

# accelerometre\_gyroscope

July 1, 2020

```
[42]: import pandas as pd
data = pd.read_csv("log_event.csv", delimiter=";")
data.head()
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[42]:
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	heure	event	SM	AvAr	choc	detection_0_text	coef	\
0	13:43:15.652	0	4	0	25	NOT_braquage_EnCours	64	
1	13:43:15.751	0	-7	-9	-1	NaN	0	
2	13:43:15.866	0	-7	-9	-1	NaN	3	
3	13:43:16.003	0	-7	-9	-1	NaN	8	
4	13:43:16.092	0	-7	-9	-1	NaN	16	

	Unnamed: 7	Vbatt	Iuser_int	...	T roll	T pitch	T kest X	T kest Y	\
0	NaN	1502	2487	...	-8.0	-7.0	-1140.0	-1267.0	
1	NaN	1502	2487	...	-8.0	-7.0	-1293.0	-1414.0	
2	NaN	1502	2487	...	-8.0	-7.0	-1311.0	-1388.0	
3	NaN	1502	2487	...	-7.0	-10.0	-1831.0	-1176.0	
4	NaN	1502	2487	...	-5.0	-12.0	-2019.0	-945.0	

	T kest Z	T rp_risk1	T rp_risk2	Unnamed: 191	Unnamed: 192	1714
0	9854.0	49.0	28.0	NaN	NaN	0.0
1	9815.0	48.0	35.0	NaN	NaN	1.0
2	9816.0	49.0	35.0	NaN	NaN	2.0
3	9760.0	44.0	44.0	NaN	NaN	3.0
4	9748.0	50.0	46.0	NaN	NaN	4.0

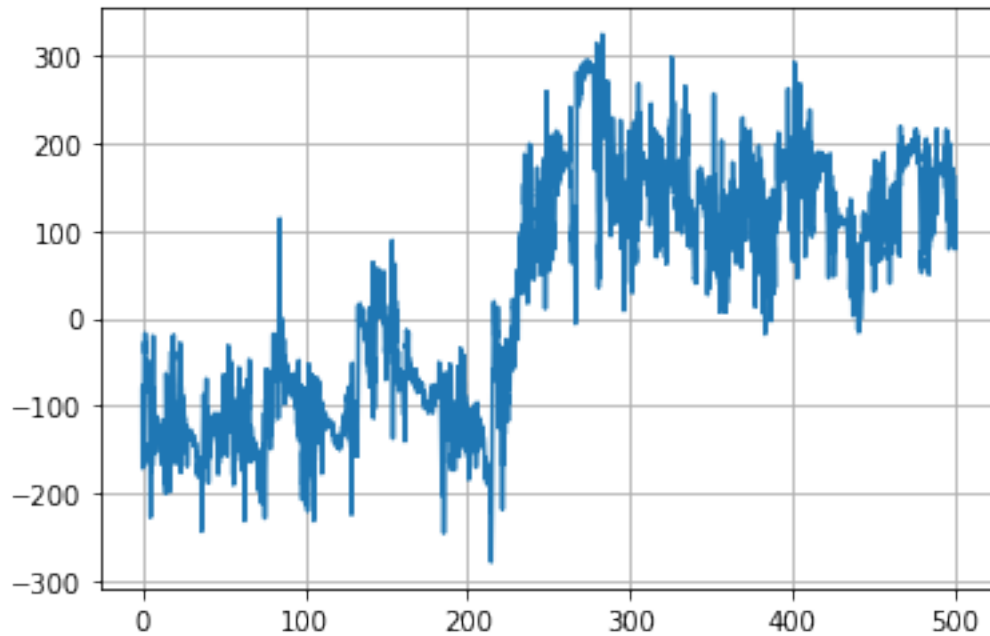
[5 rows x 194 columns]

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[44]: data = data[['event', 'TAx', 'TAy', 'TAz', 'TGx', 'TGy', 'TGz', 'Iuser_int']]
data=(data-data.mean())/data.std()
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[35]: data.head()
taille = len(data)
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[189]: import numpy as np
t = np.linspace(0,500, taille)
plt.grid()
plt.plot(t, data.iloc[:,2])
```

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[189]: [<matplotlib.lines.Line2D at 0x7f8ed350a198>]
```



```
[219]: from scipy.fft import fft
from scipy.signal.windows import hann
from scipy.signal import convolve
from scipy.fftpack import fftfreq

window = hann(7)
def tracerFFT(i):
    y = np.abs(data.iloc[:,i].dropna())
    y = convolve(window, y)
    y = fft(y)
    N = taille
    fs = 10
    T = 1/fs
    xf = np.linspace(0.0, 10000, N//2)
    plt.xlim([1,1000])
    plt.ylim([0,10000])
    plt.plot(xf,np.abs(y[0:N//2]))
    return None

def tracerFFTData(data, taille):
    signal = convolve(window, np.abs(data))
    N = taille
    fs=100
    Ts = 1.0/fs # sampling interval in time
    t = np.arange(0, taille, Ts) # time vector as scipy arange field / numpy.
    →ndarray
```

```

FFT = abs(scipy.fft.fft(signal))
FFT_side = FFT[range(int(N/2))] # one side FFT range
freqs = fftfreq(signal.size, t[1]-t[0]) #t[1] - t[0], sample spacing
freqs_side = freqs[range(int(N/2))] # one side frequency range
#fig, ax = plt.subplots()
plt.xlim([1,40])
plt.ylim([0,35])
plt.plot(freqs_side, FFT_side)

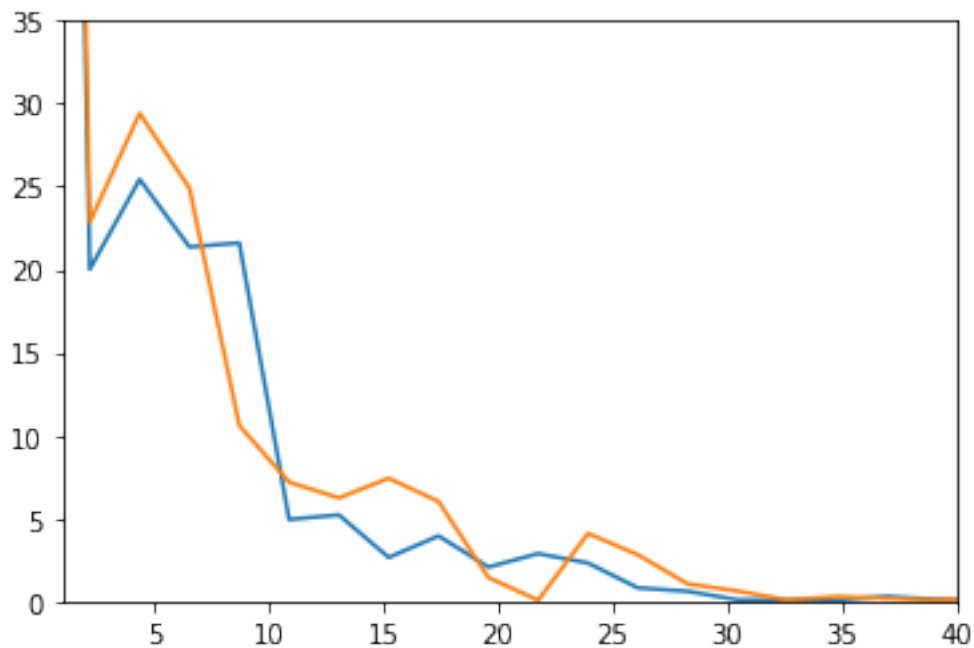
return None

```

```

[221]: tracerFFTData(data.iloc[:,1][0:40], 40)
tracerFFTData(data.iloc[:,1][120:160], 40)

```



```

[183]: import time as t
def tracerFFTEvent():
    for i,j in data.iterrows():
        if j['event'] == 130:
            tracerFFTData(data['event'][i-30:i+30])

```

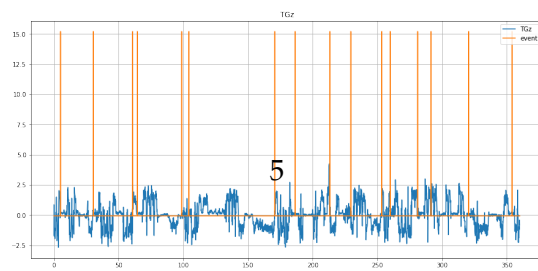
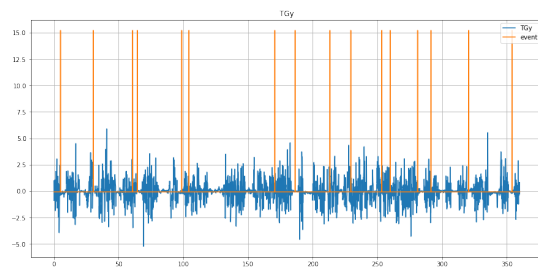
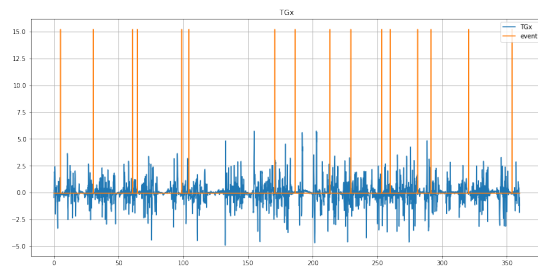
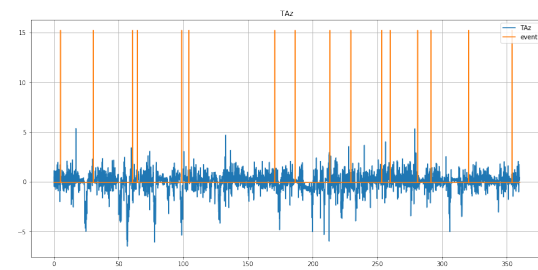
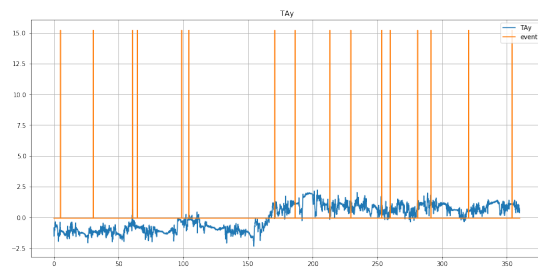
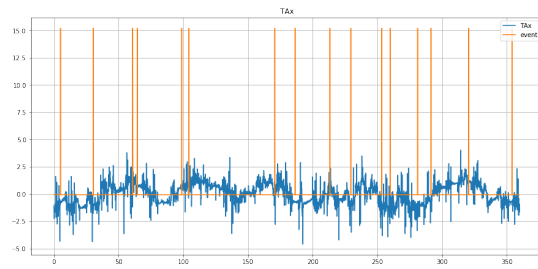
```

[48]: %matplotlib inline
import numpy as np
import matplotlib.pyplot as plt
fig, ax = plt.subplots(6, figsize=(15,50))
fig.suptitle("Accélérations et vitesses angulaires suivant les trois axes en_⊥
↳fonction du temps en seconde")
for i in range(6):

```

```
ax[i].grid()
ax[i].title.set_text((data.columns)[i+1])
ax[i].plot(np.linspace(0,360,3721), data.iloc[:,i+1], label=data.
→columns[i+1])
ax[i].plot(np.linspace(0,360,3721), data.iloc[:,0], label=data.columns[0])
ax[i].legend(loc='upper right')
```

Accélérations et vitesses angulaires suivant les trois axes en fonction du temps en seconde



L'accélération selon l'axe  $x$  semble la plus pertinente. Celle selon  $y$  est compliquée à analyser d'autant plus que comme les essais ont été réalisés dans un terrain en pente, ça fausse les courbes.

## 0.1 Plot de l'accélération selon $x$ et du courant consommé en fonction du temps

```
[51]: fig, ax = plt.subplots(1, figsize=(15,10))
      ax.plot(np.linspace(0,360,3721), data.iloc[:,0], label=data.columns[0])
      ax.plot(np.linspace(0,360,3721), data.iloc[:,1], label=data.columns[1])
      ax.plot(np.linspace(0,360,3721), data.iloc[:, -1], label=data.columns[-1])
      ax.legend(loc='upper right')
```

```
[51]: <matplotlib.legend.Legend at 0x7fc207446518>
```

