

## Transformation matrix

## Rotation matrix P

0	0	1
0	-1	0
1	0	0

## Origin shift p

0.000000
0.000000
0.000000

View General Positions

Initialize current matrix

(1 0 0) R  
Matrix

The new basis vectors  $a'$ ,  $b'$ ,  $c'$  are related to the basis vectors  $a$ ,  $b$ ,  $c$  by

$$\begin{aligned} (a', b', c') &= (a, b, c)P \\ &= (a, b, c) \begin{pmatrix} P_{11} & P_{12} & P_{13} \\ P_{21} & P_{22} & P_{23} \\ P_{31} & P_{32} & P_{33} \end{pmatrix} \\ &= (P_{11}a + P_{21}b + P_{31}c, \\ &\quad P_{12}a + P_{22}b + P_{32}c, \\ &\quad P_{13}a + P_{23}b + P_{33}c) \end{aligned}$$

A shift of origin is defined by the shift vector

$$\begin{aligned} t &= (a, b, c)p \\ &= (a, b, c) \begin{pmatrix} p_1 \\ p_2 \\ p_3 \end{pmatrix} \\ &= p_1a + p_2b + p_3c. \end{aligned}$$

☒ Normalize the range of fractional coordinates

OK

Cancel

## Transformation matrix

## Rotation matrix P

-1	0	1
1	0	1
0	1	0

## Origin shift p

0.000000
0.000000
0.000000

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☒ Normalize the range of fractional coordinates

OK

Cancel

## Transformation matrix

## Rotation matrix P

1	-1	1
1	1	1
-2	0	1

## Origin shift p

0.000000
0.000000
0.000000

View General Positions

Initialize current matrix

(1 1 1) R  
Matrix

The new basis vectors  $a'$ ,  $b'$ ,  $c'$  are related to the basis vectors  $a$ ,  $b$ ,  $c$  by

$$\begin{aligned} (a', b', c') &= (a, b, c)P \\ &= (a, b, c) \begin{pmatrix} P_{11} & P_{12} & P_{13} \\ P_{21} & P_{22} & P_{23} \\ P_{31} & P_{32} & P_{33} \end{pmatrix} \\ &= (P_{11}a + P_{21}b + P_{31}c, \\ &\quad P_{12}a + P_{22}b + P_{32}c, \\ &\quad P_{13}a + P_{23}b + P_{33}c) \end{aligned}$$

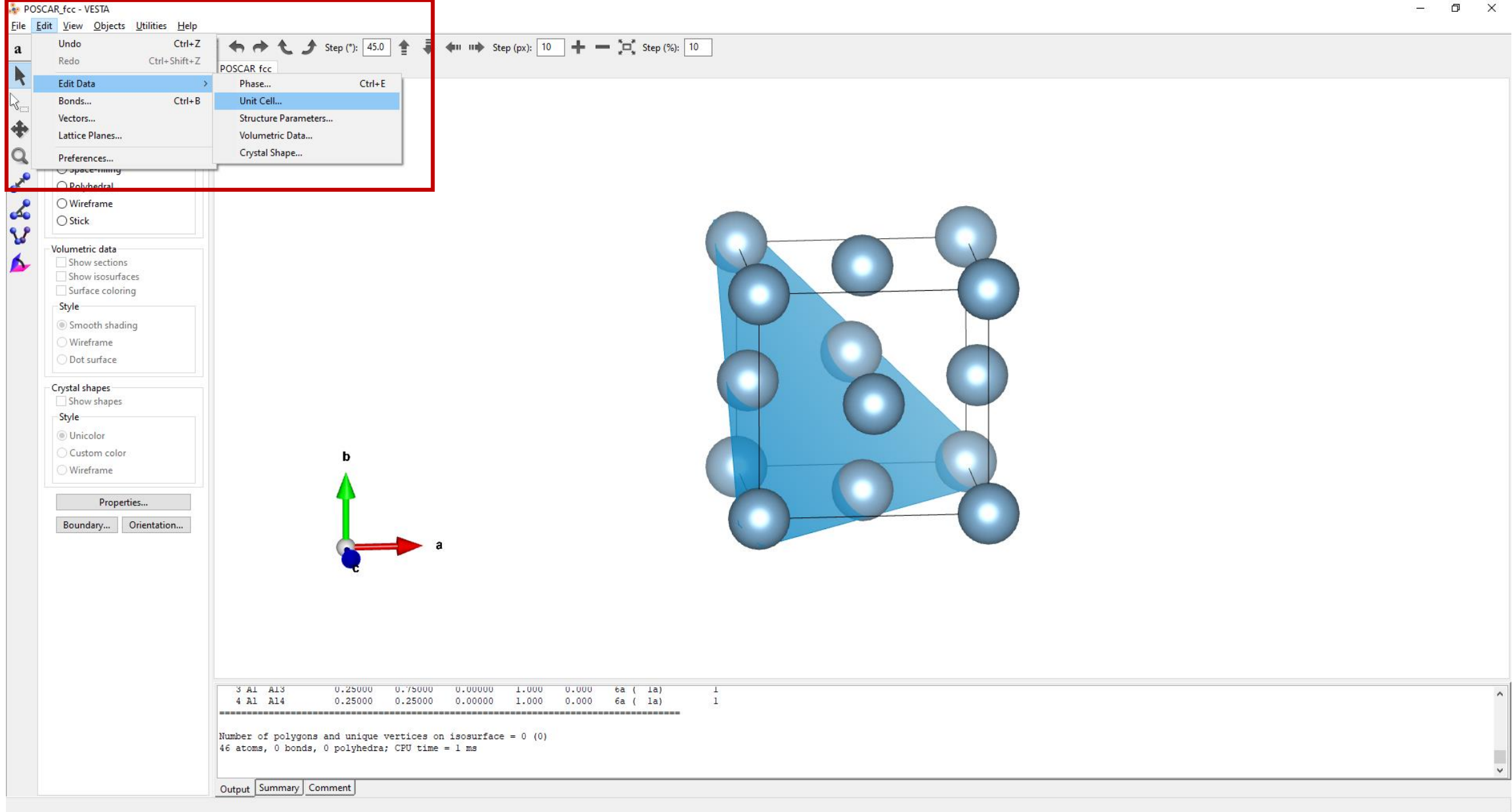
A shift of origin is defined by the shift vector

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☒ Normalize the range of fractional coordinates

OK

Cancel



1. Drag and drop the POSCAR file into VESTA window
2. Edit > Edit Data > Unit Cell...

Edit Data - POSCAR\_fcc

Phase: 1 Cell 1

Phase Unit cell Structure parameters Volumetric data Crystal shape

Symmetry

☐ Magnetic structure

System	No.	Space Group	No.	Setting
Molecule	1	P 1	1	P 1
Custom	2	P -1	2	A 1
Triclinic	3	P 2	3	B 1
Monoclinic	4	P 21	4	C 1
Orthorhombic	5	C 2	5	I 1
Tetragonal	6	P m	6	F 1
Trigonal	7	P c		

**Transform...** Customize... Update structure parameters to keep 3D geometry

Lattice parameters

	a (Å)	b (Å)	c (Å)	α (°)	β (°)	γ (°)
	4.25000	4.25000	4.25000	90.0000	90.0000	90.0000
s.u.:	0.00000	0.00000	0.00000	0.0000	0.0000	0.0000

Remove symmetry

OK Cancel Apply

Custom color Wireframe

Properties... Boundary... Orientation...

3 A1 A13 0.25000 0.75000 0.00000 1.000 0.000 6a ( 1a) 1

4 A1 A14 0.25000 0.25000 0.00000 1.000 0.000 6a ( 1a) 1

Number of polygons and unique vertices on isosurface = 0 (0)

46 atoms, 0 bonds, 0 polyhedra; CPU time = 1 ms

Output Summary Comment

Unit Cell Transformation

Transformation matrix

Rotation matrix P

1	-1	1
1	1	1
-2	0	1

Origin shift p

0.000000
0.000000
0.000000

View General Positions

Initialize current matrix

The new basis vectors a', b', c' are related to the basis vectors a, b, c by

$$(a', b', c') = (a, b, c)P$$

$$= (a, b, c) \begin{pmatrix} P_{11} & P_{12} & P_{13} \\ P_{21} & P_{22} & P_{23} \\ P_{31} & P_{32} & P_{33} \end{pmatrix}$$

$$= (P_{11}a + P_{21}b + P_{31}c, P_{12}a + P_{22}b + P_{32}c, P_{13}a + P_{23}b + P_{33}c)$$

A shift of origin is defined by the shift vector

$$t = (a, b, c)p$$

$$= (a, b, c) \begin{pmatrix} p_1 \\ p_2 \\ p_3 \end{pmatrix}$$

$$= p_1a + p_2b + p_3c.$$

☒ Normalize the range of fractional coordinates

OK Cancel

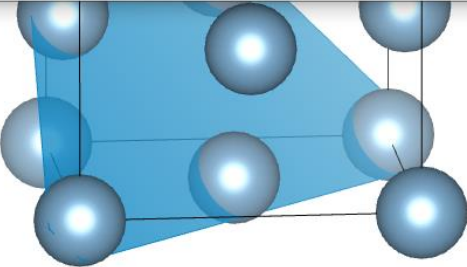
**Origin shift:**

If you have a particular atom you'd like to be the origin of the new cell input the **Direct** coordinates of it as:

a

b

c



3. Select Transform...

4. Input rotation matrix (see first page for reference)

Edit Data - POSCAR\_fcc

Phase: 1 Cell 1 10 + - Step (%): 10

Unit Cell Transformation

Transformation matrix

Rotation matrix P

Origin shift p

The new basis vectors  $a', b', c'$  are related to the basis vectors  $a, b, c$  by  $(a', b', c') = (a, b, c)P$

Warning!

The matrix you have given changes the unit cell volume.

Are you sure you want to continue?

Yes No

Additional lattice point(s) are included in the new unit-cell

How to convert the structure?

☒ Add new equivalent positions to a list of symmetry operations

☐ Search atoms in the new unit-cell and add them as new sites

☐ Do nothing

OK

OK Cancel Apply

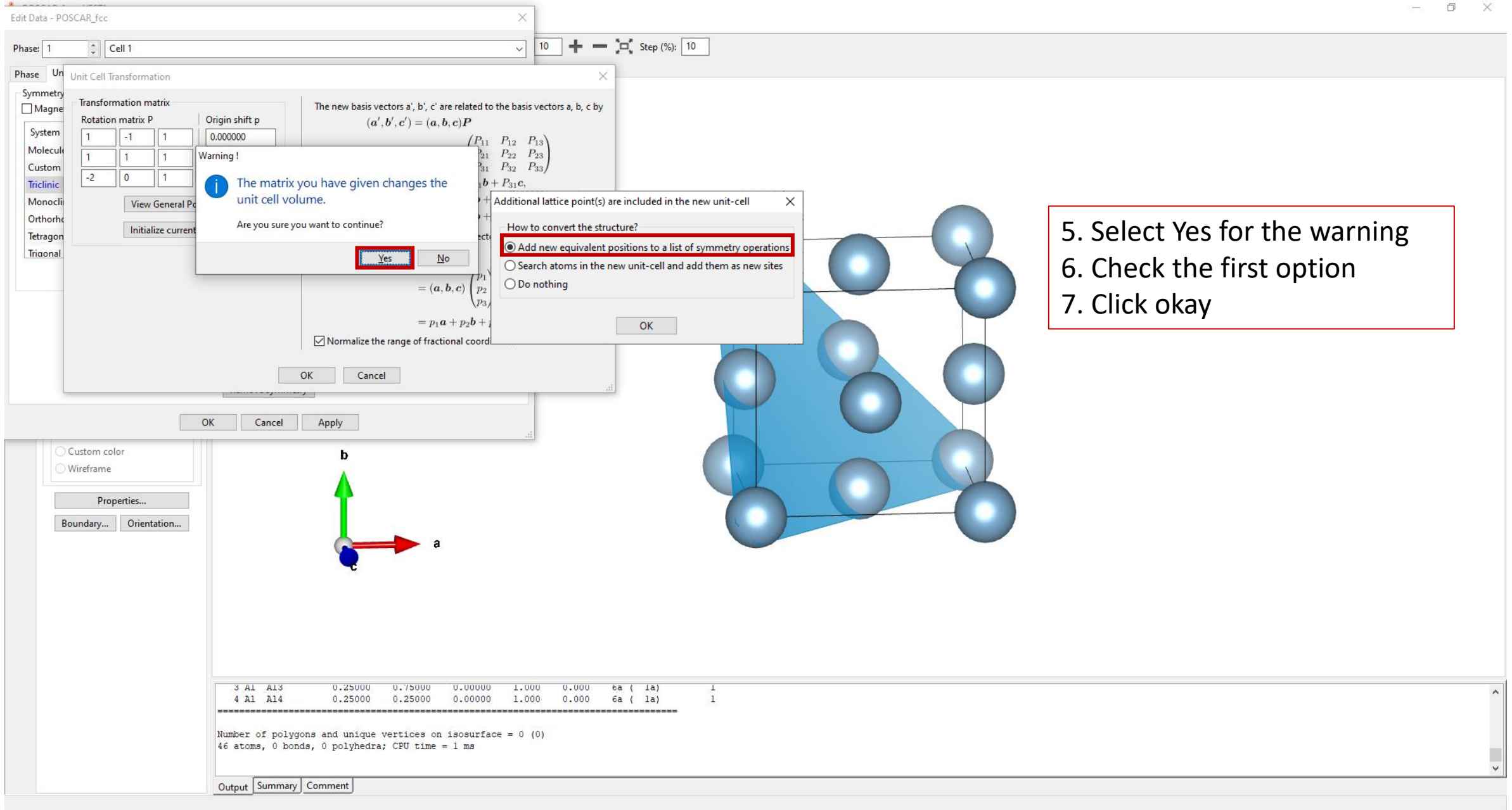
Custom color Wireframe

Properties... Boundary... Orientation...

Number of polygons and unique vertices on isosurface = 0 (0)

46 atoms, 0 bonds, 0 polyhedra; CPU time = 1 ms

Output Summary Comment



Atom	x	y	z	Occupancy
3 Al	0.25000	0.75000	0.00000	1.000
4 Al	0.25000	0.25000	0.00000	1.000

5. Select Yes for the warning
6. Check the first option
7. Click okay

Edit Data - POSCAR\_fcc

Phase: 1 Cell 1

Phase Unit cell Structure parameters Volumetric data Crystal shape

Symmetry

☐ Magnetic structure

System	No.	Space Group	No.	Setting
Molecule	1	P 1	1	P 1
Custom	2	P -1	2	A 1
Triclinic	3	P 2	3	B 1
Monoclinic	4	P 21	4	C 1
Orthorhombic	5	C 2	5	I 1
Tetragonal	6	P m	6	F 1
Trigonal	7	P c		

Transform... Customize... Update structure parameters to keep 3D geometry

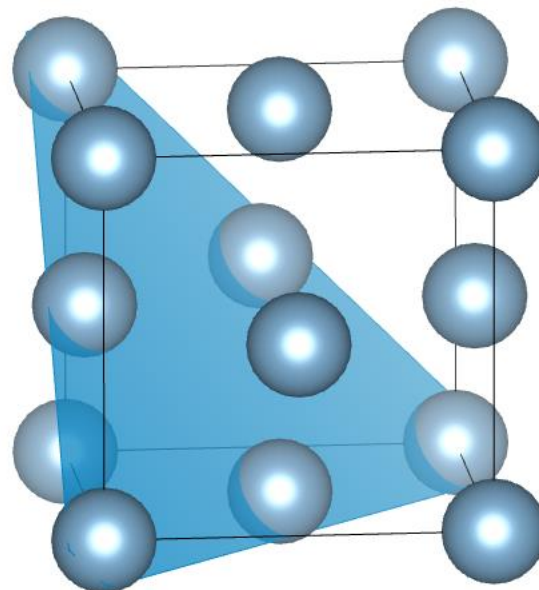
Lattice parameters

a (Å)	b (Å)	c (Å)	$\alpha$ (°)	$\beta$ (°)	$\gamma$ (°)
10.41033	6.01041	7.36122	90.0000	90.0000	90.0000
s.u.:	0.00000	0.00000	0.0000	0.0000	0.0000

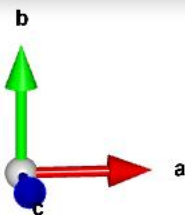
Remove symmetry

OK Cancel **Apply**

10 + - Step (%): 10



8. Click Apply & the new unit cell will appear with the surface of your choice directed in the  $\hat{c}$  direction

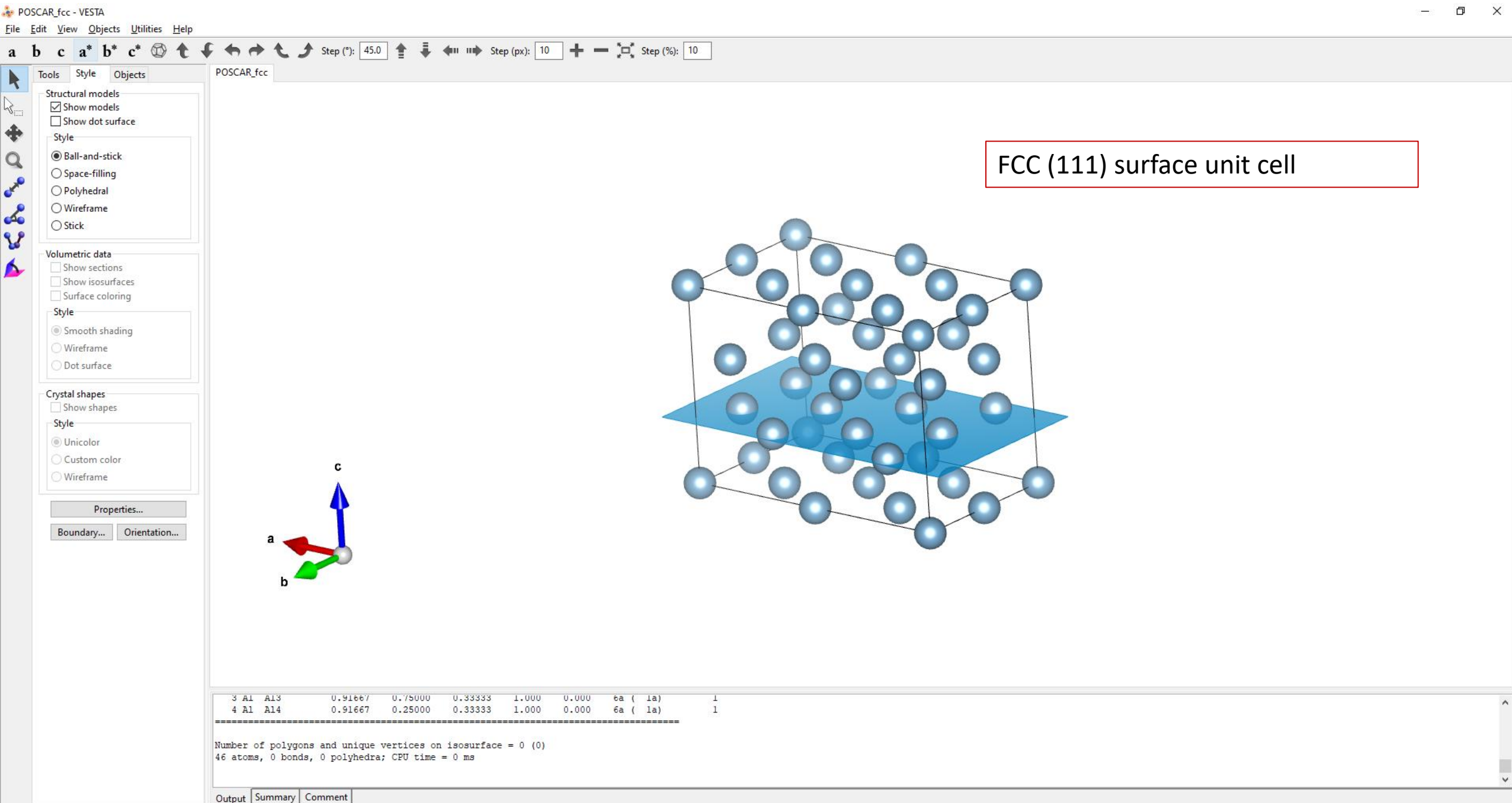


3	Al	Al3	0.25000	0.75000	0.00000	1.000	0.000	6a ( 1a)	1
4	Al	Al4	0.25000	0.25000	0.00000	1.000	0.000	6a ( 1a)	1

Number of polygons and unique vertices on isosurface = 0 (0)  
46 atoms, 0 bonds, 0 polyhedra; CPU time = 1 ms

Output Summary Comment





POSCAR\_fcc - VESTA

File Edit View Objects Utilities Help

New Structure... Ctrl+N  
New Window  
Open... Ctrl+O  
Open Recent  
Save Ctrl+S  
Save As... Ctrl+Shift+S  
Export Data...  
Export Raster Image...  
Export Vector Image...  
Save Output Text...  
Close Ctrl+W  
EXit Ctrl+Q

POSCAR\_fcc POSCAR\_fcc.vasp POSCAR\_fcc.vasp

Step (°): 45.0 Step (px): 10 Step (%): 10

Export Data

Organize New folder

This PC  
3D Objects  
Desktop  
Documents  
Downloads  
Music  
Pictures  
Videos  
OS (C:)  
Network

Name Status Date modified Type  
POSCAR\_fcc.vasp ✓ 11/17/2021 11:26 PM VASP File

File name: POSCAR\_fcc.vasp  
Save as type: VASP file (\*.vasp;POSCAR)

Save Cancel

9. Export Data...  
10. Save as VASP POSCAR  
11. Drag and drop the new POSCAR into VESTA

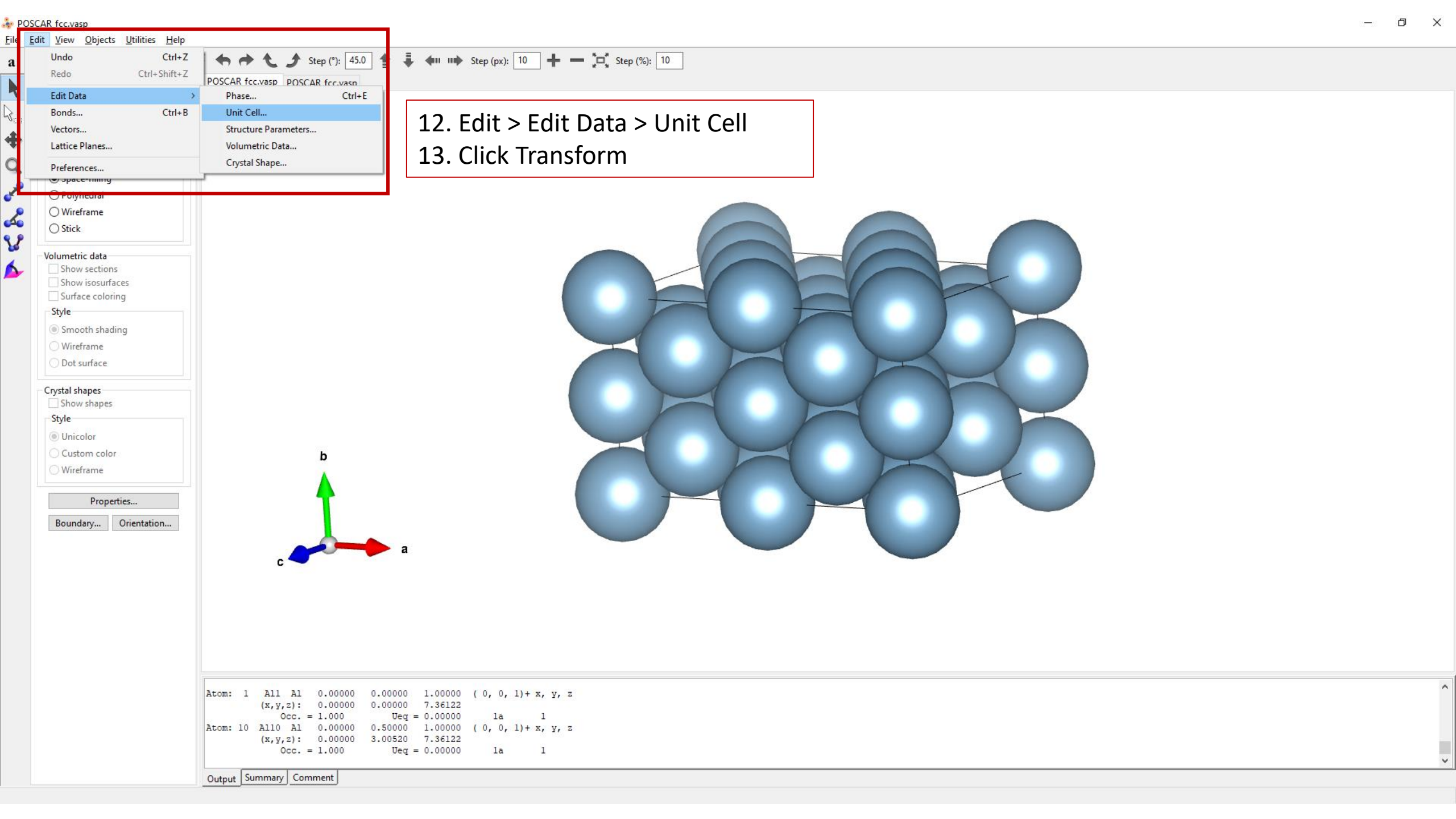
Crystal shapes  
Show shapes  
Style  
Unicolor  
Custom color  
Wireframe

Properties...  
Boundary... Orientation...

23	Al	Al23	0.58333	0.16667	0.66667	1.000	0.000	0	( 0 )
24	Al	Al24	0.25000	0.16667	0.00000	1.000	0.000	0	( 0 )

Number of polygons and unique vertices on isosurface = 0 (0)  
64 atoms, 0 bonds, 0 polyhedra; CPU time = 0 ms

Output Summary Comment





Phase: 1 Cell 1

10 + - Step (%): 10

Unit Cell Transformation

Transformation matrix

Rotation matrix P

1	0	0
0	1.5	0
0	0	1

Origin shift p

0.000000
0.000000
0.000000

[View General Positions](#)

[Initialize current matrix](#)

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$$= (P_{11}a + P_{21}b + P_{31}c, P_{12}a + P_{22}b + P_{32}c, P_{13}a + P_{23}b + P_{33}c)$$

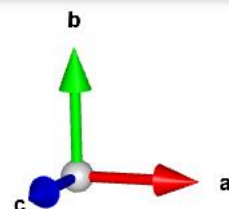
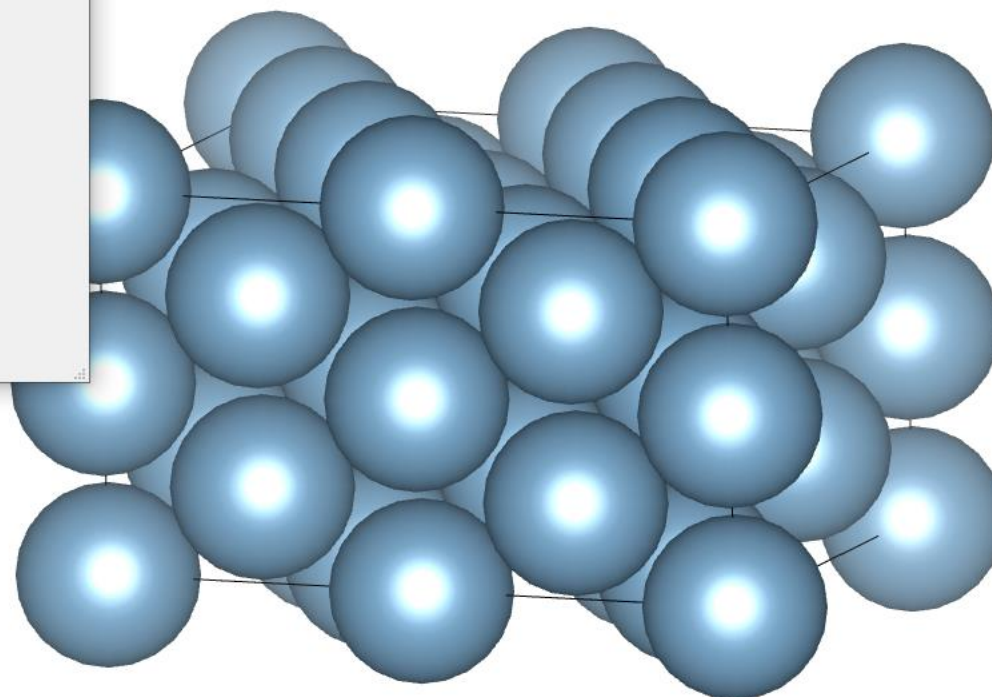
A shift of origin is defined by the shift vector

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$$= p_1a + p_2b + p_3c.$$

☒ Normalize the range of fractional coordinates

OK Cancel

Adjust cell boundaries to change number of atoms in each layer (a,b) or number of layers in your slab model (c)

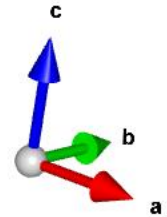
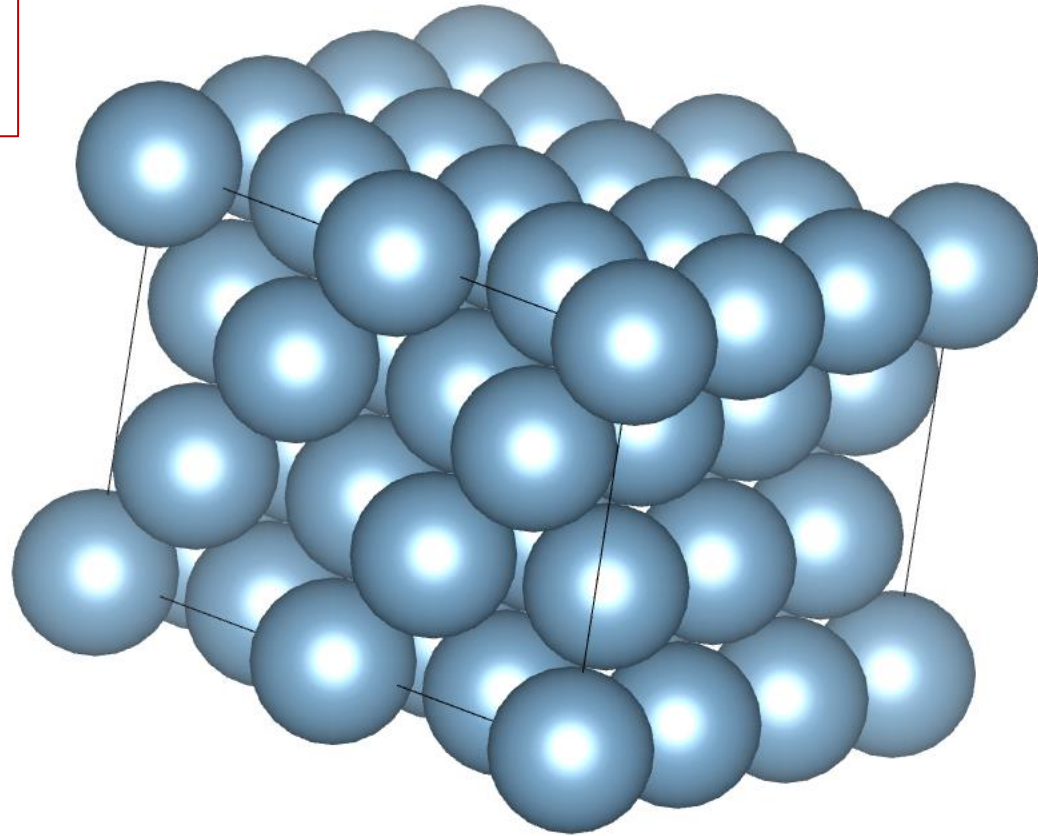


23	Al	Al23	0.58333	0.25000	0.66667	1.000	0.000	1a	1
24	Al	Al24	0.25000	0.25000	0.00000	1.000	0.000	1a	1

Number of polygons and unique vertices on isosurface = 0 (0)  
46 atoms, 0 bonds, 0 polyhedra; CPU time = 0 ms

Output Summary Comment

Here is a FCC slab model  
 with 18 atoms/layer and  
 4 layers



23	Al	Al23	0.58333	0.16667	0.66667	1.000	0.000	0	( 0 )
24	Al	Al24	0.25000	0.16667	0.00000	1.000	0.000	0	( 0 )

Number of polygons and unique vertices on isosurface = 0 (0)  
 64 atoms, 0 bonds, 0 polyhedra; CPU time = 1 ms

```
1 import ase
2 import ase.io.vasp
3 import numpy as np
4
5 def add_vacuum(vac):
6     slab = ase.io.vasp.read_vasp("POSCAR")
7     slab.center(vacuum=vac, axis=2)
8     ase.io.vasp.write_vasp('POSCAR',slab,direct=True,sort=True)
9
10
11 add_vacuum(10)
12
```

Easily add vacuum to  
surface slab using ASE