Hamilton-Jacobi Equation Solution

by : Samuel Hasiholan Omega Purba, S. Tr. T.

Teknik Elektro

Prodi Teknik Robotika dan Kecerdasan buatan

Politeknik Negeri Batam

$$\sum_{(x-1)}^{(n\to\infty)} x = \left(\left\{\sum_{(x+1)}^{(n\to\infty)}\left(-\left\{\frac{x}{n}\right\}\right)\right\} \times \left\{\frac{\left(\sum_{(x-1)}^{(n\to\infty)}(-x)\right)}{\left(\sum_{(x+1)}^{(n\to\infty)}\left(\frac{x}{n}\right)\right)}\right\}\right)$$

$$\left(H\left\{q,\frac{\partial S}{\partial q},t\right\}\right) = \left(-\left\{\frac{\partial S}{\partial q}\right\}\right)$$

$$x = \left\{H\left(q,\frac{\partial S}{\partial q},t\right)\right\}$$

$$\left(-\left\{\frac{x}{n}\right\}\right) = \left(-\left\{\frac{\partial S}{\partial q}\right\}\right)$$

$$\left(\left\{\sum_{(x+1)}^{(n\to\infty)}\left(-\left\{\frac{x}{n}\right\}\right)\right\} \times \left\{\frac{\left(\sum_{(x-1)}^{(n\to\infty)}(-x)\right)}{\left(\sum_{(x+1)}^{(n\to\infty)}\left(\frac{x}{n}\right)\right)}\right\}\right) = \left(\left\{\sum_{(\partial S+1)}^{(\partial q\to\infty)}\left(-\left\{\frac{\partial S}{\partial q}\right\}\right)\right\} \times \left\{\frac{\left(\sum_{(\partial S-1)}^{(\partial q\to\infty)}(-\partial S)\right)}{\left(\sum_{(\partial S+1)}^{(\partial q\to\infty)}\left(\frac{\partial S}{\partial q}\right)\right)}\right\}\right)$$

#REVOLUSIWANGSANUSANTARA2026

$$\sum_{(\partial S-1)}^{(\partial q\to\infty)}\left\{H\left(q,\frac{\partial S}{\partial q},t\right)\right\} = \left(\left\{\sum_{(\partial S+1)}^{(\partial q\to\infty)}\left(-\left\{\frac{\partial S}{\partial q}\right\}\right)\right\}\times\left\{\frac{\left(\sum_{(\partial S-1)}^{(\partial q\to\infty)}(-\partial S)\right)}{\left(\sum_{(\partial S+1)}^{(\partial q\to\infty)}\left(\frac{\partial S}{\partial q}\right)\right)}\right\}\right)$$

$$\left(H\left\{q,\frac{\partial S}{\partial q},t\right\}\right) = E$$

$$\sum_{(\partial S-1)}^{(\partial q\to\infty)} E = \left(\left\{\sum_{(\partial S+1)}^{(\partial q\to\infty)}\left(-\left\{\frac{\partial S}{\partial q}\right\}\right)\right\}\times\left\{\frac{\left(\sum_{(\partial S-1)}^{(\partial q\to\infty)}(-\partial S)\right)}{\left(\sum_{(\partial S+1)}^{(\partial q\to\infty)}\left(\frac{\partial S}{\partial q}\right)\right)}\right\}\right)$$

Quote’s :

“ don’t be doubt to be Great ”

Samuel Hasiholan Omega, S. Tr. T. (Founder : BeruangLaut.ID)

[1 Tesalonicenses 2 : 15]

#SAVEPALESTINE2026

#REVOLUSIWANGSANUSANTARA2026