OPTIMIZATION

Samira . Maalek

 $\textbf{I-}Long \; Search(LS) \; parameters \; based \; on \; strong \; wolf \; condition \; for \; Steepest \; Decsent(SD):$

 $\tau_1=9$, ε (for sectioning) = 10^{-5} , $c_2=10^{-4}, c_2=0.1,$, ε (stop tol) = 10^{-3}

II-Long Search(LS) parameters based on strong wolf condition for Newton and BFGS: $\tau_1 = 9$, ε (for sectioning) = 10^{-5} , $c_2 = 10^{-4}$, $c_2 = 0.9$, ε (stop tol) = 10^{-3} In the first step we set $\Delta f = 100$, and update it in the next steps with $f(x_{k+1}) - f(x_k)$. In the BFGS algorithm for first step we set C_0 =I and update it in the nest steps.

TABLE 1. Simulation results for BFGS.

BFGS	X _{min}	f_{\min}	iteration	Function evaluation	Gradient evaluation	Hessian evaluation
Rosenbrock(withLS)	$\begin{bmatrix} 1.000 \\ 1.000 \end{bmatrix}$	3.7291*10-11	28	30	29	0
Powel (with LS)	0.0387 -0.0039 0.0137 0.0137	4.8801*10-6	24	26	26	0

TABLE 2. Simulation results for SD.

Tribble 2. Simulation results for SB.								
SD	X _{min}	f_{min}	iteration	Function	Gradient	Hessian		
				evaluation	evaluation	evaluation		
Rosenbrock(withGSS)	[1.3505]	0.1228	2	54	2	0		
	[1.8242]							
	[0.2291]							
Powel (with GSS)	-0.0229	0.0053	181	4887	181	0		
	0.1097							
	0.1184							
Rosenbrock(with LS)	[1.3508]	0.1232	3	19	11	0		
	l _{1.8259} J							
	[0.2347]							
Powel (with LS)	-0.0230	0.0058	184	258	244	0		
	0.1121							
	0.1214							

TABLE 3. Simulation results for Newton.

Newton	X_{\min}	$ m f_{min}$	iteration	Function evaluation	Gradient evaluation	Hessian evaluation
Rosenbrock(withGSS)	$\begin{bmatrix} 1.000 \\ 1.000 \end{bmatrix}$	3.9212*10-22	2	54	2	2
Powel (with GSS)	$1*10^{-3} \begin{bmatrix} 0.0001 \\ 0.0001 \\ 0.6829 \\ 0.6829 \end{bmatrix}$	7.8981*10 ⁻¹²	12	324	12	12
Rosenbrock(with LS)	$\begin{bmatrix} 1 \\ 1 \end{bmatrix}$	0	2	2	2	2
Powel (with LS)	$\begin{bmatrix} -0.000\\ 0.0000\\ 0.0011\\ 0.0011 \end{bmatrix}$	3.8986*10-11	18	19	19	18