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B.Tech (Data Science) - 3rd Year

ML - Linear Regression

```
In [1]: %matplotlib inline
   import pandas as pd
   import numpy as np
   import matplotlib.pyplot as plt
   from sklearn.preprocessing import MinMaxScaler
   from sklearn.metrics import r2_score
   import time
   import statsmodels.api as sm
   from sklearn.linear_model import LinearRegression
```

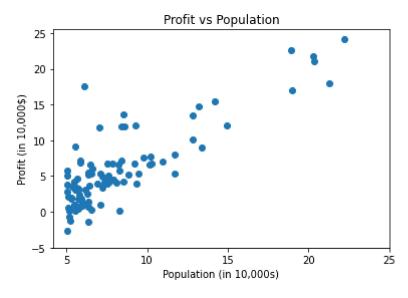
Univariate Linear Regression

```
data1=pd.read_csv("C:\\Users\\samee\\Downloads\\ex1data1.txt", header=None)
In [2]:
          data1.head()
Out[2]:
                         1
         0 6.1101 17.5920
         1 5.5277
                    9.1302
         2 8.5186 13.6620
         3 7.0032 11.8540
         4 5.8598
                    6.8233
          data1.describe()
In [3]:
Out[3]:
                                  1
         count 97.000000 97.000000
         mean
                 8.159800
                           5.839135
                 3.869884
                           5.510262
            std
                 5.026900
                          -2.680700
           min
          25%
                 5.707700
                           1.986900
          50%
                 6.589400
                           4.562300
           75%
                 8.578100
                           7.046700
          max 22.203000 24.147000
          data1.columns = ['Population', 'Profit'] #assigning column names
In [4]:
```

Profit vs. Population graph

```
In [5]: plt.scatter(data1['Population'], data1['Profit'])
    plt.xticks(np.arange(5,30,step=5))
    plt.yticks(np.arange(-5,30,step=5))
    plt.xlabel('Population (in 10,000s)')
    plt.ylabel('Profit (in 10,000$)')
    plt.title('Profit vs Population')
```

```
Out[5]: Text(0.5, 1.0, 'Profit vs Population')
```



Cost Function $J(\theta)$

```
In [6]: def computeCost(X,y,theta):
    """
    Take in a numpy arary X,y,theta and get cost function using theta as parameter i
    """
    m = len(y)
    predictions = X.dot(theta)
    square_err = (predictions - y)**2
    return (1/(2*m))*np.sum(square_err)
```

Assigning X, y, θ and Reshaping the data

```
In [7]: data1['x0'] = 1
    data_val = data1.values
    m = len(data_val[:-1])
    X = data1[['x0','Population']].iloc[:-1].values
    y = data1['Profit'][:-1].values.reshape(m,1)
    theta = np.zeros((2,1))

m, X.shape, y.shape, theta.shape
```

Out[7]: (96, (96, 2), (96, 1), (2, 1))

$$h(\theta) = x_0\theta_0 + x_1\theta_1.....(x0 = 1)$$

```
In [8]: computeCost(X,y,theta)
```

Out[8]: 32.40484177877031

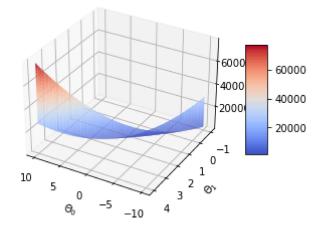
Gradient Descent Function

```
def GradientDescent(X,y,theta,alpha,num_iters):
```

```
Take numpy array for X,y,theta and update theta for every iteration of gradient
    return theta and the list of cost of theta during each iteration
    """

m = len(y)
    J_history = []
    for i in range(num_iters):
        predictions = np.dot(X, theta)
        error = np.dot(X.T, (predictions - y))
        descent = (1/m) * alpha * error
        theta-=descent
        J_history.append(computeCost(X,y,theta))
    return theta, J_history
```

```
In [10]:
          theta, J history = GradientDescent(X,y,theta,0.001,2000)
          print(f''h(x) = \{str(round(theta[0,0],2))\} + \{str(round(theta[1,0],2))\}x1''\}
In [11]:
         h(x) = -1.11 + 0.92x1
          from mpl toolkits.mplot3d import Axes3D
In [12]:
          #Generating values for theta0, theta1 and the resulting cost value
          theta0_vals=np.linspace(-10,10,100)
          theta1_vals=np.linspace(-1,4,100)
          J_vals=np.zeros((len(theta0_vals),len(theta1_vals)))
          for i in range(len(theta0_vals)):
              for j in range(len(theta1_vals)):
                  t=np.array([theta0 vals[i],theta1 vals[j]])
                  J_vals[i,j]=computeCost(X,y,t)
          #Generating the surface plot
          fig = plt.figure()
          ax = fig.add_subplot(111, projection='3d')
          surf=ax.plot_surface(theta0_vals,theta1_vals,J_vals,cmap="coolwarm")
          fig.colorbar(surf, shrink=0.5, aspect=5)
          ax.set_xlabel("$\Theta_0$")
          ax.set_ylabel("$\Theta_1$")
          ax.set_zlabel("$J(\Theta)$")
          #rotate for better angle
          ax.view init(30,120)
```



Cost Graph

```
In [13]: plt.plot(J_history)
    plt.xlabel("Iteration")
    plt.ylabel("$J(\Theta)$")
    plt.title("Cost function using Gradient Descent")
```

Out[13]: Text(0.5, 1.0, 'Cost function using Gradient Descent')

Cost function using Gradient Descent 25 - 20 - 20 - 15 - 10 -

```
In [14]: plt.scatter(data1['Population'], data1['Profit'])
    x_value = [x for x in range(25)]
    y_value = [x*theta[1] + theta[0] for x in x_value]
    plt.plot(x_value, y_value, color = 'r')
    plt.xticks(np.arange(5,30,step=5))
    plt.yticks(np.arange(-5,30,step=5))
    plt.xlabel('Population (in 10,000s)')
    plt.ylabel('Profit (in 10,000$)')
    plt.title('Profit vs Population')
```

1250 1500 1750

2000

Out[14]: Text(0.5, 1.0, 'Profit vs Population')

250

500

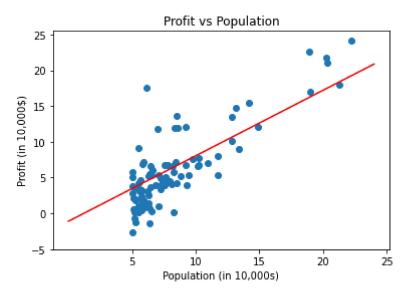
750

1000

Iteration

5

0



Prediction Function

96

5.4369 0.61705

```
In [17]: predict1 = predict(data1[['x0','Population']].iloc[-1].values, theta)*10000
    print(f'For a population of 6170 the predicted profit is ${predict1}')
```

For a population of 6170 the predicted profit is \$[38686.24610338]

Multivariate Linear Regression

```
data2=pd.read_csv("C:\\Users\\samee\\Downloads\\ex1data2.txt", header=None)
In [22]:
           data2.head()
               0 1
                          2
Out[22]:
            2104 3 399900
            1600 3 329900
            2400 3 369000
             1416 2 232000
            3000 4 539900
           data2.columns = ['Size of house', 'No. of bedrooms', 'Price']
In [23]:
           data2.head()
Out[23]:
             Size of house
                         No. of bedrooms
                                           Price
          0
                    2104
                                       3 399900
          1
                    1600
                                          329900
          2
                    2400
                                          369000
          3
                    1416
                                          232000
                    3000
                                         539900
In [24]:
          data2.info()
          <class 'pandas.core.frame.DataFrame'>
          RangeIndex: 47 entries, 0 to 46
          Data columns (total 3 columns):
           #
               Column
                                 Non-Null Count
                                                  Dtype
                                 47 non-null
           0
               Size of house
                                                  int64
               No. of bedrooms 47 non-null
                                                  int64
           1
                                 47 non-null
                                                  int64
               Price
          dtypes: int64(3)
          memory usage: 1.2 KB
In [25]:
           data2.describe()
Out[25]:
                 Size of house No. of bedrooms
                                                      Price
          count
                    47.000000
                                    47.000000
                                                  47.000000
          mean
                  2000.680851
                                     3.170213 340412.659574
            std
                   794.702354
                                     0.760982 125039.899586
                   852.000000
                                     1.000000
                                              169900.000000
           min
           25%
                  1432.000000
                                     3.000000 249900.000000
```

	Size of house	No. of bedrooms	Price
50%	1888.000000	3.000000	299900.000000
75%	2269.000000	4.000000	384450.000000
max	4478.000000	5.000000	699900.000000

Scaling the columns with high values to values between 0 to 1

Splitting X and y from original dataset

```
In [27]: y = np.array(data2['Price'][:-1])
    X = np.array(data2.drop('Price', axis = 1)[:-1])
    X.shape, y.shape
```

Out[27]: ((46, 2), (46,))

Reshaping X and y according to right dimensions

```
In [28]: y = y.reshape(y.shape[0],1)
X = np.c_[np.ones(X.shape[0]), X]
X.shape, y.shape
```

Out[28]: ((46, 3), (46, 1))

Assigning values for θ

```
In [29]: theta = np.zeros((3,1))
theta.shape
```

Out[29]: (3, 1)

Performing Regression

```
In [30]: alpha = 0.01
    num_iters = 50000
    theta, J_history = GradientDescent(X,y,theta,alpha, num_iters)
    prediction = predict(X,theta)
```

```
In [31]: print(f''h(x) = \{str(round(theta[0,0],2))\}+\{str(round(theta[1,0],2))\}x1\{str(round(theta[1,0],2))\}x1
```

Precting the value

```
In [32]: data2.tail(1)
```

Out[32]: Size of house No. of bedrooms Price 46 0.096801 3 0.131321

```
In [33]: predict2 = predict(X[-1], theta)*1000000
print(f'For house of size 968 sq.ft. the predicted price is : ${predict2}')
```

For house of size 968 sq.ft. the predicted price is : \$[268335.61509465]

Cost graph

```
cost_arr = np.asarray(J_history)
In [34]:
           cost arr = cost arr.reshape((cost arr.shape[0],1))
           cost arr.shape
          (50000, 1)
Out[34]:
           plt.plot(cost_arr)
In [35]:
           plt.show()
           0.07
           0.06
           0.05
           0.04
           0.03
           0.02
           0.01
                 Ó
                        10000
                                  20000
                                           30000
                                                    40000
                                                              50000
```

Comparison of parameters