#### PRIVATE RESEARCH PROJECT

# The recursively calculation of prime numbers.

Draft/(Working) paper

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State: April 20, 2017

**Keywords:** Prime numbers, Primes, Recursive, Number Theory **Subjclass:** 2010 *Mathematics Subject Classification*. Primary XX.

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Abstract.

#### Roadmap

• ...

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#### 1 Introduction

In the following paper, I will show that prime numbers can be calculated recursively. I will start with the suggestion of descriptions itself, over different perspectives on this problem, until the final explanation of caculating prime numbers in the most efficient way, as a result from this considerations.

Let's start with the definition of prime numbers itself.

**Definition 1.0.1 (Prime numbers)** Every natural number greater than one which has no positive integer divisors apart from one and itself is called Prime Number or just only Prime.

Be P the set of all prime numbers p. So we can write

$$\mathcal{P} := \{ p \in \mathbb{N}_{>1} \mid \forall n \in \mathbb{N}_{>1} \setminus \{ p \} : \ n \nmid p \}.$$

Hence, the first prime numbers are  $\mathcal{P} := \{2, 3, 5, 7, 11, 13, 17, 19, 23, \dots\}.$ 

#### 2 Odd-Divisible Numbers

At first, for the description of prime numbers, we have to look at the set of divisible numbers. Since, apart from 2, all prime numbers are odd, we will only analyze this numbers. In the whole paper, we will ignore the prime number 2, because we will see, this makes a lot easier.

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### Changelog