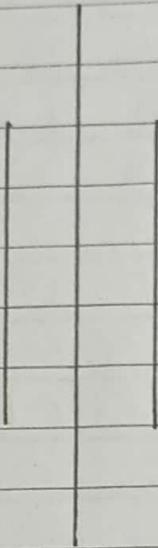


KATHMANDU UNIVERSITY

DHULIKHEL, KAVRE



Subject: ENGG112

Assignment: 1

Submitted by:

Ashraya Kadel
UNG CE 21/2
Roll No. 25

Submitted to:

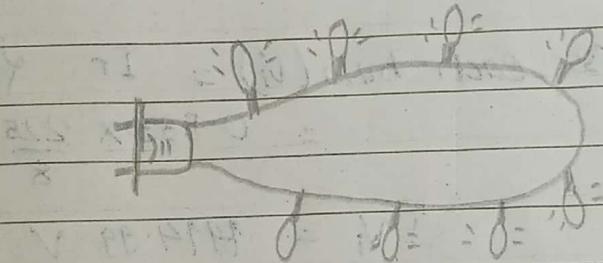
Santosh Shaha
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DATE OF SUBMISSION: 15 / 09 / 2023

Q.1: Eight holiday light bulbs are connected in series as shown in figure.

- (a) If the set is connected to 120 V source, what is the current through the bulbs if each bulb has internal resistance of $28\frac{1}{8}\Omega$
- (b) Determine the power delivered to each bulb.
- (c) Calculate the voltage drop across each bulb.
- (d) If one bulb burns out, what is effect on remaining bulbs?

Sol:



(a) Given,

$$\text{Potential difference } (V) = 120 \text{ V}$$

$$\text{Internal resistance of each bulb } (r) = 28\frac{1}{8}\Omega = 225\Omega$$

$$\text{Current through each bulb } (I) = ?$$

Since, the bulb are connected in series, the equivalent resistance (r_{eq}) = $8 \times \left(\frac{225}{8}\right) = 225\Omega$

Since, same current flows through each bulb,

$$\text{Current through each bulb } (I) = \frac{V}{r_{eq}} = \frac{120}{225}$$

$$I = 0.533 \text{ A}$$

(b) We know,

$$r = 225/8 \Omega$$

$$I = 0.533 A$$

$$\begin{aligned} \text{Now, power delivered to each bulb } (P) &= I^2 r \\ &= (0.533)^2 \times 225/8 \\ \therefore P &= 7.99 V \end{aligned}$$

(c) & A₁₈₀,

$$r = 225/8 \Omega$$

$$I = 0.533 A$$

Now,

$$\begin{aligned} \text{Voltage drop across each bulb } (V_i) &= Ir \quad \text{from ohm's law} \\ &= 0.533 \times \frac{225}{8} \\ \therefore V_i &= 14.99 V \end{aligned}$$

(d) Ans:

Since the bulbs are in series, if one of the filament burns / opens open, the circuit is incomplete so no current flows through the circuit.

(Q.27) Design a voltage divider circuit that permits the use of an 8V, 50mA bulb in an automobile with 12V electrical system. What is the minimum wattage rating of chosen resistor if 1/4 W, 1/2 W and 1W resistors are available?

Ans:

Given,

supplied voltage (V) = 12 V

required current (I) = 50 mA

$$= 50 \times 10^{-3} \text{ A}$$

Voltage of bulb (V_b) = 8 V

$$\therefore \text{Resistance of bulb } (R_b) = \frac{V_b}{I} = \frac{8}{50 \times 10^{-3}}$$

$$R_b = 160 \Omega$$

Now, for the other resistor,

$$E = 12 - 8 \\ = 4 \text{ V}$$

$$\therefore R_1 = \frac{E}{I} = \frac{4}{50 \times 10^{-3}} = 80 \Omega.$$

\therefore The chosen resistor is 80Ω .

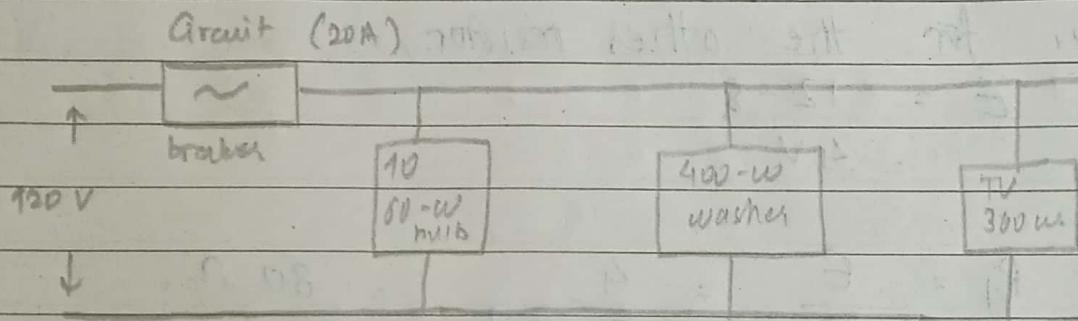
\therefore The wattage rating of the resistor = $\frac{V^2}{R_1}$

$$= \frac{4^2}{80} = \frac{1}{5} \text{ W.}$$

(Q.3): A portion of a residential service to a home is depicted in the figure.

- (a) Determine the current through each parallel branch of network.
- (b) Calculate the current drawn from 120 V source. Will 20 A circuit breaker trip?
- (c) What is the total resistance of the network?
- (d) Determine the power supplied by 120-V source. How does it compare to the total power of load?

Ans:



(a)

Given,

$$\text{Power of a bulb } (P_1) = 60 \text{ W}$$

$$\text{Power of washer } (P_2) = 400 \text{ W}$$

$$\text{Power of TV } (P_3) = 360 \text{ W}$$

Now,

$$\text{resistance of bulb } (R_1) = \frac{V^2}{P_1} = \frac{(120)^2}{60} = 240 \Omega$$

$$\text{resistance of washer } (R_2) = \frac{V^2}{P_2} = \frac{(120)^2}{400} = 36 \Omega$$

$$\text{resistance of TV } (R_3) = \frac{V^2}{P_3} = \frac{(120)^2}{360} = 40 \Omega$$

For 1st branch,

$$R_1 = 10 \times 240 \Omega$$

$$\therefore R_1 = 2400 \Omega$$

$$\therefore \text{Current } (I_1) = \frac{120}{2400} = -0.05 \text{ A}$$

(through whole)

$$= \frac{120}{240} = 0.5 \text{ A}$$

(current same through each bulb)

for 2nd branch,

$$R_2 = 36 \Omega$$

$$\therefore \text{Current } (I_2) = \frac{120}{36} = 3.33 \text{ A}$$

for 3rd branch,

$$R_3 = 40 \Omega$$

$$\therefore \text{Current } (I_3) = \frac{120}{40} = 3 \text{ A}$$

(c)

Given,

Since all the appliances are in parallel,

$$\frac{1}{R_T} = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3}$$

$$\text{or, } \frac{1}{R_T} = \frac{10}{240} + \frac{1}{36} + \frac{1}{40}$$

$$\therefore R_T = 10.59 \Omega$$

(b): Given,

$$\text{voltage } (V) = 120 \text{ V}$$

$$\text{equivalent resistance } (R_{\text{eq}}) = 10.59 \Omega$$

$$\therefore \text{Current } (I) = \frac{V}{R_{\text{eq}}} = \frac{120}{10.59}$$

$$\therefore I = 11.33 \text{ A}$$

Since the current of circuit breaker is 20 A,
the circuit won't trip.

(d): Given,

$$\text{Total power of load} = P_1 + P_2 + P_3$$

$$= (10 \times 60) + 400 + 360$$

$$= 1360 \text{ W.}$$

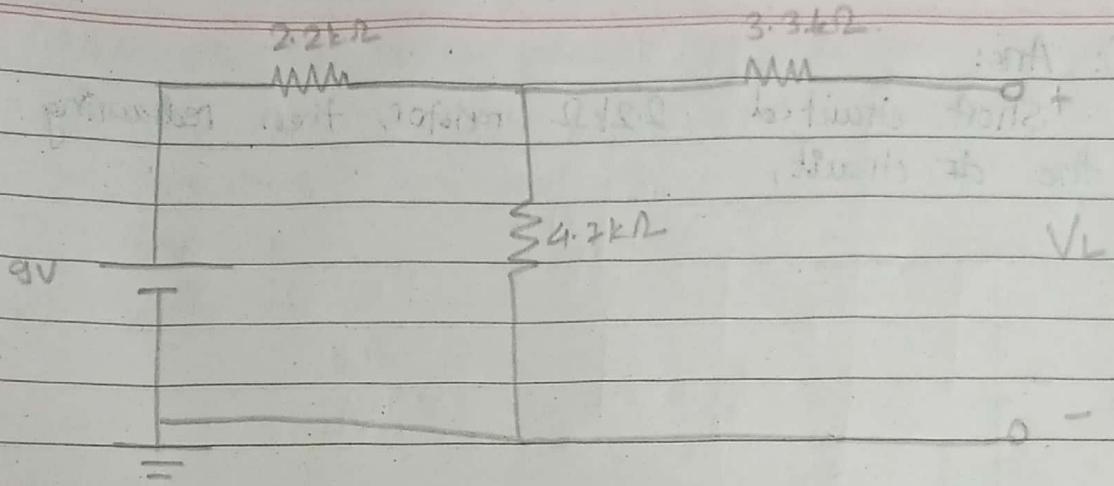
$$\begin{aligned} \text{The power taken up from source} &= IV \\ &= 11.33 \times 120 \end{aligned}$$

$$= 1359.60 \text{ W.}$$

(Q.4): For the network in figure,

(a) Determine the open-circuit voltage V_L .(b) If the $2.2 \text{ k}\Omega$ resistor is short circuited,
what is new value of V_L ?(c) Determine V_L if $4.7 \text{ k}\Omega$ resistor is replaced by
open circuit.

SOL:



(a) We have,

$$R_1 = 2.2 \text{ k}\Omega$$

$$V = 9 \text{ V}$$

$$R_2 = 4.7 \text{ k}\Omega$$

$$V_L = ?$$

$$R_3 = 3.3 \text{ k}\Omega$$

The 3.3 kΩ resistor doesn't affect V_L as it is open circuit.

and the voltage along R_2 = voltage (V_L)

$$R_{\text{eq}} = (4.7 + 2.2) = 6.9 \text{ k}\Omega$$

$$R_2 = 4.7 \text{ k}\Omega$$

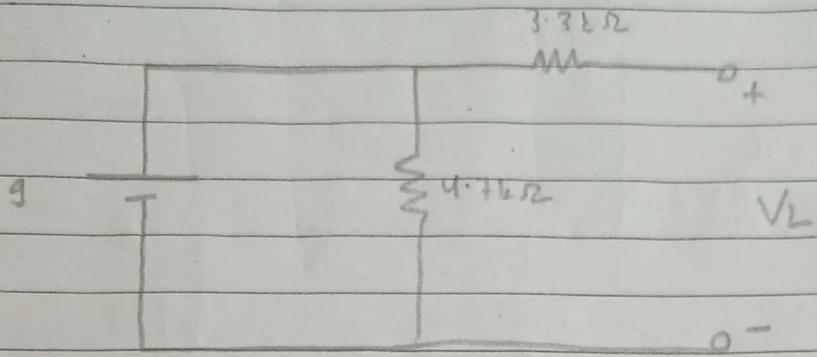
By voltage divider rule,

$$V_L = V \times \frac{R_2}{R_{\text{eq}}}$$

$$= 9 \times \frac{4.7}{6.9} \quad \therefore V_L = 6.13 \text{ V}$$

(b): Ans:

short circuited $2.2\text{k}\Omega$ resistor, then redrawing
the ~~dc~~ circuit,

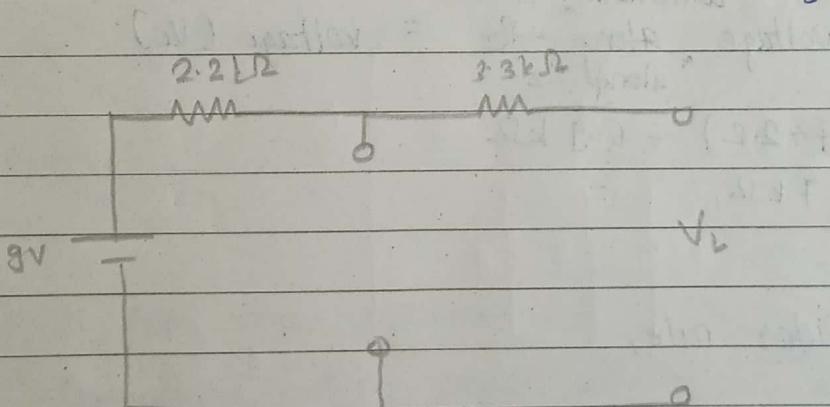


Here,

$$\text{voltage (V)} = \text{voltage along } R_2 = V_L$$

$$\therefore V_L = 9\text{V}.$$

(c): If the $R_2 = 4.7\text{k}\Omega$ is replaced by open circuit,



$$\text{Voltage (V)} = V_L$$

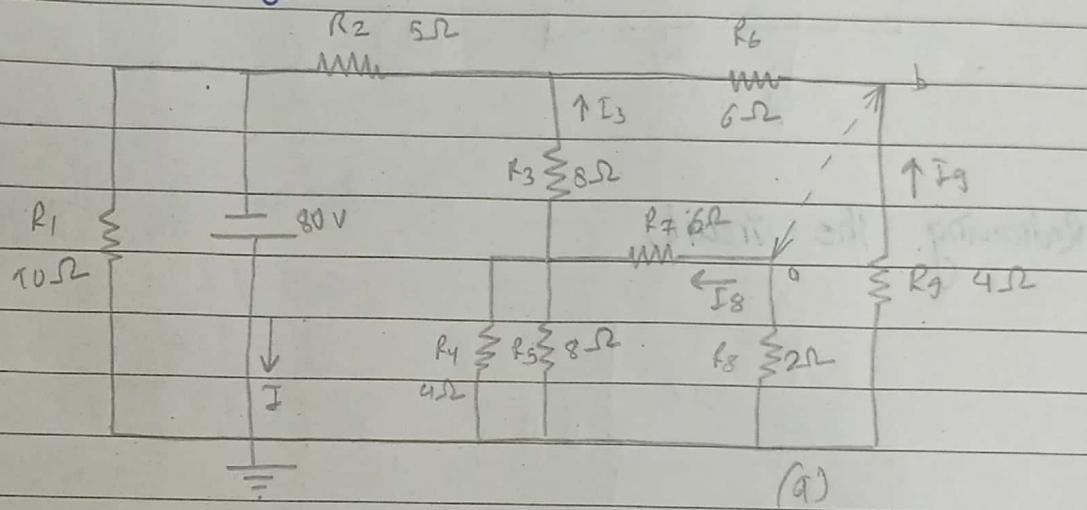
$$\therefore V_L = 9\text{V}.$$

The series resistor doesn't affect voltage.

<Q.5>: for the series-parallel network

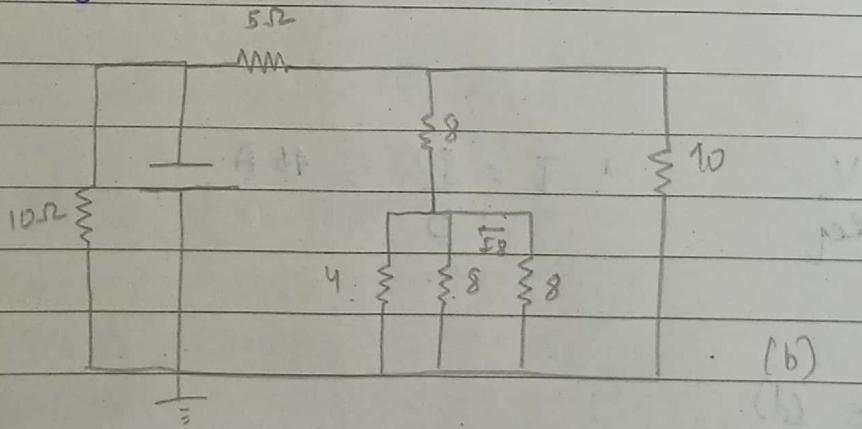
- (a) find the current I
- (b) determine I_3 and I_g .
- (c) find I_8 .
- (d) find V_{ab} .

Sol.



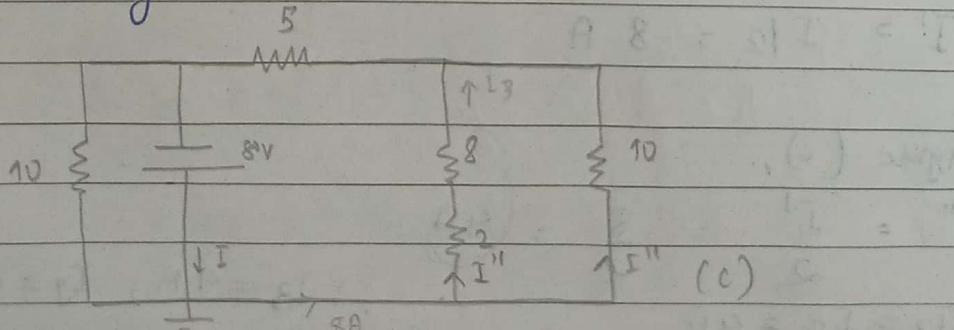
(a)

Redrawing the circuit.



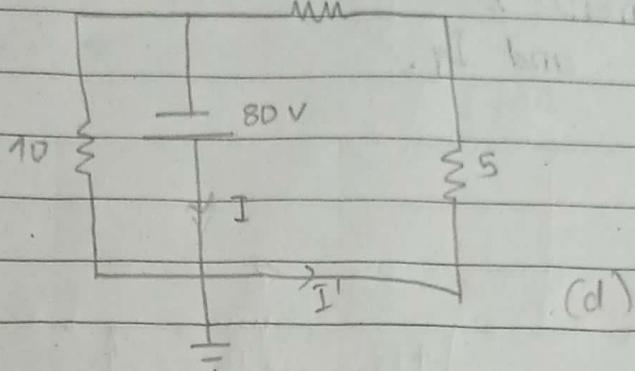
(b)

Redrawing the circuit,

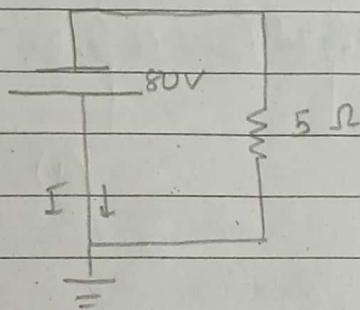


(c)

Redrawing the circuit,



Redrawing the circuit,



Now,

$$I = \frac{V}{R_{eq}} \quad ! \quad I = \frac{80}{5} = 16 \text{ A}$$

(b): for figure (d),

$$I' = I/2 = 8 \text{ A}$$

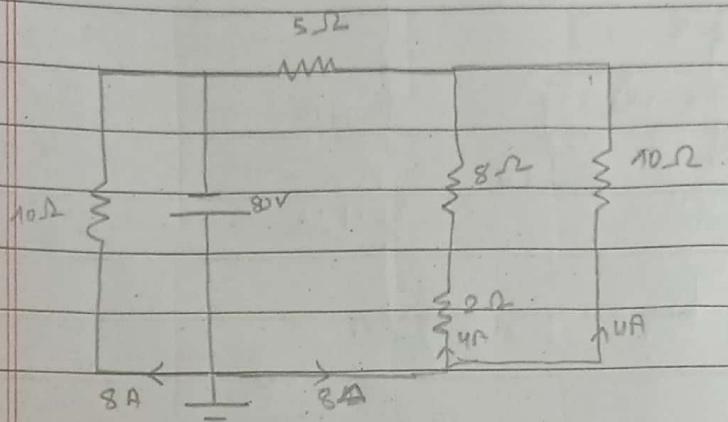
In figure (c),

$$I'' = \frac{I'}{2} = \frac{8}{2} = 4 \text{ A}$$

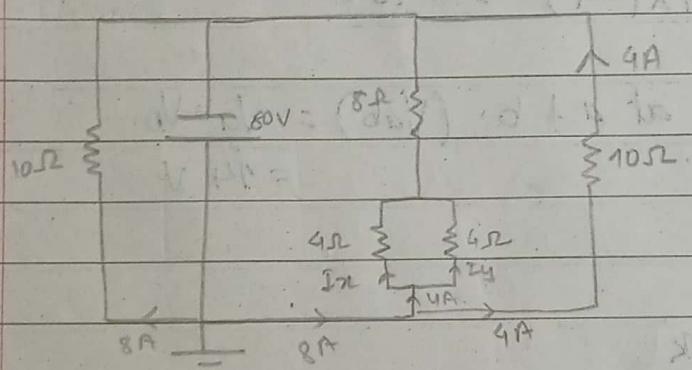
Since $I_3 = I_g = 4 \text{ A}$

$$\therefore I_3 = 4 \text{ A}, I_g = 4 \text{ A}$$

(e): From figure (a) :

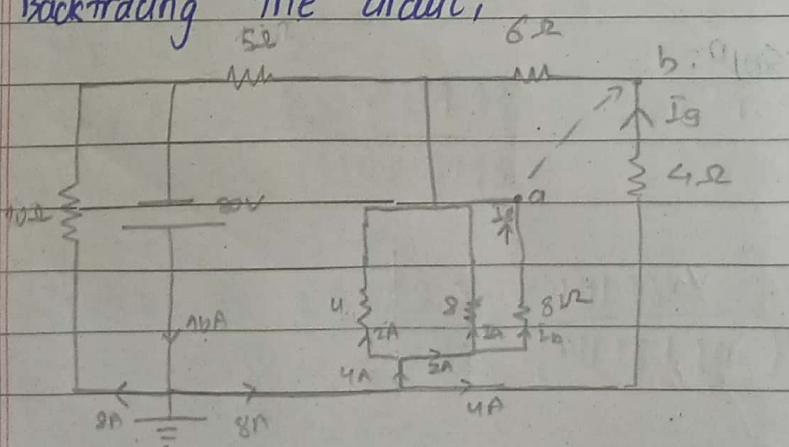


Backtracing the circuit, $(R+I)x8 = (4V)$

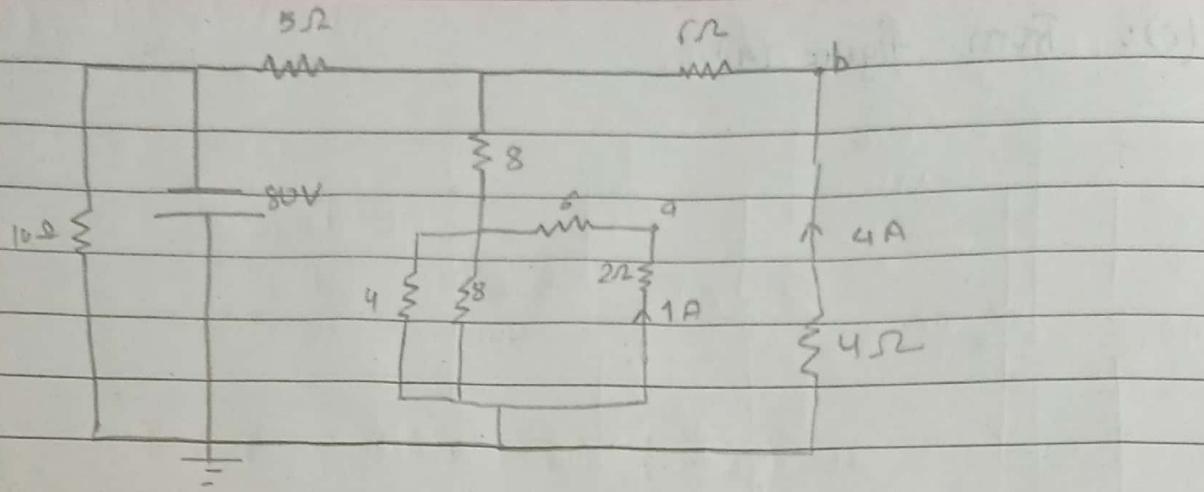


$$\text{Here, } I_n = \frac{4}{2} = 2 \text{ A.}$$

Backtracing the circuit,



$$\text{Here, } I_a = I_b = I_8 \quad \therefore I_8 = \frac{2}{2} = 1 \text{ A.}$$



$$\text{Voltage at } a (V_a) = 2 \times (-4) = -8 \text{ V}$$

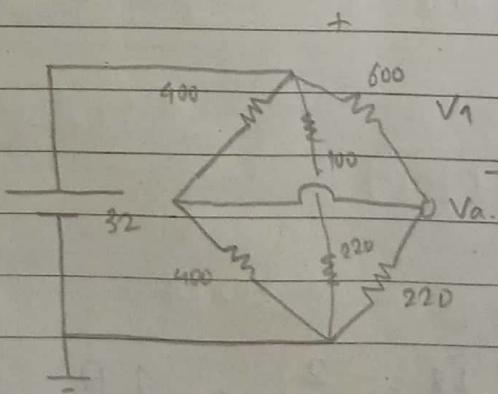
$$\text{Voltage at } b (V_b) = 4 \times (-4) = -16 \text{ V}.$$

$$\therefore \text{Voltage difference at } a + b (V_{ab}) = V_a - V_b \\ = 14 \text{ V}$$

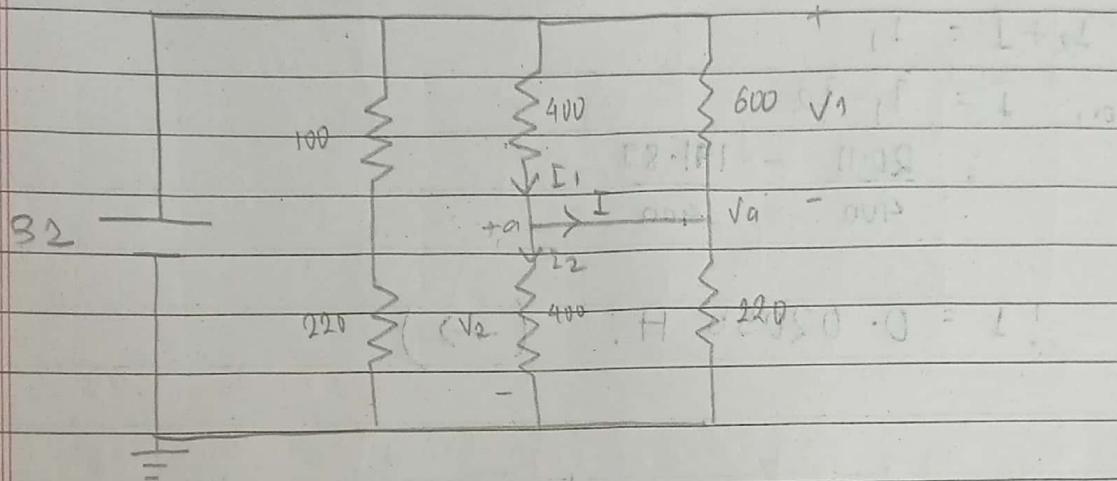
(Q.6): For the network

- a) Determine R_T
- b) Calculate V_a
- c) Find V_1
- d) Calculate V_2 .
- e) Determine I .

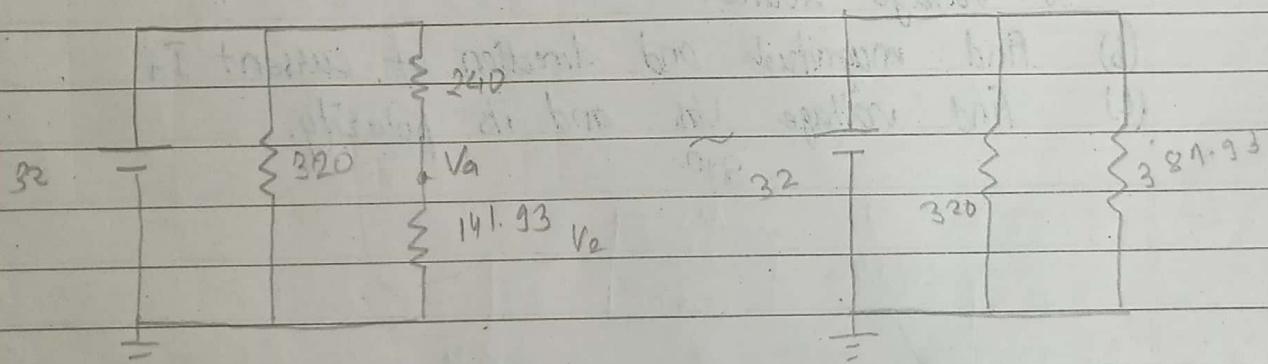
SOL^D:



Redrawing the circuit,



Redrawing the circuit,



Now,

$$(a): \text{Req} = \frac{320 \times 381.93}{320 + 381.93} = 174.11 \Omega$$

$$(b)/(d) V_2 = V_a = 32 \times \frac{141.93}{(141.93 + 240)} = 11.89 \text{ V}$$

$$(c) V_1 = 32 - V_2 = 32 - 11.89 = 20.11.$$

(e): At node a,

$$I_2 + I = I_1$$

$$\text{or, } I = I_1 - I_2$$

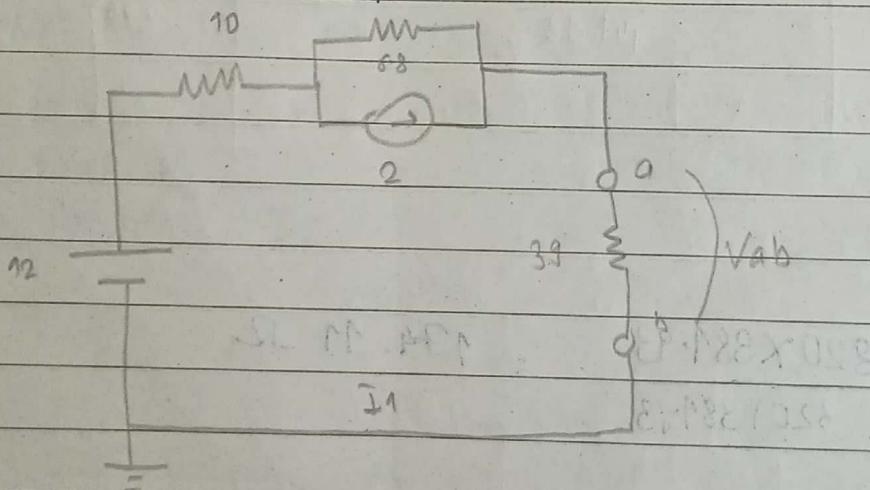
$$= \frac{20.11}{400} - \frac{191.89}{400}$$

$$\therefore I = 0.02055 \text{ A. } (\rightarrow)$$

<Q.7>: For the given configuration,

- (a) Convert the current source and 6.8Ω resistor to voltage source.
- (b) Find magnitude and direction of current I_1 .
- (c) Find voltage V_{ab} and its polarity.

SJR.



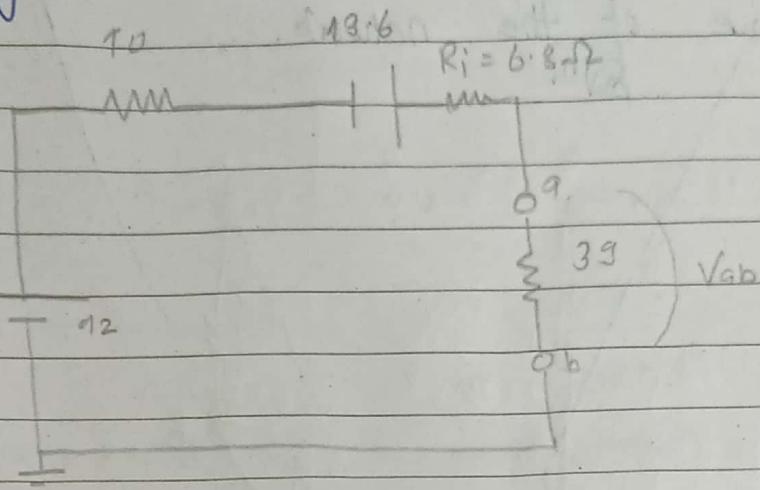
(a): Now,

$$I = 2 \text{ A } (\rightarrow)$$

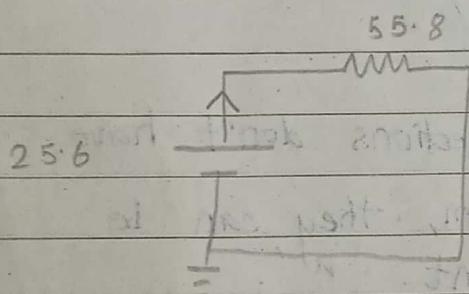
$$R = 6.8 \Omega$$

$$\therefore V = IR = 13.6 \text{ V}$$

Redrawing the circuit,



Redrawing the circuit,



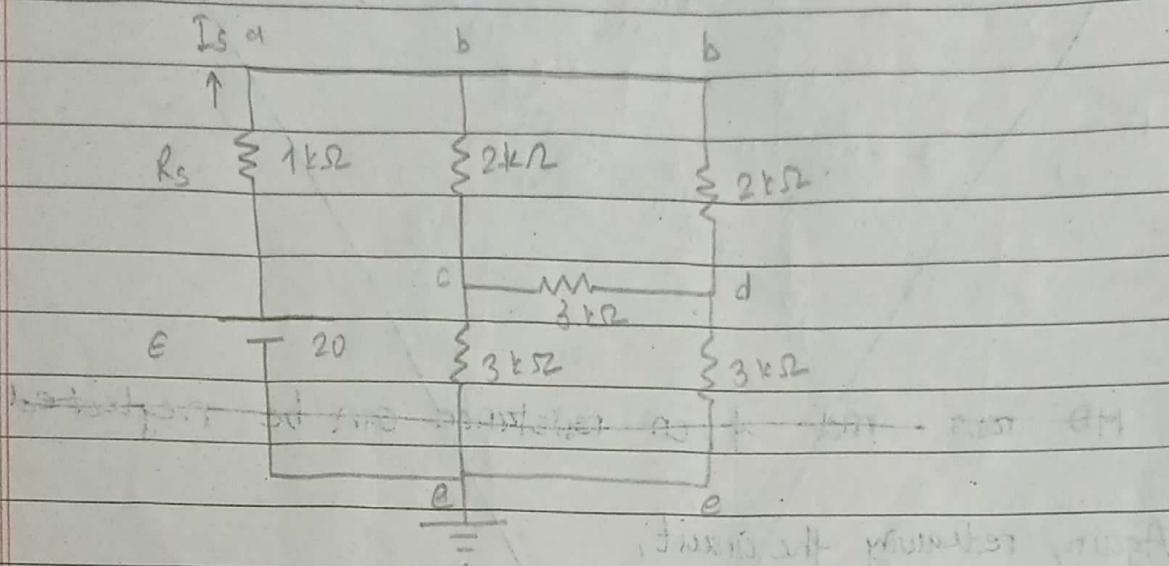
$$(b): I = \frac{V}{R} = \frac{25.6}{55.8} = 0.45875 \text{ A}$$

$$(c): V_{ab} = \frac{I \times R_{ab}}{R_{ab}} = 0.45875 \times 39$$

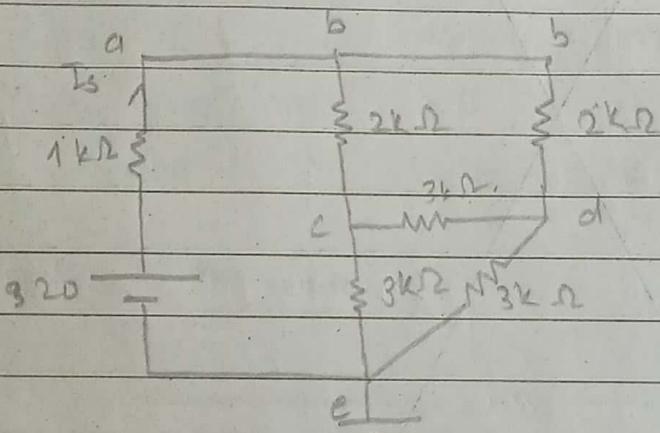
$$\therefore V_{ab} = 17.89 \text{ V}$$

(Q.9): Find the current I_S for the network.

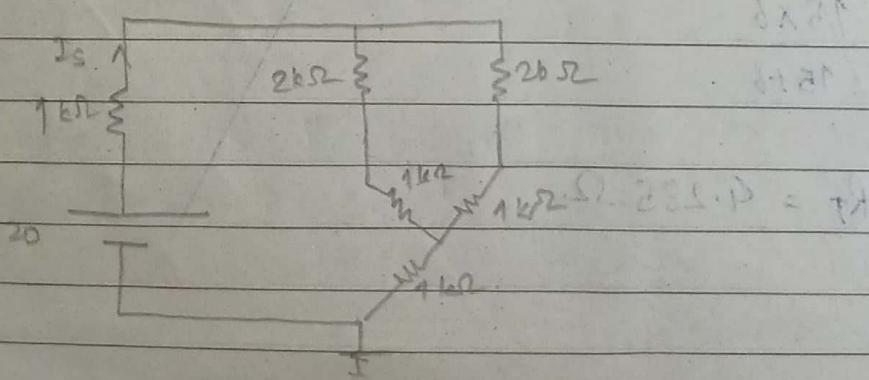
Sol:



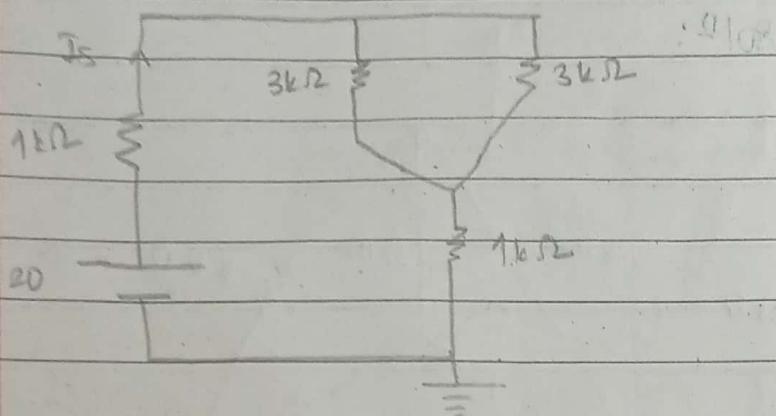
The circuit can also be drawn as:



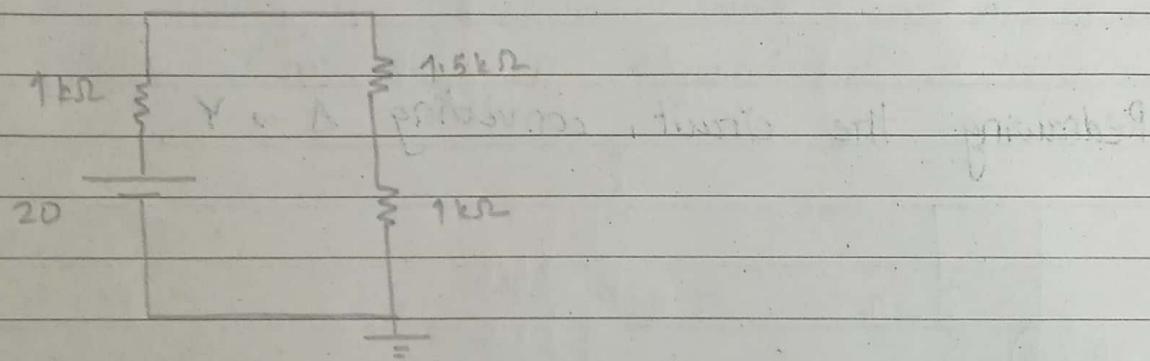
Applying $\Delta \rightarrow Y$ conversion on Δcde ,



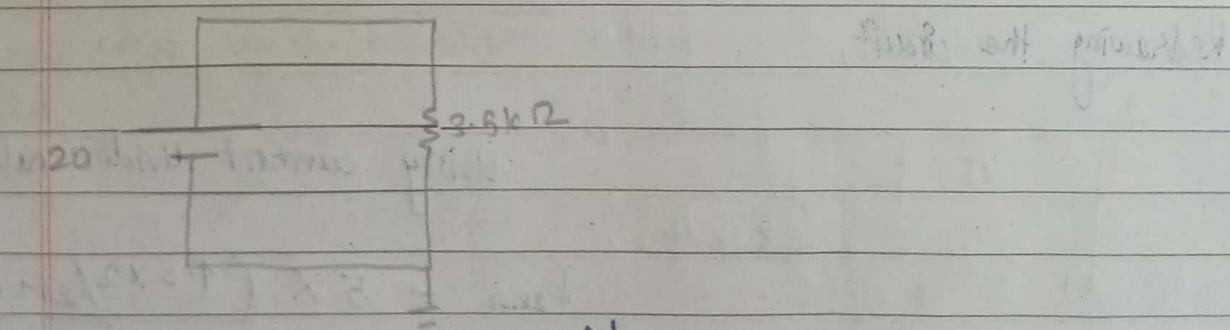
Redrawing the circuit,



Redrawing the circuit;



Redrawing the circuit,



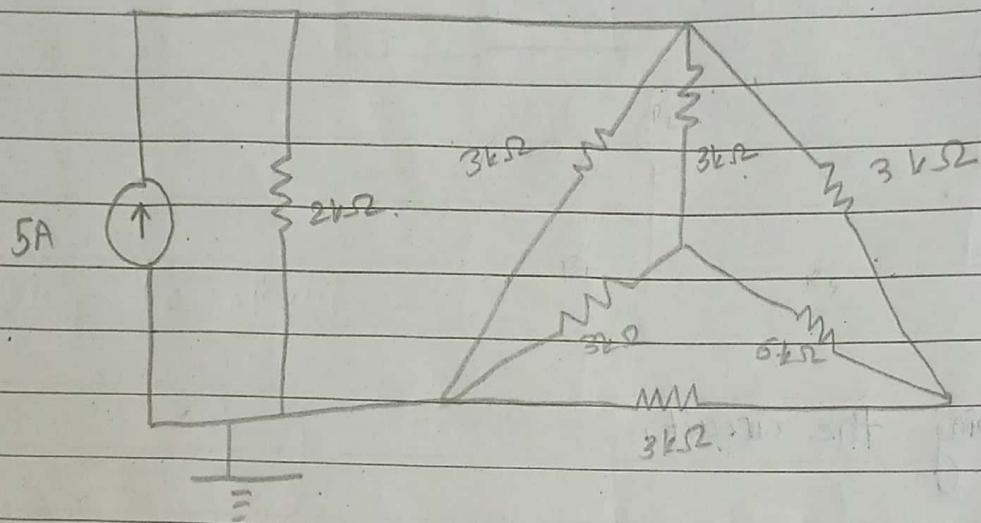
Now,

$$I_S = \frac{20}{3500} = 5.714 \times 10^{-3} \text{ A}$$

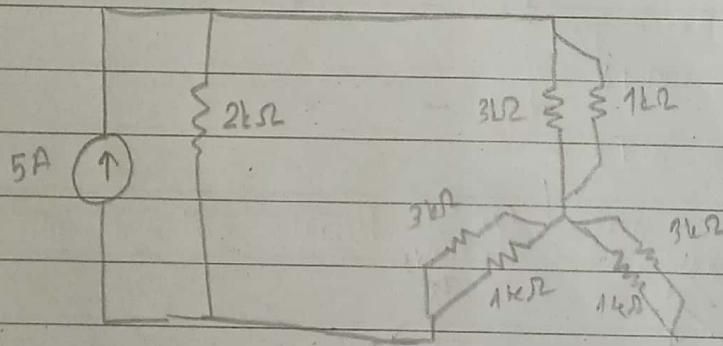
$$= 5.714 \text{ mA.}$$

(Q.10): Determine the current I through the network.

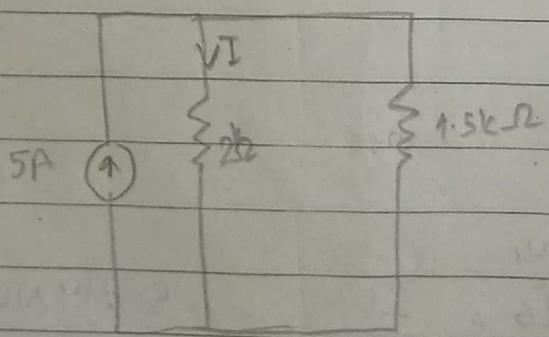
Sol:



Redrawing the circuit, converting $\Delta \rightarrow Y$,



Redrawing the circuit,



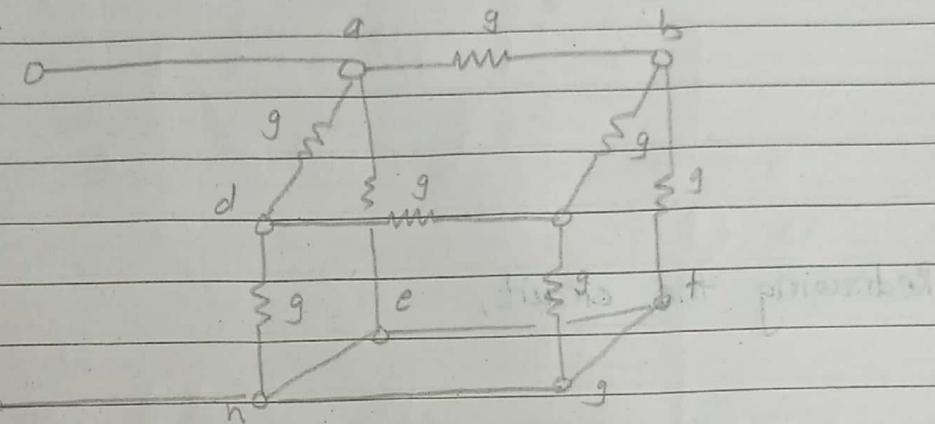
Using current divisor rule.

$$I_{2k\Omega} = 5 \times \frac{1.5 \times 2}{2 + 1.5}$$

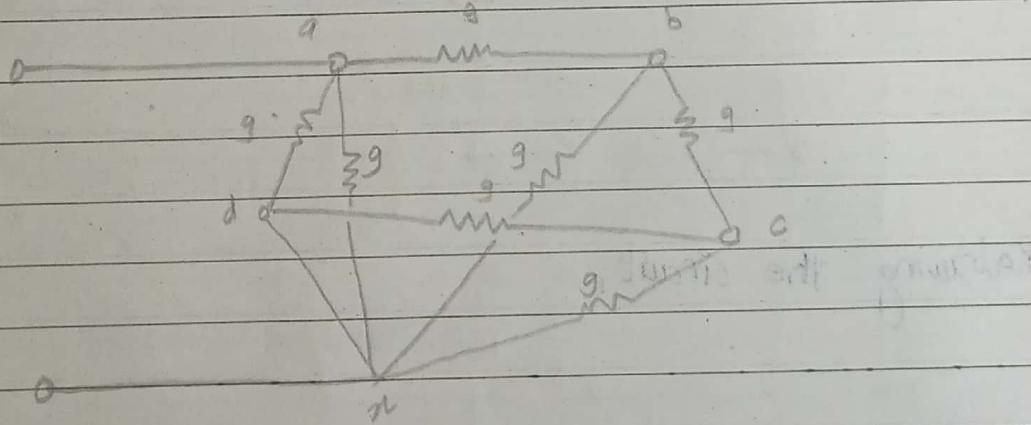
$$\therefore I_{2k} = 2.142 \text{ A.}$$

(Q.8): Using the Δ - Δ conversion or Δ - Y conversions, determine the total resistance of the network.

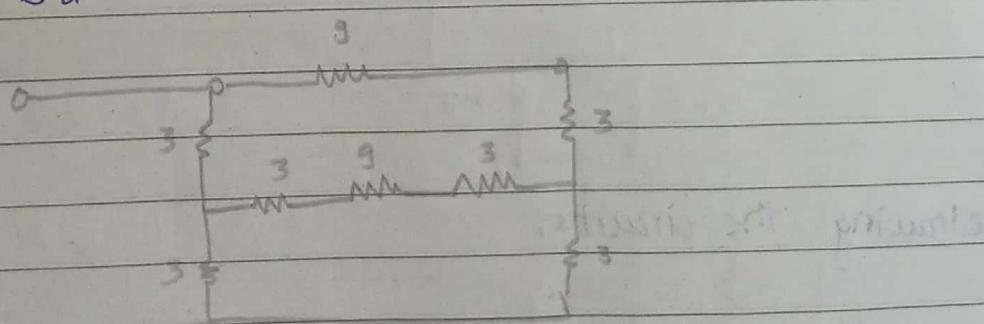
Sol:



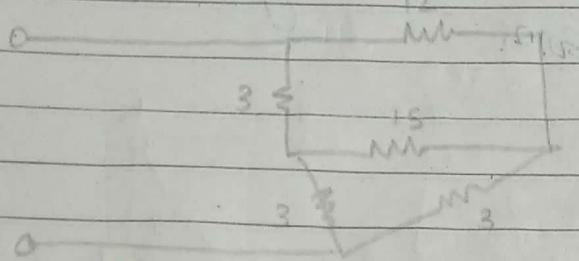
Since e, f, g, h connections doesn't have any resistance between them, they can be considered a single ^{point} source.



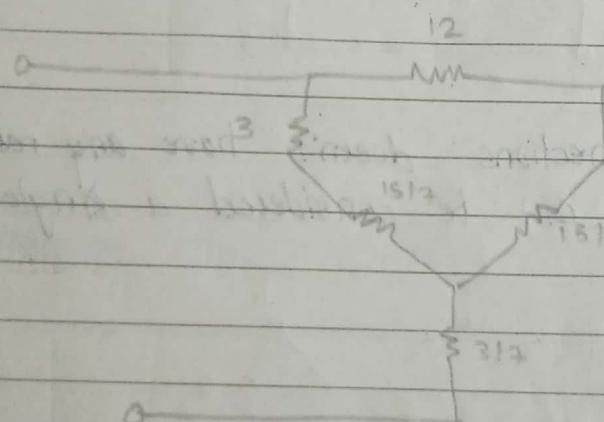
Converting Delta and Delta to Δ - Y .



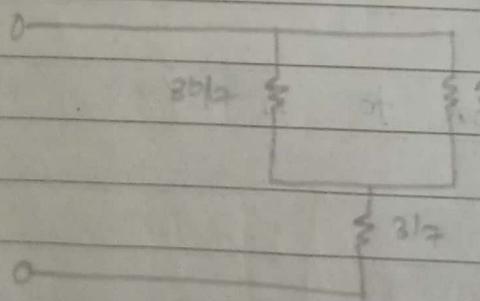
Redrawing the circuit,



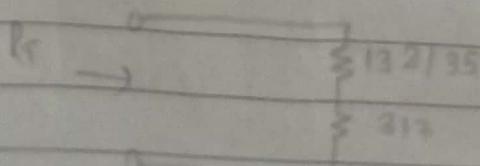
Redrawing the circuit,



Redrawing the circuit,



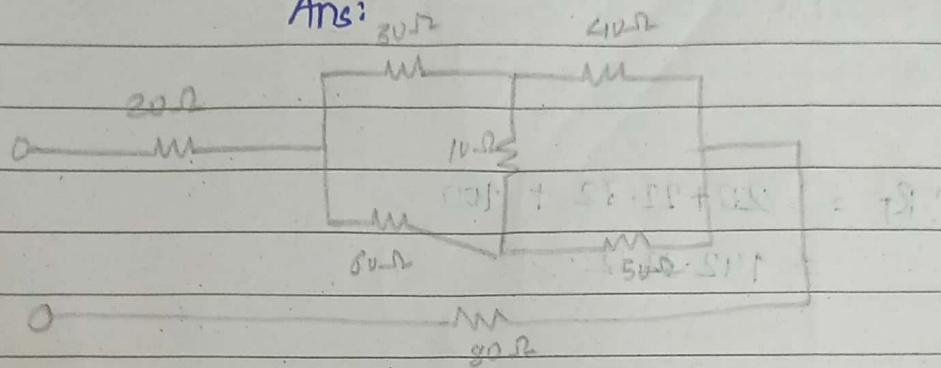
Redrawing the circuits,



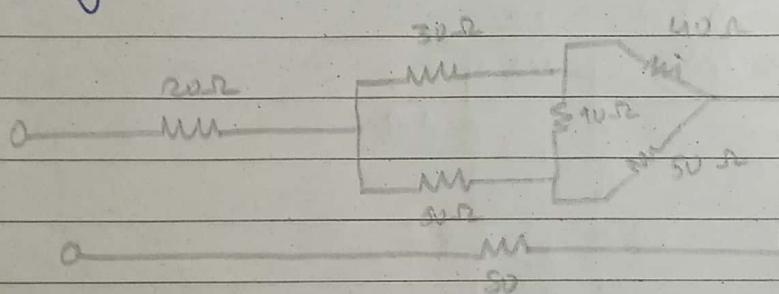
$$\therefore R_T = \frac{12^2}{36} + \frac{3}{\frac{3}{7}} = 4.2 \Omega$$

(Q.11): Obtain the equivalent resistance R_{ab} of the circuit.

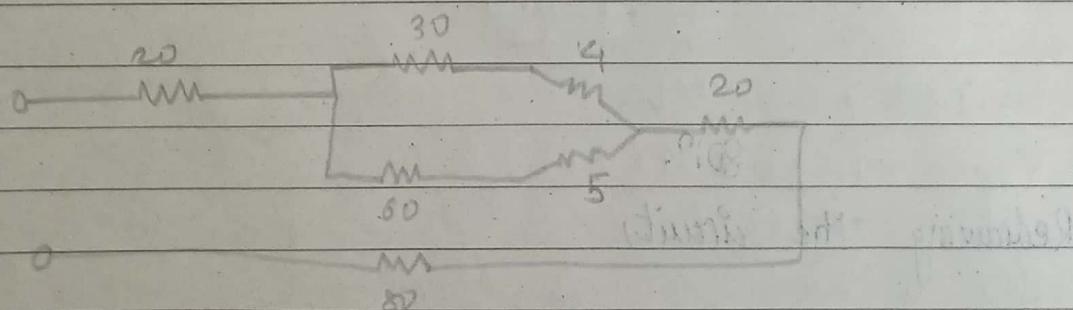
Ans:



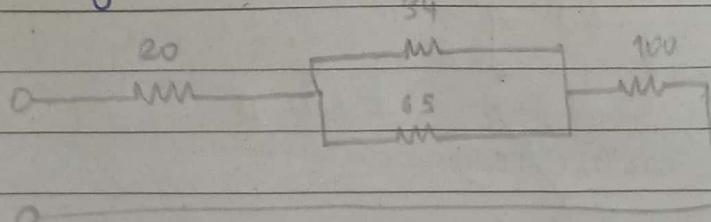
Redrawing the circuit, how is it with (SKB)



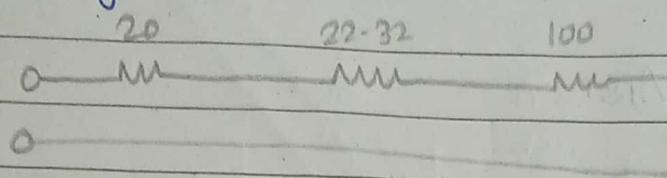
Using $\Delta \rightarrow Y$ conversion.



Redrawing the circuit,

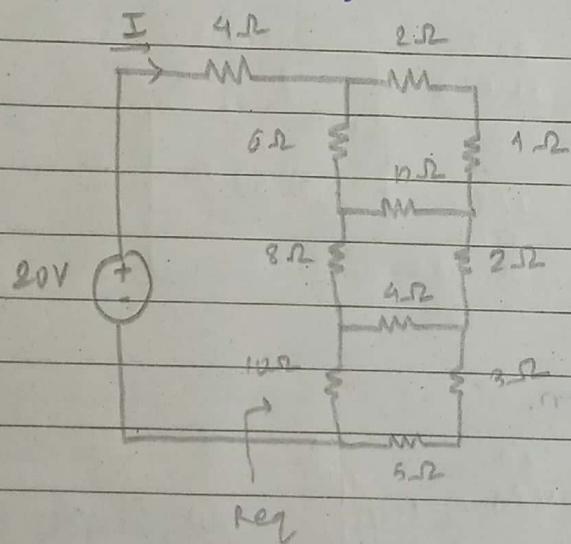


Redrawing the circuit,



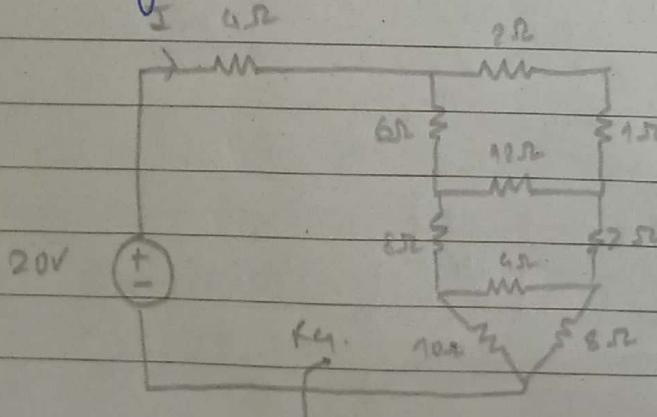
$$\begin{aligned} R_T &= 20 + 22.32 + 100 \\ &= 142.32 \Omega \end{aligned}$$

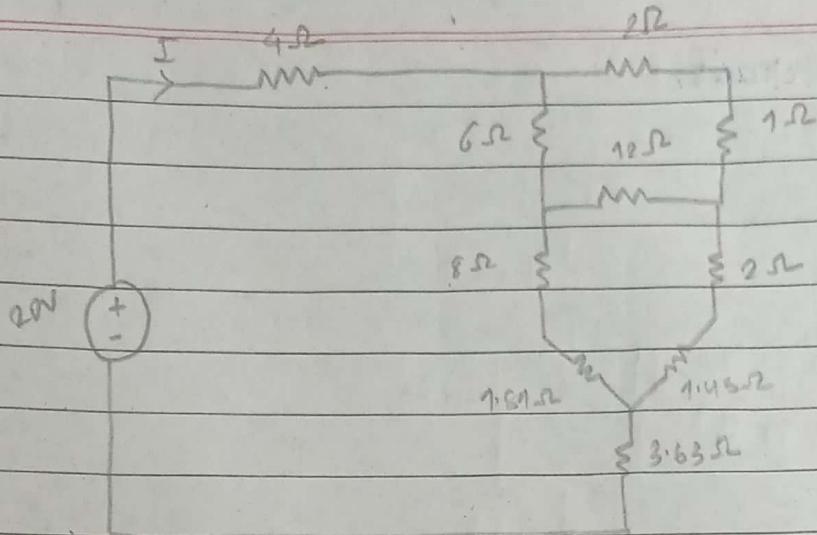
(Q.12): Find the R_{eq} and I in given circuit.



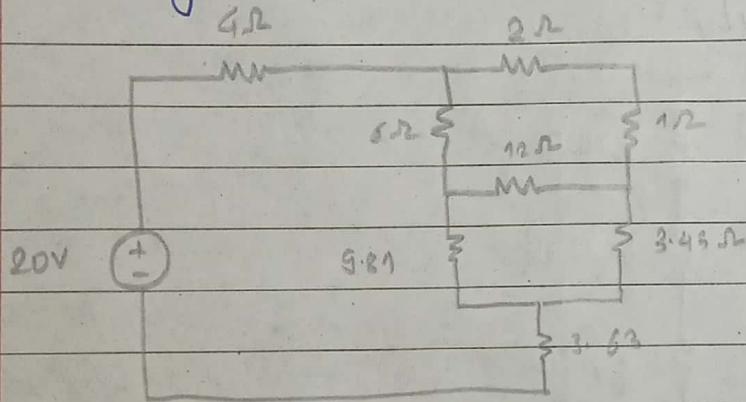
Sol:

Redrawing the circuit,



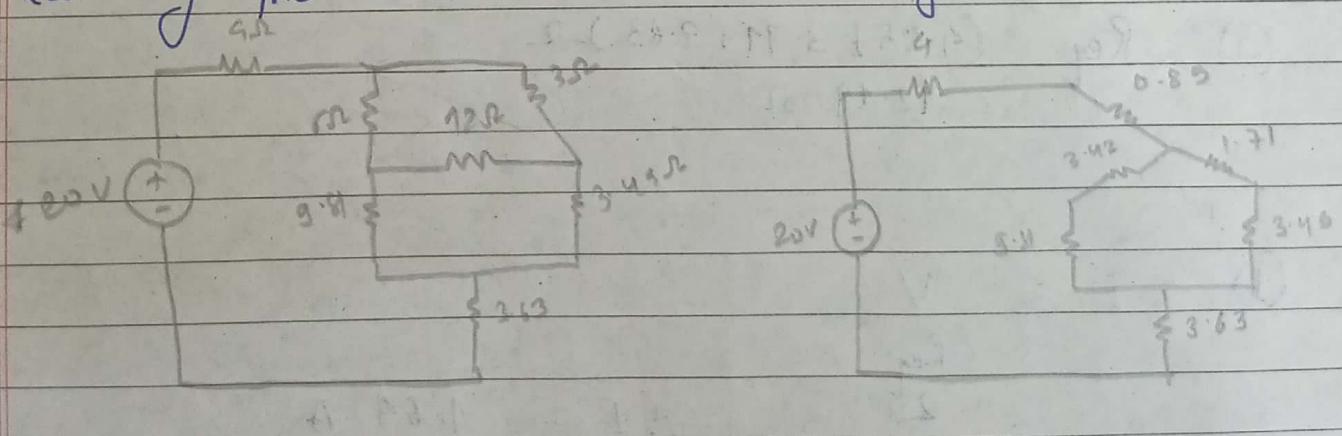


Redrawing the circuit,

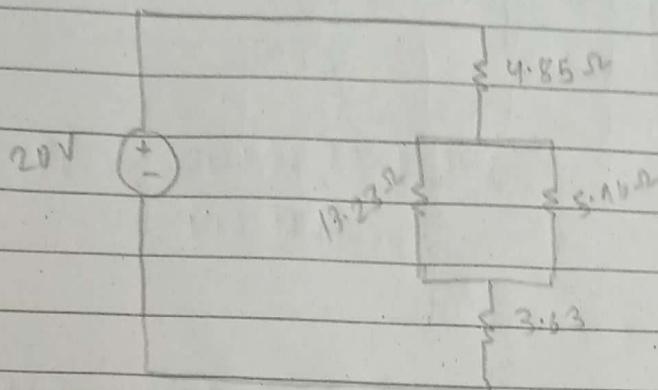


Redrawing the circuit,

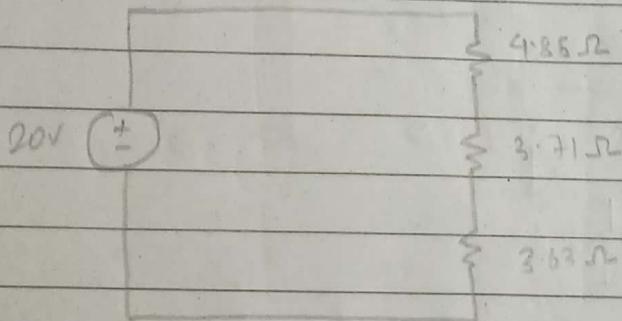
Using Δ - γ conversion.



Redrawing the circuit,



Redrawing the circuit,



(a) $R_{eq} = (4.85 + 3.71 + 3.63) \Omega$
 $= 12.19 \Omega$

(b) $I = \frac{V}{R_{eq}}$
 $= \frac{20}{12.19}$! $I = 1.64 \text{ A}$