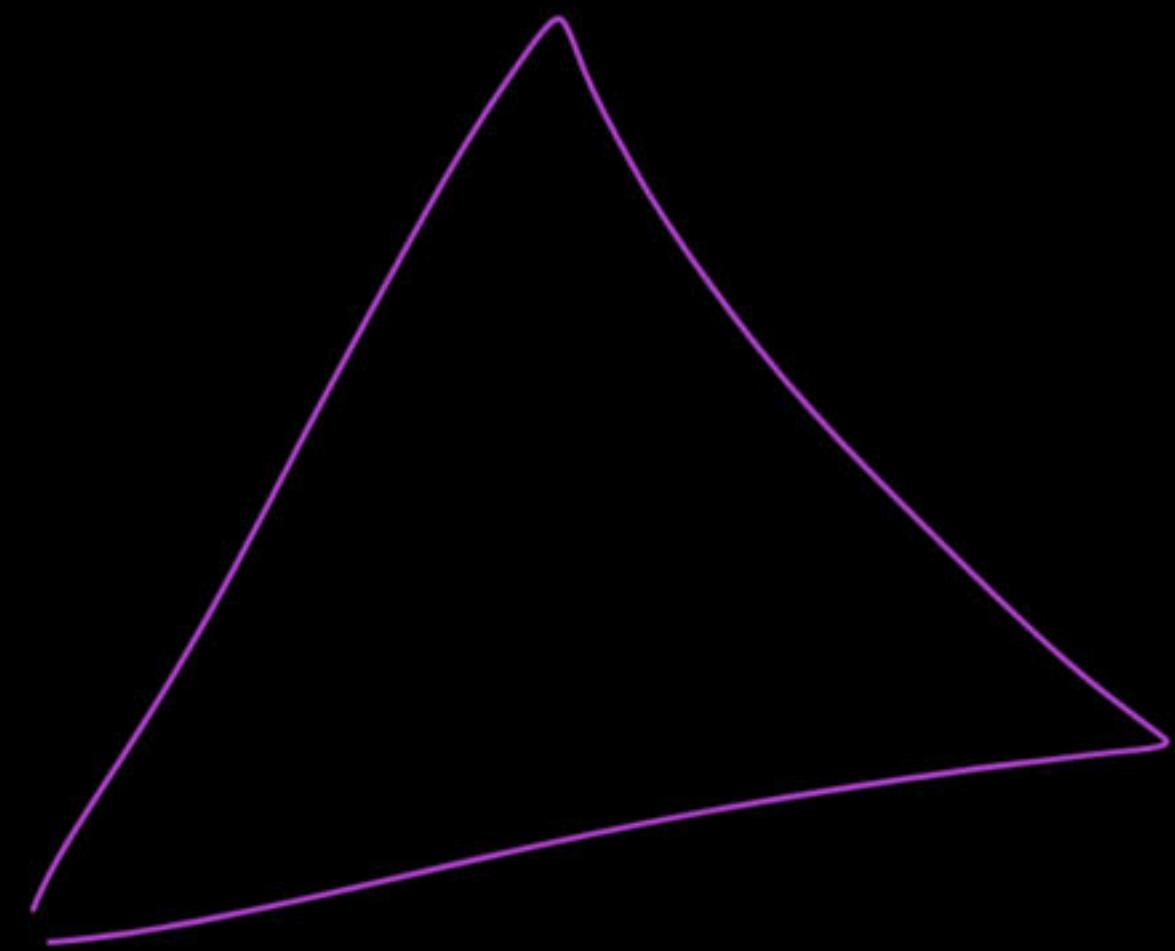
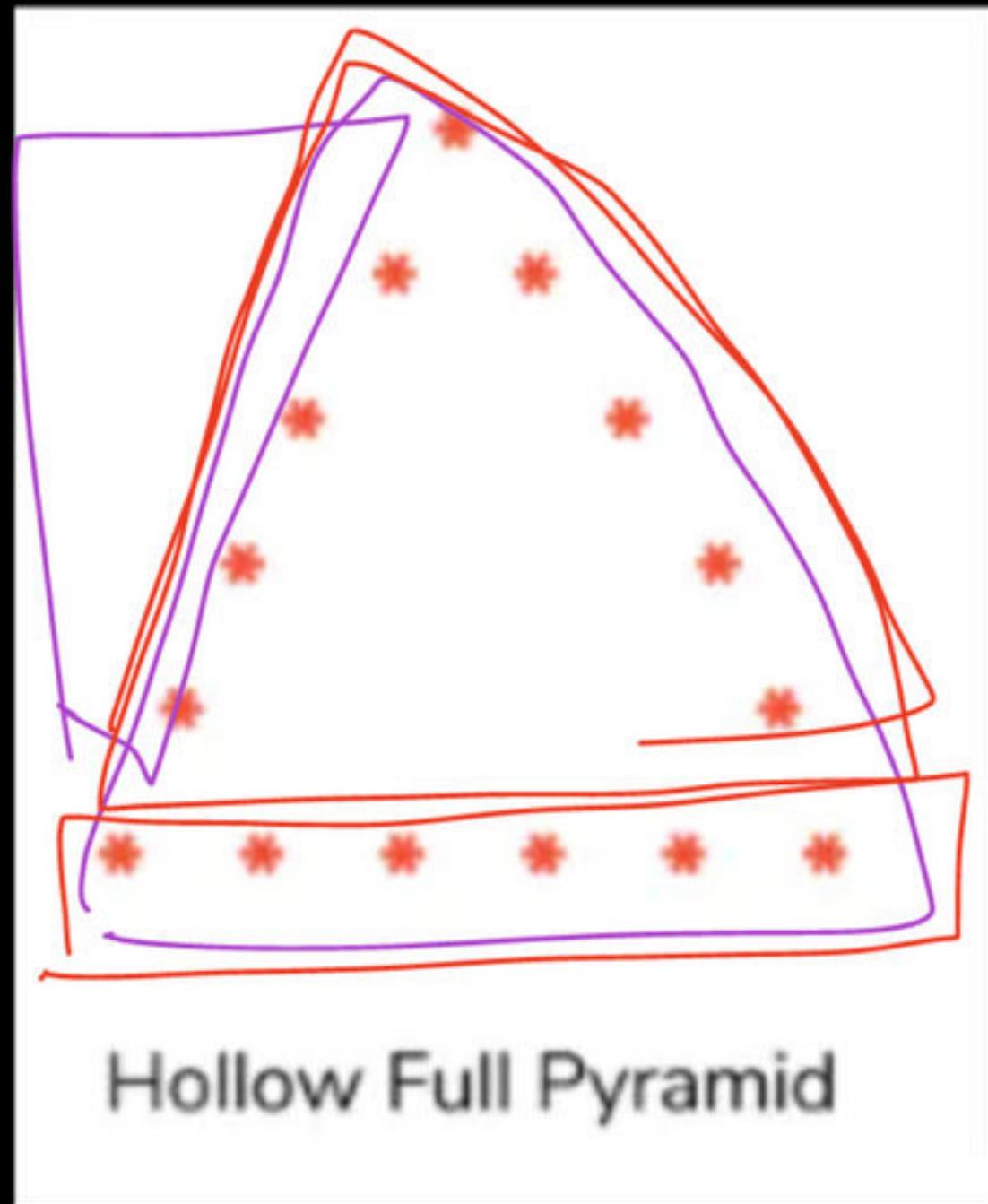


formula

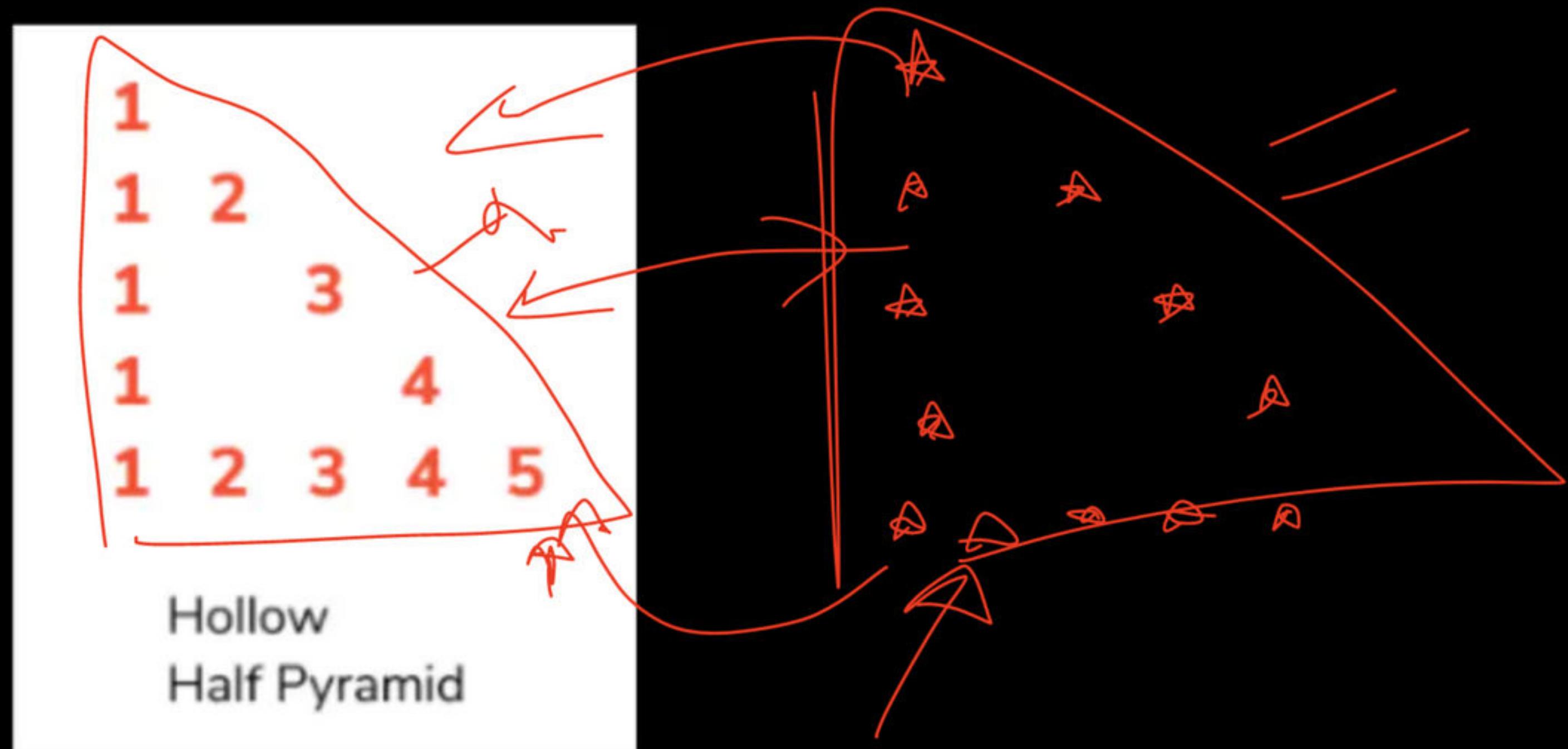
$$\begin{aligned} 0 &\rightarrow 4 \\ 1 &\rightarrow 3 \\ 2 &\rightarrow 2 \\ 3 &\rightarrow 1 \end{aligned}$$



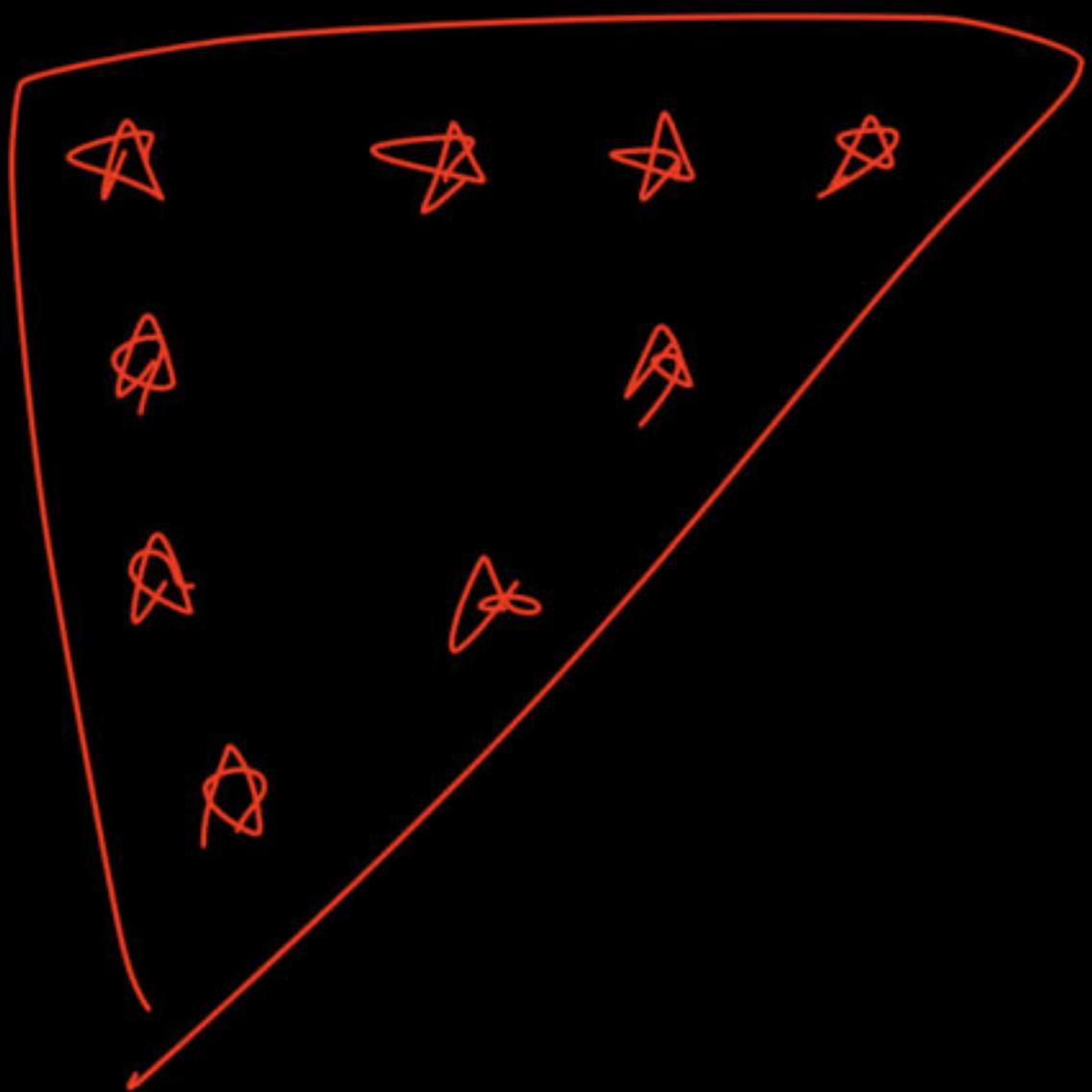
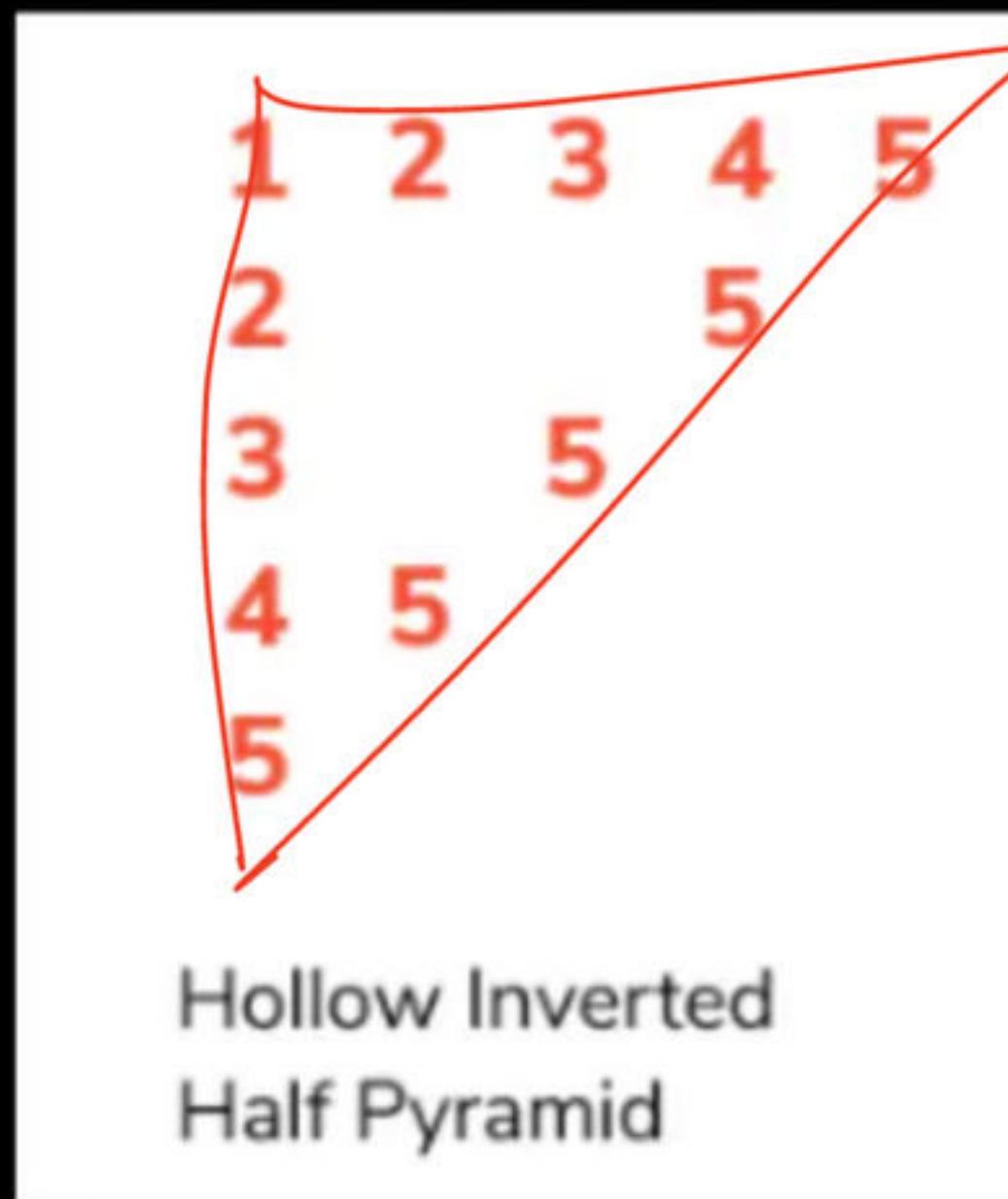
# Hollow Full Pyramid



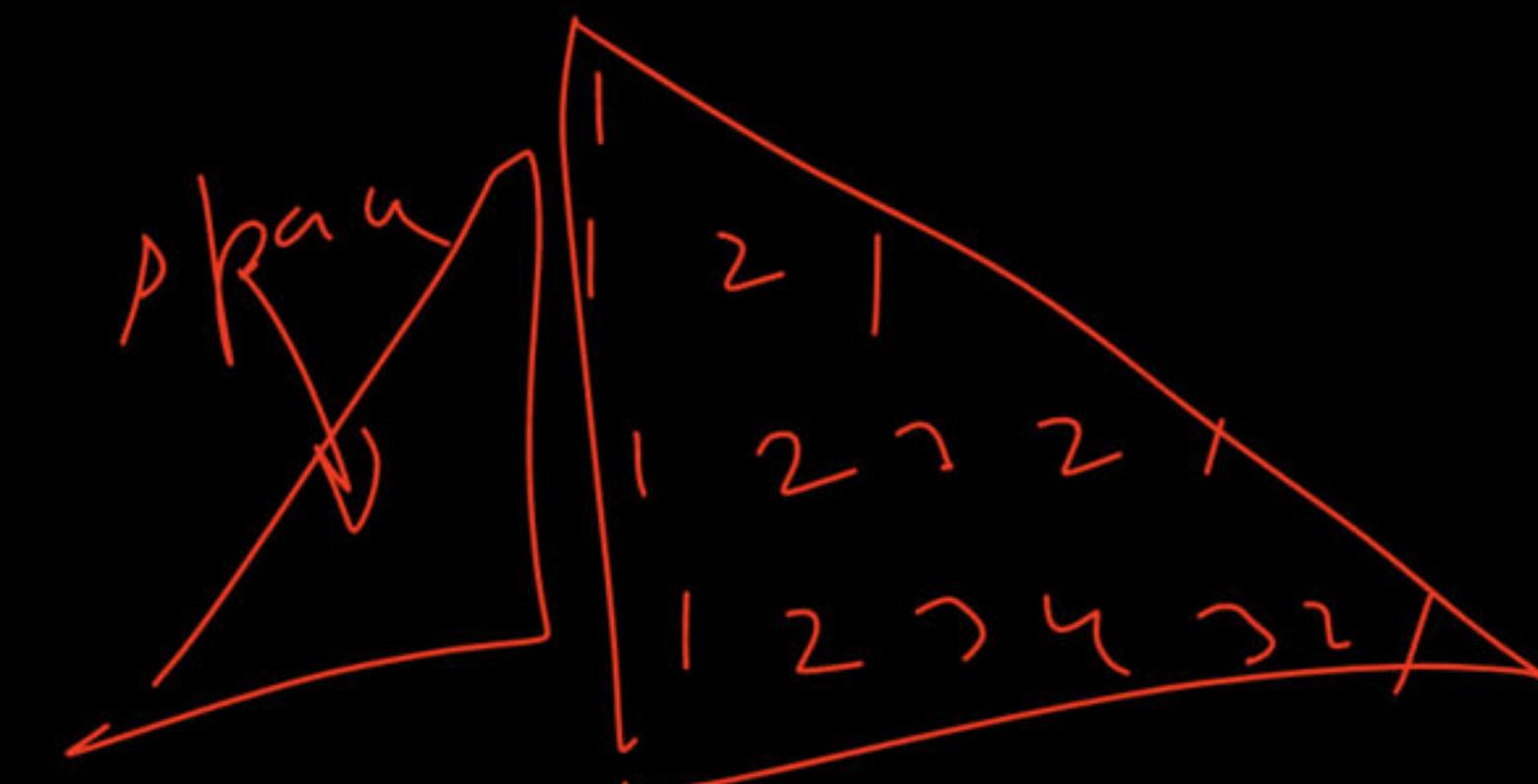
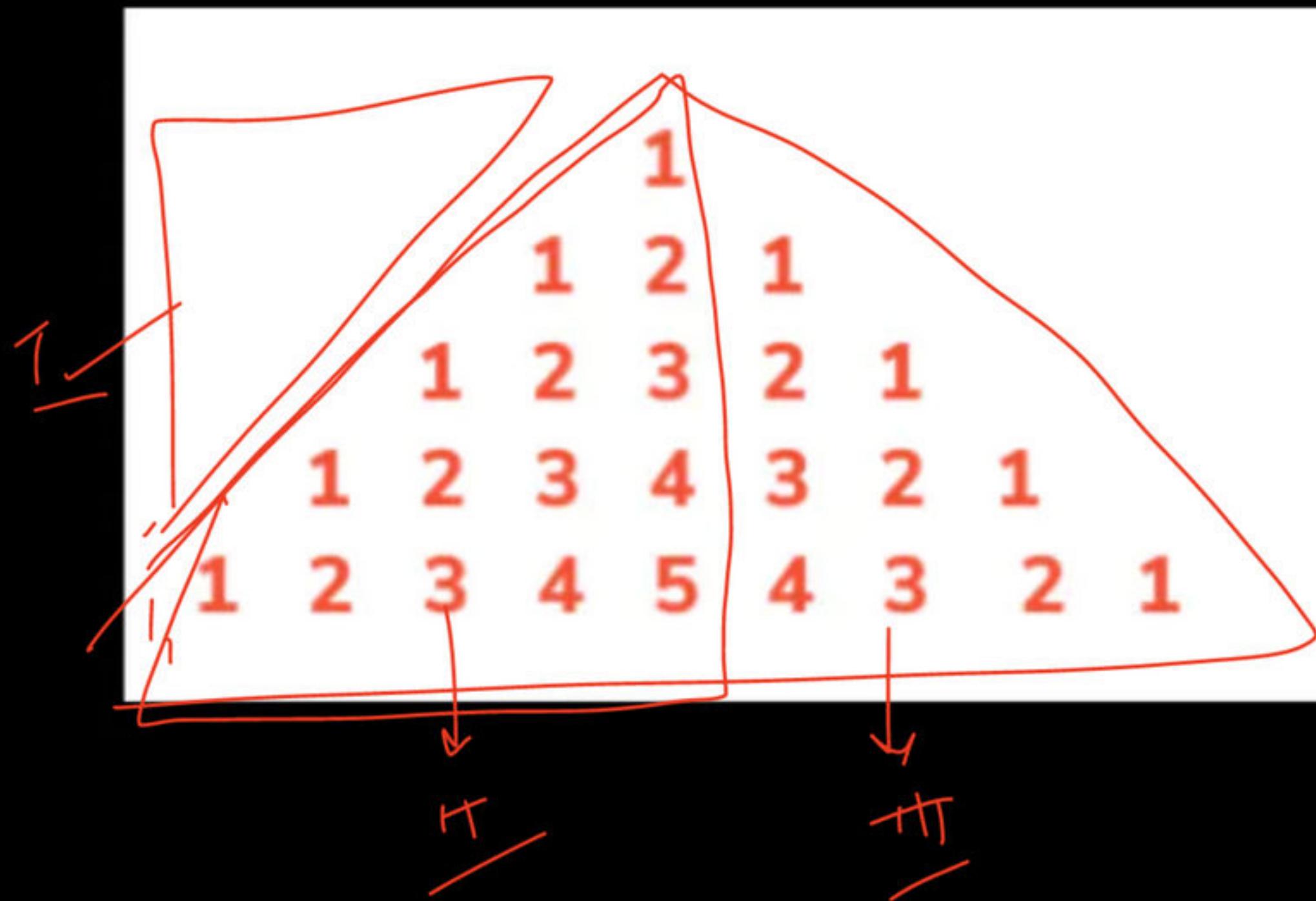
# Numeric Hollow Half Pyramid



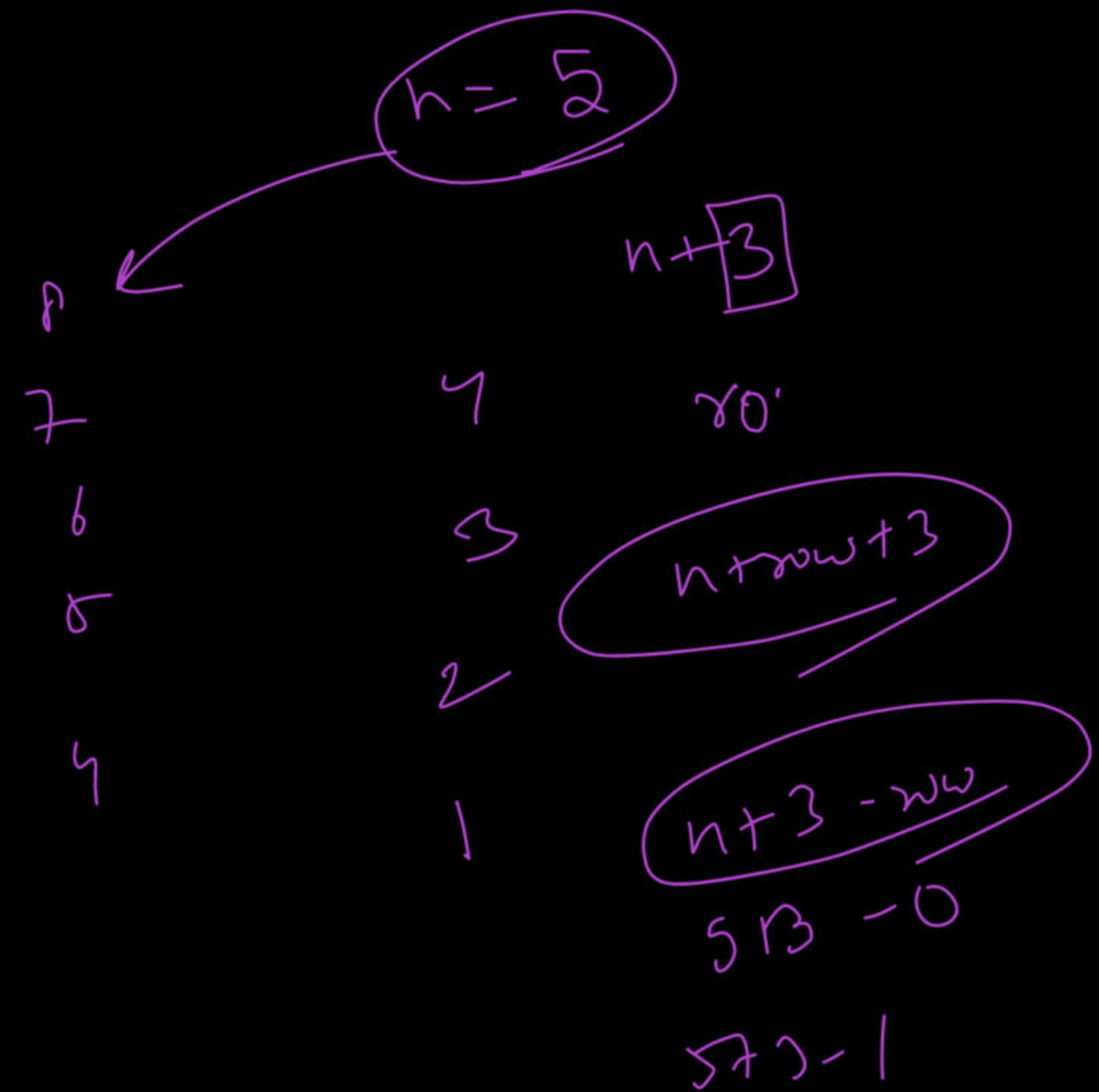
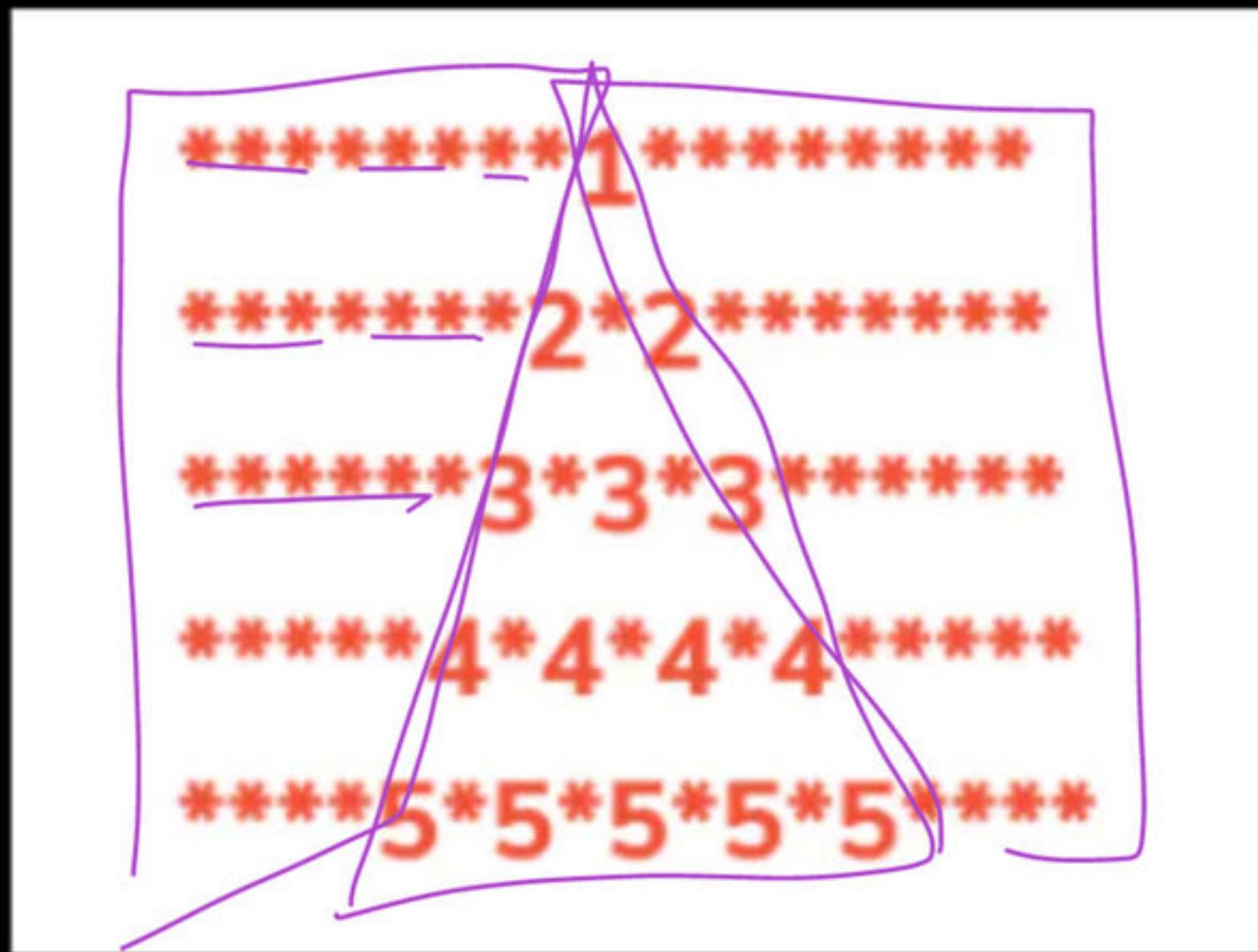
# Numeric Hollow Inverted Half Pyramid



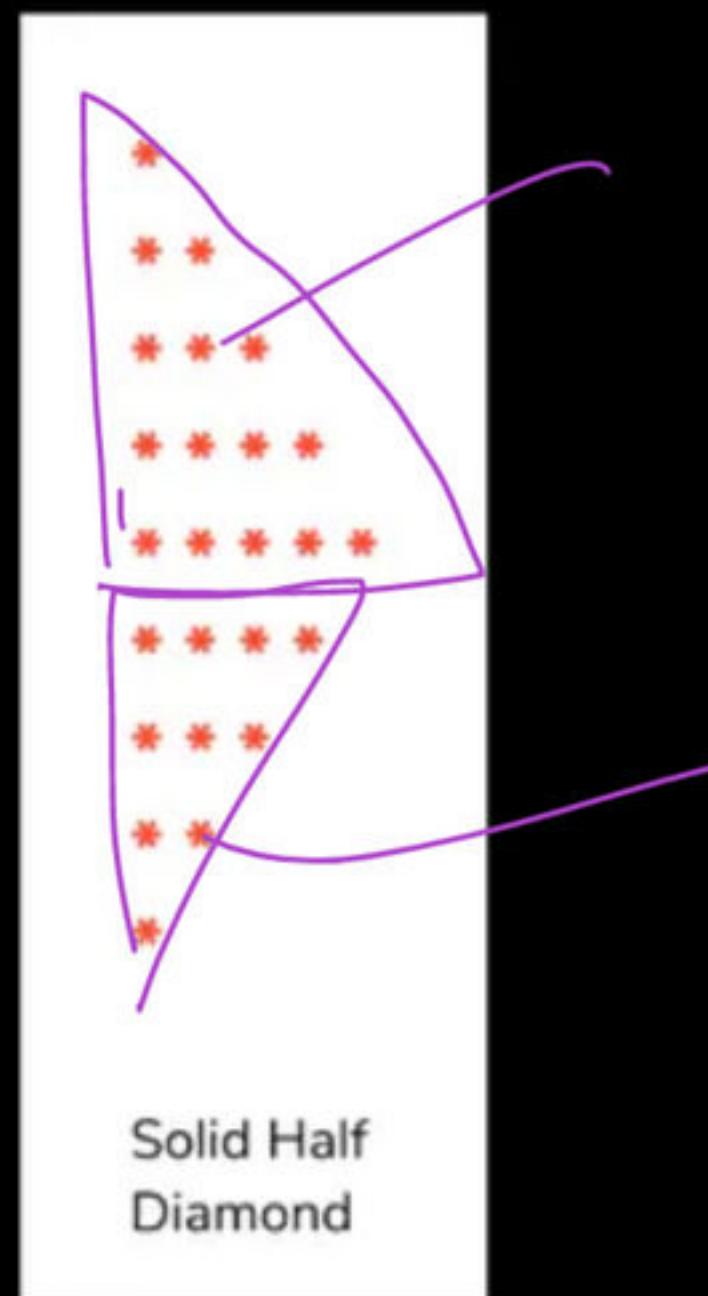
# Numeric Palindrome Equilateral Pyramid



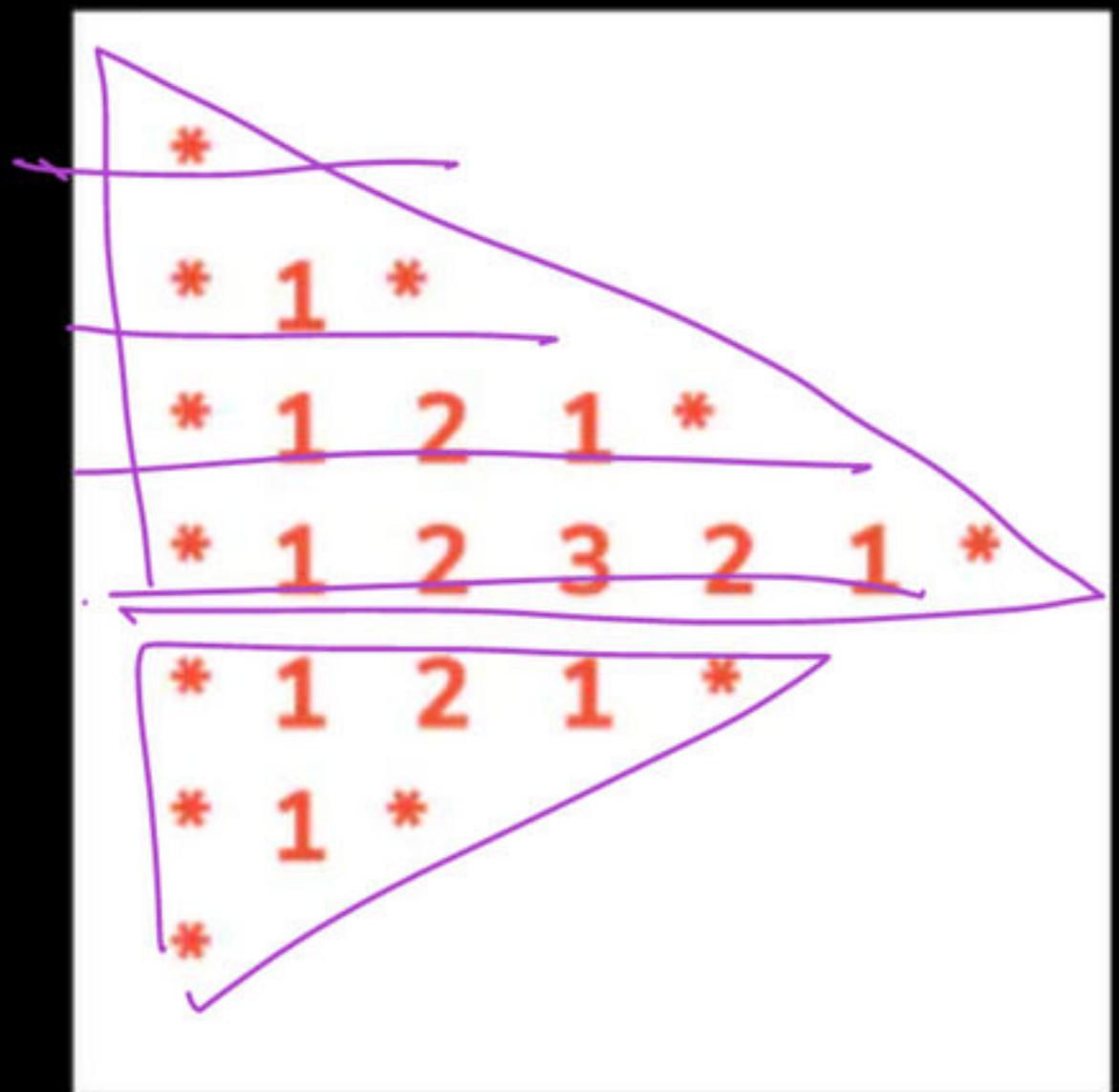
# Fancy Pattern #1



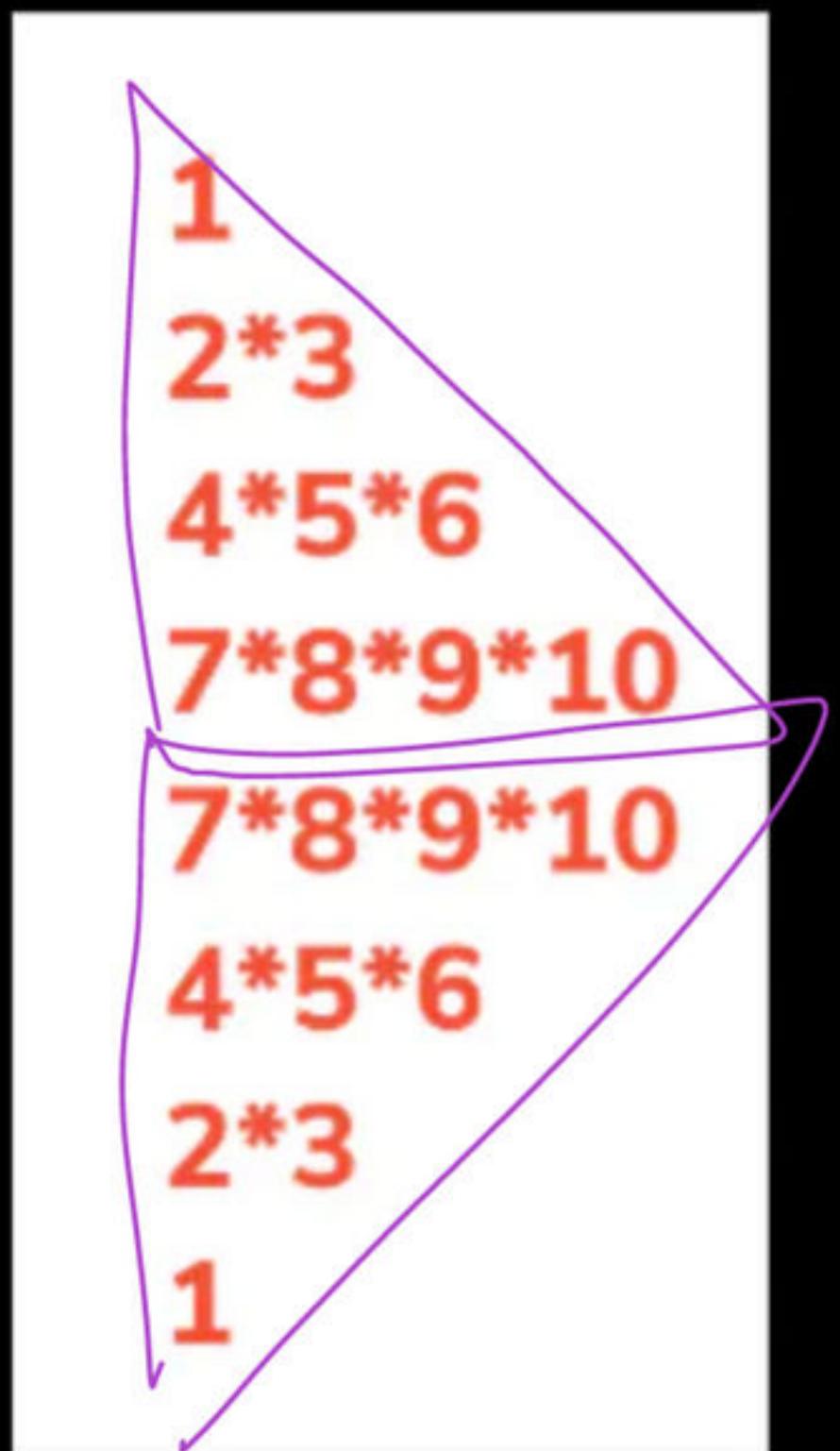
# Solid Half Diamond



# Fancy Pattern #3

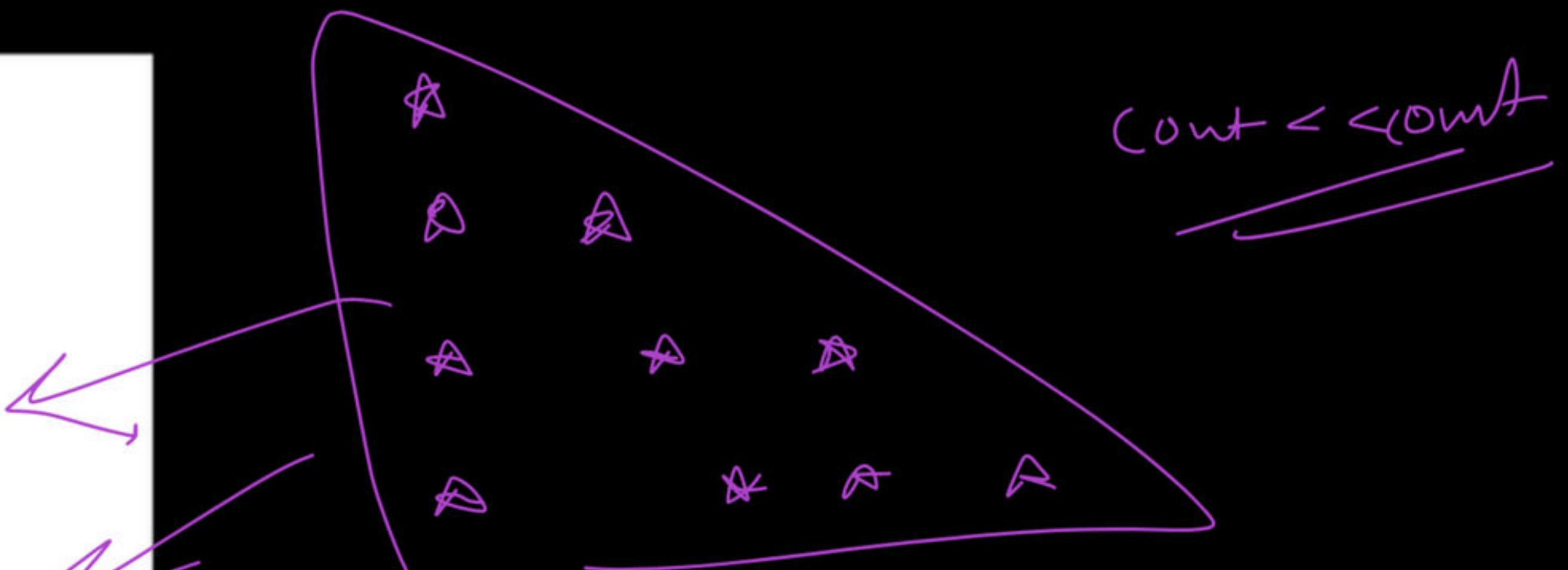
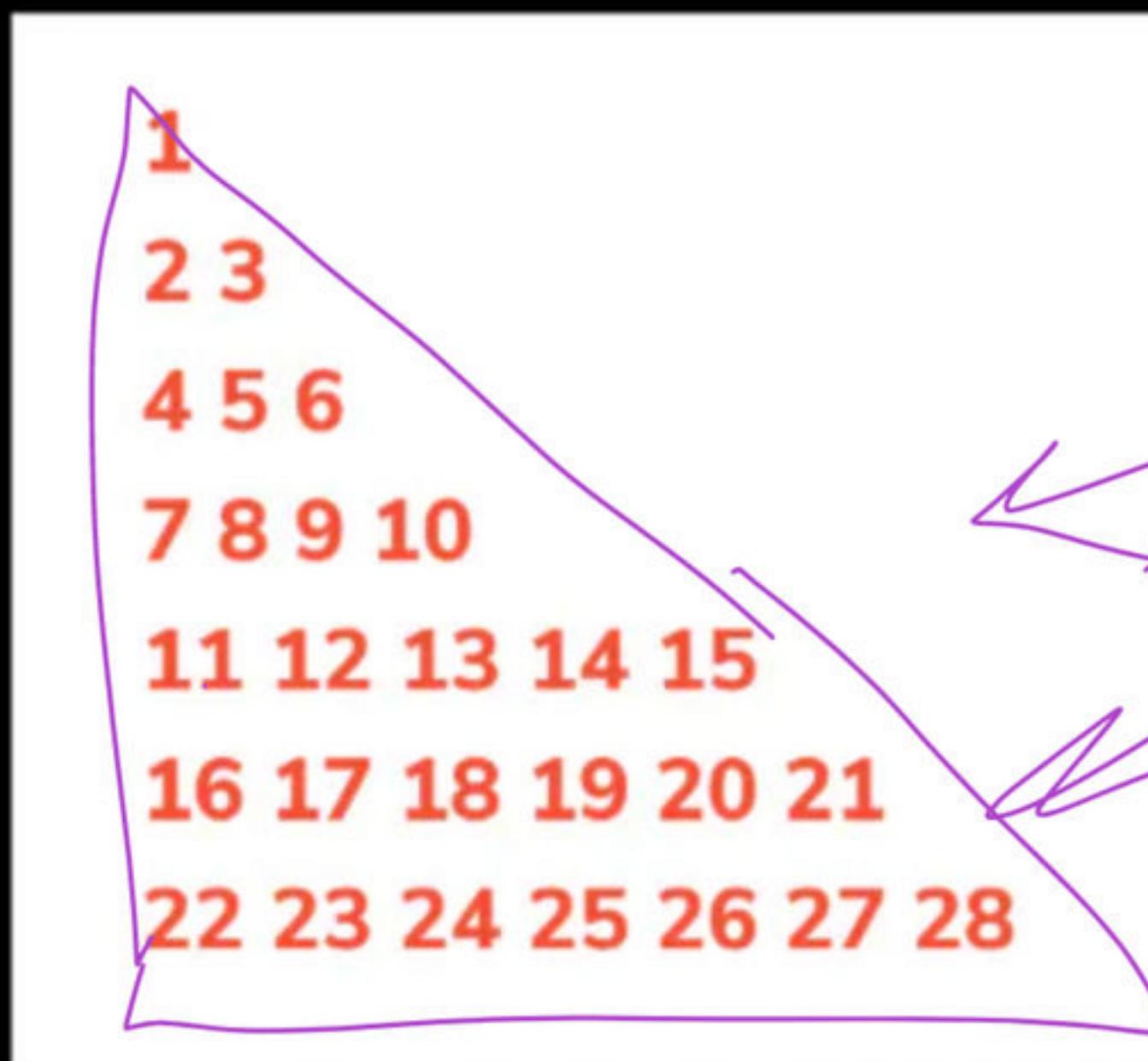


# Fancy Pattern #2

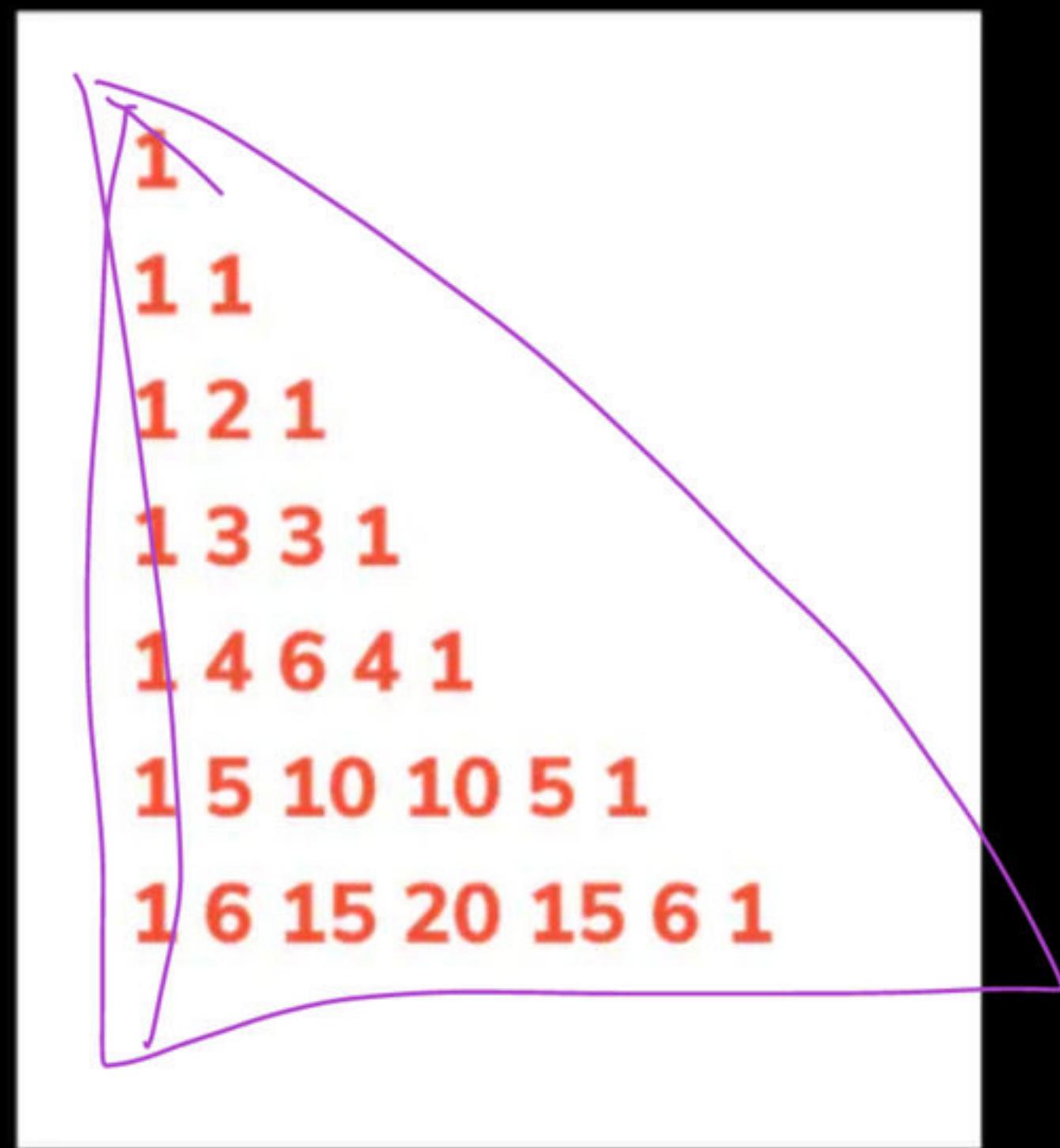


# Floyd's Triangle Pattern

Count = 1



# Pascal's Triangle Pattern



# Butterfly Pattern

