Pricing Engine architecture

State of the current architecture and improvements

- The first draft implemented is a first good draft to start the implementation
- However, there are some challenges to be tackled to enhance the architecture
- There is an ongoing task to restructure the code while integrating the incoming logic of implementation provided by the other teammates.

Bottlenecks in the current architecture

- Classes that are currently used are too interdependent and that will in the future complexifies the extensibility of the code.

- The use of conditional structure: we should find a better way to avoid using too much conditional structure in the code.

- Enhance the responsibility of each class

Challenges to be addressed

Principle of oriented object programming:

- Open-closed Principle (OCP) states:
- Objects or entities should be open for extension but closed for modification.
- This means that a class should be extendable without modifying the class itself.
- Separate interface and implementation
- Interface: An interface is an abstract concept in programming that is used to describe a behavior that classes must implement.
- Implementation: Implementation is the behavior of the interface
- Single responsibility:

Each class should have only one job

Improvement to the existing architecture

Abstract class: An abstract class provides the interface

Children class: Implement the interface provided by the abstract class

- Design patterns: Factory and singleton
- Polymorphism: Abstract class and Inheritance

Rearranging the current code + Ongoing Implementation + Design patterns → Pricing engine

Abstract class: interface

- PayOff of an option will be an abstract class and Payoff Call and Payoff put will implement the abstract method of the abstract class PayOff
- PDEConvectionDiffusion: will be an abstract class and convectiondiffusion PDE will implement the abstract method of the abstract class PDE.PDE will have access to Payoff via an instance of option class
- FiniteDifference will be an abstract class and EulerImplicit, Euler Explicit classes will implement the abstract methods. FiniteDifference: have access to PDEConvectionDiffusion instance

Payoff abstract class /Inherited class: payoffPut and PayoffCall

```
#
class PayOff(ABC):
    @abstractmethod
    def value(self):
        raise NotImplementedError('Implementation required!')
```

```
class PayOffCall(PayOff):
    def __init__(self,strike_):
        self.strike = strike_

    def value(Spot):
        return max(spot - self.strike,0)
```

```
class PayOffPut(PayOff):

    def __init__(self,Strike_):
        self.Strike = Strike_

    def value(Spot):
        return max(0, self.Strike - Spot )
```

More abstract methods will be added if required

Class payoffPut: Implement value

Class PayoffCall: Implement value

Factory Payoff class: Design patterns, factory and singleton

```
class PayOffFactory:
    def __init__(self):
        self._builders = {}

    def register_builder(self, PayOffId, builder):
        self._builders[PayOffId] = builder

    def createPayoff(self, PayOffId, **kwargs):
        builder = self._builders.get(PayOffId)
        if not builder:
            raise ValueError(PayOffId)
        return builder(**kwargs)
```

Factory design pattern to register and create a new payoff object from user input. This design pattern will help us to avoid the use of many conditional structures in the code.

Vanilla option

```
class VanillaOption():
    def __init__(self, PayOff, Expiry, parameters):
        self.PayOff = PayOff #copy object to be checked
```

This class is not abstract and will have Payoff as an attribute and external data provided by the user

PDE abstract class and BS PDE inherited

```
#convection diffusion equation - second order PDE
class PDEconvectionDiffusion(ABC):
     #attribute
     def __init (self,):
      #pde coefficients
     @abstractmethod
     def coefficient_convection(self):
          raise NotImplementedError('Implementation required!')
     @abstractmethod
     def coefficient diffusion(self):
          raise NotImplementedError('Implementation required!')
     @abstractmethod
     def coefficient_source(self):
          raise NotImplementedError('Implementation required!')
     @abstractmethod
     def zero coefficient(self):
          raise NotImplementedError('Implementation required!')
     #boundary and init condition
     @abstractmethod
     def boundary_left(self):
          raise NotImplementedError('Implementation required!')
     @abstractmethod
     def boundary_right(self):
          raise NotImplementedError('Implementation required!')
     @abstractmethod
     def init cond(self):
          raise NotImplementedError('Implementation required!')
```

```
class PDEBlackScholes(PDEconvectionDiffusion):
     def __init__(self,...):
     def coefficient_convection(self,x,t):
          return
     def coefficient_diffusion(self,x,t):
          return
     def coefficient source(self):
          return
     def zero coefficient(self):
          return
     def boundary left(self):
          return
     def boundary_right(self):
          return
      def init_cond(self):
          return
```

Class Inheritance: PDE convection diffusion

- Class PDE BS: inherits from class PDE
- Attribute: an attribute related to the option
- Method to be implemented by the class:
- coefficient_convection()
- coefficient_diffusion()
- coefficient_source()
- boundary_left()
- boundary_right()
- init_cond()

Finite difference abstract class and Euler explicit/implicit inherited

```
class FiniteDifference(ABC):
     def __init__(self,_x_dom,_J,_t_dom,_N,_pde):
         ##space discredization
         #spatial extent
         self.x_dom = _x_dom
         #number of special differencing points
         self.J = _J
         #temporal step size
         self.dx
         ##time discredisation
         #temporal extent
         self.t_dom = _t_dom
         #coordinates of the x dimension
         self.xvalue
         #Number of temporal differencing points
         self.N = N
         #temporal step size (to be calculated)
         self.dt
         self.pde = _pde
         #time marching
         self.current_time;
         self.previous_time;
         #differencing coefficient
         self.alpha
         self.beta
         self.gamma
         #storage
         #New result
         self.new_result
         #oldresult
          self.old_result
```

```
class FDMEulerExplicit(FiniteDifference):
    def calculate_step_sizes():
        def set_initial_condition()
        def calculate_boundary_conditions()
        def calculate_inner_domain()
        def step_march()
```

FDMEulerExplicit will implement the method provided by the abstract Parent class FiniteDifference

Abstract class: Finite difference

Attribute related to the time discretization:

- Temporal extent (0,t_dom)
- Number of temporal differencing points N
- Temporal step size (calculated from above) dt;

Attribute related to the Time marching (useful to track the computation):

Current and previous times: prev_t,cur_t

Attribute related to the Differencing coefficients:

Alpha, beta, gamma

Attribute related to the solution: Storage

- A new solution: new_result;
- Old Solution: old result;

Abstract class: Finite difference

Attribute related to the time discretization

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Abstract Method

- FiniteDifference(_x_dom,_J,_t_dom,_N,_pde_convect_diff)
- Abstract Method to be implemented by the child class (FiniteDifferenceEulerExplicit, FiniteDifferenceEulerImplicit, FiniteDifferenceCrankNicolson):
- Calculate_step_sizes()
- Set_initial_conditions()
- Interpolate()
- Calculate_boundary_conditions(): use the boundary of the PDE (boundary_left() and boundary_right())
- Calculate_inner_domain(): solve the equation
- Step_march (): Carry out the actual time-stepping, traversing the grid from current time (cur t) to the border (t dom):

The end

